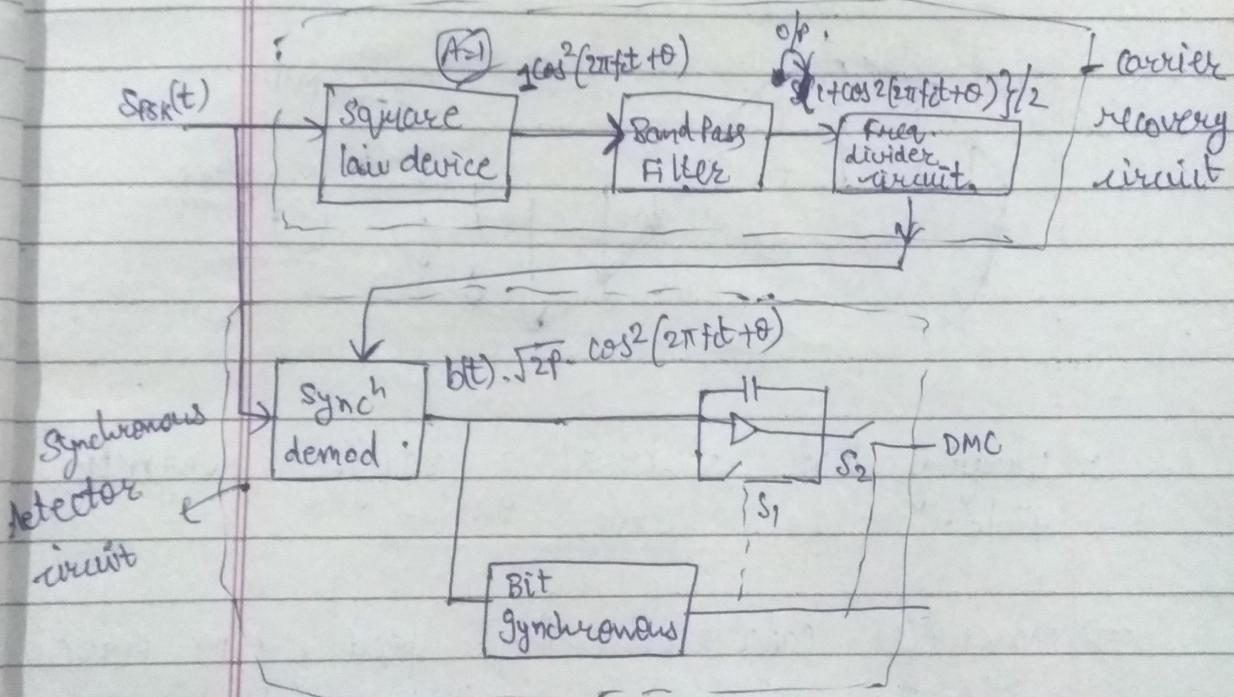
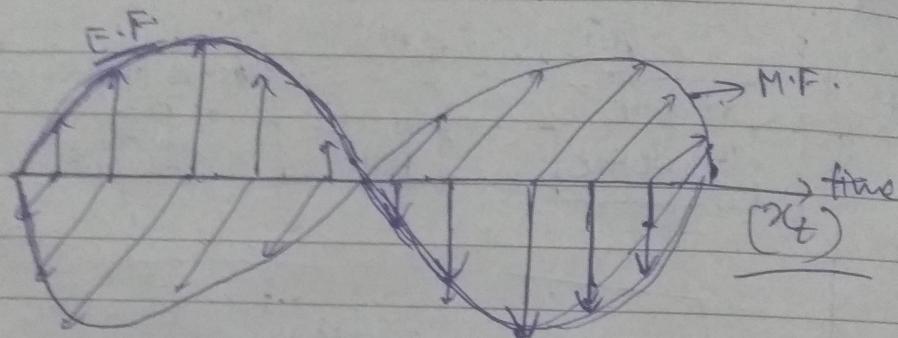
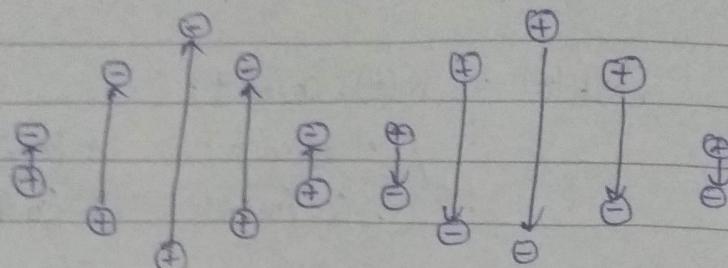


$$\begin{aligned} S_{PSK}(t) &= m(t) \cdot \cos(\omega_c t) \\ &= \begin{cases} A \cos(\omega_c t) & m(nT_b) = A ("1") \\ A \cos(\omega_c t + \pi) & m(nT_b) = A ("0") \end{cases} \end{aligned}$$

