StereoGene: a tool for fast correlation assessment and its application to the analysis

of high throughput data

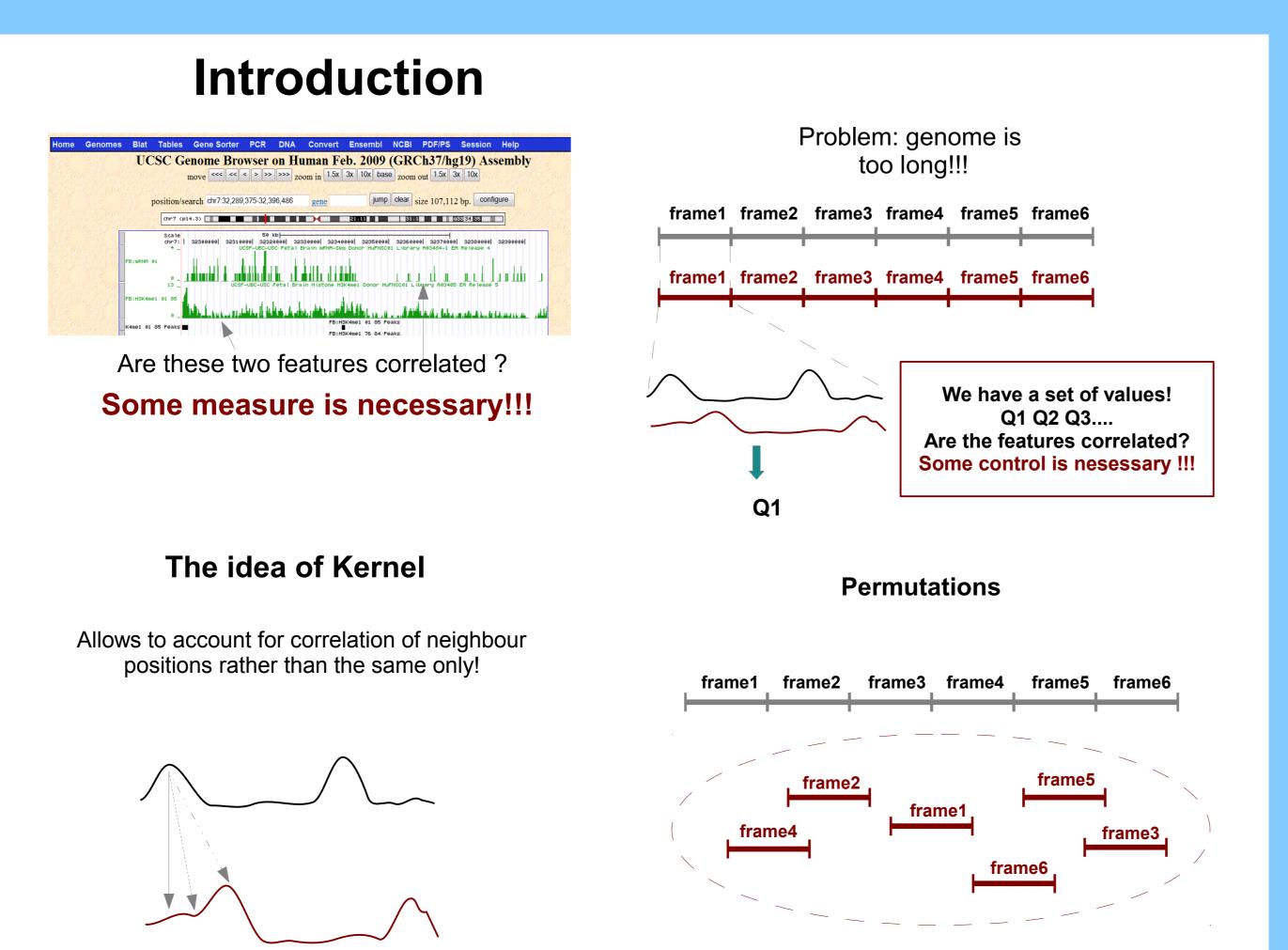
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The modern high-throughput sequencing methods provide massive amounts of genome-focused, DNApositioned data. This data is often represented as a function of the DNA coordinate (e.g. coverage). The genome- or chromosome-wide correlations between different sources may provide information biological interrelation of the investigated features, e.g., transcription and histone modification. The key idea of the correlation studies is that two features that are similarly distributed along a chromosome may be functionally related. The correlation could also be treated as a function on genomic coordinate, and so we can not only assess the interrelations, but also to investigate their localization inside the genome.

