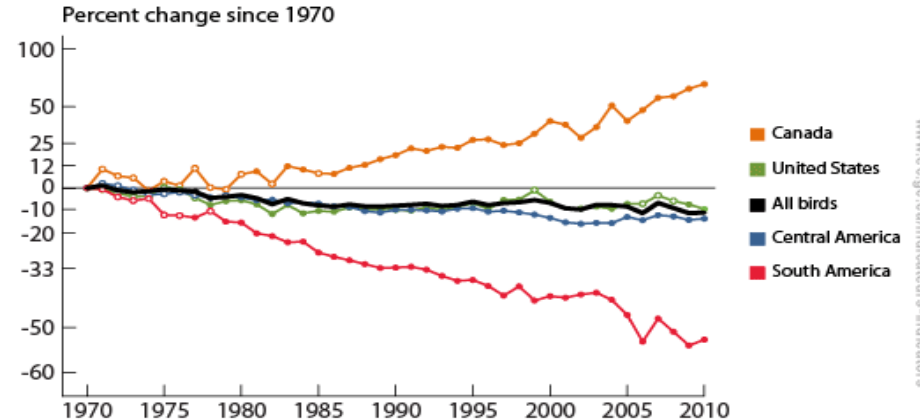


# Analysis of demographic data

SSA 200

# Estimating population vital rates

- Can use counts to model change in population size and the effect of covariates
- Intrinsic population characteristics govern population dynamics
- Stressors and threats often act directly on these rates
- This can help guide conservation actions to where it will be the most helpful and examine effects of potential management actions



**Change in  
population size**

**= births**

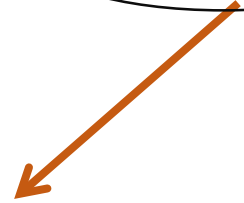
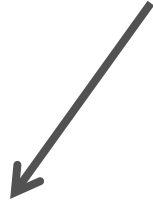
**+**

**immigration**

**-**

**deaths**

**emigration**



### **Fecundity/Recruitment**

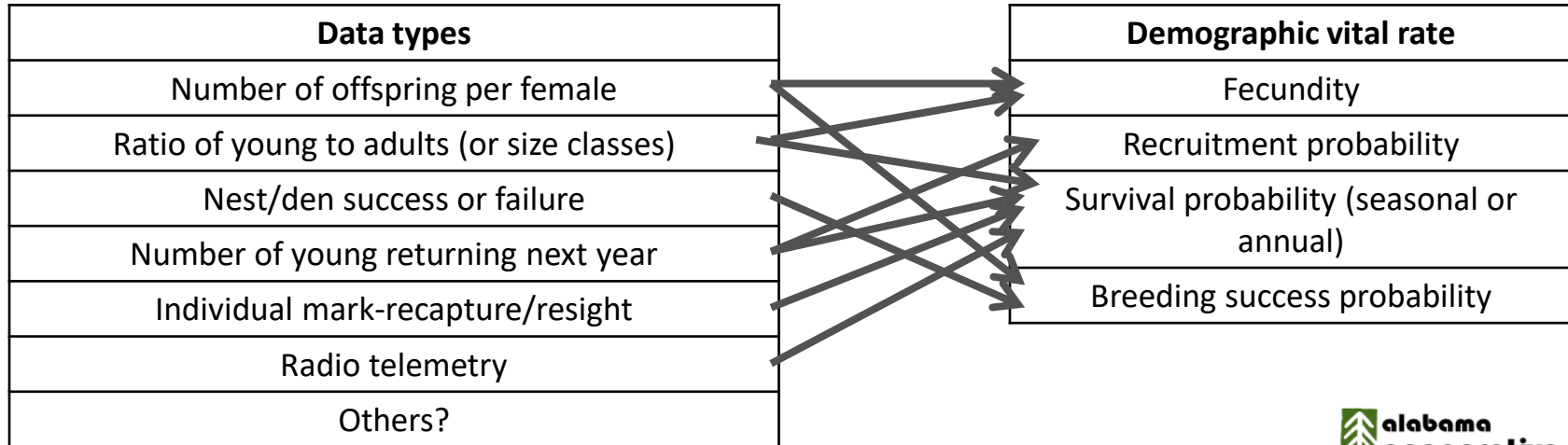
- Nest/den monitoring
- Reproductive success/failure
- Number of offspring produced
- Age ratios

### **Apparent survival**

- Individual capture-mark-recapture
- Radio telemetry

# Demographic data types

- Many different types, depends on ecology/life history of species of interest
  - Number of broods/litters per season
  - Breeding site fidelity
  - Etc.



