

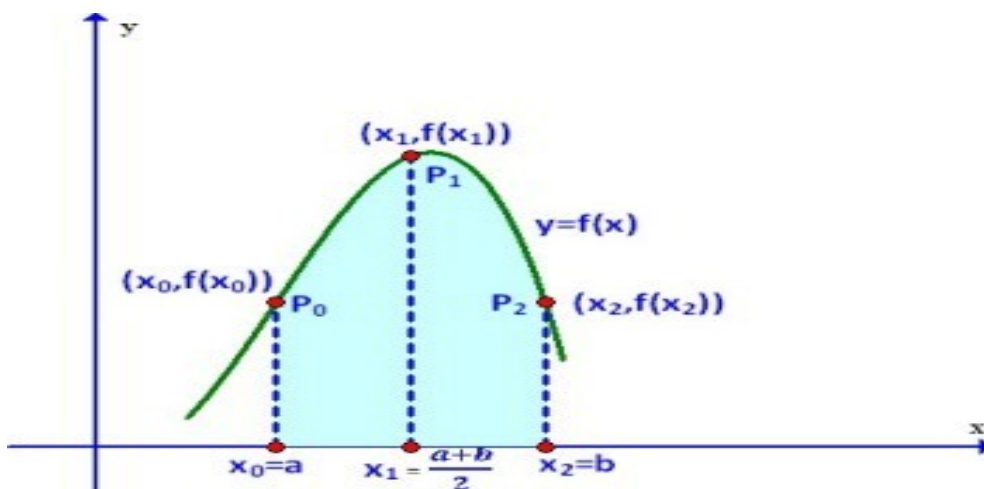
EXPERIMENT-6

AIM–To find the solution of equation using simpson's 1/3rd rule

THEORY–

Simpson's Rule is a Numerical technique to find the definite integral of a function within a given interval.

The function is divided into many sub-intervals and each interval is approximated by a quadratic curve. And the area is then calculated to find the integral. The more is the number of sub-intervals used, the better is the approximation.



FORMULA USED–

$$\int_a^b f(x) dx = S_2 = \frac{h}{3} [f(a) + 4f\left(\frac{a+b}{2}\right) + f(b)]$$

Where $h = (b-a)/2$

$f(x)$ is called the integrand

a = lower limit of integration

b = upper limit of integration

ALGORITHM–

- 1.input Function $f(x)$
- 2.Read a, b, n
- 3.calculate $h=(b-a)/n$
- 4.sum= $f(a)+f(a+nh)$
- 5.for $i=1$ to $i=n-1$
 sum+= $4*f(a+ih)+2*f(a+(i+1)h)$;
- 6.result=sum*($h/3$)
- 7.print result

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CODE-

```
#include<iostream>
#include<cmath>
using namespace std;
float f(float x)
{
return sqrt(1+pow(x,3)); //Define the function f(x)
}

float simpson(float a, float b, int n)
{
float h, x[n+1 ], sum = 0;
int j;
h = (b-a)/n;
x[0] = a;
for(j=1; j<=n; j++)
{
x[j] = a + h*j;
}
for(j=1; j<=n/2; j++)
{
sum += f(x[2*j - 2]) + 4*f(x[2*j - 1 ]) + f(x[2*j]);
}
return sum*h/3;
}

int main()
{
int a,b,n;
a = 1;
b = 4;
n = 6;
cout<<"\nvalue of a="<<a;
cout<<"\nvalue of b="<<b;
cout<<"\nsub intervals n="<<n;
if (n%2 == 0)
cout<<"\nthe value of integral is "<<simpson(a,b,n)<<endl;
else
cout<<"n should be an even number";
return 0;
}
```

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OUTPUT-

```
value of a=1  
value of b=4  
sub intervals n=6  
the value of integral is 12.8718
```