

Ch-6. Processes & Threads.

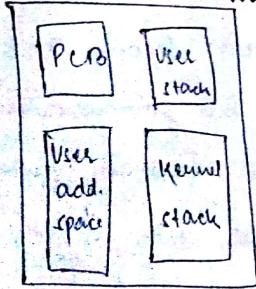
If our system supports multithreading, then a process is fragmented into a no. of threads and then there is thread scheduling not process scheduling.

For a thread, generally 3 states - ready, running, blocked.

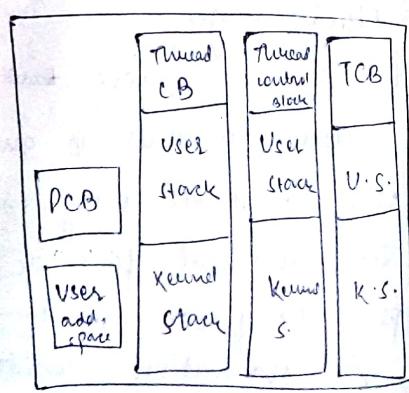
All the threads of a process share the address space of the process and the resources used by / allotted to the process.

Within a process, each thread has its own program counter, along with the process having its PC.

Single-threaded process model



Multi-threaded process model.



Operating System allows a thread utility which takes the backup of the thread currently running.

Multiprocessing and multithreading system increases the execution speed.

Date : 03/10/18.

User-level Kernel-level

Categories of Thread implementation.

- Thread shares user address space.
- Thread management is done by the application, not by the kernel.
- User-level impl.
- Kernel-Level Implementation.

Date : 03/10/18

Process synchronization.

T₁ : read(A) //1000

$$A = A - 50 //950$$

write(A) //950

read(B) //2000

$$B = B + 50 //2050$$

write(B) //2050

T₂ : read(A) //1000

$$\text{temp} = A * 0.1 //100$$

$$A = A - \text{temp} //900$$

write(A) //900

read(B) //2000

$$B = B + \text{temp} //2100$$

write(B) //2100

T_1	T_2
read(A) // 1000	
$A = A - 50 // 950$	
write(A) // 950	
read(B) // 2000	
$B = B + 50 // 2050$	
write(B) // 2050	
	read(A) // 950
	$\text{temp} = A * 0.1 // 95$
	$A = A - \text{temp} // 855$
	write(A) // 855
	read(B) // 2050
	$B = B + \text{temp} // 2145$
	write(B) // 2145

Assume that A and B are the amounts initially available in accounts 1 and 2 respectively. $A = 1000$, $B = 2000$

- Four properties of a database system -

- ① Atomicity
- ② Consistency
- ③ Isolation
- ④ Durability

ACID

As in this case, before executing threads T_1, T_2 , $A + B = 3000$ and after executing threads, still $A + B = 3000$. So, the transaction is consistent.

In the 2nd case, threads T_1 and T_2 are in serial execution not in concurrent execution (as in 1st case). In the 2nd case, threads are scheduled.

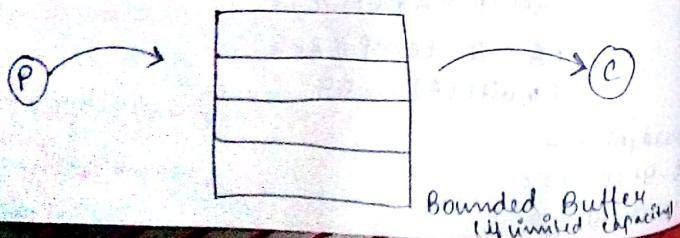
Hence, in 2nd case: initially, $A + B = 3000$
finally, $A + B = 855 + 2145$
 $= 3000$

Hence, this scheduling is also consistent here.

T_1	T_2	T_2
read(A) // 1000		read(B) // 2000
$A = A - 50 // 950$		$B = B + 50 // 2050$
write(A) // 950		write(B) // 2145
	read(A) // 950	
	$\text{temp} = A * 0.1 // 95$	
	$A = A - \text{temp} // 855$	
	write(A) // 855	
	read(B) // 2050	$A + B = 855 + 2145$
	$B = B + \text{temp} // 2145$	$= 3000$

T_1	T_2
mead (A) // 1000	
$A = A - 50 // 950$	
	mead (A) // 950 1000 (old temp new temp)
	$\text{temp} = A * 0.1 // \cancel{950}$ 100 old temp new temp
	$A = A - \text{temp} // \cancel{950}$ 900 old temp new temp
	white (A) // 950 900
	mead (B) // 2000
white (A) // 950 950	
mead (B) // 2000	
$B = B + 50 // 2050$	
white (B) // 2050	
	$B = B + \text{temp} // \cancel{2050}$ 2100 $2000 + 100 = 2100$
	white (B) // 2050 2100

- Synchronisation Problems.
 - ① Producer - consumer problem.



If unlimited capacity then, unbounded buffer.

Producers produces some items and puts them in the buffer from where the consumer consumes the items.

In case of bounded buffer, if production rate is more than consumption rate then producer may have to wait in case the buffer gets full. Similarly, if the consumption rate is more than the production rate then the consumer may have to wait. This is the producer-consumer problem.

- Solutions of this problem.

① Producer: item nextProduced ;
 while (true)
 {
 while (((int+1) % Buffer.size)
 == out) ; // do nothing as the
 buffer [in] = nextProduced ; buffer is
 in = (int+1) % Buffer.size ;
 }

```

Consumer: item nextConsumed;
    while (true)
        { while (in == out); // do nothing
          nextConsumed = buffer[out];
          out = (out + 1) % Buffer-size;
        }
    }

```

- Limitation of this solution.

We are able to utilize only (Buffer-size) capacity, not the complete Buffer-size.

e.g. This space can't be utilised as per the producer code.

Updated ~~fixed~~ code :-

```

Producer: item nextProduced;
    while (true)
        { while (counter == Buffer-size);
          // do nothing
          buffer[in] = nextProduced;
          in = ((in + 1) % Buffer-size);
        }
    }

```

```

    counter++;
}

consumer: item & nextConsumed;
    while (true)
        { while (counter == 0); // do nothing
          nextConsumed = buffer[out];
          out = (out + 1) % Buffer-size;
          counter--;
        }
    }

```

- counter variable is shared b/w producer & consumer.

- Limitation of this updated solution.

counter++ and counter-- are high level instructions. Their machine-level implementations are -

counter++

$\exists_1 : R_1 = \text{counter};$

$\exists_2 : R_1 = R_1 + 1;$

$\exists_3 : \text{counter} = R_1;$

counter--

$\exists_4 : R_2 = \text{counter};$

$\exists_5 : R_2 = R_2 - 1;$

$\exists_6 : \text{counter} = R_2;$

If we assume the sequence of operation

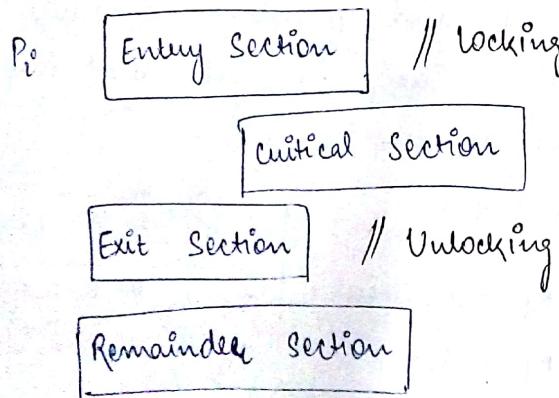
as $\rightarrow \langle \exists_1^3, \exists_2^3, \exists_4^3, \exists_5, \exists_3, \exists_6 \rangle$

- Counter is shared variable so, it should be like $(4)-1 = 3$ in case of counter due to ~~complement~~. But it is 2. So, ambiguity.

So, we need ~~control~~ some control. One way of control is called critical-section.

Critical-section is a ~~free~~ part of code where we are working on ~~sharable~~ shared variable.