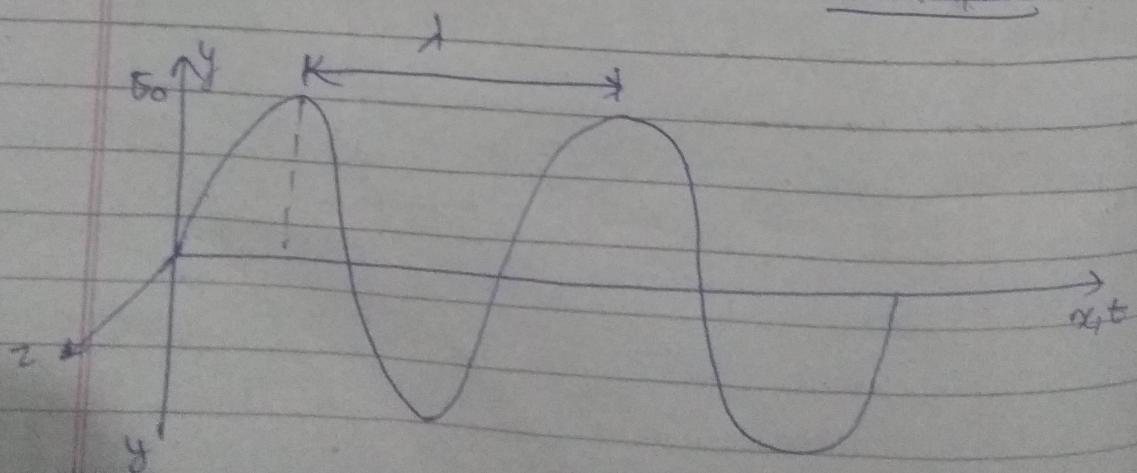


EM Waves and Propagation



→ Varying E.F. is creating varying magnetic field.

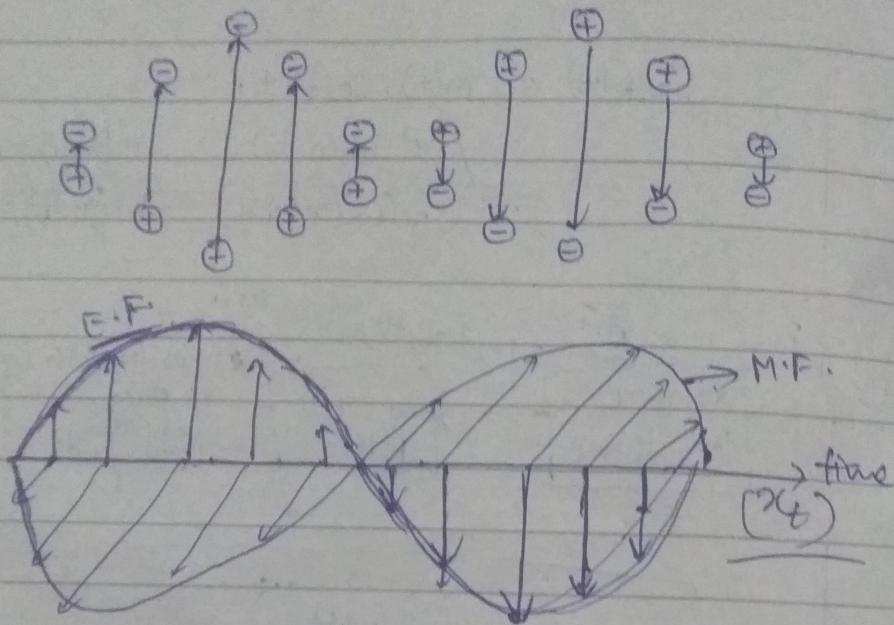
→ Maxwell calculated the speed of EM waves with the help of permittivity and permeability and it came out to be $3 \times 10^8 \text{ m/sec}$.



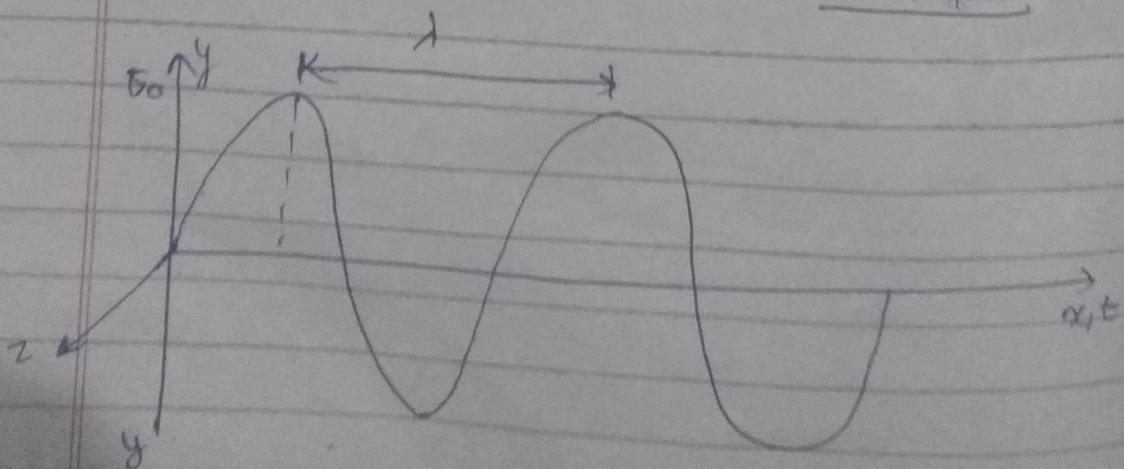
$$\vec{E}_y = E_0 \cos(kx - \omega t + \phi)$$