# Estimating fecundity

- From a population growth perspective, recruitment into breeding population is more important than fecundity
  - A product of many events: reproductive success, juvenile survival, site fidelity/dispersal
- Often easier to collect data on breeding success than recruitment
- Can estimate from individual-level data (nest/den success) or population-level data (ratio of young to adults)

# GLMs to estimate fecundity

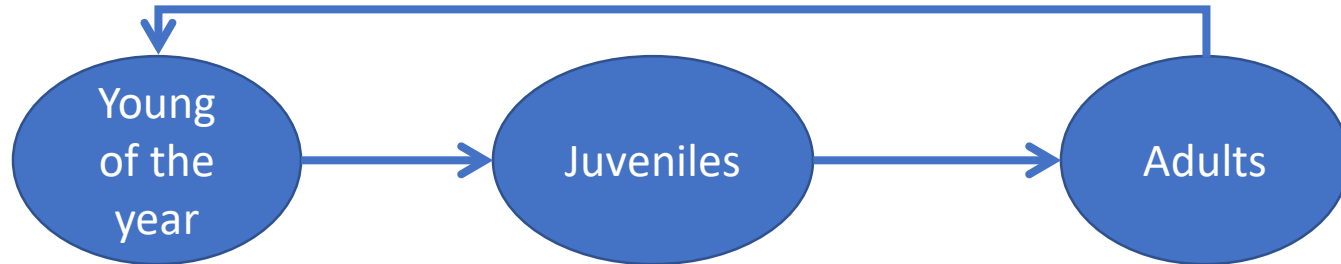
- Include ecological covariates to determine important drivers of breeding success
- Type of GLM depends on response variable
  - Number of offspring per female →
  - Successful breeding (yes/no) →

# Estimating survival/mortality

- Radio telemetry → known fate models
  - Assume perfect detection of individuals
- Individual capture-mark-recapture → Cormack-Jolly-Seber (CJS) models
  - Data can come from a variety of sampling methods
    - Physical recapture (trapping array)
    - Photographic re-encounter (camera traps)
    - Re-sightings (field-readable tags, individually-identifiable marks)
    - Noninvasive genetic sampling (hair snares, scat collection)
  - Assume **imperfect detection** of individuals

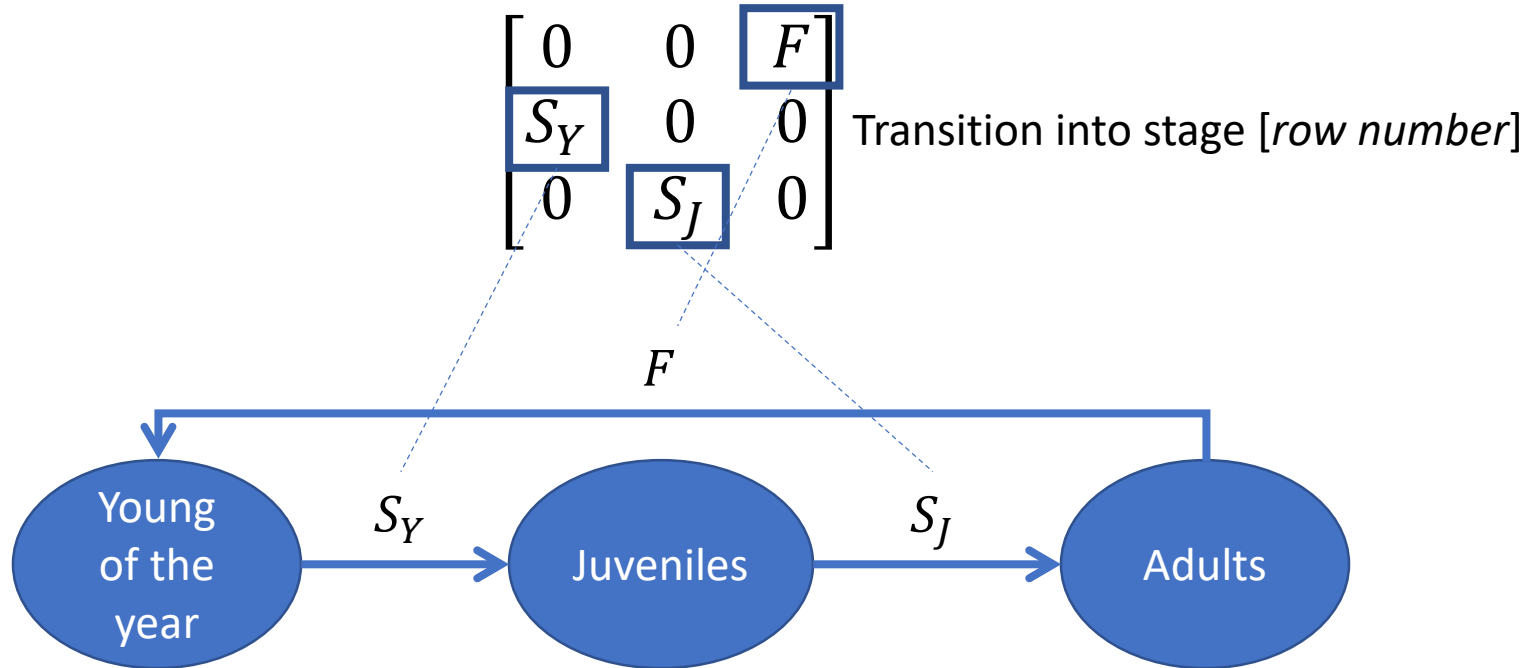
# Matrix models for age- or stage-structure

