

# Back Tracking HARD :-

① Distribute Repeating Integers :-

i/p  $\rightarrow$  nums  $\rightarrow \{1, 2, 3, 4\}$

quantity  $\rightarrow$   $\boxed{\{2\}}$   $\rightarrow$  0<sup>th</sup> customer  $\rightarrow$

2 integers change  
 $\swarrow$   
same

o/p  $\rightarrow$  false

nums  $\rightarrow \{1, 2, 3, 3\}$

$1 \rightarrow 1, 2 \rightarrow 1, 3 \rightarrow 2$

quantity  $\rightarrow \{2\}$

0<sup>th</sup> customer  $\rightarrow 2 \text{ integer}$

0<sup>th</sup>  $\rightarrow \{3, 3\}$

O/P  $\rightarrow \text{true}$

→ nums → {1, 1, 2, 2}    1 → 2  
2 → 2

quantity → { $\frac{2}{0}, \frac{2}{1}$ } → 0<sup>th</sup> cut → 2 int  
1<sup>st</sup> cut → 2 int

0<sup>th</sup> cut → {1, 1}  
1<sup>st</sup> cut → {2, 2}

o/p → (true)



1 → 3  
3 → 1  
8 → 1

{ 1, 1, 1, 3, 8, 1 }

row

{ 3, 2 }

0<sup>th</sup> → 3rd → 2, 1, 1, 1  
1<sup>st</sup> → 2nd → 2 \_\_\_\_\_ }  
X

T/F

✓

False

approach - ?

(1) count freq of elements in nums

(2) sort quantity (desc)











$$\rightarrow \{1, 1, 1, 1, 1, 2, 2\}$$

$$1 \rightarrow \cancel{3}$$

$$2 \rightarrow \underline{2}$$

$\rightarrow$

$$[\overset{0}{\textcircled{5}}, \overset{1}{\textcircled{2}}]$$

$$I \text{ cur} \rightarrow \{1, 1\}$$

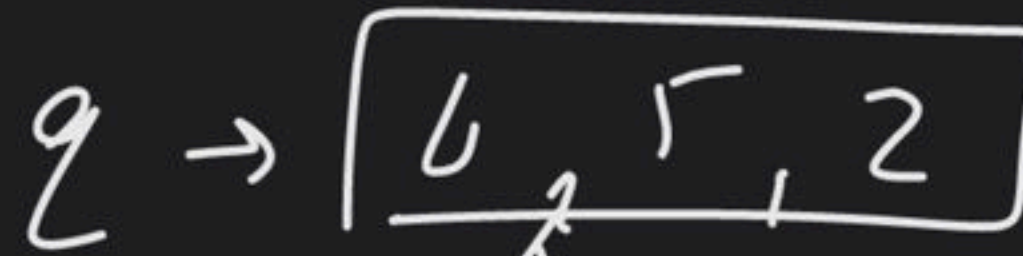
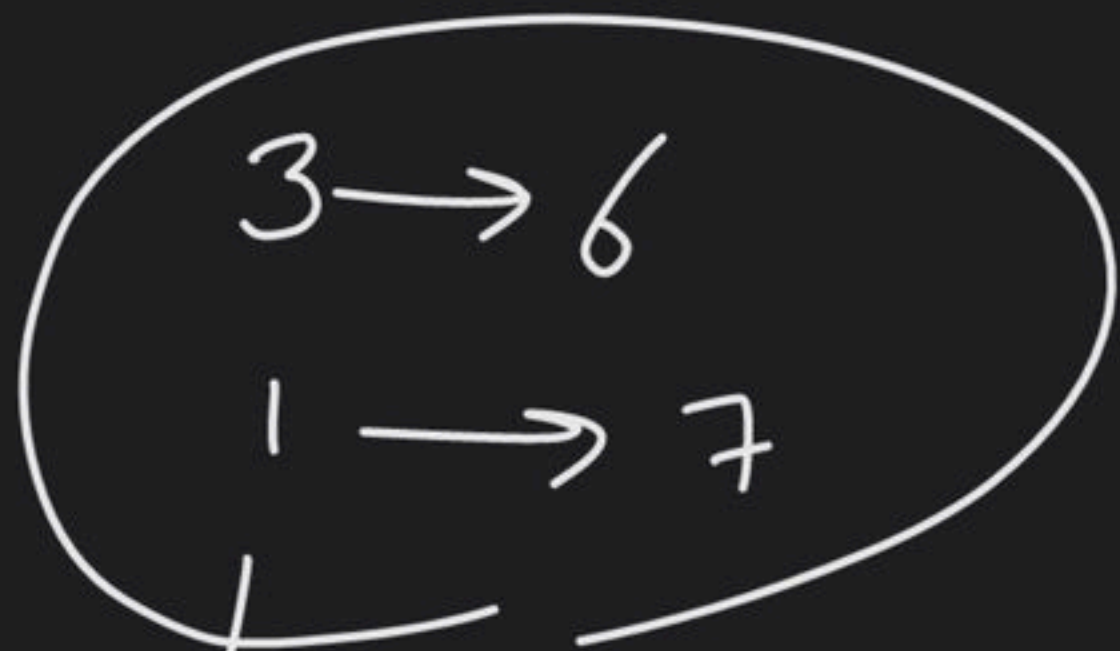
$$O^n \text{ cur} \rightarrow \alpha$$

$$J^k \rightarrow \{2, 2\}$$

$$O^k \rightarrow \{1, 1, 1, 1, 1\}$$

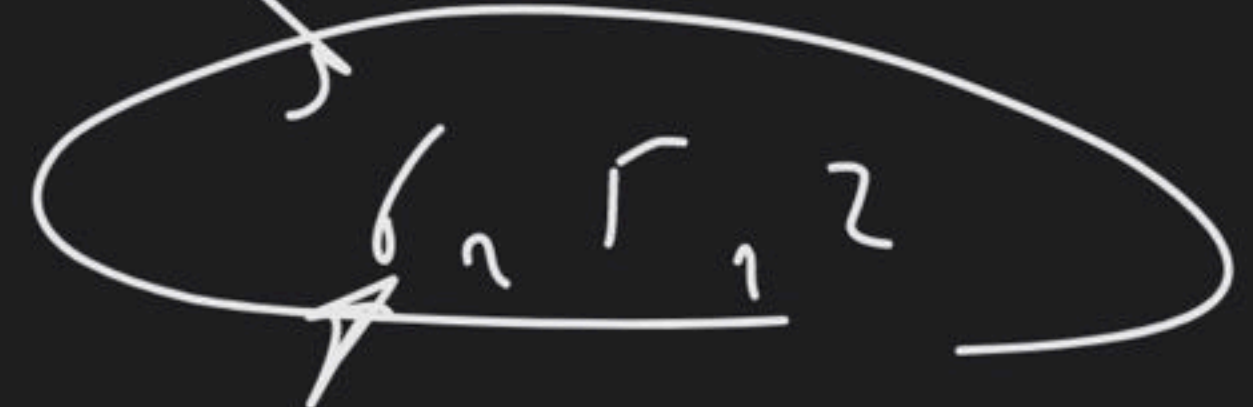
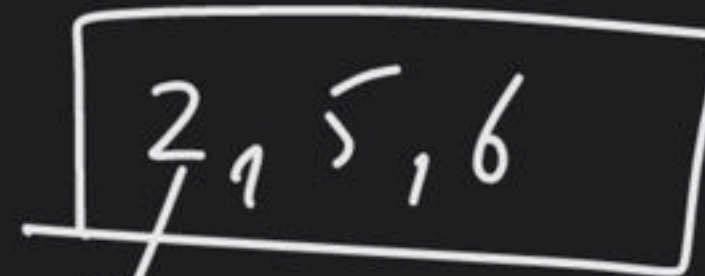






ask

den



{T, 1}

{1, 1, 1, 1, 1}

{3, 7, 7, 7, 7, 1}

{1, 1, 1, 1, 1, 1, 1}

{3, 7, 7, 7, 1}

3 → 6, 1 → 7

2 → {6, 5, 2}

{2, 5, 6}

fake

0<sup>th</sup> int → 2 int

3 → 4, 1 → 7

1<sup>st</sup> int → 5 int

3 → 4, 1 → 2

2<sup>nd</sup> int → 6 int

BT

Action  
R.C  
Undo Action

count[-] = count[-] - 1

[6, 5, 2]