$E_0 = \text{max value}$

EM Waves and Propagation



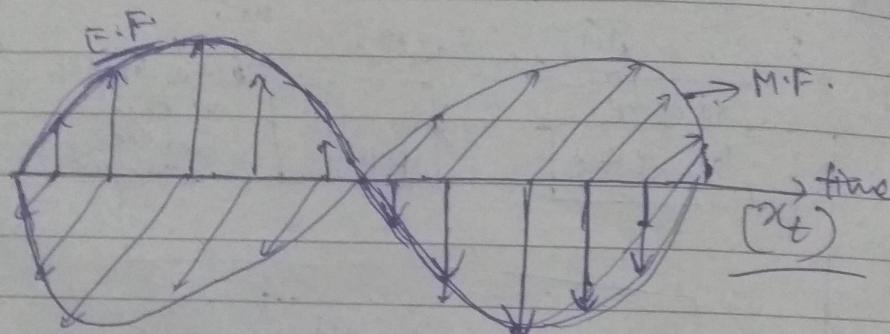
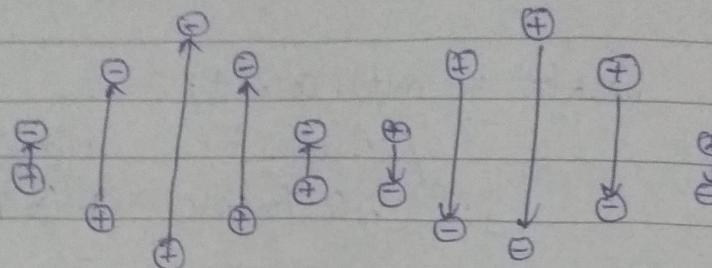
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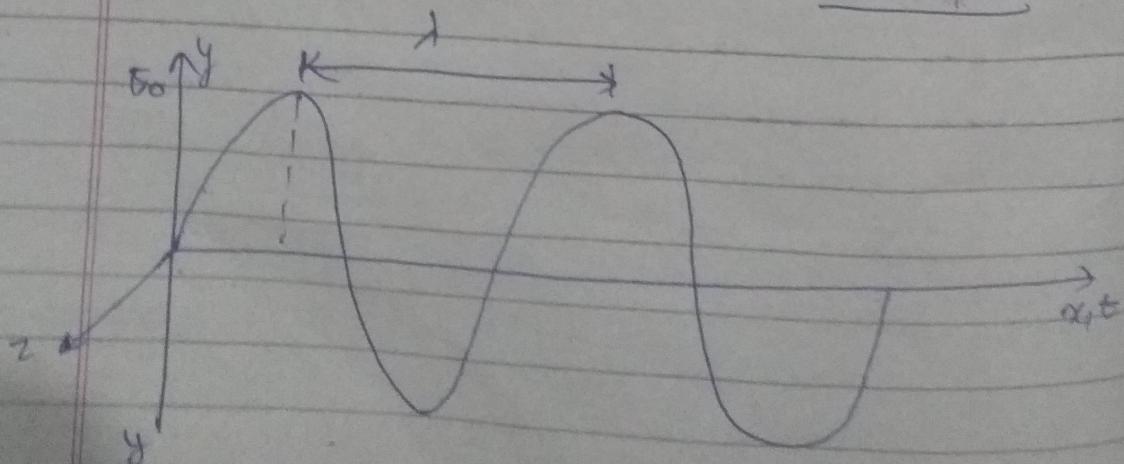
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E_0 = max value

EM Waves and Propagation



- Varying E.F. is creating varying magnetic field.
- Maxwell calculated the speed of EM waves with the help of permittivity and permeability and it came out to be $3 \times 10^8 \text{ m/sec}$.



$$\vec{E}_y = E_0 \cos(kx - \omega t + \phi) \quad E_0 = \text{max value}$$

$E_0 = \text{plastic constant}$

$k = \frac{2\pi}{\lambda}$ = propagation constant.

