## PS1 Answers

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##Question 1
\#Use gnorm (n > 30)
z90 \leftarrow qnorm((1-0.90)/2, lower.tail = FALSE)
n = length(y)
sample_mean <- mean(y)
sample_sd \leftarrow sd(y)
lower_90 \leftarrow sample_mean - (z90 * (sample_sd/sqrt(n)))
upper_90 \leftarrow sample_mean + (z90 * (sample_sd/sqrt(n)))
confint90 \leftarrow c(lower_90, upper_90)
confint90
# [94.13283,102.74717]
##Question 2
y \leftarrow c(105, 69, 86, 100, 82, 111, 104, 110, 87, 108, 87, 90, 94, 113, 11
##Data Normally distributed so can use 1 sample t-test
t.test(y, mu = 100)
        One Sample t-test
\# t = -0.59574, df = 24, p-value = 0.5569
# alternative hypothesis: true mean is not equal to 100
# 95 percent confidence interval:
    93.03553 103.84447
# sample estimates:
   mean of x
# 98.44
##Question 3
expenditure <- read.table("expenditure.txt", header=TRUE)
#a
library("tidyverse")
qplot(x = X1, y = Y, data = expenditure)
#X1 and Y show a strong positive correlation. On average, as per capita
qplot(x = X2, y = Y, data = expenditure)
#X2 and Y have a linear correlation. The number of resident per thousand
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 \begin{array}{l} \operatorname{qplot}(x=X3,\ y=Y,\ \operatorname{data}=\operatorname{expenditure}) \\ \#X3\ \operatorname{and}\ Y\ \operatorname{have}\ \operatorname{a}\ \operatorname{postive}\ \operatorname{correlation}.\ \operatorname{On}\ \operatorname{average},\ \operatorname{the}\ \operatorname{number}\ \operatorname{of}\ \operatorname{people}\ \operatorname{p
```