

## Introduction

1. TLine can only support TEM wave whereas waveguide can support many possible field configurations.
2. At microwave frequencies (3 to 300 GHz), TLine becomes inefficient due to skin effect and dielectric losses, but waveguides are used at microwave frequencies to obtain larger bandwidth and lower signal attenuation.
3. TLine can operate above dc ( $f = 0$ ) to a very high frequency, but waveguide can operate only above cutoff frequency and therefore acts as a high pass filter.

**Definition:** A Hollow metallic tube of uniform cross section for transmitting electromagnetic waves by successive reflections from the inner walls of the tube is called **waveguide**.

➤ In order to determine the EM field configuration within the waveguide, **Maxwell's equations**. For simplicity, consider the guide filled with lossless, charge free media and the walls to be perfect conductors.

$$\nabla \cdot E_s = 0 \rightarrow \nabla \cdot D = 0 \quad \nabla \cdot H_s = 0 \rightarrow \nabla \cdot B = 0$$

$$\nabla \times E_s = -j\omega \mu H_s \quad \nabla \times H_s = j\omega \epsilon E_s$$

$$\nabla^2 E_s + \omega^2 \mu \epsilon E_s = 0 \quad \nabla^2 H_s + \omega^2 \mu \epsilon H_s = 0$$

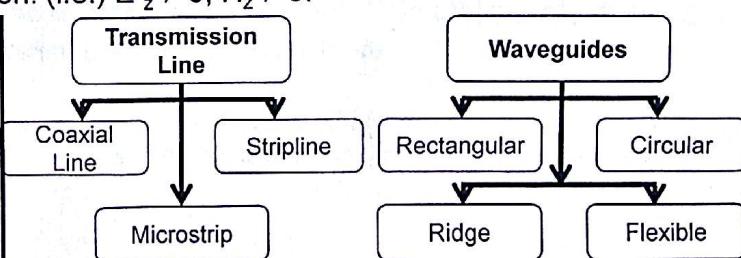
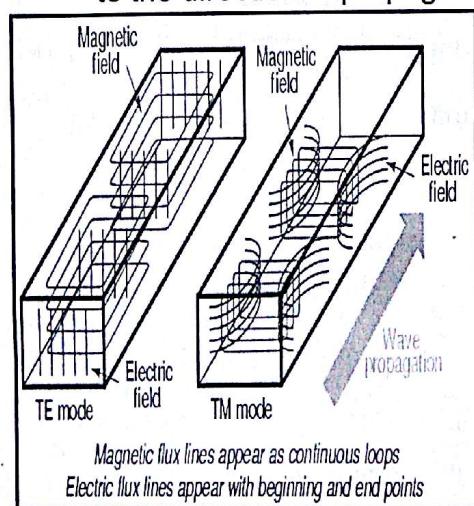
## Basic Features:

- Waveguides may be used to carry energy between pieces of equipment or over longer distances to carry transmitter power to an antenna or microwave signals from an antenna to a receiver
- Waveguides are made from copper, aluminum or brass.
- The electric and magnetic fields associated with the signal bounce off the inside walls back and forth as it progresses down the waveguide.

1

## Possible Types of modes

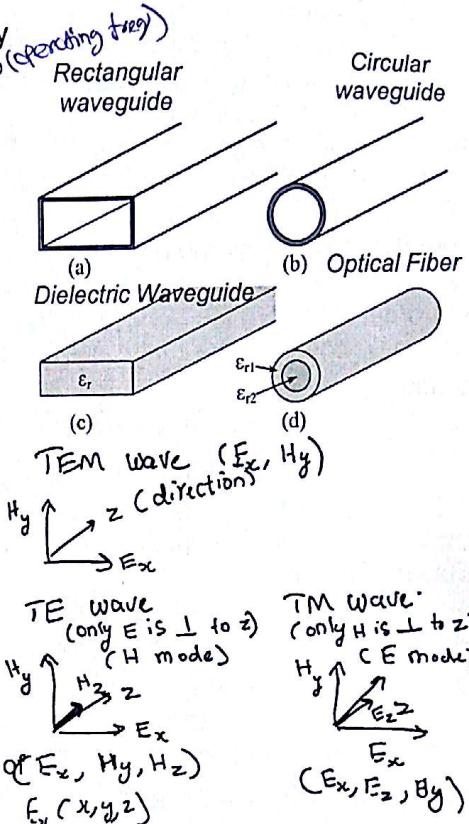
1. Transverse Electro Magnetic (TEM) wave: Here both electric and magnetic fields are directed components. (i.e.)  $E_z = 0$  and  $H_z = 0$
2. Transverse Electric (TE) wave: Here only the electric field is purely transverse to the direction of propagation and the magnetic field is not purely transverse. (i.e.)  $E_z = 0, H_z \neq 0$
3. Transverse Magnetic (TM) wave: Here only magnetic field is transverse to the direction of propagation and the electric field is not purely transverse. (i.e.)  $E_z \neq 0, H_z = 0$ .
4. Hybrid (HE) wave: Here neither electric nor magnetic fields are purely transverse to the direction of propagation. (i.e.)  $E_z \neq 0, H_z \neq 0$ .



