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<b>Experiment</b>	9
<b>Aim</b>	<b>Hashing Techniques: Write a program to implement Hash Table for the given input and solve the collision using using quadratic probing and linear probing and double hashing.</b>
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<b>Theory</b>	<p><b>Hashing</b> is a technique used in data structures that efficiently stores and retrieves data in a way that allows for quick access. It involves mapping data to a specific index in a hash table using a <b>hash function</b> that enables fast retrieval of information based on its key. This method is commonly used in databases, caching systems, and various programming applications to optimize search and retrieval operations. The great thing about hashing is, we can achieve all three operations (search, insert and delete) in <math>O(1)</math> time on average.</p> <p>There are many applications of hashing, such as:</p> <ol style="list-style-type: none"><li>1) Database indexing: Hashing is used to index and retrieve data efficiently in databases and other data storage systems.</li><li>2) Dictionaries : To implement a dictionary so that we can quickly search a word</li><li>3) Password storage: Hashing is used to store passwords securely by applying a hash function to the password and storing the hashed result, rather than the plain text password.</li><li>4) Network Routing: Determining the best path for data packets</li><li>5) Cryptography: Hashing is used in cryptography to generate digital signatures, message authentication codes (MACs), and key derivation functions.</li><li>6) Load balancing: Hashing is used in load-balancing algorithms, such as consistent hashing, to distribute requests to servers in a network.</li><li>7) Blockchain: Hashing is used in blockchain technology, such as the proof-of-work algorithm, to secure the integrity and consensus of the blockchain.</li><li>8) Image processing: Hashing is used in image processing applications, such as perceptual hashing, to detect and prevent image duplicates and modifications.</li></ol>
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- 9) File comparison: Hashing is used in file comparison algorithms, such as the MD5 and SHA-1 hash functions, to compare and verify the integrity of files.
- 10) Caching: Storing frequently accessed data for faster retrieval. For example browser caches, we can use URL as keys and find the local storage of the URL.
- 11) Symbol Tables: Mapping identifiers to their values in programming languages
- 12) Associative Arrays: Associative arrays are nothing but hash tables only. Commonly SQL library functions allow you retrieve data as associative arrays so that the retrieved data in RAM can be quickly searched for a key.

### **Collisions and How to Handle Them**

Two or more keys can generate same hash values sometimes. This is called a collision. The new key should also be placed in the hash Somewhere. A collision can be handled using various techniques.

There are two major Types of Collision Resolution Techniques

- 1) **Separate Chaining Technique**
- 2) **Open Addressing technique**

### **Open Addressing technique**

In this method, the values are all stored **in** the hash table itself. If collision occurs, we look for availability in the next spot generated by an algorithm. The table size at all times should be greater than the number of keys. *It is used when there is space restrictions, like in embedded processors.*

Point to note in delete operations, the deleted slot needs to be marked in some way so that during searching, we don't stop probing at empty slots.

Types of Open Addressing:

1. Linear Probing: We linearly probe/look for next slot. If slot  $[\text{hash}(x) \% \text{size}]$  is full, we try  $[\text{hash}(x) \% \text{size} + 1]$ . If that is full too, we try  $[\text{hash}(x) \% \text{size} + 2]$ ...until an available space is found. Linear Probing has the best cache performance but downside includes primary and secondary clustering.
2. Quadratic Probing: We look for  $i^2$ th iteration. If slot  $[\text{hash}(x) \% \text{size}]$  is full, we try  $[(\text{hash}(x) + 1 * 1) \% \text{size}]$ . If that is also full, we try  $[(\text{hash}(x) + 2 * 2) \% \text{size}]$ ...until an available space is found. Secondary clustering might arise here and there is no guarantee of finding a slot in this approach.
3. Double Hashing: We use a second hash function  $\text{hash}_2(x)$  and look for  $i * \text{hash}_2(x)$  slot. If slot  $[\text{hash}(x) \% \text{size}]$  is full, we try  $[(\text{hash}(x) + 1 * \text{hash}_2(x)) \% \text{size}]$ . If that is full too, we try  $[(\text{hash}(x) + 2 * \text{hash}_2(x)) \% \text{size}]$ ...until an available space is found.

	<p>No primary or secondary clustering but lot more computation here.</p> <p><b>Separate Chaining Technique</b></p> <p>The idea is to make each cell of the hash table point to a linked list of records that have the same hash function values. It is simple but requires additional memory outside the table. In this technique, the worst case occurs when all the values are in the same index or linked list, making the search complexity linear (<math>n = \text{length of the linked list}</math>). <i>This method should be used when we do not know how many keys will be there or how frequently the insert/delete operations will take place.</i></p> <p>To maintain the <math>O(1)</math> time of insertions, we make the new value as head of the linked list of the particular index.</p>
<b>Algorithm</b>	<p><b>1) Linear Probing</b></p> <ol style="list-style-type: none"> <li><b>Calculate Initial Hash Index:</b> <ul style="list-style-type: none"> <li>Use the hash_fn function to compute the initial index rem for the given key based on the hash table's size.</li> </ul> </li> <li><b>Check for Duplicate:</b> <ul style="list-style-type: none"> <li>If the value at <math>h \rightarrow \text{arr}[\text{rem}]</math> is equal to key, print a message indicating a duplicate exists, and exit the function.</li> </ul> </li> <li><b>Check for Empty Slot:</b> <ul style="list-style-type: none"> <li>If the status at <math>h \rightarrow \text{status}[\text{rem}]</math> indicates it's empty ('E'): <ul style="list-style-type: none"> <li>Insert key into <math>h \rightarrow \text{arr}[\text{rem}]</math>.</li> <li>Update the status at <math>h \rightarrow \text{status}[\text{rem}]</math> to 'F' (indicating it's filled).</li> </ul> </li> </ul> </li> </ol>