ω = angular frequency = $2\pi\nu$

$$B_z = B_0 \left\{ \cos(kx - \omega t + \phi) \right\}$$

ϕ = leading / lagging angle.

$$F_y = 200 \cos \left[6x - \omega t + \phi \right]$$

↑ ↑
25 $\pi/6$

$$k = 6$$

$$\lambda = \pi$$

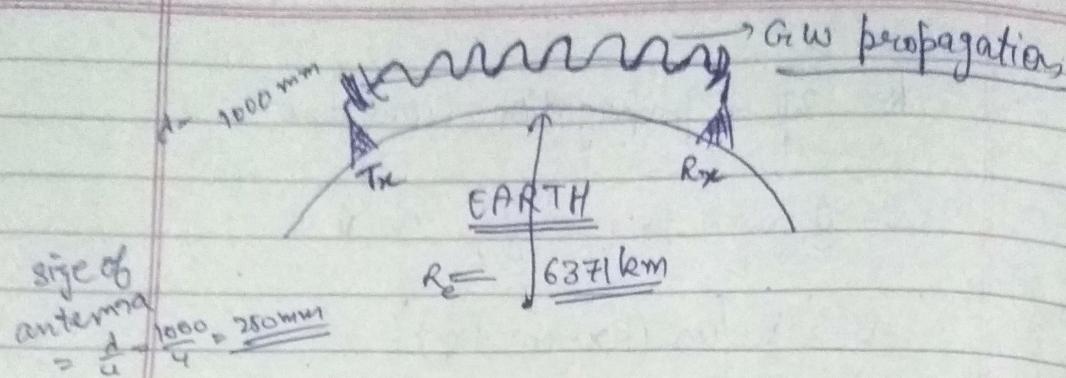
$$\omega = 2\pi\nu \quad , \quad \nu = \frac{\pi}{2} \cdot \frac{25}{\pi/6} =$$

$$V = \frac{\omega}{k} = \frac{25}{6} = 4 \text{ m/sec}$$

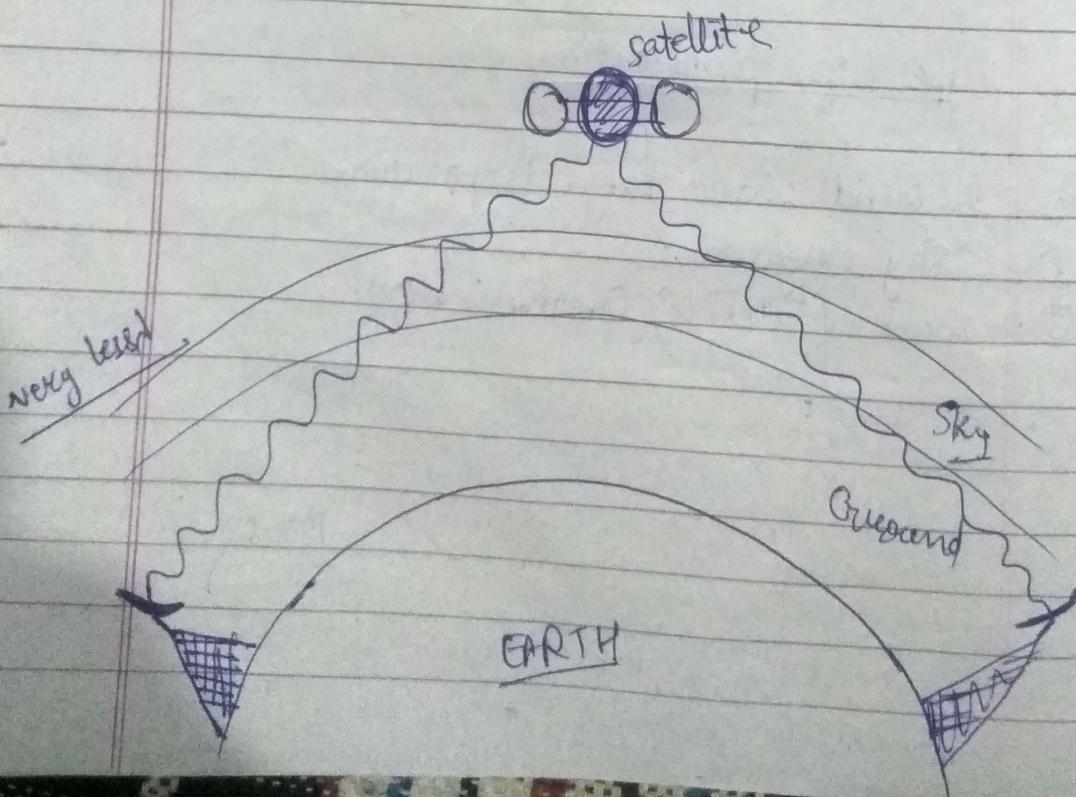
$\vec{E} \times \vec{H}$ = ~~having~~ pointing vector

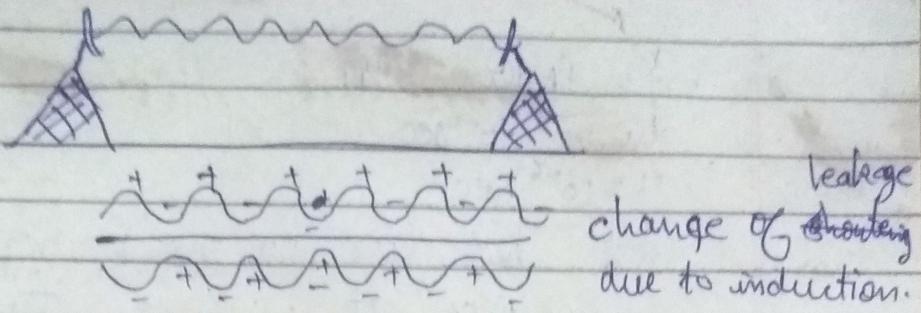
Types of propagation

- ① Ground wave Propagation.
- ② Sky ~~wave~~ wave
- ③ Space (Satellite) Communication.