- hollow rectangular waveguide that can propagate TM and TE modes but not TEM since only one conductor is present.
- Applications: high-power systems, millimeter wave applications, satellite systems, precision test applications

- waveguide refers to constructs that only support non-TEM mode propagation. Such constructs share an important trait: they are unable to support wave propagation below a certain frequency, termed the *cutoff frequency*.
- **Critical (cut-off) frequency,  $f_c$  (Hz):** the lowest frequency for which a mode will propagate in a waveguide.  $f_c < f_0$  (*operating freq.*)
- **Critical (cut-off) wavelength,  $\lambda_c$  (m/cycle):** the largest wavelength that can propagate in the waveguide without any / minimum attenuation  $\lambda_c > \lambda_0$  (*operating wavelength*)
- **Group velocity ( $v_g$ , m/s):**
  - The velocity at which a wave propagates.
  - at which signals or energy is propagated.
- **Phase velocity ( $v_p$ , m/s):**
  - The velocity at which the wave changes phase.
  - It is the apparent velocity of the wave (i.e.: max electric intensity point).
  - $v_p$  always equal to or greater than  $v_g$  ( $v_p \geq v_g$ ).
  - It may exceed the velocity of light
- **In theory:**  $c < v_g \leq v_p$ . ....  $c^2 = v_g + v_p$

- **Propagation wavelength in the waveguide ( $\lambda_g$ , m/s):**
  - Wavelength of travelling wave that propagates down the waveguide.
  - $\lambda_g$  greater in the waveguide than in free space ( $\lambda_0$ ).
- **Waveguide characteristic impedance ( $Z_0$ ,  $\Omega$ ):**
  - It depends on the cut-off frequency, which in turn is determined by the guide dimension.
  - It is also closely related to the characteristic impedance of free space ( $377 \Omega$ ). Generally,  $Z_0 > 377 \Omega$ .



- Let us consider a *rectangular waveguide with interior dimensions are  $a \times b$* ,
- Waveguide can support **TE and TM modes**.
  - In TE modes, the electric field is transverse to the direction of propagation. – *Voltage Wave*
  - In TM modes, the magnetic field that is transverse and an electric field component is in the propagation direction.
- The order of the mode refers to the field configuration in the guide, **TE<sub>mn</sub>** and **TM<sub>mn</sub>**.
  - The **m** subscript corresponds to the number of half-wave variations of the field in the x direction, and
  - The **n** subscript is the number of half-wave variations in the y direction.
- A particular mode is only supported above its cutoff frequency. The cutoff frequency is given by

$$f_{c_{mn}} = \frac{1}{2\sqrt{\mu\epsilon}} \sqrt{\left(\frac{m}{a}\right)^2 + \left(\frac{n}{b}\right)^2} = \frac{c}{2\sqrt{\mu_r\epsilon_r}} \sqrt{\left(\frac{m}{a}\right)^2 + \left(\frac{n}{b}\right)^2}$$

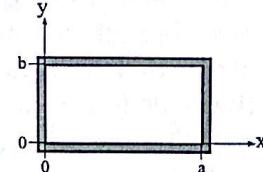
$$u = \frac{1}{\sqrt{\mu\epsilon}} = \frac{1}{\sqrt{\mu_0\mu_r\epsilon_0\epsilon_r}} = \frac{1}{\sqrt{\mu_0\epsilon_0}} \frac{1}{\sqrt{\mu_r\epsilon_r}} = \frac{c}{\sqrt{\mu_r\epsilon_r}}$$

For air  $\mu_r = 1$

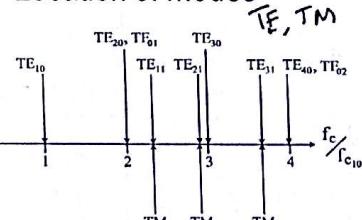
$$f_{c_{mn}} = \frac{c}{2\sqrt{\mu_r\epsilon_r}} \sqrt{\left(\frac{m}{a}\right)^2 + \left(\frac{n}{b}\right)^2} \quad \text{and } \epsilon_r = 1 \quad \Rightarrow \quad f_{c_{mn}} = \frac{c}{2} \sqrt{\left(\frac{m}{a}\right)^2 + \left(\frac{n}{b}\right)^2}$$

where  $c = 3 \times 10^8$  m/s

### Rectangular Waveguide



### Location of modes



Number of Conductors

TEM — 2 Conductors

TE, TM — ≥ 1 Conductors

or  
Dielectric

4

**Table 7.1: Some Standard Rectangular Waveguide**

Waveguide Designation	a (in)	b (in)	t (in)	$f_{c10}$ (GHz)	freq range (GHz)
WR975	9.750	4.875	.125	.605	.75 – 1.12
WR650	6.500	3.250	.080	.908	1.12 – 1.70
WR430	4.300	2.150	.080	1.375	1.70 – 2.60
WR284	2.84	1.34	.080	2.08	2.60 – 3.95
WR187	1.872	.872	.064	3.16	3.95 – 5.85
WR137	1.372	.622	.064	4.29	5.85 – 8.20
WR90	.900	.450	.050	6.56	8.2 – 12.4
WR62	.622	.311	.040	9.49	12.4 – 18

$$f_{c10} = \frac{1}{2\sqrt{\mu\epsilon}} \sqrt{\left(\frac{1}{a}\right)^2 + \left(\frac{0}{b}\right)^2} \rightarrow f_{c10} = \frac{c}{2a}$$

$$\text{TE}_{10}: f_{c10} = \frac{c}{2a} = \frac{3 \times 10^8 \text{ m/s}}{2(7.214 \text{ cm})} \frac{100 \text{ cm}}{1 \text{ m}} = 2.08 \text{ GHz}$$

$$\text{TE}_{01}: f_{c01} = \frac{c}{2b} = \frac{3 \times 10^8 \text{ m/s}}{2(3.404 \text{ cm})} \frac{100 \text{ cm}}{1 \text{ m}} = 4.41 \text{ GHz}$$

$$\text{TE}_{11}: f_{c11} = \frac{3 \times 10^8 \text{ m/s}}{2} \sqrt{\left(\frac{1}{7.214 \text{ cm}}\right)^2 + \left(\frac{1}{3.404 \text{ cm}}\right)^2} \frac{100 \text{ cm}}{1 \text{ m}} = 4.87 \text{ GHz}$$