- So, structure of a code is —



In order to control the critical section, we need some constraints, these constraints are defined in entry section and are

released (or freed) in exit section.

If the code has many no. of parts where shared variables are being used then, we can define that many no. of critical sections.

Date : 5th Oct, 2018.

Solution of a critical section is also in the form —

Entry section

critical section

Exit section

Remainder section

There are 3 conditions that must be satisfied by solⁿ of a critical section —

- 1) Mutual Exclusion
- 2) Progress
- 3) Bounded wait

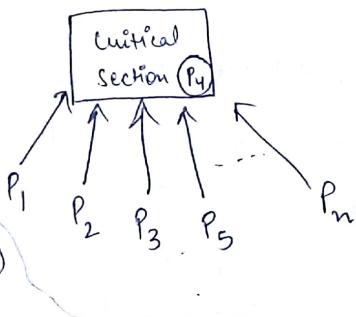


Mutual exclusion :—
If more than one processes attempt

to perform write operation on the shared variable then mutual exclusion ensures that at a time, only one process is allowed to perform the write.

- **Processors.**

If one process is already in the critical section (P_4)



and many other processes are making request to enter the critical section then after the P_4 has left the C.S. then decision should be made as to which process should be next put to C.S. and this ~~process~~ decision could be taken in finite time otherwise all other processes will have to wait for infinite time.

- **Bounded wait**

The waiting duration of P_i is bounded, i.e., the number of process executions between the request of P_i (say) and the time when P_i (say) got the chance to be executed, should be finite.

$P_i :$ while turn $\neq i$; // do nothing
 P_0, P_1 // critical section % P_i

turn = j % P_i

every section

turn $\overset{P_0(10)}{\text{Please}}$ initialization of turn with P_0

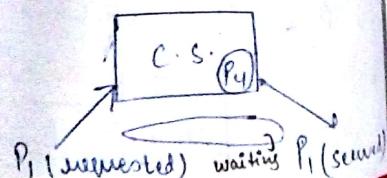
This is 2-processes critical section: setⁿ with single $\langle P_0, P_1, P_0, P_1, P_0, \dots \rangle$ shared variable.

Hence, mutual exclusion working.

There is no processor and bounded wait because P_i waiting for infinite time

so, updated solution :—

(P.T.O.)



$P_i :$

```
while flag[i] ; // do nothing
flag[i] = True;
```

// critical section

```
flag[i] = False;
```

Two processes : P_i and P_j s.t. $j=1, 2, \dots, n$,
Here, a flag array taken and initially
as -

false	false
-------	-------

Flag: [0] [1]

In this, mutual exclusion is also visible
along with the other two conditions.

- Peterson's Solution.

$P_i :$ do {

flag[i] = TRUE ;

 tum = j ;

while (flag[j] && tum == j);

 // critical section

flag[i] = FALSE ;

 do nothing

// Remainder section

} while (TRUE).

This is also a two-process solution.
we have : Flag [0] [1]

F	F
---	---

and a shared variable tum [0].

Flag	Tum	Execution steps
[F] [F]	[0]	↓

// critical section P_i

P_i waiting in while loop.

when P_0 leaves critical section then $\text{flag}[0] = F$

Here, mutual exclusion working.

Process is also being carried out &
hence there is also bounded wait.

- Homework Solution.

boolean TestAndSet (boolean *target)

{ boolean sw = *target ;

* target = TRUE;
return 0;

* test-and-set instruction
is used to write 1 (80)₁₆
memory location and
return its old value,
a single atomic operation.

```
do {  
    waiting[i] = TRUE;  
    key = TRUE;  
    while (waiting[i] && key) do  
        key = TestandSet (& lock);
```

// critical section

```
j = (i+1) % n;  
while ((j != i) && (!waiting[j]))  
    j = (j+1) % n;  
if (j == i) then lock = FALSE;  
else waiting[j] = FALSE;
```

// RS

while (TRUE)

* if multiple processes may access same memory location,
if a process is currently performing a test-and-set then no
other process can begin another test-and-set until the first
one is finished.

We have : —

Global : waiting

[0]	[1]	[2]	[3]	...
F	F	F	F	...

lock



local : key



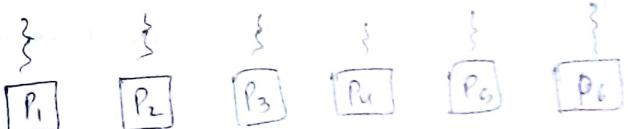
In this solution, mutual exclusion is ensured, processes do not wait and bounded wait also exists.

* case with multiprocessor system.

enable <interrupts>

use

disable <interrupts>



information needs to be passed to all
processors individually.

Date : 09/10/18.

Semaphore.

It is a synchronization tool / some integer variable.
Two operations are defined on that variable.

(i) wait (s) (ii) signal (s)
 ↓
Semaphore variable.

(i) wait (s)
{ while $s \leq 0$; // do nothing
 s--;
}

(ii) signal (s) { $s++$; }

Types of semaphore -

- (i) Counting Semaphore (s can take any value)
- (ii) Binary semaphore (when $s=0$ or 1).

used when we need to perform locking and unlocking (mutual exclusion)

Counting semaphore is used in the case when a resource has a no. of instances.
e.g. say resource R has instances $R_1, R_2, R_3, R_4, \dots$ is initialized with the no. of instances & then operations performed.

Some more applications of Semaphores.

$P_{z1} \rightarrow I_1$

$P_2 \rightarrow I_2$

$I_1 \rightarrow I_2$ (I_1 instruction executed before I_2)

$P_1 \rightarrow P_2$ (P_1 process executed before P_2).

Write a code for this case using semaphores

$s=0$

Extension of this problem
for two more processes.

① $P_1 : I_1$

signal (s)

③ wait (s)

$P_3 : I_3$

② wait (s)

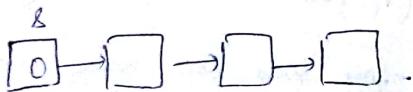
$P_2 : I_2$

④ wait (s)

$P_4 : I_4$

This type of waiting is called Busy waiting.

This is called busy waiting because in this waiting, CPU cycle is consumed. Initially, all the four processes are in ready state. Despite of this, three processes are waiting in their while loop which checks the processes if it is free or not. This process checking involves CPU cycles. To avoid this, the processes are placed in the waiting queue of the semaphore variable, & change their state to blocked state.



So, we need to redefine semaphore —

- Redefinition of semaphore.

(i) wait(semaphore * s)

```

{   s->value --
    if (s->value < 0)
        { add this process to s->list;
          block();
        }
    }
  
```

(ii)

```

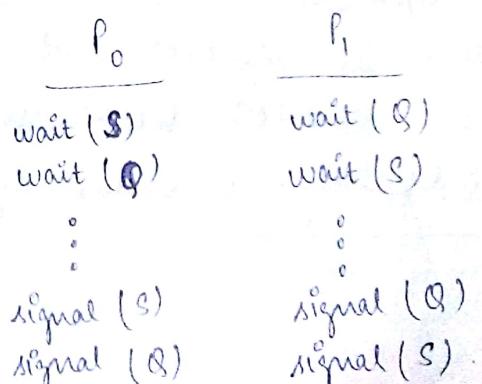
signal(semaphore * s)
{
    s->value++;
    if (s->value <= 0)
        { remove a process P from
          s->list;
          wakeup(P);
        }
    }
  
