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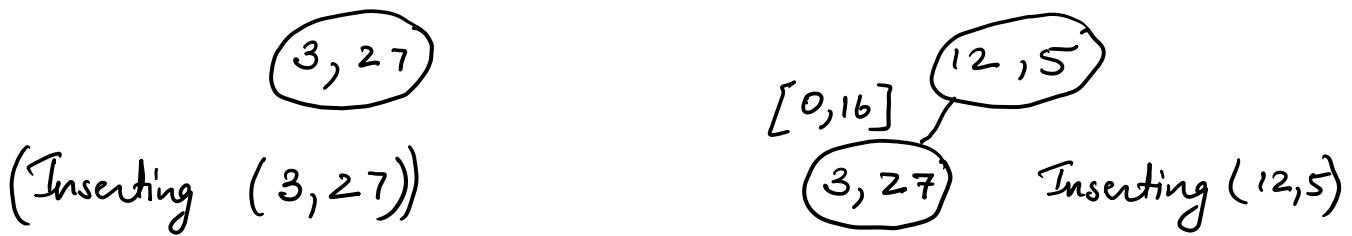
5626 - 8544

DS : ASSIGNMENT 2.

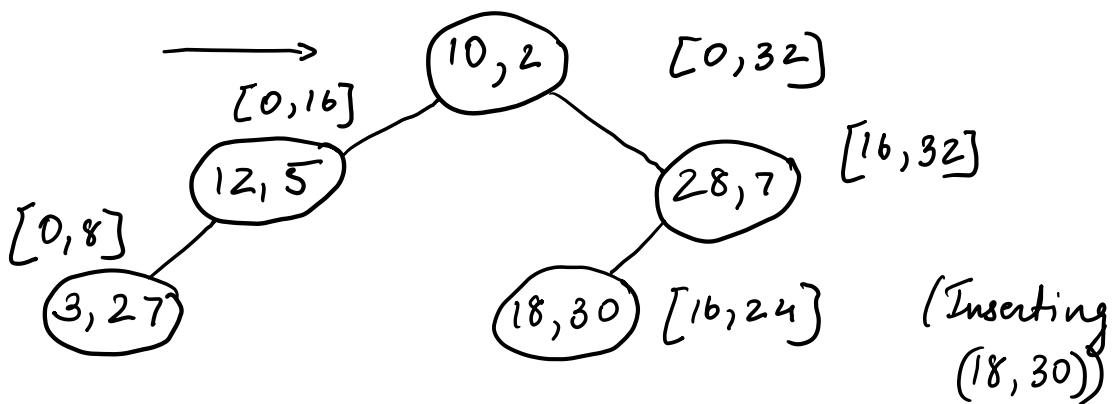
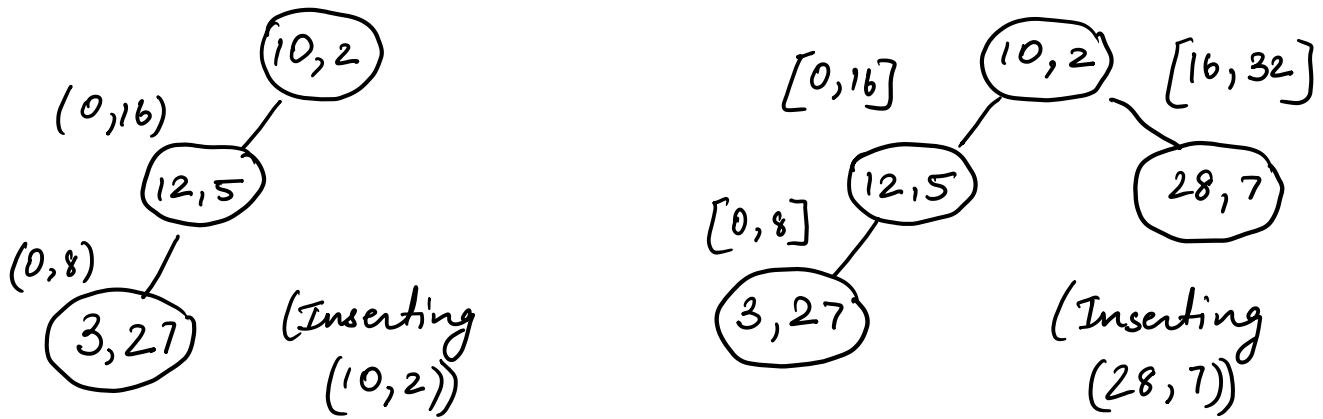
- Q1. Insert operations into initially empty RPST in sequence with keys