4. **Handle Collision:**
  - If the slot is not empty, print a message indicating a collision has occurred.
  - Initialize a probe counter probe\_no starting at 1.
5. **Linear Probing:**
  - Enter a loop that continues until an empty slot is found:
    - Check again if h->arr[rem] is equal to key. If it is, print a duplicate message and exit.
    - Increment rem to check the next slot (using modulo to wrap around the table).
    - Print the current probe number and the new index being checked.
    - Increment the probe\_no.
6. **Insert the Key:**
  - Once an empty slot is found (when h->status[rem] is 'E'):
    - Insert key into h->arr[rem].
    - Update the status to 'F'.

## 2) Quadratic Probing

1. **Initialize Variables:**
  - Create an ecoun variable to keep track of the number of attempts made to insert the key.
  - Compute the initial index rem using the hash\_fn function.
2. **Check for Duplicate:**
  - If the value at h->arr[rem] matches key, print a message indicating a duplicate exists, and exit the function.
3. **Print Initial Probe:**
  - Print the details of the initial probing attempt using the calculated index rem.
4. **Check for Empty Slot:**
  - If the status at h->status[rem] indicates it's empty ('E'):
    - Insert key into h->arr[rem].
    - Update the status at h->status[rem] to 'F'.
5. **Handle Collision with Quadratic Probing:**
  - If the slot is occupied, print a message indicating a collision has occurred.
  - Initialize a temporary variable temp starting at 1.
6. **Quadratic Probing Loop:**
  - Enter a loop that continues until an empty slot is found or the number of attempts (ecount) exceeds twice the size of the hash table:
    - Check again if h->arr[rem] matches key. If it does, print a duplicate message and exit.
    - Calculate the new index using the formula:  $rem = (rem + (temp * temp)) \% h \rightarrow size$ .
    - Print the current probing attempt details.
    - Increment temp, and increase ecoun by 1.
7. **Check for Infinite Loop:**

	<ul style="list-style-type: none"> <li>• If <code>ecount</code> exceeds <code>h-&gt;size * 2 - 2</code>, print a warning message indicating potential infinite looping.</li> </ul> <p>8. <b>Insert the Key:</b></p> <ul style="list-style-type: none"> <li>• Once an empty slot is found, insert key into <code>h-&gt;arr[rem]</code> and update the status to 'F'.</li> </ul> <p><b>3) Double Hashing</b></p> <p>1. <b>Calculate Initial Hash Index:</b></p> <ul style="list-style-type: none"> <li>• Compute the initial index <code>rem</code> for the given key using the <code>hash_fn</code> function.</li> <li>• Store the original index in <code>orem</code> for later reference.</li> <li>• Calculate a secondary index <code>rem2</code> using the <code>hash_fn1</code> function to assist in probing.</li> </ul> <p>2. <b>Initialize Attempt Counter:</b></p> <ul style="list-style-type: none"> <li>• Set <code>ecount</code> to zero to keep track of the number of probing attempts.</li> </ul> <p>3. <b>Check for Duplicate:</b></p> <ul style="list-style-type: none"> <li>• If the value at <code>h-&gt;arr[rem]</code> is equal to key, print a message indicating a duplicate exists and exit the function.</li> </ul> <p>4. <b>Print Initial Probe Information:</b></p> <ul style="list-style-type: none"> <li>• Print details of the initial probing attempt using the calculated index <code>rem</code>.</li> </ul> <p>5. <b>Check for Empty Slot:</b></p> <ul style="list-style-type: none"> <li>• If the status at <code>h-&gt;status[rem]</code> indicates it's empty ('E'): <ul style="list-style-type: none"> <li>◦ Insert key into <code>h-&gt;arr[rem]</code>.</li> <li>◦ Update the status at <code>h-&gt;status[rem]</code> to 'F' (indicating it's filled).</li> </ul> </li> </ul> <p>6. <b>Handle Collision with Double Hashing:</b></p> <ul style="list-style-type: none"> <li>• If the slot is occupied, print a message indicating a collision has occurred.</li> <li>• Initialize a temporary variable <code>temp</code> starting at 1.</li> </ul> <p>7. <b>Probing Loop:</b></p> <ul style="list-style-type: none"> <li>• Enter a loop that continues until an empty slot is found or the number of attempts (<code>ecount</code>) exceeds twice the size of the hash table: <ul style="list-style-type: none"> <li>◦ Calculate the new index using the formula: <code>rem = (orem + temp * rem2) % h-&gt;size</code>.</li> <li>◦ Check if <code>h-&gt;arr[rem]</code> matches key. If it does, print a duplicate message and exit.</li> <li>◦ Print the current probing attempt details, including the values used in the calculation.</li> <li>◦ Increment <code>temp</code> and increase <code>ecount</code> by 1.</li> </ul> </li> </ul> <p>8. <b>Check for Infinite Loop:</b></p> <ul style="list-style-type: none"> <li>• If <code>ecount</code> exceeds <code>h-&gt;size * 2 - 2</code>, print a warning message indicating potential infinite looping.</li> </ul> <p>9. <b>Insert the Key:</b></p> <ul style="list-style-type: none"> <li>• Once an empty slot is found, insert key into <code>h-&gt;arr[rem]</code> and update the status to 'F'.</li> </ul>
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# Problem Solving