- ① When EM is travelling parallel to earth surface, then it is called ground wave propagation. (freq. few kHz to 5 MHz)

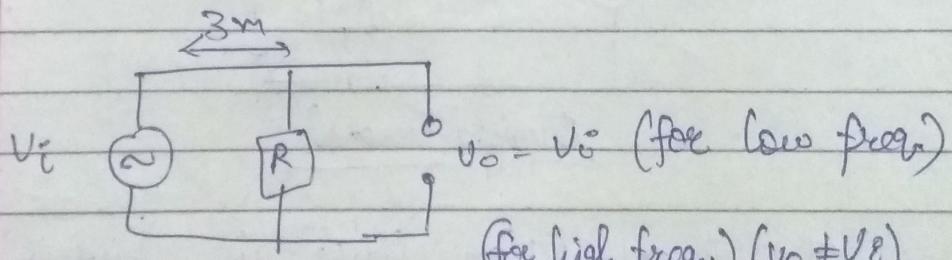
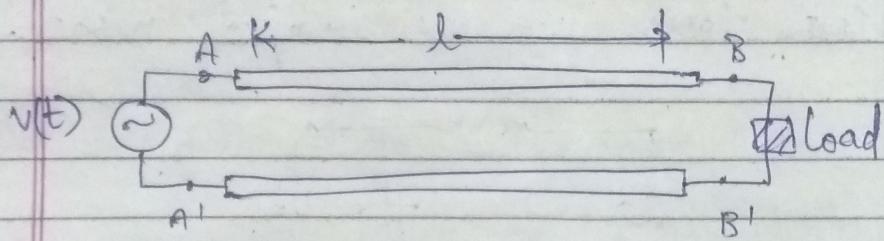




Waveguide :-

Generally we use transmission lines to transfer our signals (except space wave communication). In these transmission lines, waves incur a huge power loss.

To reduce these losses we use waveguides.



$$t_r = \frac{l}{V} = \frac{3m}{3 \times 10^8} \Rightarrow 10^{-8} \text{ sec}$$

$$f = 100 \text{ Hz}$$

$$\Rightarrow \cancel{T > T_a} \quad T > t_m$$

(we can neglect τ here).

$$f = 1 \text{ MHz}, 5 \text{ Vpp}$$

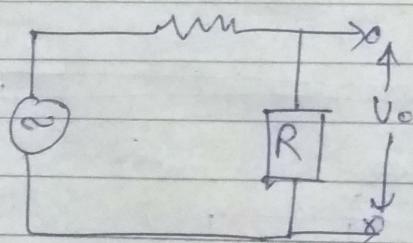
$$t_r = 10^{-8} \text{ sec}$$

$$T = 10^{-6} \text{ sec}$$

* but here we can't neglect t_r
since it is close to the T.

⇒ for freq. $\geq 1 \text{ GHz}$, $t_r > T$ and losses
are very high, hence in these cases we use
waveguides.

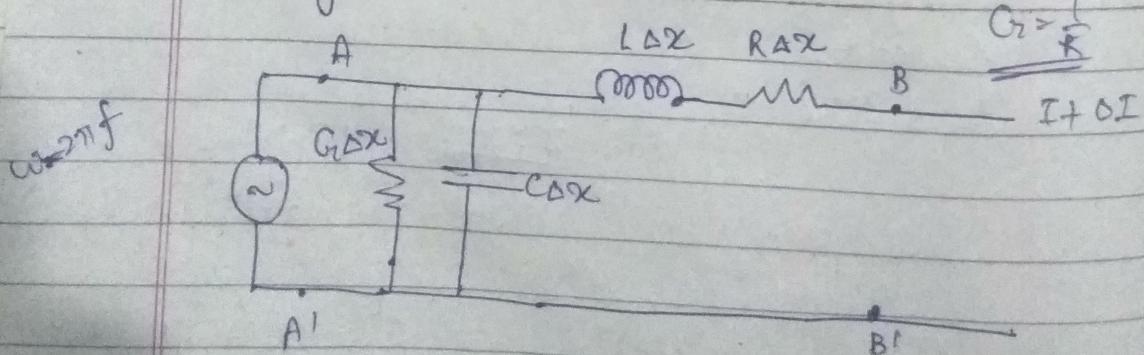
To model the entire transmission line
loses losses, we use lumped model.



