Merge sort :

Befor understanding merge sort, first we should know about merging

Merging means merge two sorted array into a single array, so merging is done by need of extra array.

ex:

a = | 2 | 10 | 18 | 20 | 23 |

b = | 4 | 9 | 19 | 25 |

we will merge this two array.

let 'i' points on array a.

& j points on array b.

Let the array in which merge array would store be c[];

no. of elements in c be (m+n)

where m = elements in array a.

n = elements in array b.

we will use this concept:

```
if( a[i] > b[j] )        (i<m && j<n)
c[k++] = a[i++];
else
c[k++] = b[j++];
```

If still elements in array remains then we can use

```
for( ; i<m; i++)
  c[k++] = a[i++];
for( ; i<n ; i++)
  c[k++] = b[j++];
```

from above step we get array C as.

C[] = | 2 | 4 | 9 | 10 | 8 | 9 | 20 | 23 | 25 |;

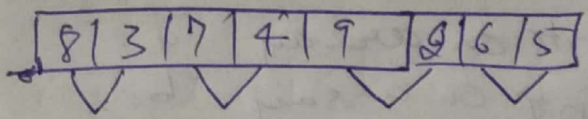
Now, Algorithm for merge sort :

2-way merging : can be implemented iteratively or recursively

ex: A | 8 | 3 | 7 | 4 | 9 | 2 | 6 | 5 |

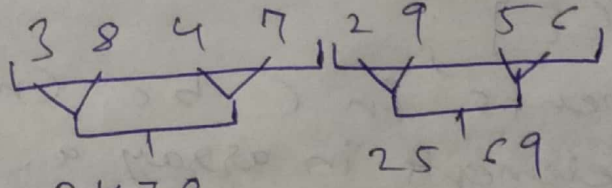
while implementing merge sort, assume each element of array is a separate list & apply merge sort.

1st pass :



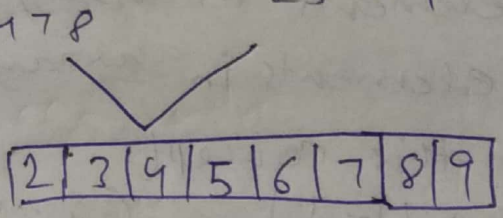
merge n

2nd pass :



n

3rd pass



n

log(n)

n = no. of elements

So, we conclude time complexity of merge sort is O(nlogn)

```
/* iterative algorithm */
Void mergesort (int A[], int n)
{
    for (i=0; i+p-1<=n ; i= i+p)
    {
      l=i;
```

```
        h = i + P - 1;
        mid = (l+h)/2;

        merge (A, l, mid, h);
      }
    }
    if (P/2 < n)
    merge (A, 0, P/2 - 1, n-1);

}
/* Recursive */
                                  →0      →n-1
void Rmergesort(int A[], int l, int h)
{
    int mid;
    if (l<h)
    {
        Rmergesort (A, l, mid);
        Rmergesort (A, mid + 1, h);
        merge (A, l, mid, h);
    }
}
/* program for merging */
void merge (int A[], int l, int mid, int h)
{
    int i, J, K;
    i = l;   J = mid + 1;   k = l;
    while (i ≤ mid && J ≤ h)
    {
      if (A[i] ≤ A[J])
```

```
        B[k++] = A[i++];
    else
        B[k++] = A[j++];
}
for( ; i<=mid; i++)
B[k++] = A[i];
for(; j<=h; j++)
B[k++] = A[j]
/* copy elements of B to A again*/
for(i=l; i<=h; i++)
A[i] = B[i];
}
```

Now it's Time complexity O(n log n) & it falls under out of place algorithm as an extra array is needed.