

## SSA 200

### Strategic Use of Data

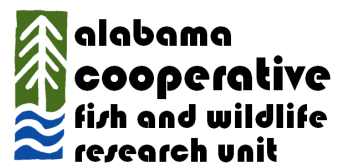
Lecture slides, activities, and additional supplementary materials are available online at:  
**[ssa200.auburn.edu](http://ssa200.auburn.edu)**

What is a model?

The purpose of modeling

- Statistical analysis of data
- Use statistical analysis to predict the future
- Explaining variation
- Using data analysis to understand ecological processes
- Predict patterns in the future
- Evaluate competing hypothesis about how the system works

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## Statistical distributions

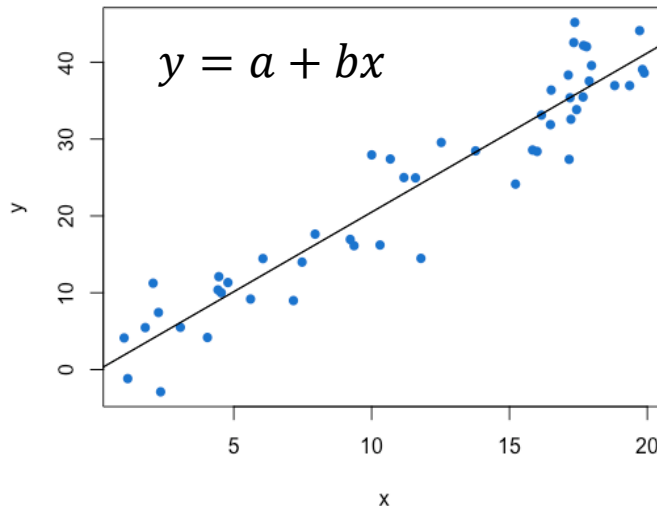
| Name              | Continuous or Discrete | Bounds            | Common applications                         | Shape | Notes |
|-------------------|------------------------|-------------------|---|-------|-------|
| Normal            | Continuous             | $-\infty, \infty$ | Linear regression                           |       |       |
| Binomial          | Discrete               | 0 or 1            | Occupancy<br>Survival                       |       |       |
| Multinomial       | Discrete               | 0, $\infty$       | State transitions                           |       |       |
| Poisson           | Discrete               | 0, $\infty$       | Count data                                  |       |       |
| Negative Binomial | Discrete               | 0, $\infty$       | Counts with many zeros                      |       |       |
| Log-normal        | Continuous             | 0, $\infty$       | Population-level productivity (projections) |       |       |
| Beta              | Continuous             | 0, 1              | Population rates (projections)              |       |       |
| Uniform           | Continuous             | User-defined      | Variety of applications (projections)       |       |       |

## Linear regression and AIC

**General** linear model – response variable ( $y$ ) has a Normal distribution

**Generalized** linear model – response variable ( $y$ ) has some other distribution

- **Logistic** regression – Binomial distribution
- **Poisson** regression – Poisson distribution



| Parameter | Estimate | SE     | $t$    | p-value  |
|-----------|----------|--------|--------|----------|
| Intercept | -0.22    | 1.29   | -0.169 | 0.866    |
| $b$       | 2.07     | 0.0978 | 21.16  | < 0.0001 |

| Model   | AIC   | $\Delta$ AIC | Np | $w_i$ |
|---|-------|--------------|----|-------|
| Int + Covariate 1 + Covariate 3               | 345.8 | 0            | 3  | 0.82  |
| Int + Covariate 1 + Covariate 2 + Covariate 3 | 349.1 | 3.1          | 4  | 0.18  |
| Int   | 359.8 | 14.0         | 2  | 0     |
| Int + Covariate 2                             | 361.1 | 15.3         | 1  | 0     |

## Types of uncertainty

**Partial controllability** – We are unable to control the exact management actions taken in a system.

Examples:

- Setting management goals – we may intend to fully restore a habitat, but may not be able to implement the exact management goals due to other logistical constraints

**Observational uncertainty** – We are unable to perfectly observe the state of natural systems.

Examples:

- Count data – in almost all cases, we cannot count every individual present at a specific location, but instead assume there is some probability of detecting individuals

**Environmental variation** – Stochastic environmental fluctuations mean that conditions typically vary randomly from year to year.

Examples:

- Predicting effects of temperature – we may estimate a relationship between temperature and survival probability that we can use to predict survival under future temperature conditions, but temperature will likely vary in a stochastic way from year to year.

**Ecological uncertainty** – We have an imperfect understanding of how ecological systems work.

Examples:

- Metapopulation dynamics – we think a set of populations function as a metapopulation, but have not conducted studies to explicitly estimate immigration among sites, and therefore we are unsure to what extent immigration plays a role in measured population growth rate at each site.

