



Project 1: **4 days left**

Prevention-Based Cyber Security: Program Testing

CS 459/559: Science of Cyber Security
11th Lecture

Instructor:
Guanhua Yan

Agenda

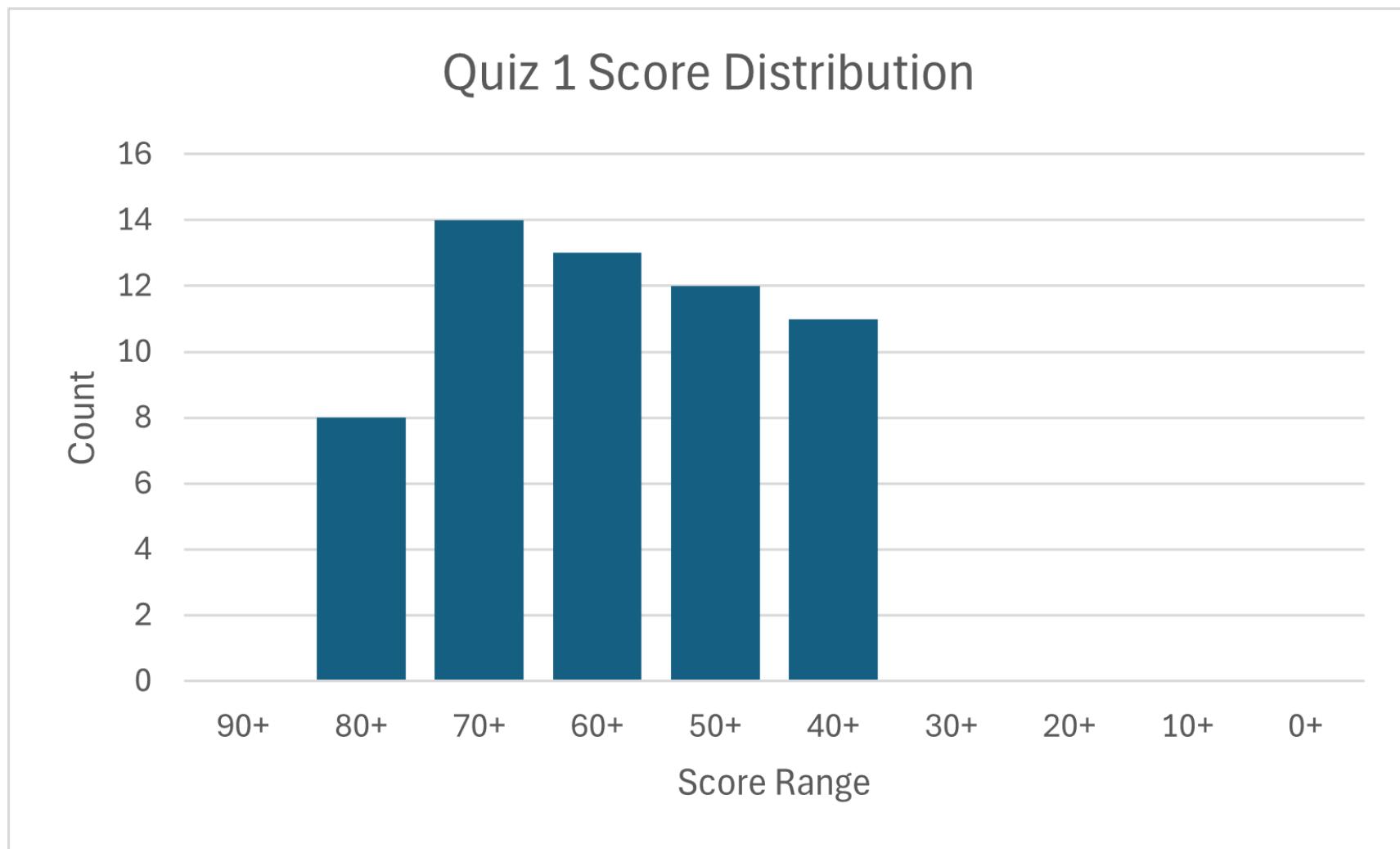
- ~~Quiz 1: September 29 (closed book)~~
- Project 1 (offense): October 10
- Project 2 (defense): December 5
- Presentations: 11/17, 11/19, 11/24, 12/1, 12/3
- Final report: December 15



How do you think of first quiz?

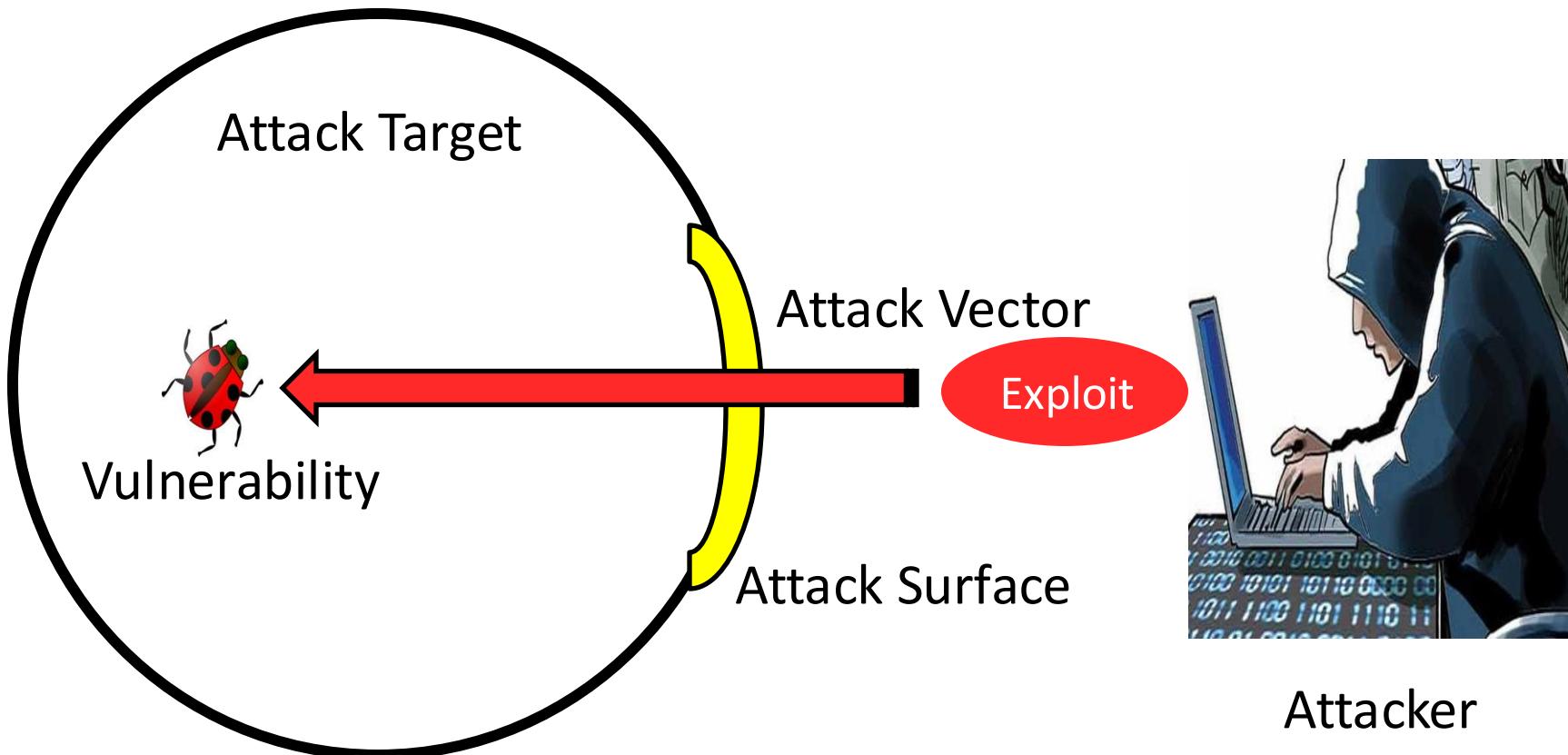
- A: Too difficult
- B: Too easy
- C: About right
- D: Refuse to comment

Quiz 1 score distribution



Goal of program testing

- Develop techniques to discover and patch vulnerabilities before they are exploited



Attacker

Outline

- Fuzzing
- Symbolic execution
- Concolic execution

Fuzzing



Fuzz Testing

- Run program on many **random, abnormal** inputs and look for bad behavior in the responses
 - Bad behaviors such as crashes or hangs
- What are the benefits of fuzz testing over regular testing?



