

### **Data Mining Assignment Report 2**

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### **Document control**

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**Purpose of this Data Analysis Report:** to develop analytical business model using Random Forest & Neural Network Technique using HR\_Employee\_Attrition\_Data.csv

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### 1. Introduction

The data has information about a company's employee details from the responses in the exit interviews and has the details of the employees attrition data set

### 1.1 Purpose of the analysis

To develop an analytic model for the company to predict the Attrition value using the dataset provided; HR\_Employee\_Attrition\_Data.csv

### 2. Discussion

### 2.1 Exploratory Data Analysis

1> The data set has 2940 observations and each observation has data for 35 variables.

Employee distribution by department

### 2.1.1 Distribution of dataset by department

Human Resources

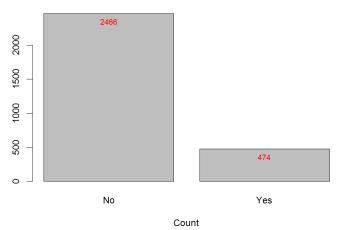
Research & Development

Number of Employees

2> The data set has data of 1922 Research and Development department employees, 892 Sales employees and 126 Human Resources employees

### 2.1.2 Distribution of dataset by Attrition

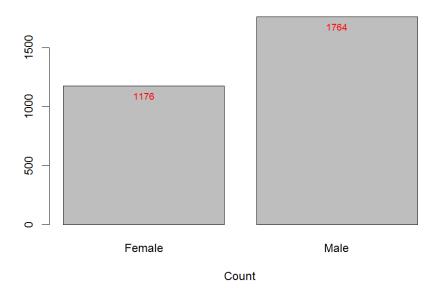




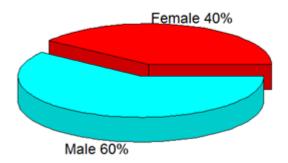
3> From the above plot out of 2510 entries 474 has a Attrition value of Yes and 2466 has Attrition value as No

### 2.1.3 Distribution of dataset by Gender

### **Gender Count**



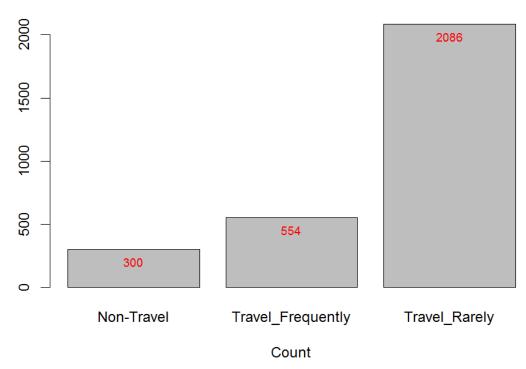
### gender ratio



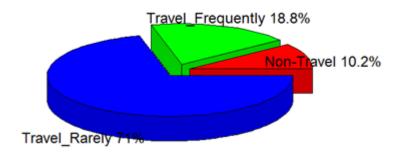
4> The data consists of 1764 male and 1176 female employees which implies that the data consists of 60% of male employees and 40% of female employees

### 2.1.4 Distribution of dataset by Business travel

### **Count by Business Travel**



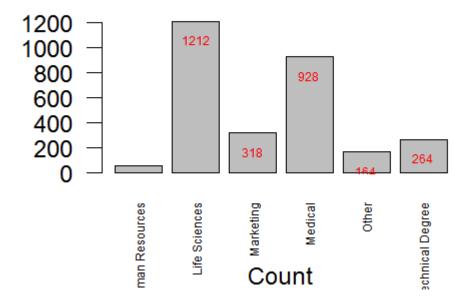
### Distribution by Business travel

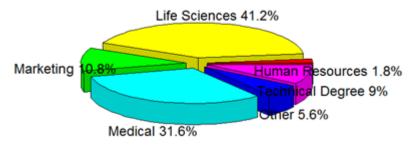


5> From the above two graphs it is seen that the data has 71% of the employees who travel rarely,18.8% of employees travel frequently and only 10.2% of employees don't travel at all

### 2.1.5 Distribution of dataset by Education field

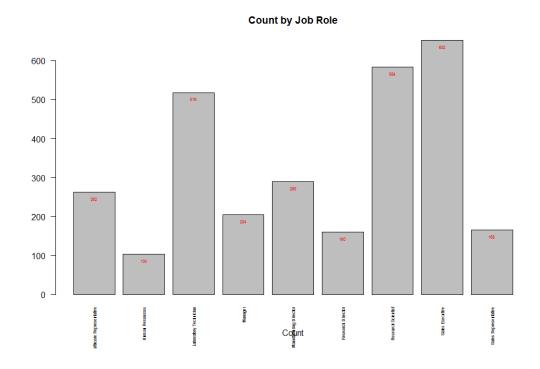
### Count by Education field

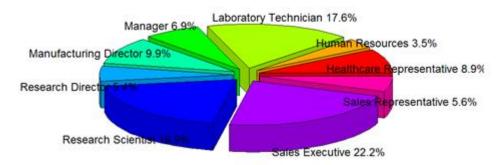




6> The data consists of employees with the following distribution of education field 41.2% of employees are from Life Sciences subject which counts to 1212,31.6% are from medical background which accounts to 928 count, 318 employees are from marketing ed ucation background which accounts to 10.8% of the data set,264 employees have technica 1 degree which accounts to 9% of population,164 employees have other education field w hich is 5.6% of data and 1.8% of the population are from Human Resources stream which accounts to only 54 employees

### 2.1.6 Distribution of dataset by job role





7> As per above pie and bar plot it is seen that the data consists of 22.2% of Sales Executive and 19.9 percent of data are of research scientists. Human Resource accounts for 3.5% of data as per job role. As per job role the contribution of each role in the data set are as fo llows

Healthcare Representative = 262 (8.9% of data set)

Human Resources = 104 (3.5% of data set)

Laboratory Technician = 518 (17.6% of data set)

Manager = 204 (6.9% of data set )

Manufacturing Director = 290 (9.9% of data set)

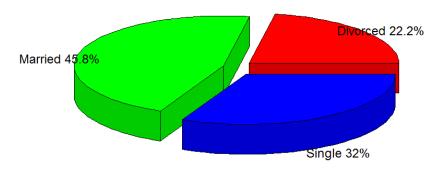
Research Director = 160 (5.4% of data set)

Research Scientist = 584 (19.9% of data set)

Sales Executive = 652 (22.2% of data set)

Sales Representative =166 (5.6% of data set)

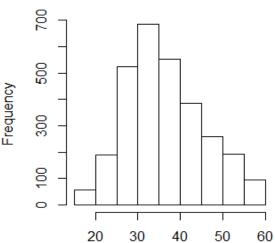
### 2.1.7 Distribution of dataset by marital status



- 8> 45.8% of the population are married ,32% are single and 22.2% of the dataset are divorce d.
- 9> It is good to see that there is no employee whose age is below 18 years of age. All 2940 e mployees, whose data were taken are of 18 years and above age

