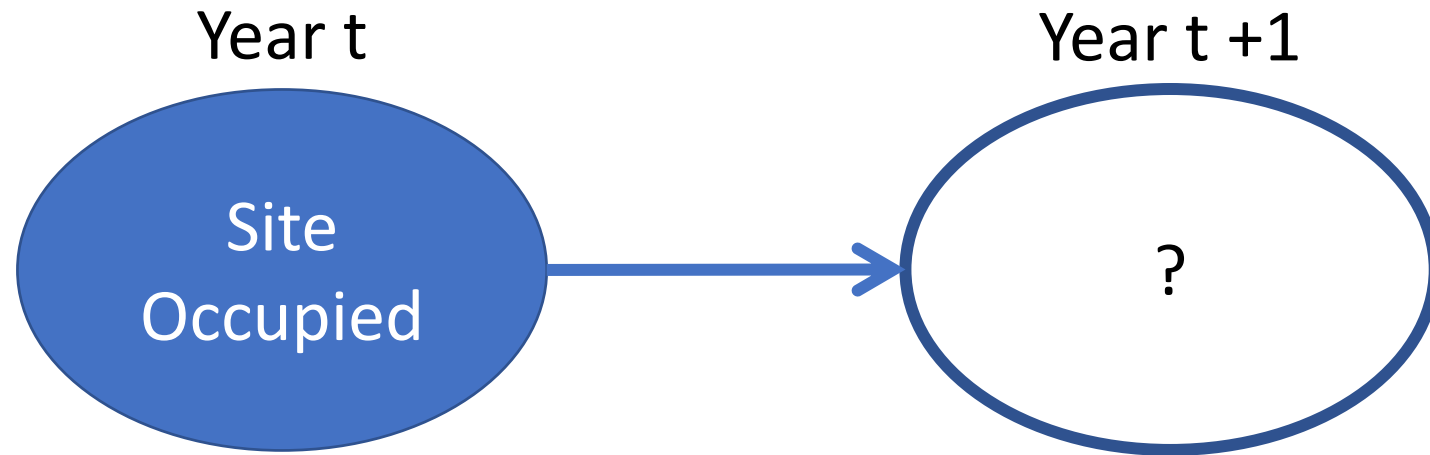


# Occupancy and multi-state occupancy projection models

**SSA 200**

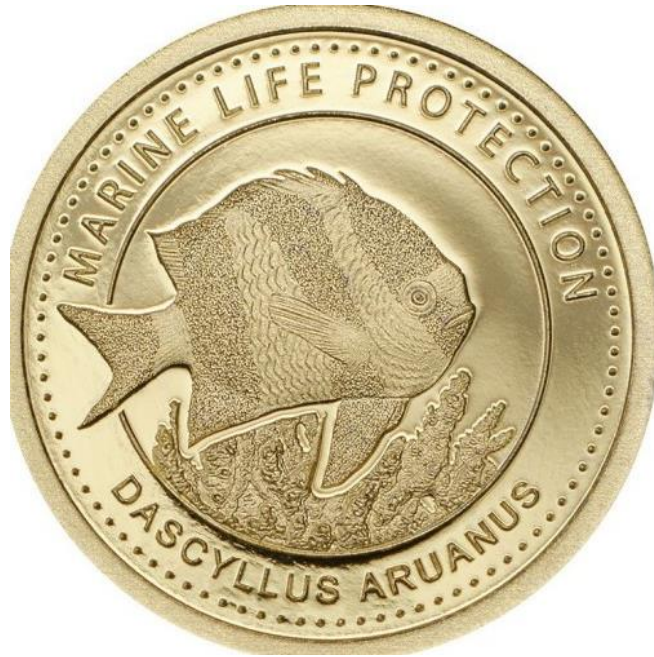
# Site occupancy projection



# Essentially a weighted coin flip



Probability of heads (1) =  
Occupancy probability (P)