```

(iii)

```

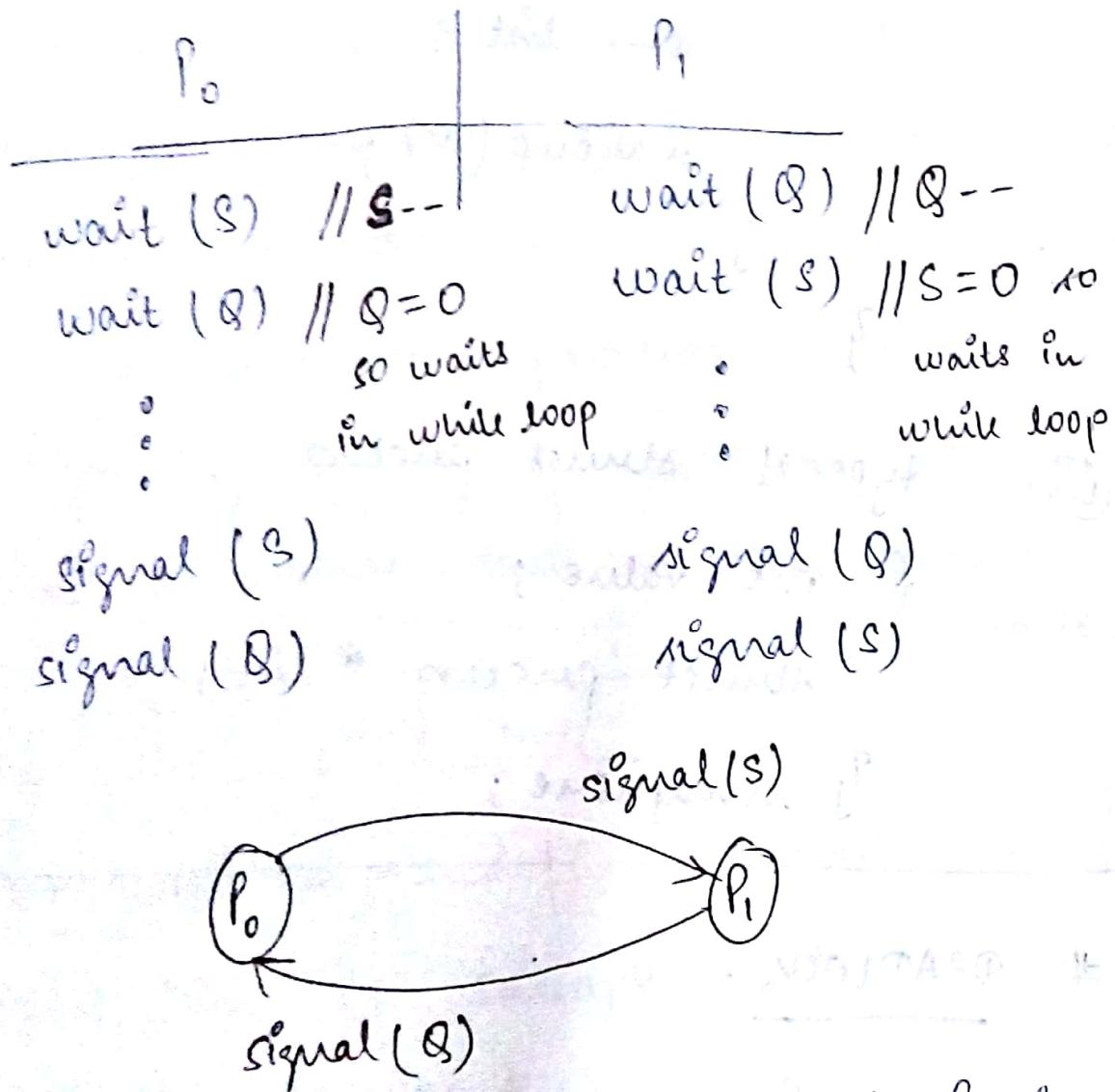
typedef struct process
{
    int value;
    struct process * list;
} semaphore;
  
```

DEADLOCK



If semaphores are not used in proper manner then, some problems like deadlock may occur.

e.g. suppose $S, Q \rightarrow 1, 1$, then



P_0 is waiting for signal(S) and P_1 is waiting for signal(Q) but both are waiting indefinitely. So, neither of them executes.

If semaphore Solution of Producer-Consumer
manner Problem using semaphores.
lock n

eg. full = 0, empty = n, mutex = 1

Producer: do { ...
 mutual exclusion.

 // produce an item in nextp

 ...
 wait(empty);

 wait(mutex);

 ...

 // add nextp to buffer

 ...
 signal(mutex);

 signal(full);

} while (TRUE);

Consumer: do { wait(full);
 wait(mutex);

 ...

 // Remove an item from buffer

 to nextc

signal(mutex);
signal(empty);

// consume the item in nextc

} while (TRUE);

'empty' tells the state of buffer.

'full' tells the no. of items in buffer.

'mutex' is shared variable.

Reader-Writer Problem

Reader: do {
 locking {
 wait(mutex);
 readCount++;
 if (readCount == 1)
 wait(wrt);
 signal(mutex);
 }
 ...
 }

// reading is performed

{
 wait(mutex);
 readCount--;

• reader processes share the semaphores mutex & wrt & an integer readCount.
Semaphore wrt is also shared by the writer processes

```

    looking } if (headCount == 0)
            signal (wait)
            signal (mutex)
}
y while (T);

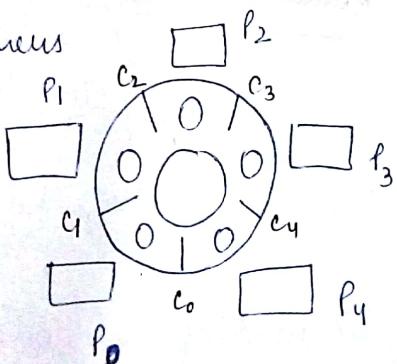
```

Writer: do { wait (wait); // this is actually
the previous wait
marked.
...
// writing is performed
...
...
signal (wait); // this is also the
previous signal
marked.

Dining Philosopher Problem.

There are 5 philosophers
and 5 chopsticks
(or spoons) repre-
sented by lines.

In the middle, a
bowl of rice is
kept. A philosopher eats by using two
chopsticks at a



time. How to handle the case when two
adjacent philosophers are hungry at the same
time.

solution:

semaphore array.
do { wait (chopstick [i]);
wait (chopstick [(i+1)% 5]);
...
// eat
...
signal (chopstick [i]);
signal (chopstick [(i+1)% 5]);
...
// think
...
y while (TRUE)

But this is not a proper solution because
deadlock situation may arise in the case
when all philosophers attempt to choose
left chopstick first and then the right
chopstick.

MONITOR •

(2) wait (mutex)

① Signal (mutex)

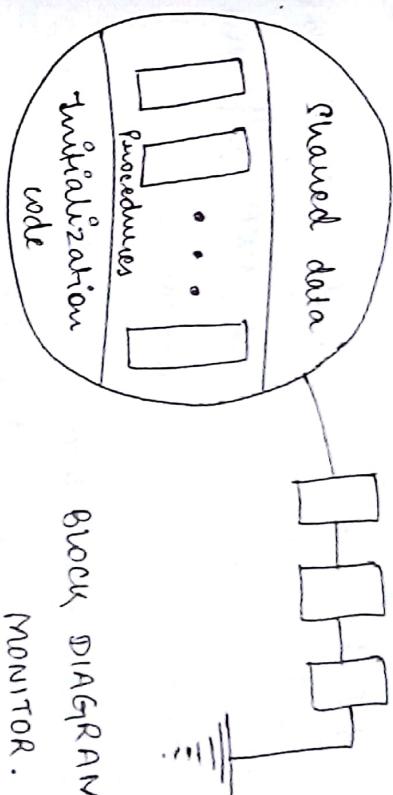
110
M. H. AL ABBAS

11 Critical Section

29 (Index)

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Entry open



BLOCK DIAGRAM OF MONITOR.

In the case (1), many processes are allowed to enter the CS (as $m_{max} = 1$ ($m_{initial} = 1$)) changes to $m_{max} = 2$). In the case (2), deadlock occurs. Many are waiting for the case (3), deadlock occurs.

Gemmaphores are not always useful as they undergo "running away" when not used properly.

Monitors are abstract data type (ADT).

private data is accessed through public methods.