- When vital rates vary by age or stage (e.g. size), matrix models are used to present and analyze demographics
  - Individuals always advance linearly through stages (they can't shrink or become younger)





In each year, what proportion of the individuals in stage [*column number*]...



# Building a matrix model

- Can use combination of methods to fill in vital rates
  - Published in the literature
  - Primary analysis of data
  - Expert opinion

# Applications of matrix models

- Which vital rate has the strongest effect on changing population growth rate ( $\lambda$ )?
  - Elasticity/sensitivity analysis
  - Implications for choosing conservation actions

# Loggerhead sea turtle matrix model

## “Slow” life history

- Sexual maturity at 17-33 years
- Lifespan 47-67 years

## Key threats:

- Predation of eggs and small juveniles
- Mortality due to fishing trawls
- Loss of nesting habitat

## Difficult to study

- Worldwide movements
- Hard to determine age



*Crouse et al 1987*  
*Crowder et al 1994*



# Stage-structured matrix model

Five stages:

1. Eggs/hatchlings
2. Small juveniles
3. Large juveniles
4. Subadults
5. Adults

$$\begin{bmatrix} P_1 & F_2 & F_3 & F_4 & F_5 \\ G_1 & P_2 & 0 & 0 & 0 \\ 0 & G_2 & P_3 & 0 & 0 \\ 0 & 0 & G_3 & P_4 & 0 \\ 0 & 0 & 0 & G_4 & P_5 \end{bmatrix}$$

Three demographic rates:

- Fertility
- Probability of surviving and remaining in the current stage
- Probability of surviving and Growing into the next stage

$$\begin{bmatrix} 1 & 2 & 3 & 4 & 5 \\ 0 & 0 & 0 & 0 & 76.5 \\ 0.675 & 0.703 & 0 & 0 & 0 \\ 0 & 0.047 & 0.657 & 0 & 0 \\ 0 & 0 & 0.019 & 0.682 & 0 \\ 0 & 0 & 0 & 0.061 & 0.8091 \end{bmatrix}$$