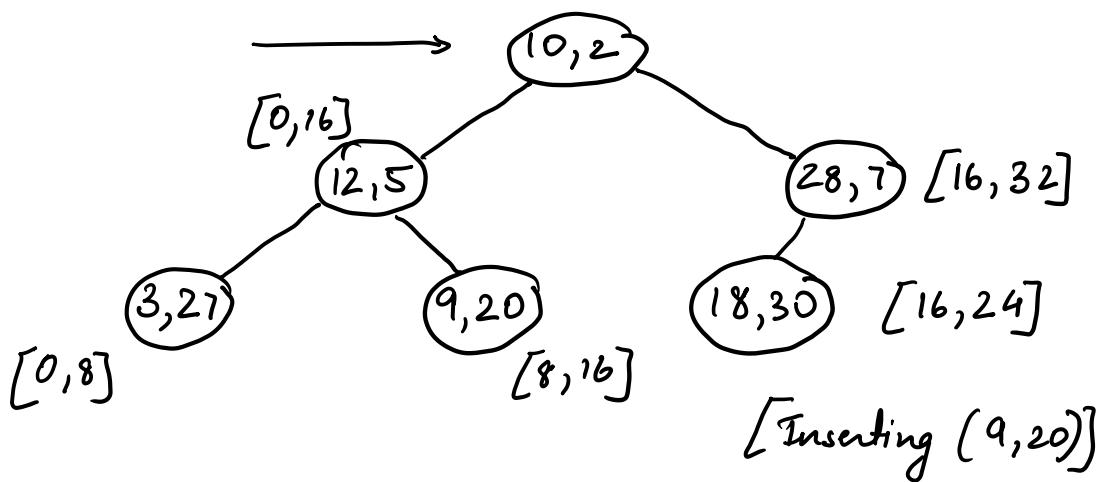
$(3, 27), (12, 5), (10, 2), (28, 7), (18, 30), (9, 20)$

$\Rightarrow [0, 32] \longrightarrow [0, 32]$



$\rightarrow [0, 32] \longrightarrow [0, 32]$

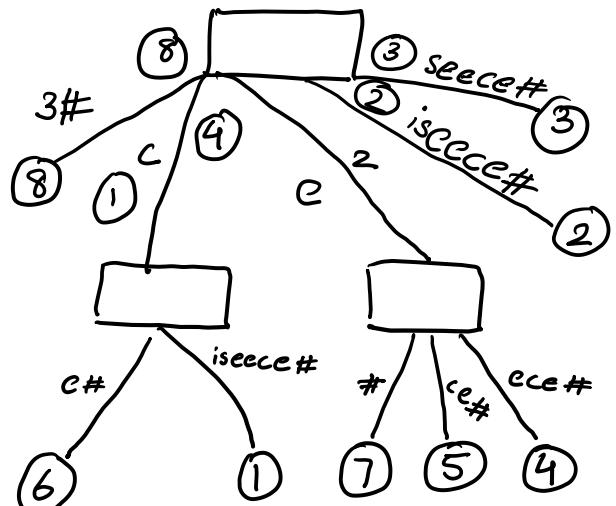




Q2. string ciseccet#

c i s e e c e c e #
1 2 3 4 5 6 7 8

ciseccet#	1
iseecee#	2
eecee#	3
ecee#	4
ce#	5
cc#	6
c#	7
#	8



- There are total 8 keys
- The element nodes store index values of starting points of the suffixes they represent
- The uncircled digits on the edges represent branching nodes (3 for this case)