γ = propagation constant

Lumped model

The transmission line is broken into smalls
lumped model, so that their transient time
is very less.



$$\Delta V = -(R_{\Delta x} + j\omega L_{\Delta x}) I$$

$$\Delta I = -(G_{\Delta x} + j\omega C_{\Delta x}) V$$

$$\frac{\Delta V}{\Delta x} = -(R + j\omega L) I$$

$$\frac{\Delta I}{\Delta x} = -(G + j\omega C) V$$

$$\lim_{\Delta x \rightarrow 0} \frac{\Delta V}{\Delta x} = \frac{dV}{dx} = -(R + j\omega L) I$$

$$\frac{dI}{dx} = -(G + j\omega C) V$$

$$\frac{d^2 V}{dx^2} = -(R + j\omega L) \frac{dI}{dx}$$

$$\frac{d^2 V}{dx^2} = -(R + j\omega L) (-G + j\omega C) V$$

$$\frac{d^2 V}{dx^2} = +(R + j\omega L) (G + j\omega C) V$$

$$\frac{d^2 I}{dx^2} = \underbrace{(R + j\omega L) (G + j\omega C)}_{\gamma^2} I$$

$$\frac{d^2 V}{dx^2} = \gamma^2 V \quad , \frac{d^2 I}{dx^2} = \gamma^2 I$$

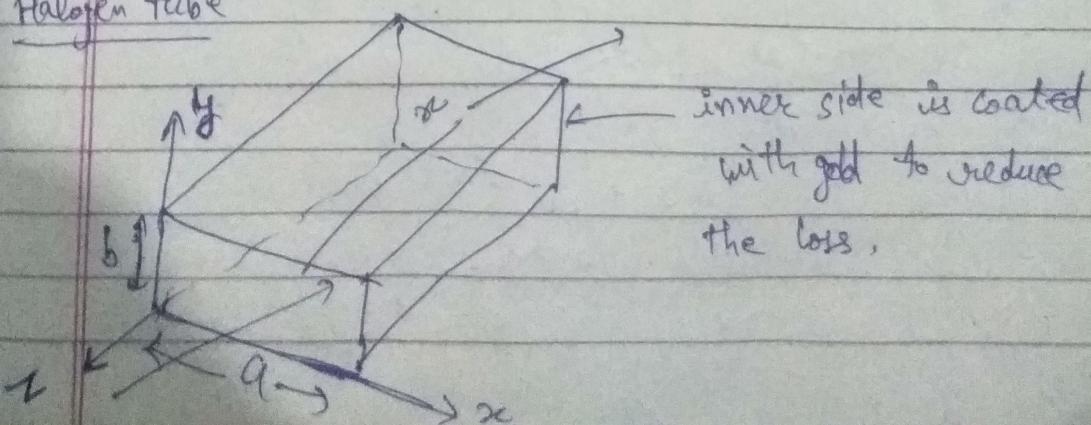
$$V = V^+ e^{-\gamma x} + V^- e^{+\gamma x}$$

$$I = I^+ e^{-\gamma x} + I^- e^{+\gamma x}$$

$f_s > f_c$ \rightarrow ^{above} critical freq.

(Propagation will take place ~~only~~)

Halogen tube



wave propagating in z-direction

$$\nabla^2 E_z = \mu \epsilon \frac{\partial^2 E_z}{\partial t^2} \quad]_{TM}$$

$$H_z = 0$$

(transfer
magnetic)

$$\nabla^2 H_z = \mu \epsilon \frac{\partial^2 H_z}{\partial t^2} \quad]_{TE}$$

$$E_z = 0$$

$$E_z = E_{0z} e^{j\omega t} \cdot e^{-\gamma z}$$

$$\omega = 2\pi f$$

$$\frac{\partial E_z}{\partial t} = E_{0z} e^{j\omega t} \cdot e^{-\gamma z} (j\omega)$$

$$= (j\omega) E_z$$

$$\boxed{\frac{\partial}{\partial t} = (j\omega)}$$

$$\frac{\partial^2 E_z}{\partial t^2} = (j\omega) (j\omega) E_z \\ = -\omega^2 E_z$$

$$\frac{\partial^2}{\partial t^2} = -\omega^2$$

$$E_z = E_{0z} e^{j\omega t} e^{-\gamma z}$$

$$\frac{\partial E_z}{\partial z} = (-\gamma) E_z$$

$$\boxed{\frac{\partial}{\partial z} = -\gamma}$$

1) $E_z = 0$
x from

2) $E_z = 0$
0 to 1

$$\left[\frac{\partial^2}{\partial z^2} = -\gamma^2 \right]$$

$$\frac{\partial^2 E_z}{\partial z^2} = \gamma^2 E_z$$

$$\nabla^2 E_z = \mu \epsilon \frac{\partial^2 E_z}{\partial t^2} \neq H_z = 0 \text{ (TM)}$$