### 2.1.8 Analysis of dataset for the age variable

# box plot of age

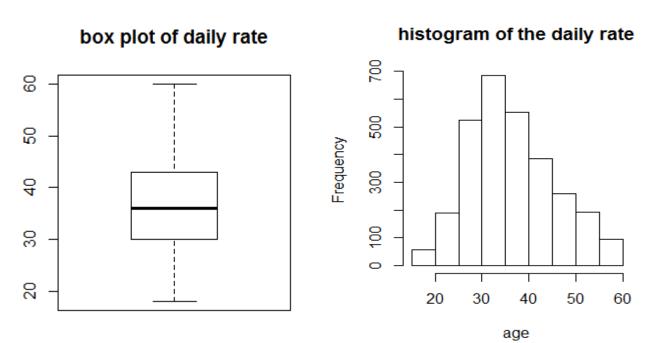


histogram of the age

age

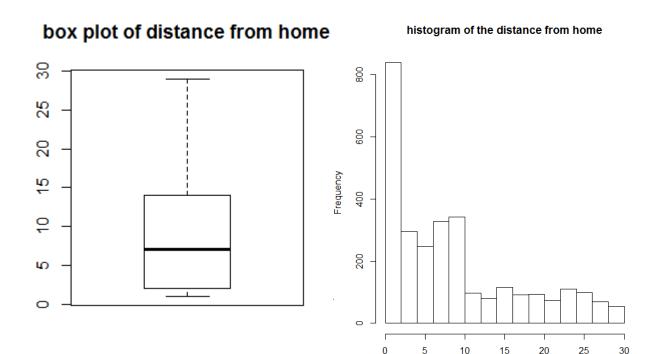
10> It is inferred that the age variable is not much skewed. From the histogram it is seen tha t the maximum age is 60 and minimum is 18 years. Median is at 36.75% of the data has a ge below 43.50% of the age lie above 36 and 50% lie between 30 and 36 years. Mean is s lightly greater than median means the data might be very slightly positively skewed.

### 2.1.9 Analysis of dataset for daily rate variable



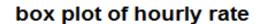
11> It is inferred that the daily rate variable is not much skewed. From the histogram it is se en that the maximum daily rate is 1499 unit and minimum is 102 unit. median is at 802. 7 5% of the data has daily rate below 1157. 50% of the daily rate lie above 1157 and 50% li e between 465 and 802. Mean is slightly greater than median means the data might be ver y slightly positively skewed.

### 2.1.10 Analysis of dataset for distance from home variable

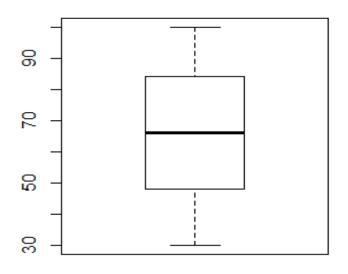


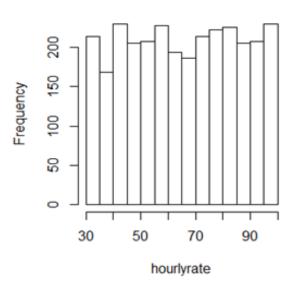
12> It is inferred that the distance from home variable is skewed. From the histogram it is se en that the data is positively skewed. maximum distance from home value is 29 unit and m inimum is 1unit. median is at 7unit. 75% of the data has distance from home value below 14unit. 50% of the data has distance from home value lie above 9.193unit and 50% of value lie between 2unit and 7unit. Mean is greater than median means the data is positively s kewed.

### 2.1.11 Analysis of dataset for hourly rate variable



### histogram of hourly rate



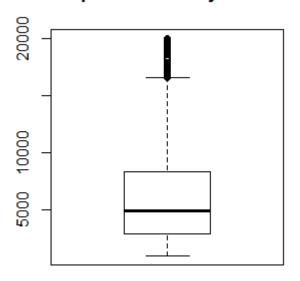


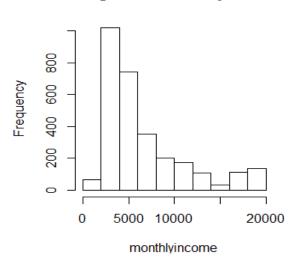
13> It is inferred that the hourly rate variable is almost normal. From the histogram it is seen that the maximum hourly rate is 100 unit and minimum is 30 unit. median is at 66. 75% of the data has hourly rate below 84unit. 50% of the hourly rate lie above 65.89unitand 50% lie between 48 and 66.

### 2.1.12 Analysis of dataset for monthly income variable

### box plot of monthly income

### histogram of monthly income





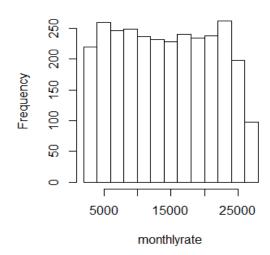
14> It is inferred that the monthly income is skewed and also there are more outliers. From t he histogram it is seen that the minimum monthly income is 1009 and maximum is 19999 which is an outlier. As there are outliers so we cannot consider any summary data.

### 2.1.13 Analysis of dataset for monthly rate variable

### box plot of monthly rate

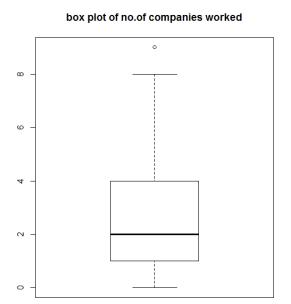
### 5000 15000 25000

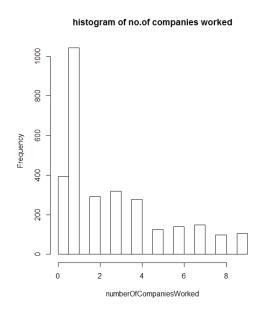
### histogram of monthly rate



 15> It is inferred that the monthlyrate variable is almost normal. From the histogram it is se en that the maximum monthly rate is 26999 unit and minimum is 2094 unit. median is at 1 4236unit. 75% of the data has monthly rate below 20462unit. 50% of the hourly rate lie a bove 14313unit and 50% of data lie between 8045 and 14236

### 2.1.14 Analysis of dataset for no. of companies variable





16> From the boxplot it is inferred that the NoOFCompaniesWorked variable is skewed. Fro m the histogram it is seen that the minimum value is 0 and maximum value is 9. median is at 2. 75% of the data has value below 4. 50% of the value lie above 2.693 and 50% of dat a lie between 1 and 2

### 2.1.15 Analysis of dataset for other variable

PercentSalaryHike TotalWorkingYears TrainingTimesLastYear # Min. : 11 Min. : 0.00 Min. :0.000 # 1st Qu.: 12 1st Qu.:2.000 1st Qu.: 6.00 # Median: 14 Median :10.00 Median :3.000 # Mean : 15.21 Mean :11.28 Mean :2.799 # 3rd Qu.: 18 3rd Qu.:15.00 3rd Qu.:3.000 # Max. :25 Max. :40.00 Max. :6.000