Syntax for definition of innovation:

15 // shared data

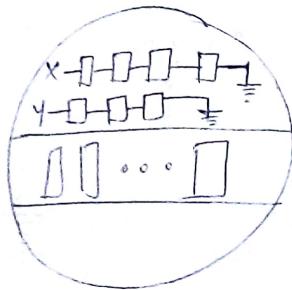
Properties of Monitor:-

If more than one processes are interested to do operation on the shared data using procedures, then at a time, monitor [] allows only one process to execute the monitor code & performs the operation. Other processes are put in the queue.

the processes waiting in the queue may undergo starvation. To avoid this, we use conditional variable.

Despite of putting the processes in the queue outside the monitor, we can put them inside the monitor as per some condition.

ans.



x and y are two different conditions and are the basis of two different queues.

There are also two methods —
wait() and signal().

- wait() method here is same as that in semaphores. But signal() method varies because in case of semaphores, the semaphore variable was always incremented ($\Delta +$). But in case of monitors, semaphore variable is incremented only when some process is waiting otherwise there is no change in the variable.

solution of Dining Philosophers problem using Monitor.

monitor dp

```
{ enum { THINKING, HUNGRY, EATING } state[5];
condition self[5]; // conditional variable.
```

```
void pickup(int i)
{ state[i] = HUNGRY;
  test(i);
  if (state[i] != EATING)
    self[i].wait();
```

```
}
```

void putdown(int i) // releases the chopstick.

```
{ state[i] = THINKING;
  test((i+4)%5);
  test((i+1)%5);
```

}

void test(int i) // used to check whether both chopsticks available

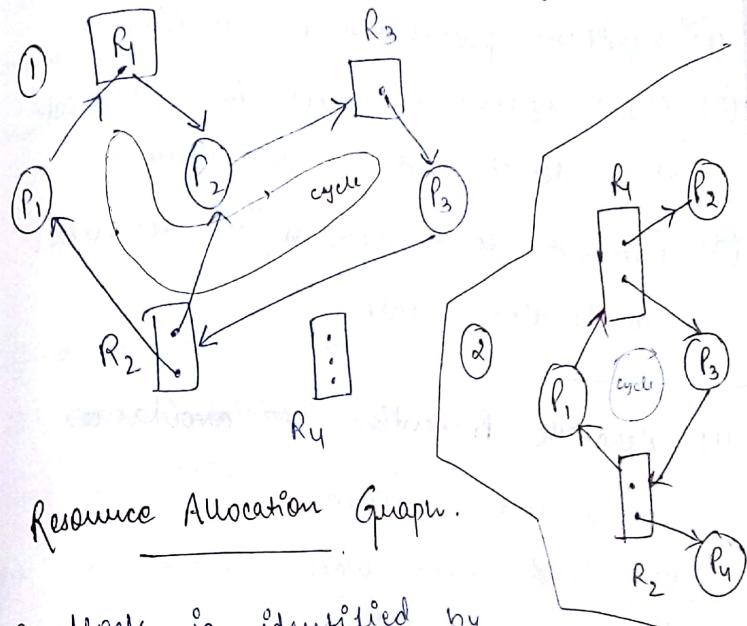
```
{ if ((state[(i+4)%5] != EATING) && (state[i] == HUNGRY) && (state[(i+1)%5] != EATING))
```

```
{ state[i] = EATING; self[i].signal();
}
```

```
initialization-code()
{ for(int i=0; i<5; i++)
    state[i] = THINKING;
```

If all these four conditions satisfied simultaneously, then there is deadlock.

Deadlock identification using Graphs.



following conditions ensure that our system
is in deadlock state —

- (1) Mutual Exclusion
 - (2) Hold-and-wait (Holding one resource and waiting for another)
 - (3) No preemption (resource).
 - (4) Circular wait. (mean in $P_1, P_2, P_3 \dots P_n$ if P_i is waiting for resource held by P_2 , P_2 is waiting for resource held by $P_3 \dots P_n$ is waiting for P_1)

Deadlock is identified by
checking if there is cycle or not.

No cycle \rightarrow no deadlock

cycle → deadlock may be
(not sure)

Here, in given eq.,

Only 1st one has dea

not have deadlock.

Solutions to tackle the deadlock.

(DEADLOCK HANDLING.)

- (1) Deadlock prevention or avoidance.
- (2) Allow system to enter into deadlock state, detect and do recovery.
- (3) Pretend that system ^{is} never enters into deadlock state.

(I) Deadlock Prevention ~~or avoidance.~~

- (i) mutual exclusion
 - (ii) hold - and - wait
 - (iii) no preemption
 - (iv) circular wait.
- mutual exclusion (ME)
-
- ```

graph TD
 P((P)) --> R[R]
 R --> R1[R1]
 R1 --> R2[R2]

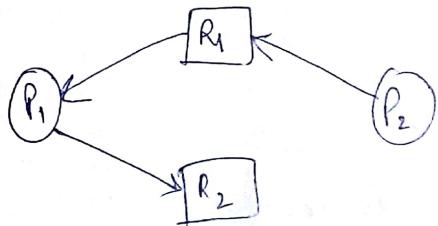
```
- Shareable resources (Possibility of violation of ME)
- Non-shareable resources (no possibility)
- hold and wait

This condition can be violated if we give the process all the required resources from the

very beginning because even it will not go into waiting state as it has all resources that it requires. This condition can also be violated when before making any resource request, the other process releases all the resources. In this case, there will not be any holding.

e.g. DVD drive → file on disk → Print content on printer.

- i) requesting resources unnecessarily
- ii) over utilisation of resources
- iii) starvation problem.
- no preemption.



If P<sub>1</sub> releases R<sub>1</sub> voluntarily then P<sub>2</sub> can utilise R<sub>1</sub>.

- circular wait

To avoid circular wait, a protocol called

"Total ordering of Resources" is followed

## # Total ordering of Resources.

$$F(R) \rightarrow N$$

$$f(\text{DVD Drive}) = 1$$

$$f(\text{Disk}) = 4$$

$$f(\text{Printer}) = 10$$

corresponding to each resource, an integer value is allotted. Resources are requested on the basis of increasing order of the allotted numbers.



$P_i$  is holding  $R_i^o$  and requesting for  $R_{i+1}^o$ .

## # Deadlock Avoidance.

Here we use refinement of all the processes and design an algorithm ensuring that the system never goes into deadlock state.

corresponding to all processes, we consider the maximum demand.

eg. 1) Process

| Process | Maximum Demand | Current Need |
|---------|----------------|--------------|
| $P_0$   | 10             | 5            |
| $P_1$   | 4              | 2            |
| $P_2$   | 9              | 2            |
|         |                | 9            |

→ Safe state and Safe sequence.

If initially we assume that system not in deadlock state and after executing the algorithm, if the state remains the same then we call it safe state.

If after execution of the algorithm, the system not in deadlock state then we say that process is a part of safe sequence  $\langle P_1, P_2, \dots, P_n \rangle$ .

If we are able to find a safe sequence then our system never goes into deadlock state by executing processes in the sequence.

Assume in the given eg. 1) that  $R=12$  instances.

Safe sequence :-

$\langle P_1, P_0, P_2 \rangle$

Now, a process gets available resource as per requirement, then uses it and releases all its resources.

After execution of all two processes, 12 instances of resource is remaining.

$$\begin{array}{r}
 \text{Available Resource} \\
 \hline
 \boxed{3} \\
 - 2 \\
 \hline
 1 \\
 + 4 \\
 \hline
 5 \\
 - 5 \\
 \hline
 0 \\
 + 10 \\
 \hline
 10 \\
 - 7 \\
 \hline
 3 \\
 + 9 \\
 \hline
 12
 \end{array}$$

2. find an index  $i$  such that  $\text{finish}[i] == \text{false}$

$\text{Need}_i \leq \text{WORK}$

If no such  $i$  exists, go to step 4

3.  $\text{WORK} = \text{WORK} + \text{Allocation}_i$

$\text{Finish}[i] = \text{TRUE}$ ;

Go to step 2.

4. If  $\text{Finish}[i^*] == \text{TRUE}$  for all  $i$ , then system is in safe state.

$\text{Need}[i][j] = \text{MAX}[i][j] - \text{Allocation}[i][j]$

$a \leq y$  if  $a[i] \leq y[i]$  for all  $i$ .