*Gathered data on survival and reproductive rates from other published studies*

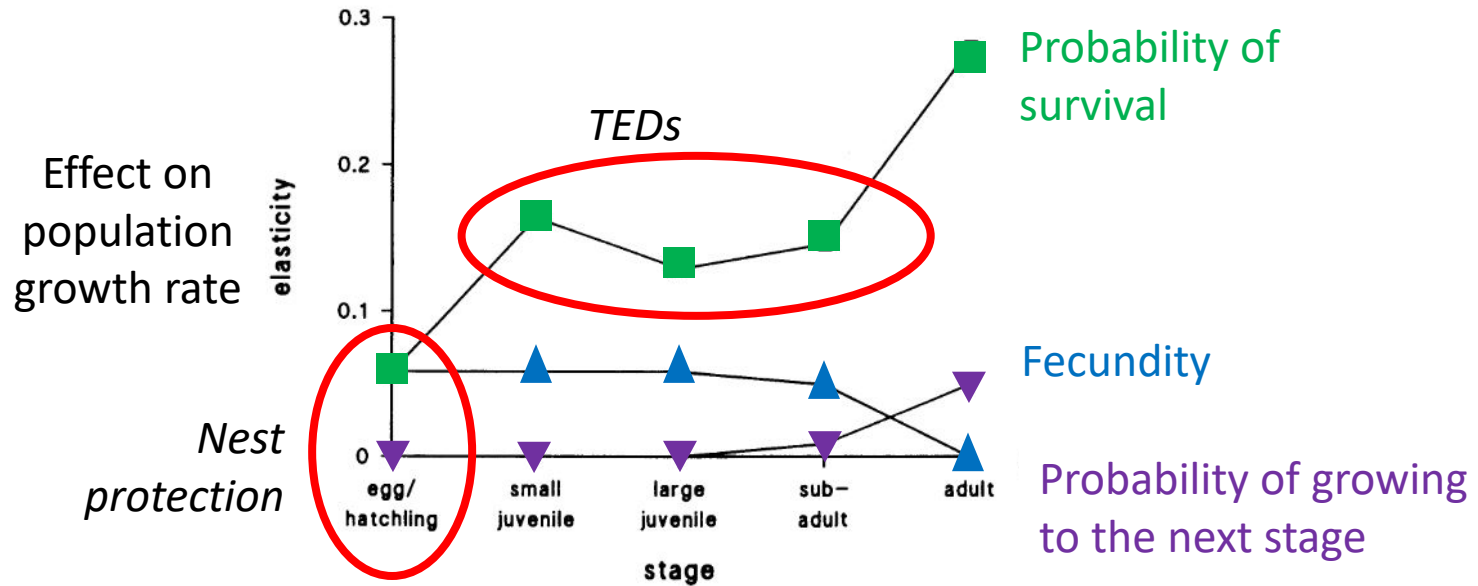
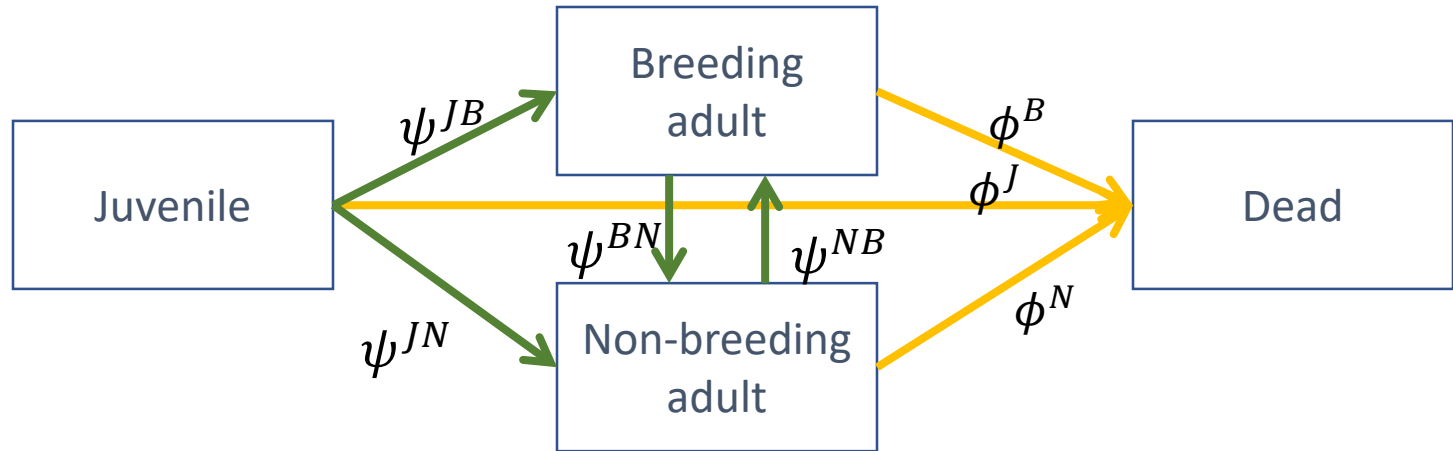


FIG. 1. The elasticity, or proportional sensitivity, of  $\lambda$  to changes in reproductive output ( $F$ ), survival while remaining in the same stage ( $P$ ), and survival with growth into the next stage ( $G$ ). Because the elasticities sum to one (Caswell 1989), they can be compared directly in terms of their contribution to population growth rate,  $r$ .