Fuzz Testing (Bart Miller, U. Of Wisconsin)

- A night in 1988 with thunderstorm and heavy rain
- Connected to his office Unix system via a dial up connection
- The heavy rain introduced noise on the line
- Crashed many UNIX utilities he had been using everyday
- He realized that there was something deeper
- Asked three groups in his grad-seminar course to implement this idea of fuzz testing
 - Two groups failed to achieve any crash results!
 - The third group succeeded! Crashed 25-33% of the utility programs on the seven Unix variants that they tested



Fuzz Testing

- Approach
 - Generate random inputs
 - Run lots of programs using random inputs
 - Identify crashes of these programs
 - Correlate random inputs with crashes
- **Errors found:** Not checking returns, Array indices out of bounds, not checking null pointers, ...



Fuzz Testing Overview

- Black-box fuzzing
 - Treating the system as a blackbox during fuzzing; not knowing details of the implementation
- Grey-box fuzzing
- White-box fuzzing
 - Design fuzzing based on internals of the system



Black Box Fuzzing

- Example that would be hard for black box fuzzing to find the error

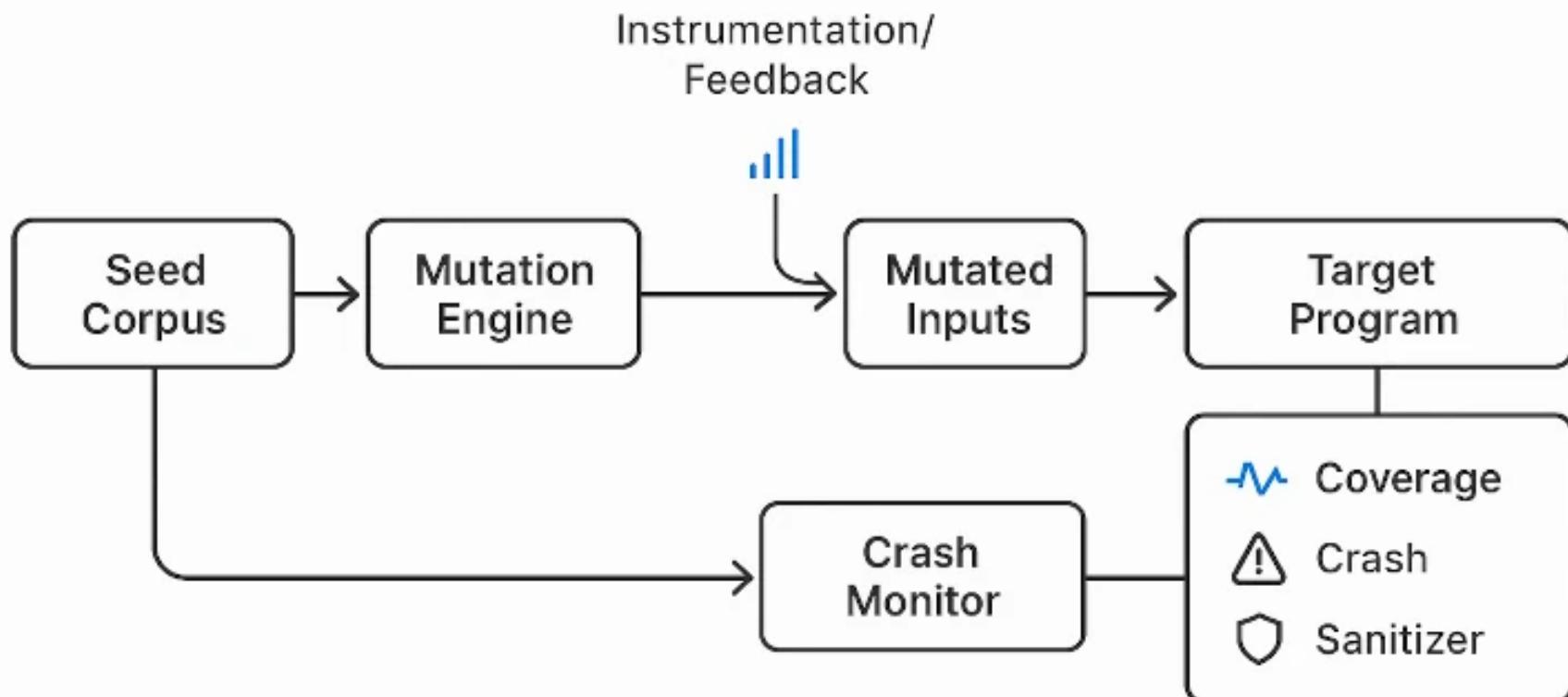
```
function( char *name, char *passwd, char *buf )
{
    if ( authenticate_user( name, passwd ) ) {
        if ( check_format( buf ) ) {
            update( buf ); // crash here
        }
    }
}
```



Mutation-Based Fuzzing

- User supplies a well-formed input
- Fuzzing: Generate random changes to that input
- No assumptions about input
 - Only assumes that variants of well-formed input may be problematic
- Example: zzuf
 - <http://sam.zoy.org/zzuf/>
 - Reading: The Fuzzing Project Tutorial

MUTATION FUZZING WORKFLOW





Mutation-Based Fuzzing

○ The Fuzzing Project Tutorial

- zzuf -s 0:1000000 -c -C 0 -q -T 3 objdump -x win9x.exe
- Fuzzes the program objdump using the sample input win9x.exe
- Try 1M seed values (-s) from command line (-c) and keep running if crashed (-C 0) with timeout (-T 3)

```
zzuf [-AcdimnqSvxX] [-s seed|-s start:stop] [-r ratio]-r  
min:max] [-f fuzzing] [-D delay] [-j jobs] [-C crashes] [-B  
bytes] [-t seconds] [-T seconds] [-U seconds] [-M mebibytes]  
[-b ranges] [-p ports] [-P protect] [-R refuse] [-a list] [-l  
list] [-I include] [-E exclude] [-O opmode] [PROGRAM  
[ARGS]...]  
zzuf -h | --help  
zzuf -V | --version
```



Mutation-Based Fuzzing

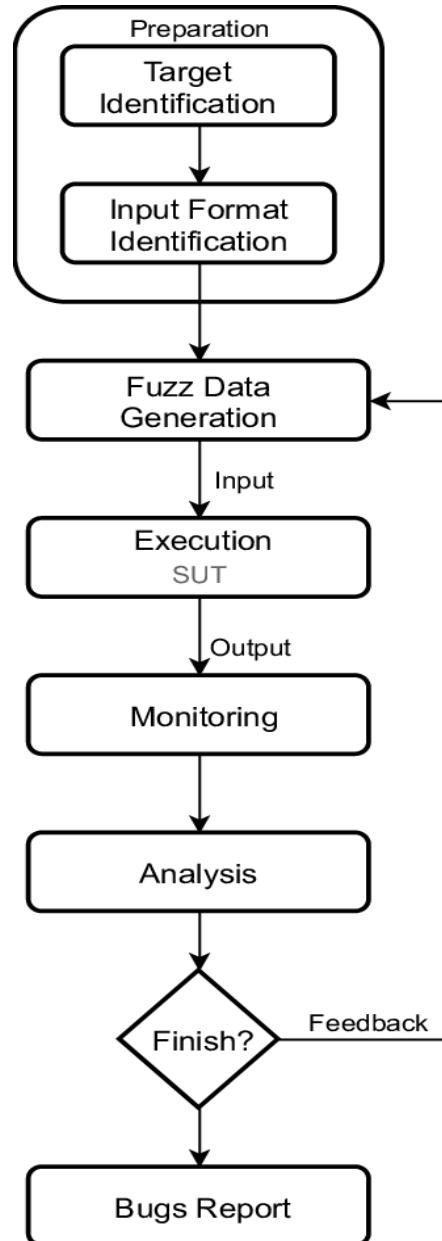
- Easy to setup, and not dependent on program details
- But may be strongly biased by the initial input
- Still prone to some problems
 - May re-run the same path over again (same test)
 - May be very hard to generate inputs for certain paths (checksums, hashes, restrictive conditions)



