TU:	TO	RI	A/	_	4
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$$T(n) = 3T(n) + n^2$$

$$T(n) = aT(n) + F(n)$$

Composing 
$$a=3$$
,  $b=2$ ,  $b(n)=n^2$ 

$$c = log_1 a = log_3 = 1.584$$
 $n^2 = n^{1.584} < n^2$ 

(2) 
$$T(n) = 47 (n/2) + n^2$$

$$a>1$$
,  $b>1$   
 $a=4$ ,  $b=2$ ,  $f(n)=n^2$   
 $T(n)=0$   $(n^2 log_2 n)$ 

$$n' = n^2 = 2(n) = n^2$$

$$n' = n^2 = \beta(n) = n^2$$
  
 $T(n) = O(n^2 \log_2 n)$ 

(3) 
$$T(n) = T(n/2) + 2^n$$

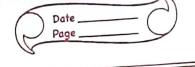
$$6 + 4 = 1, 6 = 2$$
  
 $6 = 2^n$ 

$$n = n - 1$$

$$f(n) > n^{c}$$

$$T(n) = O(2^{n})$$

		classmate
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<b>@</b> (Y)	$T(n) = 2^n \sigma f(n/2) + n^n$	
	$a = 1^n$	
	$6 = 2, f(n) = n^n$ $C = \log_1 a = \log_2 2^n$	
	(= log, a = log 2"	
(5)	V	
(2)	T(n) = 16T(n/4) + n	
	a=16, $b=4$	- 1/20 - 1/2 1 1 1 1
	$F(n) = n$ $C = n$ $(1)^{2}$	
	$C = \log_{n} 16 = \log_{n} (4)^{2} = 2$ $n' = n^{2}$	
	$F(n) \leq n^c$	
	$T(n) = O(n^2)$	
6	$T(n) = 2T(n/2) + n \log n$	
	A=2, $b=2$	
	$F(n) = n \log n$	
	$(= \log_2 = 1)$ $n' = n' = n$	
	$\mathcal{L} = \mathcal{L} = \mathcal{L}$	
	Since, $n \log n > m$ F(n) > n C $T(n) = O(n \log n)$	
	T(n) = O (n logn)	
	<u> </u>	-
	$T(n) = 2T(n/2) + n \log n$ $a = 2$ , $b = 2$ , $F(n) = n \log n$	
	$a=2$ , $b=2$ , $F(n)=n/\log n$	
	$ \begin{array}{ccc} ( = Qoq_2^2 = 1) \\ n' = n = n \end{array} $	
	Since n < n	
	Fh) = n°	
	T(n) = O(n)	



2	$T(n) = 2T(\frac{n}{2}) + n / \log n$
	$a=2,b=2,f(n)=n\log n$ $c=\log_2 z=1$
	$C = \log_2 2 = 1$
	$n^c = n = n$
	log n
	Since $n < n$ By $n < n$ $F(n) < n^c$
	$7(\alpha) = Q(\alpha)$
9	T(n) = 0.5T(n/2) + 1/n
	A = 0.5  b = 1
	0 1 //200
	apply master thosen.
(ÎI	7m247m/2)+ log n
	$7m^{4}7(n/2) + log n$ a = 4, b = 2, g(n) = log (n) c = log 4 = 2
	(= log 4 = )
	$n^{c} = n^{2}$
	$E_{0} = 0$ or $n$
	$\log (n < n^2)$
	$(n) \leq n^2$
	$\frac{1}{2}(n) = O(n^2)$
	$Q(n^2).$
(3)	T(n) = 3T(n/2) + n
(13)	$\frac{1}{(n)} = \frac{1}{(n-2)} = \frac{1}{(n-2)}$
	$a = 3   b = 2   f(n) = n$ $(= \log_{1} a = \log_{2}^{3} = 1.53$ $n' = n' \cdot 5849$
	C - 00 1 - 5849
	n - n n=n 1-5849
	76000000000000000000000000000000000000

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<b>B</b>	T(n) = 4T(n/2) + n
	a=4,b=2
	$(=\log_{1} a = \log_{2} 4 = 2$ $n^{c} = n$
	$n^{c} = n$
	$n < n^2$ (for any constant) $f(n) < n^2$
	$f(n) = O(n^2)$
	T(n) = 3T(n/3) + n/2
	A = 3 $b = 3C = log_b a = log_3 3 = 1$
	(= log, a = log, 3=1
	f(n) = n/2
	$n^c = n' = n$
	As $n/2 \le n$
	$f(n) \leq n^{c}$
	7(n) = 0 (n)
(9)	$T(n) = 4T(n/2) + n \log n$
	$a = 4 , b = 2, f(n) = n \log n$ $(= \log_1 a = \log_2 4 = 2)$ $n' = n^2$
	$(=\log_1 \alpha = \log_2 4 =)$
	$n \leq n^2$
	$\frac{n}{\log n} < n^2$
	$T(n) = O(n^2)$
(2/)	$T(n) = 7T(n/3) + n^2$
	$a = 7, b = 3, g(n) = n^2$ $c = 200 = 0 = 2 = 1 - 7$
	$a=7$ , $b=3$ , $g(n)=n^2$ $c=\log_{1}a=\log_{3}7=1-7$ $n=n^2=n^{1-771}$
	$n^{1-77} = n^2$
	$T(n) = O(n^2)$

	A S
$(\mathfrak{D})$	$T(n) = T(n/2) + n \left(2 - \cos n\right)$
	$\alpha = 1$ , $b = 2$
	$a=1, b=2$ $(= \log_b a = \log_2 1 = 0$
	V
	$n^c = n^o = 1$
	n (2-logn) > n '
	T(n) = O(n(2-log n))