

# Unsupervised identification of the body parts of an unknown articulated object

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# Declaration

I hereby declare and confirm that this thesis is entirely the result of my own original work. Where other sources of information have been used, they have been indicated as such and properly acknowledged. I further declare that this or similar work has not been submitted for credit elsewhere.

Hagenberg, February 28, 2017

Anna M. Maureder

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# Abstract

The proposed work describes a method for pose estimation of articulated objects without any prior knowledge of their body parts. Most existing pose estimation methods take advantage of trackers, and user inputs to estimate the joint positions. However, a completely unsupervised method constitutes an enormous potential but also a great challenge. A main solution to that is proposed by template matching associated with the non-rigid registration of meshes, which requires two poses of the same object and applies the Expectation-Maximization algorithm to segment the object into its rigid parts. This is done iteratively by assigning mesh points on body parts and finding transformations that perfectly match those body parts on both meshes. Based on this approach, a segmentation method is developed to obtain the rigid parts of an object and consequently estimate its joints.

# Kurzfassung

An dieser Stelle steht eine Zusammenfassung der Arbeit in Deutsch.

## Chapter 1

# Introduction



## Chapter 2

# Related Work

Here comes the State-of the Art. An overview of related methods to non-rigid registration for detecting rigid body parts of an articulated object are mentioned by Chang [3] and Tam [7] which mainly use the ICP (iterative closest point) and the PCA (Principal component analysis) to find corresponding body parts. This paper is based on the Correlated Correspondance algorithm [2] [1] and Symmetrization [6]. A following work to [3] is [4]. Other methods include temporal coherence, markers and user inputs. Another method is from [5].

### 2.1 Marker, User input

Here are methods that take advantage of user inputs and markers and are therefore supervised methods. I will focus my work on non-rigid registration methods, which are unsupervised.

### 2.2 Non-rigid Registration

Here are methods that focus on non-rigid registration to recover the rigid part of an object.

#### 2.2.1 EM-algorithm

#### 2.2.2 LRP

#### 2.2.3 Symmetrization

## Chapter 3

# My contribution

This chapter focuses on the implementation of a new segmentation approach by taking the existing methods as reference (see chapter 2). The goal is to segment an articulated mesh  $M$  into its unknown number  $n$  of rigid parts  $P = \{part_0, \dots, part_n\}$ , which is done by non-rigid registration of the points clouds  $S_\theta$  and  $D_\theta$  of an object in two different poses. Basically, a divide and conquer approach (see section 3.3) is implemented to reduce the computation steps of the correlated correspondence algorithm [1]. Furthermore, the LRP approach [5] is employed as an initial registration step to align the two poses of the object.

### 3.1 Assumptions

The input mesh  $M$  is assumed to solely consist of rigid parts that can not be deformed or stretched (e.g. rigid parts of a human). Those parts are linked by joints and no matter what kind of pose is adopted by the articulated object, the geodesic distances between mesh points always stay the same (see Figure SKIZZE). As a result the object can be described as a skeleton structure, where parts are always linked the same. Thereby, it is taken advantage of the knowledge that the points located on one rigid part have the same transformation  $T = \{T_0, \dots, T_n\}$ .

### 3.2 Challenges/restrictions

There are many challenges regarding the non-rigid registration of point clouds in 2D, as well as in 3D. First off, the input data can be noisy by means of points not belonging to the object. Furthermore, the approach is computationally expensive and time-consuming, as the corresponding body parts of two meshes need to be detected iteratively. Additionally, the inevitable difficulty of finding the global optimum, related to ambiguous body parts, has to be overcome.

### 3.3 Divide and conquer approach

The point clouds  $S_0$  and  $D_0$  are iteratively subdivided into point clusters  $C = \{cluster_0, \dots, cluster_m\}$  by a divider  $d$ . In each iteration step two related clusters are matched by applying the ICP (iterative closest point) resulting in a matching error  $e$ . In case of  $e < e_{threshold}$ , two clusters are assumed to match. As it might be the case to have detected only a piece of a rigid part, the divider is slid to enlarge the clusters. This is done until the matching error gets higher. The matching clusters are assigned to a rigid part  $part_i$ . In case of  $e > e_{threshold}$  the algorithm is applied recursively and the clusters are again subdivided into further clusters.