**Example:** Calculate the cutoff frequency for the first four modes of WR284 waveguide.  
**Sol:**

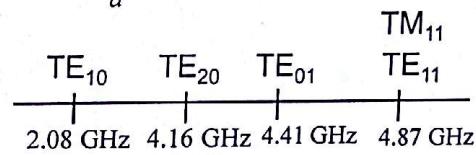
From table, the guide dimensions are  $a=2.840$  inches and  $b=1.340$  inches.

Converting to metric units:

$$a = 7.214 \text{ cm}$$

$$b = 3.404 \text{ cm}$$

$$f_{cmn} = \frac{c}{2} \sqrt{\left(\frac{m}{a}\right)^2 + \left(\frac{n}{b}\right)^2}$$



### Example

P7.2: Calculate the cutoff frequency for the first 8 modes of a waveguide that has  $a = 0.900$  inches and  $b = 0.600$  inches.

$$a = 0.900 \text{ in} = 0.02286 \text{ m}, b = 0.600 \text{ in} = 0.01524 \text{ m}$$

For air-filled guide we have:

$$f_{cmn} = \frac{c}{2} \sqrt{\left(\frac{m}{a}\right)^2 + \left(\frac{n}{b}\right)^2} \quad \text{For air } c = 3 \times 10^8 \text{ m/s}$$

Evaluating all the combination of modes for  $m = 0, 1, 2, 3$  and  $n = 0, 1, 2, 3$  we find

Mode	$f_{cmn}$ (GHz)
TE <sub>10</sub>	6.56
TE <sub>01</sub>	9.84
TE <sub>11</sub>	11.83
TM <sub>11</sub>	11.83
TE <sub>20</sub>	13.12
TE <sub>21</sub>	16.40
TM <sub>30</sub>	19.69
TE <sub>02</sub>	19.69

## Rectangular Waveguide - Wave Propagation

We can achieve a qualitative understanding of **wave propagation in waveguide** by considering the wave to be a superposition of a pair of TEM waves.

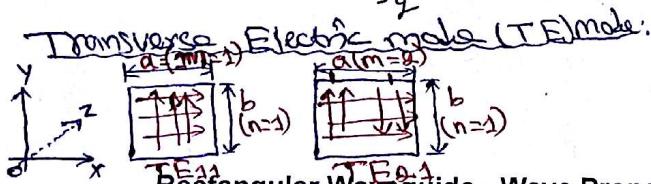
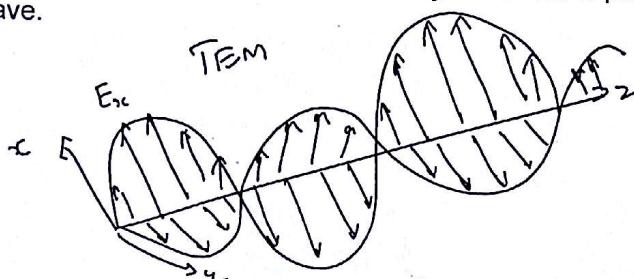
Let us consider a **TEM wave propagating in the z direction (Fig. a)**.

**Fig. b** shows the wave fronts; bold lines indicating **constant phase at the maximum value** of the field ( $+E_0$ ), and lighter lines indicating constant phase at the **minimum value** ( $-E_0$ ).

The waves propagate at a **velocity  $u_u$** , where the u subscript indicates media unbounded by guide walls. In air,  $u_u = c$ .

Now consider a pair of identical TEM waves, labeled as  $u^+$  and  $u^-$  in Figure (a). The  $u^+$  wave is propagating at an angle  $+\theta$  to the z axis, while the  $u^-$  wave propagates at an angle  $-\theta$ .

These waves are combined in Figure (b). Notice that horizontal lines can be drawn on the superposed waves that correspond to zero field. Along these lines the  $u^+$  wave is always  $180^\circ$  out of phase with the  $u^-$  wave.



## Rectangular Waveguide - Wave Propagation

Since we know  $E = 0$  on a perfect conductor, we can replace the horizontal lines of zero field with perfect conducting walls. Now,  $u^+$  and  $u^-$  are reflected off the walls as they propagate along the guide.

The distance separating adjacent zero-field lines in Figure (b), or separating the conducting walls in Figure (a), is given as the dimension  $a$  in Figure (b).

The distance  $a$  is determined by the angle  $\theta$  and by the distance between wave front peaks, or the wavelength  $\lambda$ . For a given wave velocity  $u_u$ , the frequency is  $f = u_u/\lambda$ .

If we fix the wall separation at  $a$ , and change the frequency, we must then also change the angle  $\theta$  if we are to maintain a propagating wave. Figure (b) shows wave fronts for the  $u^+$  wave.

The edge of a  $+E_0$  wave front (point A) will line up with the edge of a  $-E_0$  front (point B), and the two fronts must be  $\lambda/2$  apart for the  $m = 1$  mode.

