Python Programming

Lab:- 30(Scipy Transform,Interpolation & IO)

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Introduction to SciPy

SciPy is a powerful Python library used for scientific and technical computing. It builds on top of NumPy and provides a wide range of functions and tools for mathematical computations, optimization, integration, interpolation, eigenvalue problems, and signal processing, among many other tasks.

SciPy is essential for data scientists, engineers, and researchers who require advanced computational methods. It is widely used for solving problems in scientific computing, mathematics, engineering, and machine learning.

1. SciPy vs. NumPy

SciPy builds upon NumPy, which is the fundamental package for array operations in Python. NumPy handles basic array operations like matrix and vector multiplication, while SciPy provides higher-level functions to perform operations such as optimization, signal processing, and solving differential equations.

- NumPy is mainly for numerical operations with arrays and matrices.
- <u>SciPy extends NumPy and provides a collection of</u>

 mathematical algorithms and convenience functions that
 make scientific computing easier.

2. SciPy Ecosystem

SciPy is part of the broader SciPy ecosystem which includes libraries like:

- Numpy: For numerical operations and array manipulation.
- Matplotlib: For data visualization.
- Pandas: For data manipulation and analysis.
- SymPy: For symbolic computation.
- scikit-learn: For machine learning.

3. Installation of SciPy

To install SciPy, you can use Python's package manager, pip:

```
pip install scipy
```

Once installed, you can import the library into your Python script:

```
import scipy
```

4. SciPy Sub-packages

SciPy is organized into sub-packages, each focusing on a specific scientific computing domain. Here are some of the key sub-packages:

- <u>scipy.integrate</u>: For integration (numerical integration, solving ordinary differential equations).
- scipy.optimize: For optimization and root finding (finding minimums and maximums).
- <u>scipy.linalg:</u> For linear algebra operations (matrix decompositions, solving systems of linear equations).
- scipy.fftpack: For Fourier transforms (used in signal processing and other areas).
- scipy.signal: For signal processing (filtering, convolution, etc.).

- scipy.spatial: For working with spatial data structures and algorithms (KD-trees, distance computations).
- scipy.stats: For statistical functions (probability distributions, hypothesis testing)

5.Real-World Applications of SciPy

- SciPy is versatile and widely used in several fields:
- Engineering: Used for solving differential equations, system modeling, signal processing, etc.
- Physics: For simulations, modeling dynamic systems, and solving physical equations.
- Machine Learning: SciPy is often used in feature extraction and data processing stages of machine learning pipelines.
- Finance: Optimization algorithms help solve financial modeling problems, portfolio optimization, and risk management.

6. Why Use SciPy?

- Ease of Use: SciPy provides high-level functions for complex mathematical operations, making it accessible even for nonexperts in numerical computing.
- Performance: SciPy is optimized for performance, leveraging compiled libraries such as BLAS, LAPACK, and Fortran.
- Comprehensive: It has an extensive range of functions that cover most aspects of scientific computing.

Assignment Questions:-

Task 1: To Find estimate temperature given known data points by using interpolation:

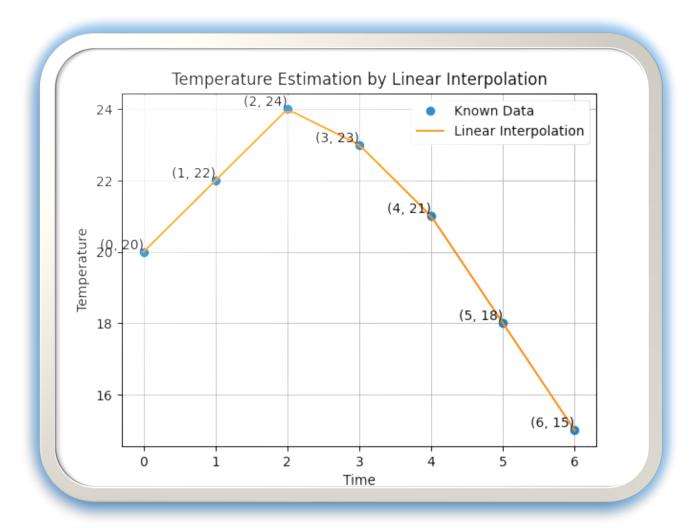
Input -

```
time_data =[0, 1, 2, 3, 4, 5, 6])
temperature_data=[20, 22, 24, 23, 21, 18, 15]
```

Program:-

```
import numpy as np
     import matplotlib.pyplot as plt
     from scipy.interpolate import interp1d
     time_data = [0, 1, 2, 3, 4, 5, 6]
     temperature_data = [20, 22, 24, 23, 21, 18, 15]
     linear_interp = interp1d(time_data, temperature_data, kind='linear')
     time_interpolated = np.linspace(0, 6, 50)
     temperature_interpolated = linear_interp(time_interpolated)
17 plt.plot(time_data, temperature_data, 'o', label="Known Data")
    plt.plot(time_interpolated, temperature_interpolated, '-', label="Linear Interpolation")
    plt.xlabel("Time")
plt.ylabel("Temperature")
21 plt.title("Temperature Estimation by Linear Interpolation")
   plt.grid()
     # Adding data labels for known data points
23
     for i in range(len(time_data)):
         plt.text(time_data[i], temperature_data[i], f'({time_data[i]}, {temperature_data[i]})', ha='right',
         va='bottom')
     plt.legend()
     plt.show()
```

Output:-



Task 2: To Find estimate values range 1 to 100 with known data values

X2= known data

Y2= Estimate data

with different types of interpolation chart.

Program:-

```
lab30.py > ..
     # Task 2: Given data
     X2 = [1, 10, 20, 30, 40, 50, 60, 70, 80, 90, 100]
     Y2 = [10, 20, 15, 25, 30, 22, 18, 28, 35, 27, 40]
     linear_interp2 = interp1d(X2, Y2, kind='linear')
     cubic_interp2 = interp1d(X2, Y2, kind='cubic')
     # Range for interpolation estimates
    X2_interpolated = np.linspace(1, 100, 200)
     Y2_linear = linear_interp2(X2_interpolated)
     Y2_cubic = cubic_interp2(X2_interpolated)
     plt.plot(X2, Y2, 'o', label="Known Data")
     plt.plot(X2_interpolated, Y2_linear, '-', label="Linear Interpolation")
plt.plot(X2_interpolated, Y2_cubic, '--', label="Cubic Interpolation")
     plt.xlabel("X values")
     plt.ylabel("Estimated Y values")
     plt.title("Estimation of Values Using Different Interpolation Methods")
     # Adding data labels for known data points
     for i in range(len(X2)):
         plt.text(X2[i], Y2[i], f'({X2[i]}, {Y2[i]})', ha='right', va='bottom')
     plt.legend()
     plt.show()
```

```
proof if range(len(X2)):

for i in range(len(X2)):

sq     plt.text(X2[i], Y2[i], f'((X2[i]), {Y2[i]})', ha='right', va='bottom')

sc     plt.legend()

sq     plt.show()
```

Output:-

