

CMPT 379

Compilers

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Code Optimization

- There is no fully optimizing compiler O
- Let's assume O exists: it takes a program P and produces output **Opt**(P) which is the *smallest* possible
- Imagine a program Q that produces no output and never terminates, then **Opt**(Q) could be:
L1: goto L1
- Then to check if a program P never terminates on some inputs, check if **Opt**(P) is equal to **Opt**(Q)
- Full Employment Theorem for Compiler Writers, see Rice(1953)

Optimizations

- Non-Optimizations
- Types of optimizations
- Correctness of optimizations
 - Optimizations must not change the meaning of the program
- Amdahl's Law
- Moore's Law

Non-Optimizations

```
enum { GOOD, BAD };  
extern int test_condition();
```

```
void check() {  
    int rc;
```

```
    rc = test_condition();  
    if (rc != GOOD) {  
        exit(rc);  
    }  
}
```

```
enum { GOOD, BAD };  
extern int test_condition();
```

```
void check() {  
    int rc;
```

```
    if ((rc = test_condition())) {  
        exit(rc);  
    }  
}
```

Which version of check runs faster?

Types of Optimizations

- High-level optimizations
 - function inlining
- Machine-dependent optimizations
 - e.g., peephole optimizations, instruction scheduling
- Local optimizations or Transformations
 - within basic block
- Global optimizations or Data flow Analysis
 - across basic blocks
 - within one procedure (intraprocedural)
 - whole program (interprocedural)

Maintaining Correctness

- What does this program output?

3

Not:

\$ decaffcc byzero.decaf

Floating exception

```
void main() {  
    int x;  
    if (false) {  
        x = 3/(3-3);  
    } else {  
        x = 3;  
    }  
    callout("print_int", x);  
}
```

Peephole Optimization

- Redundant instruction elimination
 - If two instructions perform that same function *and* are in the same basic block, remove one
 - Redundant loads and stores
 - Unreachable code
- Flow control optimization

```
goto _L1
_L1: goto _L2
```

Peephole Optimization

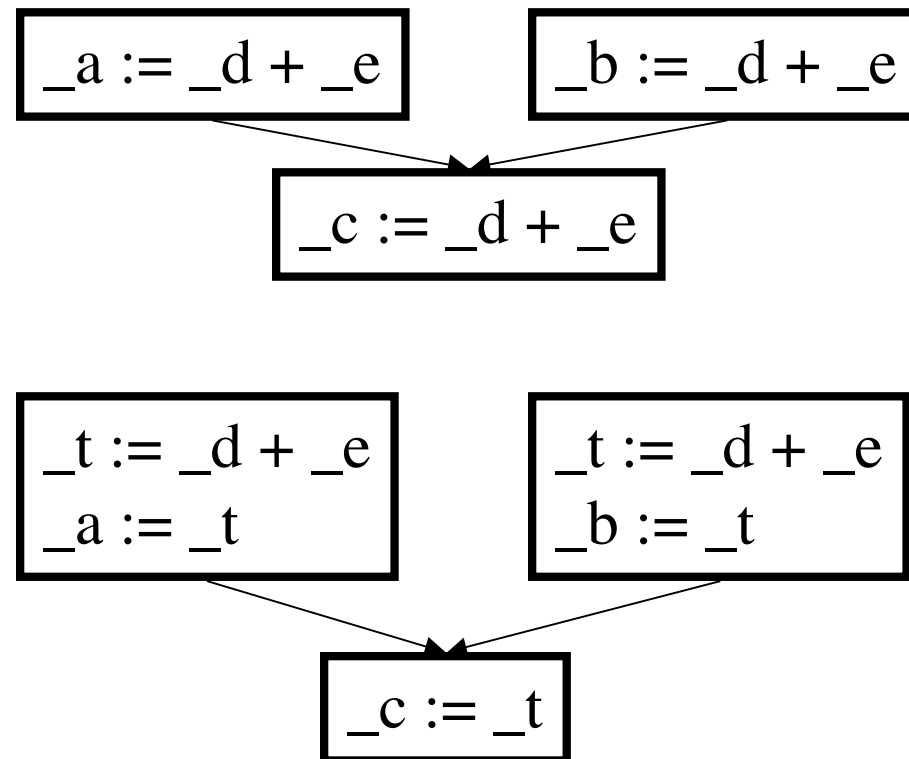
- Algebraic simplification
- Reduction in strength
 - Use faster instructions whenever possible
- Use of Machine Idioms