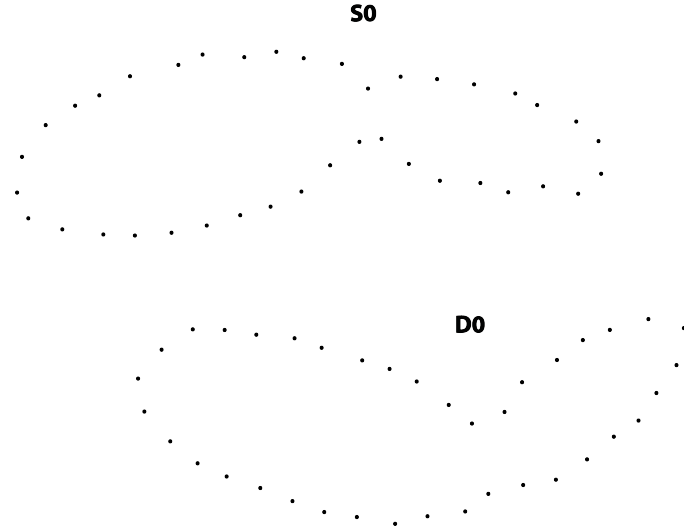
#### 3.3.1 Basic functionality for an articulated object with two parts

Assuming that the object is only composed of two rigid parts, the approach would work the following:

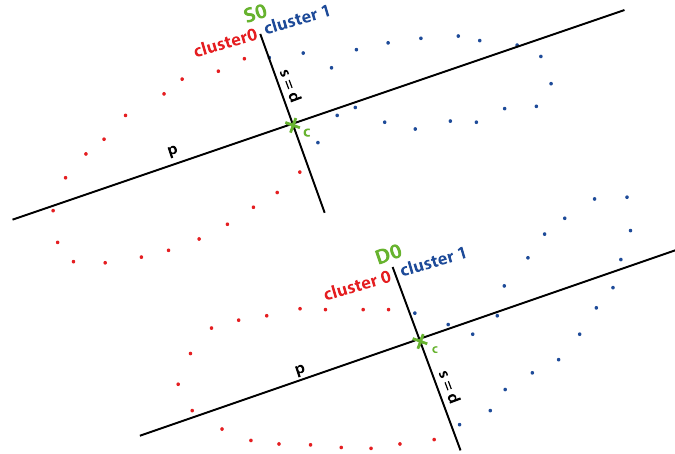
The algorithm starts with two sets of point clouds  $S_0$  and  $D_0$  of the same object in different poses (3.1).  $S_0$  is used as a *template* to be registered with  $D_0$ . The goal is to find a part assignment  $P = \{part_0, part_1\}$  and transformation  $T = \{T_0, T_1\}$  for all points of the *template* that aligns them with all points of  $D_0$ . To iteratively find corresponding parts and transformations,  $S_0$  as well as  $D_0$  are divided into clusters  $C = \{cluster_0, cluster_1\}$ . The dividers  $d_S$  and  $d_D$  are initially defined with the secondary axis  $s_S$  and  $s_D$  (see Figure 3.2). The resulting clusters are matched together with the ICP. Depending on the matching errors  $e_{left}$  and  $e_{right}$ , the dividers are slid alongside the principal axis  $p_S$  and  $p_D$  of the objects to grow/shrink the clusters. The algorithm terminates if the total error  $e_{total} = e_{right} + e_{left}$  doesn't get any smaller and the part assignments are accomplished (see Figure 3.3).

#### 3.3.2 Implementation Steps

1. The centroids  $c_S$  and  $c_D$  of  $S_0$  and  $D_0$  are computed.
2. The principal axis  $p_S$  and  $p_D$  are computed through  $c_S$  and  $c_D$  in order to orient the point clouds horizontally around their centroids.
3. The secondary axis  $s_S$  and  $s_D$  perpendicular to  $p_S$  and  $p_D$  through  $c_S$  and  $c_D$  are computed.
4. The dividers  $d_S$  and  $d_D$  to segment  $S_0$  and  $D_0$  into its assumed two rigid parts are initialized with the secondary axis  $s_S$  and  $s_D$ .
5. The points  $P_{0...N}$  of  $S_0$  are either allocated to  $S_{left}$  or  $S_{right}$  depending on its position to  $d_S$ . The same procedure is done with all points of  $D_0$ .
6. ICP is computed between the rigid parts  $S_{left}$  and  $D_{left}$  as well as  $S_{right}$  and  $D_{right}$ .

