

Introductory Macroeconomics: (Page 1)

Lecture #1:

GDP & GNP (Output = Income)

GDP (Gross Domestic Product)

→ Value of in-country goods & services at Market value in time

GNP (Gross National Product)

→ Value of in-country goods & services made by domestic owned factors of production

Production means income for someone

GDP & GNP: Differences/ Relations

GDP → don't care about
care about

- who earned
- who produced
- where produced

GNP → don't care about
care about

- where made/ earned
- who is earning (you, residents)

Relation

$$GNP = (GDP - FPF) + FPA$$

or

$$GNP = GDP + NFP$$

where

(FPA) → Factor Payment from Abroad (Income of resident from outside country)

(FPF) → Factor Payment to Foreigner (Income to Foreigner In-country)

$$GNP \triangleq \frac{\partial GNP}{\partial \text{time}} \approx GPP \triangleq \frac{\partial GPP}{\partial \text{time}}$$

Computing GDP in Closed Economy

Two Ways ①②

$$\textcircled{1} \quad \sum \text{Value-Added} = GDP$$

$$\rightarrow \text{value added} = \frac{\text{Value-output} - \text{value inputs of product}}{\text{Inputs of product}}$$

$$\textcircled{2} \quad \sum \text{Value of all final goods}$$

→ goods sold to final user

Computing GDP in Open Economy

two ways ①②

$$\textcircled{1} \quad \sum \text{Value-Added} = GDP$$

$$\textcircled{2} \quad \sum \text{Value of final goods} -$$

$$\begin{aligned} &\text{value of Imported Intermediate} \\ &+ \text{value of Exported Intermediate} \end{aligned}$$

what's Normal for GNP/GDP Ratio

• usually $GDP/GNP \sim 1$

→ if discrepancy refer back to formula to explain why

Most Famous Equation in Macro: Production Function

$$GDP = C + I + G + NX$$

↳ Output = Spending

Entities of Interest

Private Sector	Government	Foreign
----------------	------------	---------

Household	Federal	Household
Firm	State	Firm
	Local	Gov

Explanation of Symbols in Production Function

C → Private Consumption

- Purchase of goods & services by domestic households

I → Private Investment

- Purchase of Goods by Domestic Firms

G → Government Purchase of Goods & Services

- Either goods for government consumption or Investment

NX → Net Exports

- Exports - Imports

NOTE

$$\text{Domestic Spending} = (C + I + G)$$

Income = Spending

- Output = Income = Spending

why?

① Everything produced is sold to someone

② Put into inventory, so treated as Investment, ergo spending

Key = Domestic Spending
Point = CAN Include Imports

→ Net-Net GDP remains unchanged though

Example: Why Effects on GDP not always straight-forward

Question: Does ↑G imply ↑Y

↓

Maybe

here's why

short { Inter dependency on one another of factors
Answer {

Case 1 | (Budget Deficit Increases)

$$G \uparrow \Rightarrow \uparrow \text{Deficit} \Rightarrow \uparrow r \Rightarrow \downarrow I$$

Case 2 | (Currency appreciation lowers net exports)

$$\uparrow r \Rightarrow \downarrow \text{Exports}$$

↑ Takeaway
↓ Complex Relations
↓ Exist

what we need to develop

II Model of behavior

1 Fully Identified Descr of shock to system.

Nature of Consumption vs. Investment

- Distinction is made based on why the good was bought

Traditionally classified based on who purchases (Firms vs. Households)

GNP & Welfare

→ In General,

more income is better
(Duh)

→ Moral Quandry { Does GNP account for negative externalities such as pollution, etc.}

The Facts

GNP per capita correlates to life satisfaction

Caveat: Correlation DOES NOT imply causation

→ Need controlled statistical experiment to know for sure

Optimal GNP exists where

$$\text{Marginal Benefit} = \text{Marginal Cost}$$

→ of one more unit of GNP / capita

Disposable Income, Saving, & Gov Budget Deficit

Key: Presence of Government means not all income can be consumed, invested, or saved

Key Terms

TRGP → Transfer of Gov to Private sector
TRGF → Transfer of Gov to Foreigner
TRPF → Private to Foreign Transfer
TA → Taxes Paid to GOV

GI → Govt Investment

Gc → Govt Consumption

YD → Private Disposable Income

SPNRC → Savings
P = Private
G = Gov
N = National

BD = Budget Deficit

Relations

$$G = G_c + G_I$$

$$YD = GNP + TRGP - TA$$

$$S^P = YD - C - TRPF$$

$$S_N = TA - G_c - TRGF - TRGP$$

$$BD = G + TRGP + TRGF - TA$$

$$S^R = S^P + S^G$$

Calculating Real GDP & Inflation

• Everything in Nominal & Real Terms

Nominal → Currency Focus

Real → Goods Focus

GDP Deflator

$$\text{GDP Deflator} = \left(\frac{\text{Nominal GDP}}{\text{Real GDP}} \right)$$

Inflation

Inflation = % change in GDP Deflator

Chain Weighting

→ just use avg price between time periods of interest to calculate real GDP

Example: Do high growth industries have falling relative price

Key: falling relative price vis-a-vis rest of inflation means higher quantity demanded

Decision of lower relative price implies supply curve shift

The Consumer Price Index (CPI)

• Cost of goods now vs. cost in Base year

⇒ if used as metric for inflation; it overstates, b/c consumers shift away from goods whose relative price rises

Real & Nominal Interest Rates

• Every Asset has 4 Returns

Notation

	Nominal	Real
Actual	i	r
Expected	i^e	r^e

Notation (cont.)