Constant folding & propagation

- Constant folding
 - compute expressions with known values at compile time
- Constant propagation
 - if constant assigned to variable, replace uses of variable with constant unless variable is reassigned

Constant folding & propagation

- Copy Propagation



Transformations

- Structure preserving transformations
 1. Common subexpression elimination
 - $_a := _b + _c$
 - $_b := _a - _d$
 - $_c := _b + _c$
 - $_d := _a - _d \ (\Rightarrow _b)$
 2. Dead-code elimination
 3. Renaming temporary variables
 4. Interchange of statements

Transformations

- Algebraic transformations

$_d := _a + 0 \ (\Rightarrow _a)$

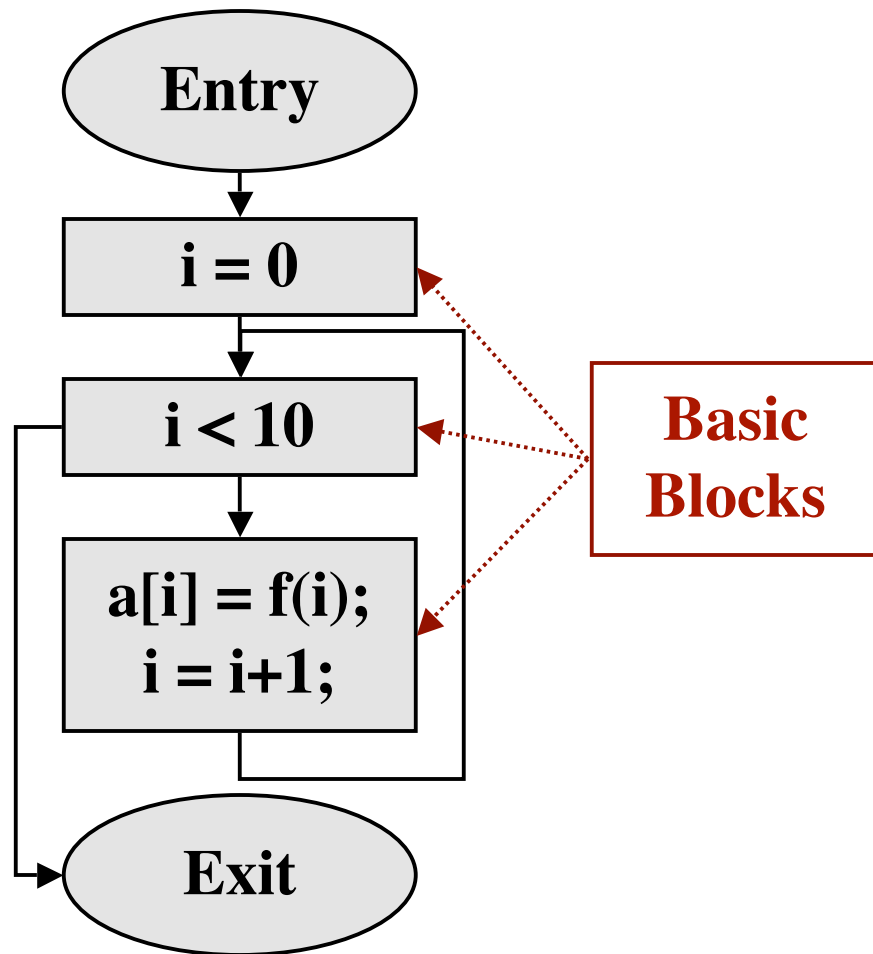
$_d := _d * 1 \ (\Rightarrow \textit{eliminate})$

- Reduction of strength

$_d := _a ** 2 \ (\Rightarrow _a * _a)$

Control Flow Graph (CFG)

```
int main() {  
    extern int f(int);  
    int i;  
    int *a;  
    for (i = 0;  
        i < 10;  
        i = i + 1)  
        { a[i] = f(i); }  
}
```