# Multistate models

- Used to estimate transition probabilities among different physical sites or biological states
- Look similar to matrix models, but individuals can move back and forth between states
  - Breeder/non-breeder status
  - Disease status
  - Movement among study areas
- Very flexible and applicable to a range of situations

# Example – breeding/non-breeding status



	J	B	N	D
J	0	$\phi^J \psi^{JB}$	$\phi^J \psi^{JN}$	$1 - \phi^J$
B	0	$\phi^B (1 - \psi^{BN})$	$\phi^B \psi^{BN}$	$1 - \phi^B$
N	0	$\phi^N \psi^{NB}$	$\phi^N (1 - \psi^{NB})$	$1 - \phi^N$
D	0	0	0	1



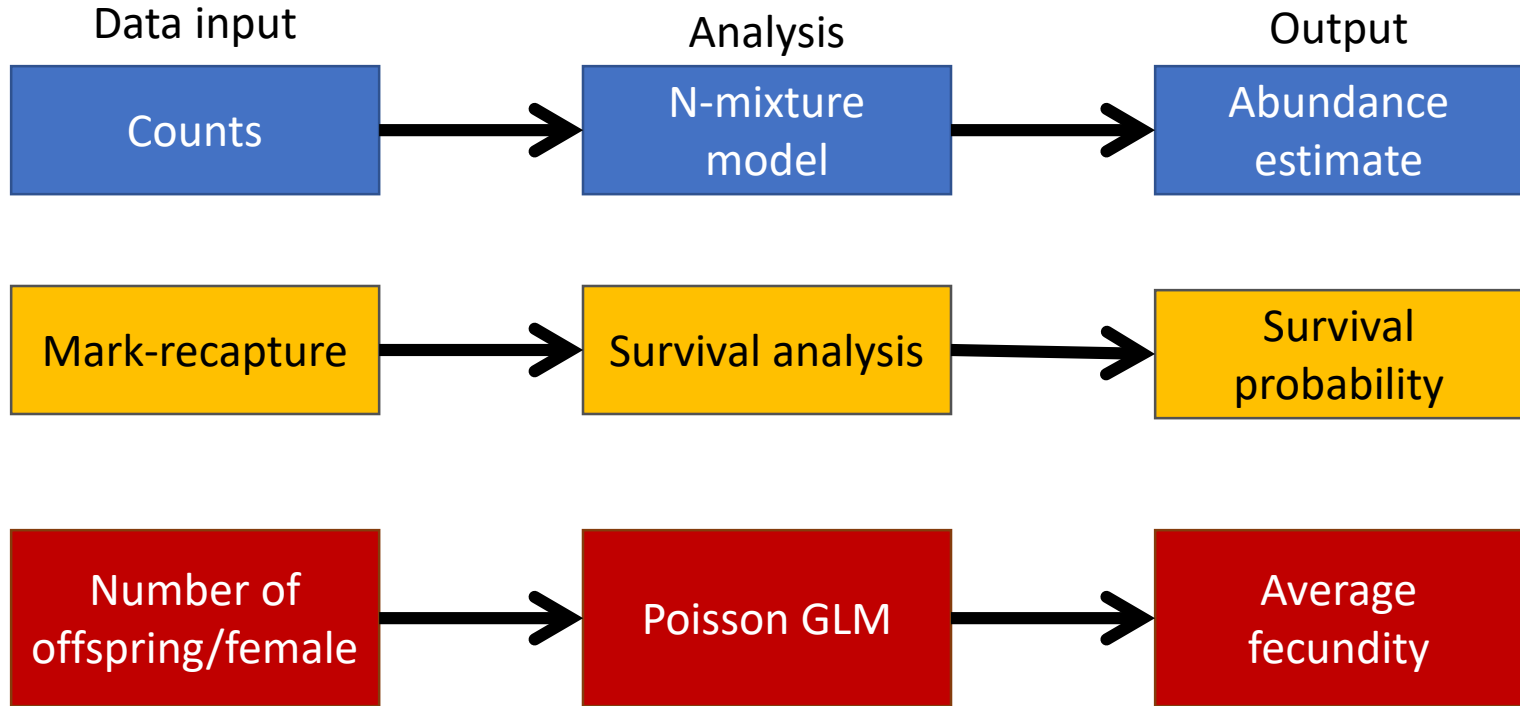
# Extensions of multistate models

- Range of applications, not just individual mark-recapture data
- Used in both estimation and projection
- Migratory connectivity
  - probability of moving among multiple breeding and wintering sites
- Multistate occupancy analysis
  - change in occupancy state of sites (e.g. many, few, or none detected, detected with and without breeding activity, etc.)
- Ecological succession
  - change in dominant land cover type over time