# Generalised algorithm (  $n$  Processes,  $m$  Resources).  
(Vishal)  
 (BANKER'S ALGORITHM).

Steps -

- Let  $\text{WORK}$  and  $\text{FINISH}$  be vectors of length  $m$  and  $n$ , initialized with  $\text{WORK} = \text{AVAILABLE}$  and  $\text{FINISH}[i] = \text{false}$  for  $i=0, 1, \dots, n-1$

| eg. Process    | Allocation |   |   | MAX |   |   | Available |   |   |
|----------------|------------|---|---|-----|---|---|-----------|---|---|
|                | A          | B | C | A   | B | C | A         | B | C |
| P <sub>0</sub> | 0          | 1 | 0 | 7   | 5 | 3 | 3         | 3 | 2 |
| P <sub>1</sub> | 2          | 0 | 0 | 3   | 2 | 2 |           |   |   |
| P <sub>2</sub> | 3          | 0 | 2 | 9   | 0 | 2 |           |   |   |
| P <sub>3</sub> | 2          | 1 | 1 | 2   | 2 | 2 |           |   |   |
| P <sub>4</sub> | 0          | 0 | 2 | 4   | 3 | 3 |           |   |   |

5 processes, 3 resources and each process uses certain instances as shown in table. We need to find the safe sequence.

| Process        | Need ( $(\text{MAX}[i][j] - \text{Allocation}[i][j])$ ) |   |   |
|----------------|---------------------------------------------------------|---|---|
|                | A                                                       | B | C |
| P <sub>0</sub> | 7                                                       | 4 | 3 |
| P <sub>1</sub> | 1                                                       | 2 | 2 |
| P <sub>2</sub> | 6                                                       | 0 | 0 |
| P <sub>3</sub> | 0                                                       | 1 | 1 |
| P <sub>4</sub> | 4                                                       | 3 | 1 |

$$\text{work} = \text{Available}$$

$$\begin{array}{r}
 \text{A} \quad \text{B} \quad \text{C} \\
 \hline
 3 & 3 & 2 \\
 + & 2 & 0 & 0 \\
 \hline
 5 & 3 & 2 \\
 + & 0 & 2 & 1 \\
 \hline
 7 & 4 & 3 \\
 + & 0 & 0 & 2 \\
 \hline
 7 & 4 & 5 \\
 + & 0 & 1 & 0 \\
 \hline
 7 & 5 & 5
 \end{array}$$

Now, P<sub>1</sub> needs less than available so include it in sequence.

$\boxed{(P_1, P_3, P_4, P_0, P_2)}$

Date : 24<sup>th</sup> Oct, 2018.

- 1) Request of P<sub>i</sub>  $\rightarrow$  Request(i, 0, 2) (function)
- 2) If Requests  $\leq$  Needi  $\left[ \begin{array}{l} \text{if these two conditions} \\ \text{are satisfied} \end{array} \right]$
- 3) If Requests  $\leq$  Available  $\left[ \begin{array}{l} \text{then, system is} \\ \text{in safe state.} \end{array} \right]$
- 4) Available = Available - Requests

$$\text{Allocation}_i = \text{Allocation}_i + \text{Request}_i$$

$$\text{Need}_i = \text{Need}_i - \text{Request}_i$$

$$\begin{array}{r}
 \text{Available} = 332 \quad \text{Allocation:} \\
 - 102 \\
 \hline
 230 \quad 200
 \end{array}$$

$$\begin{array}{r}
 - 102 \\
 \hline
 122 \quad 102
 \end{array}$$

$$\begin{array}{r}
 + 102 \\
 \hline
 302
 \end{array}$$

$$\text{Need: } 122 - 102 = 020$$

| Process        | Allocation |   |   | MAX |   |   | Need |   |   |
|----------------|------------|---|---|-----|---|---|------|---|---|
|                | A          | B | C | A   | B | C | A    | B | C |
| P <sub>0</sub> | 0          | 1 | 0 | 7   | 5 | 3 | 7    | 4 | 3 |
| P <sub>1</sub> | 3          | 0 | 2 | 3   | 2 | 2 | 0    | 2 | 0 |
| P <sub>2</sub> | 3          | 0 | 2 | 9   | 0 | 2 | 6    | 0 | 0 |
| P <sub>3</sub> | 2          | 1 | 1 | 2   | 0 | 2 | 0    | 1 | 1 |
| P <sub>4</sub> | 0          | 0 | 2 | 4   | 3 | 3 | 4    | 3 | 1 |

$$\text{Available: } 2 \quad 3 \quad 0$$

2 3 0

3 0 2

5 3 2

2 1 3

7 4 3

0 0 2

7 4 5

0 1 0

4 5 5

3 0 2

10 5 7

0 0 0

7 4 2

0 0 0

7 4 1

2 3 0

2 3 0

2 3 0

2 3 0

2 3 0

2 3 0

2 3 0

2 3 0

2 3 0

### # Deadlock Detection.

wait for Graph  $\rightarrow$  applicable for single resource instances.

for single resource instances.

$P_1, P_2, P_3, P_4, P_5$

$R_1, R_2, R_3, R_4, R_5$

$P_1 \rightarrow R_1, R_2$

$P_2 \rightarrow R_2, R_3, R_4$

$P_3 \rightarrow R_3, R_4$

$P_4 \rightarrow R_4, R_5$

$P_5 \rightarrow R_5$

Resource allocation graph.

wait for Graph  $\rightarrow$  Resource allocation graph.

$P_i \rightarrow R_j \rightarrow P_k$

symbol for equivalence.  $P_i \rightarrow P_j$

- (i) Let WORK and FINISH be the vector initialized as WORK = Available for  $i=0, 1, \dots, m$  if Allocation $[i] \neq 0$  then FINISH $[i] = \text{FALSE}$  otherwise FINISH $[i] = \text{TRUE}$
- (ii) FINISH $[i] = \text{FALSE}$
- (iii) Find an index  $i$  s.t.
- FINISH $[i] = \text{FALSE}$
  - Request $[i] \leq \text{WORK}$
  - If no such  $i$  exists then go to step (iv)
- (iv) WORK = WORK + Allocation $[i]$
- FINISH $[i] = \text{TRUE}$
- (v) If FINISH $[i] = \text{FALSE}$  for some  $i$  then the system is in deadlock.

Example.

$\langle P_0, P_1, P_2, P_3, P_4 \rangle$

| Process        | Allocation |   |   | Request |   |   | Available |   |   |
|----------------|------------|---|---|---------|---|---|-----------|---|---|
|                | A          | B | C | A       | B | C | A         | B | C |
| P <sub>0</sub> | 0          | 1 | 0 | 0       | 0 | 0 | 0         | 0 | 0 |
| P <sub>1</sub> | 2          | 0 | 0 | 2       | 0 | 2 | 0         | 1 | 0 |
| P <sub>2</sub> | 3          | 0 | 3 | 0       | 0 | 0 | 3         | 0 | 3 |
| P <sub>3</sub> | 2          | 1 | 1 | 1       | 0 | 0 | 3         | 0 | 3 |
| P <sub>4</sub> | 0          | 0 | 2 | 0       | 0 | 2 | 2         | 0 | 0 |
|                |            |   |   |         |   |   | 5         | 0 | 3 |
|                |            |   |   |         |   |   | 2         | 1 | 1 |

- Banker's algo works on the hypothesis that in form of MAX field while here actual measures and conditions are checked after system is entered in deadlock. Here, in this algo, we have request field. To check whether request is granted or not, safe sequence is checked.

### # Deadlock Recovery.

- Process abort (breaks cyclic break condition)
- Resource preemption

There are two ways of process aborting

- About all the processes at the same time. By this, we reach to initial
- About processes one by one.

Both the ways have some disadvantages.

For (i), if we abort all the processes, then computation overhead will be very much because some processes might be in their last stage of execution. After aborting, they'll have to be restarted from the beginning.