1

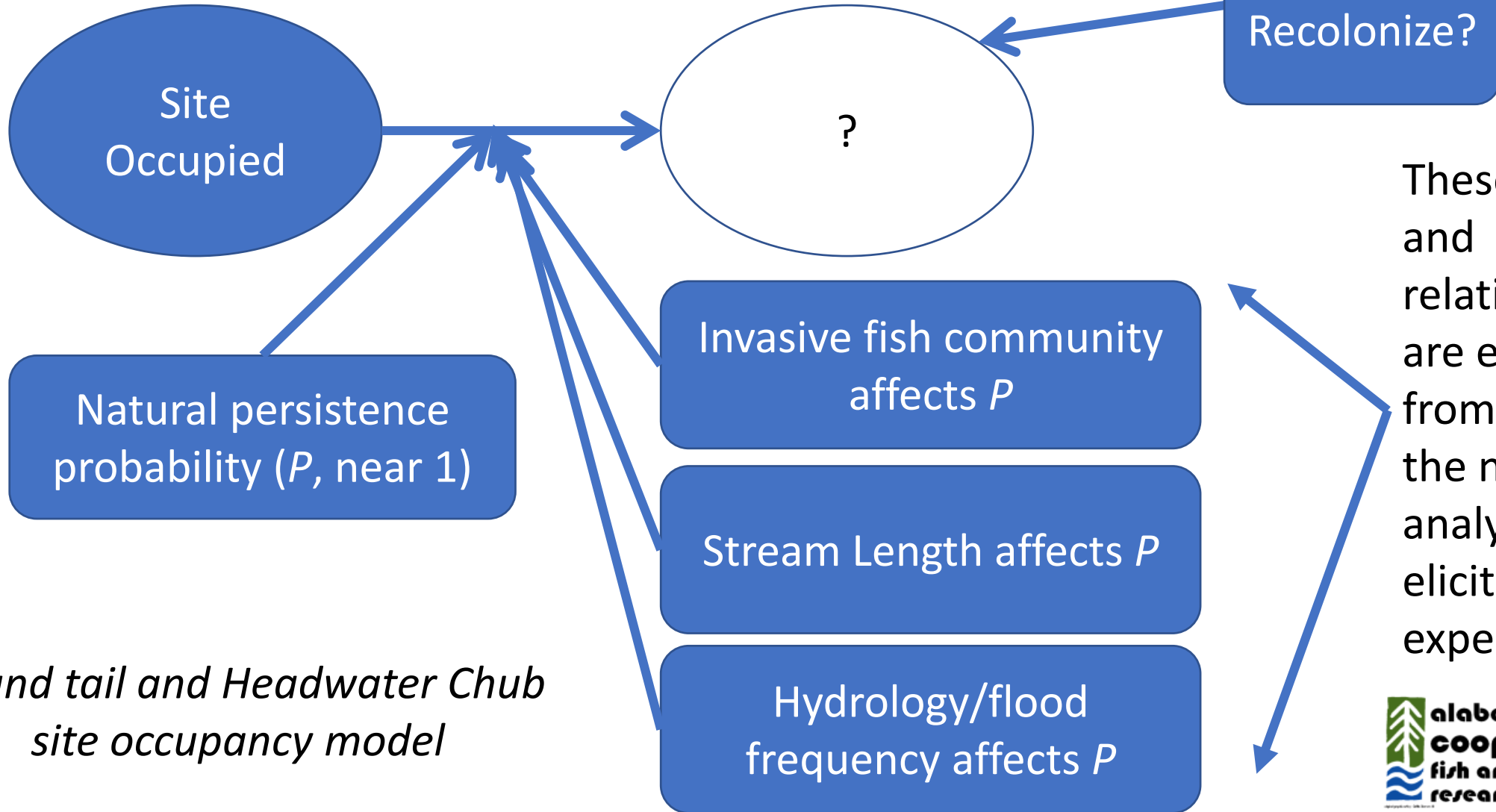


0

# P can be a function of environmental factors

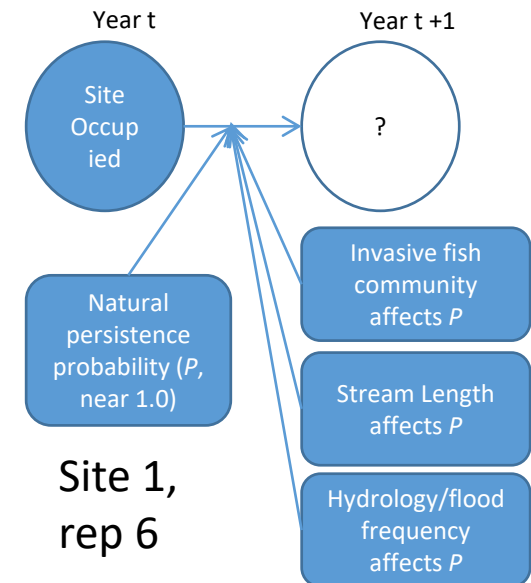
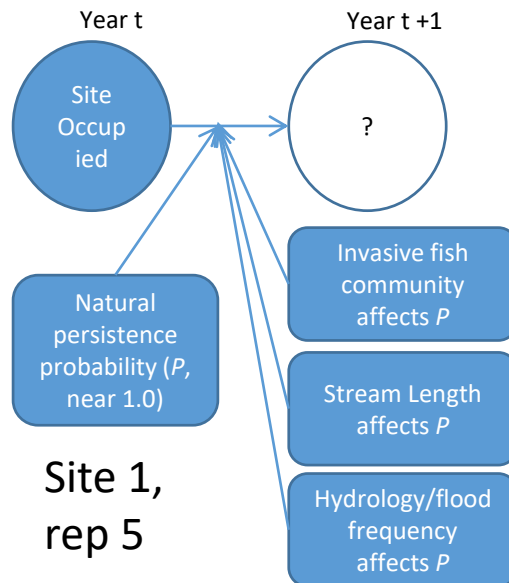
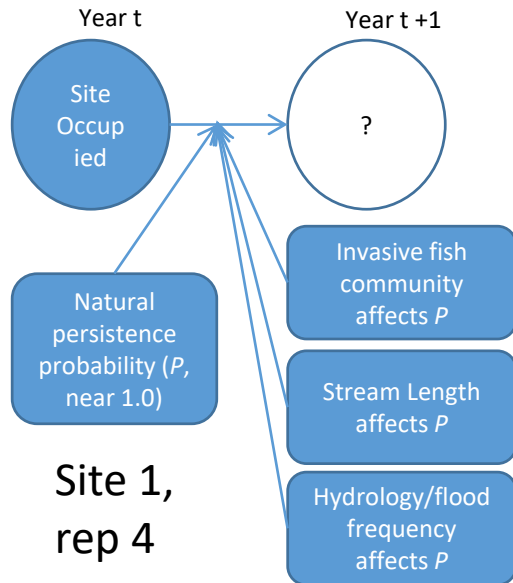
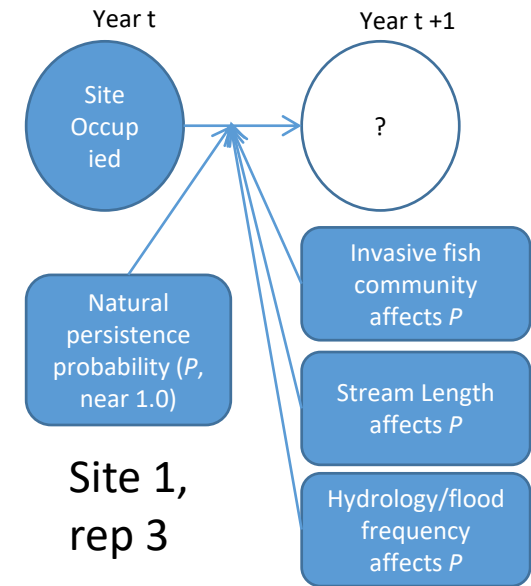
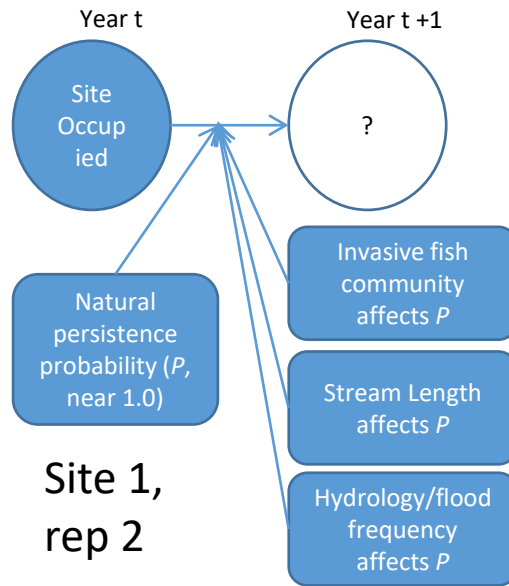
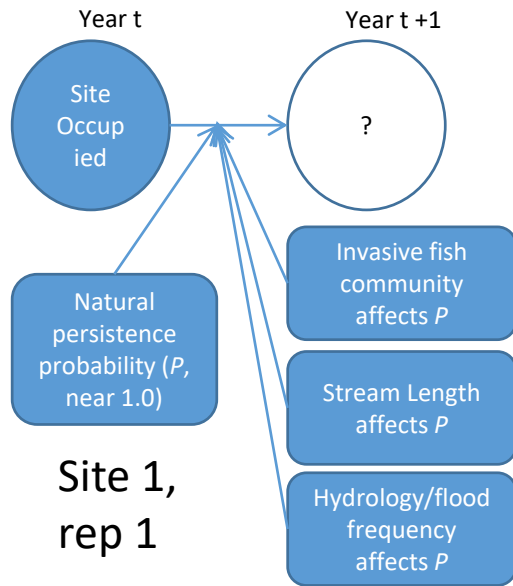
Year t

Year t +1



*Round tail and Headwater Chub  
site occupancy model*

# Multiple replicates



# Spread sheet example

[illegible]