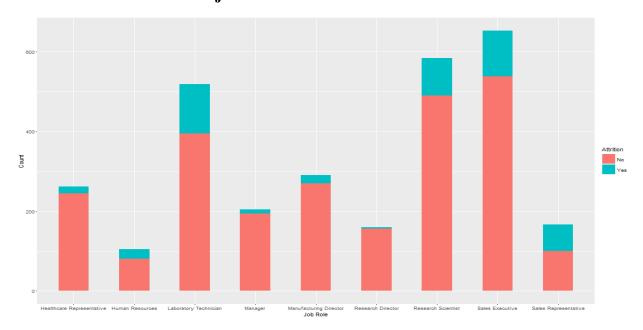
### Data Analysis Report

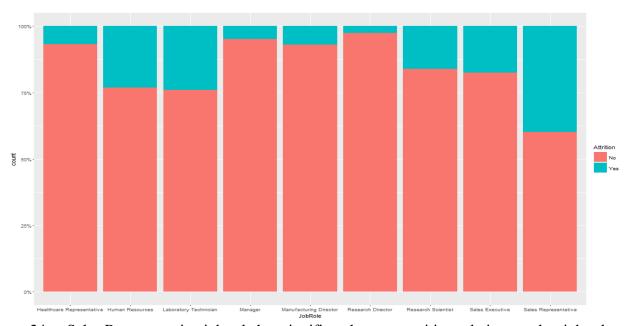
- 17> PercentSalaryHike: The data seems to be normal and max value is 25 and min is 11.75 % of data has value below 18 and 50% of data have values above 15.21 and 50% of data l ie between 12 and 14
- 18> TotalWorkingHours: Mean is slightly greater than median so data seems to be slightly p ositively skewed. 75% od data has values less than 15 and 50% of data lie above 11.28 and 50% lie between 6 and 10. Minimum value is 0 and maximum is 40.
- 19> TrainingTimeLastYear: Minimum value of this variable is 0 and maximum is 6. 75% of data lie below 3 and 50% of data lie above 2.799.50% of data lie between 2 and 3.Mean is slightly less than 3, so data is bit negatively skewed.

# YearsAtCompany	YearsInCurrentRole	YearsSinceLastPromotion	YearsWithCurrManager
# Min. : 0.000	Min. : 0.000	Min. : 0.000	Min. : 0.000
# 1st Qu.: 3.000	1st Qu.: 2.000	1st Qu.: 0.000	1st Qu.: 2.000
# Median : 5.000	Median: 3.000	Median: 1.000	Median : 3.000
# Mean : 7.008	Mean : 4.229	Mean : 2.188	Mean : 4.123
# 3rd Qu.: 9.000	3rd Qu.: 7.000	3rd Qu.: 3.000	3rd Qu.: 7.000
# Max. :40.000	Max. :18.000	Max. :15.000	Max. :17.000

- 20> Years at company: Minimum is 0 and maximum is 40. Mean is greater than median say s data is bit positively skewed.75% of data lie below 9 years.50% of data lie above 7.008 years and 50% of data lie between 3 and 5 years.
- 21> Years in current role: Minimum is 0 and maximum is 18.75% of data lie below 7 . 50% of data lie between 2 and 3 and 50% of data lie above 4.229. Mean greater than median sa ys data is positively skewed.
- 22> Years since last promotion:minimum is 0 and max is 15.mean is greater than median so data is positively skewed.75% of data lie below 3. 50% of data lie above 2.188 and 50% of data lie between 0 and 1.
- YearsWithCurrentManager: Minimum is 0 and maximum is 17. 75% of data lie below 7. 50% of data lie between 2 and 3 and 50% of data lies above 4.123.Mean is greater than median says data is positively skewed.

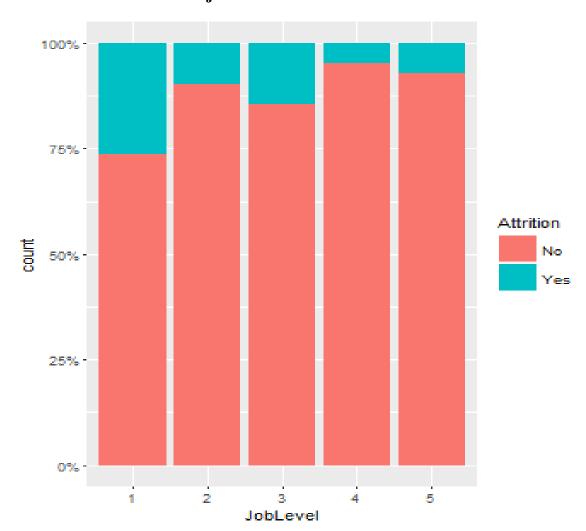
### 2.1.16 Attrition rate across job roles:





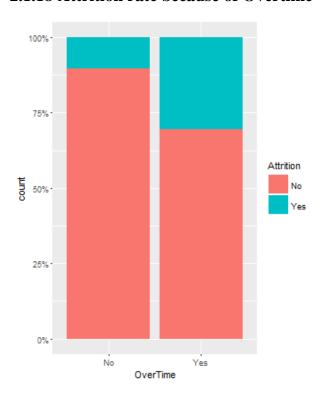
24> Sales Representative job role has significantly more attrition relative to other job roles

### 2.1.17 Attrition rate across job level:



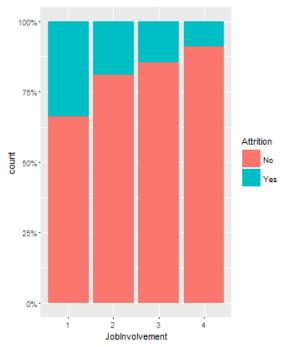
25> Job level 1 has higher attrition rates over other levels and after job level 3 has maximum attritions

### 2.1.18 Attrition rate because of Overtime values:



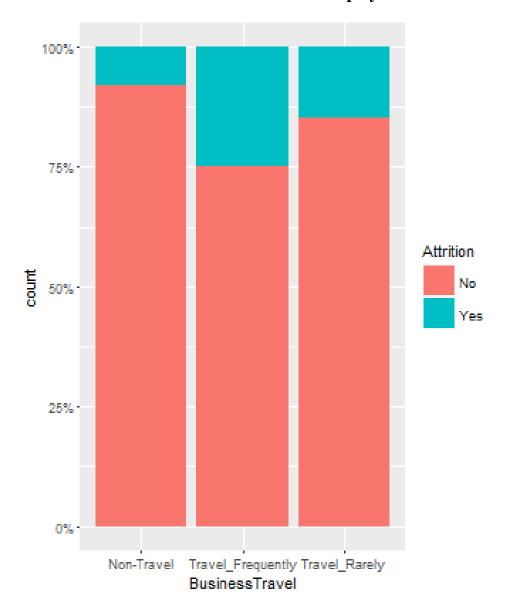
26> Attrition rate is higher in those who does overtime than the employees who does not do overtime.

### 2.1.19 Attrition rate because of job involvement:



27> JobInvolvement = 1 has higher attrition than the other.

