

Day 33

Insertion Sort is a simple sorting algorithm that works the way we sort playing cards in our hand.

Algorithm :

insertion sort(arr, n)

loop from  $i = 1$  to  $n - 1$

pick element  $arr[i]$  and insert it into sorted sequence  $arr[0, \dots, i - 1]$

Implementation :

def insertionSortRecursive(a, n):

if  $n <= 0$ :

return

insertionSortRecursive(a, n-1)

last = a[n-1]

j = n - 2

while ( $j < 0$  and  $a[j] > last$ ):

$a[j+1] = a[j]$

$j -= 1$

$a[j+1] = last$

Input :

a = [12, 11, 13, 5, 6]

n = len(a)

insertionsort recursive (a, n)

Print (a)

Output :

[5, 6, 11, 12, 13]

### Merge Sort

Merge sort is a divide and conquer algorithm. It divides the input array into two halves, call itself for the two halves and then merges two sorted halves.

Implementation :

def merge\_sort(a):

if len(a) > 1:

mid = len(a)//2

lefthalf = a[:mid]

righthalf = a[mid:]

merge-sort(lefthalf)

merge-sort(righthalf)

$i = 0$

$k = 0$

$j = 0$

while  $i < \text{len}(\text{lefthalf})$  and  $j < \text{len}(\text{righthalf})$ :

if  $\text{lefthalf}[i] < \text{righthalf}[j]$ :

$a[k] = \text{lefthalf}[i]$

$i += 1$

else:

$a[k] = \text{righthalf}[j]$

$j += 1$

$k += 1$

while  $i < \text{len}(\text{lefthalf})$ :

$a[k] = \text{lefthalf}[i]$

$i += 1$

$k += 1$

while  $j < \text{len}(\text{righthalf})$ :

$a[k] = \text{righthalf}[j]$

$j += 1$

$k += 1$

Input :

arry = [12, 11, 13, 5, 6, 7]

merge-sort(arry)

print(arry)

Output :

[5, 6, 7, 11, 12, 13]