Q.3 To insert an interval with integer endpoints $[0, k]$

- First check if the root is empty or not.
If the root is empty we assign the interval to the root
- If the root is not empty then we begin given the root & check at each node if the range of interval to be inserted is contained in the range of interval of the node
- If the interval is contained in the range insert at that node & we stop traversing farther down that specific path of the tree & return to the parent
- If the interval range is not within the interval range of the node, we check if there is an overlap between the two ranges
- If there is an overlap, we go in the direction of the left subtree & repeat from step 3
- We repeat the same process from step 2 for the right subtree

To insert into the tree we use the following algorithm

insert (s, e, r) {

// s → start of interval
// e → end of interval
// r → root of subtree

if ($s \leq s(r) \text{ and } e(r) \leq e$)

add $[s, e]$ to $r ;)$

interval spans node range

else {

if ($s < s(r) + e(r)/2$) {

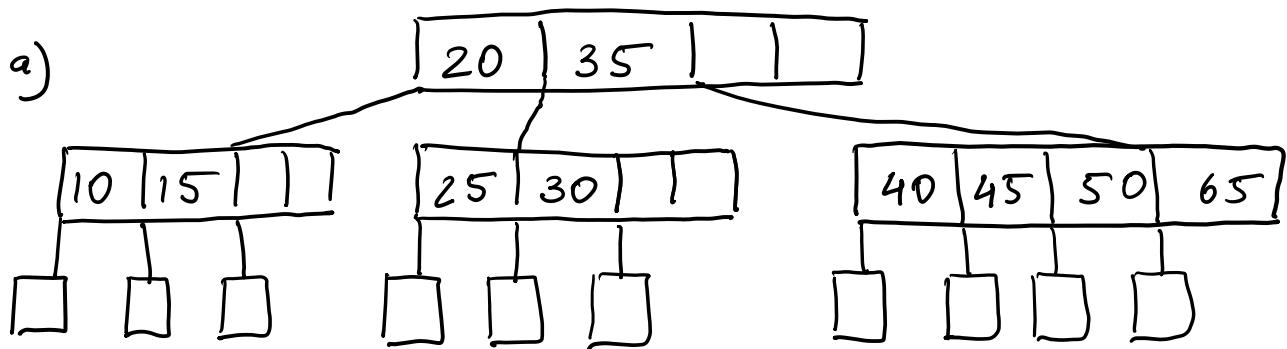
 insert ($s, e, r . left child$);
} if ($e > (s(r) + e(r)/2)$)

