Fall 2013

QUERY PROCESSING [JOINS, SET OPERATIONS, AND AGGREGATES]

Joins

- The focus here is on "equijoins"
- These are very common, given how we design the database schemas using primary and foreign keys
- Equijoins are used to bring the tuples back together
- Example:

```
SELECT U.login AS login, COUNT(*) AS NumMsgsToday

FROM User U, Messages M

WHERE U.uid = M.uid

AND M.Date(tstamp) = CURRENT_DATE -- select msgs posted today

GROUP BY U.login -- group by login

ORDER BY NumMsgsToday DESC -- order by descending msg count
```

We look at equijoin algorithms next

Page Nested Loops Join: PNL

- For each page in the User table, p_u
- 2. For each page of Message, p_m
- 3. Join the tuples on page p_u with tuple in p_m
- 4. Output matching tuples (after applying any projection)

Let |U| denote the # pages in the User table and |M| denote the # pages in the Messages table,

Then, the IO cost of the PNL Algorithm is:

How many buffer pool pages does this algorithm use?

Can we do better if we have a larger buffer pool with B pages? Where, B >> 3

Block Nested Loops Join: BNL

- 1. Scan the User table B-2 pages at a time
- 2. For each page of Message, p_m
- 3. Probe the hash table with each tuple on the page p_m
- 4. Output matching tuples (after applying any projection)

Let |U| denote the # pages in the User table and |M| denote the # pages in the Messages table,

Then, the IO cost of the BNL Algorithm is: O(

What is the CPU cost for this algorithm?

Block Nested Loops Join: BNL

- 1. Scan the User table B-2 pages at a time
- 2. Insert the user tuples into an in-memory hash table on the join attribute
- 3. For each page of Message, p_m
- 4. Probe the hash table with each tuple on the page p_m
- 5. Output matching tuples (after applying any projection)

Let |U| denote the # pages in the User table and |M| denote the # pages in the Messages table,

Then, the IO cost of the BNL Algorithm is: O(

Index Nested Loops Join: INL

Can be used when there is an index on the join attribute on one of the tables

- For each page in the User table, p_u
- 2. For each tuple on page p₁₁
- 3. Probe the Index on the join attribute on Messages
- 4. Output matching tuples (after applying any projection)

Let |U| denote the # pages in the User table, and

||U|| denote the # tuples in the User table, and

 $I_{\rm m}$ denote the cost of one index probe on the Messages table

Then, the IO cost of the PNL Algorithm is:

The cost of I_m depends on the type of the index and if the index is clustered or unclustered

How many buffer pages does this use?

Blocked Index Nested Loops Join: BINL

- 1. Scan the User table B-2 pages at a time
- 2. Sort the tuples in the B-2 pages on the join key
- 3. For each tuple of the User table
- 4. Probe the Index on the join attribute on Messages
- 5. Output matching tuples (after applying any projection)

Why does sorting help?

Sort-Merge Join: SMJ

- 1. Generate sorted runs for U (Pass 0)
- 2. Generate sorted runs for M (Pass 0)
- 3. Merge the sorted runs for U and M
- 4. While merging check for the join condition
- 5. Output matching tuples

Runs of U on average are ~2B pages long (with B buffer pages) Runs of M are also ~2B pages long

So we have |U|/2B and |M|/2B runs after Line 2 Need to hold one page from each of these runs in memory for Line 3 So, $|U|/2B + |M|/2B \le B$

If |M| is the larger relation, then this means that a "safe" criteria is:

(Simple) Hash Join Algorithm: HJ

- 1. Partition U into P partitions, using a hash function h1 on the join key
- 2. Partition M into P partitions, using a hash function h1 on the join key
- 3. Join each partition of U with the corresponding partition of M
- 4. (using hashing as in BNL, so build a hash table on the U partition)
- // Note the hash function in the second part must be different from h1