6<sup>th</sup> → 6 int

3 → 0 → 1 → 7

1<sup>st</sup> int → 5 int

3 → 0, 1 → 2

1<sup>st</sup> int → 2 int

3 → 0, 1 → 0

count = count + 1

BT

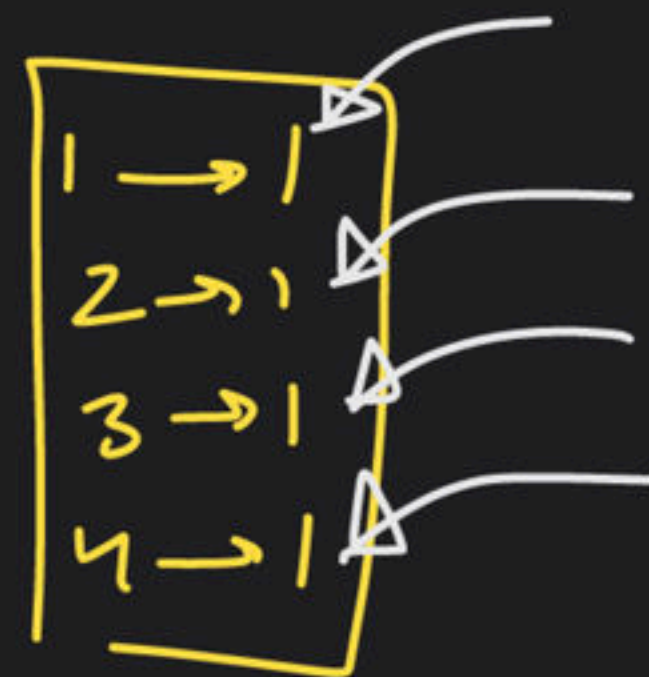




$h \rightarrow \{1, 2, 3, 4\}$

$l \rightarrow \{2\}$

①



②

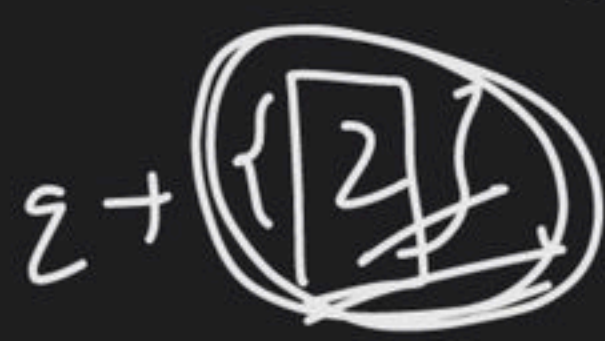
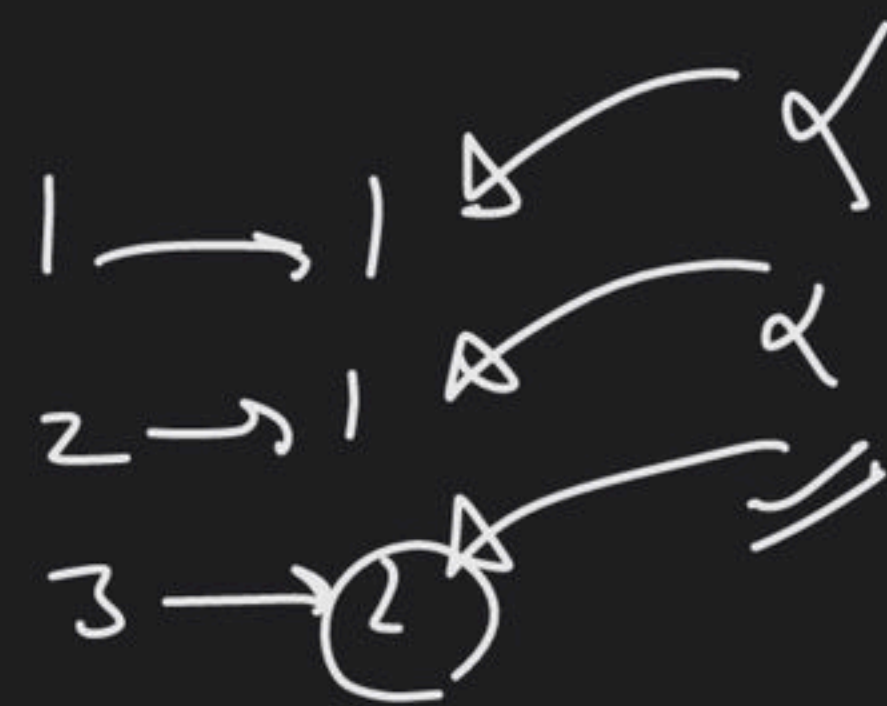