Generation-Based Fuzzing

- Generational fuzzers generate inputs “from scratch” rather than using an initial input and mutating
- However, require the user to specify a format or protocol spec to start
 - Equivalently, write a generator for generating well-formatted input
- Examples include
 - SPIKE, Peach Fuzz
- However format-aware fuzzing is cumbersome, because you'll need a fuzzer specification for every input format you are fuzzing

Generation-Based Fuzzing Workflow





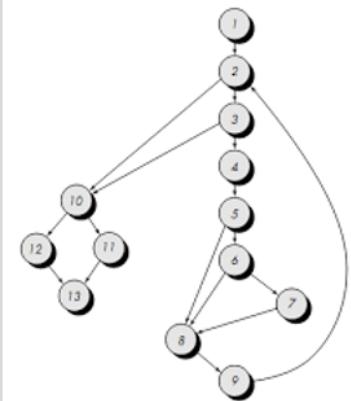
Generation-Based Fuzzing

- Can be more accurate, but at a cost
- **Pros:** More complete search
 - Values more specific to the program operation
 - Can account for dependencies between inputs
- **Cons:** More work
 - Get the specification
 - Write the generator – ad hoc
 - Need to do for each program

100

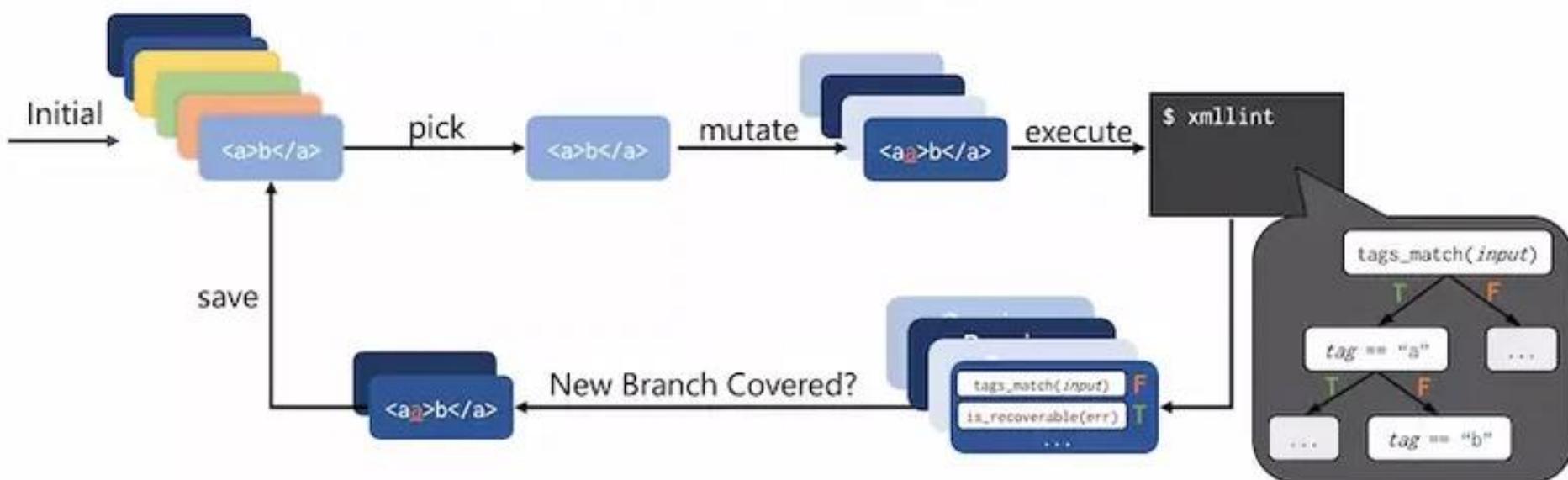
Coverage-Based Fuzzing

- AKA grey-box fuzzing
 - Rather than treating the program as a black box, instrument the program to track coverage
 - E.g., the edges covered
 - Maintain a pool of high-quality tests
 - Start with some initial ones specified by users
 - Mutate tests in the pool to generate new tests
 - Run new tests
 - If a new test leads to new coverage (e.g., edges), save the new test to the pool; otherwise, discard the new test



Coverage-Guided Fuzzing

AFL, libFuzzer, honggfuzz





AFL

- Example of coverage-based fuzzing
 - American Fuzzy Lop (AFL)
 - “State of the practice” at this time



AFL Display

- Tracks the execution of the fuzzer

```
american fuzzy lop 2.51b (cmpsc497-p1)

process timing
  run time : 0 days, 2 hrs, 16 min, 32 sec
  last new path : 0 days, 0 hrs, 13 min, 31 sec
  last uniq crash : 0 days, 0 hrs, 43 min, 58 sec
  last uniq hang : none seen yet

cycle progress
  now processing : 3 (7.32%)
  paths timed out : 0 (0.00%)

stage progress
  now trying : arith 8/8
  stage execs : 12.3k/41.9k (29.31%)
  total execs : 243k
  exec speed : 30.98/sec (slow!)

fuzzing strategy yields
  bit flips : 7/15.4k, 32/15.4k, 0/15.4k
  byte flips : 0/1929, 0/1926, 0/1920
  arithmetics : 8/71.7k, 4/5434, 0/0
  known ints : 0/6938, 0/35.5k, 0/56.3k
  dictionary : 0/0, 0/0, 0/1270
  havoc : 0/178, 0/0
  trim : 0.00%/930, 0.00%

overall results
  cycles done : 0
  total paths : 41
  uniq crashes : 11
  uniq hangs : 0

map coverage
  map density : 0.11% / 0.40%
  count coverage : 1.62 bits/tuple

findings in depth
  favored paths : 6 (14.63%)
  new edges on : 7 (17.07%)
  total crashes : 2479 (11 unique)
  total tmouts : 10 (5 unique)

path geometry
  levels : 3
  pending : 39
  pend fav : 5
  own finds : 40
  imported : n/a
  stability : 17.69%

[cpu000: 19%]
```

- Key information are

- “total paths” – number of different execution paths tried
- “unique crashes” – number of unique crash locations



Grey Box Fuzzing

- Finds flaws, but still does not understand the program
- **Pros:** Much better than black box testing
 - Essentially no configuration
 - Lots of crashes have been identified
- **Cons:** Still a bit of a stab in the dark
 - May not be able to execute some paths
 - Searches for inputs independently from the program
- Need to improve the effectiveness further



White Box Fuzzing

- Combines **test generation** with fuzzing
 - Test generation based on static analysis and/or symbolic execution – more later
 - Rather than generating new inputs and hoping that they enable a new path to be executed, compute inputs that will execute a desired path
 - And use them as fuzzing inputs
- Goal: Given a sequential program with a set of input parameters, generate a set of inputs that maximizes code coverage

Symbolic Execution

Symbolic execution

1976: *A system to generate test data and symbolically execute programs* (Lori Clarke)

1976: *Symbolic execution and program testing* (James King)

2005-present: practical symbolic execution

- Using SMT solvers
- Heuristics to control exponential explosion
- Heap modeling and reasoning about pointers
- Environment modeling
- Dealing with solver limitations

Classic symbolic execution

```
def f (x, y):
    if (x > y):
        x = x + y
        y = x - y
        x = x - y
    if (x - y > 0):
        assert false
    return (x, y)
```

Classic symbolic execution

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def f (x, y):  
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Execute the program on *symbolic values*.

Classic symbolic execution

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```

$x \mapsto X$
 $y \mapsto Y$

Execute the program on *symbolic values*.

Symbolic state maps variables to symbolic values.