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## 1) Linear Probing

77, 153, 1, 3, 79, 155, 0, 152, 152, 71

0
1
152
153
3
155
71
77
1
79

$$1) (77 \% 10) \% 10 = 7$$

$$2) (153 \% 10) \% 10 = 3$$

$$3) (1 \% 10) \% 10 = 1$$

$$4) (3 \% 10) \% 10 = 3$$

$$P1: (3 + 1) \% 10 = 4$$

$$5) (79 \% 10) \% 10 = 9$$

$$6) (155 \% 10) \% 10 = 5$$

$$7) (0 \% 10) \% 10 = 0$$

$$8) (152 \% 10) \% 10 = 2$$

$$9) (152 \% 10) \% 10 = 2$$

$$collision! But value 152 already exists$$

$$skip$$

$$collision$$

$$P1: (1 + 1) \% 10 = 2$$

$$P2: (2 + 1) \% 10 = 3$$

$$P3: (3 + 1) \% 10 = 4$$

$$P4: (4 + 1) \% 10 = 5$$

$$P5: (5 + 1) \% 10 = 6$$

## 2) Quadratic probing

Size 19

86, 198, 466, 709, 973, 981, 374, 766, 473,  
198, 342, 191, 393, 300, 11, 538, 913, 220, 864,  
565

0	342	1) $(86 \% 19) \% 19 = 8$
1	191	
2	538	2) $(198 \% 19) \% 19 = 8$
3	220	
4	973	3) $(466 \% 19) \% 19 = 10$
5	-1	collision
6	709	P1 $(10+1) \% 19 = 11$
7	766	
8	198	4) $(709 \% 19) \% 19 = 6$
9	864	
10	86	5) $(973 \% 19) \% 19 = 4$
11	466	
12	981	6) $(981 \% 19) \% 19 = 12$
13	374	
14	393	7) $(374 \% 19) \% 19 = 13$
15	300	
16	11	8) $(766 \% 19) \% 19 = 6$
17	473	collision
18	913	9) $(6+1) \% 19 = 7$

9)  $(473 \% 19) \% 19 = 17$

10) 198 : Duplicate found  
 $(198 \% 19) \% 19 = 8$

$$11) (342 \% 19) \% 19 = 0$$

$$12) (191 \% 19) \% 19 = 1$$

$$13) (393 \% 19) \% 19 = 13$$

collision

$$P1: (13+1) \% 19 = 14$$

$$14) (300 \% 19) \% 19 = 15$$

$$15) (11 \% 19) \% 19 = 11$$

collision

$$P1: (11+1) \% 19 = 12$$

$$P2: (11+4) \% 19 = 16$$

$$16) (538 \% 19) \% 19 = 6$$

collision

$$P1: (6+1) \% 19 = 7$$

$$P2: (6+4) \% 19 = 11$$

$$P3: (6+9) \% 19 = 1$$

$$P4: (6+16) \% 19 = 17$$

$$P5: (6+25) \% 19 = 4$$

$$P6: (6+36) \% 19 = 2$$

$$17) (913 \% 19) \% 19 = 1$$

collision

$$P1: (1+1) \% 19 = 2$$

$$P2: (1+4) \% 19 = 6$$

$$P3: (1+9) \% 19 = 15$$

$$P4: (1+16) \% 19 = 12$$

$$P5: (1+25) \% 19 = 18$$

$$18) (220 \% 19) \% 19 = 11$$

collision

$$P1: (1+1) \% 19 = 12$$

$$P2: (1+4) \% 19 = 16$$

$$P3: (1+9) \% 19 = 6$$

$$P4: (1+16) \% 19 = 3$$

$$19) (844 \% 19) \% 19 = 8$$

collision

$$P1: (8+1) \% 19 = 9$$

$$20) (565 \% 19) \% 19 = 14$$

This causes an infinite loop. Number is ignored.