### 2.1.20 Attrition rate because of amount of employee travels:



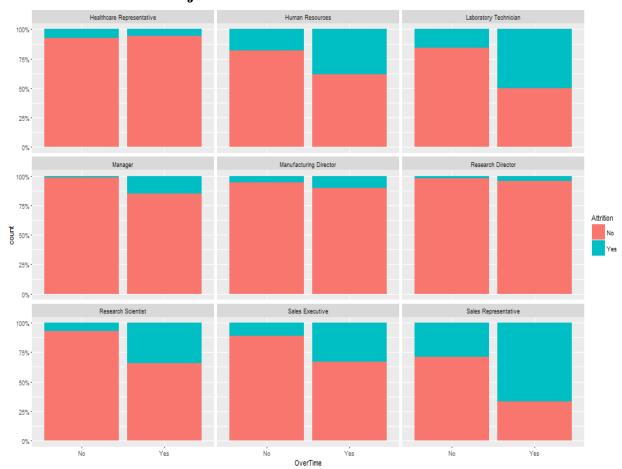
28> Attrition is high in frequent traveller employee

### 2.1.21 Attrition rate because of job roles with the frequency of travel:



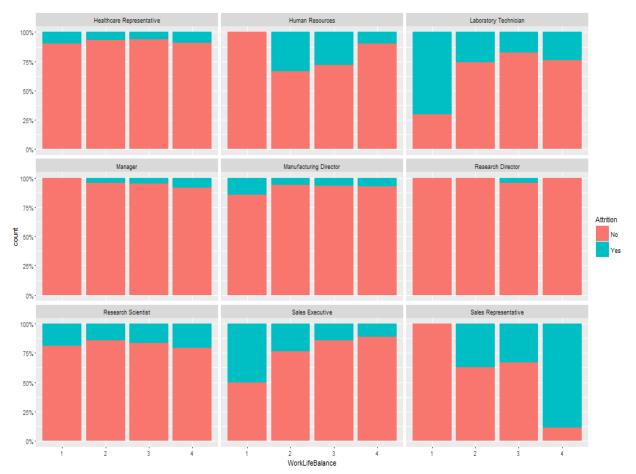
- 29> From the above plot it is inferred that attrition is more in Sales representative role who t ravel frequently and there is no attrition seen in Non-travelling Sales representative.
- 30> We see no attrition in non-travelling HR,MD, research director.
- 31> Contradictory to above results we see Managers are happy who travel a lot i.e the data s ays there is no attrition in Manager job role who travel frequently.
- 32> Among all the job roles we see there is very minimal attrition rate in Research Director t han in other job roles.
- 33> After non travelling sales representative the data says the second highest attrition is in H uman Resource Job role who travel frequently.

### 2.1.22 Attrition rate because of job roles with the overtime:



34> There is high attrition among hourly sales representatives and lab technicians

### 2.1.23 Attrition rate because of job roles with different work life balance:



35> Attrition rate is high With low work life balance For Lab Technician roles.But the opposi te is seen For Sales representative

### 2.1.24 Hypothesis Tests:

- 36> H0 = There is no correlation between JobRole and Attrition or Attrition is independent of Job role
- 37> Ha = There is strong correlation between JobRole and Attrition or Attrition is dependen t on Job role

38>

39> . Pearson's Chi-squared test

40> data: tbl.jrattr

41> X-squared = 172.38, df = 8, p-value < 2.2e-16

42> Conclusion: Since the p value of chi square test of independence is less than 0.05, so we reject the null hypothesis and accept the alternate hypothesis. This means Attrition value i s not independent of Job role

Manufacturing Director Research Director

JobRole

Research Scientist

From the above graph we conclude that the attrition rate varies with the Job role and Sales Representative job role has significantly more attrition relative to other job roles

Manager

1> H0 = There is no correlation between JobRole and Attrition or Attrition is independent of Job role

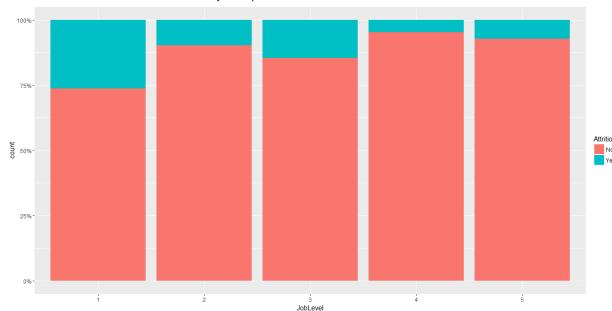
Ha = There is strong correlation between JobRole and Attrition or Attrition is dependent on Job role

Pearson's Chi-squared testdata: tbl.jlattr

Healthcare Representative Human Resources Laboratory Technician

X-squared = 145.06, df = 4, p-value < 2.2e-16

Conclusion: Since the p value of chi square test of independence is less than 0.05, so we reject the null hypothesis and accept the alternate hypothesis. This means Attrition value is not independent of Job level and there is some correlation between the two



From the above figure it is evident that the Attrition rate differs with the Job level type and hence they are dependent of each other and it is seen that Job level 1 has high attrition then the other job level

2> Ho= Overtime doesnot affect the Attrition or Attrition is independent of Overtime or there is no strong correlation between Overtime and Attrition

Ha= There is a strong correlation between Attrition and Overtime or Attrion and Overtime are not independent or Overtime affect the attrition rate

Pearson's Chi-squared test with Yates' continuity correction

data: tbl.otattr

X-squared = 176.61, df = 1, p-value < 2.2e-16

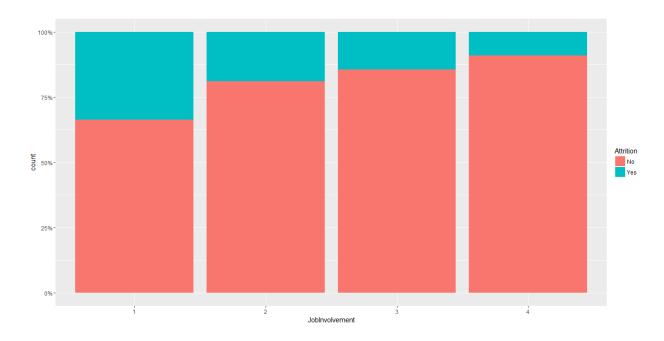
Conclusion: Since the p value of chi square test of independence is less than 0.05, so we reject the null hypothesis and accept the alternate hypothesis. This means Attrition value is dependent on the Overtime variable and there is some correlation between the two.



From the graph it is seen that overtime affects the attrition and Attrition rate is higher in those who does overtime than the employees who does not do overtime.

3> Ho= Job involvement doesnot affect the Attrition or Attrition is independent of JobInvolvement or there is no strong corelation between JobInvolvement and Attrition Ha= There is a strong corelation between Attrition and JobInvolvement or Attrion and JobInvolvement are not independent or JobInvolvement affect the attrition rate

Conclusion: Since the p value of chi square test of independence is less than 0.05, so we reject the null hypothesis and accept the alternate hypothesis. This means Attrition value is dependent on the JobInvolvement variable and there is some correlation between the two



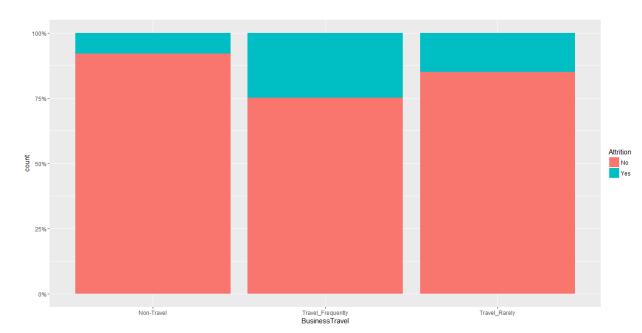
 From the above figure it is also evident that Attrition value changes with that of the Job Involvement level and has some corelation and its seen that JobInvolvement = 1 has higher attrition than the other.