$h \rightarrow \{1, 2, 3, 3\}$

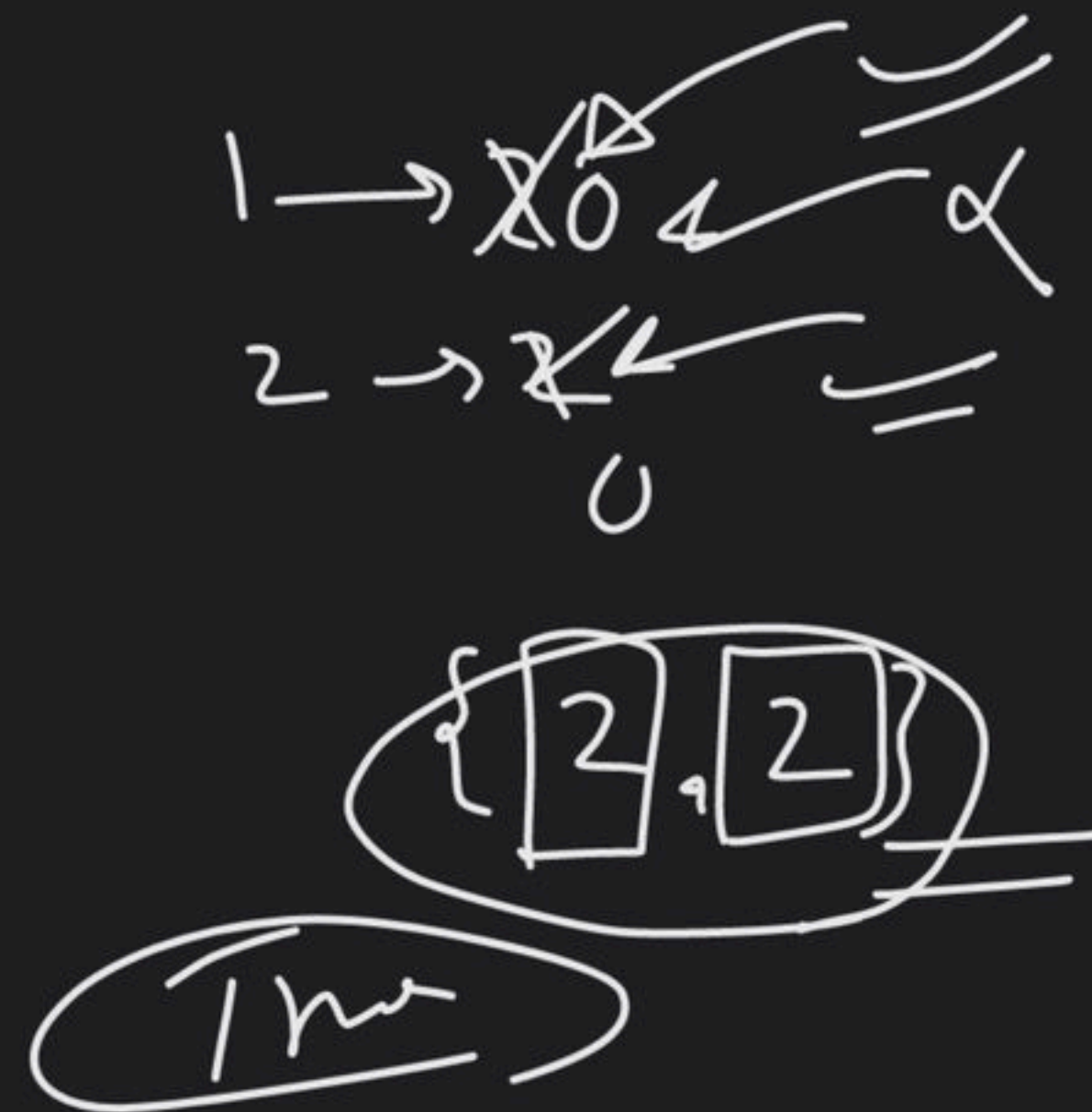
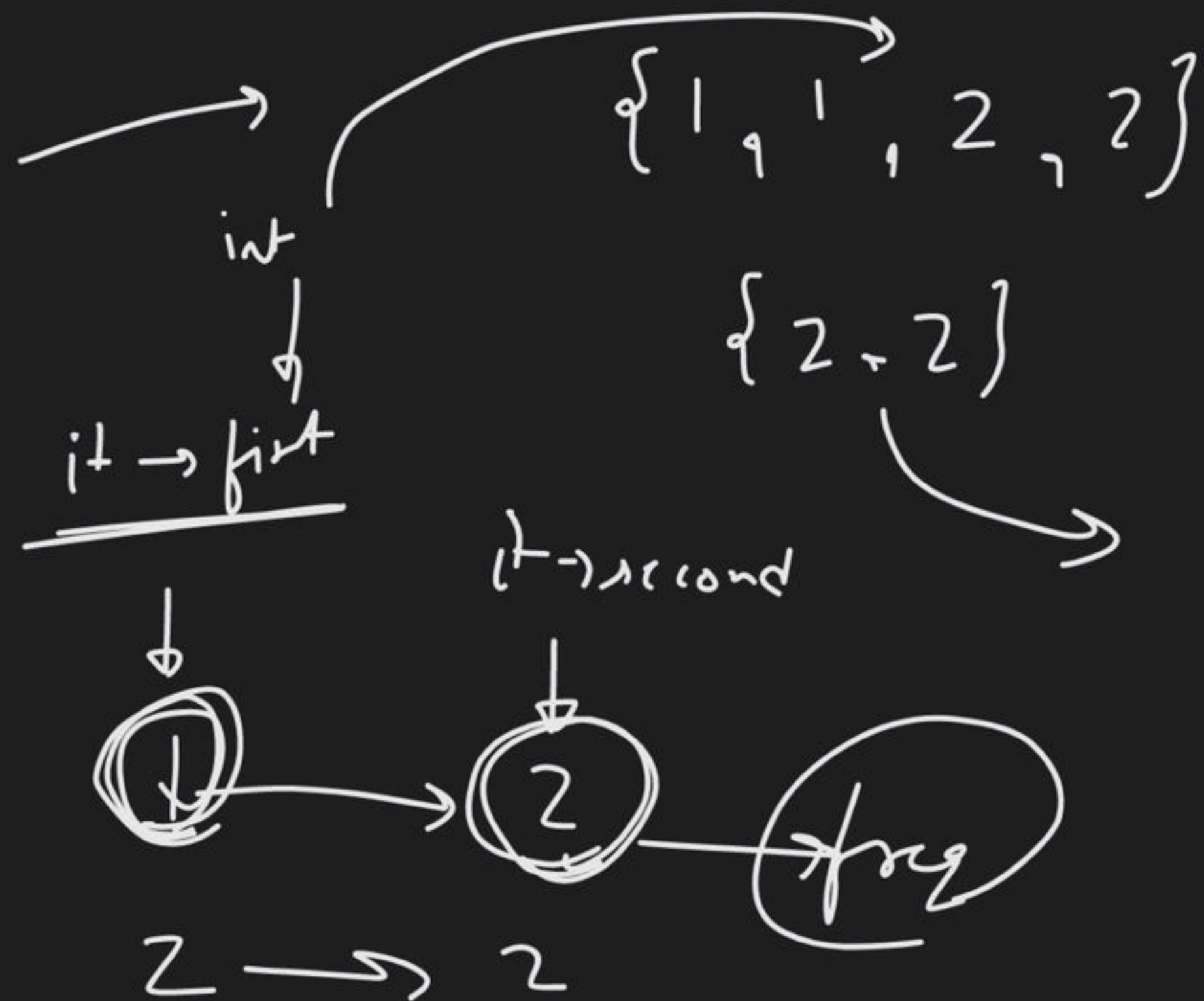
$l \rightarrow \{2\}$

True

①







(1)