### 3) Double hashing

77, 153, 1, 3, 74, 155, 0, 76, 152, 152

size = 10

0	0
1	1
2	155
3	153
4	-1
5	3
6	76
7	77
8	-1
9	74

$$1) (77 \% 10) \% 10 = 7$$

$$2) (153 \% 10) \% 10 = 3$$

$$3) (1 \% 10) \% 10 = 1$$

$$4) (3 \% 10) \% 10 = 3$$

collision

$$\text{rem}(\text{hash} 2) = 4$$

$$P1: (3 + 1 \times 4) \% 10 = 7$$

$$P2: (3 + 2 \times 4) \% 10 = 1$$

$$P3: (3 + 3 \times 4) \% 10 = 5$$

$$5) (74 \% 10) \% 10 = 4$$

$$6) (155 \% 10) \% 10 = 5$$

collision

$$\text{rem}(\text{hash} 2) = 7$$

$$P1: (5 + 1 \times 7) \% 10 = 2$$

$$7) (0 \% 10) \% 10 = 0$$

$$8) (76 \% 10) \% 10 = 6$$

10) Same infinite loop detected  
Breaks

$$9) (152 \% 10) \% 10 = 2$$

collision

$$\text{rem}(\text{hash} 2) = 5$$

infinite loop detected. Breaks

### Program(Code)

```
#include <stdio.h>
#include <stdlib.h>
#include <stdbool.h>
```

```
typedef struct hash
```

```
{
    int * arr;
    int size;
    char * status;
} hash;
```

```
int hash_fn (hash * h, int key)
```

```
{
```

```

    return key%h->size;
}

void insert_lin(hash * h, int key)
{
    int rem =hash_fn(h,key);
    printf("\n Applying Probe 0: (%d %% %d) %% %d = %d \n", key , h-
>size, h->size, rem);
    if (h->arr[rem]==key)
    {
        printf("You Have a Duplicate: No need to insert: \n");
        return;
    }
    if (h->status[rem]=='E')
    {
        h->arr[rem]=key;
        h->status[rem]='F';
    }
    else
    {
        printf("A Collision has occurred: \n");
        int probe_no=1;
        //apply probing
        while (h->status[rem]!='E')
        {
            if (h->arr[rem]==key)
            {
                printf("You Have a Duplicate: No need to insert: \n");
                return;
            }

            rem= (rem+probe_no)%h->size;
            printf("Applying Probe %d: (%d+%d) %% %d = %d
\n",probe_no, key,probe_no, h->size, rem);
            probe_no++;
        }
        h->arr[rem]=key;
        h->status[rem]='F';
    }
    printf("Element %d has been inserted at %d \n",key,rem);
}

void insert_quad(hash * h, int key)
{
    int ecoun=0;
    int rem =hash_fn(h,key);
    if (h->arr[rem]==key)
    {
        printf("You Have a Duplicate: No need to insert: \n");
        return;
    }

```

```

    }
    int orem=rem;
    printf("\n Applying Probe 0: (%d %% %d) %% %d = %d \n", key , h-
>size, h->size, rem);
    if (h->status[rem]=='E')
    {
        h->arr[rem]=key;
        h->status[rem]='F';
    }
    else
    {
        printf("A Collision has occured: \n");
        int temp=1;
        while (h->status[rem]!='E' && ecoun<h->size*2)
        {
            if (h->arr[rem]==key)
            {
                printf("You Have a Duplicate: No need to insert: \n");
                return;
            }
            rem=(rem + (temp*temp))%h->size;
            printf("Applying Probe %d: ( %d + %d ) %% %d = %d
\n",temp,orem, temp*temp , h->size, rem);
            temp++;
            ecoun++;
        }
        if (ecoun>(h->size*2)-2)
        {
            printf("Element %d is going in infinite loop: ",key);
            return;
        }
        h->arr[rem]=key;
        h->status[rem]='F';
    }

    printf("Element %d has been inserted at %d \n",key,rem);
}

int hash_fn1 (hash *h , int key)
{
    return 7- ((key%5));
}

void insert_doub(hash * h, int key)
{
    int rem =hash_fn(h,key);
    int orem=rem;
    int rem2 = hash_fn1(h,key);
    int ecoun=0;
    if (h->arr[rem]==key)

```

```

{
    printf("You Have a Duplicate: No need to insert: \n");
    return;
}
printf("\n Applying Probe 0: (%d %% %d) %% %d = %d \n", key, h-
>size, h->size, rem);

if (h->status[rem]=='E')
{
    h->arr[rem]=key;
    h->status[rem]='F';
}
else
{
    //apply probing
    printf("A Collision has occured: \n");
    int temp=1;
    while (h->status[rem]!='E' && ecoun<h->size*2)
    {

        rem= (orem + temp*rem2) %h->size;
        if (h->arr[rem]==key)
        {
            printf("You Have a Duplicate: No need to insert: \n");
            return;
        }
        printf("Applying Probe %d: ( %d + %d*%d ) %% %d = %d
\n",temp ,orem,temp,rem2,h->size,rem);
        temp++;
        ecoun++;
    }

    if (ecoun>(h->size*2)-2)
    {
        printf("Element %d is going in infinite loop: \n",key);
        return;
    }
    h->arr[rem]=key;
    h->status[rem]='F';
}

printf("Element %d has been inserted at %d \n",key,rem);
}

void print_hash(hash* h)
{
    printf("\n Index  Element Stored  Status \n");
    for (int i = 0; i < h->size; i++)