4> Ho= Business Travel doesnot affect the Attrition or Attrition is independent of Business Travel or there is no strong corelation between Business Travel and Attrition Ha= There is a strong corelation between Attrition and Business Travel or Attrion and Business Travel are not independent or Business Travel affect the attrition rate Pearson's Chi-squared test

data: tbl.btnattr

X-squared = 48.365, df = 2, p-value = 3.146e-11

Conclusion: Since the p value of chi square test of independence is less than 0.05, so we reject the null hypothesis and accept the alternate hypothesis. This means Attrition value is dependent on the Business travel variable and there is some correlation between the two.



From the above graph it is clear that Business Travel; has influence on the Attrition and it is observed that the Attrition is high in frequent traveler employee.

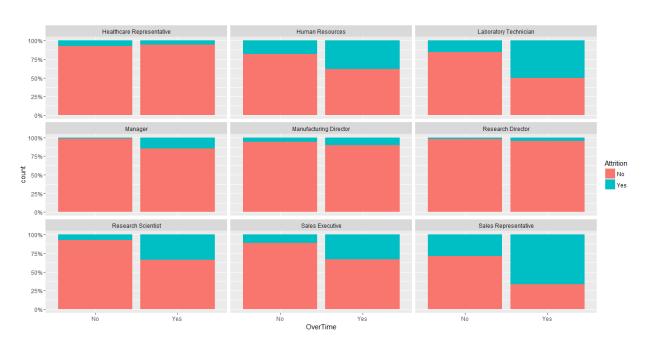


### 5> Does Attrition rate depends on Jobrole and Business travel?

From the above graph it is seen that the attrition rate differs for every job role and Business travel. Attrition is more in Sales representative role who travel frequently and there is no attrition seen in Non-Travelling Sales representative. We see no attrition in non-travelling HR, MD, research director.

Contradictory to above results we see Managers are happy who travel a lot i.e the data says there is no attrition in Manager job role who travel frequently. Among all the job roles we see there is very minimal attrition rate in Research Director than in other job roles. After non travelling sales representative the data says the second highest attrition is in Human Resource Job role who travel frequently.

### 6> Does Job roles with overtime has effect on Attrition rate?



From the above graph it is seen that the Attrition rate differs for every job role and also it depends on the Overtime variable for the respective Job role. There is high attrition among hourly sales representatives and lab technicians.

1> Does Job roles with work life balance has effect on Attrition rate?

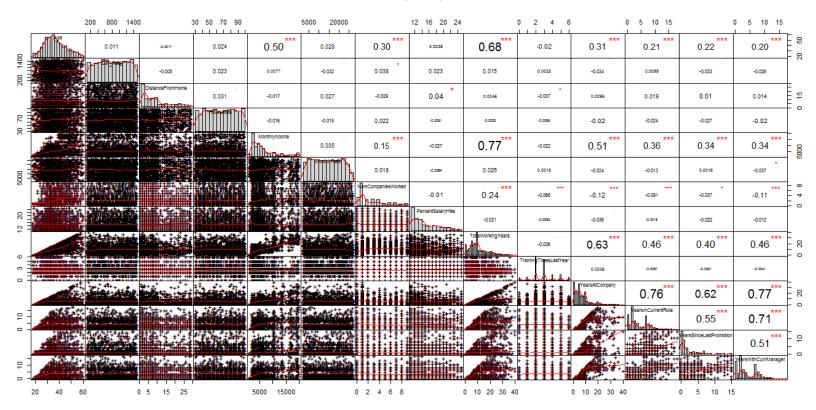
## Data Analysis Report Healthcare Representative Human Resources Laboratory Technician 100%50%25%0%100%75%50%25%100%Research Scientist Sales Executive Sales Representative Research Scientist Sales Executive Sales Representative

½ 3 WorkLifeBalance

From the above graph we see that the Attrition rate differs with the level of worklife balance for every job role. Attrition rate is high with low work life balance For Lab Technician roles But the opposite is seen For Sales representative.

7> The Strongly correlated variables are as follows

First.Variable Second		d.Variable Correlation	
117	MonthlyIncome	TotalWorkingYears	0.7728932
193	YearsAtCompany	YearsWithCurrManager	0.7692124
165	YearsAtCompany	YearsInCurrentRole	0.7587537
194	YearsInCurrentRole	YearsWithCurrManager	0.7143648
113	Age	TotalWorkingYears	0.6803805
149	TotalWorkingYears	YearsAtCompany	0.6281332
179	YearsAtCompany	YearsSinceLastPromotion	0.6184089
180	YearsInCurrentRole	YearsSinceLastPromotion	0.5480562
145	MonthlyIncome	YearsAtCompany	0.5142848
195	YearsSinceLastPromotion	YearsWithCurrManager	0.5102236



From the graph it is seen that the most highly correlated variables with more than 60% and above corelation factor are MonthlyIncome - TotalWorkingYears with corelation value of 77.2%,Year sAtCompany-YearsWithCurrManager with corelation value of 76.9%,YearsAtCompany-YearsIn CurrentRole with corelation value of 75.8%,YearsInCurrentRole-YearsWithCurrManager with corelation value of 71.4%,Age-TotalWorkingYears with corelation value of 68.03%, TotalWorkingYears—YearsAtCompany with corelation value of 62.8% and YearsAtCompany-YearsSince eLastPromotion—with corelation value of 61.8%