Q_t → Price of one-period bond at time t

P_t → Price level in period t

π_t → actual inflation from $t \rightarrow t+1$

i_t → nominal return from $t \rightarrow t+1$

r_t → actual real return $t \rightarrow t+1$

P_{t+1}^e → expected price level at $t+1$

: (expected forms of above terms)

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Lecture Note Summary

First

(b/c Know time
travelling, use
expected form
looking ahead)

$$1 + \pi_t^e = P_{t+1}^e / P_t$$

Actual Nominal Return

$$1 + i_t = 1 / \alpha_t$$

Actual Real Return

$$\begin{aligned} (1 + i_t) &= (1 + r_t)(1 + \pi_t) \\ &= 1 + r_t + \pi_t + \cancel{r_t \pi_t} \\ &\quad (\text{small}) \\ &= (1 + r_t + \pi_t) \end{aligned}$$



$$r_t = i_t - \pi_t$$

This holds in expected form as well!

$$r_t^e = i_t^e - \pi_t^e$$

Holds in Difference in Difference

$$r_t = r_t^e + (i_t - i_t^e) + (\pi_t^e - \pi_t)$$

Stocks & Flows

• Value per unit time are flows
(Rate) → Income, saving, deficit

• Stock is just a value

$$\text{Flow} = \frac{d(\text{Stock})}{dt} \quad \begin{matrix} \text{Just say} \\ \text{derivative} \\ \text{sheesh} \end{matrix}$$

Cobb-Douglas Production Function

→ Defines Economic output
in terms of known inputs

$$Y = A K^\alpha N^{1-\alpha}$$

where

$$Y = \text{Real output}$$

$$K = \text{Real capital input} \quad (\text{units of capital})$$

$$N = \text{Labor input in hrs worked}$$

$$A = \text{Total Factor Productivity}$$

$$\alpha = \text{Number on range } [0, 1]$$

Properties

- Decreasing Marginal product of Labor & Capital

MPN & MPK

- Marginal Productivities of Labor & Capital

$$MPN = \frac{\partial Y}{\partial N} = (1-\alpha) A (K/N)^\alpha$$

$$MPK = \alpha A (N/K)^{1-\alpha}$$

Note

- Labor & Capital are complements
- A helps all

Current Account & Sectoral Balance Eqn

$$CA = NX + NFP - TRPF - TRGF$$

CA → Current Account

or

$$CA = GNP - (CFI + G + TRPF + TRGF)$$

Key Measures whether or
not spending & net
giving exceeds income

Sectoral Balance Eqn

$$S^P = I + BD + CA$$

- Linked, but not guaranteed to move together in

Rationale

→ When the private sector saves

- Acquire new capital, invest
- Loan to government to cover deficit
- Acquire new assets abroad

The Classical Economic Model

Truths

① Agents Maximize

- Firms max profit
- Household maximize utility

② Wages, Prices, rates are flexible

- Markets must clear

③ Firms are perfectly competitive

- Take wage & price as given

Also

- 1-good (homogenous product)
- Closed Economy
- Households & firms all the same in characteristic

Role of Households

- Sell their labor to firms
- Produce output using capital & labor
- Receive profits & own firms

Role of Firms

- Hire labor
- Sell output to household & Gov

Role of Government

- Collect taxes
- Issue debt
- Purchase to consume
- make payments to households

Endogenous and Exogenous Variables

- Endogenous \rightarrow variable Model explains (dependency)
- Exogenous \rightarrow taken as given (Independent)

NOTE

• For a particular group something can be exogenous, but to the model itself endogenous w/ respect to someone else

Labor Demand

Notation

N_d = Labor Demand

W = Nominal wage

P = Price of output received by firm

W/P = Real wage

Key Equation

$$W/P = MPN$$

\rightarrow Derives from firm profit max condition

\rightarrow Marginal cost = Marginal Benefit

$$\text{or } W = P \cdot MPN(\frac{\partial Y}{\partial N})$$

Variables that effect N_d

(W/P)	A	K
		through Cobb-Douglas

In general, when a shift in W/P occurs

\rightarrow check for secondary effects

\rightarrow Follow formula for answer

Labor Supply

\rightarrow How much to work linked to how much to consume

ACROSS - TIME
MODEL EMPLOYED

Notation

N_s \rightarrow Labor Supply

C \rightarrow Real Consumption

t \rightarrow Marginal Income Tax Rate

D \rightarrow Real Deductions allowed before income tax rate applies

S = sales tax rate

TR = Real transfers from government to private sector

$G = G^e$ Gov consumption

r^e = expected real interest rate

H = Real Household wealth

MUC = Marginal Disutility of current working

$\frac{\partial MUC}{\partial C} < 0$ (rate decreasing)

$MDUN$ = Marginal dis-utility of current working

Key

The Utility Function

$$U(C, C^e, N_s, N^{se}, G, G^e)$$

Conditions for household utility Maximization

$$MVC(1-t)(W/P)/(1+t) = MDUN$$

* Same in expectation

Key: Households choose

N_s & N_e to satisfy

Influences: Income Effect to N_s : & Substitution Effect

• Income Effect \rightarrow Buy more of what you like when richer

• Substitution Effect \rightarrow Buy less when more expensive

$$\frac{(1-t)}{(1+t)} \frac{W}{P}$$

Cost of Leisure

Endogeneity of N_s & N_e

• W/P	• D & D^e
• W^e/P^e	• TR & TR^e
• t & t^e	• r^e
• S & S^e	• H

Note: Last six influence how much people consume so effects MUC

* See Page 167 for Treatment of (W/P) change scenario

Patterns of behavior in the choice of N_s

• t & S effect labor supply through influence on after tax real wage

• Permanent/Temp increases have different effects

\rightarrow dc or implication of different future expected income flows

Key

$$\left. \begin{array}{l} \uparrow \text{wealth } (H) \\ \uparrow \text{Pre-Tax Allowance } (D) \\ \uparrow \text{Transfer of } (TR) \end{array} \right\} \downarrow N_s \& N_e$$

why? These are funds to consume not necessitating additional labor hours worked to attain