```

```

    {
        printf("%d \t  %d\t \t %c \n",i , h->arr[i], h->status[i]);
    }
}

void choice(hash * h)
{
    printf("Enter 1 to Do linear probing \nEnter 2 to do Quadratic
    probing: \nEnter 3 to do Double Hashing \n");
    int num=0;
    scanf("%d",&num);
    switch (num)
    {
    case 1:
    {
        printf("Welcome to linear probing \n Enter 1 to insert \n Enter 2 to
        print the entire Table \n Enter 0 to Exit \n");
        while (true)
        {
            int choice=0;
            printf("Enter choice \n");
            scanf("%d",&choice);
            if (choice==0)
            {
                printf("\nGoodbye\n");
                break;
            }

            switch (choice)
            {
            case 1:
            {
                printf("Enter number to insert: ");
                scanf("%d", &num);
                insert_lin(h,num);
                break;
            }
            case 2:
            {
                print_hash(h);
                break;
            }
            default:
            {
                printf("Error");
                break;
            }
            }
        }
    }
}

```

```

        break;
    }

    case 2:
    {
        printf("Welcome to Quadratic probing \n Enter 1 to insert \n Enter
2 to print the entire Table \n Enter 0 to Exit \n");
        while (true)
        {
            int choice=0;
            printf("Enter choice \n");
            scanf("%d",&choice);
            if (choice==0)
            {
                printf("\nGoodbye\n");
                break;
            }

            switch (choice)
            {
            case 1:
            {
                printf("Enter number to insert: ");
                scanf("%d", &num);
                insert_quad(h,num);
                printf("\n");
                break;
            }
            case 2:
            {
                print_hash(h);
                break;
            }

            default:
            {
                printf("Error");
                break;
            }
            }
        }
        break;
    }

    case 3:
    {
        printf("Welcome to Double Hashing \n Enter 1 to insert \n Enter 2
to print the entire Table \n Enter 0 to Exit \n");
        while (true)

```

```

{
    int choice=0;
    printf("Enter choice \n");
    scanf("%d",&choice);
    if (choice==0)
    {
        printf("\nGoodbye\n");
        break;
    }

    switch (choice)
    {
    case 1:
    {
        printf("Enter number to insert: ");
        scanf("%d", &num);
        insert_doub(h,num);
        printf("\n");
        break;
    }
    case 2:
    {
        print_hash(h);
        break;
    }

    default:
    {
        printf("Error");
        break;
    }
    }
    break;
}

default:
{
    printf("Error");
    break;
}

}

}

int main(int argc, char const *argv[])
{

```

	<pre> hash * h = (hash * ) malloc(sizeof(hash));  printf("Enter size of the hash table: "); int hash_size=10; scanf("%d",&amp;hash_size);  h-&gt;size=hash_size; h-&gt;arr=(int *)malloc(h-&gt;size *sizeof(int)); h-&gt;status=(char *)malloc(h-&gt;size *sizeof(char)); for (int i = 0; i &lt; h-&gt;size; i++) {     h-&gt;status[i]='E';     h-&gt;arr[i]=-1; }  choice(h);  free(h-&gt;arr); free(h-&gt;status); free(h); return 0; } </pre>
<b>Output</b>	<b>LINEAR</b>



```
Enter size of the hash table: 10
Enter 1 to Do linear probing
Enter 2 to do Quadratic probing:
Enter 3 to do Double Hashing
1
Welcome to linear probing
Enter 1 to insert
Enter 2 to print the entire Table
Enter 0 to Exit
Enter choice
1
Enter number to insert: 77

Applying Probe 0:  $(77 \% 10) \% 10 = 7$ 
Element 77 has been inserted at 7
Enter choice
1
Enter number to insert: 153

Applying Probe 0:  $(153 \% 10) \% 10 = 3$ 
Element 153 has been inserted at 3
Enter choice
1
Enter number to insert: 1

Applying Probe 0:  $(1 \% 10) \% 10 = 1$ 
Element 1 has been inserted at 1
Enter choice
1
Enter number to insert: 3
```

```
Applying Probe 0:  $(3 \% 10) \% 10 = 3$   
A Collision has occurred:  
Applying Probe 1:  $(3+1) \% 10 = 4$   
Element 3 has been inserted at 4  
Enter choice  
1  
Enter number to insert: 79  
  
Applying Probe 0:  $(79 \% 10) \% 10 = 9$   
Element 79 has been inserted at 9  
Enter choice  
1  
Enter number to insert: 155  
  
Applying Probe 0:  $(155 \% 10) \% 10 = 5$   
Element 155 has been inserted at 5  
Enter choice  
1  
Enter number to insert: 0  
  
Applying Probe 0:  $(0 \% 10) \% 10 = 0$   
Element 0 has been inserted at 0  
Enter choice  
1  
Enter number to insert: 152  
  
Applying Probe 0:  $(152 \% 10) \% 10 = 2$   
Element 152 has been inserted at 2  
Enter choice  
1  
Enter number to insert: 152
```

```
Applying Probe 0: (152 % 10) % 10 = 2
You Have a Duplicate: No need to insert:
Enter choice
1
Enter number to insert: 71
```

```
Applying Probe 0: (71 % 10) % 10 = 1
A Collision has occurred:
Applying Probe 1: (71+1) % 10 = 2
Applying Probe 2: (71+2) % 10 = 4
Applying Probe 3: (71+3) % 10 = 7
Applying Probe 4: (71+4) % 10 = 1
Applying Probe 5: (71+5) % 10 = 6
Element 71 has been inserted at 6
Enter choice
2
```