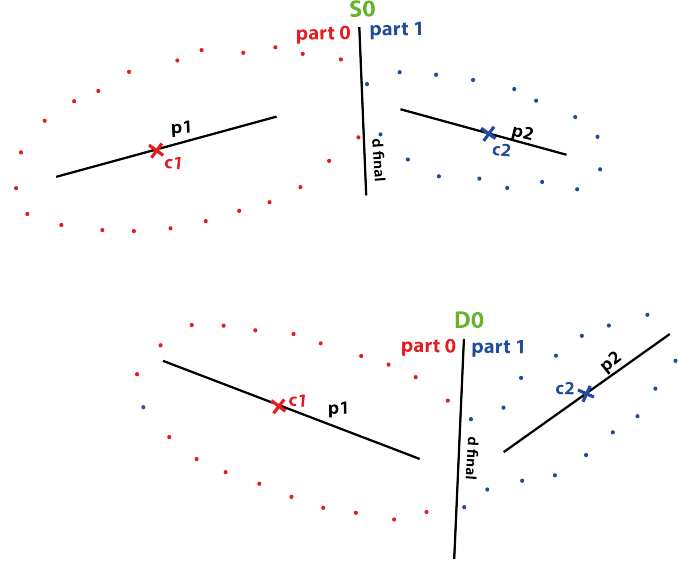


**Figure 3.1:** Taking a mesh  $M$  in two different poses  $S_0$  and  $D_0$  as input.



**Figure 3.2:** Dividing  $S_0$  and  $D_0$  into clusters by the divider  $d$  to match them with ICP.

7. An error distance  $e_{left}$  and  $e_{right}$  is obtained. The part with the most error per point is assumed to be not rigid which gives back an indicator where to divide  $S_0$  and  $D_0$ .
8. The dividers  $d_S$  and  $d_D$  are shifted to the direction of the highest error. To be continued from step 5 until the total error  $e_{total}$  doesn't get smaller.



**Figure 3.3:** Assigning of the rigid parts  $P = (part_0, part_1)$  after termination of segmentation process.

### 3.4 Segmentation of unknown number of rigid parts

In case of having an unknown number of rigid parts  $n$ , the algorithm above has to be applied recursively in order to find all part assignments  $P = \{part_0 \dots part_n\}$ .  $S_0$  and  $D_0$  are thereby initially divided into two assumed rigid parts by the dividers  $d_S$  and  $d_D$  initialized with  $s_S$  and  $s_D$ . The goal is now to find single parts by sliding another divider over  $S_{left}$  and  $D_{left}$  as well as  $S_{right}$  and  $D_{right}$  until the error  $e$  for one part doesn't get any smaller. The total error  $e_{total}$  is not used any more as dividing one part into two doesn't ensure that they are both rigid. After assigning points to a Part  $P$  the geodesic distance between points of rigid parts can be used to find further connecting parts. By taking the dividers as joints and taking into account that rigid parts are located between the same joints, rigid parts in the middle of the object can be easier detected.

#### 3.4.1 Removing outliers

As a first step the outliers of the two point clouds  $S_0$  and  $D_0$  are removed. This is done, by finding clusters and just keeping the biggest one, assuming it is the main object

### 3.4.2 Subdividing into matching clusters

As a next step, the two meshes are recursively subdivided into clusters. This is realised in form of a binary tree.  $S_0$  and  $D_0$  are initially divided into a left and right cluster if the matching between them does not succeed. A new cluster can again be subdivided, if not matching into left and right. By doing the dividing as a depth-first approach of a tree, the whole object is subdivided from the left to the right. If no subdividing is done anymore (as two clusters of two objects match), those clusters are stored as matching cluster. By recursively dividing the objects from one side to another, the neighboring clusters in the list are also neighboring clusters of the object (see Figure XXX).