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Lecture Note Summary

How Tax cuts influence the Labor Supply

It matters how

- Taxes are ($\uparrow D$ or $\uparrow t$) each influence different components

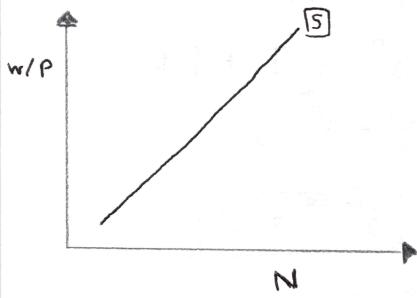
- If temporary or permanent

Critical Assumption

change in r^e , does not effect N^s & N^{se} !!

Assume: Income effect & substitution effect on consumption cancel out

Labor Supply Curve



Features

- Upward sloping
- Current Real wage (y), Labor Hours (x)

~~Left shift~~

~~Right shift~~

$\uparrow W^e / P^e$

$\uparrow r^e$

$\uparrow S^e$

o household choose to work more, when real wage relatively higher

$\uparrow t$

o Influences Leisure factor

$\uparrow S$

$\uparrow D$ or TR

$\uparrow H$ $\uparrow D^e \text{ or } TR^e$

Functional Form

$$N^s(W^e/P^e, t^e, r^e, S^e, D^e, D^s, T^e, T^s, H)$$

Two Notes

- Working up N^s curve utility increases
- This is for individual, pop growth will shift "Market" Labor supply right over time

Equilibrium in the Labor Market

- We operate at intersection of Labor Demand & Supply

$Wages$ or Price (Move to Equilibrium)

- Employment & Real Wage Endogenous

What is Endogenous vs. Exogenous

Endogenous: (Slide 199)

W/P → Real wage

N → Labor Hours

Y → Output

T^e → Taxes paid to Gov

Y^D → Private Disposable Income

B^D → Budget Deficit

C/C^e → Consumption

S^P & S^e → Savings

$ATRW$ → "After Tax" Real wage

N^{se} → Labor Supplied

U → Utility Function

Exogenous

A → Factor of production

K → Capital

t^e → marginal tax

S^e → Sales tax

D^e → Pre-tax Reductions

TR^e → Transfer

W^e/P^e → expected real wage

H → Household wealth

G^e → Government Spend

Critical Assumption

- Money Supply
 - Government spending
- DO NOT change
Employment, Output, or Income

Using the Labor Market Model

→ analyze change to Endogenous, from change in exogenous

"significant other test"

→ describe in words why shift causes action

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(Good Example)

Lecture #3:

Goods Market / Credit Market

Consumption w/ No Government

- Given disposable income (decision to ~~spend~~^{consume} / save is same decision)

Assumptions

- can borrow & lend at same rate
- Can always borrow, so long as they've ability to repay

Key Equations

$$(1) C + C^e / (1+r^e) = H + Y + Y^e / (1+r^e)$$

$$(2) MUC = (1+r^e) MUC^e$$

① → Budget Constraint

- dictates total spending over planning horizon

② → Marginal Benefit of current consumption = Lost opportunity cost of future consumption

① → How much spending?

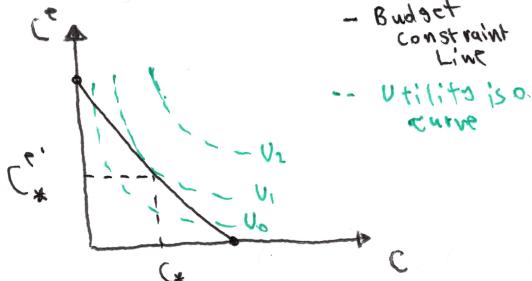
② → When?

Analogizing change to ②
as C^e

First: Analyze Budget constraint to see if possible

Second: Use ② to see how consumption allocated across time

Graphically



Variables that Influence Consumption

$$\uparrow Y, Y^e, H \Rightarrow \uparrow C \quad \uparrow C^e$$

r^e has no effect

Consumption w/ Taxes, Transfer, Government Purchase

Assumptions

- Interest payments Tax deductible

- Tax Rates apply to Nominal interest rates

r^e = after-tax expected real interest rate

$$(1+r^e) = [(1+s) / (1+s^e)] \cdot [1 + r^e(1-t) - t\pi^e]$$

$$c(1+s) + c^e(1+s^e) / (1+r^e) = H + Y(1-t) + tD + TR + Y^e(1-t^e) / (1+r^e) + t^e D^e / (1+r^e) + TR^e / (1+r^e)$$

$$MUC = (1+r^e) MUC^e$$

Intuition

$r^e \rightarrow r^e(1-t)$ (Account for taxes)

$-t\pi^e$ (bc tax is nominal amount not real amount, adjustment term)

$(1+s) / (1+s^e)$ (if sales tax varies over time, relative price of goods affected)