$n \rightarrow \{1, 1, 2, 2\}$

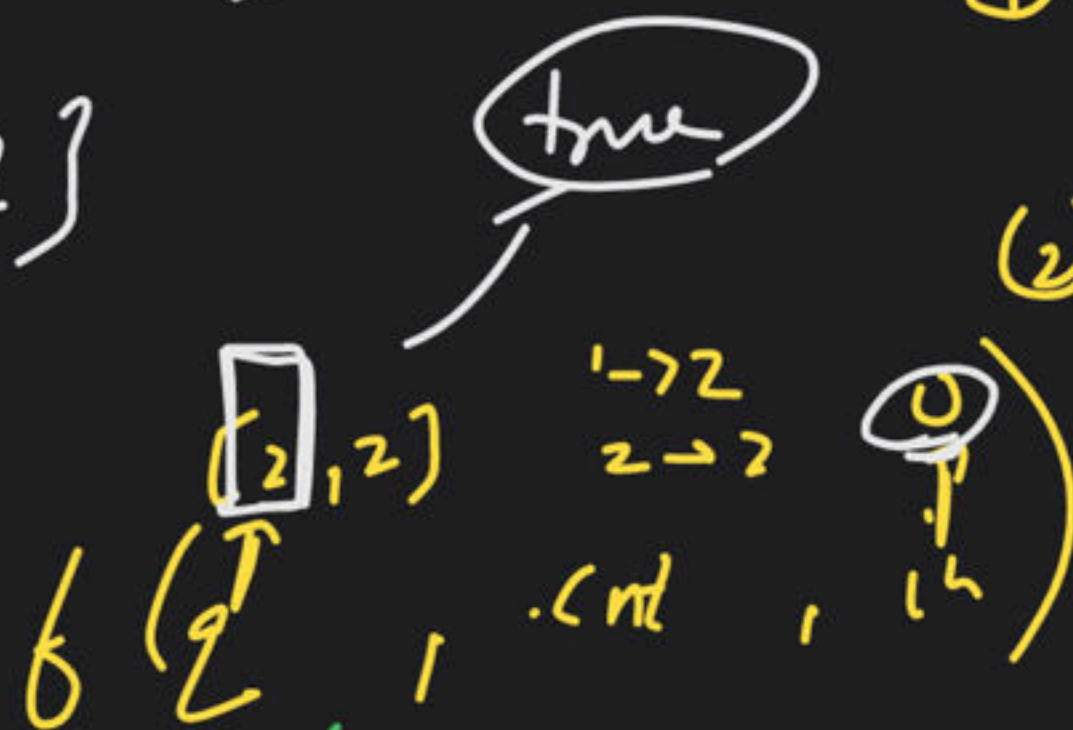
$z \rightarrow \{2, 2\}$

(1)  $1 \rightarrow 2$

$2 \rightarrow 2$

2 min  
yuko

(2)  $[2, 2]$



$1 \rightarrow \cancel{2} 0$   
 $2 \rightarrow 2$

$1 \rightarrow 0$   
 $2 \rightarrow \cancel{2} 0$



$\rightarrow$   
 $1 \rightarrow 7$   
 $3 \rightarrow 1$

$2 \rightarrow [6, 5, 2]$

$\{ \boxed{6}, 5, 2 \}$

$1 \rightarrow 7 \rightarrow 7 \rightarrow 6 \rightarrow (1)$   
 $3 \rightarrow 6$

$1 \rightarrow 7$   
 $(3) \rightarrow 6 \rightarrow 6 \rightarrow 1 \rightarrow 0$

$\{ 6, \boxed{5}, 2 \}$

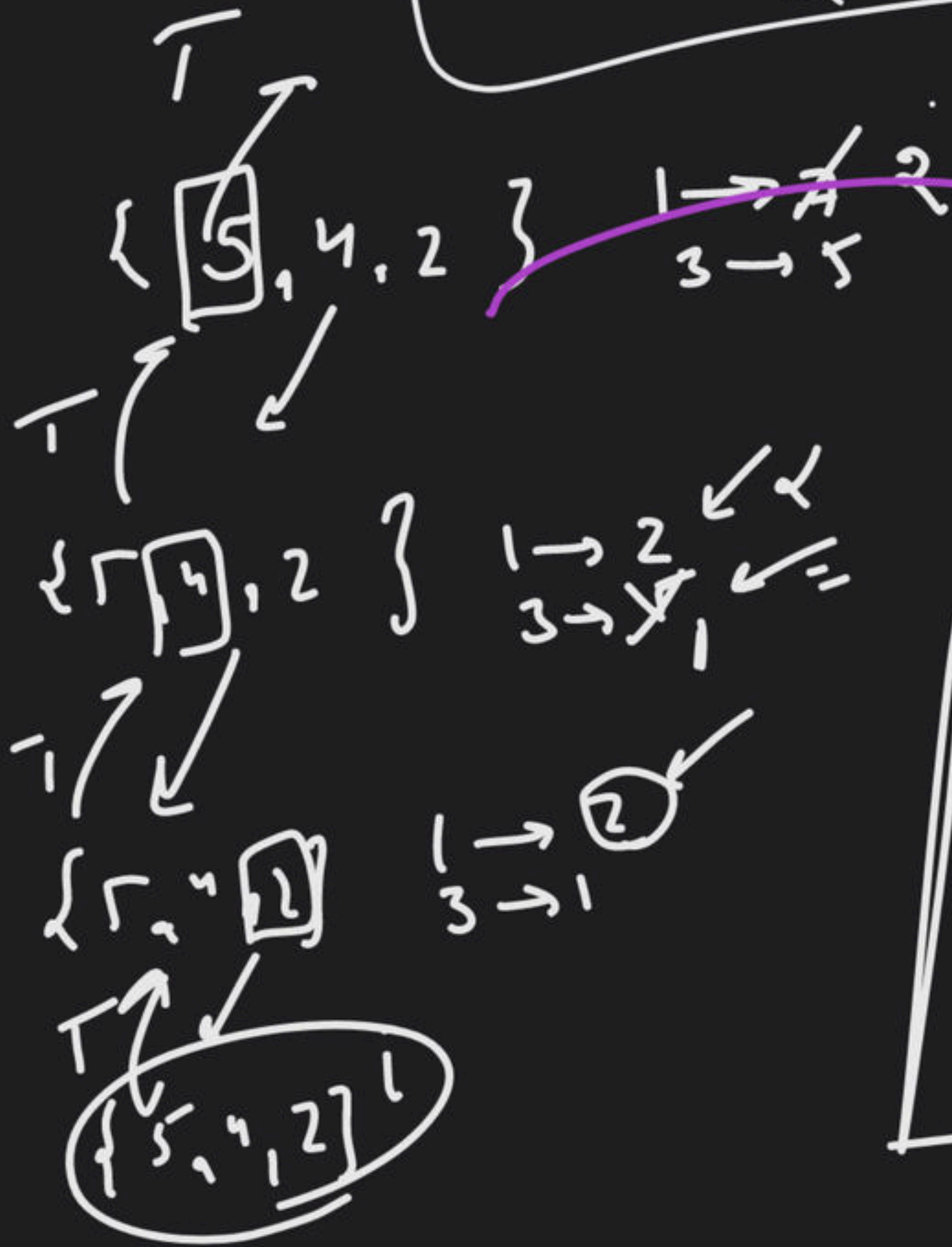
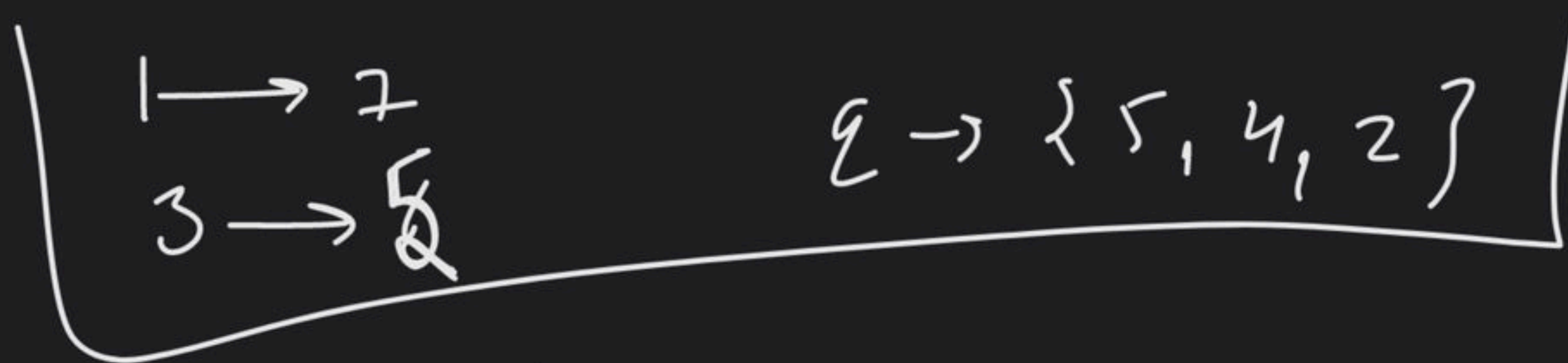
$1 \rightarrow 1$   
 $3 \rightarrow 6 \rightarrow 6 \rightarrow 5 \rightarrow 1$