Control Flow Graph in TAC

main:

BeginFunc 72 ;

i = 0 ;

_L0:

_tmp1 = 10 ;

_tmp2 = i < _tmp1 ;

IfZ _tmp2 Goto _L1 ;

_tmp3 = 4 ;

_tmp4 = _tmp3 * i ;

_tmp5 = a + _tmp4 ;

param i #0 ;

_tmp6 = call f ;

pop 4 ;

*(_tmp5) = _tmp6 ;

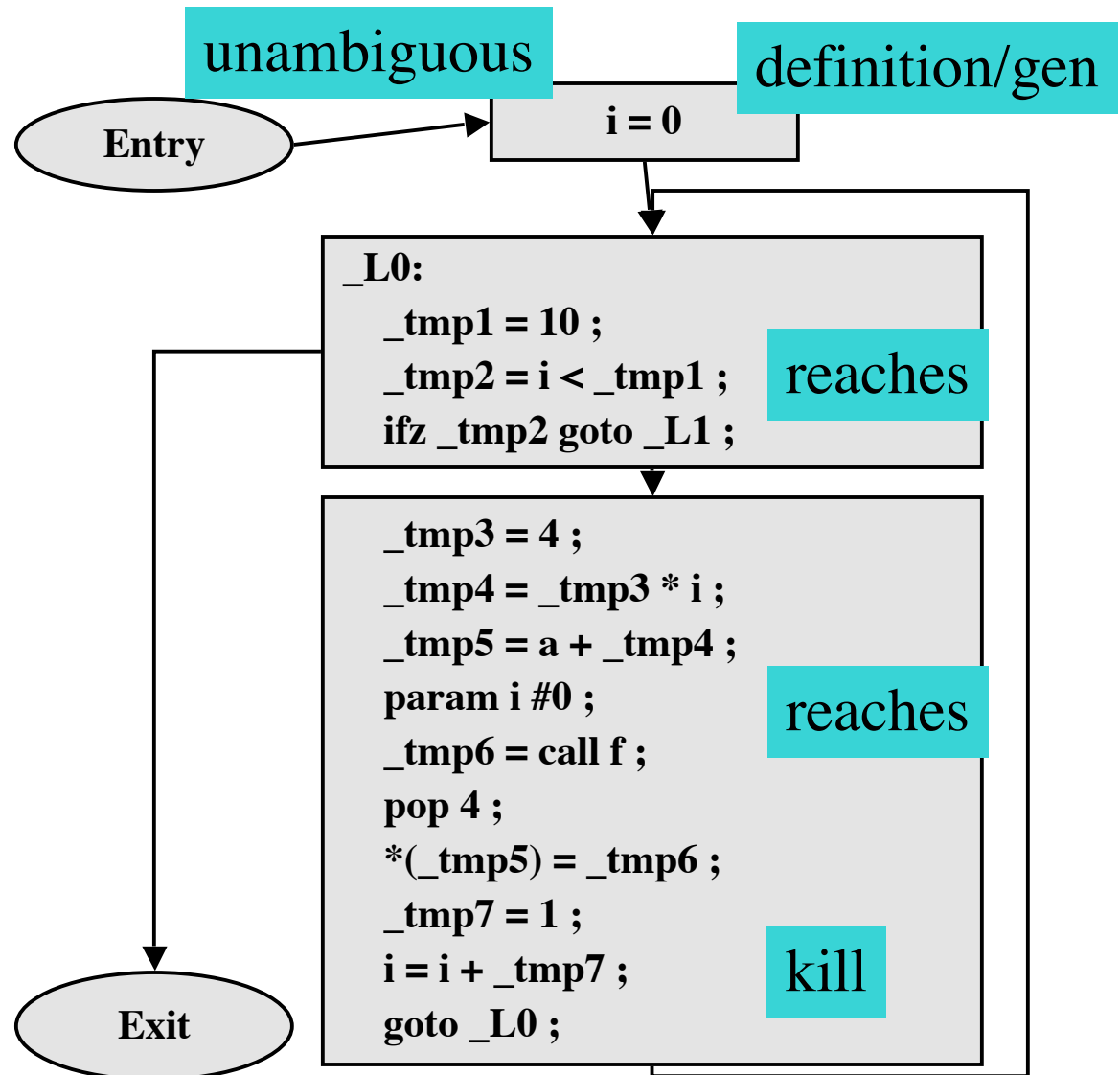
_tmp7 = 1 ;

i = i + _tmp7 ;

goto _L0 ;

