

Output

Enter the number of jobs

7

Enter profits for each jobs

3

5

20

18

1

6

30

Enter the deadline for each job:

1

3

4

3

2

1

2

Arrange in desc:

30

20

18

6

5

3

1

The Sequence

4

1

3

2

The profit earned is 74

## Output

Enter the number of nodes

6

Enter the cost matrix weights:

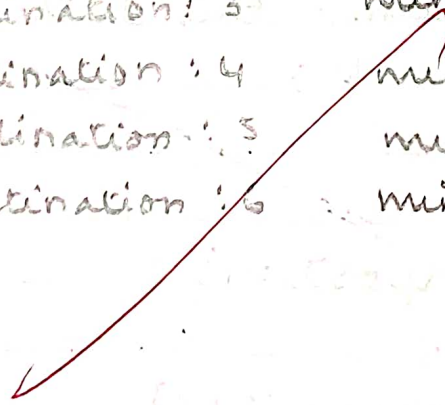
|    |    |    |    |    |   |
|----|----|----|----|----|---|
| 0  | 50 | 45 | 10 | 0  | 0 |
| 0  | 0  | 10 | 15 | 0  | 0 |
| 0  | 0  | 0  | 0  | 30 | 0 |
| 10 | 0  | 0  | 0  | 15 | 0 |
| 0  | 20 | 35 | 0  | 0  | 0 |
| 0  | 0  | 0  | 0  | 3  | 0 |

Enter the source vertex:

2

The shortest path from source 2 to all the other vertices are:

|            |                 |                 |
|------------|-----------------|-----------------|
| Source : 2 | destination : 1 | min Cost : 25   |
| Source : 2 | destination : 3 | min Cost : 10   |
| Source : 2 | destination : 4 | min Cost : 15   |
| Source : 2 | destination : 5 | min Cost : 30   |
| Source : 2 | destination : 6 | min Cost : 9999 |



## Output

Enter no. of nodes in Graph 4

1 and 2: 2

1 and 3: 3

1 and 4: 5

2 and 3: 1

2 and 4: 6

3 and 4: 3

The min Cost Edge is 2 and 3 is with cost 1  
The min Cost Edge is 1 and 2 is with cost 2  
The min Cost Edge is 4 and 1 is with cost 5  
The total min cost spanning tree is 8



## Output:

Enter no. of vertices in the Graph

4

Enter Edge in the Graph

4

Enter 2 vertices and weight of Edge

first vertex: 1

second vertex: 2

weight: 2

first vertex: 2

second vertex: 3

weight: 3

first vertex: 3

second vertex: 4

weight: 4

first vertex: 4

second vertex: 1

weight: 1

edge (4,1) with weight 1 is selected

edge (1,2) with weight 2 is selected

edge (2,3) with weight 3 is selected

edge (3,4) with weight 4 is discarded

min spanning tree for

min Cost = 6

## Output :

Enter no. of vertices in the Graph

4

Enter Edge in the Graph

4

Enter 2 vertices and weights of Edge

first vertex : 1

second vertex : 2

weight : 2

first vertex : 2

second vertex : 3

weight : 3

first vertex : 3

second vertex : 4

weight : 4

first vertex : 4

second vertex : 1

weight : 1

edge (4,1) with weight 1 is selected

edge (1,2) with weight 2 is selected

edge (2,3) with weight 3 is selected

edge (3,4) with weight 4 is discarded

Min spanning tree for

min Cost = 6

## Output

Enter the Number of items

7

Enter the items weights

2

3

5

7

1

4

1

Enter the items value

10

5

15

7

6

18

3

Enter the Maximum capacity is

The Maximum value that can be put  
in a knapsack of capacity is: 54

## Output.

Optimal Binary Search Tree

Enter the no. of nodes = 4

Enter the data as . . . . .

$a[1] = 1$

$a[2] = 2$

$a[3] = 3$

$a[4] = 4$

$p[1] = 3$

$p[2] = 3$

$p[3] = 1$

$p[4] = 1$

$v[0] = 2$

$v[1] = 3$

$v[2] = 1$

$v[3] = 1$

$v[4] = 1$

The optimal Binary Search tree for the  
Given nodes is . . . . .

The Root of this OBST is 12

The cost of this OBST is 32.

| NODE | LEFT CHILD | RIGHT CHILD |
|------|------------|-------------|
| 2    | 1          | 3           |
| 1    | -          | -           |
| 3    | -          | 4           |
| 4    | -          | -           |



### Output

Enter the number of vertices

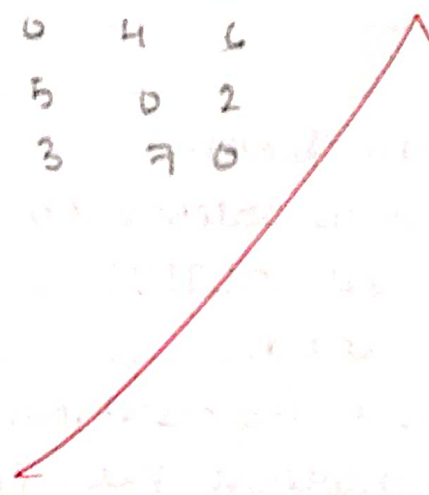
3

Enter the weighted Matrix of the Graph

|   |   |    |
|---|---|----|
| 0 | 4 | 11 |
| 6 | 0 | 2  |
| 3 | 0 | 0  |

The transitive closure of the Graph

|   | 1 | 2 | 3 |
|---|---|---|---|
| 1 | 0 | 4 | 6 |
| 2 | 5 | 0 | 2 |
| 3 | 3 | 7 | 0 |





## Output

Enter no of Queens

4

Solution : 1

| 1 | 2 | 3 | 4 |
|---|---|---|---|
| 1 | - | Q | - |
| 2 | - | - | Q |
| 3 | Q | - | - |
| 4 | - | - | Q |

Solution : 2

| 1 | 2 | 3 | 4 |
|---|---|---|---|
| 1 | - | Q | - |
| 2 | Q | - | - |
| 3 | - | - | Q |