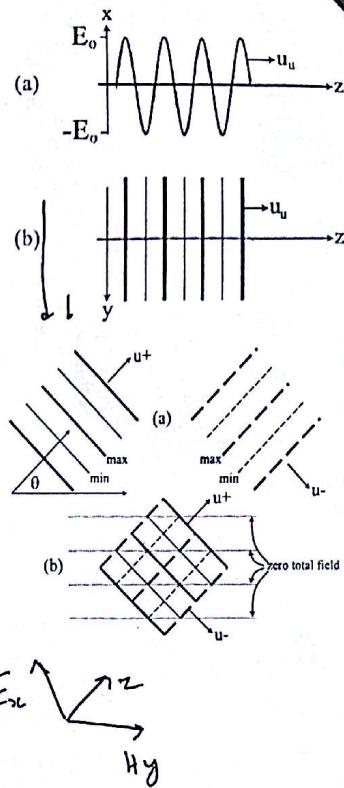
For any value of  $m$ , we can write by simple trigonometry

$$\sin \theta = \frac{m\lambda/2}{a} \quad \rightarrow \quad \lambda = \frac{2a}{m} \sin \theta = \frac{u_u}{f}$$

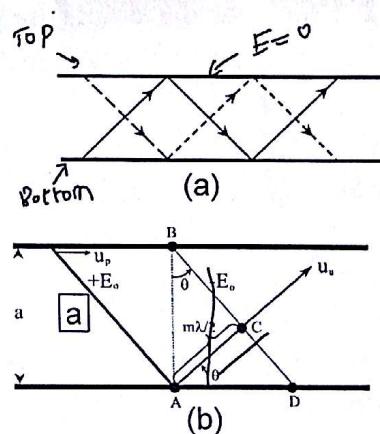
The waveguide can support propagation as long as the wavelength is smaller than a critical value,  $\lambda_c$ , that occurs at  $\theta = 90^\circ$ , or

$$\lambda_c = \frac{2a}{m} = \frac{u_u}{f_c}$$

Where  $f_c$  is the cutoff frequency for the propagating mode.



7



8

We can relate the angle  $\theta$  to the operating frequency and the cutoff frequency by

$$\sin \theta = \frac{\lambda}{\lambda_c} = \frac{f_c}{f}$$

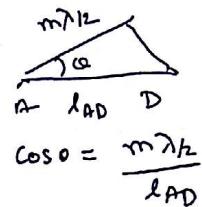
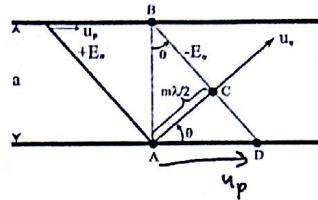
The time  $t_{AC}$  it takes for the wavefront to move from A to C (a distance  $l_{AC}$ ) is

$$t_{AC} = \frac{\text{Distance from A to C}}{\text{Wavefront Velocity}} = \frac{l_{AC}}{u_u} = \frac{m\lambda/2}{u_u}$$

A constant phase point moves along the wall from A to D. Calling this phase velocity  $u_p$ , and given the distance  $l_{AD}$  is

$$l_{AD} = \frac{m\lambda/2}{\cos \theta}$$

$$\text{Then the time } t_{AD} \text{ to travel from A to D is } t_{AD} = \frac{l_{AD}}{u_p} = \frac{m\lambda/2}{\cos \theta u_p}$$



Since the times  $t_{AD}$  and  $t_{AC}$  must be equal, we have  $u_p = \frac{u_u}{\cos \theta}$

$$\text{The Wave velocity is given by } u_u = \frac{1}{\sqrt{\mu\epsilon}} = \frac{1}{\sqrt{\mu_0 \mu_r \epsilon_0 \epsilon_r}} = \frac{1}{\sqrt{\mu_0 \epsilon_0}} \frac{1}{\sqrt{\mu_r \epsilon_r}} = \frac{c}{\sqrt{\mu_r \epsilon_r}}$$

The Phase velocity is given by

$$⑤ u_p = \frac{u_u}{\cos \theta} \quad \rightarrow \quad u_p = \frac{u_u}{\sqrt{1 - \left(\frac{f_c}{f}\right)^2}}$$

↑ using

① condition for wave propagation  
 $\lambda_c > \lambda_0 \Rightarrow f_c < f_0$

② cut-off freq & cut-off wavelength

$$\lambda_c = \frac{2ab}{\sqrt{m^2 b^2 + n^2 a^2}} \quad | \quad f_c = \frac{c}{2} \sqrt{\left(\frac{m}{a}\right)^2 + \left(\frac{n}{b}\right)^2}$$

$$\text{Suppose } m=1 \text{ & } n=0 \\ \lambda_{TE10} = 2a \text{ and } f_{c,TE10} = \frac{c}{2a}$$

$$④ \text{Intrinsic Wave Impedance of Rectangular waveguide}$$

$$\eta_{TE} = \frac{120\pi}{\sqrt{1 - \left(\frac{f_c}{f}\right)^2}} = \frac{120\pi}{\cos \theta} : \eta_{TM} = 120\pi \sqrt{1 - \left(\frac{f_c}{f}\right)^2} = 120\pi \cos \theta$$