# Eastern Black Rail species status assessment

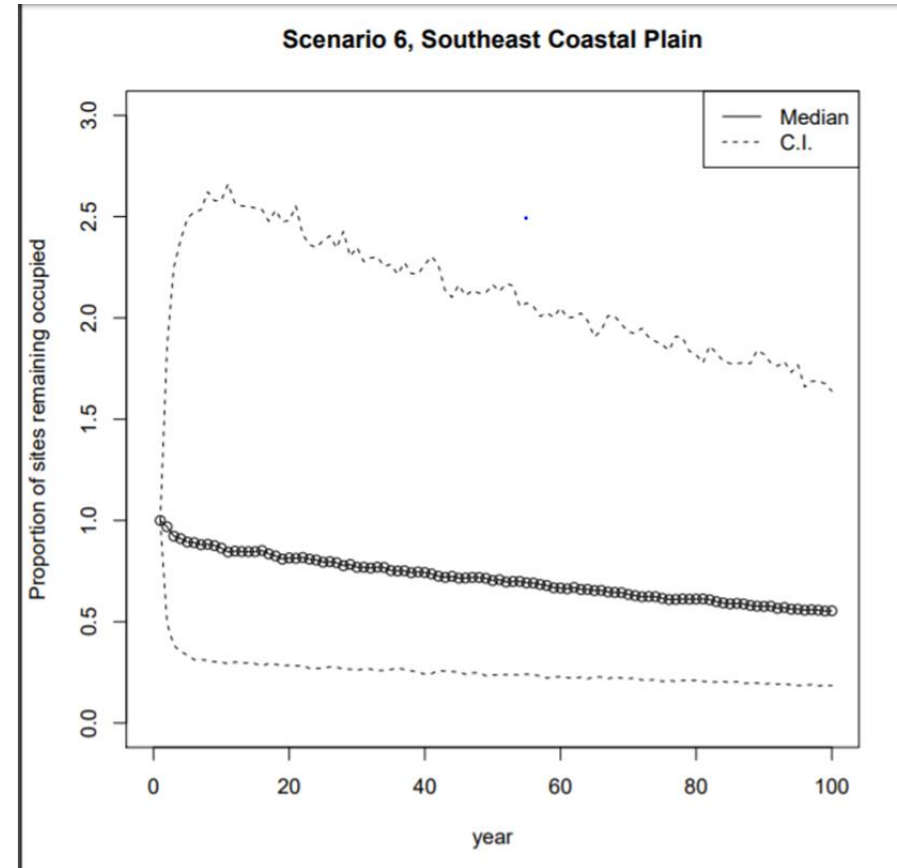
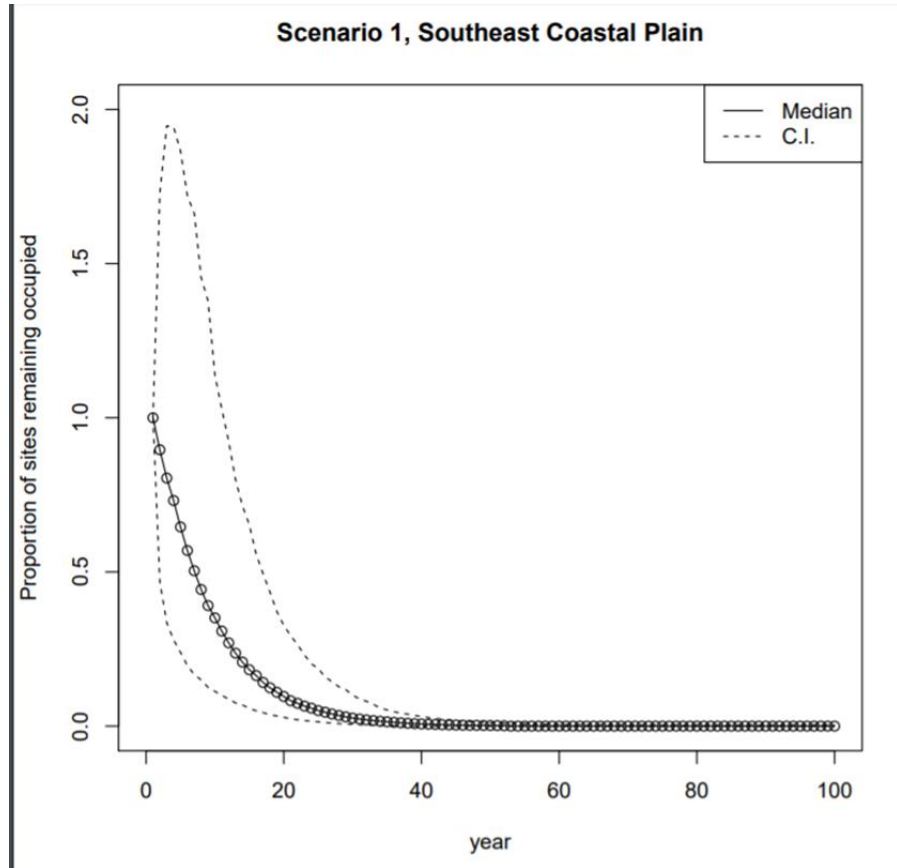




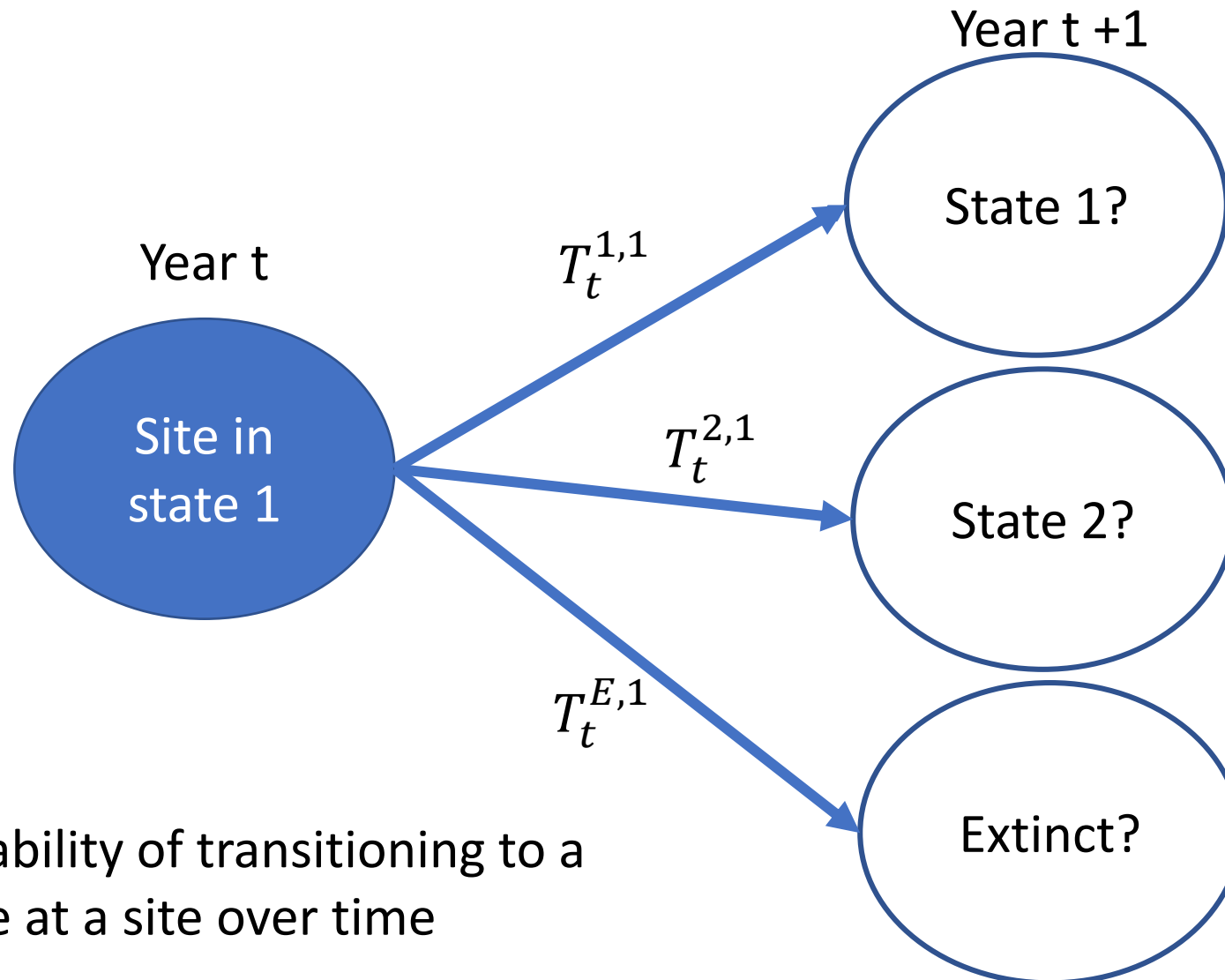
# Available occupancy data:

	Site	State	2014			2015			2016			NLCD	Fire Ants	Y-precip
	1	SC	0	0	1	0	0	0	0	0	0	22	0	27.2
	2	SC	0	0	0	0	0	0	1	1	0	22	1	34.1
	3	SC	0	0	0	0	0	0	0	0	0	95	1	19.7
	4	SC	0	0	0	0	0	0	0	0	0	95	1	67
	5	SC	0	0	0	0	0	0	0	0	0	22	0	22.2
	6	SC	1	0	1	0	0	0	0	1	1	45	0	34.5
0	7	SC	1	0	0	0	0	0	0	0	1	22	1	17.9
1	8	SC	0	0	0	0	0	0	0	0	0	45	1	42.1
2	9	SC	0	0	0	1	0	0	0	1	0	45	0	28.6
3	...													

# Eastern Black rail, proportion of sites occupied in the future



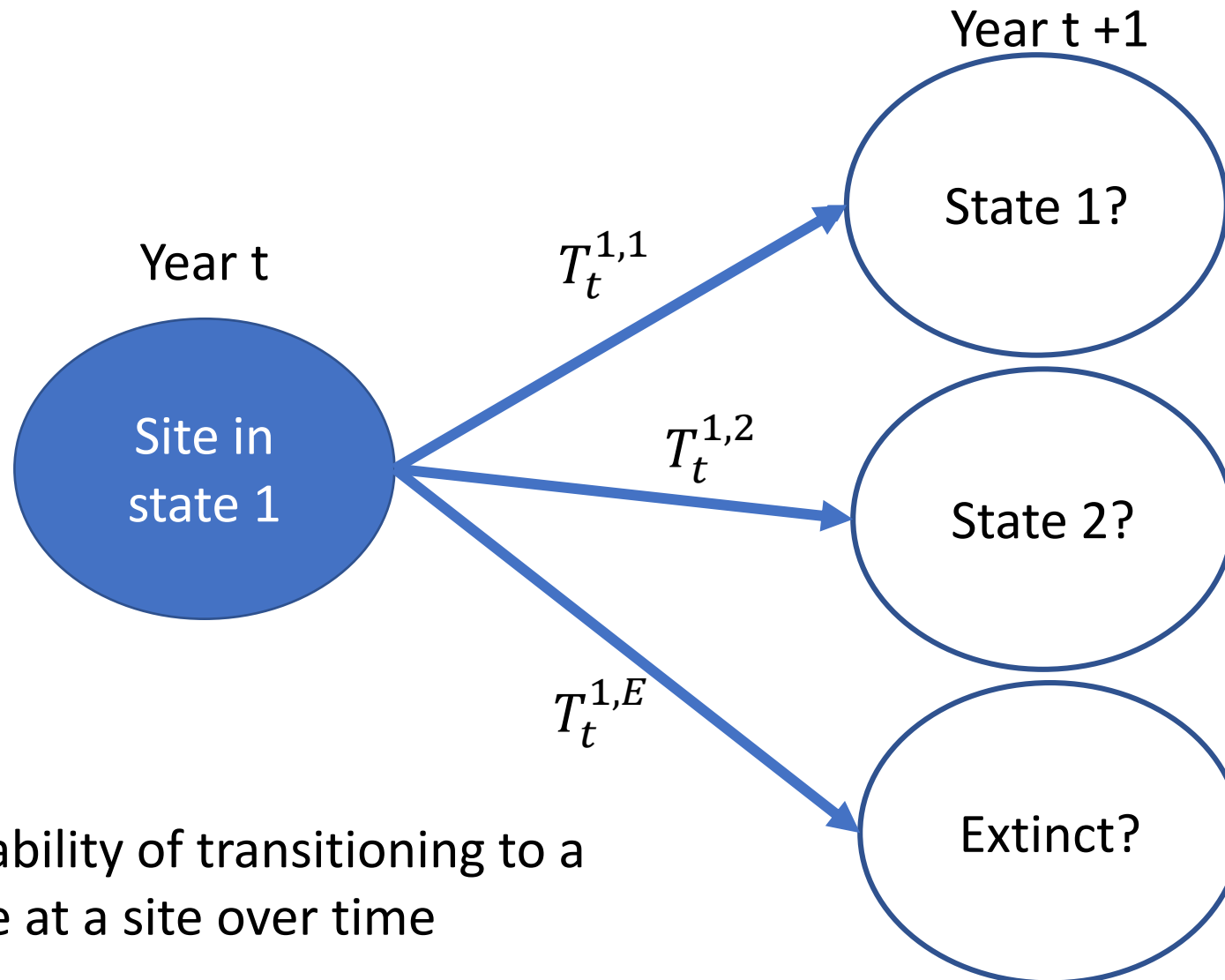
# Multistate projection models



$T$  = Probability of transitioning to a new state at a site over time

$$\sum T_t^{j,i} = 1$$

# Multistate projection models



$T$  = Probability of transitioning to a new state at a site over time

$$\sum T_t^{j,i} = 1$$

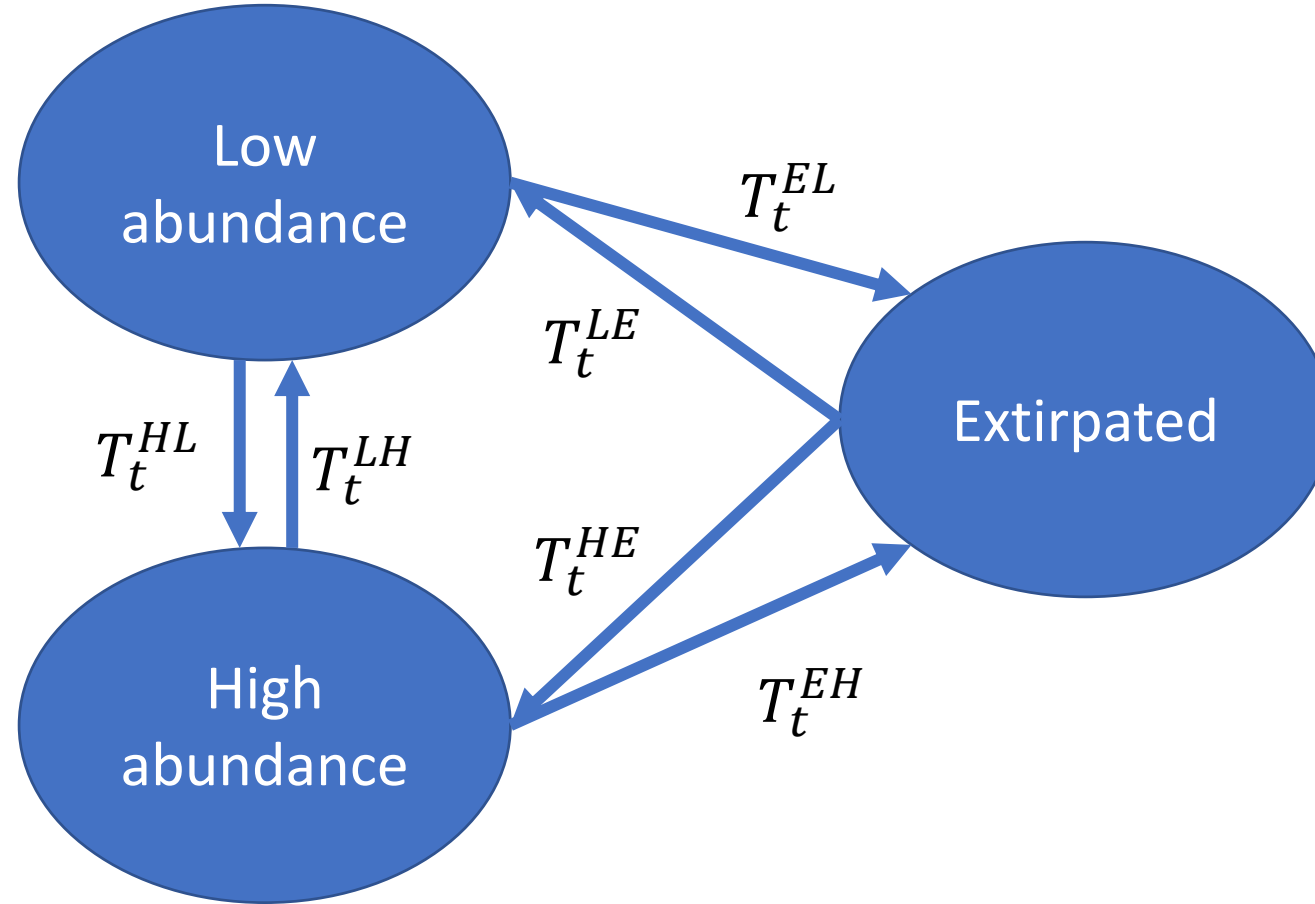
