

Generate random numbers using linear congruence method for the following

- (i) **10 random numbers using a=1,b=7,c=8**
- (ii) **15 random numbers using a=1,b=7,c=10**
- (iii) **10 random numbers using a=5,b=1,c=8**
- (iv) **20 random numbers using a=5,b=3,c=16**
- (v) **10 random numbers using a=1,b=7,c=10**

```
In[7]:= a = 1;
b = 7;
c = 10;
x[0] = 7;
Nmax = 10;
For[n = 1, n ≤ Nmax, n++,
  x[n] = Mod[x[n - 1] * a + b, c];
  Print[x[n]];
]
4
1
8
5
2
9
6
3
0
7
```

Find random number b/w 0 to π and 0 to 1

```
In[21]:= a = 17;
b = 32 871;
c = 10 000;
x[0] = 7;
Nmax = 10;
For[n = 1, n ≤ Nmax, n++,
  x[n] = Mod[x[n - 1] * a + b, c];
  Print[N[Pi * x[n] / 10 000]];
]

y[0] = 8;
Nmax = 10;
For[n = 1, n ≤ Nmax, n++,
  y[n] = Mod[y[n - 1] * a + b, c];
  Print[N[y[n] / 10 000]];
]
```

0.939336
1.1627
1.81835
0.39804
1.38544
2.46332
1.93773
2.42751
1.32889
1.502
0.3007
0.399
0.0701
0.4788
0.4267
0.541
0.4841
0.5168
0.0727
0.523

Using random number generation, find the approximate area under curve $y=\sin(t)$ b/w 0 to π

```
In[51]:= a = 17;
b = 32871;
c = 10000;
x[0] = 7;
Nmax = 2000;
For[n = 1, n ≤ Nmax, n++,
  x[n] = Mod[x[n - 1] * a + b, c];
  xnorm[n] = x[n] / 10000 * Pi
]
y[0] = 8;
For[n = 1, n ≤ Nmax, n++,
  y[n] = Mod[y[n - 1] * a + b, c];
  ynorm[n] = y[n] / 10000
]
f[t_] = Sin[t];
undercurve = {};
For[n = 1, n ≤ Nmax, n++,
  If[ynorm[n] < f[xnorm[n]],
    AppendTo[undercurve, xnorm[n]]]
Length[undercurve]
N[Pi * Length[undercurve] / Nmax]

Out[62]= 1278

Out[63]= 2.00748

In[64]:= N[Integrate[Sin[t], {t, 0, Pi}]]
Out[64]= 2.
```