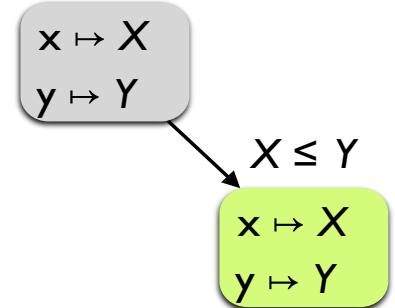
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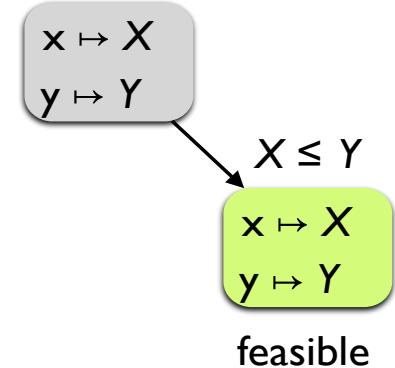
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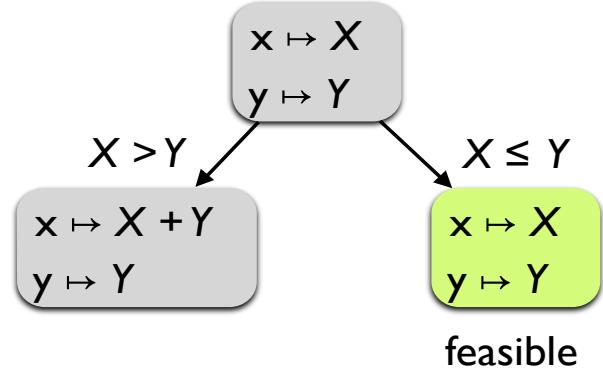
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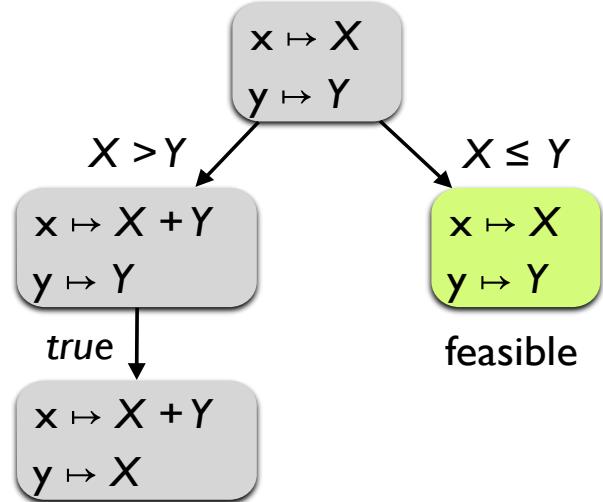
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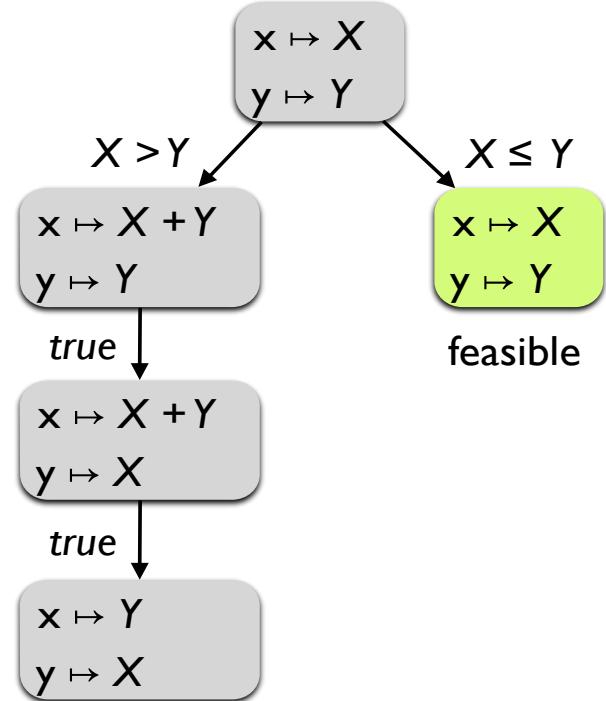