_L1:

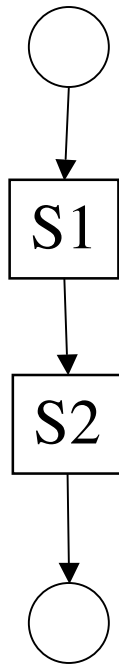
EndFunc ;



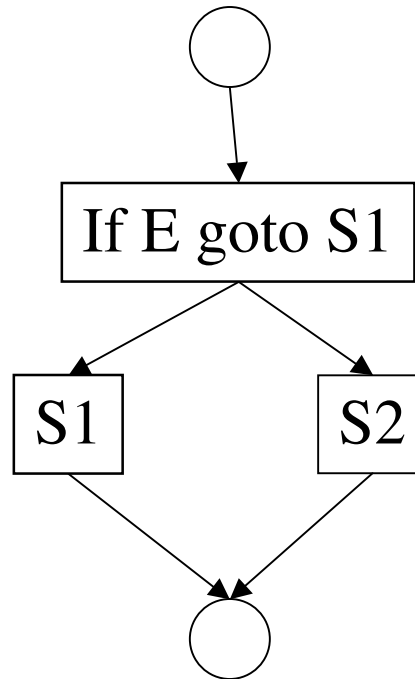
Dataflow Analysis

- $S \rightarrow \text{id} := E$
- $S \rightarrow S ; S$
- $S \rightarrow \text{if } E \text{ then } S \text{ else } S$
- $S \rightarrow \text{do } S \text{ while } E$
- $E \rightarrow \text{id} + \text{id}$
- $E \rightarrow \text{id}$