→ not otherwise captured in ①

(+/-) of consumption theory

Y	D
Y^e	D^e
H	TR
$+/-$	$+/-$
$+/-$	TR^e
π	0
S^e	π^e
$-/-$	0

Government Spending, Tax Rates, Deductions, Transfers

- All exogenous

$$G = G^e \quad RD = -SG$$

National Savings

Two ways to analyze Goods market (Equilibrium)

$$\text{Supply of Goods} = \text{Demand of Goods}$$

OR

$$\text{Desired National} = \text{Desired Investment} + \text{Desired Current Account}$$

(we will employ this definition)

"(For closed Economy)"

Derivation

$$Y = C + I + G$$

$$Y - C + TR - TA = I + G + TR - TA$$

$$S^P = I + BD$$

$$APP S^P + S^G = I$$

$$S^{national} = I$$

Intuition

- Makes it easier to see that choice of r^e adjusts to clear goods market

- Easier to extend to open economy

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Lecture Note Summary

Recall

$$S^N = Y - C - G$$

Comparison of (+/-) Influence vs. C

	C	$S^N = Y - C - G$
Y	+	+
γ	+	-
K	+	-
T	-	+
r^e	-	+
S	-	+
s^e	-	+
D	+	-
d^e	+	-
TR	+	-
TR^e	+	-
i^e	From Assumption of no effect on C	0
τ^e	0	0
G	0	-

what's effect of Y on S^N

Key

$\uparrow Y \Rightarrow \uparrow C$, however $|\uparrow Y| > |\uparrow C|$

so $\uparrow S_N$

Rule of Thumb: Magnitude of effect from endogenous association usually less than direct effect

National Savings Curve

- Which will go on vertical axis? $\rightarrow r^e$

why? (we assume r^e adjusts to clear the Goods Mkt)

Notes on Form of Curve

-
- 1) Curve is vertical line (No dependence on r^e)
 - 2) For (+) factors shifts right
 - 3) For (-) factors shifts left

Note

- In most classical texts it's upward sloping, & an assumed dependence on r^e , for your class, NOT THE CASE

Investment

Notation

J → Nominal price of capital

π^e → expected inflation

* δ → depreciation rate (Economic/Market)

* θ → corporate tax rate

* ϕ → Dep rate allowed for (taxes)

τ → investment tax credit

side note: US GAAP has a list of allowed asset depreciation rates for accounting purposes

Hence, real market dep rate could be different

Key Assumptions

- i) Following purchase of capital
output begins next period
Taxes begin immediately

- ii) Depreciation is of capital based on historical cost of acquiring in first place

- iii) Depreciation rate δ years from now $\rightarrow \phi(1-\phi)^K$

- iv) Amount to be depreciated is after-tax credit price

$\delta^e = \delta$	$\phi^e = \phi$	(Remain Unchanged)
$\theta^e = \theta$	$i^e = i$	

- v) Firms can always borrow to pay for positive NPV projects

Decision of Capital Purchase to the Firm: Max Profit

- The price the firm pays for unit of capital MUST be recaptured by future cash flows

$$J = \sum \text{Discounted future cash flow from unit of capital}$$

LHS RHS

→ This term depends on

- Periods you intend to produce
- But generally

$$\text{RHS} = \sum_{j=1}^K \frac{(1-\tau)(1-\pi^e)}{1+r^e} J + \frac{\phi}{1+r^e} J$$

where

$$\boxed{J} = \frac{\text{After tax revenue from sale of extra output per period}}{(1-\theta)P(1+\pi^e)\text{MPK}} \cdot (1+i)^j$$

$\boxed{\quad} = \text{Investment tax credit} = \boxed{TJ}$

$\boxed{\quad} = \text{Deductions from taxable income} = \frac{\theta\phi(1-\tau)J}{(1+i)^j}$

NOTE: J (the letter j) is a series term denoting the year from $[1, \text{period } K]$ that term belongs to
 \Downarrow
 Not to be confused w/
 i = Nominal interest rate

Presence of terms in investment schedule		
$\boxed{\quad}$	$\boxed{\quad}$	$\boxed{\quad}$
1 X	\checkmark	\checkmark
2 \checkmark	X	\checkmark
\vdots	\vdots	\vdots
K \checkmark	X	\checkmark

The Key Equation for capital Investment Decisions

$$MPK^e = (r^e + \delta) \left(\frac{1-\tau}{1-\theta} \right) \left(1 - \frac{\theta\phi(i+i)}{\phi+i} \right) \frac{J}{P}$$

MPK = Marginal Product of capital = $\frac{\partial Y}{\partial K}$

The Right hand side titled { Real user cost of capital }

Key Point

We've derived expression for desired future capital stock, Next move to determine Investment

(+/-) for desired future capital stock (slides 340-)

Desired capital stock

\downarrow relatively for expensive b/c of larger def & initial cost

$\uparrow \delta$ or $\uparrow \frac{I}{P}$

$\uparrow \tau$

$\uparrow r^e$

$\uparrow \pi^e$

$\uparrow \phi$

$\uparrow \theta$

$\uparrow \tau$

\downarrow DE values future cash flows, makes today's investment more expensive

Recall
 $i = r + \pi$

\uparrow faster the firm can write off capital expense the better

\downarrow De-growth on how fast firm can write-off

The Investment Curve

$I(A^e, \delta, \theta, \phi, T, \pi^e, J/P, K)$

$S^*(Y, Y^e, H, t, t^e, S, S^e, D, D^e, TR, T^e, G, T, \phi, \theta, \pi^e)$

Second-order effects

VERY CRITICAL

- I, S are endogenous on other endogenous quantities

The labor market Problem must reach Equilibrium first

w/ \uparrow

- shift in R won't shock labor problem, but shift in labor will alter I-S, decision