⑥ The Group velocity is given by

$$u_G = u_u \cos \theta$$

$$u_G = u_u \sqrt{1 - \left(\frac{f_c}{f}\right)^2}$$

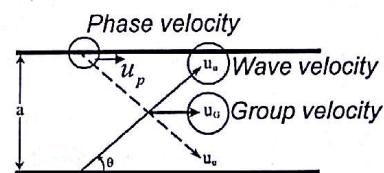
$$u_p u_a = c^2$$

⑦ The phase constant is given by

$$\beta = \beta_u \sqrt{1 - \left(\frac{f_c}{f}\right)^2}$$

⑧ The guide wavelength is given by

$$\lambda = \frac{\lambda_u}{\sqrt{1 - \left(\frac{f_c}{f}\right)^2}}$$



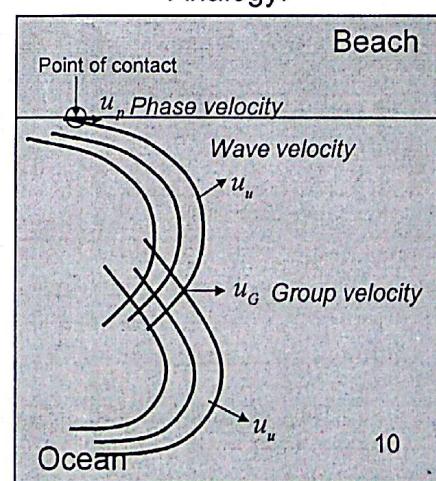
The ratio of the transverse electric field to the transverse magnetic field for a propagating mode at a particular frequency is the **waveguide impedance**.

For a TE mode, the wave impedance is

$$Z_{mn}^{TE} = \frac{\eta_u}{\sqrt{1 - \left(\frac{f_c}{f}\right)^2}},$$

For a TM mode, the wave impedance is

$$Z_{mn}^{TM} = \eta_u \sqrt{1 - \left(\frac{f_c}{f}\right)^2}.$$



③ checking all modes in Rectangular waveguide

$TE_{10}, TE_{01}, TE_{11}, TE_{21}, TE_{12}, TE_{22}, \dots$

$TM_{11}, TM_{21}, TM_{12}, TM_{22}$   $TM_{01}, TM_{10}$  not possible due to Even Scent mode

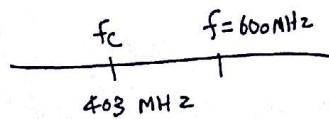
### Example

P7.5: Consider WR975 is filled with polyethylene. Find (a)  $u_u$ , (b)  $u_p$  and (c)  $u_G$  at 600 MHz.

From Table 7.1 for WR975 we have  $a = 9.75$  in and  $b = 4.875$  in. Then

$$fc_{10} = \frac{c}{2\sqrt{\epsilon_r}a} = \frac{3 \times 10^8 \text{ m/s}}{2\sqrt{2.26}} \frac{1}{9.75 \text{ in}} \left( \frac{1 \text{ in}}{0.0254 \text{ m}} \right) = 403 \text{ MHz}$$

$$F = \sqrt{1 - \left( \frac{fc}{f} \right)^2} = \sqrt{1 - \left( \frac{403}{600} \right)^2} = 0.741$$



Now,

$$u_v = \frac{c}{\sqrt{\epsilon_r}} = \frac{3 \times 10^8}{\sqrt{2.26}} = 2 \times 10^8 \frac{\text{m}}{\text{s}}$$

$$u_p = \frac{u_v}{F} = 2.7 \times 10^8 \frac{\text{m}}{\text{s}}$$

$$u_G = u_v F = 1.48 \times 10^8 \frac{\text{m}}{\text{s}}$$

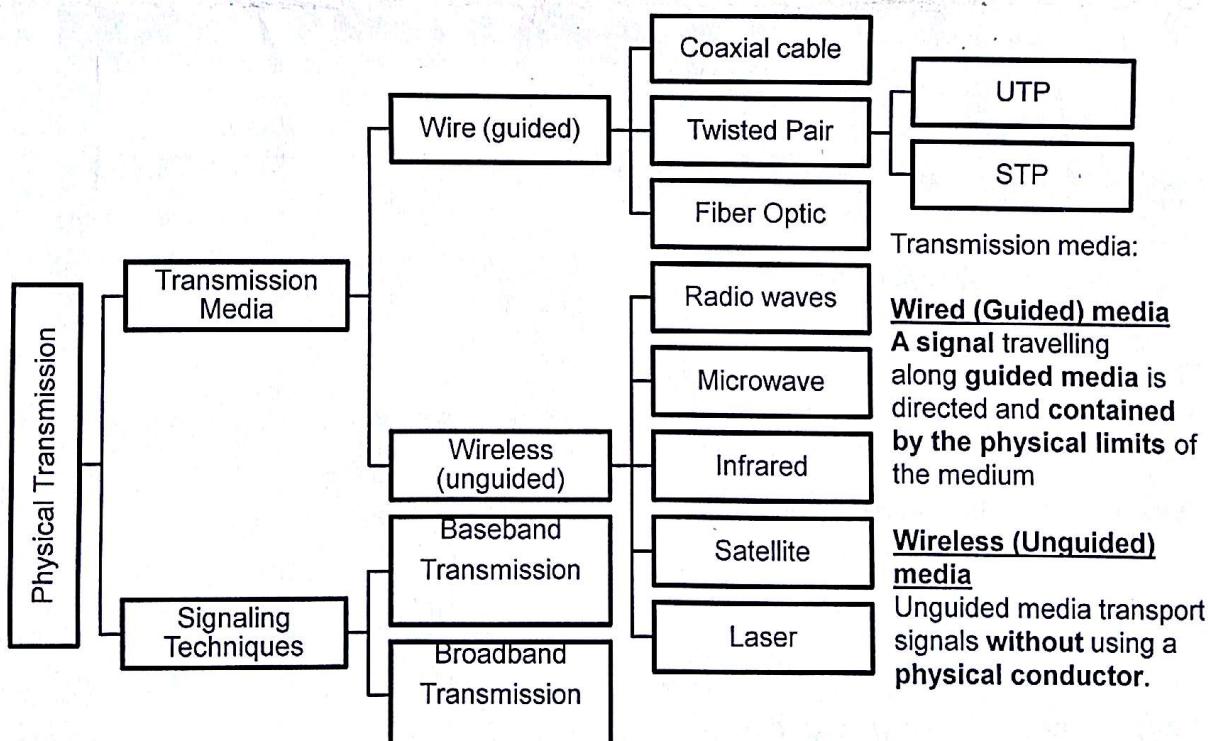
$$u_u = \frac{TE_{10}}{\sqrt{\mu_e}} = \frac{1}{\sqrt{\mu_0 \mu_r \epsilon_0 \epsilon_r}} = \left( \frac{1}{\sqrt{\mu_0 \epsilon_0}} \right) \frac{1}{\sqrt{\mu_r \epsilon_r}}$$