Previously, methods of correlation analysis were applied for numerical annotations and some biological results were obtained. But these methods do not allow to analyze positional correlations. The task to compute the spatial correlation was successfully solved only for interval annotations.

Here we present StereoGene that is a fast and powerful tool for estimation of correlations.





 $= \frac{\int_0^L \int_0^L f(x)g(y)\delta(y-x)dxdy}{\int_0^L \int_0^L f(x)g(y)\delta(y-x)dxdy}$

 $Q = \frac{\int_0^L \int_0^L f(x)g(y)\rho(y-x)dxdy}{\int_0^L f(x)g(y)\rho(y-x)dxdy}$

 $\sqrt{\int_0^L f^2(x)dx} \int_0^L g^2(x)dx$

correlation coefficient

permuted

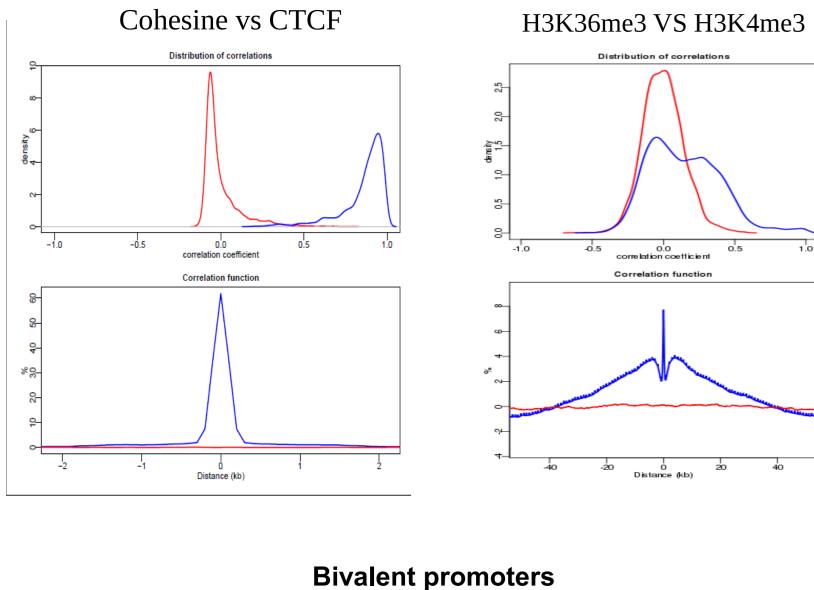


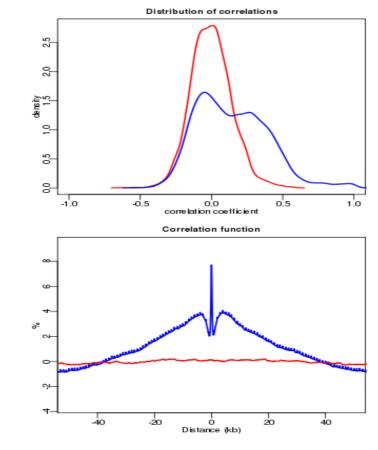


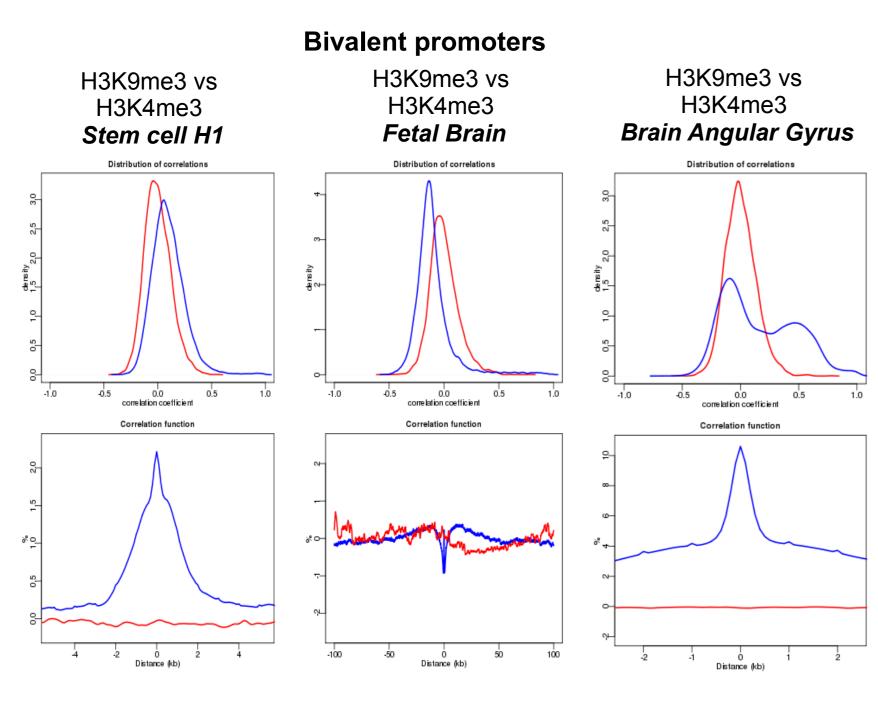
Tool

- Very fast (3 min per genome)
- works with quantitative and qualitative data
- The kernel-based approach allows complex geometry (shifts, smoothing, etc)
- Along with predefined kernel, calculates the results for set of standard shifts.
- Produce correlation track that can be used as input for further correlation (liquid association)
- Allows also to scale and sum profiles and compare profile combinations

Correlation





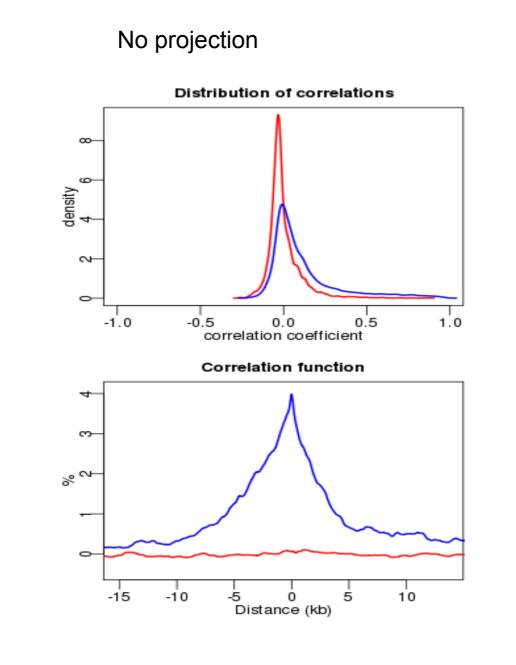


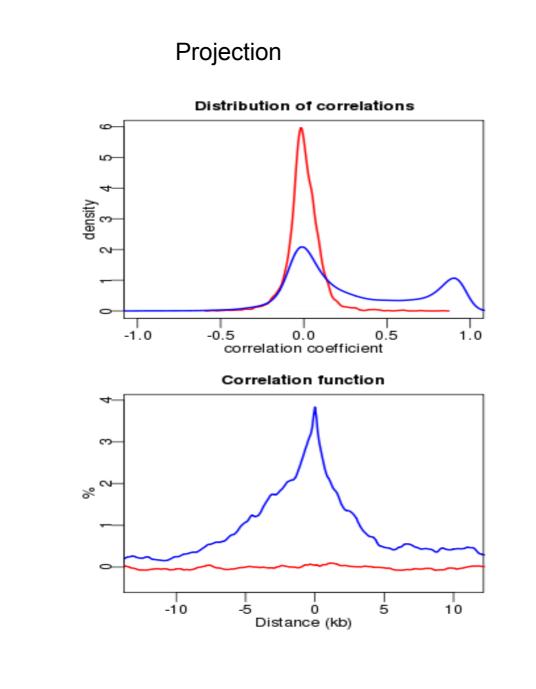
Thee-way correlation: projection.