Recipe FOR SUCCESS

- Draw original Equilibrium
- Determine if shock hits N curve
- Determine if shock hits S
- combine 1, 2, 3 see what happens to W/P, N & Y
- Determine if shock hits S^*
- Determine if shock hits I

Modifications to Savings Curve

- $\uparrow J$, shift left b/c $\uparrow \pi^e$
- $\uparrow \phi$, shift left b/c $\uparrow \pi^e$
- $\uparrow \theta$, shift right b/c $\uparrow \pi^e$
- $\uparrow \pi^e$, shift right b/c $\uparrow \pi^e$

Logic chain

Capital Decision \rightarrow effects MPC \rightarrow $\uparrow N \rightarrow \uparrow C \rightarrow \uparrow S^*$

Modifications to Labor Supply

- $\uparrow J$, shifts left (positive income effect)
- $\uparrow \phi$, shifts left (positive income effect)
- $\uparrow \theta$, shift right (negative income effect)
- $\uparrow \pi^e$, shift right (negative income effect)

Goods Market Equilibrium

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See Slides 380-417 for worked examples

The Open Economy Model

- Two countries (Domestic / Foreign)
- Unrestricted Trade (Import / Export)
- Export / Import for consumption
- Law of ONE Price holds
- Different currencies w/ nominal bonds at their own rate
- Labor & Production transfer between countries non-existent

Notation

- E → Nominal exchange rate ; domestic price of foreign currency
- E^F → Future Nominal exchange rate
- $E^{F,\epsilon}$ → (Expectation) Future Nominal rate
- d → depreciation of ; $(\frac{E^F - E}{E})$
- d^{ϵ} → (Expectation) ; $(\frac{E^F - E^{\epsilon}}{E^{\epsilon}})$

P → Price of domestic good

p^F → Price of Domestic Good in Future

p^{ϵ} → Expectation of Future Domestic Price

π^{ϵ} → expected Inflation $\{(p^{\epsilon} - P)\}$

Note: CPI valid b/c only one good in economy

p^{ϵ} " " Foreign (in foreign currency)

$p^{\epsilon F}$ " "

$p^{\epsilon \epsilon}$ " "

$$\boxed{\pi^{\epsilon}}$$

$\boxed{i^{\epsilon}}$ → Nominal Domestic bond return (Domestic currency)

$\boxed{i^*}$ → Nominal Foreign bond return (Foreign currency)

$$\boxed{\pi^{\epsilon}}$$

$$r^{\epsilon} = i^{\epsilon} - \pi^{\epsilon}$$

Expected Real return (Domestic)

$$r^{*\epsilon} = i^* - \pi^*$$

Expected Real Return (Foreign)

Notation ; (Continued)

γ = Fraction of Domestic consumption on Domestic Goods

γ^* = " " on Foreign goods

E^{pot} = Price of domestic Imports

P/E = Price of Foreign imports

Domestic Cost of Living Index

$$\boxed{P^{\gamma}(E^{\epsilon})^{1-\gamma}}$$

% Δ cost of living

$$\boxed{\Delta P^{\epsilon} = \gamma \pi^{\epsilon} + (1-\gamma) d + \gamma^* \pi^{*\epsilon}}$$

Foreign Cost of Living Index

$$\boxed{P^{*\gamma^*}(P/E)^{1-\gamma^*}}$$

% Δ cost of living

$$\boxed{\Delta P^{*\epsilon} = (1-\gamma^*) \pi^{\epsilon} - (1-\gamma^*) d^{\epsilon} + \gamma^* \pi^{*\epsilon}}$$

Terms of Trade (TOT)

$$\boxed{E^{\epsilon}/P}$$

units $(\frac{\text{dom good}}{\text{for good}})$

$\uparrow \text{TOT}$ (deterioration, domestic residents poorer)

$\downarrow \text{TOT}$ (improvement, domestic residents richer)

when $\text{TOT} \uparrow$, purchase power in open economy decrease

Interest Rate Parity Condition

$$\boxed{r^{\epsilon} = r^{*\epsilon}}$$

(Equilibrium in International Bond market)

Three Key Assumptions

① TOT follows random walk

$$\rightarrow d^{\epsilon} = \pi^{\epsilon} - \pi^{*\epsilon}$$

(Long-run no change in TOT)

② Uncovered interest rate parity

→ Anti-Arbitrage argument between two investing strategies (Domestic & Foreign bond)

$$\boxed{i = i^* + d^{\epsilon}}$$

③ Perfect Capital Mobility

- Assume existence of unique risk premium

$$\boxed{P}$$

$$\boxed{i^{\epsilon} = i^{*\epsilon} + d^{\epsilon}}$$

$$\downarrow \text{From ① } d^{\epsilon} = \pi^{\epsilon} - \pi^{*\epsilon}$$

$$\boxed{r^{\epsilon} = r^{*\epsilon} + \rho}$$

condition for equilibrium in both bond Markets

Bond Market

Equilibrium & PCM Curve

$$r^e = r^e + d^e + \pi^e - i^e + \frac{P}{P}$$

PCM
Curve

→ stated in terms of r^e , can be placed on same curves

as S^N & I

Allows us to see multiple markets at once

simplified $r^e = r^A$ only valid when

$\rightarrow TOT$ random ($d^e + \pi^e - i^e = 0$)

$\rightarrow P = 0$ (no risk premium)

