## 数式テスト

 $ot \exists n orall x, y, z ((n, x, y, z \in \mathbb{N}) \land (x^n + y^n = z^n) \land (n \geq 3))
ot$ 

## 1. 自然演繹

$$\frac{A\Rightarrow B}{B} \stackrel{A}{=} (\Rightarrow E)$$

$$\frac{A}{B \vee A} (\vee I) \frac{B}{B \vee A} (\vee I)$$

$$\frac{A \vee B \quad \frac{[A]^1}{B \vee A} (\vee I) \quad \frac{[B]^1}{B \vee A} (\vee I)}{B \vee A} (\vee E, 1)$$

$$\frac{A \vee (B \vee C)}{A \vee B} \vee \frac{[A]^2}{(A \vee B) \vee C} (\vee V) \qquad \frac{[B \vee C]^2 \qquad \frac{[B]^1}{A \vee B} (\vee I) \qquad [C]^1}{(A \vee B) \vee C} (\vee I) \qquad (V \otimes E, 1)}{(A \vee B) \vee C} (\vee E, 2)$$

$$\begin{array}{ccc} & \vdots & \vdots \\ & & \frac{[A]^1}{B \vee A} (\vee I) & \frac{[B]^1}{B \vee A} (\vee I) \\ & & & \\ \hline B \vee A & & \\ \end{array} (\vee E, 1)$$

$$\begin{array}{c|c} X & P(X=i) \\ \hline 1 & 1/6 \\ 2 & 1/6 \\ 3 & 1/6 \\ 4 & 1/6 \\ 5 & 1/6 \\ 6 & 1/6 \\ \end{array}$$

$$\frac{[A]^2}{A \vee B}(\vee I) \frac{\frac{[B]^1}{A \vee B}(\vee I)}{(A \vee B) \vee C}(\vee V) \frac{[B \vee C]^2}{(A \vee B) \vee C} \frac{\frac{[B]^1}{A \vee B}(\vee I)}{(A \vee B) \vee C}(\vee I) \frac{[C]^1}{(A \vee B) \vee C}(\vee I)}{(A \vee B) \vee C}(\vee E, 1)$$

$$\frac{A \vee (B \vee C) - \frac{[A]^2}{A \vee B} (\vee I)}{(A \vee B) \vee C} (\vee I) \frac{[B \vee C]^2 - \frac{[B]^1}{A \vee B} (\vee I)}{(A \vee B) \vee C} (\vee I) - \frac{[C]^1}{(A \vee B) \vee C} (\vee I)}{(A \vee B) \vee C} (\vee E, 1)} (\vee E, 2)$$

18.

$$\frac{(A \rightarrow B) \lor (A \rightarrow B)}{\frac{B}{B} \lor C} (\rightarrow E) \frac{[A \rightarrow C]^1 \quad [A]^2}{B} (\rightarrow E)}{B \lor C} (\rightarrow E) \frac{B \lor C}{(\rightarrow E)} (\rightarrow E) \frac{B \lor C}{(\rightarrow E, 1)} (\rightarrow E, 1)}{(\rightarrow E, 1)}$$

37. 自然演繹

$$\vdash ((A \rightarrow B) \rightarrow A) \rightarrow A$$

$$\frac{ [\neg A]^2 \quad [A]^1 (\neg E)}{\frac{\bot}{B}}$$

$$\frac{[(A \to B) \to A]^3 \quad \frac{\bot}{B} (\bot)}{(A \to B) \to A} (\to I, 1)$$

$$\frac{\bot}{A} (\bot_c, 2)$$

$$\frac{\bot}{A} (\bot_c, 2)$$

$$(A \to B) \to A \to A$$

$$(\to I, 1)$$