For (ii), there may be the possibility that even after aborting processes one by one, the system may still be in deadlock state. Identifying the process whose abortion will remove deadlock is difficult. (It is still a research problem.)

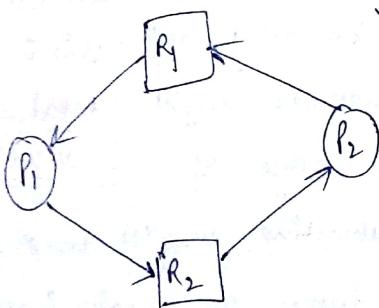
stage where all the resources were free for use.  
This is called total aborting.

- Resource Preemption.

In this, we break / abort / release the resource. Here also the challenge is to find the victim resource whose release will remove deadlock.

- Role Backing.

If we preempt a particular resource  $R_1$ , then  $P_1$  (which needs resource  $R_1$ ) will again claim for  $R_1$  after some time.



This time is called role backing.

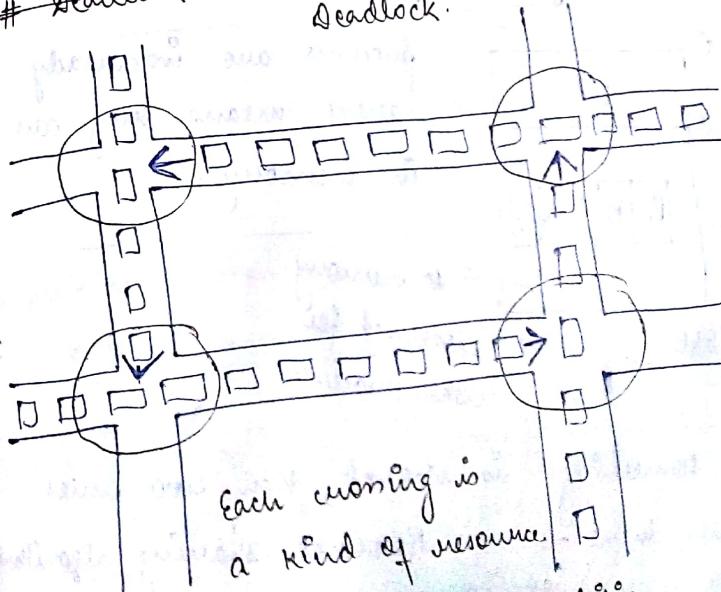
One solution of role backing is that we roll back processes at the very beginning of their execution so that they can restart. Another solution is to roll back ~~at~~ after the last safe state. Both of these are difficult to achieve. This is similar to the Amdahl's law situation where in case of error in transaction.

either we can restart the transaction by cancelling the previous one or we can have a window displaying the last safe step (that was properly executed) e.g. identification of Pin no. & account).

- Starvation Problem.

Preemption selection algorithm may select a particular resource again and again so that processes waiting for that resource starve forever.

# Deadlock # Road crossing example of Deadlock.



Each crossing is a kind of resource.

Now, check the four condition.

Mutual exclusion ✓ satisfied

Held and wait ✓ "

No preemption ✓ "

Circular wait ✓ "

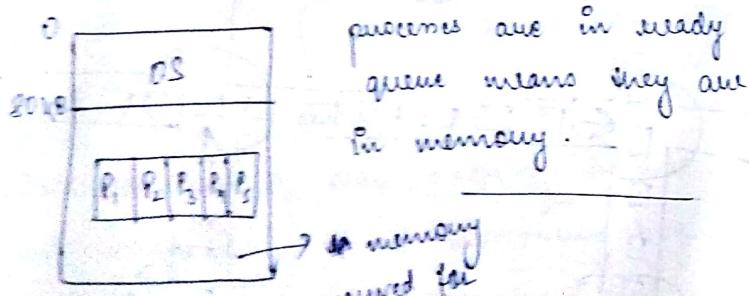
Hence, the problem is in deadlock state.

• How to solve this deadlock problem?

Give solution <sup>one each</sup> for each of the four conditions.

Date : 31/10/18.

## # Memory management.

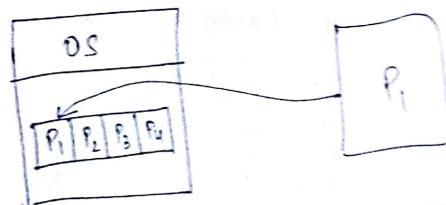


If something is shared, then two cases are there — (i) Resource sharing algorithm (ii) Protection mechanism.

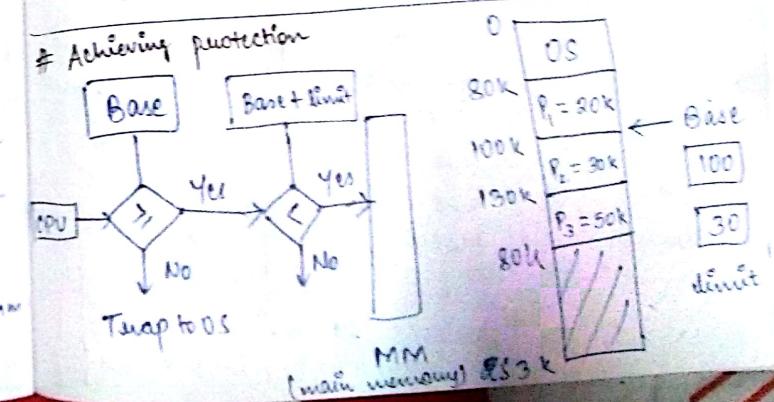
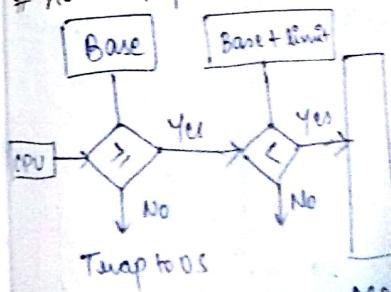
Protection mechanism is for protecting one process's area from other processes' interference.

These two are the main concern of the memory management.

# Resource sharing algo. → Paging  
→ Segmentation  
These three require some hardware support that does the mapping of processes into the memory.



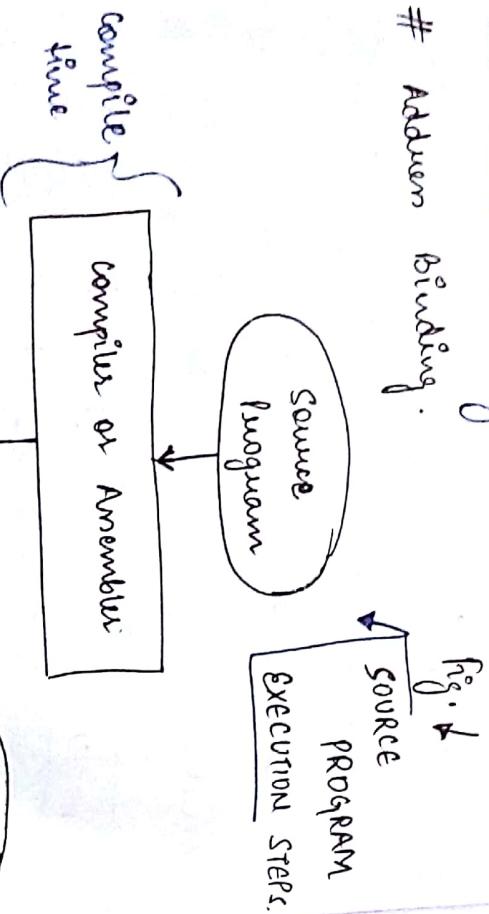
### # Achieving protection



base and limit are the two registers for providing protection.

CPU (processor) generates some address (say 122) then it is checked and after meeting the conditions, it is mapped to the main memory.

# Address Binding:



# Binding types —

- 1) Compile - time binding
- 2) Load-time binding
- 3) Execution - time binding.

In general, users are given processes put-  
tered by a compiler.

:

i) precompiling

ii) compilation

iii) assembly

iv) linking

After the compilation,  
we get a single

object file.