$\{ 6, 5, \boxed{2} \}$   
 $\{ 6, 5, 2 \}$

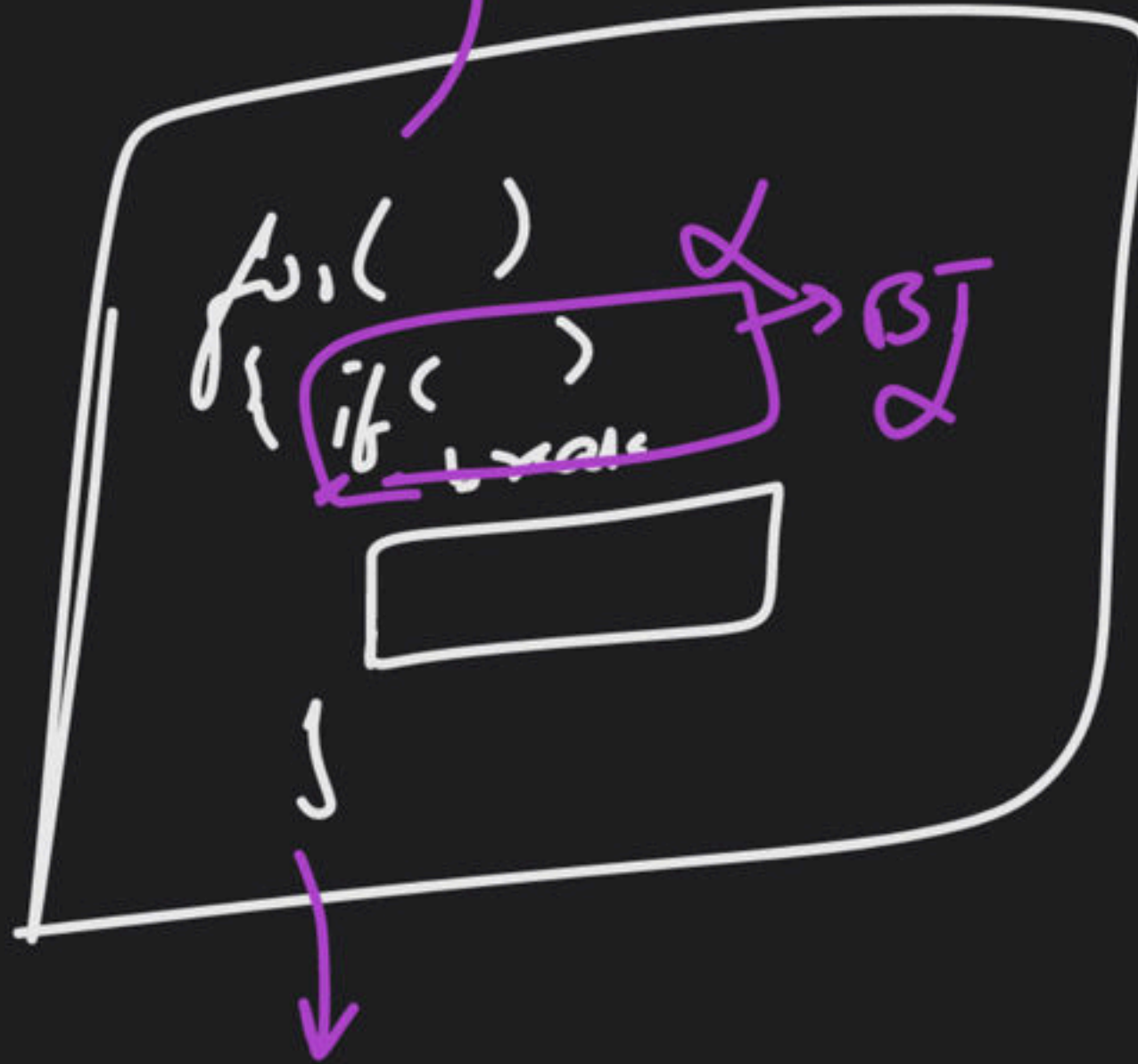
$1 \rightarrow 7$   
 $3 \rightarrow 6$

$1 \rightarrow 1$   
 $3 \rightarrow 1$

$\{ 6, 5, 2 \}$



B.T  
=



Action  
 Rec Call  
Undo Action

① Word Break → I



# ① Word Break - II

s → "cats and dog"

dict → ["cat", "cats", "and", "sand", "dog"]

(→)

up → "cat sand dog"  
"cats and dog"

s = "catsanddog"

c → α  
ca → α  
cat → yes  
cats → yes

sa → α  
sac → α  
sand → yes  
sand-yn → α  
sanded → α  
sandedd → α  
sandedd → α