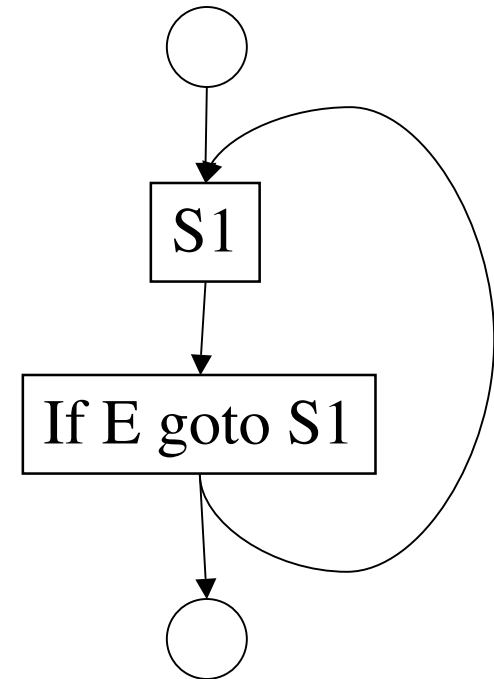
Dataflow Analysis



$S ; S$

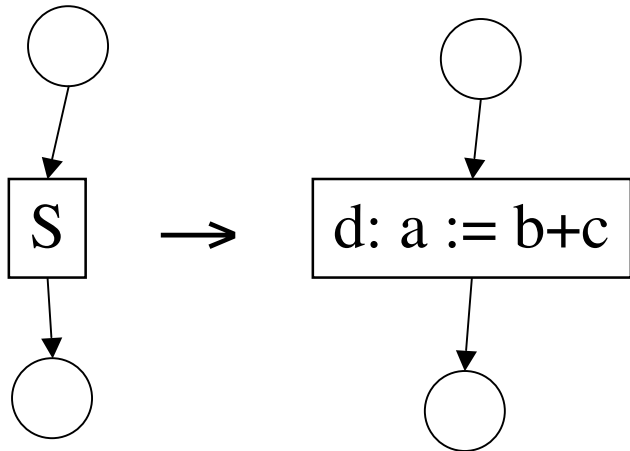


if E then S else S



do S while E

Reaching definitions

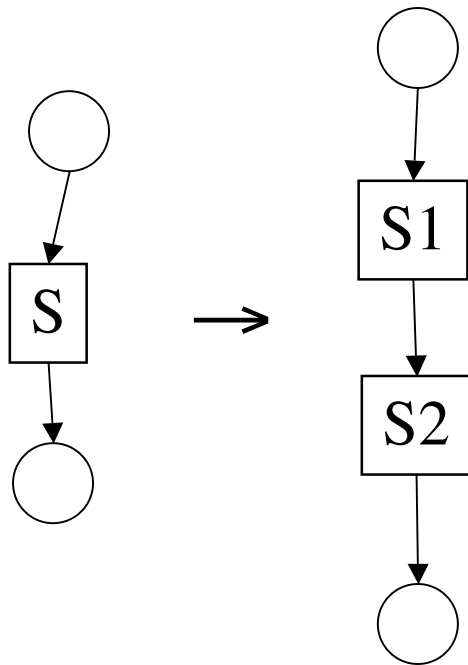


$$\text{gen}[S] = \{ d \}$$

$$\text{kill}[S] = \text{Def}(a) - \{ d \}$$

$$\text{out}[S] = \text{gen}[S] \cup (\text{in}[S] - \text{kill}[S])$$

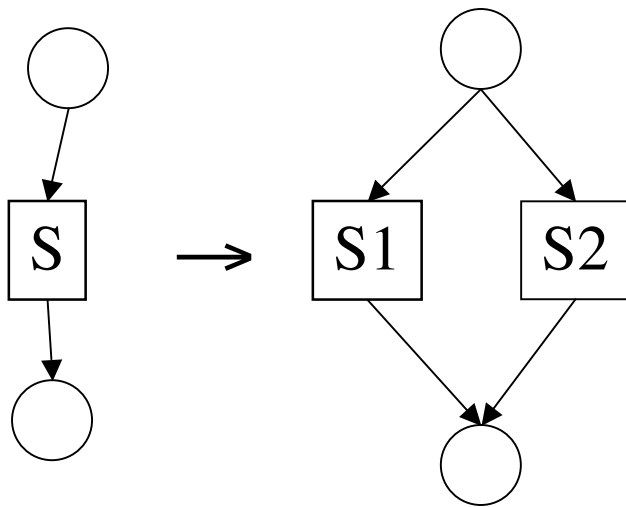
Reaching definitions



$$\begin{aligned} \text{gen}[S] &= \text{gen}[S2] \cup (\text{gen}[S1] - \text{kill}[S2]) \\ \text{kill}[S] &= \text{kill}[S2] \cup (\text{kill}[S1] - \text{gen}[S2]) \end{aligned}$$

$$\begin{aligned} \text{in}[S1] &= \text{in}[S] \\ \text{in}[S2] &= \text{out}[S1] \\ \text{out}[S] &= \text{out}[S2] \end{aligned}$$

Reaching definitions



$$\text{gen}[S] = \text{gen}[S1] \cup \text{gen}[S2]$$

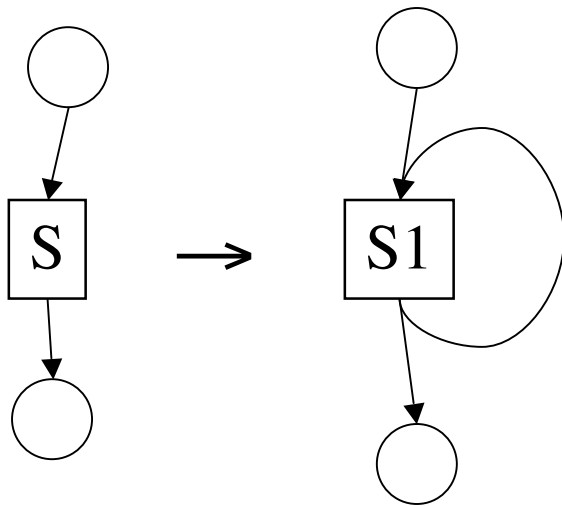
$$\text{kill}[S] = \text{kill}[S1] \cap (\text{kill}[S1] - \text{gen}[S2])$$

