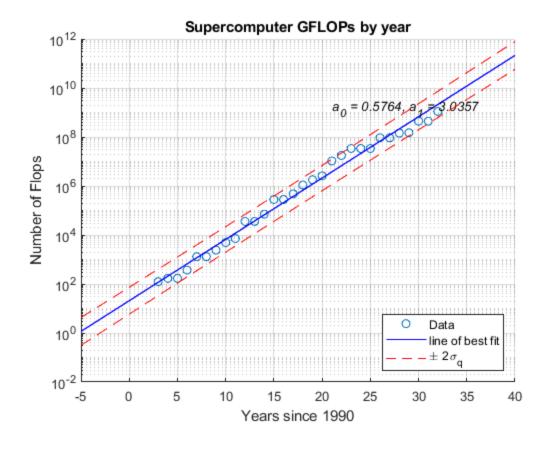
```
% Author(s): Andrew Patella
% Assignment title: Coding Challenge 3
% Purpose:
% Creation date: 10/16/2023
% Revisions: N/A
clear; clc; close all;
%Read in data
data = readmatrix("supercomputer-power-flops.csv");
%Storing data in matrices
time = data(:,1);
time = time-1990; %years
flops = data(:,2); %GFLOPS
*Creating an arbitrary time array that extends outside the time data bounds
time long = -5:1:40;
%P value for exponential regression
p=2i
%Getting polynomial coefficients from polyfit, first degree.
[line,S] = polyfit(time,log(flops),1);
%Changing linear polynomials to exponential polynomials
a_1 = \exp(line(2));
a_0 = line(1)/log(p);
%Function that produces line of best fit, working on whatever time interval
fit =@(t) a_1*p.^(a_0*t);
%Creating a line of best fit for data time and extended time
fit_1 = fit(time);
fit_long = fit(time_long);
%string storing a_0 and a_1 values
string = sprintf('a_0 = 2.4f, a_1 = 2.4f', line(1), line(2));
%Using polyval to find delta and extrapolated fit data
[extrap_fit,delta] = polyval(line,time_long,S);
%Creating arrays of error bars for calculation
top error=exp(extrap fit+2*delta);
bottom_error = exp(extrap_fit-2*delta);
%plotting the results
figure(1);
hold on;
scatter(time,flops);
set(gca,'YScale','log');
plot(time_long,fit_long,'linewidth',1,'color','blue');
```

```
text(21,fit(31.5),string,'FontAngle','italic');
xlabel('Years since 1990');
ylabel('Number of Flops');
grid on;
plot(time_long,exp(extrap_fit
+2*delta), 'linewidth', .75, 'color', 'red', 'LineStyle', '--');
plot(time_long,exp(extrap_fit-2*delta),'linewidth',.75,'color','red','LineStyle','--');
title('Supercomputer GFLOPs by year');
legend('Data','line of best fit','\pm 2\sigma g','Location','southeast');
hold off;
%Calculating and printing differences in error bars
qflops 1990 = fit long(6);
error beginning = (top error(6))-(bottom error(6));
error_2025 = (top_error(41))-(bottom_error(41));
fprintf('The estimated number GFLOPS in 1990 is %2.4f\n',gflops_1990);
fprintf('The difference in the error bars (95%% confidence) is %2.1f GFLOPS in
1990 \n', error beginning);
fprintf('The difference in the error bars (95% confidence) is %2.2q GFLOPS in
 2025 \n',error_2025);
The estimated number GFLOPS in 1990 is 20.8164
The difference in the error bars (95% confidence) is 67.6 GFLOPS in 1990
The difference in the error bars (95% confidence) is 3.9e+10 GFLOPS in 2025
```



Comments

- % The prediction I would trust the most is the one for 1985. This one is
- % only 5 years away from the initial known value. Therefore there is less error. This can also be seen in how the the 95% error interval is smaller at this time.
- % In 2025, the years are further away so the error bounds are growing away
- % from the best fit line. There is less certainty in extrapolation the
- % further away from the data.

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