# Multiple population states

Low  
abundance

High  
abundance

Extirpated

# Multiple population states





# Matrix formulation

$$\begin{bmatrix} N_{t+1}^e \\ N_{t+1}^L \\ N_{t+1}^H \end{bmatrix} = \begin{bmatrix} T^{ee} & T^{eL} & T^{eH} \\ T^{Le} & T^{LL} & T^{LH} \\ T^{He} & T^{HL} & T^{HH} \end{bmatrix} \times \begin{bmatrix} N_t^e \\ N_t^L \\ N_t^H \end{bmatrix}$$

# Matrix formulation

$$\begin{bmatrix} N_{t+1}^e \\ N_{t+1}^L \\ N_{t+1}^H \end{bmatrix} = \begin{bmatrix} T^{ee} & T^{eL} & T^{eH} \\ T^{Le} & T^{LL} & T^{LH} \\ T^{He} & T^{HL} & T^{HH} \end{bmatrix} \times \begin{bmatrix} N_t^e \\ N_t^L \\ N_t^H \end{bmatrix}$$



$$N_{t+1}^e = N_t^e T^{ee} + N_t^L T^{eL} + N_t^H T^{eH}$$

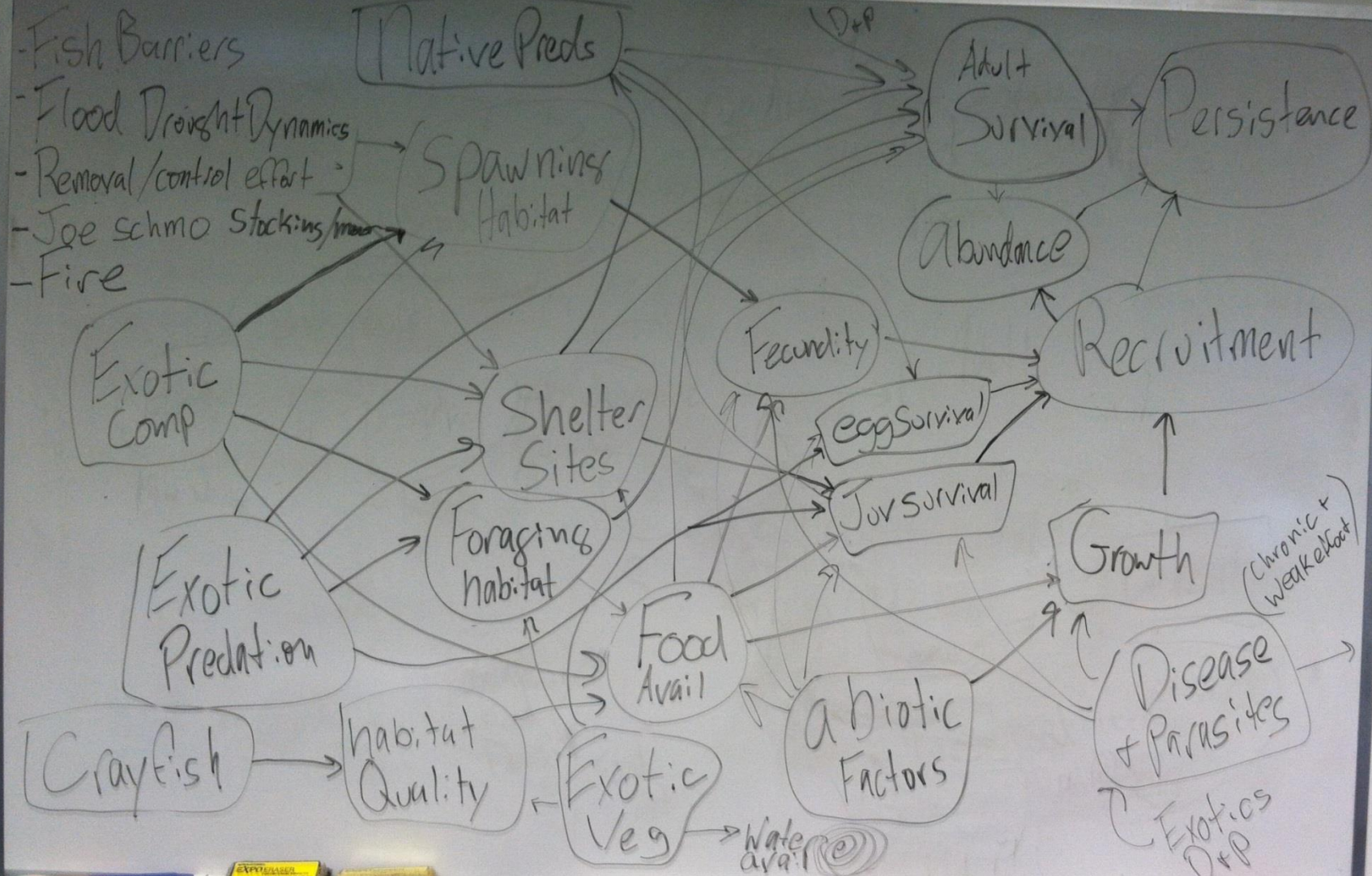
$$N_{t+1}^L = N_t^e T^{Le} + N_t^L T^{LL} + N_t^H T^{LH}$$