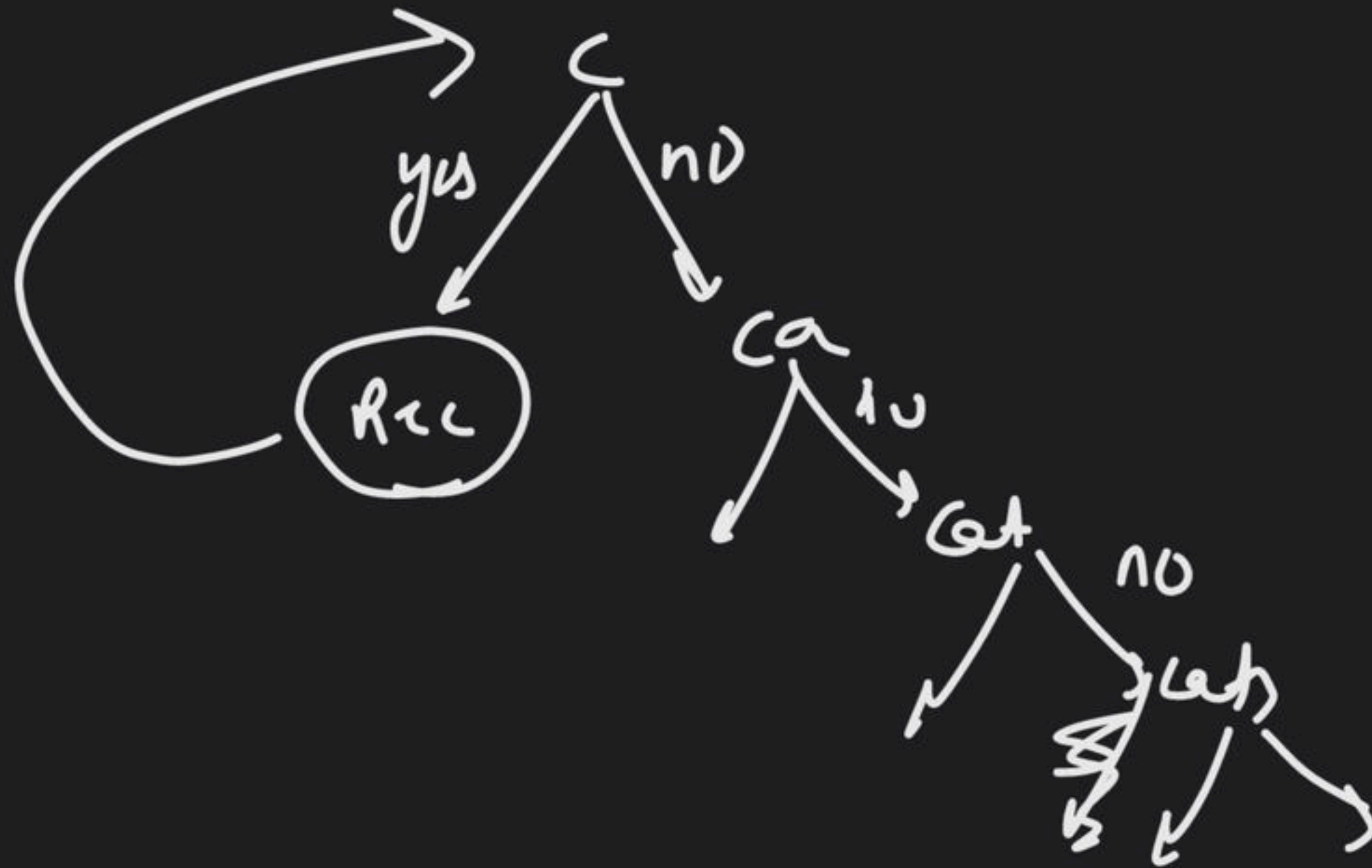
do → α  
dog → yes

ad  
ad  
ad

ad  
and  
and



Cats and dog



$S \rightarrow \text{"cat sandog"}$

did  $\rightarrow$  ["cat"]

"dog"

"sand"

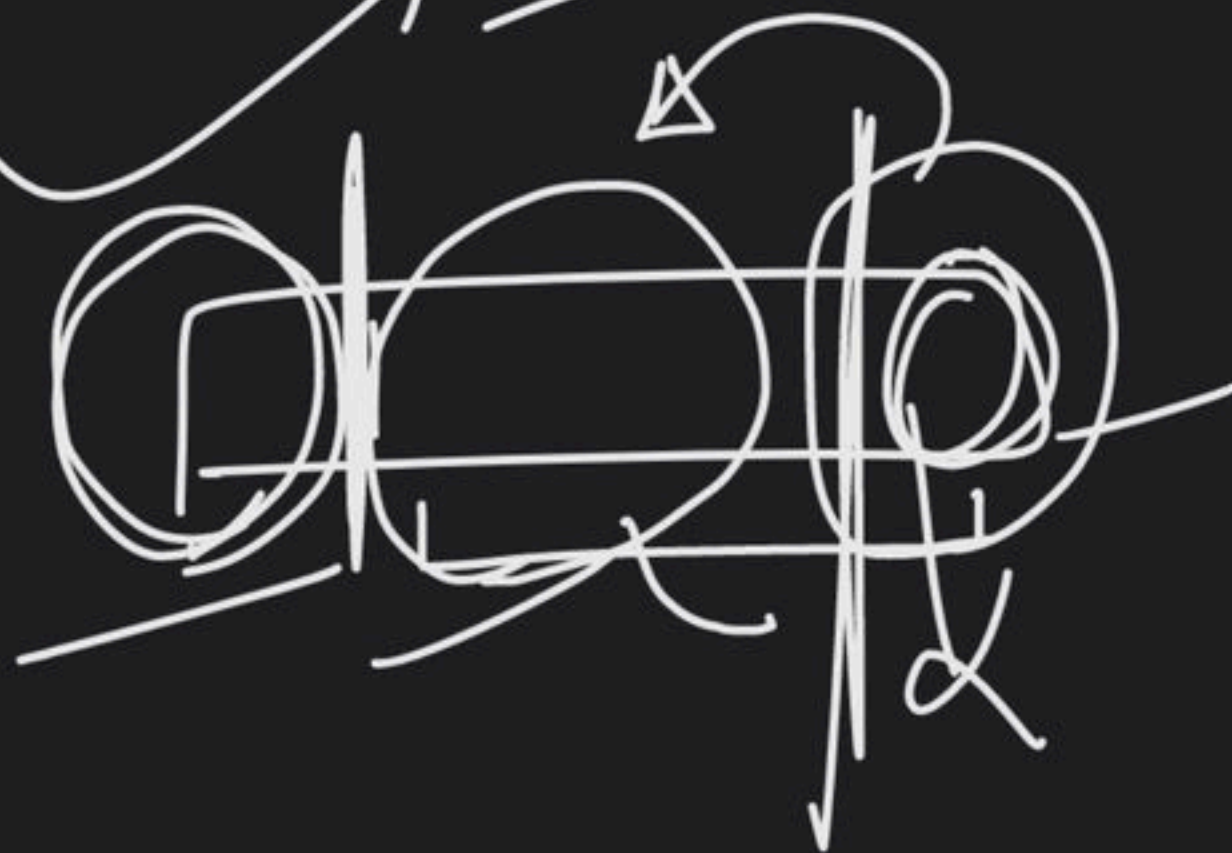
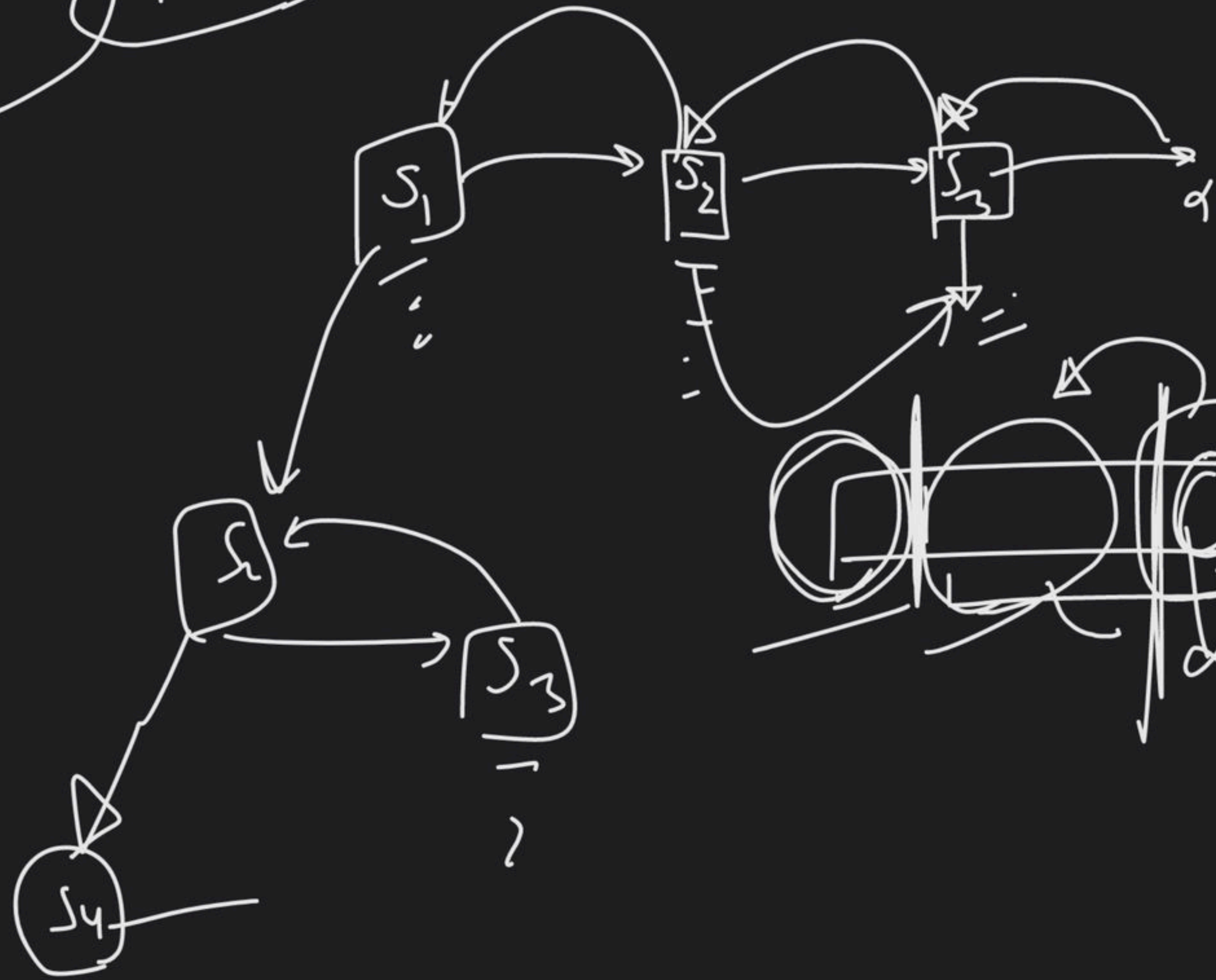
"and"