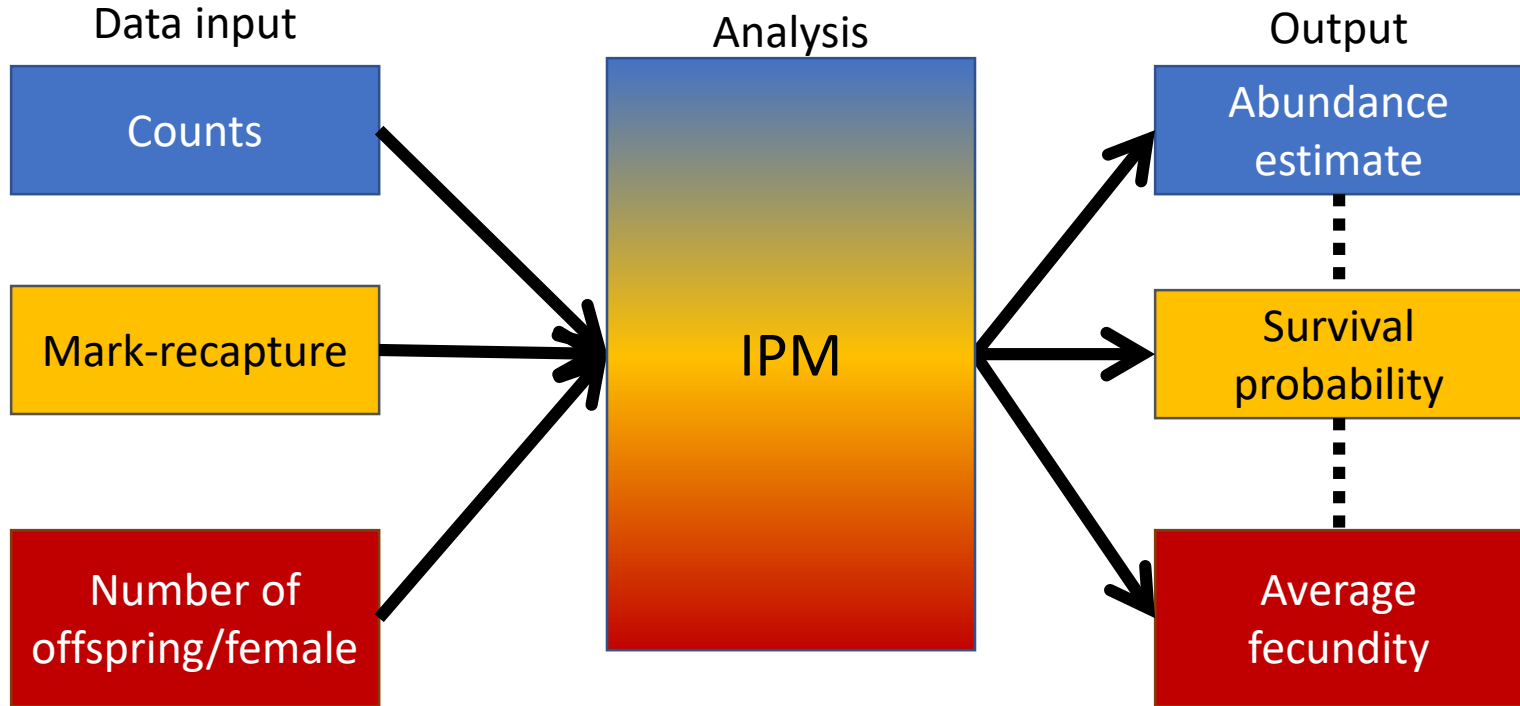
# Integrated Population Models (IPMs)

- Relatively new approach to combining all sources of demographic information into one analysis
  - Typically **counts**, **mark-recapture**, and some measure of **fecundity**
- Pros:
  - More precise estimates of demographic rates
  - Can potentially estimate things you don't have explicit data about (usually these things are hard to measure)
    - Immigration/emigration, juvenile survival
  - Can directly project population into the future while propagating all uncertainty
- Cons:
  - More complicated analysis, requires more time/expertise to develop

# Non-integrated analysis



# Integrated analysis



Change in  
population size = births + immigration - deaths - emigration

$$\lambda =$$



# Do I need to use an IPM?

- Core assumption = all data are a product of the same underlying population processes
- Most useful when:
  - Individual analyses of different data sources give competing results
  - You want to estimate a demographic parameter without data (e.g. immigration rate)

