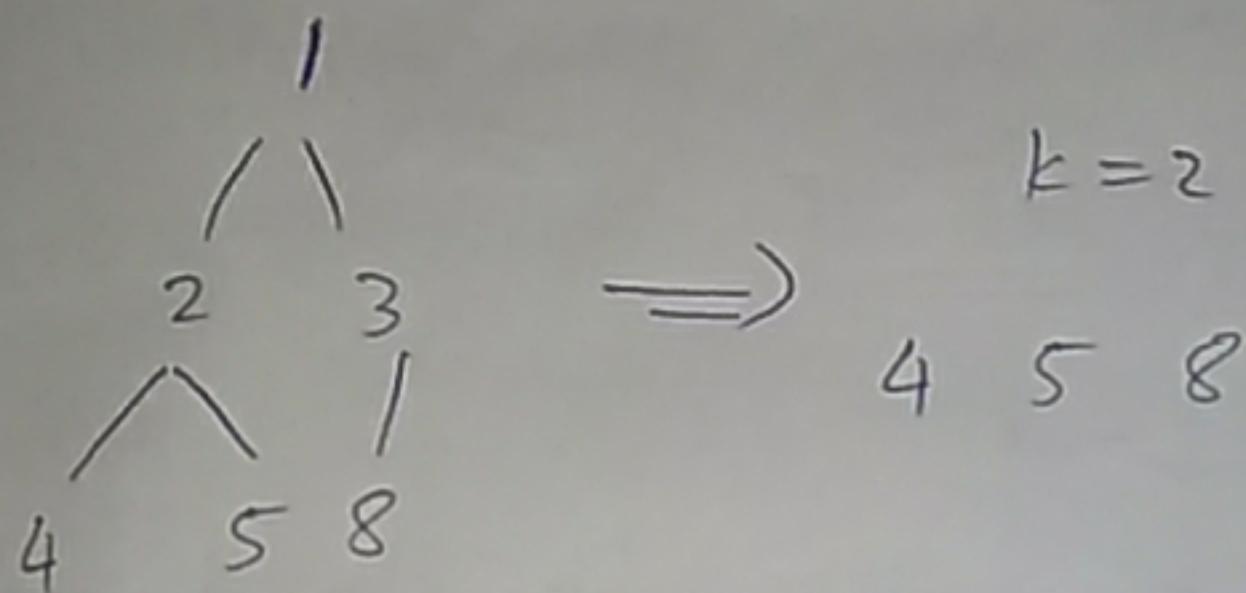


day 20

Print    nodes    at    k    distance    from    root



Implementations:

class Node:

def \_\_init\_\_(self, data):

    self.data = data

    self.left = None

    self.right = None

def print\_kdistance(root, k):

    if root is None:

        return

    if k == 0:

        print(root.data)

Edge :

Print kdistance (root.left, k-1)

Print kdistance (root.right, k-1)

Input :

root = Node(1)

root.left = Node(2)

root.right = Node(3)

root.left.left = Node(4)

root.left.right = Node(5)

root.right.left = Node(6)

Print kdistance (root, 2)

Output :

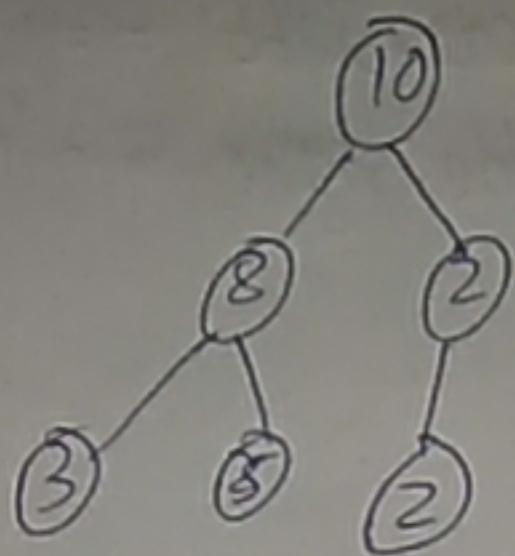
4 5 8

Time Complexity :

$O(n)$

~~children~~ children sum property in Binary tree =

For every node, data value must be equal to sum of data values in left and right children. Consider data value as 0 for null children.



Traverse the given binary tree. for each node check (recursively) if the node and both its children satisfy the children sum property. If so then tree else return false.

Implementation:

class Node:

def \_\_init\_\_(self, data):

    self.data = data

    self.left = None

    self.right = None

def sumproperty(node):

    left\_data = 0

    right\_data = 0

If (~~if~~ node == None or (node.left == None and  
node.right == None)):

return 1

else:

if (node.left != None)

left\_data = node.left.data

if (right\_node != None)

right\_data = node.right.data

if ((node.data == left\_data + right\_data) and  
sumproperty(node.left) and  
sumproperty(node.right)):

return 1

else:

return 0

Input:

root = Node(10)

root.left = Node(8)

root.right = Node(2)

root.left.left = Node(3)

root.left.right = Node(5)

root.right.right = Node(2)

If (sumProperty (root)):

    print ("the given tree satisfies the children sum property")

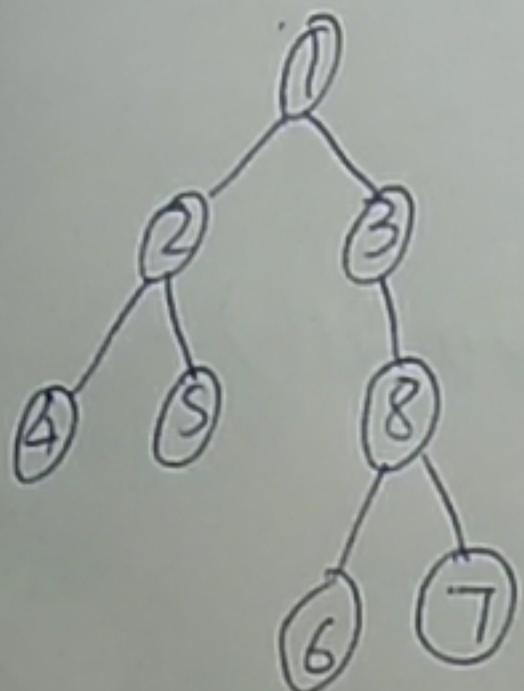
else:

    print ("the given tree does not satisfies the children sum property")

Output :

The given tree satisfies the children sum property

Maximum width of a binary tree



width of level 1 is 1

$\Rightarrow$  width of level 2 is 2

width of level 3 is 3

width of level 4 is 2

So the maximum width of tree is 3

class Node:

def \_\_init\_\_(self, data)

self.data = data

self.right = None

self.left = None

def getmaxwidth(root):

if root is None:

return 0

q = []

maxwidth = 0

q.insert(0, root)

while (q != []):

count = len(q)

maxwidth = max(count, maxwidth)

while (count != 0):

count = count - 1

temp = q[-1]

q.pop()

if temp.left is not None:

q.insert(0, temp.left)

if temp.right is not None:

q.insert(0, temp.right)

return manwidth

Input:

root = Node(1)

root.left = Node(2)

root.right = Node(3)

root.left.left = Node(4)

root.left.right = Node(5)

root.right.right = Node(6)

print (getmanwidth (root))

Output:

3