Inside the main-  
memory, our

program (the loaded one) is present in  
the form of bytes. Process image in  
the # one actually present in memory  
representing the user

## # Address types —

- 1) Symbolic addresses (symbols / variables used)
- 2) Relocatable addresses (some other address can be relocated using the base address)
- 3) Absolute addresses.  
(actual address reflected in the main memory)

• If compile-time binding used, the location of program in main memory is known in advance. No changes are allowed after compilation.

• If load-time binding used, addresses are computed at the time of loading.

• Execution-time binding is the run-time binding. Addresses are ~~completely~~ computed at run-time as per requirement. It is better than the other two.

## # Drawbacks.

- 1) compile-time needs binding needs to fix the address of a process in memory even though it may not be required later on.

2) To shift from one place to another, mapping should be known.

## # Dynamic loading and Dynamic linking

If something is desired at the execution time, then only that process is loaded.

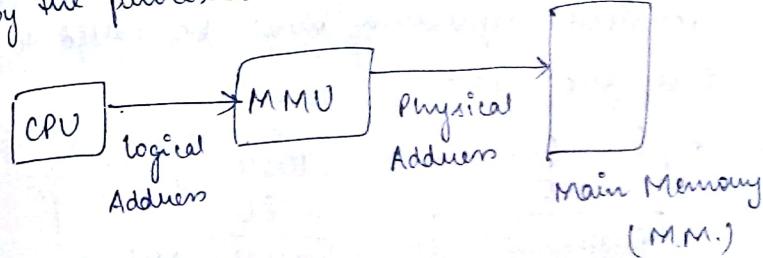
linking at the time of execution  
eg. when we have conditional code like if(- -) else

Suppose if a system call is there in if block then that will be linked at run time

# Logical Address and Physical Address.

Address generated by the processor.

Actual address reflected inside the M.M.



## # Logical Address Space and Physical Address Space:

LAS → Set of all logical addresses belonging to a particular process.

Fetch → Decode → Execute → Write Back

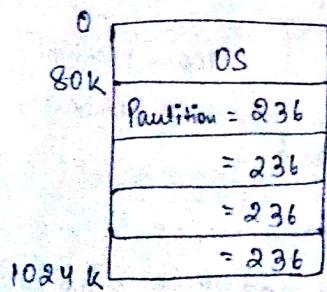
# Mapping of logical Address to Physical Address.

## 2. CONTIGUOUS MEMORY ALLOCATION.

- i) divide memory in fixed no. of partitions
- ii) divide memory in variable no. of partitions.

→ fixed no. of partitions.  
i) All components of a process are allocated memory in contiguous manner.

If contiguous memory not present then the process has to wait, or some replacement algorithm must be called to free the space.



$$\begin{array}{r}
 1024 \\
 - 80 \\
 \hline
 4) 944(236 \\
 \underline{- 8} \\
 \hline
 14 \\
 \underline{- 12} \\
 24 \\
 \underline{- 24} \\
 X.
 \end{array}$$

ii) Variable no. of partitions.

|      |                       |
|------|-----------------------|
| 0    | OS                    |
| 118K | P <sub>1</sub> = 78K  |
| 168K | P <sub>2</sub> = 50K  |
| 268K | P <sub>3</sub> = 100K |
| 293K | P <sub>4</sub> = 25K  |
| 493K | P <sub>5</sub> = 200K |
| 512K | P <sub>6</sub> = 75K  |

available 19K

Now, 19K is free space available and if P<sub>6</sub> makes request then it is not allowed to map as it requires 75K. But, suppose if P<sub>1</sub> (= 78K) completes its execution then P<sub>6</sub> will be allocated memory because then P<sub>1</sub>'s 78K will get free. unutilized space inside a partition

# Fragmentation → internal fragmentation  
→ external "

|                       |
|-----------------------|
| OS                    |
| P <sub>6</sub> = 75K  |
| /                     |
| P <sub>2</sub> = 50K  |
| P <sub>3</sub> = 100K |
| P <sub>4</sub> = 25K  |
| P <sub>5</sub> = 200K |
| / / . / / / / /       |
| 19K                   |

This 3K space can't be utilised because processes normally required larger memory.

Date : 02/11/18

- Variable length partitioning in contiguous memory allocation is also called dynamic memory allocation.

## # Contiguous Memory Allocation

→ Fixed partitioning

→ Variable partitioning → first fit

→ Best fit

→ Worst fit

• First fit (allocate the 1<sup>st</sup> hole, i.e., big enough to accommodate a process)

• Best fit (allocate the smallest hole that is big enough to accommodate a process)

• Worst fit (allocate the largest hole that is big enough to accommodate a process).

| Example          |                |                |                |                |                |
|------------------|----------------|----------------|----------------|----------------|----------------|
| (Available free) |                |                |                |                |                |
|                  | 100KB          | 500KB          | 200KB          | 300KB          | 600KB          |
| First fit        | P <sub>1</sub> | P <sub>3</sub> | P <sub>1</sub> | P <sub>4</sub> | P <sub>2</sub> |
| Best fit         | P <sub>2</sub> | P <sub>3</sub> | P <sub>1</sub> | P <sub>3</sub> | P <sub>1</sub> |
| Worst fit        | P <sub>2</sub> | P <sub>3</sub> | P <sub>1</sub> | P <sub>3</sub> | P <sub>1</sub> |

Diagram showing memory blocks of 100KB, 500KB, 200KB, 300KB, and 600KB. Available free space is labeled above each block. Allocation is shown for processes P<sub>1</sub>, P<sub>2</sub>, and P<sub>3</sub> under three different fit algorithms: First Fit, Best Fit, and Worst Fit.

we have : P<sub>1</sub> = 212 KB, P<sub>2</sub> = 417 KB,  
P<sub>3</sub> = 112 KB, P<sub>4</sub> = 426 KB.

i) First fit : internal frag. = 288 + 88 + 183  
external frag. = 0

P<sub>4</sub> is not being granted in the first fit and worst fit because no memory remaining to accommodate it.

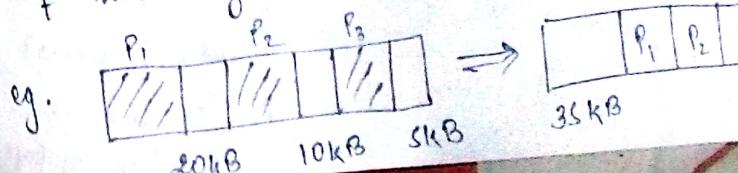
Hence, best fit algorithm is the best for contiguous memory allocation.

## # Solution of Internal and External Fragmentations.

### 1) Solution of External fragmentation

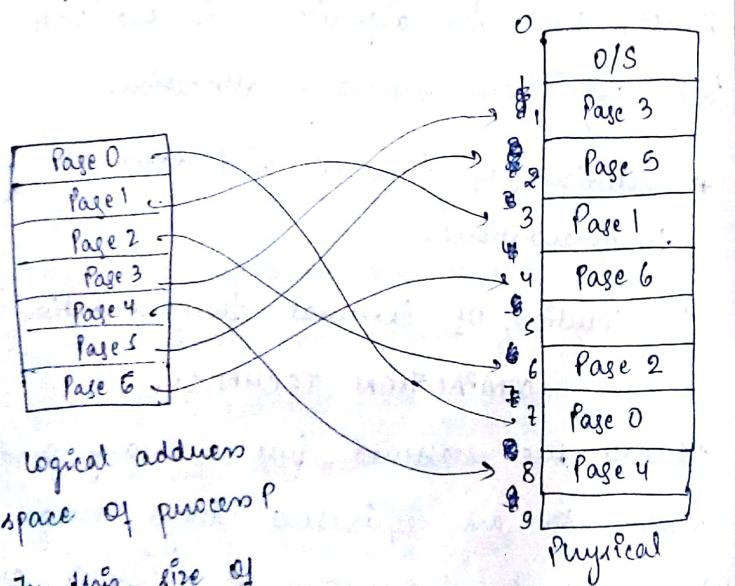
#### — COMPACTION TECHNIQUE

Compact the scattered free memory and make for an equivalent single large block of free memory in another space of memory.



compaction technique doesn't work in case of compile-time binding because in case of compile-time, addresses are allocated at compile-time and can't be moved further. So, compaction will not be possible in this case.