Projection correlation is intended for analysis correlations of two profiles f,g with exclusion of correlation of these profiles with third one (confounder)

$$\hat{f}(x) = f(x) - a(x) \frac{\langle af \rangle}{\langle aa \rangle}$$

Correlation of H3K4me3 with mRNA-Seq, both projected on H3K4me1:





Tissue clustering (the tree)

• 9 marks, 111 tissues

Method

Correlation:

previous integral:

An equivalent transformation of the

function instead of delta-function

For the whole genome: **Mann**–

Cross-correlation function on

coordinate shift shows typical

two tracks

picture of mutual positioning of

For each real frame: permutation p-

We can use another kernel

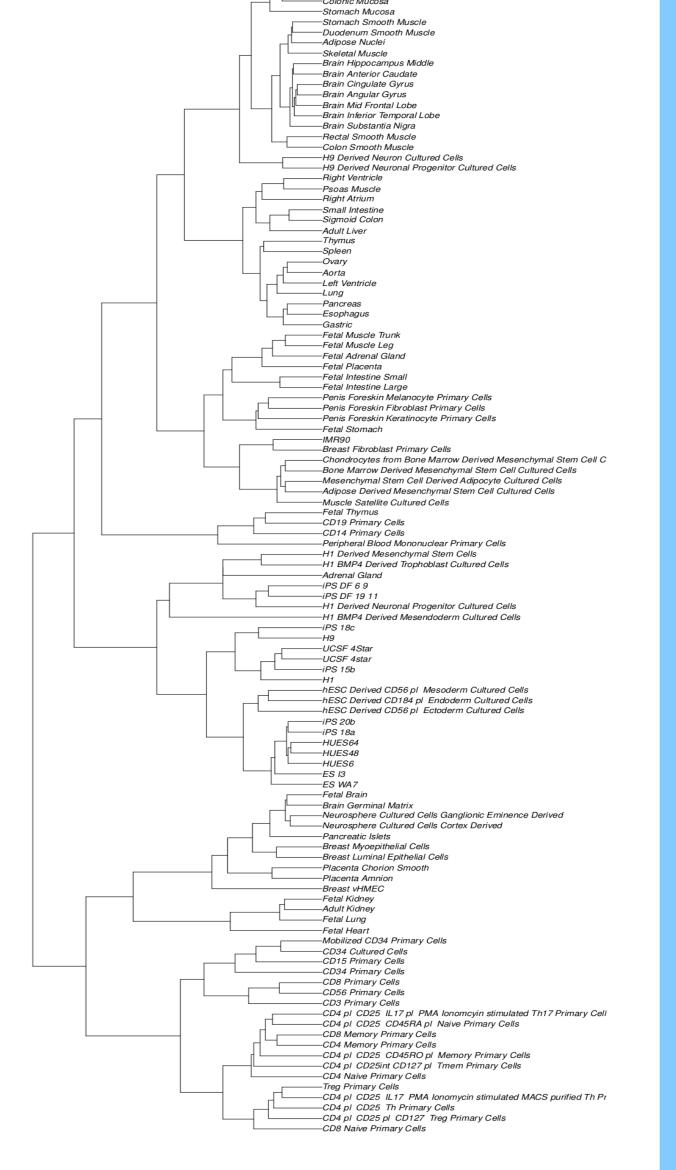
Whitney U test *p-value*

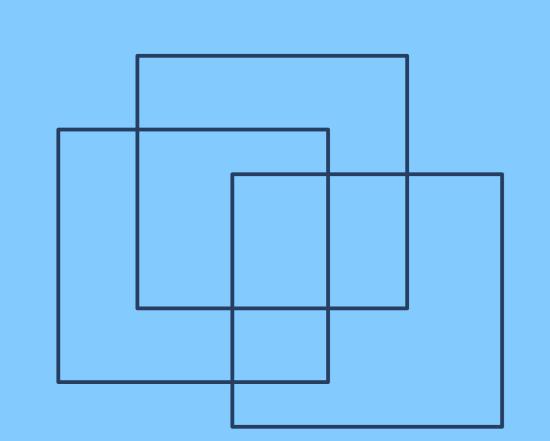
value and FDR q-value.

- For each mark we build a distance matrix, based on pairwise correlation between all tissues.
- Based on the matrix, we build hierarchical cluster
- For each pair of tissues, we count the maximal level of common subtree containing them both (divergence level), or the minimal path length inside the tree
- To count the mean divergence level for the pair of tissues, we average the DL in all trees that contain the pair
- Then we build the new distance matrix 1/mean(trees) level and run the hierarchical clustering again

Used marks:

H3K4me1, H3K4me3, H3K9me3, H3K9ac, H3K27me3, H3K27ac, H3K36me3





Problem: genome is too long!!!