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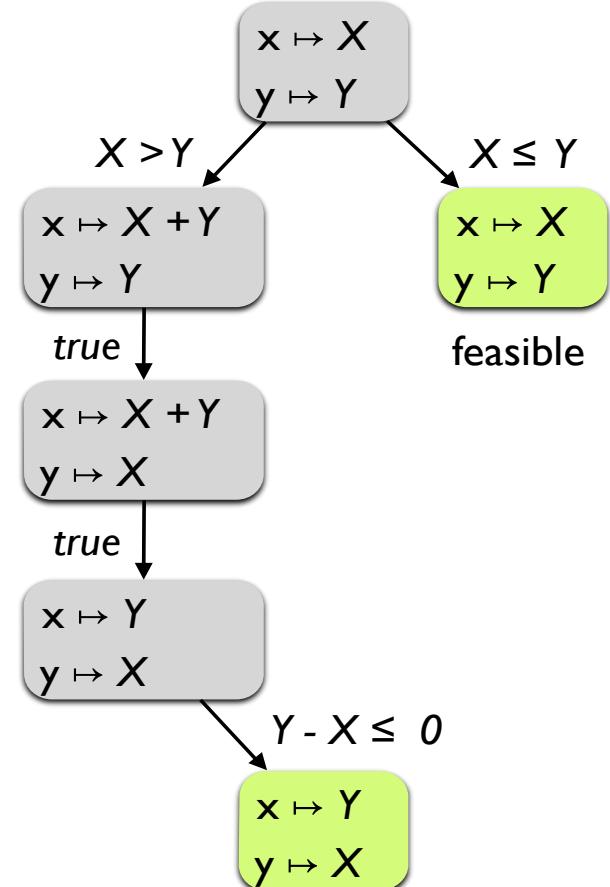
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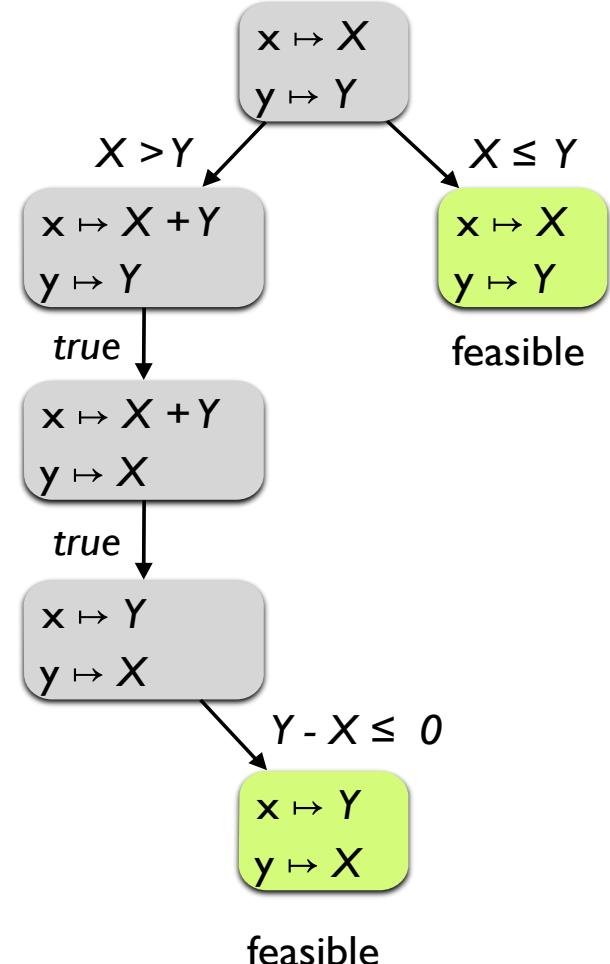
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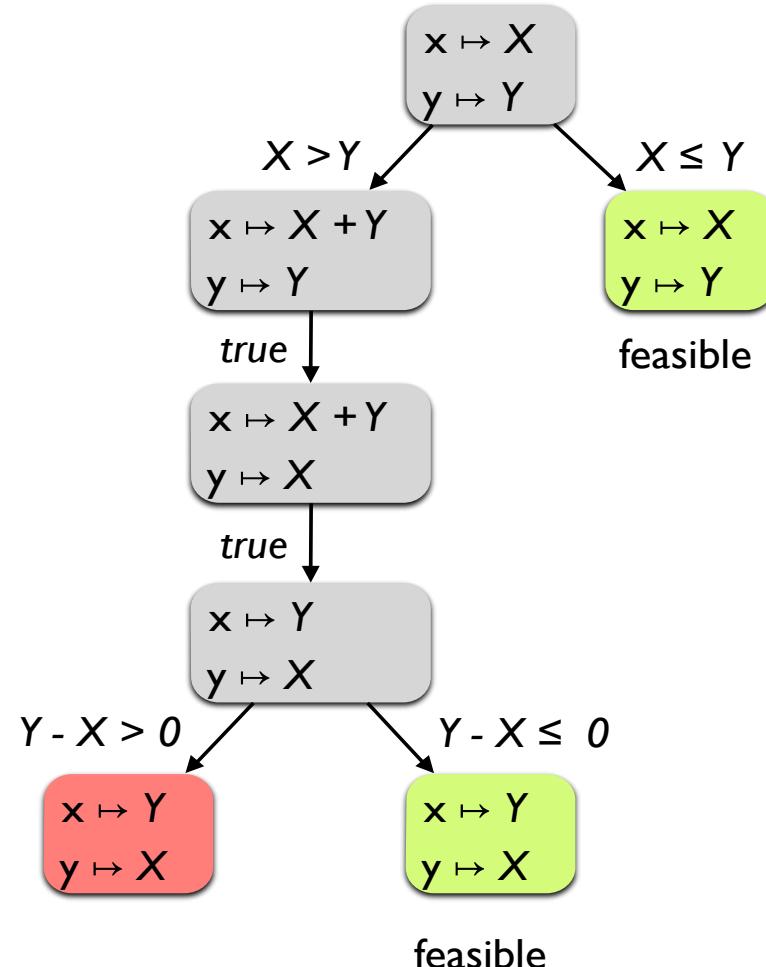
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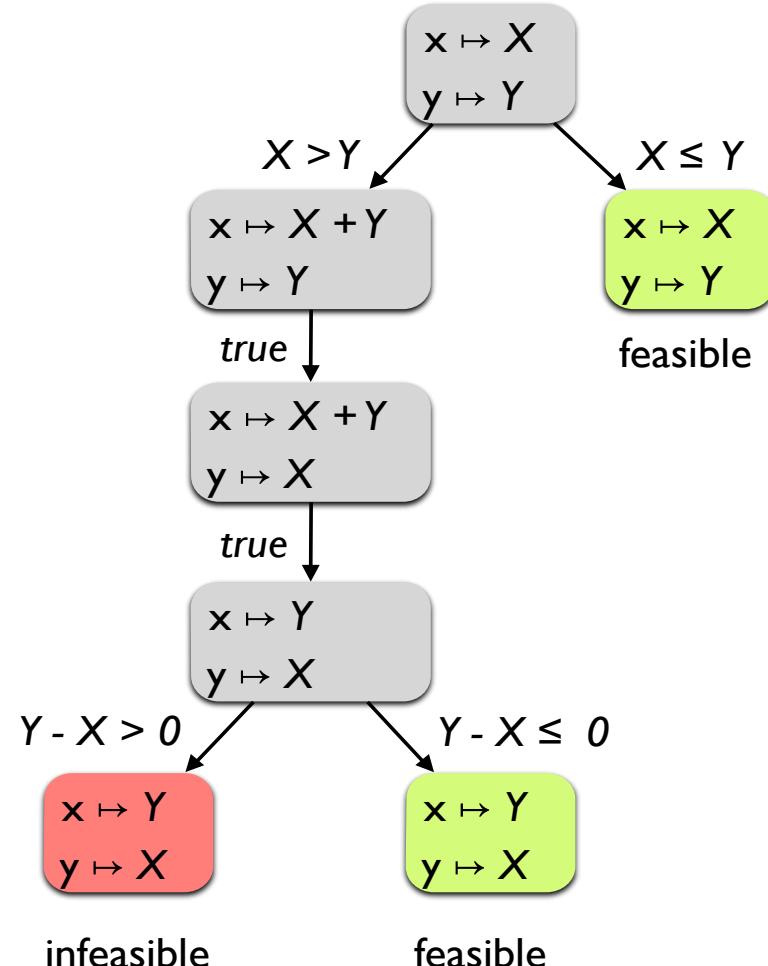
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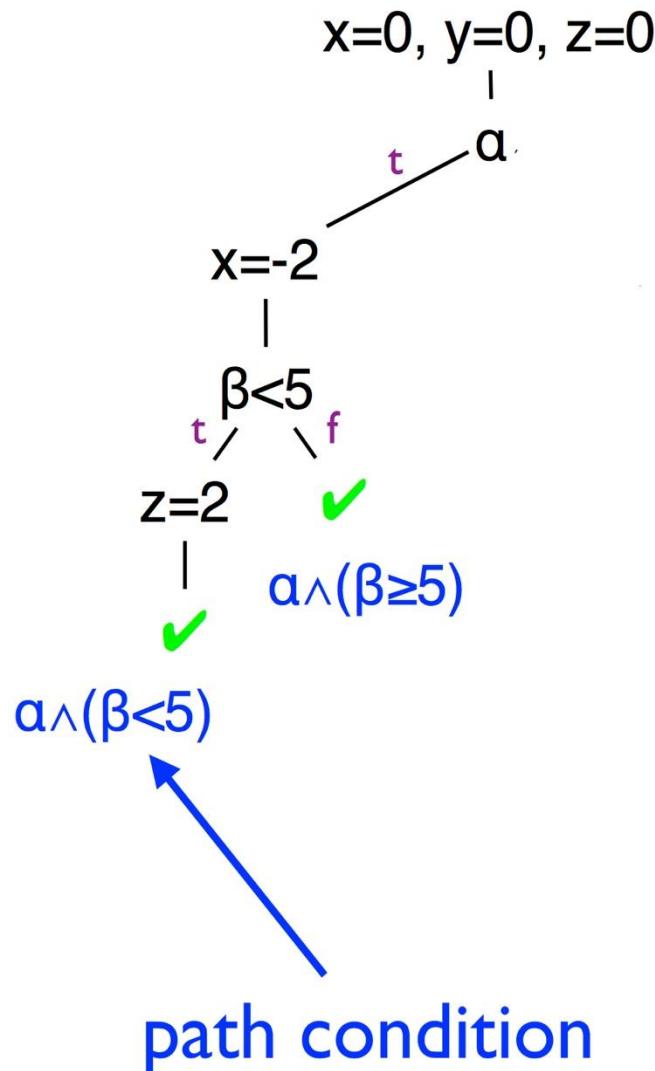