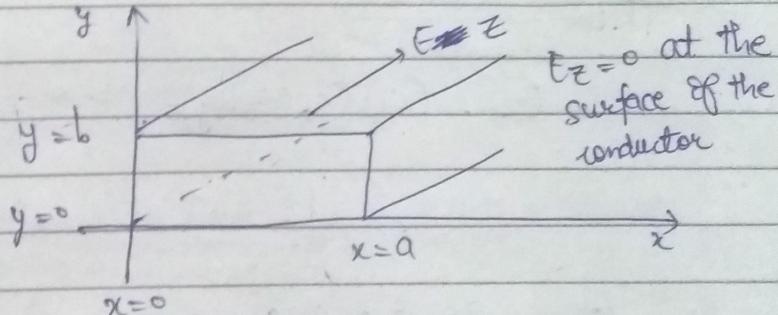
$$\frac{\partial^2 E_z}{\partial x^2} + \frac{\partial^2 E_z}{\partial y^2} + \frac{\partial^2 E_z}{\partial z^2} = \mu \epsilon \frac{\partial^2 E_z}{\partial t^2}$$

$$\frac{\partial^2 E_z}{\partial x^2} + \frac{\partial^2 E_z}{\partial y^2} + (\gamma^2 + \omega^2 \mu \epsilon) E_z = 0$$

(b)

P.D.E. (Partial differential equation).

$$E_z = (c_1 \cos \beta x + c_2 \sin \beta x) (c_3 \cos \alpha y + c_4 \sin \alpha y)$$



TM:-

$$E_z = (c_1 \cos \beta x + c_2 \sin \beta x) (c_3 \cos \alpha y + c_4 \sin \alpha y)$$

- 1) $E_z = 0$ at $y=0$ and for all values of x from 0 to a .
- 2) $E_z = 0$ at $x=0$ for all values of y from 0 to b .

③ $E_z = 0$ at $x=a$ for all valid values of y from 0 to b.

④ $E_z = 0$ at $y=b$, for all values of x from 0 to a.

Apply ① boundary condition:-

$$E_z = (C_1 \cos Bx + C_2 \sin Bx) C_3 = 0$$

Apply ② $Bx = 0$ $\Rightarrow C_3 = 0$

Apply $E_z = (C_1 \cos Bx + C_2 \sin Bx) (C_4 \sin Ay)$

Apply 2nd Bo.C. ...

$$E_z = (C_1) (C_4 \sin Ay) = 0$$

$$\boxed{C_1 = 0}$$

$$E_z = (C_2 \sin Bx) (C_4 \sin Ay).$$

Apply ③:

$$E_z = C_2 C_4 \sin Bx \sin Ay = 0$$

$\neq 0 \quad \neq 0$

$$\sin Ba = 0$$

$Ba = \text{multiples of } \pi$

$$Ba = m\pi$$

$$B = \frac{m\pi}{a}$$

Apply Q:

$$E_z = \frac{c_2 c_4 \sin Bx \sin Ab}{F_0} = 0$$

$$\sin Ab = 0$$

Ab = multiples of π

$$Ab = n\pi$$

$$A = \frac{n\pi}{b}$$

$$A = \frac{n\pi}{b}$$

$$\Rightarrow E_z = c_2 c_4 \sin\left(\frac{m\pi}{a}x\right) \sin\left(\frac{n\pi}{b}y\right)$$

$$\text{let, } h^2 = A^2 + B^2$$

$$\text{as assumed } \therefore h^2 = r^2 + w^2 u e$$

$$A^2 + B^2 = r^2 + w^2 u e$$

$$\left(\frac{m\pi}{a}\right)^2 + \left(\frac{n\pi}{b}\right)^2 = r^2 + w^2 u e$$

$$r^2 = \left(\frac{m\pi}{a}\right)^2 + \left(\frac{n\pi}{b}\right)^2 - w^2 u e$$

$$r = \sqrt{\left(\frac{m\pi}{a}\right)^2 + \left(\frac{n\pi}{b}\right)^2 - w^2 u e}$$

$$r = \alpha + j\beta$$

$$\text{if } w^2 u e > \left(\frac{m\pi}{a}\right)^2 + \left(\frac{n\pi}{b}\right)^2$$

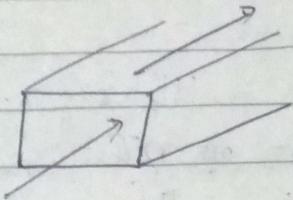
$$r = \alpha + j\beta$$

α = attenuation factor

β = propagation factor.

if $\omega^2 \mu \epsilon < \left(\frac{m\pi}{a}\right)^2 + \left(\frac{n\pi}{b}\right)^2$

$\gamma = \alpha + j\beta \rightarrow^\circ$



for ~~not~~ better propagation,
 $\alpha \rightarrow 0$ and $\beta \neq 0$,

E_z

so that coated with gold and silver.

TM
transfer magnetic

Cut-off Freq. (fc)

It is a freq. at which propagation of electromagnetic wave propagates through the waveguide by assuming input freq. greater than this freq. (fc).