### 2.1.25 Principal Component Analysis

Lets check the SD of each variable

# Age Attrition BusinessTravel DailyRate

# 9.1338192 0.3678004 0.6653417 403.4404468

# Department DistanceFromHome Education EducationField

Data Analysis Report

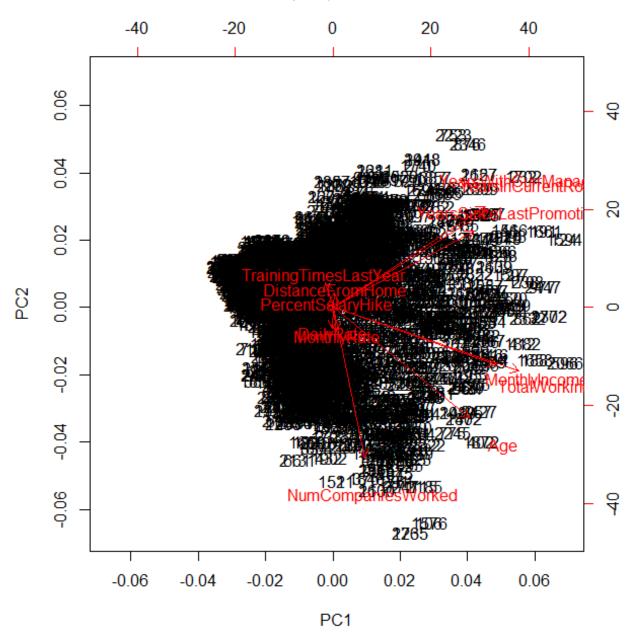
# 0.5277025	8.1054851	1.0239907	1.331	1426
# EmployeeCount	EmployeeNumber	EnvironmentSatis	faction	Gender
# 0.0000000	848.84922	1.0928	962	0.4899813
# HourlyRate	JobInvolvement	JobLevel	JobRol	e
# 20.3259687	0.7114401	1.1067516	2.4614024	4
# JobSatisfaction	MaritalStatus	MonthlyIncome	Monthl	yRate
# 1.1026585	0.7299965	4707.1557696	7116.57	750213
# NumCompanies V	Vorked Over18	OverTime	PercentS	alaryHike
# 2.4975840	0.0000000	0.450529	98	3.6593150
# PerformanceRation	ng RelationshipSatisfact	ion StandardHo	ours Sto	ockOptionLevel
# 0.3607621	1.0810249	0.000	0000	0.8519317
# TotalWorkingYea	ars TrainingTimesLast	Year WorkLi	feBalance	YearsAtCompany
# 7.7794579	1.2890513	0.706	3556	6.1254828
# YearsInCurrentR	notion YearsWith	nCurrManag	er	
# 3.6225206	3.2218820	3.567	5290	

We see significant difference in SD in our variables so we have to scale the data. After scaling do the principal component analysis using prcomp(). We get the following output in R

### Importance of components:

```
PC1
                             PC2
                                     PC3
                                             PC4
                                                     PC5
                                                            PC6
                                                                    PC7
Standard deviation
                     1.8142 1.2453 1.03035 1.02270 0.99942 0.9785 0.96476 0.84998
Proportion of Variance 0.2743 0.1292 0.08847 0.08716 0.08324 0.0798 0.07756 0.06021
Cumulative Proportion 0.2743 0.4035 0.49199 0.57915 0.66239 0.7422 0.81975 0.87996
                          PC9
                                 PC10
                                         PC11
                                                 PC12
Standard deviation
                      0.72492 0.68553 0.53132 0.40344
Proportion of Variance 0.04379 0.03916 0.02353 0.01356
Cumulative Proportion 0.92375 0.96291 0.98644 1.00000
```





The eigen values are

 $[1]\ 3.2914796\ 1.5508375\ 1.0616146\ 1.0459190\ 0.9988408\ 0.9575479\ 0.9307533\ 0.7224697$ 

### $[9]\ 0.5255099\ 0.4699578\ 0.2823046\ 0.1627652$

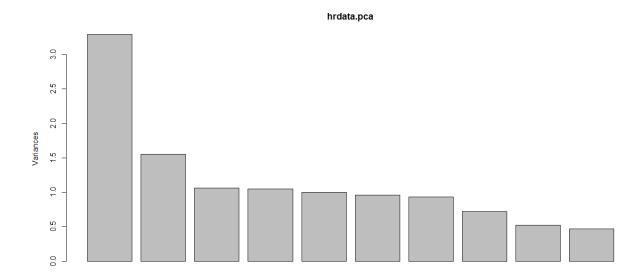
We aim to find the components which explain the maximum variance. This is because, we want to retain as much information as possible using these components. So, higher is the explained variance, higher will be the information contained in those components. To compute the proportion

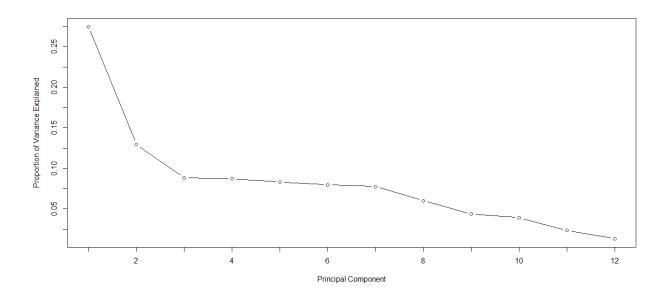
 of variance explained by each component, we simply divide the variance by sum of total variance. This results in:

[1] 0.27428997 0.12923646 0.08846788 0.08715992 0.08323673 0.07979566 0.07756278

### [8] 0.06020581 0.04379249 0.03916315 0.02352538 0.01356377

Conclusion: This shows that first principal component explains 27.42% variance. Second component explains 12.9% variance. Third component explains 8.8% variance. Eleventh component explains 2.35% of variance and so on. So, how do we decide how many components should we select for modeling stage? The answer to this question is provided by a scree plot. A scree plot is used to access components or factors which explains the most of variability in the data. It represents values in descending order.





### From the plot it is seen that with 4 components 98% of variance is explained. Loadings:

	PC1	PC2	PC3	PC4
Age	0.3537335204	-0.418007927	0.001681452	-0.001359940
DailyRate	-0.0008826506	-0.080486552	-0.034204585	0.675682794
DistanceFromHome	0.0040633438	0.054622454	0.712349192	-0.052044453
MonthlyIncome	0.4243089257	-0.218637273	-0.032136918	-0.031911877
MonthlyRate	0.0087236589	-0.090546509	0.247761583	-0.612553730
NumCompaniesWorked	0.0836576773	-0.570555936	-0.007606365	0.049613257
PercentSalaryHike	-0.0149980573	0.007563436	0.480423799	0.393656758
TotalWorkingYears	0.4826005231	-0.240805001	-0.002966526	-0.003773748
TrainingTimesLastYear	-0.0190527826	0.095400170	-0.444618650	-0.047194685
YearsInCurrentRole	0.4047538720	0.371130843	0.019841283	0.051458477
YearsSinceLastPromotion	0.3662521658	0.288333153	-0.001661180	-0.031632560
YearsWithCurrManager	0.3953289416	0.382430537	0.003376557	0.034417369
	PC5			
Age	-0.07207694			
DailyRate	-0.15549880			
DistanceFromHome	-0.05178562			

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MonthlyIncome	-0.04900642
MonthlyRate	-0.38657669
NumCompaniesWorked	0.08691496
PercentSalaryHike	-0.45365456
TotalWorkingYears	-0.03321397
TrainingTimesLastYear	-0.77350590
YearsInCurrentRole	0.01975632
YearsSinceLastPromotion	0.03124058
YearsWithCurrManager	0.04430146

Conclusion: From the Loadings it is found that Here we see component 1 seems to be influenced DailyRate,MonthlyIncome, TotalWorkingInYears, YearsInCurrentRole, YearsSinceLastPromotion, YearsWithCurrManager. Component 2 is influenced mainly by Age, YearsInCurrentRole, TrainingTimesLastYear. C3 by MonthlyIncome, PercentSalaryHike, TrainingTimesLastYear.C4 by DistanceFromHome, PercentSalaryHike, MonthlyRate, C5 MonthlyRate, PercentSalaryHike, TrainingTimesLastYear, YearsWithCurrManager

### 2.1.26 Factor Analysis

### **Call:**

factanal(x = hrdatascaled.clean.numericonly, factors = 3, rotation = "varimax")