$\boxed{a+1}$





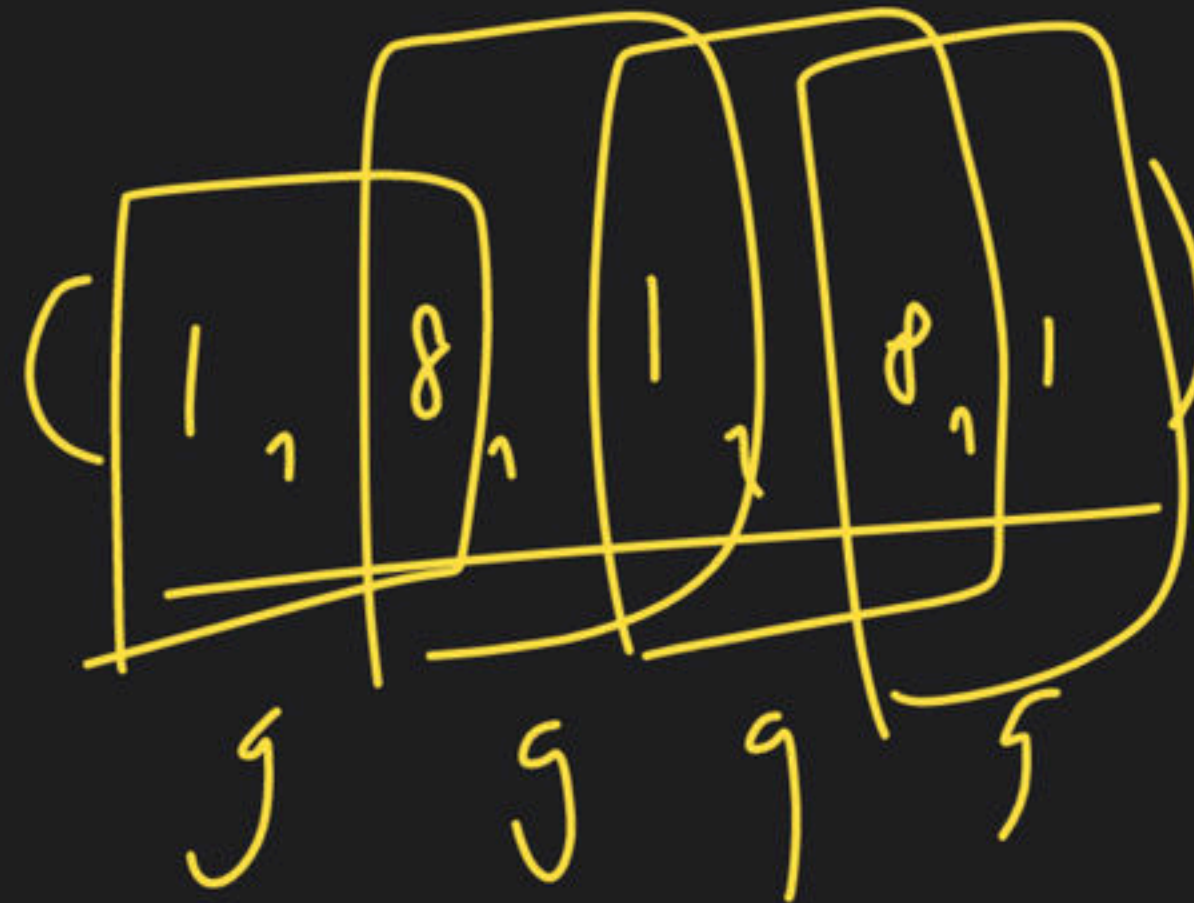
15 min



# ③ Number of Squarful Arrays $\rightarrow$ hw

$$\{x, y, z, a\}$$

$$\begin{aligned} x+y &\rightarrow (k)^2 \\ y+z &\rightarrow (p)^2 \\ z+a &\rightarrow (e)^2 \end{aligned}$$