Goods Market Equilibrium in Small/Large Economy

Recall

$$S^N = I \quad (\text{closed Economics})$$

$$S^N = I + CA \quad (\text{open Economics})$$

$$CA = NX + NFP - TRPF - TRGF$$

Key Difference: Small Country vs. Large Country

- Small country's borrowing needs to small to shake up international rates

r^e exogenous

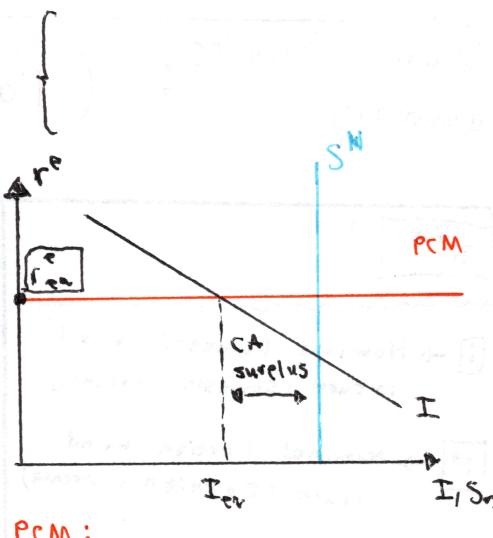
- For Large opposite is True

r^e exogenous

Small Open-Economy Model

- PCM determines equilibrium value of r^e

- Equilibrium Investment where PCM intersects I



PCM:

$$(r^e, d^e + \pi^e - i^e, P)$$

+ + +

Formula for Success:
Open Economy Model

① Draw original Equilibrium

② Determine if shock to N^e

③ Determine if shock to N^d

④ Combine ① & ② to reconcile

w/P	N	Y
-----	---	---

⑤ What happens to Y^e as of consequence S^d

⑥ See if shock to S^d

⑦ See if shock to I

⑧ See if shock to PCM

⑨ Use what happens to CA to logic out influence on

NX	TOT
----	-----

⑩ Determine remaining endogenous variables

The Money Market

Terminology

Bank Reserves → Vault Cash + Deposits

Reserve Requirement → Fraction of private sector deposits bank must hold as reserves

Excess Reserves → reserves in excess of what's required
↳ Borrowed / Non-Borrowed

Monetary Base → Public-held currency + Bank reserves

Money Multiplier → Money Supply / Monetary Base

Derivation of Money Supply Equations

CU → currency held by public

CD → checkable deposits w/ reserve requirement

ZD → non-checkable deposits of non-bank public

TD → " " w/ reserve requirement

$$M_1 = CU + CD$$

BR = Bank Reserves

Vault cash + deposits to central bank

rr_{cd} / rr_{td} → Reserve ratios for each type of currency

$$B = (Monetary Base) = BR + CU$$

Money Supply Key Results

$$M_1 = (B - ER) \cdot \frac{(1 + cu)}{cu + rr_{cd} + rr_{td}}$$

Note: ER = Excess Reserves (BR - RR)

Introductory Macroeconomics : (Page 6)

Lecture Note Summary

who can change M_1 Money Supply?

Answer: Central Bank, Private Banks

The Money Supply Curve

Recall

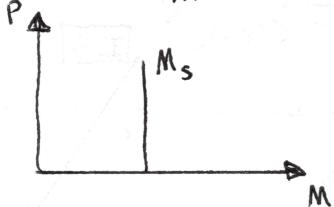
$$M^s = (B - ER) \cdot \frac{(1+ca)}{(ca + r_{cd} + r_{td})}$$

$\uparrow B$ $\uparrow M^s$ (Larger Monetary base, larger supply)

$\uparrow ER$ $\downarrow M^s$ (Reserves beyond which are required decrease supply)

$\uparrow r_{cd}$ or
 \uparrow deposit

Price P clears the money market



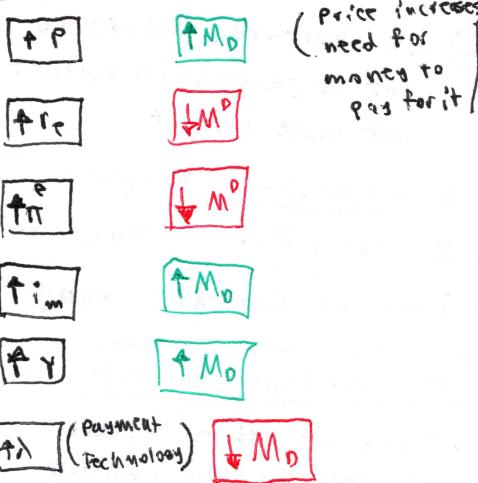
Money Demand

→ No formal derivation, take functional form & discuss

$$M^D = P \cdot L(Y, i - i_m, \lambda)$$

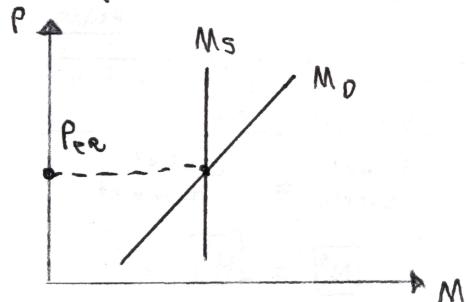
Y when increase in real output, transactions increase, & transactions need money

i_m reflects opportunity cost of not buying bond at nominal rate



Money Market Equilibrium

$\square P$ (Price of Goods
Equilibrates
Money Supply/Demand)



Final Recipe for Success

Small Open Economy Version

① Draw original Equilibrium

Isolate

- Exogenous shift factors
- Be aware of 3 endogeneities

$$\begin{aligned} S^N &= S^N(Y) \\ M^P &= M^P(Y) \\ M^D &= M^D(r^o) \end{aligned}$$

② Determine if shock shifts

N^P

③ Determine if shock shifts N^S

④ combine ① ② ③ see what happens to

W/P	N
Y	

⑤ If Y effected, evaluate change on S^N (Endogeneity #1)

