# A statistical perspective on fMRI analysis: Inferring neural activation from brain imaging data

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# **Overview**

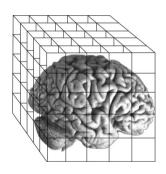
# **Functional Magnetic Resonance Imaging**

fMRI measures brain activation as changes in blood flow (BOLD) under a sequence of stimuli

Activation is measured in voxels  $\approx 200,000$  highly correlated volume units

#### Voxel i:

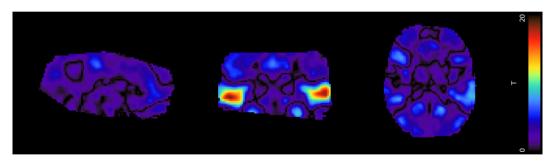
- null hypothesis  $H_i$ : no activation in voxel i
- test statistic  $T_i$  from first-level analysis



### **Auditory data**

140 subjects passively listening to vocal and non-vocal sounds (168,211 voxels)<sup>1</sup>

 $H_i$ : no activation in voxel i  $T_i = \text{one-sample t-statistic}$ 



<sup>&</sup>lt;sup>1</sup>Pernet et al. The human voice areas: spatial organisation and inter-individual variability in temporal and extra-temporal cortices. OpenNeuro dataset, 2019.

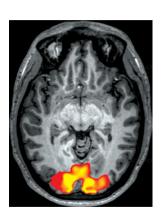
# **Functional Magnetic Resonance Imaging**

Generally interest lies in clusters, brain regions of (contiguous) voxels

# Supra-threshold clusters: regions of connected voxels i with $T_i > \text{threshold}$

### Clusters S:

- null hypothesis  $H_S = \bigcap_{i \in S} H_i$ : no activation in cluster S
- global test statistic  $T_S$



# Multiple hypothesis testing

# Multiple hypothesis testing

### Single null hypothesis $H_i$ :

- type I error = wrongly reject  $H_i$  when it is true
- significance level  $\alpha = P(\text{type I error})$

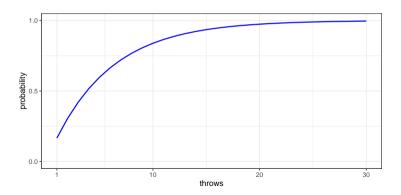
### Multiple hypotheses together:

the probability of making at least one type I error can be much greater than  $\alpha$ 

### Intuition: m throws of a dice

The probability of getting at least one 6 is

- $1/6 \approx 0.167$  for m = 1
- $1 (5/6)^m$  in general



# Cluster analysis

# Cluster extent thresholding

Standard method for cluster inference that controls the error at cluster level

 $H_S$  is rejected  $\Longrightarrow S$  contains at least one active voxel

No information on

- the proportion of active voxels (TDP)
- their spatial location

# **Closed testing**

$$TDP(S) = proportion of truly active voxels in cluster S$$

Simultaneous lower (1  $-\alpha$ )-confidence bounds<sup>1</sup>:

$$P(\mathsf{TDP}(S) \ge \mathsf{bound}(S) \text{ for each cluster } S) \ge 1 - \alpha$$

Allows for post-hoc selection

 $\rightarrow$  choosing clusters after seeing results

<sup>&</sup>lt;sup>1</sup>Goeman and Solari. Multiple testing for exploratory research. Stat. Sci., 2011.

#### sumSome

### Computational complexity of closed testing:

exponential in the number of voxels

ightarrow infeasible for high-dimensional data

### We provide a shortcut<sup>1</sup>:

- valid in many cases
- makes inference on the TDP of clusters

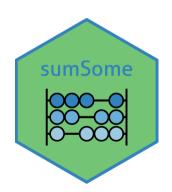
<sup>&</sup>lt;sup>1</sup>Vesely et al. Permutation-based true discovery guarantee by sum tests. arXiv:2102.11759, 2021.

# Results

### sumSome package

The method is implemented in the R package sumSome<sup>1</sup>, with underlying code in C++.

```
permT <- brainScores(copes, alpha=0.05, ...)
brainAnalysis(permT, clusters)</pre>
```

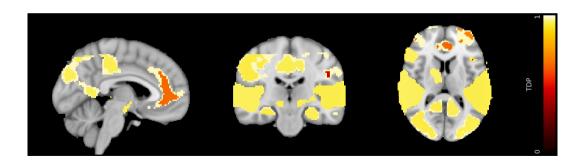


<sup>&</sup>lt;sup>1</sup>https://CRAN.R-project.org/package=sumSome

# **Auditory data**

We obtain simultaneous confidence bounds for the TDP of clusters:

- clusters with  $T_i > 3.2$
- sub-clusters with  $T_i > 4$



# **Auditory data**

cluster	threshold	size	TDP (%)	coordinates		
S	thr	S	lower conf. bound	X	У	Z
FP/CG/SFG/TOF/LO/LG	3.2	40,094	98.21	-30	-34	-16
OFG/ITG/SG/AG/NA						
Left LO/TOF	4	8,983	94.79	-30	-34	-16
Right LO/LG/ITG	4	7,653	93.85	28	-30	-18
Left SFG/FP	4	1,523	69.67	-28	34	42
CG	4	1,341	65.62	6	40	-2
Right FP	4	1,327	66.01	30	56	28
Left SG/AG	4	859	47.85	-50	-56	36
Right STG/PT/MTG	3.2	12,540	95.41	60	-10	0
HG/PrG/T						
STG/PT/MTG/HG	4	9,533	95.17	60	-10	0
PrG	4	485	25.15	52	0	48
Left STG/PT/MTG/	3.2	10,833	94.66	-60	-12	2
HG/IFG/T						
HG/PT/MTG/STG	4	7,894	94.20	-60	-12	2
IFG	4	667	38.98	-40	14	26

### Conclusion

To quantify and localize brain activation in clusters  $\rightarrow$  inference on the TDP sumSome

A general closed tesing method to give lower  $(1-\alpha)$ -confidence bounds for the TDP, simultaneously over all clusters

Results are valid even if the clusters of interest are chosen post hoc.

# Questions



https://github.com/annavesely/AIP2022