$$N_{t+1}^H = N_t^e T^{He} + N_t^L T^{HL} + N_t^H T^{HH}$$

# Example output

	Time													
Replicate	1	2	3	4	5	6	7	8	9	10	...			
1	2	2	2	2	1	1	2	2	1	1	...			
2	2	1	1	1	0	0	0	0	0	0	...			
3	2	2	2	2	2	2	2	2	2	2	...			
4	2	2	2	2	2	1	1	2	2	2	...			
5	2	0	0	0	0	0	0	0	0	0	...			
6	2	2	2	2	2	2	2	2	2	2	...			
7	2	1	2	2	2	2	2	2	2	2	...			
8	2	2	2	2	2	2	2	2	2	2	...			
9	2	2	2	2	2	1	1	1	1	1	...			
10	2	1	1	1	2	2	2	1	1	1	...			
...														

# Modeling Headwater and Roundtail Chub resilience and redundancy

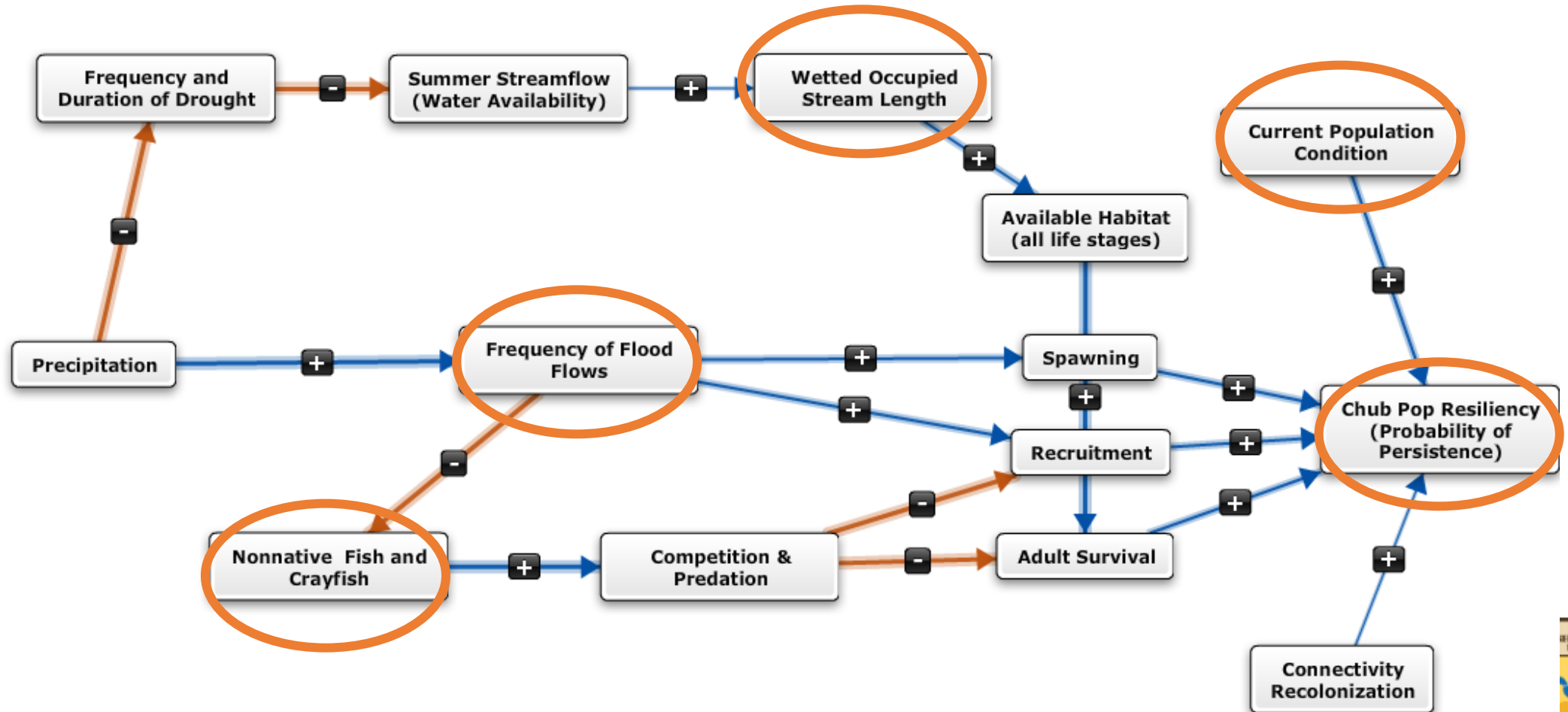




# Chub Model Parameters

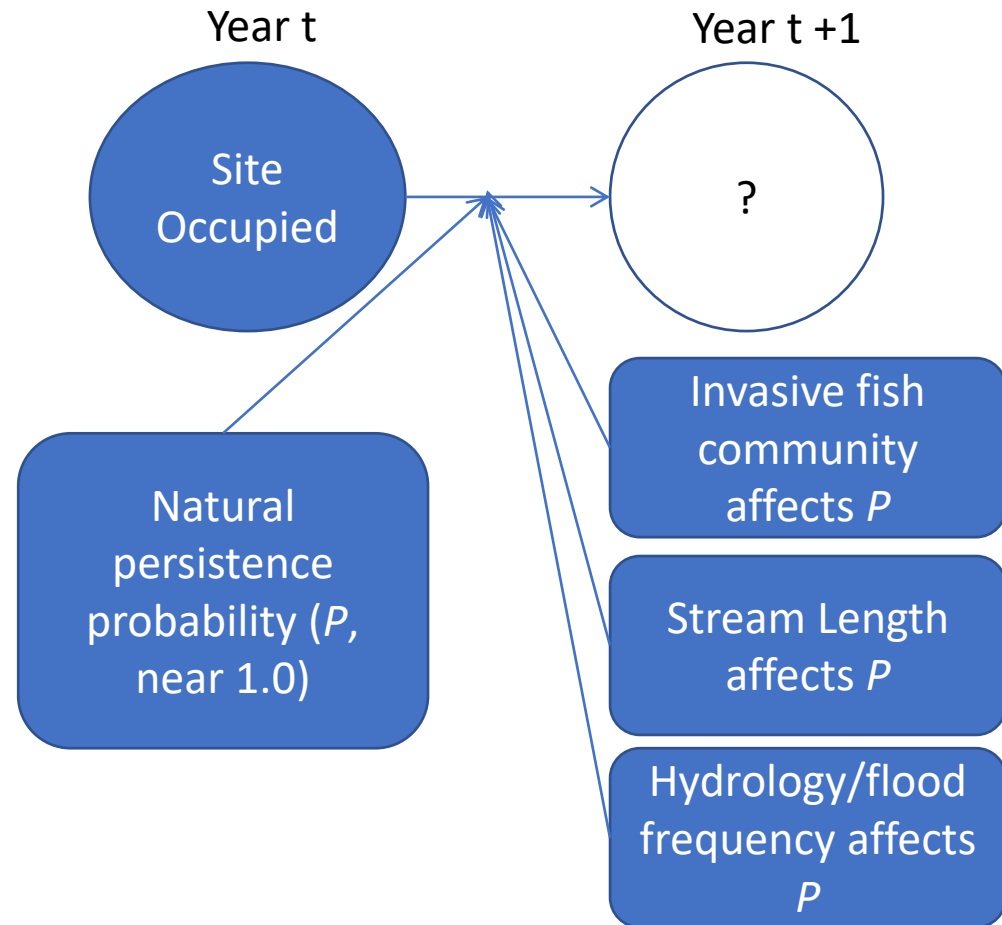
General Ecological  
Model for 2 AZ  
Chubs