- Another solution — PAGING.



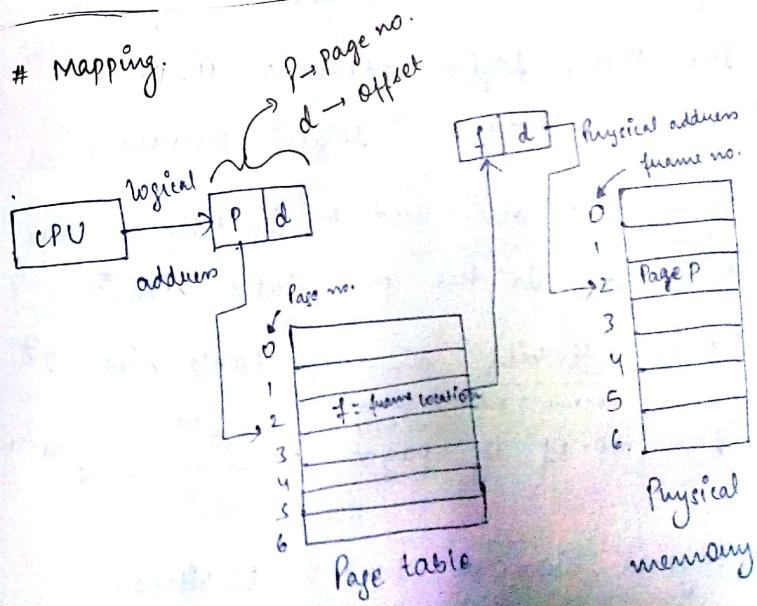
logical address space of process P  
(In this, size of each segment is equal to the size of a page)

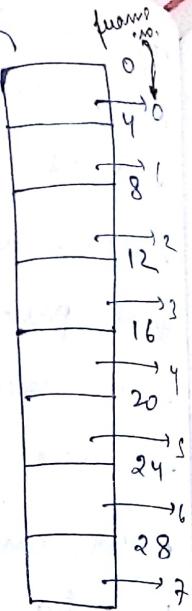
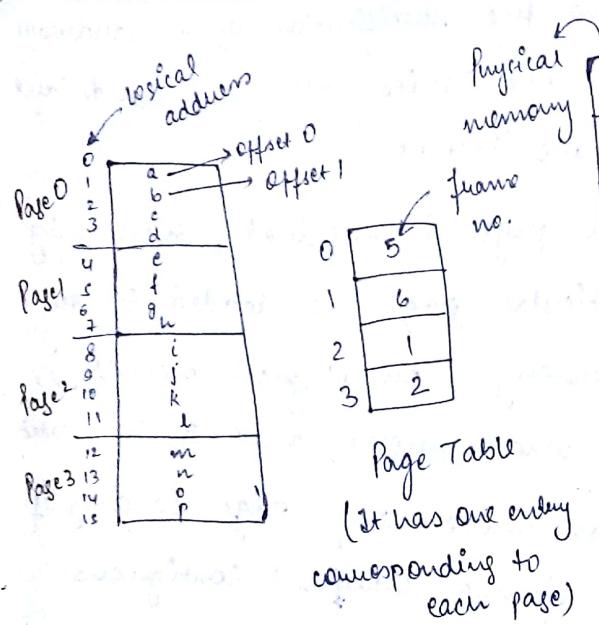
(It is partitioned into frames)  
(size of frame = size of page)

Page size is the specification of a hardware, i.e., page size varies with the hardware and its architecture.

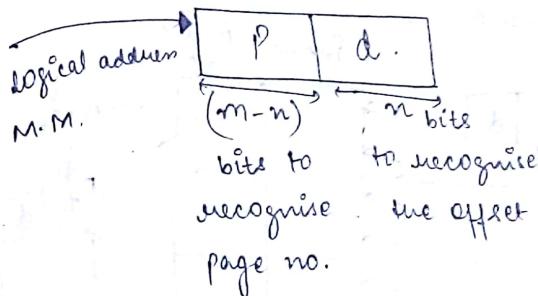
- when a page is required, then only that particular page is loaded to the main memory (or physical memory), not the whole process need to be loaded.
- we can move any page to any of the free frame location. Contiguous allocation is not necessary.

### # Mapping:





$\frac{16}{4} = 4$  pages in this case.



que. logical add. = 0  
ans: 20  
23  
24  
6

what would be their corresponding physical address?

sol. logical add. 0  $\Rightarrow$  page no. 0  
offset 0

so, checks 0<sup>th</sup> no. in page table where page no. is 5. so, goes to 5<sup>th</sup> frame in the physical memory and allocates the corresponding offset.

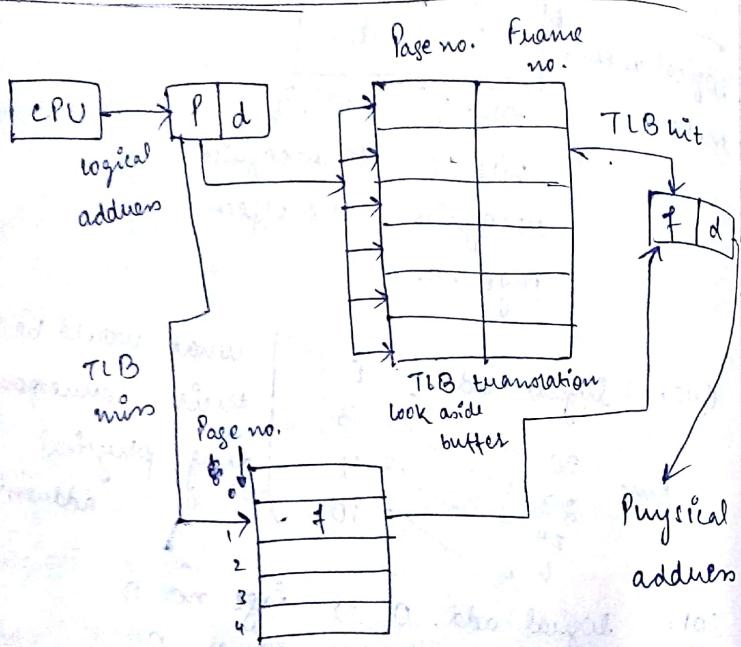
Now, 2-bits, 10, page table size =  $2^9$ .

because 4 entries in our page  
we have.

so, no. of pages =  $\frac{2^m}{2^n} = 2^{m-n}$

Physical memory here = 32 bytes.

# Paging solves external fragmentation  
but doesn't solve internal fragmentation



If page no. is present in look aside buffer then it is called TLB ~~miss~~ hit otherwise called TLB miss.

### # Hit Ratio (%)

Main memory reference = 100 usec

TLB reference = 20 usec

Hit Ratio = 80 %

Effective access time = ?

Sol. 80% of the time, the page is available  
20 ns for searching & 100 ns to place it in main memory.

$$\begin{aligned}
 \text{EAT} &= 0.80 \times 120 + 0.20 \times 220 \\
 &\quad \xrightarrow{\text{Effective Access Time}} \\
 &= 132 \times 8 + 2 \times 2 \\
 &= 984 + 4.4 = 1480 \text{ nsec}
 \end{aligned}$$

If hit ratio is 98%, then find EAT?

$$\begin{aligned}
 \text{Sol. } \text{EAT} &= 0.98 \times 120 + 0.02 \times 220 \\
 &= 98 \times 1.2 + 2 \times 2.2 \\
 &= 117.6 + 4.4 \\
 &= 122.0 \text{ ns}
 \end{aligned}$$

If hit ratio is 100%, then EAT?

$$\text{Sol. EAT} = 120 \text{ ns}$$

# So, increasing the hit ratio decreases the EAT.

# Here, 20ns is the overhead time for switch using paging because paging is ~~an~~ ~~an~~