$$\text{in}[S1] = \text{in}[S]$$

$$\text{in}[S2] = \text{in}[S]$$

$$\text{out}[S] = \text{out}[S1] \cup \text{out}[S2]$$

Reaching definitions



$$\text{gen}[S] = \text{gen}[S1]$$

$$\text{kill}[S] = \text{kill}[S1]$$

$$\text{in}[S1] = \text{in}[S] \cup \text{gen}[S1]$$

$$\text{out}[S] = \text{out}[S1]$$

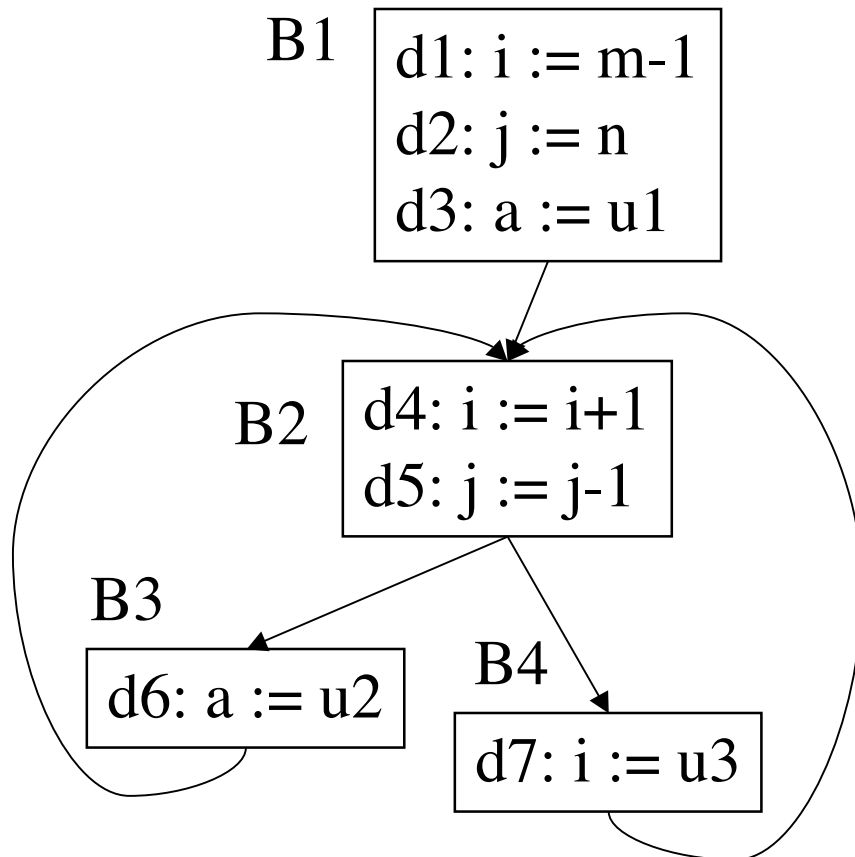
out = synthesized attribute

in = inherited attribute

Iteratively find out[S] (fixed point)