At cut off freq $\gamma=0$ and $f=f_c$.

$$\beta^2 = \left(\frac{m\pi}{a}\right)^2 + \left(\frac{n\pi}{b}\right)^2 - \omega^2 \mu \epsilon = 0$$

$$\omega^2 = \frac{1}{\mu \epsilon} \left(\left(\frac{m\pi}{a}\right)^2 + \left(\frac{n\pi}{b}\right)^2 \right)$$

$$\omega = 2\pi f, \quad \omega_c = 2\pi f_c$$

$$\omega_c = \frac{1}{\sqrt{\mu \epsilon}} \left[\sqrt{\left(\frac{m\pi}{a}\right)^2 + \left(\frac{n\pi}{b}\right)^2} \right]$$

$$f_c = \frac{1}{2\pi\sqrt{\mu \epsilon}} \left[\sqrt{\left(\frac{m\pi}{a}\right)^2 + \left(\frac{n\pi}{b}\right)^2} \right]$$

$$n, m = 0, 1, 2, \dots \rightarrow \infty$$

Air $\epsilon_r = 1$

$$\epsilon = \epsilon_0 \epsilon_r$$

$$n = \lambda_{\text{free}} / \lambda_{\text{c}}$$

$$f_c = \frac{1 \times \pi'}{2\pi \sqrt{\mu_0 \epsilon_0}} \left[\sqrt{\left(\frac{m}{a}\right)^2 + \left(\frac{n}{b}\right)^2} \right]$$

(TM)

$$f_c = \frac{C}{2e} \left[\sqrt{\left(\frac{m}{a}\right)^2 + \left(\frac{n}{b}\right)^2} \right]$$

$$C = \frac{1}{\mu_0 \epsilon_0}$$

$$\mu_r = 1, \epsilon_r,$$

m	n
0	0
0	1
1	0
1	1

$$c_2 c_4$$

$$E_z = C \sin\left(\frac{m\pi}{a}x\right) \cdot \sin\left(\frac{n\pi}{b}y\right).$$

$TM_{mn} \rightarrow TM_{11}$ = minimum mode of propagation
in rectangular TM propagation

$$\lambda_c = c/f_c \quad (\text{cut off wavelength}).$$

$$\lambda_c = \frac{c}{\frac{C}{2} \sqrt{\left(\frac{m}{a}\right)^2 + \left(\frac{n}{b}\right)^2}}$$

Dominant mode:

It is that mode for which the cut off wavelength achieves highest value.

$TM_{11}, m=1, n=1$

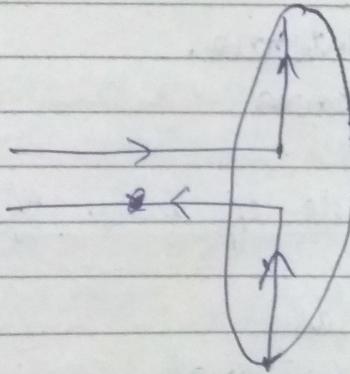
$$d_c = \frac{2ab}{\sqrt{a^2+b^2}}$$

	TM	TE
① lowest	TM_{11}	TE_{01}
② Dominant	TM_{11}	TE_{10}
③ Dominant (d_c)	$\frac{2ab}{\sqrt{a^2+b^2}}$	$2a$

for which
highest

antenna

- It is a specific device for sending or receiving an electro-magnetic wave.
- Antennas converts electrical signals into the EM waves and vice-versa.
- Antennas are connected to the transmission lines. A particular structure is needed for the radiation of EM waves.



dipole antenna

Need of antennas

- ① To access the remote locations, cost effective.

Types of antennas :-

- (1) Physical structure.
- (2) Freq. range of operation.
- (3) Mode of applications.

On the basis of structure

- a) wire antenna.
- b) Aperture antenna.
- c) Reflector antenna.
- d) lens antenna.
- e) Micro strip antenna.
- f) Array antenna.

On the basis of freq. of op:-

- (1) VLF antennas
- (2) Low freq. antennas.
- (3) Medium freq.
- (4) High f.
- (5) Very high.
- (6) Ultra Ultra high.
- (7) Super ultra.
- (8) Microwave
- (9) Radiowave.

On the basis of Mode of Application:-

- ① Point to point comm" antennas.
- ② Broadcasting application.
- ③ Radar communication.
- ④ satellite communication.

Basic terminology in Antennas

- ① Frequency.
- ② wavelength.
- ③ Impedance Matching.
- ④ VSWR and Reflected Power.
- ⑤ B.W.
- ⑥ Percentage of SW.
- ⑦ Radiation Intensity.

Frequency :-

The rate of repetition of a wave over a ~~per~~ period of time is called frequency.

wavelength :-

Distance b/w two maxima.

Impedance Matching :-

The impedance of transmitter and receiver is same so that effective radiation will take place.

VSWR :-

Voltage Standing wave ratio.
The ratio of maximum voltage to
the minimum voltage.

If VSWR varies higher than lots
of losses will takes place.

Bandwidth :-

A range of frequency over
which communication will take
place.

Percentage of BW :-

Absolute bandwidth by
central freq. It gives the % of
deviation.

Radiation Intensity :-

Power per unit solid angle.
The direction in which max. power
transmission would take place.

Directivity :-

The ratio of max. radiation
intensity of the subject antenna to the
radiation intensity of an isotropic or
reference antenna. is called directivity.