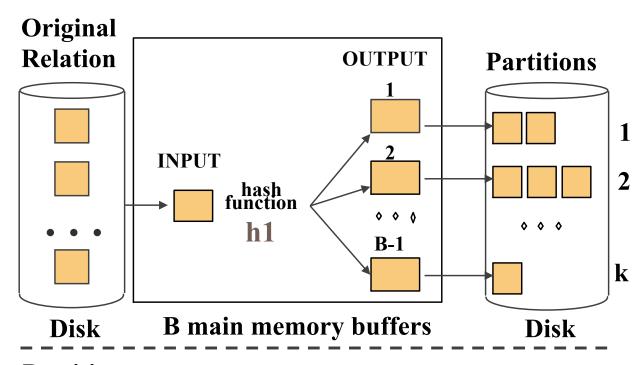
With B buffer pages, # partitions is ~B (for each U and M)

Each partition of U must fit in memory (with its hash table).

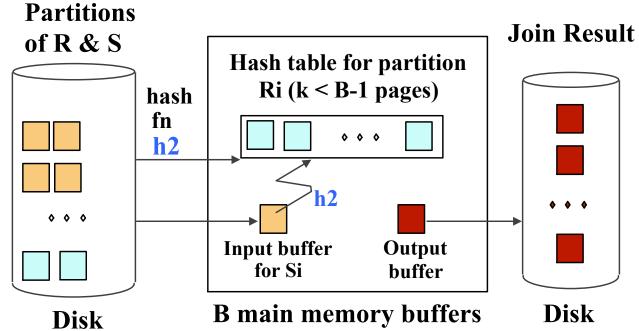
Assume that the hash table increases the space required by a factor of F.

Thus, the largest U that can be joined in two passes is constrained by:

Hash-Join



What if $f^*|U_i| > B-2$?



Hash Join versus Sort-Merge Join

- Need to join U with M, where |M| > |U|, using B buffer pages
- To do a two-pass join, SMJ needs
 - In this case the IO cost is: 3 * (|U| + |M|)
- To do a two-pass join, HJ needs
 - In this case the IO cost is: 3 * (|U| + |M|)

So HJ can sort two relations with fewer buffer pages!

General Join Conditions

- Equalities over several attributes
 - e.g., R.sid=S.sid AND R.rname=S.sname:
 - Index NL
 - index on <sid, sname>
 - index on sid or sname.
 - SM and Hash, sort/hash on combination of join attrs
- Inequality conditions (e.g., R.rname < S.sname):
 - For Index NL, need (clustered!) B+ tree index.
 - Large # index matches
 - SM and Hash not applicable
 - Block NL likely to be the winner

Set Operations

- • and X special cases of join
- U and similar; we'll do U.
 - Duplicate elimination

• Sorting:

- Sort both relations (on all attributes).
- Merge sorted relations eliminating duplicates.
- Alternative: Merge sorted runs from both relations.

Hashing:

- Partition R and S
- Build hash table for R_i.
- Probe with tuples in S_i, add to table if not a duplicate

Aggregates

- Sorting
 - Sort on group by attributes (if any)
 - Scan sorted tuples, computing running aggregate
 - Max: Max
 - Average: Sum, Count
 - If the group by attribute changes, output aggregate result
- Cost: sorting cost

Aggregates

- Hashing
 - Hash on group by attributes (if any)
 - Hash entry: group attributes + running aggregate
 - Scan tuples, probe hash table, update hash entry
 - Scan hash table, and output each hash entry
- Cost: Scan relation!
- What if we have a large # groups?

Aggregates

Index

- Without Grouping
 - Can use B+tree on aggregate attribute(s)
 - Where clause?
- With grouping
 - B+tree on all attributes in SELECT, WHERE and GROUP BY clauses
 - Index-only scan
 - If group-by attributes prefix of search key=> data entries/tuples retrieved in group-by order
 - Else => get data entries and then use a sort or hash aggregate algorithm