For  $\mu_r = 1$ ,  $\epsilon_r \neq 1$

$$u_u = \frac{C}{\sqrt{\epsilon_r}}$$

$C = 3 \times 10^8 \text{ m/s}$

11



#### Components of a computer network:

1. Computer with NIC (PCs, laptops, handhelds); 2. routers & switches (IP router, Ethernet switch)
3. Links" Transmission media" (wired, wireless); 4. protocols (IP,TCP,CSMA/CD,CSMA/CA)
5. applications (network services) i.e. Network Operating System (NOS);
6. humans and service agents

12

#### Factors to be considered while choosing transmission media

- 1) Transmission rate
- 2) Cost and Ease of Installation
- 3) Resistance of Environmental condition
- 4) Distance.

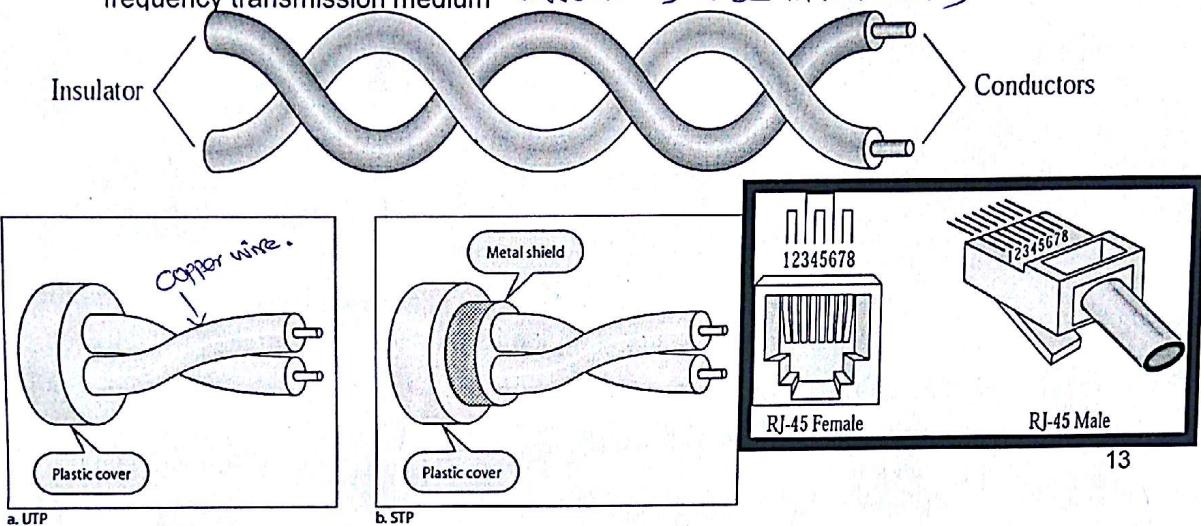
### Twisted Pair

- Wires Consists of two insulated copper wires, each with its own plastic insulation, twisted together arranged in a regular spiral pattern to minimize the electromagnetic interference between adjacent pairs
- Often used at over distances to carry voice as well as data communications
- Low

### STP (shielded twisted pair)

the pair is wrapped with metallic foil or braid to insulate the pair from electromagnetic interference

**UTP (unshielded twisted pair)  $\Rightarrow$  no shield** provided only two twisted copper wire with those own color plastic insulation, each wire is insulated with plastic wrap, but the pair is encased in an outer covering frequency transmission medium (affected by noise interference)



13



The characteristics of UTP are:

Cheap  
Ease of use  
flexible  
easy to install.

The characteristics of STP:

less susceptible to noise  
materials and manufacturing requirements make STP more expensive than UTP

### Parameters

	UTP	STP
1) Data rate	10-100Mbps $\rightarrow$ 150Mbps	
$\rightarrow$ cable length	100 meter max & 500 meter max	
2) Electrical	most interference and $\rightarrow$ less interference ..	
$\rightarrow$ Interference	cross talk occurs	
3) Installation	Easy to install & worry very easy to install.	
4) cost	Low $\rightarrow$ Little costly.	