⑥ Determine if shock effects I

⑦ Determine if shock shifts r^e (PCM curve)

⑧ evaluate ④ → ⑦, see what happens to

r^e	S^N
I	CA

⑨ Use result for CA , to gauge effect on NX & TOT

⑩ ⑪ See if M^D was effected by means of endogenous factors Y & r^e

⑫ Determine if shock to M^D (not related to ⑩ ⑪)

⑬ Determine shock to M^S

⑭ Figure out what happens to PBM

⑮ Learn W from P & W/P (sometimes)

⑯ Learn E from P & $TOT = BP/P$ (sometimes)

Overall

Start in the Labor Market



Go to Goods Market

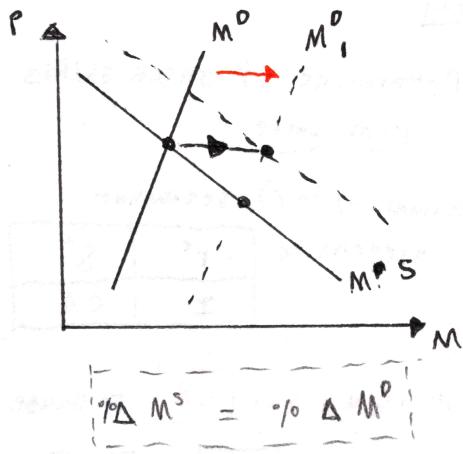


Conclude analysis in Money Market

Special Scenarios in Classical Model

① Ensure No inflation

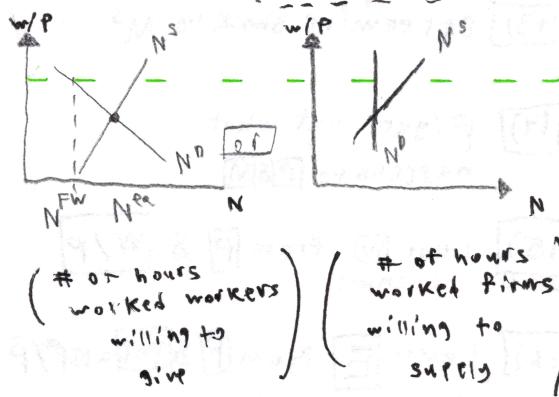
Key: shift Money Supply perfectly w/ money demand



② Unemployment in Classical Model

→ can occur when government implements a fixed wage

→ On the Labor curve there is a w/p can't drop below, therefore households can't provide labor they otherwise would → unemployment



Problems with the Classical Model

① Rat of Output Growth ~ change in unemployment rate

② In short-run, shocks do not impact labor market but move output

A Keynesian Model: New labor Market Assumptions

• Start w/ Closed Economy

New Labor Market Assumption

- Dis-equilibrium in labor market; idle labor available
- Employment determined by Demand
- Firms willing to increase output at existing wages & prices

condition Droseed from Classical Model

$$\text{Labor Supply} = \text{Labor Demand}$$

$$N^S = N^D$$

Conditions Kept as Before

$$N^S = I \quad (\text{national S, Z})$$

$$M^D = M^S \quad (\text{Money})$$

Key Properties of Keynesian Models

• N^S curve depends on Y

• I curve depends on r

KEY: You Dont sequentially resolve market in traditional order

~~勞動 → 貨物 → 錢~~

You Must Solve Simultaneously

How?

- Collapse $N^S = I$ into one curve

The IS Curve

where Does IS curve come from?

- It's collection of intersections of $I \& N^S$ plotted

The LM Curve

- we collapse $M^D = M^S$ into single curve as well

- Collection of intersection points

The IS

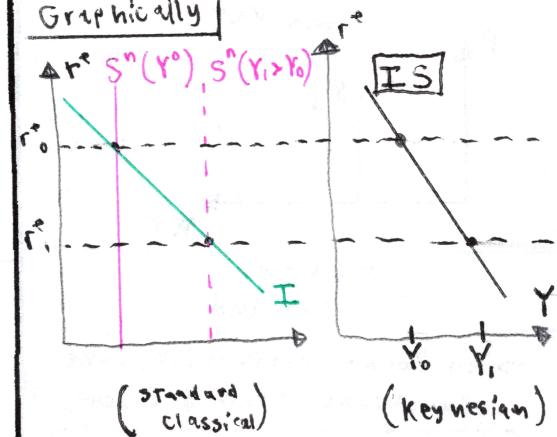
curve

→ It's not a demand or supply curve!

• Collection of possible Equilibrium points between $I \& S^N$

$I \& S^N$

Graphically



What shifts IS curve

- Anything that shifts S^N or I (other than Y , which is now our horizontal axis) shifts IS

Introductory Macroeconomics : (Page 1)

Lecture Note Summary

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Mapping Rule between IS, I, S shifts

Variables that shift \boxed{IS} \rightarrow intersection to higher $r^e \uparrow$



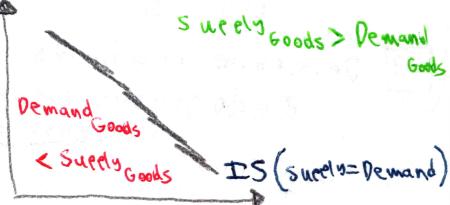
IS curve shifts Right

Variables that shift \boxed{IS} \rightarrow intersection to lower $r^e \downarrow$