Index	Element Stored	Status
0	0	F
1	1	F
2	152	F
3	153	F
4	3	F
5	155	F
6	71	F
7	77	F
8	-1	E
9	79	F

```
Enter choice
0
```

```
Goodbye
```

## Quadratic

```
Enter size of the hash table: 19
Enter 1 to Do linear probing
Enter 2 to do Quadratic probing:
Enter 3 to do Double Hashing
2
Welcome to Quadratic probing
Enter 1 to insert
Enter 2 to print the entire Table
Enter 0 to Exit
Enter choice
1
Enter number to insert: 86

Applying Probe 0:  $(86 \% 19) \% 19 = 10$ 
Element 86 has been inserted at 10

Enter choice
1
Enter number to insert: 198

Applying Probe 0:  $(198 \% 19) \% 19 = 8$ 
Element 198 has been inserted at 8

Enter choice
1
Enter number to insert: 466

Applying Probe 0:  $(466 \% 19) \% 19 = 10$ 
A Collision has occurred:
Applying Probe 1:  $(10 + 1) \% 19 = 11$ 
Element 466 has been inserted at 11

Enter choice
1
Enter number to insert: 709

Applying Probe 0:  $(709 \% 19) \% 19 = 6$ 
Element 709 has been inserted at 6

Enter choice
1
Enter number to insert: 973

Applying Probe 0:  $(973 \% 19) \% 19 = 4$ 
Element 973 has been inserted at 4

Enter choice
1
Enter number to insert: 981

Applying Probe 0:  $(981 \% 19) \% 19 = 12$ 
Element 981 has been inserted at 12

Enter choice
1
Enter number to insert: 374
```

```
Applying Probe 0: (374 % 19) % 19 = 13  
Element 374 has been inserted at 13
```

```
Enter choice
```

```
1
```

```
Enter number to insert: 766
```

```
Applying Probe 0: (766 % 19) % 19 = 6  
A Collision has occurred:  
Applying Probe 1: ( 6 + 1 ) % 19 = 7  
Element 766 has been inserted at 7
```

```
Enter choice
```

```
1
```

```
Enter number to insert: 473
```

```
Applying Probe 0: (473 % 19) % 19 = 17  
Element 473 has been inserted at 17
```

```
Enter choice
```

```
1
```

```
Enter number to insert: 198
```

```
You Have a Duplicate: No need to insert:
```

```
Enter choice
```

```
1
```

```
Enter number to insert: 342
```

Applying Probe 0:  $(342 \% 19) \% 19 = 0$   
Element 342 has been inserted at 0

Enter choice

1

Enter number to insert: 191

Applying Probe 0:  $(191 \% 19) \% 19 = 1$   
Element 191 has been inserted at 1

Enter choice

1

Enter number to insert: 393

Applying Probe 0:  $(393 \% 19) \% 19 = 13$   
A Collision has occurred:  
Applying Probe 1:  $(13 + 1) \% 19 = 14$   
Element 393 has been inserted at 14

Enter choice

1

Enter number to insert: 300

Applying Probe 0:  $(300 \% 19) \% 19 = 15$   
Element 300 has been inserted at 15

Enter choice

1

Enter number to insert: 11

Applying Probe 0:  $(11 \% 19) \% 19 = 11$   
A Collision has occurred:  
Applying Probe 1:  $(11 + 1) \% 19 = 12$   
Applying Probe 2:  $(11 + 4) \% 19 = 16$   
Element 11 has been inserted at 16

Enter choice

1

Enter number to insert: 538

Applying Probe 0:  $(538 \% 19) \% 19 = 6$   
A Collision has occurred:  
Applying Probe 1:  $(6 + 1) \% 19 = 7$   
Applying Probe 2:  $(6 + 4) \% 19 = 11$   
Applying Probe 3:  $(6 + 9) \% 19 = 1$   
Applying Probe 4:  $(6 + 16) \% 19 = 17$   
Applying Probe 5:  $(6 + 25) \% 19 = 4$   
Applying Probe 6:  $(6 + 36) \% 19 = 2$   
Element 538 has been inserted at 2