### Uniquenesses:

DistanceFromHome	DailyRate	Age
1.000	0.991	0.465
MonthlyRate	MonthlyIncome	HourlyRate
0.996	0.367	0.997
TotalWorkingYears	PercentSalaryHike	NumCompaniesWorked
0.026	0.995	0.711
YearsSinceLastPromotion	YearsInCurrentRole	YearsAtCompany
0.580	0.291	0.112
		YearsWithCurrManager
		0.292

### Loadings:

	Factor1	Factor2	Factor3
Age	0.129	0.681	-0.233
DailyRate			
DistanceFromHome			
HourlyRate			
MonthlyIncome	0.211	0.757	0.125
MonthlyRate			
NumCompaniesWorked	-0.120	0.291	-0.436
PercentSalarуНіke			
TotalWorkingYears	0.318	0.934	
YearsAtCompany	0.785	0.410	0.324
YearsInCurrentRole	0.801	0.222	0.136
YearsSinceLastPromotion	0.576	0.243	0.172
YearsWithCurrManager	0.793	0.222	0.171

Eactor1	Factor2	Eactor3
Factori	Factorz	Factors

SS loadings	2.397	2.322	0.457
Proportion Var	0.184	0.179	0.035
Cumulative Var	0.184	0.363	0.398

Test of the hypothesis that 3 factors are sufficient.

The chi square statistic is 120.29 on 42 degrees of freedom.

The p-value is 1.77e-09

Conclusion: From the Test of the hypothesis that 3 factors are sufficient. The chi square statistic is 120.29 on 42 degrees of freedom. The p-value is 1.77e-09. Near the bottom of the output, we can see that the significance level of the chi square fit statistic is very small. This indicates that the hypothesis of perfect model fit is rejected. Since we are in a purely exploratory vein, let's fit a 4 factor model

call: factanal(x = hrdatascaled.clean.numericonly, factors = 4, rotation = "varimax")
Uniquenesses:

Age	DailyRate	DistanceFromHome
0.387	0.992	0.999
HourlyRate	MonthlyIncome	MonthlyRate
0.998	0.005	0.996
NumCompaniesWorked	PercentSalaryHike	TotalWorkingYears
0.763	0.996	0.114
YearsAtCompany	YearsInCurrentRole	YearsSinceLastPromotion
0.025	0.063	0.594
YearsWithCurrManager		
0.351		

### Loadings:

3 -				
	Factor1	Factor2	Factor3	Factor4
Age	0.299	0.709	0.136	
DailyRate				
DistanceFromHome				
HourlyRate				
MonthlyIncome	0.502	0.342	0.789	
MonthlyRate				
NumCompaniesWorked		0.432		-0.195
PercentSalarуНike				
TotalWorkingYears	0.599	0.653	0.311	
YearsAtCompany	0.902			0.392
YearsInCurrentRole	0.939			-0.200
YearsSinceLastPromotion	0.620			0.141
YearsWithCurrManager	0.787			0.156

	Factor1	Factor2	Factor3	Factor4
SS loadings	3.409	1.253	0.759	0.297
Proportion Var	0.262	0.096	0.058	0.023
Cumulative Var	0.262	0.359	0.417	0.440

Test of the hypothesis that 4 factors are sufficient. The chi square statistic is 45.88 on 32 degrees of freedom. The p-value is 0.0533

Conclusion: Test of the hypothesis says that 4 factors are sufficient. The chi square statistic is 45 .88 on 32 degrees of freedom. The p-value is 0.0533 Near the bottom of the output, we can see th at the significance level of the chi square fit statistic is quite ok. This indicates that the hypothesis of perfect model fit can be accepted. Since we are in a purely exploratory vein, let's fit a 5 factor model and see whether it is better. Test of the hypothesis that 5 factors are sufficient. The chi square statistic is 30.45 on 23 degrees of freedom for 5 factors. The p-value is 0.137. Test of the hypothesis that 6 factors are sufficient. The chi square statistic is 17.48 on 15 degrees of freedom. Th

e p-value is 0.291. For factor 7 the factAnal() was not able to optimize. So we will go with the 6 f actor.

We can "clean up" the factor pattern in several ways. One way is to hide small loadings, to reduce the visual clutter in the factor pattern. Another is to reduce the number of decimal places from 3 to 2. A third way is to sort the loadings to make the simple structure more obvious. After cleaning it looks as follow

call:

factanal(x = hrdatascaled.clean.numericonly, factors = 6, rotation = "varimax")

#### Uniquenesses:

DistanceFromHome	DailyRate	Age
0.82	0.99	0.45
MonthlyRate	MonthlyIncome	HourlyRate
0.98	0.35	0.99
TotalWorkingYears	PercentSalaryHike	NumCompaniesWorked
0.00	0.99	0.70
YearsSinceLastPromotion	YearsInCurrentRole	YearsAtCompany
0.55	0.17	0.07
		YearsWithCurrManager
		0.31

## Loadings:

	Factor1	Factor2	Factor3	Factor4	Factor5	Factor6
YearsAtCompany	0.84	0.37			-0.25	
YearsInCurrentRole	0.88					
YearsSinceLastPromotion	0.62					
YearsWithCurrManager	0.78					
Age		0.63	0.35			
MonthlyIncome	0.31	0.71				
TotalWorkingYears	0.39	0.91				
DailyRate						
DistanceFromHome				0.39		
HourlyRate						
MonthlyRate						
NumCompaniesWorked		0.25	0.44			
PercentSalaryHike						

	Factori	Factor2	Factors	Factor4	Factors	Factorb
SS loadings	2.79	2.00	0.37	0.20	0.16	0.13
Proportion Var	0.21	0.15	0.03	0.02	0.01	0.01
Cumulative Var	0.21	0.37	0.40	0.41	0.42	0.43

Test of the hypothesis that 6 factors are sufficient. The chi square statistic is 17.48 on 15 degrees of freedom. The p-value is 0.291

## 3. Random Forest

1. Create the development and validation sample

```
hrdata.sample\split <- runif(nrow(hrdata.sample), 0, 1);
hrdata.sample <- hrdata.sample[order(hrdata.sample\split),]
#Now, if you view the hrdata.sample dataset again you would notice a new column added at the end
#Now, you can split the dataset to training and testing as follows
hrdata.train <- hrdata.sample[which(hrdata.sample\split <= 0.7),]
hrdata.test <- hrdata.sample[which(hrdata.sample\split > 0.7),]
c(nrow(hrdata.train), nrow(hrdata.test))
#remove the split columns used for partitioning from both train and test data set
hrdata.train <- hrdata.train[,-c(33)]
hrdata.test <- hrdata.test[,-c(33)]
str(hrdata.train)
str(hrdata.train)
```