### Advantages

- Inexpensive and available
- Flexible and light weight
- Easy to work with and install

### Disadvantages

- Sensitivity to interference and noise
- Relatively low bandwidth (3000Hz)

14

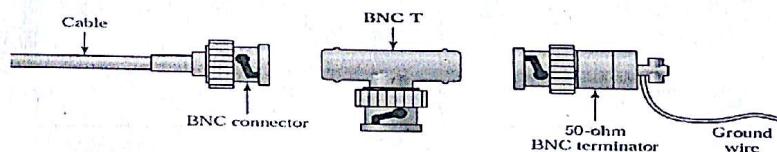
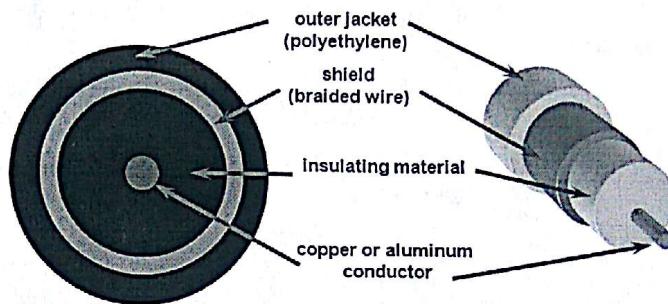
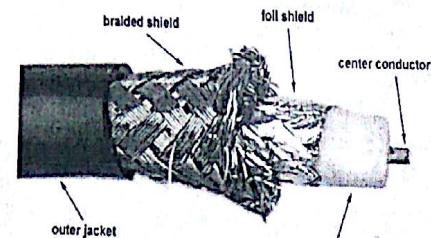
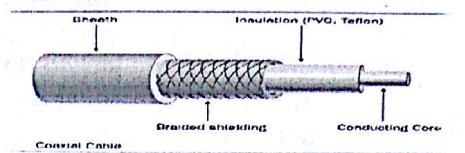
## **Coaxial Cable (or Coax)**

Carries signals of higher frequency ranges than twisted pair cable.

Has an inner conductor enclosed in an insulator, which is in turn encased in an outer conductor of metal braided mesh.

Both conductors share a common center axial, hence the term "co-axial"

Used for cable television, LANs, telephony



### Overview:

- Necessary to avoid bouncing of the signal off the cable's ends – accomplished by using connectors or special terminators with the same impedance as the cable used
- Two common types – F-type and BNC

### F-Connector:

- Suitable for cables with a solid metal core – becomes the pin in the center of the connector (used in RG-6)
- Mounted on a cable by crimping or compression – both male and female connectors are threaded and screw together like a nut and bolt assembly

### Bayonet Neill-Concelman (BNC) Connector:

- Mounted on a cable by crimping, compression, or twisting – connects to another BNC connector via a turning and locking mechanism ("bayonet coupling")
- Male connector uses its own conducting pin – not the core of the cable like F-type ones
- Commonly used with RG-59 cable

### Advantages

- Higher bandwidth
  - 400 to 600MHz
- Much less susceptible to interference than twisted pair
- It will not cause a toxic gas when it's burned. That's why they use it in some buildings.

### Disadvantages

- High attenuation rate makes it **expensive over long distance**
- It's not used anymore due to high cost and other technical factors.

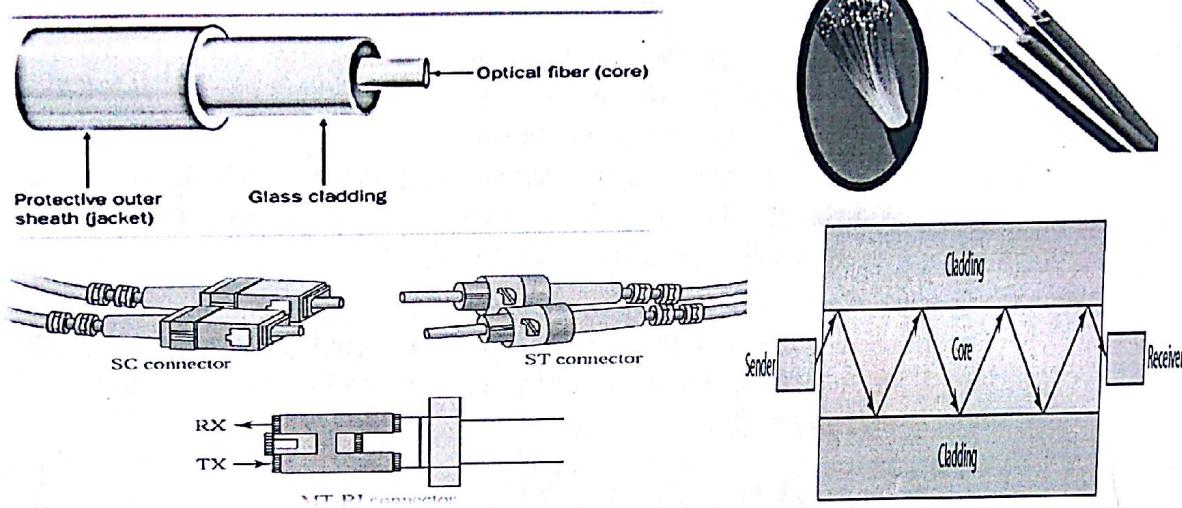
16

Two types  
 ① Baseband → transmission of digital Signal  
 → used for LANs  
 → very high speed  
 → drawback → needs amplification after every 1000 feet.

② Broadband → transmission of Analog signal.  
 → cable television.  
 → simultaneous signal using diff. freq.  
 → cover large area.