Another symbolic execution example

```
1. int a = α, b = β, c = γ;  
2.           // symbolic  
3. int x = 0, y = 0, z = 0;  
4. if (a) {  
5.   x = -2;  
6. }  
7. if (b < 5) {  
8.   if (!a && c) { y = 1; }  
9.   z = 2;  
10.}  
11.assert(x+y+z!=3)
```

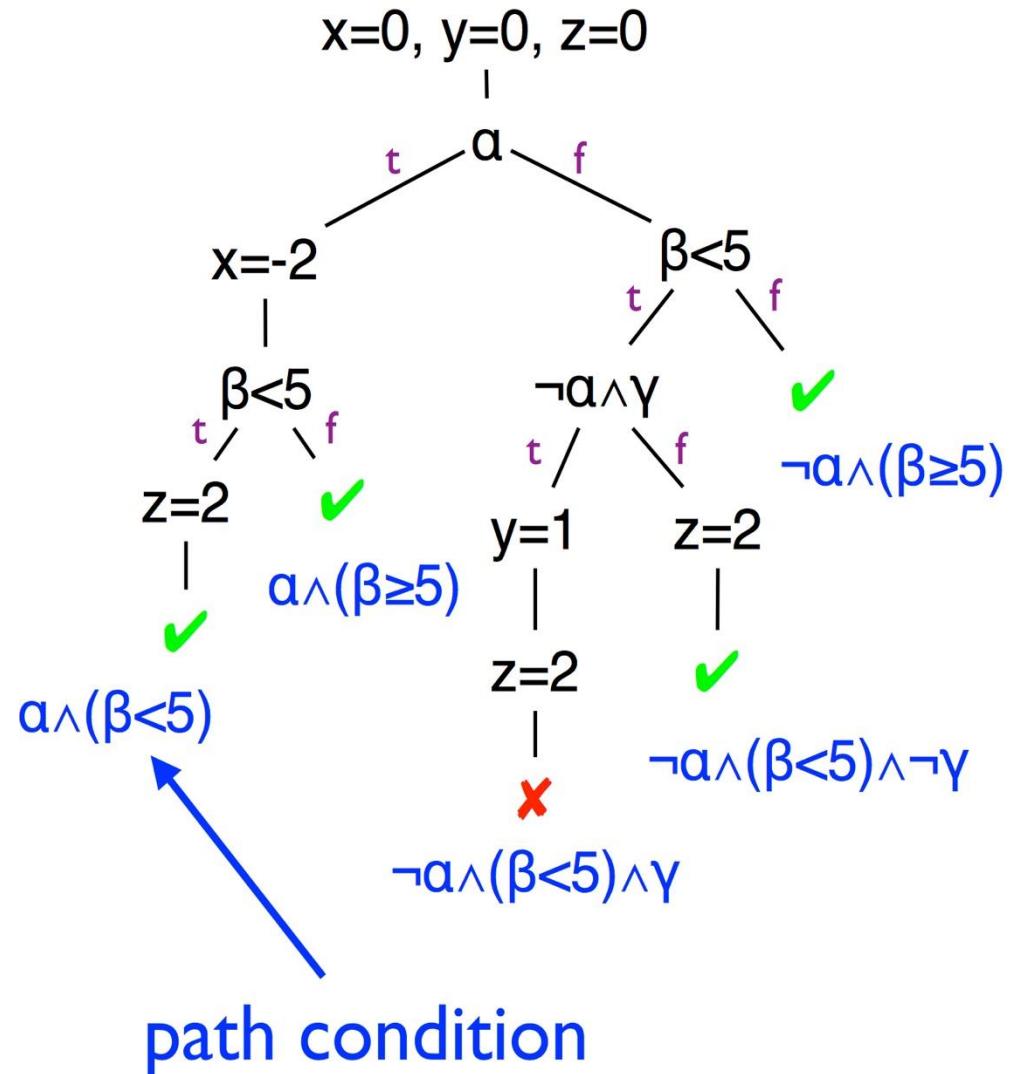
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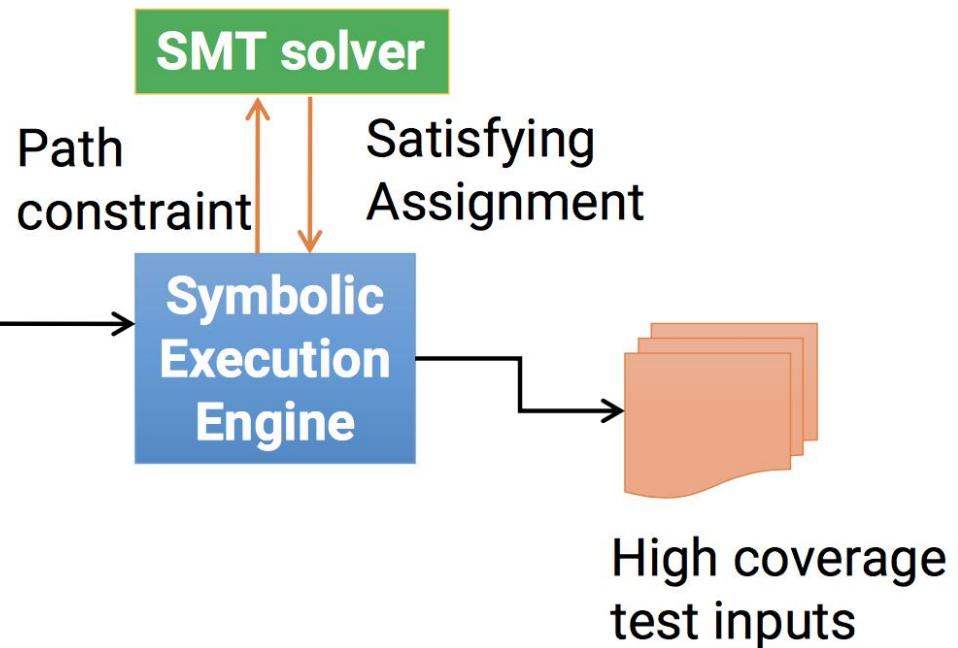


What's going on here?

- During symbolic execution, we are trying to determine if certain formulas are satisfiable
 - E.g., is a particular program point reachable?
 - Figure out if the path condition is satisfiable
 - E.g., is array access $a[i]$ out of bounds?
 - Figure out if conjunction of path condition and $i < 0 \vee i > a.length$ is satisfiable
 - E.g., generate concrete inputs that execute the same paths
- This is enabled by powerful SMT/SAT solvers
 - SAT = Satisfiability
 - SMT = Satisfiability modulo theory = SAT++
 - E.g. Z3, Yices, STP

Symbolic execution for software testing

```
Void func(int x, int y){  
    int z = 2 * y;  
    if(z == x){  
        if (x > y + 10)  
            ERROR  
    }  
}  
  
int main(){  
    int x = sym_input();  
    int y = sym_input();  
    func(x, y);  
    return 0;  
}
```



Symbolic Execution

How does symbolic execution work?

