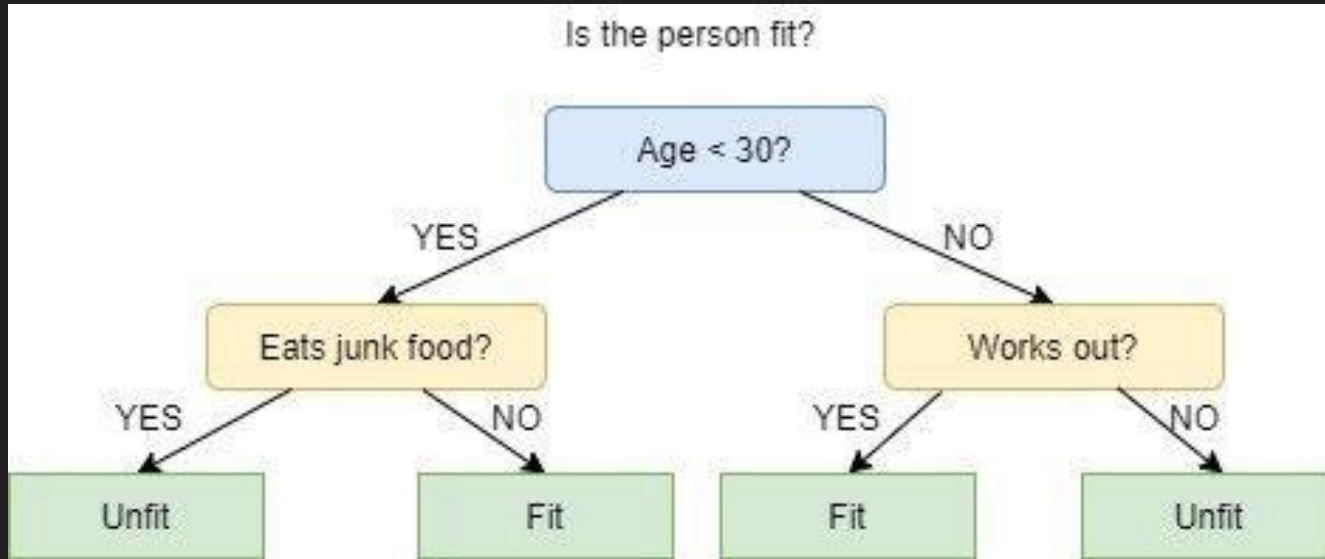


# ID3 Algorithm | ML LAB 3

# What is Decision Trees?

- In simple words, a decision tree is a structure that contains nodes (rectangular boxes) and edges(arrows) and is built from a dataset (table of columns representing features/attributes and rows corresponds to records).
- Each node is either used to make a decision (known as decision node) or represent an outcome (known as leaf node).

# Example of decision trees



What is ID3?

- ID3 stands for Iterative Dichotomiser 3 and is named such because the algorithm iteratively (repeatedly) dichotomizes(divides) features into two or more groups at each step.
- ID3 uses a top-down greedy approach to build a decision tree.
- Most generally ID3 is only used for classification problems with nominal features only.

# How does ID3 select the best feature?

- ID3 uses **Information Gain** or just Gain to find the best feature.
- Information Gain calculates the reduction in the entropy and measures how well a given feature separates or classifies the target classes. The feature with the highest Information Gain is selected as the best one.
- **Entropy** is the measure of disorder and the Entropy of a dataset is the measure of disorder in the target feature of the dataset.

$$\text{Entropy}(S) = - \sum p_i * \log_2(p_i) ; i = 1 \text{ to } n$$

## ID3 algorithm steps

1. Calculate the Information Gain of each feature.
2. Considering that all rows don't belong to the same class, split the dataset **S** into subsets using the feature for which the Information Gain is maximum.
3. Make a decision tree node using the feature with the maximum Information gain.

4. If all rows belong to the same class, make the current node as a leaf node with the class as its label.
5. Repeat for the remaining features until we run out of all features, or the decision tree has all leaf nodes.

## Entropy and info gain formula

Entropy

$$Entropy = \sum_{i=1}^C -p_i * \log_2(p_i)$$

## info gain

$$Gain(T, X) = Entropy(T) - Entropy(T, X)$$