### Fiber Optic Cable

- Relatively new transmission medium used by telephone companies in place of long-distance trunk lines
- Fiber Optic works on the properties of light. When light ray hits at critical angle it tends to refracts at 90 degree. This property has been used in fiber optic. The core of fiber optic cable is made of high quality glass or plastic. From one end of it light is emitted, it travels through it and at the other end light detector detects light stream and converts it to electric data form.
- Fiber Optic provides the highest mode of speed.
- Also used by private companies in implementing local data communications networks
- Require a light source with injection laser diode (ILD) or light-emitting diodes (LED)
- Optical fiber is made of glass or plastic and transmits signals in the form of light.
- The cable consists of a strand of glass (**core**) surrounded by a glass tube (**cladding**).
- Its surrounded by a plastic isolation layer for protection .



### Layered Structure:

*Inner core* – glass or plastic fibers at the center that carry laser pulses or an LED light used for data transmission

*Cladding* – a layer of plastic or glass around the fibers that reflects the light back to the core

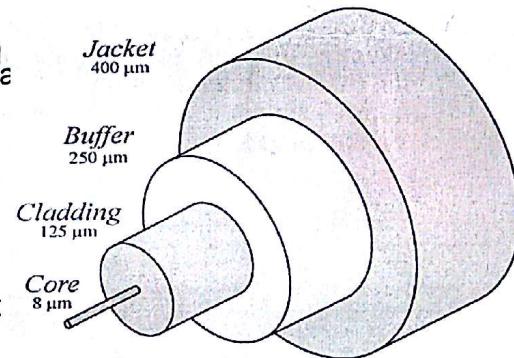
*Plastic buffer* – an opaque layer that protects the cladding and the core and absorbs any light that escapes

*Strands of Kevlar* – a polymeric fiber that surrounds the plastic buffer and prevents stretching and damaging

*Plastic sheath* – providing the overall cable protection

### Single-Mode Fiber (SMF):

- Uses narrow core – less than 10 microns in diameter
- Propagates light without reflections – causes no dispersion and no significant energy loss
- Provides the highest bandwidth of all media and allows the longest distance without requiring repeaters
- Allows 60 km (37 mi) long segments at 10 Gbps
- Good for connecting large networks together
- The most expensive networking medium
- Suitable for WANs



### Multi-Mode Fiber (MMF):

- Uses wider core – from 50 to 115 microns in diameter, with 62.5 microns being most common size
- Multiple laser or LED pulses are sent over the fiber at different angles
- Allows 300 m (910 ft) long segments at 10 Gbps, 550 m (1670 ft) at 1 Gbps, and 2 km (6060 ft) at 100 Mbps
- Used for connecting network devices to a backbone
- Suitable for both LANs and WANs

### Characteristics:

- Highest throughput – no resistance allows achieving 100 Gbps per channel and reduces errors
- Highest cost – most expensive medium, NICs, and hubs, plus the highest installation costs – not practical for small networks
- Best EMI and noise immunity – no current used
- Size and scalability – segment length is limited by degradation of the signal ("optical loss"), with typical values from 150 to 40,000 meters (455 to 121,200 ft)
- Imperfections at connection points affect segment length

### Connectors:

- Ten different types exist, with four being most common – *Straight Tip (ST)*, *Standard Connector (SC)*, *Local Connector (LC)*, and *Mechanical Transfer Registered Jack (MT-RJ)*

19

**Fiber Optic Types** - Digital data is converted to light

**Single mode** - one light source flashes a light down the cable.  
can carries single ray of light

**Multimode** - supports many simultaneous light transmissions.  
capable of carrying multiple beams of light.

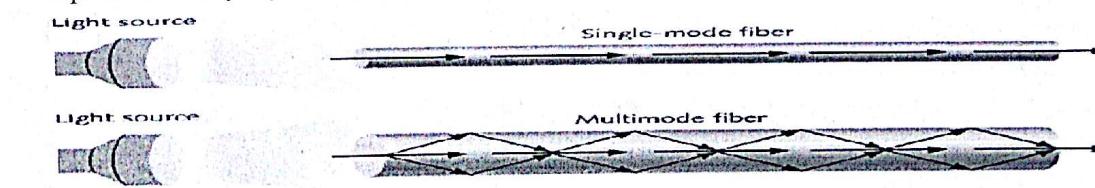
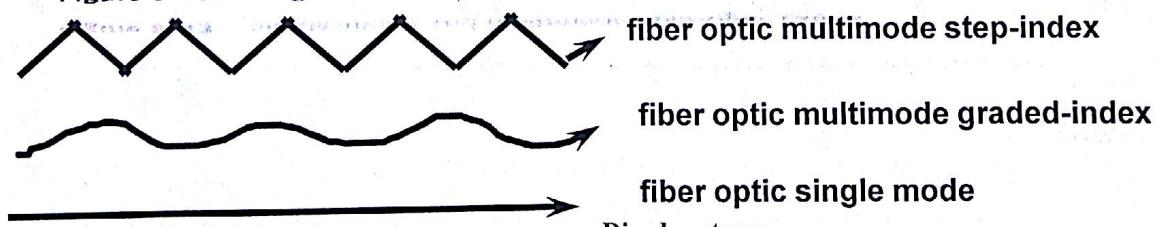


Figure 8-13 Single-mode and multimode fiber-optic cables



### **Advantages**

1. greater capacity (bandwidth of up to 2 Gbps)
2. Speed (100 - 500 mbps)
3. smaller size and lighter weight
4. lower attenuation
5. immunity to environmental interference
6. highly secure

### **Disadvantages**

1. expensive over short distance
2. requires highly skilled installers
3. adding additional nodes is difficult

### **Type of Cable depends on:**

1. Transmission speed.
2. Maximum cable length.
3. Shielded requirements.
4. Price

20