

Date _____

Page No. _____

Practice Test Solution.

Q1. Define a Linkedlist. How does it differ from an array?

Ans.

Definition :- A linkedlist is a linear data structure in which elements (called nodes) are connected using pointers. Each node contains:

- Data
- A pointer (link) to the next node in list.

Difference from Array :

| Feature | Array | Linked list |
|------------------------|----------------------------|-----------------------------|
| Storage | Contiguous memory | Non-contiguous memory |
| Size | fixed | Dynamic (grow/shrink) |
| Insertion/ Deletion | Costly (shifting elements) | Easy (adjusting pointers). |
| Access | Direct access by Index | Sequential (must traverse). |

Q2. Difference between Circular & Doubly linkedlist :-

Feature

Circular LL

Doubly LL

① Links last node points to the first node. Each node has pointer to both previous & next.

② Traversal Can traverse infinitely in one direction. Can traverse in both directions.

③ Last node Connects back to head. Points to NULL (if not circular doubly).

Q3. Advantages & Disadvantages of using linkedlist over an array :-

Advantage : Dynamic size - memory allocated as needed, no need to define size.

disadvantage : No random access - elements must be accessed sequentially making searches slower.

Q4. class Node {

public:

int data; // stores data

Node* next; // pointer to next node

Node(int value) {

data = value;

next = nullptr; }

// constructor to initialize data & next pointer.

Q5. List types & linkedlist with examples :-

1. Singly linkedlist : Each node points to next

Eg: $10 \rightarrow 20 \rightarrow 30 \rightarrow \text{NULL}$

2. Doubly linkedlist : Each node points to both previous & next

Eg: $\text{NULL} \leftarrow 10 \leftrightarrow 20 \leftrightarrow 30 \rightarrow \text{NULL}$

3. Circular linkedlist : last node connects back to the first.

Eg: $10 \rightarrow 20 \rightarrow 30$
 ↑ pointing

Q6. Time complexity of insertion at beginning and end in a linkedlist.

operation (Insertion) - Time complexity

at Beginning.

$O(1)$

at end

$O(n)$ since traversal to the last node is needed.

Q7.

Write algorithm to insert an element at the end of a linkedlist.

Algorithm :

1. Create newNode
2. If list is empty ($head == \text{NULL}$), Set $head = \text{newNode}$
3. otherwise, traverse to last node
4. Set $\text{last} \rightarrow \text{next} = \text{newNode}$
5. Mark $\text{newNode} \rightarrow \text{next} = \text{NULL}$.

Code :

```
void InsertAtEnd(Node*& head, int val) {
    Node *newNode = new Node(val);
    if (head == NULL) {
        head = newNode;
        return;
    }
    Node *temp = head;
    while (temp->next != NULL) {
        temp = temp->next;
    }
    temp->next = newNode;
}
```

Insert 30 at end of list $10 \rightarrow 20 \rightarrow \text{NULL}$

DRY RUN :

- ① $\text{newNode} = (30, \text{NULL})$
- ② Traverse $temp = 10 \rightarrow 20$ (reaches end)
- ③ $\text{temp} \rightarrow \text{next} = \text{newNode}$

Result $\Rightarrow [10 \rightarrow 20 \rightarrow 30 \rightarrow \text{NULL}]$



Time complexity : $O(n)$



Space complexity : $O(1)$

Q8. logic to count total nodes in a linked list.

Algorithm :

- ① initialize count = 0
- ② start from head
- ③ Traverse each node & increment count.
- ④ Stop when current node becomes NULL.
- ⑤ return count.

Code :

```
int countNodes(Node * head) {
    int count = 0;
    Node * temp = head;
    while (temp != NULL) {
        count++;
        temp = temp->next;
    }
    return count;
}
```

DRY RUN : List $10 \rightarrow 20 \rightarrow 30 \rightarrow \text{NULL}$

- Count 0
- Visit 10 \rightarrow Count = 1
- Visit 20 \rightarrow Count = 2
- Visit 30 \rightarrow Count = 3

Result : 3 Nodes.

→ Time complexity = $O(n)$

→ Space complexity = $O(1)$

Q9. Reverse a linked list : (iterative method).