Enter choice

1

Enter number to insert: 913

```
Applying Probe 0: (913 % 19) % 19 = 1
A Collision has occurred:
Applying Probe 1: ( 1 + 1 ) % 19 = 2
Applying Probe 2: ( 1 + 4 ) % 19 = 6
Applying Probe 3: ( 1 + 9 ) % 19 = 15
Applying Probe 4: ( 1 + 16 ) % 19 = 12
Applying Probe 5: ( 1 + 25 ) % 19 = 18
Element 913 has been inserted at 18
```

```
Enter choice
1
Enter number to insert: 220
```

```
Applying Probe 0: (220 % 19) % 19 = 11
A Collision has occurred:
Applying Probe 1: ( 11 + 1 ) % 19 = 12
Applying Probe 2: ( 11 + 4 ) % 19 = 16
Applying Probe 3: ( 11 + 9 ) % 19 = 6
Applying Probe 4: ( 11 + 16 ) % 19 = 3
Element 220 has been inserted at 3
```

```
Enter choice
1
Enter number to insert: 844
```

```
Applying Probe 0: (844 % 19) % 19 = 8
A Collision has occurred:
Applying Probe 1: ( 8 + 1 ) % 19 = 9
Element 844 has been inserted at 9
```

```
Enter choice
1
Enter number to insert: 565
```

```
Applying Probe 0: (565 % 19) % 19 = 14
A Collision has occurred:
Applying Probe 1: ( 14 + 1 ) % 19 = 15
Applying Probe 2: ( 14 + 4 ) % 19 = 0
Applying Probe 3: ( 14 + 9 ) % 19 = 9
Applying Probe 4: ( 14 + 16 ) % 19 = 6
Applying Probe 5: ( 14 + 25 ) % 19 = 12
Applying Probe 6: ( 14 + 36 ) % 19 = 10
Applying Probe 7: ( 14 + 49 ) % 19 = 2
Applying Probe 8: ( 14 + 64 ) % 19 = 9
Applying Probe 9: ( 14 + 81 ) % 19 = 14
Applying Probe 10: ( 14 + 100 ) % 19 = 0
Applying Probe 11: ( 14 + 121 ) % 19 = 7
Applying Probe 12: ( 14 + 144 ) % 19 = 18
Applying Probe 13: ( 14 + 169 ) % 19 = 16
Applying Probe 14: ( 14 + 196 ) % 19 = 3
Applying Probe 15: ( 14 + 225 ) % 19 = 0
Applying Probe 16: ( 14 + 256 ) % 19 = 9
Applying Probe 17: ( 14 + 289 ) % 19 = 13
Applying Probe 18: ( 14 + 324 ) % 19 = 14
Applying Probe 19: ( 14 + 361 ) % 19 = 14
Applying Probe 20: ( 14 + 400 ) % 19 = 15
Applying Probe 21: ( 14 + 441 ) % 19 = 0
Applying Probe 22: ( 14 + 484 ) % 19 = 9
Applying Probe 23: ( 14 + 529 ) % 19 = 6
```

```
Applying Probe 24: ( 14 + 576 ) % 19 = 12
Applying Probe 25: ( 14 + 625 ) % 19 = 10
Applying Probe 26: ( 14 + 676 ) % 19 = 2
Applying Probe 27: ( 14 + 729 ) % 19 = 9
Applying Probe 28: ( 14 + 784 ) % 19 = 14
Applying Probe 29: ( 14 + 841 ) % 19 = 0
Applying Probe 30: ( 14 + 900 ) % 19 = 7
Applying Probe 31: ( 14 + 961 ) % 19 = 18
Applying Probe 32: ( 14 + 1024 ) % 19 = 16
Applying Probe 33: ( 14 + 1089 ) % 19 = 3
Applying Probe 34: ( 14 + 1156 ) % 19 = 0
Applying Probe 35: ( 14 + 1225 ) % 19 = 9
Applying Probe 36: ( 14 + 1296 ) % 19 = 13
Applying Probe 37: ( 14 + 1369 ) % 19 = 14
Applying Probe 38: ( 14 + 1444 ) % 19 = 14
Element 565 is going in infinite loop:
Enter choice
2

  Index  Element Stored  Status
0         342          F
1         191          F
2         538          F
3         220          F
4         973          F
5          -1          E
6         709          F
7         766          F
8         198          F
9         844          F
10         86          F
11        466          F
12        981          F
13        374          F
14        393          F
15        300          F
16         11          F
17        473          F
18        913          F
Enter choice
0

Goodbye
```