Model inputs





# Environmental effects on probabilities

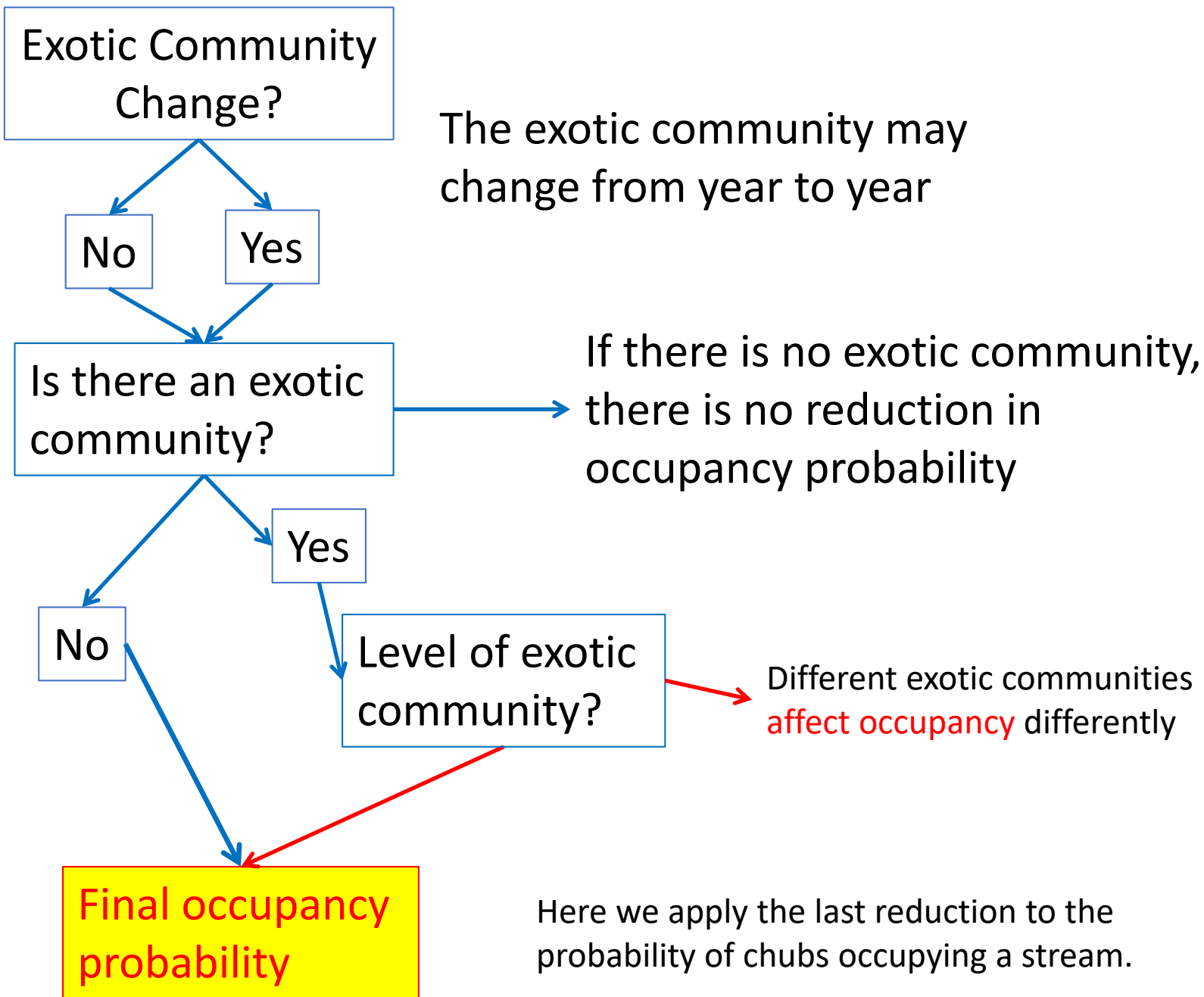


# Conditional Logical functions

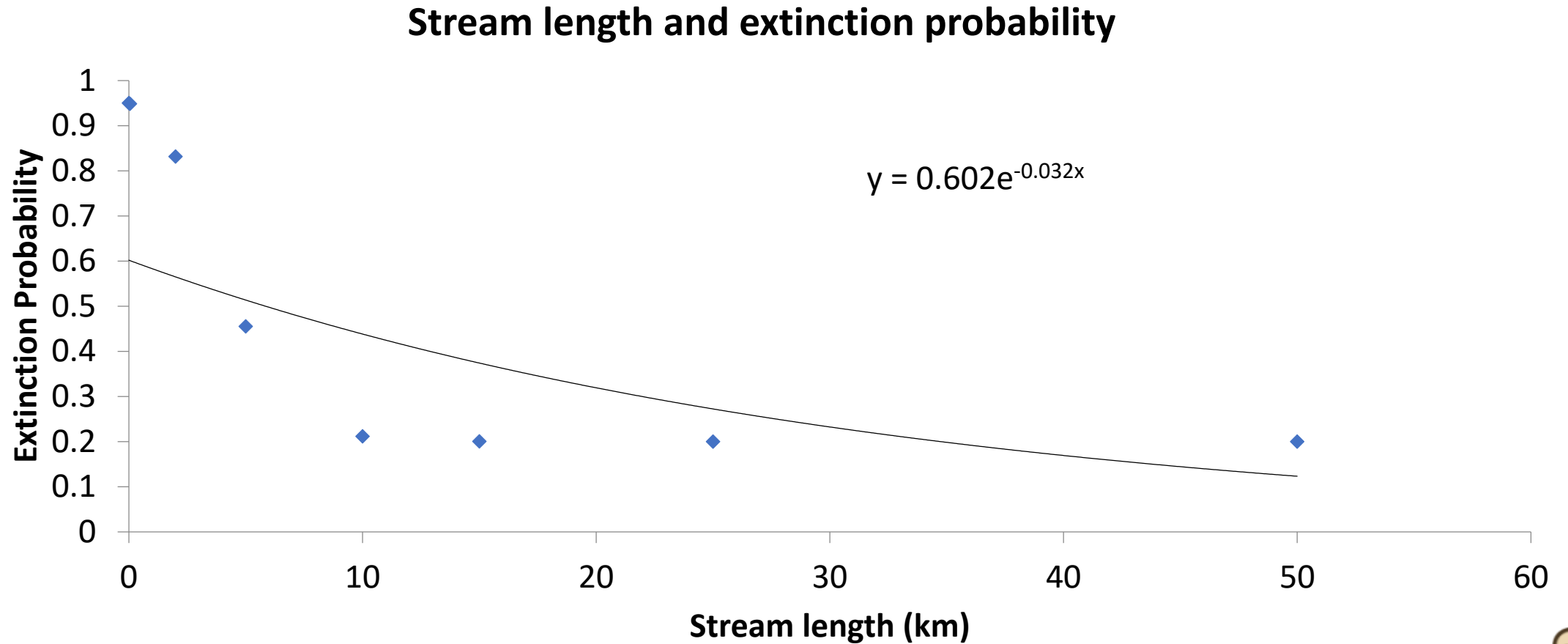
- Link population parameters to environmental conditions by discrete logic function