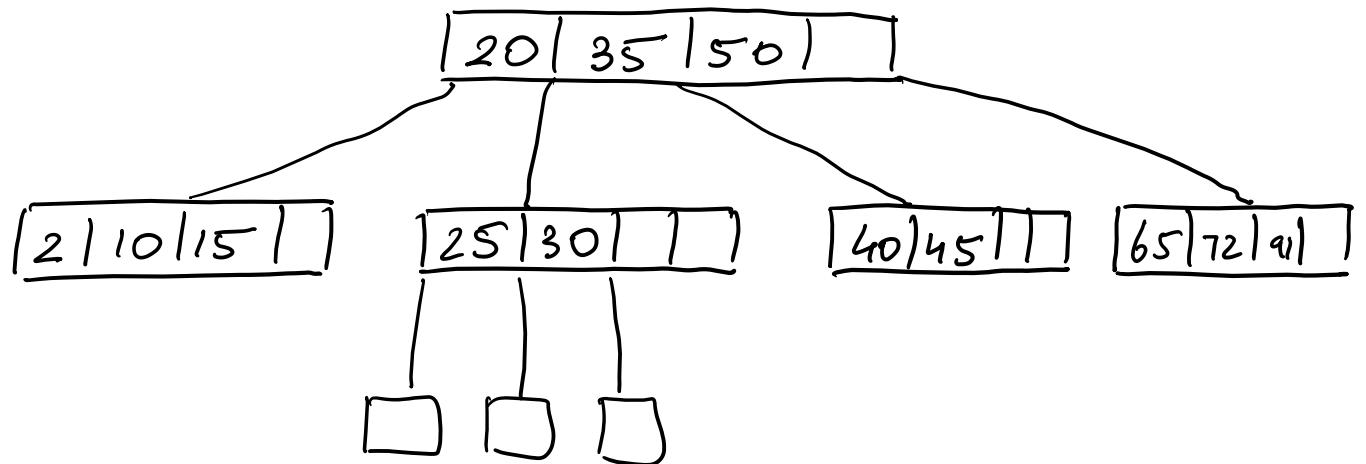
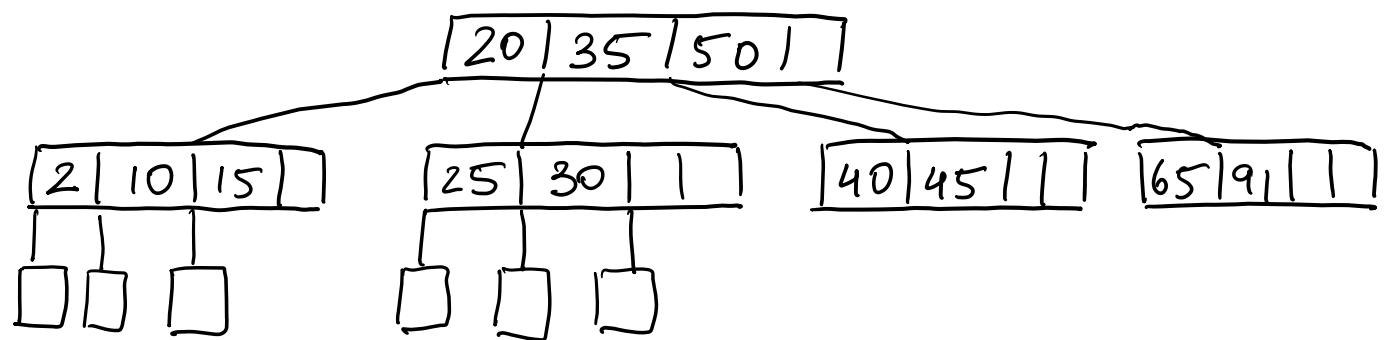
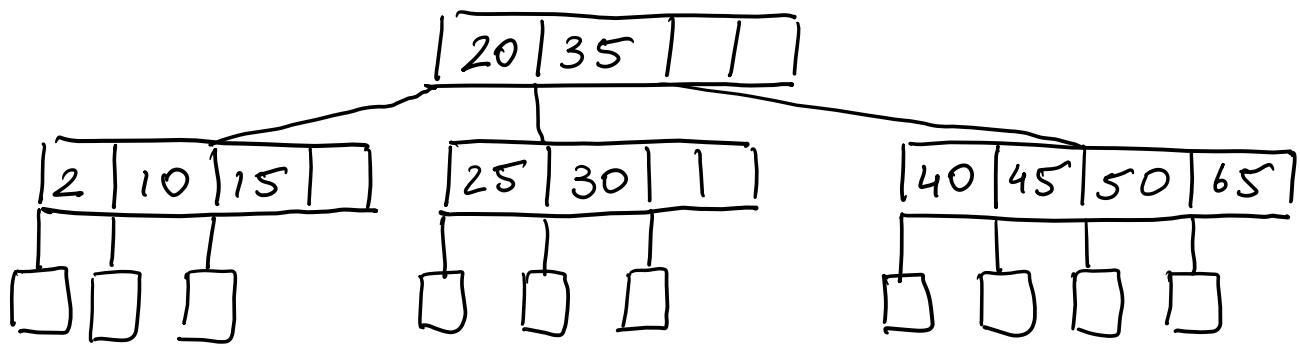
 insert ($s, e, r . right child$);

The time complexity of the insert algorithm is $O(\log n)$

- The worst case occurs in a segment tree when the leftmost inserted interval node, L is the right child of its parent & the rightmost inserted node R is the left child of its parents.
- In this case both L, R & all ancestors of L, R & the other children of each of these are visited from root to leaf, since the number of nodes is $O(\log n)$, reached, since the complexity for insert operation

Q4. a)





b)

Assumption : we have enough memory
to hold all h nodes accessed on the
way down

$$h = 2 \text{ (height of tree)}$$

Disk access needed for each insertion

insert 65 : 3 (2 read, 1 write)

insert 2 : 3 (2 read, 1 write)

insert 91 : 5 (2 read, 3 write)

insert 72 : 3 (read, 1 write)