## Some key terms

**Response/dependent variable** – in a statistical model, the variable that you are interested in better understanding or predicting (the “y” variable)

**Predictor/independent variable** – in a statistical model, the variable(s) that explain some of the observed variation in the response variable (the “x” variables)

**Covariate** – an environmental or ecological quantity that usually represents a stressor or species need and is included in a model as a predictor variable

**Parameter** – statistical quantities that are estimated to explain the relationship between predictor and response variables. Can also be used to refer to demographic vital rates of interest

**Collinearity** – occurs when two predictor variables in the same model are correlated with each other

**Overfitting** – occurs when too many predictor variables are included in the model, resulting in a model that is not very useful for prediction

**AIC** – stands for Akaike’s Information Criterion – a metric used to rank models based on how well they fit the data with a penalty for the number of covariates in the model (to avoid overfitting)

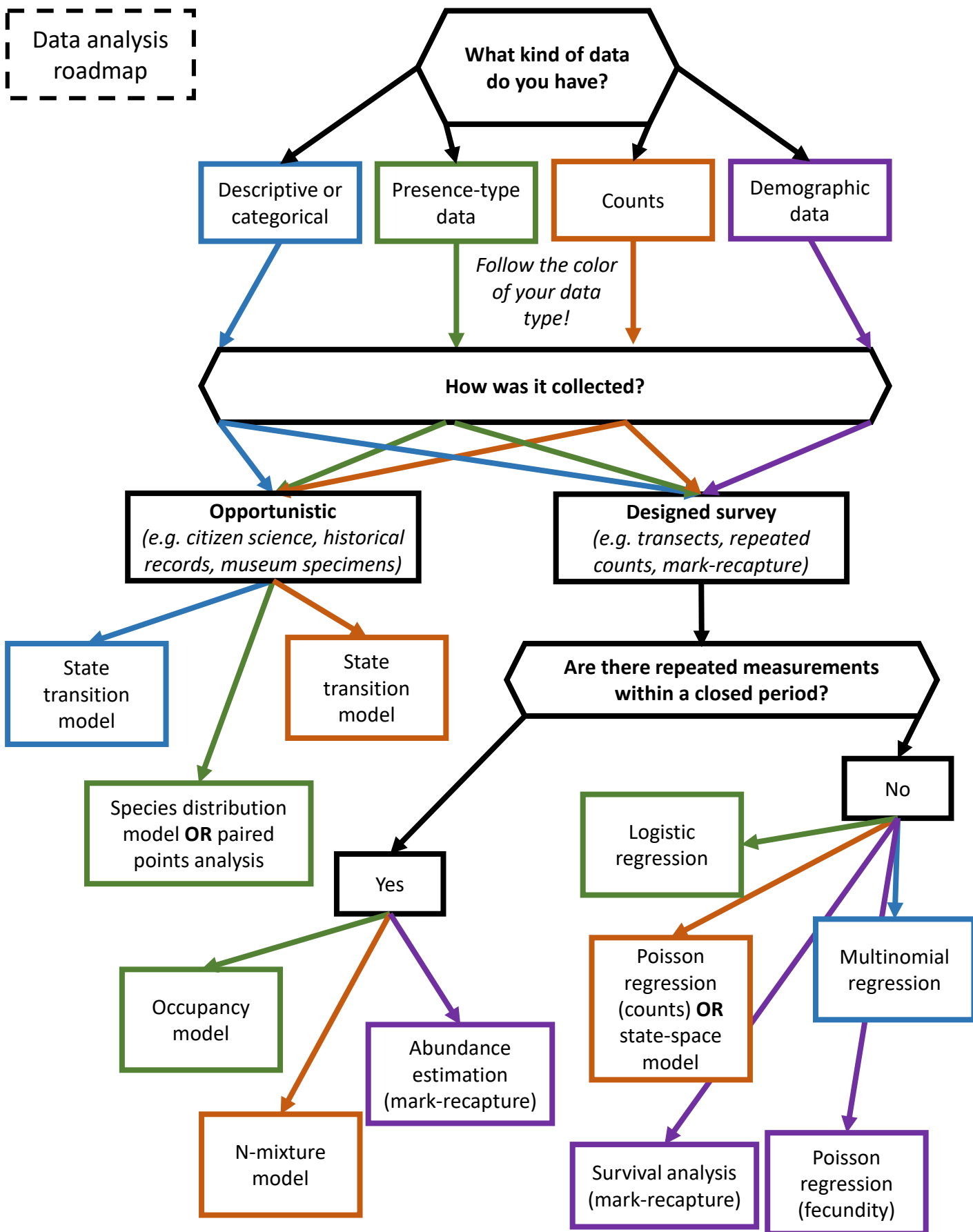
**Intercept** – the theoretical value of the response variable if all predictors were equal to zero

**Null model** – the “intercept-only” model that does not include any covariates

**Global model** – the most complex model in the model set that includes all covariates

**Population closure** – an important concept for occupancy and abundance estimation, a population is considered “closed” when there are no births, deaths, immigration, or emigration

Data analysis  
roadmap



*This roadmap is to serve as a general guide and is not an exhaustive list of all analysis options. Also, **always check the specific assumptions of your planned modeling approach!***