Algorithm :

- ① Initialize 3 pointers:
 $p_{\text{prev}} = \text{NULL}$, $\text{curr} = \text{head}$, $\text{next} = \text{NULL}$
- ② while ($\text{curr} \neq \text{NULL}$)
 - store next node $\text{next} = \text{curr} \rightarrow \text{next}$
 - reverse the link $\text{curr} \rightarrow \text{next} = \text{prev}$.
 - move $\text{prev} = \text{curr}$, $\text{curr} = \text{next}$
- ③ After loop, set $\text{head} = \text{prev}$.

Code :

```
void reverseList (Node*& head) {
    Node *prev = NULL;
    Node *curr = head;
    Node *next = NULL;
```

```
while (curr != NULL) {
```

```
    next = curr->next;
```

```
    curr->next = prev;
```

```
    prev = curr;
```

```
    curr = next;
```

```
}
```

```
    head = prev;
```

```
}
```

$$T(C) = O(n)$$

$$S(C) = O(1)$$

DRY RUN:

① prev
 NULL

$10 \rightarrow 20 \rightarrow 30 \rightarrow \text{NULL}$

curr
 10

next
 20

result
 $10 \rightarrow \text{NULL}$

② 10

20

30

$20 \rightarrow 10 \rightarrow \text{NULL}$

③ 20

30

NULL

$30 \rightarrow 20 \rightarrow 10 \rightarrow \text{NULL}$

Result : $30 \rightarrow 20 \rightarrow 10 \rightarrow \text{NULL}$

Q10. Find middle element of a linkedlist using two pointers.

Algorithm :

- ① Initialise two pointers slow = head, fast = head.
- ② Move fast two steps & slow one step in each iteration.
- ③ When fast reaches end (NULL or fast->next == NULL),
→ slow is at the middle.

Code :-

```
int findMiddle (Node* head) {
    Node * slow = head;
    Node * fast = head;

    while (fast != NULL && fast->next != NULL) {
        slow = slow->next;
        fast = (fast->next)->next;
    }

    return slow->data;
}
```

DRY RUN:-

10 → 20 → 30 → 40 → 50 → NULL

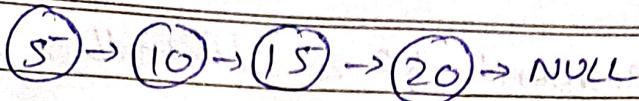
| Iteration | slow | fast |
|-----------|------|------|
| 1 | 20 | 30 |
| 2 | 30 | 50 |

Result : middle = 30

Time complexity : O(n)

Space complexity : O(1)

Q11.



`deleteAtEnd()`, show resulting list & explain which node (5) get deleted.

Algorithm :-

1. IF list == empty → return.
2. IF only one node → delete it, set head == NULL.
3. Else, traverse until temp → next → next == NULL
4. delete temp → next (last node)
5. Set temp → next = NULL.

Code :-

```

void deleteAtEnd (Node* &head) {
    if (head == NULL) return;
    if (head → next == NULL) {
        delete head;
        head = NULL;
        return;
    }
}
  
```

TC: O(n)
SC: O(1)

```

Node * temp = head;
while (temp → next → next != NULL) {
    temp = temp → next;
}
  
```

```

delete temp → next;
temp → next = NULL;
}
  
```

DRY RUN. 5 → 10 → 15 → 20 → NULL

Traverse : temp stops at 15.

Delete node(20)

Resulting list : 5 → 10 → 15 → NULL

delete node; value = 20.

(Q12) Merge two sorted list into single sorted list :-

Algorithm :-

1. Initialize pointers p_1 (head 1) and p_2 (head 2).
2. Compare values
 - Smaller one gets added to new list.
 - Move that list's pointer forward.
3. Continue until one list ends.
4. Append remaining nodes from the other list.
5. Return merged head.

Code :

```
Node* mergesortedlists(Node* head1, Node* head2)
    if (!head1) return head2;
    if (!head2) return head1;

    Node* result = NULL;
    if (head1->data < head2->data) {
        result = head1;
        result->next = mergesortedlists(head1->next,
                                         head2);
    } else {
        result = head2;
        result->next = mergesortedlists(head1, head2->next);
    }
    return result;
```

3.

Time complexity : $O(n+m)$

Space complexity : $O(1)$