## Double



```
Enter size of the hash table: 10
Enter 1 to Do linear probing
Enter 2 to do Quadratic probing:
Enter 3 to do Double Hashing
3
Welcome to Double Hashing
Enter 1 to insert
Enter 2 to print the entire Table
Enter 0 to Exit
Enter choice
1
Enter number to insert: 77

Applying Probe 0:  $(77 \% 10) \% 10 = 7$ 
Element 77 has been inserted at 7

Enter choice
1
Enter number to insert: 153

Applying Probe 0:  $(153 \% 10) \% 10 = 3$ 
Element 153 has been inserted at 3

Enter choice
1
Enter number to insert: 1

Applying Probe 0:  $(1 \% 10) \% 10 = 1$ 
Element 1 has been inserted at 1
```

```
Enter choice
1
Enter number to insert: 3

Applying Probe 0:  $(3 \% 10) \% 10 = 3$ 
A Collision has occurred:
Applying Probe 1:  $(3 + 1*4) \% 10 = 7$ 
Applying Probe 2:  $(3 + 2*4) \% 10 = 1$ 
Applying Probe 3:  $(3 + 3*4) \% 10 = 5$ 
Element 3 has been inserted at 5

Enter choice
1
Enter number to insert: 79

Applying Probe 0:  $(79 \% 10) \% 10 = 9$ 
Element 79 has been inserted at 9

Enter choice
1
Enter number to insert: 155

Applying Probe 0:  $(155 \% 10) \% 10 = 5$ 
A Collision has occurred:
Applying Probe 1:  $(5 + 1*7) \% 10 = 2$ 
Element 155 has been inserted at 2

Enter choice
1
Enter number to insert: 0

Applying Probe 0:  $(0 \% 10) \% 10 = 0$ 
Element 0 has been inserted at 0

Enter choice
1
Enter number to insert: 76

Applying Probe 0:  $(76 \% 10) \% 10 = 6$ 
Element 76 has been inserted at 6
```

```
Enter choice
1
Enter number to insert: 152

Applying Probe 0: (152 % 10) % 10 = 2
A Collision has occurred:
Applying Probe 1: ( 2 + 1*5 ) % 10 = 7
Applying Probe 2: ( 2 + 2*5 ) % 10 = 2
Applying Probe 3: ( 2 + 3*5 ) % 10 = 7
Applying Probe 4: ( 2 + 4*5 ) % 10 = 2
Applying Probe 5: ( 2 + 5*5 ) % 10 = 7
Applying Probe 6: ( 2 + 6*5 ) % 10 = 2
Applying Probe 7: ( 2 + 7*5 ) % 10 = 7
Applying Probe 8: ( 2 + 8*5 ) % 10 = 2
Applying Probe 9: ( 2 + 9*5 ) % 10 = 7
Applying Probe 10: ( 2 + 10*5 ) % 10 = 2
Applying Probe 11: ( 2 + 11*5 ) % 10 = 7
Applying Probe 12: ( 2 + 12*5 ) % 10 = 2
Applying Probe 13: ( 2 + 13*5 ) % 10 = 7
Applying Probe 14: ( 2 + 14*5 ) % 10 = 2
Applying Probe 15: ( 2 + 15*5 ) % 10 = 7
Applying Probe 16: ( 2 + 16*5 ) % 10 = 2
Applying Probe 17: ( 2 + 17*5 ) % 10 = 7
Applying Probe 18: ( 2 + 18*5 ) % 10 = 2
Applying Probe 19: ( 2 + 19*5 ) % 10 = 7
Applying Probe 20: ( 2 + 20*5 ) % 10 = 2
Element 152 is going in infinite loop:
```

```
Enter choice
1
Enter number to insert: 152

Applying Probe 0: (152 % 10) % 10 = 2
A Collision has occurred:
Applying Probe 1: ( 2 + 1*5 ) % 10 = 7
Applying Probe 2: ( 2 + 2*5 ) % 10 = 2
Applying Probe 3: ( 2 + 3*5 ) % 10 = 7
Applying Probe 4: ( 2 + 4*5 ) % 10 = 2
Applying Probe 5: ( 2 + 5*5 ) % 10 = 7
Applying Probe 6: ( 2 + 6*5 ) % 10 = 2
Applying Probe 7: ( 2 + 7*5 ) % 10 = 7
Applying Probe 8: ( 2 + 8*5 ) % 10 = 2
Applying Probe 9: ( 2 + 9*5 ) % 10 = 7
Applying Probe 10: ( 2 + 10*5 ) % 10 = 2
Applying Probe 11: ( 2 + 11*5 ) % 10 = 7
Applying Probe 12: ( 2 + 12*5 ) % 10 = 2
Applying Probe 13: ( 2 + 13*5 ) % 10 = 7
Applying Probe 14: ( 2 + 14*5 ) % 10 = 2
Applying Probe 15: ( 2 + 15*5 ) % 10 = 7
Applying Probe 16: ( 2 + 16*5 ) % 10 = 2
Applying Probe 17: ( 2 + 17*5 ) % 10 = 7
Applying Probe 18: ( 2 + 18*5 ) % 10 = 2
Applying Probe 19: ( 2 + 19*5 ) % 10 = 7
Applying Probe 20: ( 2 + 20*5 ) % 10 = 2
Element 152 is going in infinite loop:
```

	<pre>Enter choice 2    Index  Element Stored  Status 0         0             F 1         1             F 2        155             F 3        153             F 4         -1             E 5         3              F 6        76              F 7        77              F 8         -1             E 9        79              F  Enter choice 0  Goodbye</pre>
<b>Conclusion</b>	<p>Thus, we implemented a hash table that employs three collision resolution techniques: linear probing, quadratic probing, and double hashing. Each method effectively manages collisions, but with different performance implications. Linear probing is simpler but may lead to clustering, while quadratic probing mitigates this issue through better distribution. Double hashing offers an efficient alternative by utilizing a secondary hash function.</p>