**“If** average rainfall is less than  $x$ , **then** occupancy probability is  $y$ ”

*“if exotic community is equal to 2, then persistence probability is 0.93; if exotic community is equal to 3 then persistence probability is...”*



# Continuous functions



Stream Length  
Change?

A stream may change length over time

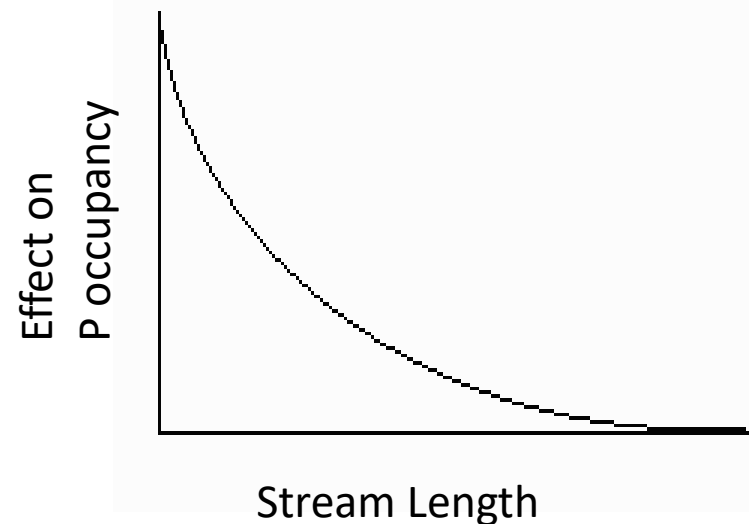
No

If the stream does not change length,  
there is no effect of this parameter on  
occupancy.

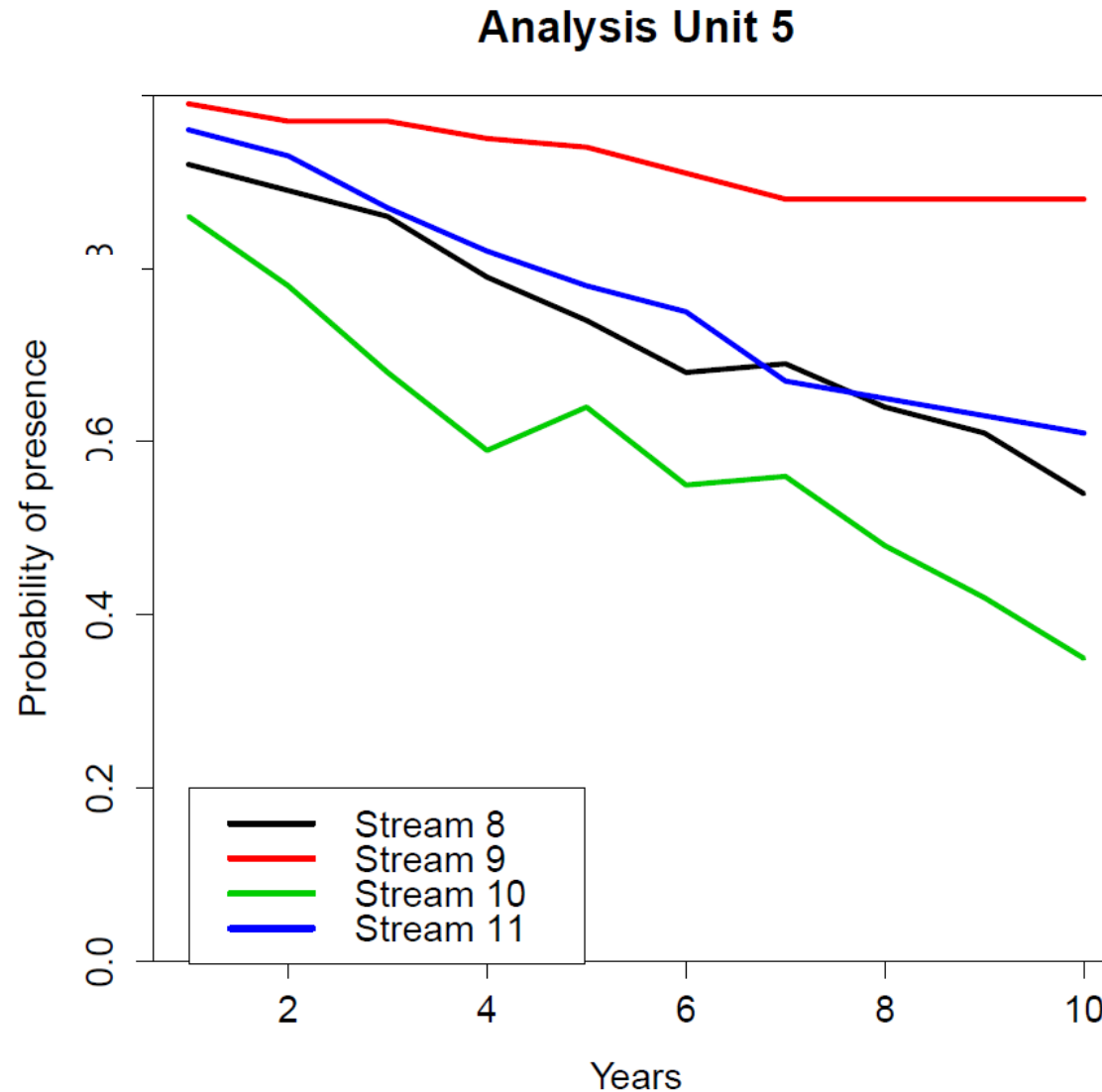
Yes

If the stream does change length, there  
**will be an effect on the probability of  
occupancy.**

The relationship between stream  
length and occupancy probability is  
curvilinear, a negative exponential  
relationship. The longer a stream is,  
the less it effects occupancy.



# Model output





# Questions?