$$\text{out}[S1] = \text{gen}[S1] \cup (\text{in}[S1] - \text{kill}[S1])$$

Reaching definitions



$\text{gen}[B1] = \{ d1, d2, d3 \}$

$\text{kill}[B1] = \{ d4, d5, d6, d7 \}$

$\text{gen}[B2] = \{ d4, d5 \}$

$\text{kill}[B2] = \{ d1, d2, d7 \}$

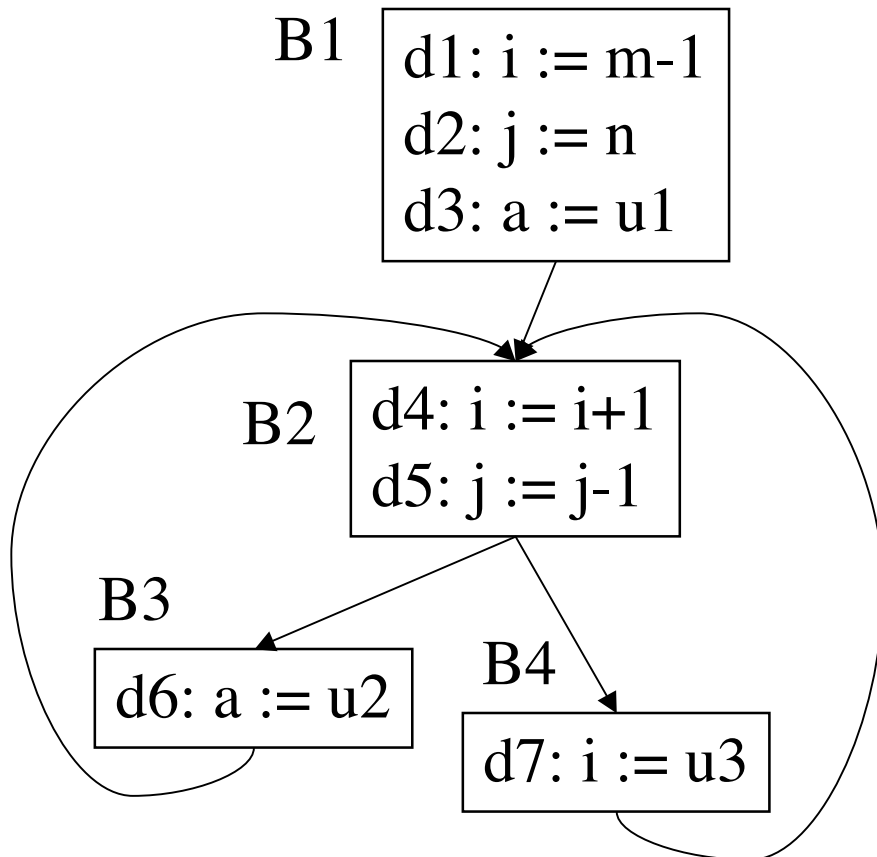
$\text{gen}[B3] = \{ d6 \}$

$\text{kill}[B3] = \{ d3 \}$

$\text{gen}[B4] = \{ d7 \}$

$\text{kill}[B4] = \{ d1, d4 \}$

Reaching definitions



$\text{gen}[B1] = \{ d1, d2, d3 \}$

$\text{kill}[B1] = \{ d4, d5, d6, d7 \}$

$\text{gen}[B2] = \{ d4, d5 \}$

$\text{kill}[B2] = \{ d1, d2, d7 \}$

$\text{gen}[B3] = \{ d6 \}$

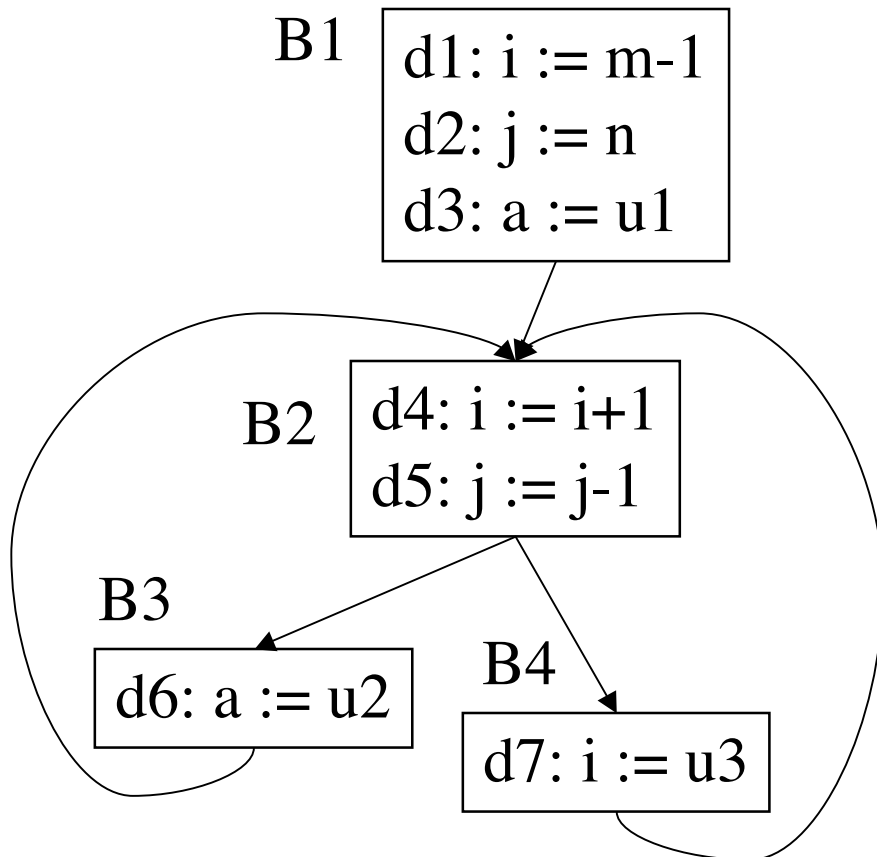
$\text{kill}[B3] = \{ d3 \}$

$\text{gen}[B4] = \{ d7 \}$

$\text{kill}[B4] = \{ d1, d4 \}$

$\text{in}[B2] = \text{out}[B1] \cup \text{out}[B3] \cup \text{out}[B4]$

Reaching definitions



$\text{gen}[B1] = \{ d1, d2, d3 \}$
 $\text{kill}[B1] = \{ d4, d5, d6, d7 \}$

$\text{gen}[B2] = \{ d4, d5 \}$
 $\text{kill}[B2] = \{ d1, d2, d7 \}$

$\text{gen}[B3] = \{ d6 \}$
 $\text{kill}[B3] = \{ d3 \}$

$\text{gen}[B4] = \{ d7 \}$
 $\text{kill}[B4] = \{ d1, d4 \}$

$\checkmark \text{ out}[B2] = \text{gen}[B2] \cup (\text{in}[B3] - \text{kill}[B2])$
 $\text{out}[B2] = \text{gen}[B2] \cup (\text{in}[B4] - \text{kill}[B2])$

Dataflow Analysis

- Compute Dataflow Equations over Control Flow Graph
 - Reaching Definitions (**Forward**)
$$\text{out}[\text{BB}] := \text{gen}[\text{BB}] \cup (\text{in}[\text{BB}] - \text{kill}[\text{BB}])$$