IS curve shifts Left

See slide 619 for full list of scenarios



Integrating IS and LM

In Keynesian Model

Intersection of IS & LM

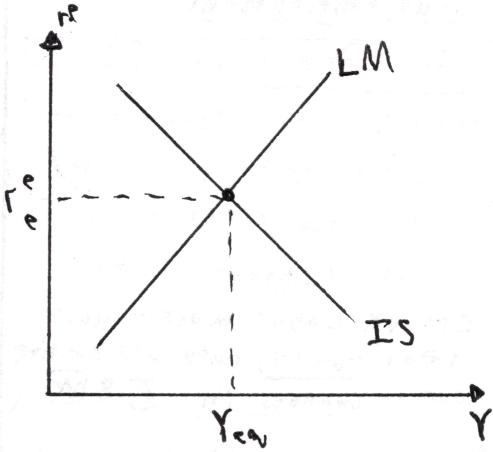
(Equilibrium Condition)

Key Endogenous Variables $\boxed{Y} \& \boxed{r^e}$

→ variables that depend on $\boxed{Y} \& \boxed{r^e}$ are endogenous

BIG DIFFERENCE \boxed{N} (Labor) is Endogenous
complete opposites classical Model

Key Neessian Full Form Model



$\uparrow \rightarrow$ shift Right
 $\downarrow \rightarrow$ shift Left

IS	IS
$\boxed{Y^e}$ +	$\boxed{\delta}$ -
\boxed{H} +	$\boxed{\pi^e}$ -
\boxed{t} -	$\boxed{J/P}$ -
$\boxed{t^e}$ -	\boxed{K} -
\boxed{S} -	
$\boxed{\delta^e}$ -	
\boxed{D} +	
$\boxed{D^e}$ +	
\boxed{TR} +	
$\boxed{TR^e}$ +	
\boxed{G} +	
$\boxed{\Theta}$ -	
$\boxed{\phi}$ +	
\boxed{T} +	
$\boxed{A^e}$ +	

LM

\boxed{B} +	$\boxed{\lambda}$ +
\boxed{ER} -	\boxed{P} -
\boxed{cu} -	
\boxed{td} -	
$\boxed{rr_{cd}}$ -	
$\boxed{rr_{fd}}$ -	
$\boxed{\pi^e}$ +	

Recipe for Success in Keynesian Model

0) Draw original IS-LM Equilibrium

Note: No endogenous variables shift IS or LM in Keynesian Framework

1) Determine if shock shifts IS - curve

2) Determine if shock shifts LM curve

3) Learn what happens to $\boxed{Y} \& \boxed{r^e}$

→ can learn behavior of \boxed{N} from whether Y increases or decreases

The Full Employment Line

Key: understand how to transition between



Want { To overlay Labor Demand = Labor supply on top of IS-LM Framework

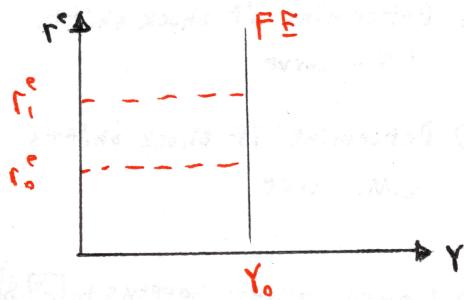
Solution FE Curve

How FE Curve Constructed

- i) pick r^e , and find where labor demand & supply intersect, label N^e
- ii) Let Y_0 be level of output possible with N^e
- iii) Point (r^e, Y_0) will exist on FE curve
Repeat for all range of r^e , get FE curve

Graphical Appearance of FE

FE curve is a vertical line



What shifts FE curve

→ whatever shifts N^e or N^s curves

See Slide 690 for full list re-stated

Integrating IS, LM, & FE

- The key is understanding that $W \& P$ will adjust over time to restore Full employment

Side Note This is very critical. This is why we're able to think about long-term/short-term operating in the classical/Keynesian sense. It's OK Labor markets don't clear today, they will overtime due to changes in $P \& W$

- When IS-LM intersection to right of FE

Prices Rise

- When IS-LM left of FE, Prices Fall

How do Prices P restore Full Employment?

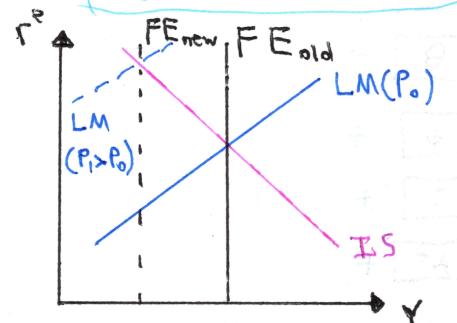
$\uparrow P$ means LM shifts back b/c of an $\uparrow M^D$

$$M^D = P \cdot L(Y, i - i_m, \lambda)$$

This necessitates higher r^e or lower Y to restore equilibrium in Money Market

Stable Long term Equilibrium Achieved when

IS-LM-FE Intersect



Final Recipe for Success in Keynesian Model

- Draw original Equilibrium
 - label curves
 - identify exogenous variables that have changed
 - (In the long run P is endogenous, remember)
- to start have IS-LM-FE in intersection

- Determine shocks to IS

- Determine shocks to LM

- Use 1 & 2) to see effect on r^e & Y

- Determine remaining Endogenous variables in short term

Short-term Reconciliation → Long-run Reconciliation

- 5) 8) Determine if shock shifts N^e or N^s

- See what effect to Long-term N^e , w/p , Y , & FE curve result

- 8)

- If new IS-LM > FE curve (Prices will rise)

Long-Run r^e , P , W determined

- If new IS-LM < FE curve (Prices will fall)

- Lastly, determine Long-Run values of other Endogenous Variables