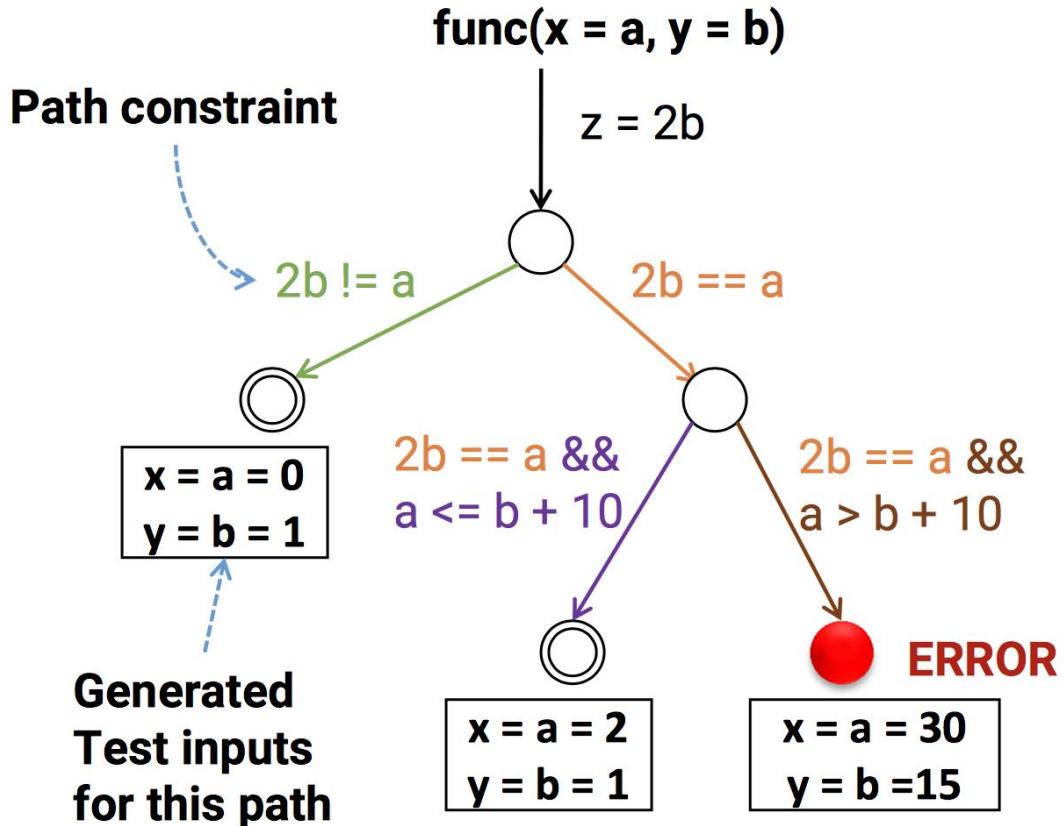
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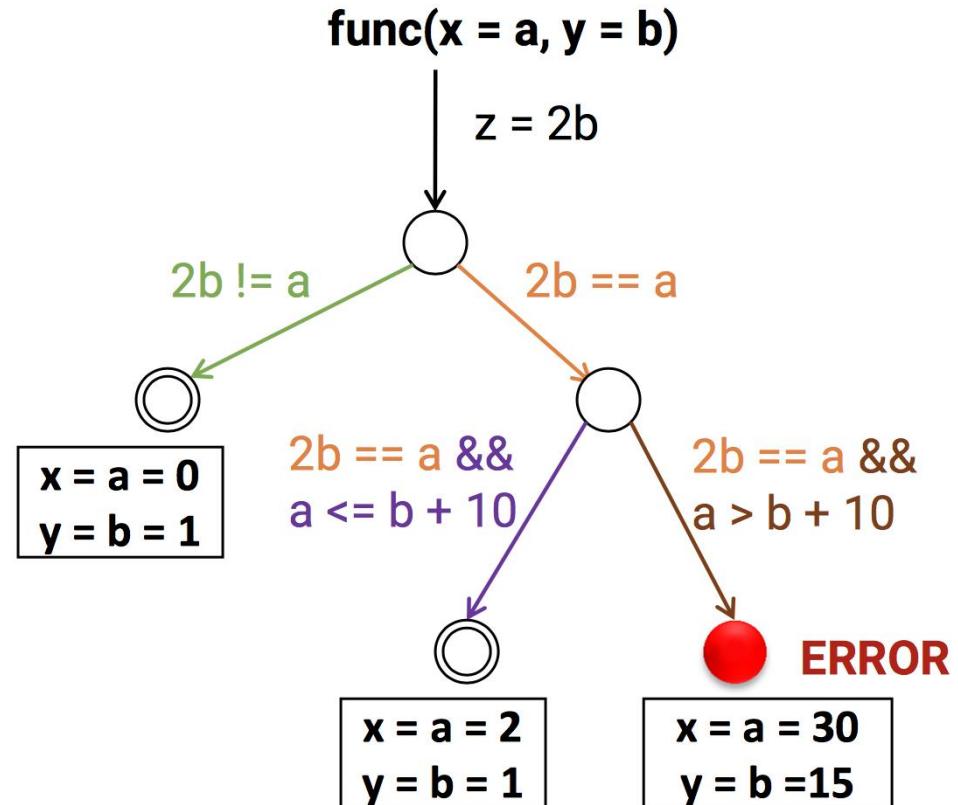
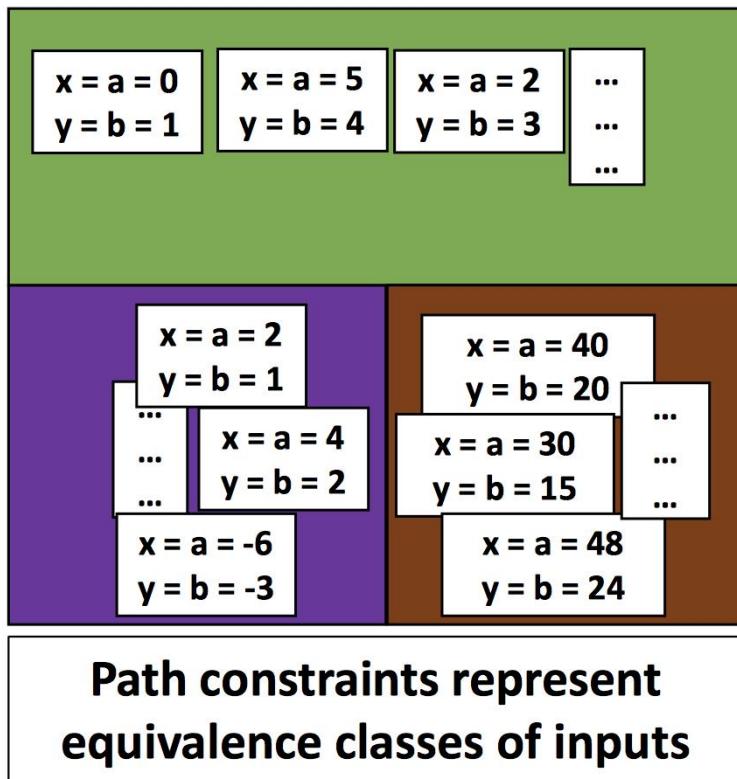
How does symbolic execution work?



Note: Require inputs to be marked as symbolic

Equivalence classes of inputs

How does symbolic execution work?



Concolic (Concrete + Symbolic) Execution

Fuzz (Random) Testing

- Very low probability of reaching an error
- Problematic for complex data structures

```
Example () {
    s = readString();
    if (s[0]=='I' && s[1]=='C' &&
        s[2]=='S' && s[3]=='E' &&
        s[4]=='2' && s[5]=='0' &&
        s[6]=='0' && s[7]=='7') {
        printf("Am I here?");
    }
}
```

Input domain = {'0', '2', '7', 'C', 'E', 'I', 'S'}
Probability of reaching printf = $7^{-8} \gg 10^{-7}$

Fast and Inexpensive

Concolic Testing

- Combine **concrete testing** (concrete execution) and **symbolic testing** (symbolic execution)

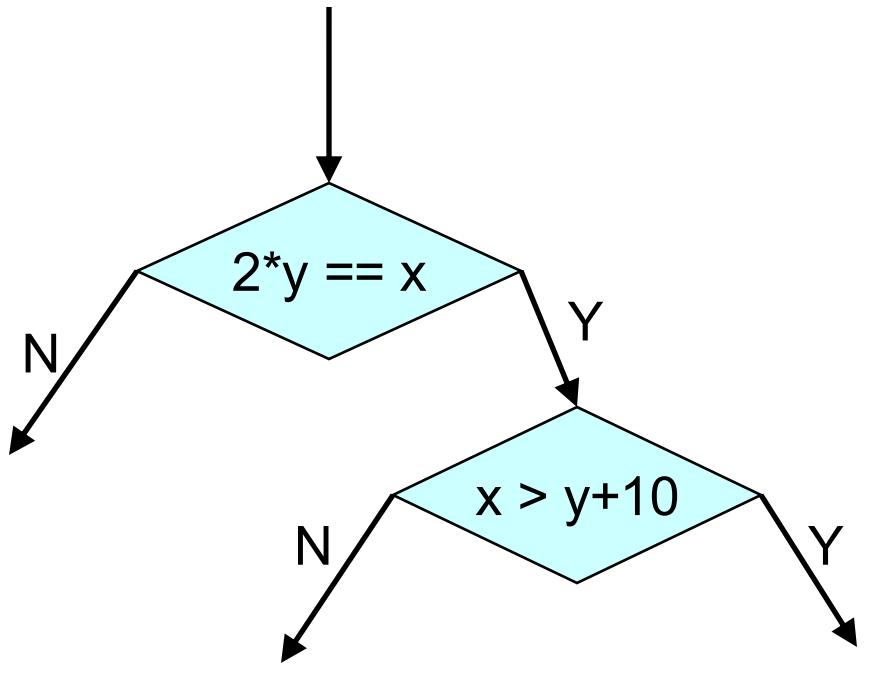
Concrete + Symbolic = Concolic

Example

```
int double (int v) {  
  
    return 2*v;  
}  
  
void testme (int x, int y) {  
  
    z = double (y);  
  
    if (z == x) {  
  
        if (x > y+10) {  
  
            ERROR;  
        }  
    }  
}
```

Example

```
int double (int v) {  
  
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        }  
    }  
}
```



ERROR

ERROR;

Concolic Testing Approach

```
int double (int v) {
```

```
    return 2*v;  
}
```

```
void testme (int x, int y) {
```

```
    z = double (y);
```

```
    if (z == x) {
```

```
        if (x > y+10) {
```

```
            ERROR;
```

```
    }
```

```
}
```

```
}
```

Concrete
Execution

concrete
state

$x = 22, y = 7$

Symbolic
Execution

symbolic
state

$x = x_0, y = y_0$

path
condition



Concolic Testing Approach

```
int double (int v) {
```

```
    return 2*v;  
}
```

```
void testme (int x, int y) {
```

```
    z = double (y);
```



```
    if (z == x) {
```

```
        if (x > y+10) {
```

```
            ERROR;
```

```
        }
```

```
}
```

```
}
```

Concrete
Execution

concrete
state

$x = 22, y = 7,$
 $z = 14$

Symbolic
Execution

symbolic
state

$x = x_0, y = y_0,$
 $z = 2^*y_0$

path
condition



Concolic Testing Approach

```
int double (int v) {
```

```
    return 2*v;  
}
```

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void testme (int x, int y) {
```