$$\text{in}[\text{BB}] := \bigcup \text{out}[s] : \text{forall } s \in \text{pred}[\text{BB}]$$
 - Liveness Analysis (**Backward**)
$$\text{in}[\text{BB}] := \text{use}[\text{BB}] \cup (\text{out}[\text{BB}] - \text{def}[\text{BB}])$$
$$\text{out}[\text{BB}] := \bigcup \text{in}[s] : \text{forall } s \in \text{succ}[\text{BB}]$$
- Computation by fixed-point analysis

Amdahl's Law

- $\text{Speedup}_{\text{total}} = \frac{1}{((1 - \text{Fraction}_{\text{optimized}}) + \frac{\text{Fraction}_{\text{optimized}}}{\text{Speedup}_{\text{optimized}}})}$
- Optimize the common case, 90/10 rule
- Requires quantitative approach
 - Profiling + Benchmarking
- Problem: Compiler writer doesn't know the application beforehand

Moore's Law

- Speed per \$ doubles every 18 months
- How long do you have to wait until a new processor obsoletes your +5% performance improvement?
- And how does that feel if the optimization was machine-specific?)

Wrap Up

- Analysis/Synthesis
 - Translation from string to executable
- Divide and conquer
 - Build one component at a time
 - Theoretical analysis will ensure we keep things **simple** and **correct**
 - Create a complex piece of software

Lecture 1: Why take this class?

- To learn parsing techniques that can be applied elsewhere
- To see how theoretical algorithms are applied in practice
- To gain an appreciation for language design
- To observe important aspects of software engineering