$$3^2 \quad 3^2 \quad 3^2 \quad 3^2$$

$$\{1, 18, 7\}$$



$$2^2 \quad 2^2 \quad 2^2$$



$\{1, 17, 13\}$



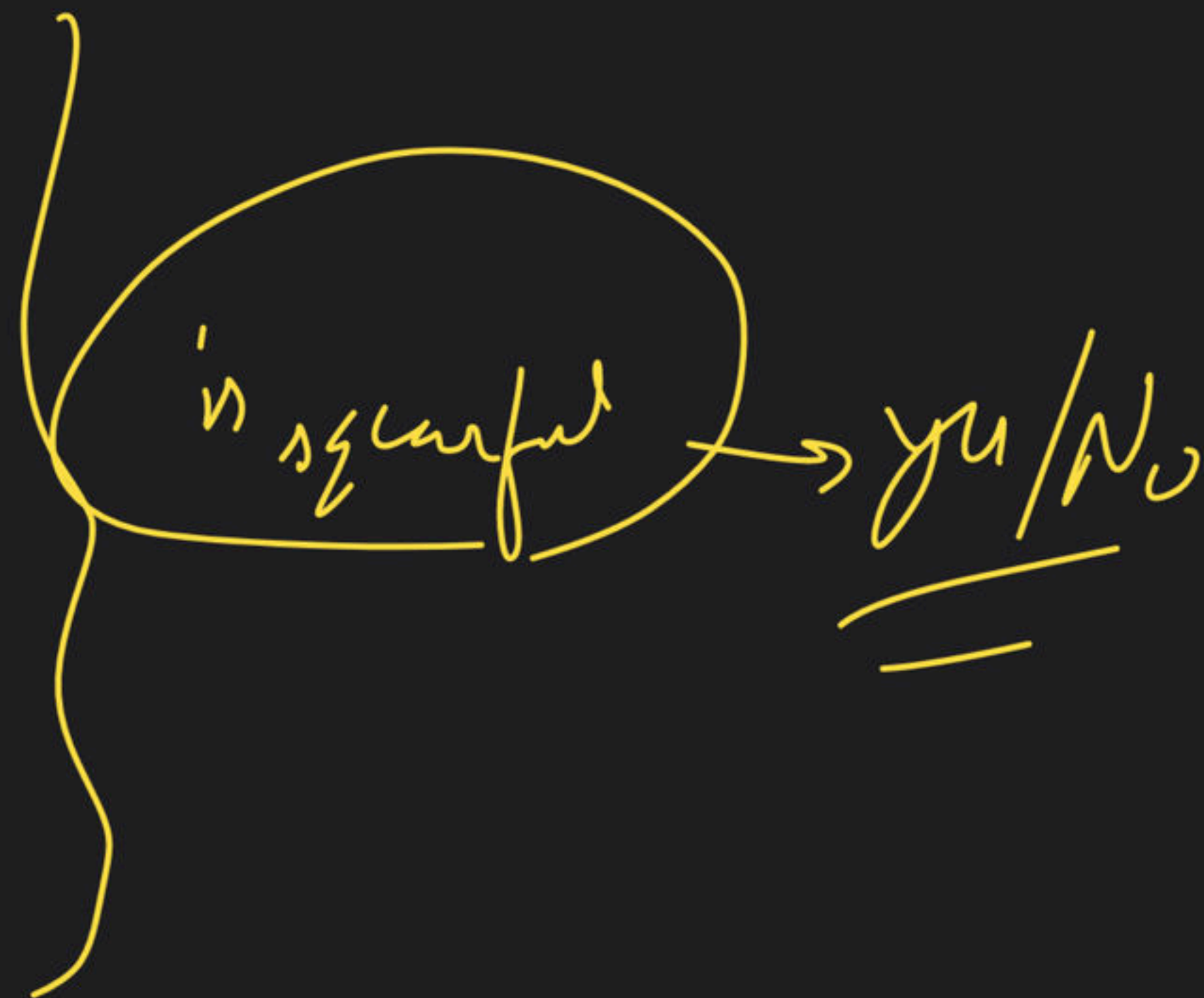
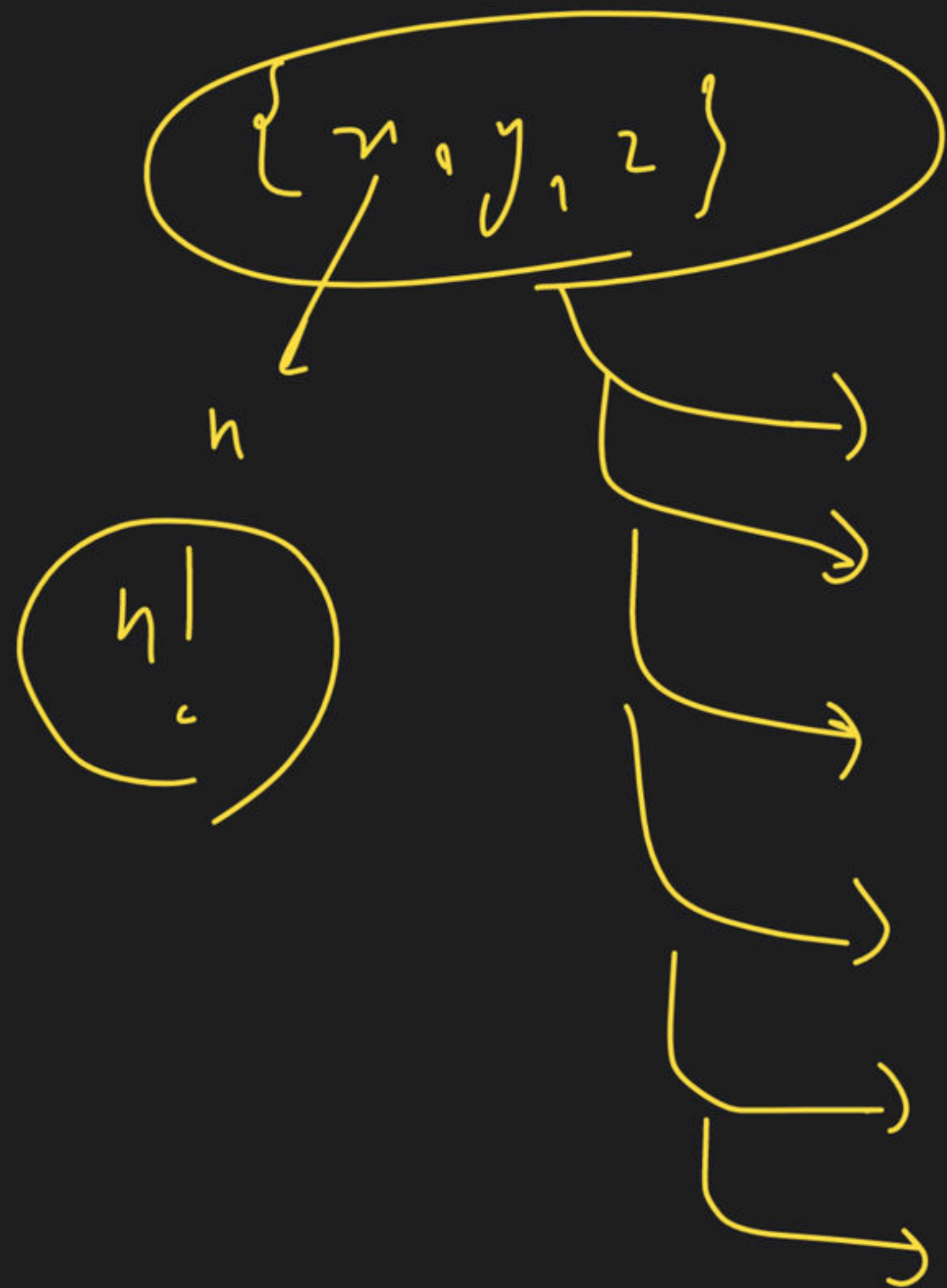
$1^2$        $25$   
 $3^2$        $5^2$

$0! \rightarrow$

2



$25$        $9$   
 $5^2$        $3^2$





distribute repeating int  $\rightarrow$

Word Break II

Number of Squarful Arrays  $\rightarrow$   $(n/w) \rightarrow$  Sol 4

Unique Path III  $\rightarrow$   $(n/w)$   
LeetCode