```
    z = double (y);
```

```
    if (z == x) {
```

```
        if (x > y+10) {
```

```
            ERROR;
```

```
    }
```

```
}
```

```
}
```

Concrete
Execution

concrete
state

Symbolic
Execution

symbolic
state

path
condition

$x = 22, y = 7,$
 $z = 14$

$x = x_0, y = y_0,$
 $z = 2^*y_0$

$2^*y_0 \neq x_0$



Concolic Testing Approach

```
int double (int v) {
```

```
    return 2*v;  
}
```

```
void testme (int x, int y) {
```

```
    z = double (y);
```

```
    if (z == x) {
```

```
        if (x > y+10) {
```

```
            ERROR;
```

```
}
```

```
}
```

```
}
```

Concrete
Execution

concrete
state

Symbolic
Execution

symbolic
state

path
condition

```
Solve:  $2^*y_0 == x_0$   
Solution:  $x_0 = 2, y_0 = 1$ 
```

 $2^*y_0 \neq x_0$

$x = 22, y = 7,$
 $z = 14$

$x = x_0, y = y_0,$
 $z = 2^*y_0$



Concolic Testing Approach

```
int double (int v) {
```

```
    return 2*v;  
}
```

```
void testme (int x, int y) {
```

```
    z = double (y);
```

```
    if (z == x) {
```

```
        if (x > y+10) {
```

```
            ERROR;
```

```
    }
```

```
}
```

```
}
```

Concrete
Execution

concrete
state

$x = 2, y = 1$

Symbolic
Execution

symbolic
state

$x = x_0, y = y_0$

path
condition



Concolic Testing Approach

```
int double (int v) {
```

```
    return 2*v;  
}
```

```
void testme (int x, int y) {
```

```
    z = double (y);
```



```
    if (z == x) {
```

```
        if (x > y+10) {
```

```
            ERROR;
```

```
        }
```

```
}
```

```
}
```

Concrete
Execution

concrete
state

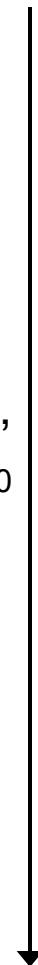
$x = 2, y = 1,$
 $z = 2$

Symbolic
Execution

symbolic
state

$x = x_0, y = y_0,$
 $z = 2^*y_0$

path
condition



Concolic Testing Approach

```
int double (int v) {
```

```
    return 2*v;  
}
```

```
void testme (int x, int y) {
```

```
    z = double (y);
```

```
    if (z == x) {
```

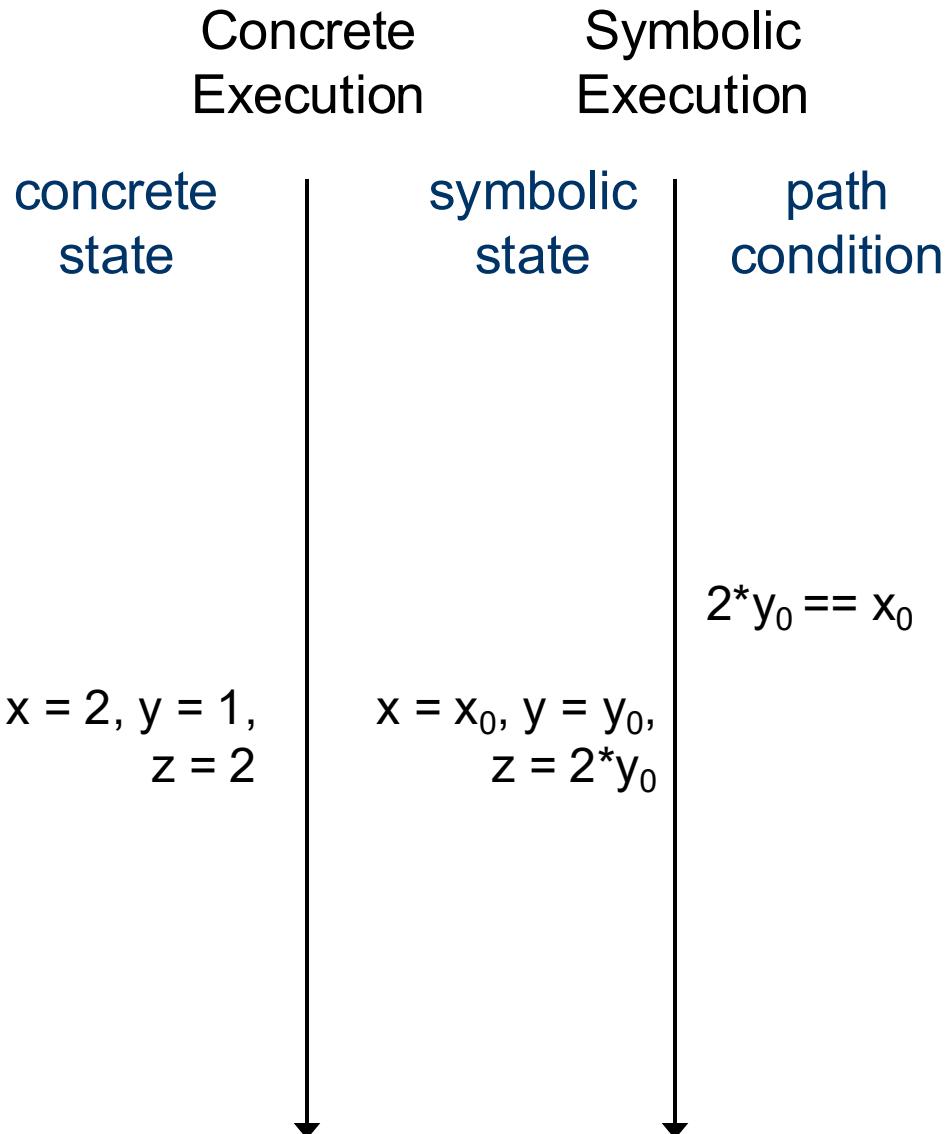


```
            ERROR;
```

```
        }
```

```
}
```

```
}
```



Concolic Testing Approach

```
int double (int v) {
```

```
    return 2*v;  
}
```

```
void testme (int x, int y) {
```

```
    z = double (y);
```

```
    if (z == x) {
```

```
        if (x > y+10) {
```

```
            ERROR;
```

```
    }
```

```
}
```

```
}
```

Concrete
Execution

concrete
state

Symbolic
Execution

symbolic
state

path
condition

$$2^*y_0 == x_0$$

$$x_0 \leq y_0 + 10$$

$$x = 2, y = 1, \\ z = 2$$

$$x = x_0, y = y_0, \\ z = 2^*y_0$$



Concolic Testing Approach

```
int double (int v) {
```

```
    return 2*v;
}
```

```
void testme (int x, int y) {
```

```
    z = double (y);
```

```
    if (z == x) {
```

```
        if (x > y+10) {
```

ERROR;

```
}
```

```
}
```

```
}
```

Concrete
Execution

Symbolic
Execution

path
condition

concrete
state

symbolic
state

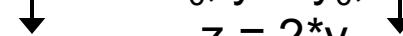
Solve: $(2^*y_0 == x_0) \& (x_0 > y_0 + 10)$
Solution: $x_0 = 30, y_0 = 15$

$2^*y_0 == x_0$

$x_0 \leq y_0 + 10$

$x = 2, y = 1,$
 $z = 2$

$x = x_0, y = y_0,$
 $z = 2^*y_0$



Concolic Testing Approach

```
int double (int v) {
```

```
    return 2*v;  
}
```

```
void testme (int x, int y) {
```

```
    z = double (y);
```

```
    if (z == x) {
```

```
        if (x > y+10) {
```

```
            ERROR;
```

```
    }
```

```
}
```

```
}
```

Concrete
Execution

concrete
state

x = 30, y = 15

Symbolic
Execution

symbolic
state

x = x_0 , y = y_0

path
condition



Concolic Testing Approach

```
int double (int v) {
```

```
    return 2*v;  
}
```

```
void testme (int x, int y) {
```

```
    z = double (y);
```

```
    if (z == x) {
```

```
        if (x > y+10) {
```



```
        ERROR;
```

```
    }
```

```
}
```

```
}
```

Concrete
Execution

Symbolic
Execution

path
condition

concrete

symbolic
state

Program Error

$x = 30, y = 15$

$x = x_0, y = y_0$

$2*y_0 == x_0$

$x_0 > y_0 + 10$

End of Lecture 11