#### Declaring the matching condition

By applying the ICP and the nearest neighbour approach, usually a certain matching error is computed between  $P = \{p_0, \dots, p_m\}$  and its associated points  $Q = \{q_0, \dots, q_m\}$ . To declare when an object is matching, it is important to find the right maximum matching error  $\tau$ . If it is too high, two clusters are not easy to be matched, which will result in more clusters. If the value is too low, clusters are more likely to be matched and there won't be enough subdividing. The matching threshold is compared to error per point

$$e_{avg} = \frac{\sum_{i=0}^m \|p_i - q_i\|^2}{|P|} \quad (3.1)$$

which is the average error of a point contributing to the total error. By using the average error instead of the total error, region growing is enabled as the matching error is independent of the amount of points.

### 3.4.3 Merging neighboring clusters to rigid parts

As a next step, neighboring clusters from the matchedList are iteratively merged and checked for another match. This is done to reduce the found clusters to the rigid parts of the object. Again, the merge of one cluster is done until no further merge for neighboring parts can be done. Subsequently, the cluster is assumed to be a rigid part and saved in a new list. The resulting rigid parts in the list are again neighboring.

### 3.4.4 Joint/skeleton estimation

### 3.4.5 Implementation

using of a binary tree to recursively segment clusters into smaller clusters, until they match. To be continued until all leaves of the tree can be matched

with other clusters.

### 3.4.6 Results

Results from easy examples. Not working for human, as by dividing of one cluster, breaking down into single clusters (see Figure X). Another approach, e.g. using LRP as an initial alignment to then recursively segment the clusters linked to the LRP. Clusters not matching, as they don't have the same number of points, each point can only have one neighboring point. Or dividing clusters that they all have the same amount of points

## 3.5 LRP as initial alignment

Instead of cutting the object initially in half, as an initial step the largest rigid part is found and recursively from there all other linked parts can be detected.

### 3.5.1 Overview

As an initial step, the LRP algorithm tries to find the most reliable correspondences, the so-called largest rigid part (LRP), subsequently all other parts are detected that are linked to the LRP. The initial alignment stage tries to find sparse correspondences between two point clouds by applying a single rigid transformation to detect the largest subsets of points in two point clouds. Starting from the LRP all other parts are detected recursively.

### 3.5.2 Algorithm

#### Finding the LRP

The algorithm also takes two point clouds  $S_0$  and  $T_0$  of the same object in different configurations as input. The goal is to find a single rigid transformation  $T_{init}$  for all points of  $S_0$  to get potential corresponding points  $C_0 = \{(s_i, t_j)\}$  in  $T_0$ . For that, local descriptors of  $S_0$  and  $T_0$  are computed. The requirement for a sparse correspondance between two points  $s_i$  and  $t_j$  is that they are *reciprocal*, which means that the Euclidean distance  $d(s_i, t_j)$  between them is the smallest in both directions. Some of the sparse correspondances are asumed to be wrong. Therefore, RANSAC is used on the sparse correspondances  $C_0$  to estimate a rigid alignment that is supported by the largest number of points  $n$  from  $S_0$  and  $T_0$ . To assign the LRP in  $S_0$  and  $T_0$ , the biggest point clusters  $C_s$  and  $C_t$  of the overlapping area  $G_s = \{C_1, \dots, C_n\}$  and  $G_t = \{C_1, \dots, C_n\}$  are detected.

### Part discovery

The remaining clusters from  $S_0$  and  $T_0$  that have not been registered yet are matched recursively by starting with clusters connected to already matched parts. First, all matched parts are excluded from the input point clouds  $G_{s(l+1)} = S_0 - C_{sl}$  and  $G_{t(l+1)} = T_0 - C_{tl}$  defining  $l$  as the number of already matched parts  $\{1, \dots, n\}$ ,  $C_{sl}$ . For that clusters are formed, using region taking into account that they are attached to already registered parts. The algorithm explained is applied until all body parts have been discovered.

