

Name : Ansari M.Saeem M.Saleem

Uid : 2019430001

Subject : AAC

Expt no : 2

Aim : Write a program to implement &  
Analysis Red Black Tree and to store the  
details of product (Id, Cost, Qty)

**Aim:**

Write a program to implement & Analysis RBT and to store the details of product (id,cost,qty).

**Objectives:**

- Initialization Red Black Tree
- Perform primitive operations of RBT such as Insertion, Deletion and searching.
- Display the details of products (id,cost,qty) in RBT format.

**Methodology:**

A red-black tree is a kind of self-balancing binary search tree. Each node in RBT has an extra bit as compare to BST, and that bit is color (red or black) of the node.

**Why RBT ?**

Most of the BST operations (e.g., search, max, min, insert, delete.. etc) take  $O(h)$  time where  $h$  is the height of the BST. If we make sure that height of the tree remains  $O(\log n)$  after every insertion and deletion, then we can guarantee an upper bound of  $O(\log n)$  for all these operations. The height of a Red-Black tree is always  $O(\log n)$  where  $n$  is the number of nodes in the tree.

**Properties:**

- Binary Search Tree : every RBT should be binary search tree
- Color Property : every node is either red or black
- Root Node : root node of RBT is always black
- Internal Node : If a node is Red then its both children are black
- Black Depth Property : for each node, all path from that node to descendants external nodes contains the same no of black tree.

**Time Complexity of operations:**

Insertion:  $O(\log n)$

Deletion:  $O(\log n)$

Searching:  $O(\log n)$

## Results:

### Insertion:

```
guest-9q9d30@SPIT:~/Desktop/Red-Black-Tree-master$ python rb.py
```

```
1.Insert node  
2.Delete node  
3.Print Tree  
4.Search  
5.Quit
```

```
Enter your choice1
```

```
insert ID cost and Qty seperated by space3,42,2
```

```
1.Insert node  
2.Delete node  
3.Print Tree  
4.Search  
5.Quit
```

```
Enter your choice1
```

```
insert ID cost and Qty seperated by space2,12,3
```

```
1.Insert node  
2.Delete node  
3.Print Tree  
4.Search  
5.Quit
```

```
Enter your choice1
```

```
insert ID cost and Qty seperated by space5,32,3
```

```
1.Insert node  
2.Delete node  
3.Print Tree  
4.Search  
5.Quit
```

```
Enter your choice1
```

```
insert ID cost and Qty seperated by space7,45,2
```

```
1.Insert node  
2.Delete node  
3.Print Tree  
4.Search  
5.Quit
```

```
Enter your choice1
```

```
insert ID cost and Qty seperated by space9,12,3
```

```
1.Insert node  
2.Delete node  
3.Print Tree  
4.Search  
5.Quit
```

### Deletion:

```
Enter your choice3
Left/Right----- (id, Cost, Qty) ----- color

R----['(3, 42, 2)'](BLACK)
    L----['(2, 12, 3)'](BLACK)
    R----['(7, 45, 2)'](BLACK)
        L----['(5, 32, 3)'](RED)
        R----['(9, 12, 3)'](RED)

1.Insert node
2.Delete node
3.Print Tree
4.Search
5.Quit

Enter your choice2
enter node to be deleted5,32,3
1.Insert node
2.Delete node
3.Print Tree
4.Search
5.Quit

Enter your choice3
Left/Right----- (id, Cost, Qty) ----- color

R----['(3, 42, 2)'](BLACK)
    L----['(2, 12, 3)'](BLACK)
    R----['(7, 45, 2)'](BLACK)
        R----['(9, 12, 3)'](RED)

1.Insert node
2.Delete node
3.Print Tree
4.Search
5.Quit
```

### Search:

```
Enter your choice4
enter the node to be search 7,45,2
found
1.Insert node
2.Delete node
3.Print Tree
4.Search
5.Quit
```

### Conclusion:

Here we can conclude that RBT have time complexity of  $O(\log n)$  for all primitive operation(insertion, deletion, search). Time complexity of RBT is directly propositional to number of nodes present in the tree.