#### 3.5.3 Steps

1. The centroids  $c_s$  and  $c_t$  of  $S_0$  and  $T_0$  are computed.
2. The principal axis  $p_s$  and  $p_t$  are computed through  $c_s$  and  $c_t$  in order to horizontally orient the objects around their centroids.
3. The ICP is conducted as a first guess to find a transformation  $T_{init}$  for all points from  $S_0$  that results in the highest number of corresponding points  $n$  in  $T_0$ , given the threshold  $T$ .
4.  $C_0$  contains the corresponding points from  $S_0$  and  $T_0$ , resulting from  $T_{init}(S_0)$ .
5. The RANSAC approach is applied on  $C_0$  to find a  $T_f$  that results in the highest number of corresponding points  $n$  between  $T_f(S_0)$  and  $T_0$ .
6. The LRP is assigned to  $C_s$  and  $C_t$  from the resulting point clusters  $G_s$  and  $G_t$ .
7. Starting from parts that are connected to the LRP, corresponding points  $C_i$  for unmatched points from  $S_0$  and  $T_0$  are sought. The clusters are given as an input from Step 5.

### 3.6 Other approaches

### 3.7 Points-to-Ellipse fitting

#### 3.7.1 Algorithm

This algorithm only requires one point cloud containing  $m$  points  $\{pt_0, \dots, pt_m\}$ . The basic idea is to segment the non-rigid object  $S_0$  into its rigid parts  $part_1$  and  $part_2$  by fitting ellipses to its rigid parts.  $S_0$  is divided perpendicular to its principal axis  $p_0$  into two assumed rigid parts  $S_{left}$  and  $S_{right}$ , initially defining the divider  $d$  with the secondary axis  $s_0$ . The points of  $S_{left}$  and  $S_{right}$  are verified to form an ellipse by using its formular

$$\frac{x^2}{r_1^2} + \frac{y^2}{r_2^2} = 1 \quad (3.2)$$



Assuming to verify  $S_{left}$  forming an ellipse,  $r_1$  is half the length of the principal axis  $p_{left}$  of  $S_{left}$  through its centroid  $c_{left}$ . Furthermore,  $r_2$  is half the length of the secondary axis  $s_{left}$  of  $S_{left}$ . Thereby, the centroid  $c_{left}$  needs to be located in the origin (0,0). Now, to check whether a point  $pt_i$  of  $S_{left}$  is located on the ellipse, the formular is remodeled and its x values is applied.

$$\left(1 - \frac{x^2}{r_1^2}\right) \cdot r_2^2 = y^2 \quad (3.3)$$

The resulting y-value of the ellipse is compared to the points actual y-value. Given a certain threshold  $\tau$  a point either accounts to the number of total points lying on the ellipse  $n$ , or not.

$$n = \sum_{i=0}^m \begin{cases} 1 & \text{if } \|pt_i \cdot y^2 - y^2\| < \tau \\ 0 & \text{otherwise} \end{cases} \quad (3.4)$$

The algorithm is repeated by sliding  $d$  in the direction of the highest error  $e$ . To be continued until the total error  $e_{total} = e_{left} + e_{right}$  reaches its minimum.

### 3.7.2 Steps

1. The centroid  $c_0$  of  $S_0$  is computed.
2. The principal axis  $p_0$  is computed through  $c_0$  and  $S_0$  horizontally oriented.
3. The secondary axis  $s_0$  perpendicular to  $p_0$  through  $c_0$  is computed.
4. The divider  $d$  is initialized with the secondary axis  $s_0$  to segment  $S_0$  into two assumed rigid parts .
5. The points of  $S_0$  are either allocated to  $S_{left}$  or  $S_{right}$  depending on its position to  $d_0$ .
6. The ellipse formular is applied on  $S_{left}$  and  $S_{right}$ .
7. An error  $e_{left}$  and  $e_{right}$  is obtained implying how many points of  $S_{left}$  and  $S_{right}$  form an ellipse.
8. The divider  $d$  is shifted to the direction of the highest error. To be continued from step 5 until the total error  $e_{total}$  doesn't get smaller.

### 3.7.3 Results

#### 3.7.4 Reusing detected shapes

After termination of the algorithm, one point cloud can be segmented into its rigid parts  $P \{part_1, ..., part_n\}$ . Their variables like the ellipses' centroid  $c_i$  and radii  $r_1, r_2$  can be used to segment similar point clouds in different configurations. As the shapes to be matched are already known, e.g. how they are linked, finding the position to be segmented is a lot easier.

### 3.8 General Results

### 3.9 Improvements

### 3.10 Future work

The approaches implemented in 2D are then implemented in 3D using the PCL.

## Chapter 4

# Conclusion

To conclude, I proposed... The results are ...

### 4.1 Future work

Future developments can be done by ....

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