- 2> After creating the development and test sample ,convert all variables to factor variable by binning the numerical variables using R.
- 3> Then check if the factor variables has same level or not for each factor variable in dev and test sample. If not then make the levels of each factor variable same in both the development and test sample.
- 4> Find the best ntree and mtry .Caution: this algorithms takes 48 hours to populate the values for the Hr attrition csv file

```
new.modellist <- list()
for (ntree in c(500,1000, 1500, 2000, 2500)) {
  set.seed(seed)
  print(ntree)
  for(mtryt in c(1:15)){
    tunegrid=expand.grid(.mtry=mtryt)</pre>
```

```
Data Analysis Report
```

```
key <-toString(paste(toString(ntree),toString(mtryt),sep = "_"))
     print(key)
     print(tunegrid)
     fit <- train(train.new$Attrition~., data=train.new, method="rf", metric="Accuracy",
   tuneGrid=tunegrid, trControl=control, ntree=ntree)
     print("new fit added")
     new.modellist[[key]] <- fit
5> Next compare the results to get the best mean accuracy value for ntree and mtry value.
   results <- resamples( new.modellist)
   summary(results)
   call:
   summary.resamples(object = results)
   Models: 500_3, 500_4, 500_5, 500_6, 500_7, 500_8, 500_9, 500_10, 500
   _11, 500_12, 500_13, 500_14, 500_15, 1000_3, 1000_4, 1000_5, 1000_6,
   1000_7, 1000_8, 1000_9, 1000_10, 1000_11, 1000_12, 1000_13, 1000_14,
   1000_15, 1500_3, 1500_4, 1500_5, 1500_6, 1500_7, 1500_8, 1500_9, 150
   0_10, 1500_11, 1500_12, 1500_13, 1500_14, 1500_15, 2000_3, 2000_4, 2
   000_5, 2000_6, 2000_7
   Number of resamples: 10
   Accuracy
              Min. 1st Qu. Median
                                     Mean 3rd Qu.
                                                      Max. NA's
   500 3
           0.8439
                    0.8447 0.8447 0.8450
                                            0.8447 0.8488
                                                              0
   500_4
           0.8488
                    0.8544 0.8544 0.8562
                                            0.8591 0.8641
                                                              0
   500_5
           0.8786
                    0.9029 0.9051 0.9057
                                            0.9078 0.9272
                                                              0
   500_6
           0.9122
                    0.9369 0.9416 0.9383
                                            0.9490 0.9515
                                                              0
   500_7
           0.9272
                    0.9367 0.9369 0.9383
                                            0.9417 0.9515
                                                              0
   500_8
           0.9223
                    0.9369 0.9465 0.9441
                                           0.9539 0.9612
                                                              0
   500_9
           0.9320
                    0.9369 0.9416 0.9461
                                            0.9501 0.9709
                                                              0
                    0.9367 0.9417 0.9417
   500_10
           0.9223
                                            0.9465 0.9660
                                                              0
   500_11
           0.9272
                    0.9367 0.9417 0.9446
                                            0.9466 0.9757
                                                              0
   500_12
           0.9223
                    0.9330 0.9440 0.9436
                                            0.9502 0.9709
                                                              0
   500_13
           0.9171
                    0.9248 0.9345 0.9349
                                            0.9417 0.9612
                                                              0
   500_14
           0.9175
                    0.9356 0.9489 0.9436
                                            0.9515 0.9612
                                                              0
   500_15
           0.9320
                    0.9380 0.9442 0.9446
                                            0.9501 0.9612
                                                              0
   1000_3
           0.8439
                    0.8447 0.8447 0.8450
                                            0.8447 0.8488
                                                              0
   1000_4
           0.8447
                    0.8495 0.8544 0.8533
                                            0.8575 0.8592
                                                              0
   1000_5
           0.8786
                    0.8943 0.8981 0.8994
                                            0.9064 0.9223
                                                              0
   1000_6
           0.9126
                    0.9266 0.9417 0.9373
                                            0.9454 0.9612
                                                              0
   1000_7
           0.9175
                    0.9320 0.9366 0.9393
                                            0.9502 0.9563
                                                              0
   1000_8
                    0.9367 0.9369 0.9398
                                            0.9478 0.9610
           0.9126
                                                              0
   1000_9
           0.9272
                    0.9369 0.9415 0.9402
                                            0.9454 0.9563
                                                              0
   1000 10 0.9223
                    0.9320 0.9367 0.9412
                                            0.9527 0.9660
                                                              0
   1000_11 0.9223
                    0.9320 0.9440 0.9417
                                            0.9466 0.9659
                                                              0
   1000_12 0.9078
                    0.9283 0.9369 0.9364
                                                              0
                                            0.9466 0.9612
   1000_13 0.9223
                    0.9380 0.9417 0.9470
                                            0.9635 0.9709
                                                              0
   1000_14 0.9223
                    0.9330 0.9466 0.9465
                                            0.9611 0.9709
                                                              0
```

0.9333 0.9417 0.9422

0.8447 0.8447 0.8450

0.9465 0.9612

0.8447 0.8488

0

0

1000\_15 0.9272

1500\_3 0.8439

			ta Analysis F				
1500_4	0.8447	0.8495	0.8495	0.8518	0.8526 0	.8683	0
1500_5	0.8835	0.8956	0.9100	0.9077	0.9160 0	.9320	0
1500_6	0.9175		0.9345		0.9502 0		0
1500_7	0.9175		0.9466		0.9512 0		Ö
1500_8			0.9392		0.9452 0		0
1500_9			0.9393		0.9466 0		0
1500_10		0.9332	0.9369	0.9388	0.9453 0	.9515	0
1500_11	0.9175	0.9333	0.9369	0.9407	0.9502 0	.9608	0
1500_12		0.9381	0.9490	0.9451	0.9563 0	.9612	0
1500_13			0.9440		0.9514 0		Ö
1500_14			0.9442		0.9466 0		Ö
1500_15			0.9417		0.9550 0		0
2000_3			0.8447		0.8447 0		0
2000_4			0.8516		0.8617 0		0
2000_5	0.8835	0.8894	0.9003	0.9018	0.9114 0	.9272	0
2000_6	0.9078	0.9233	0.9296	0.9320	0.9454 0	.9512	0
2000_7	0.9223		0.9369		0.9537 0		0
2000_/	0.3223	0.3310	0.3303	0.5.07	0.555, 0	. 5012	Ū
Kanna							
Карра	14-1-1-	1	مرم ما شام م	Maan	2 md 0	Max	NA 1 a
	Min.		Median		3rd Qu.	Max.	
500_3				0.00000			0
500_4				0.11430			0
500_5	0.3211	0.50340	0.51040	0.51790	0.53610	0.6569	0
500_6	0.5676	0.71170	0.73340	0.71580	0.77550	0.7880	0
500_7				0.71790			0
500_8				0.74750			ő
500_8				0.75760			0
500_10				0.73460			0
500_11				0.74880			0
500_12	0.6282	0.68290	0.75050	0.74380	0.78180	0.8798	0
500_13	0.5983	0.64230	0.69820	0.69710	0.73560	0.8352	0
500_14	0.5985	0.70430	0.77210	0.74470	0.78800	0.8352	0
500_15				0.75210			0
1000_3				0.00000			Ö
1000_3				0.08610			Ö
1000_5				0.47450			0
1000_6				0.70970			0
				0.72170			0
1000_8	0.5678	0.71160	0.71170	0.72410	0.76890	0.8299	0
1000_9	0.6569	0.71170	0.73330	0.72800	0.75700	0.8119	0
		0.68470	0.70660	0.73100	0.79340	0.8578	0
				0.73430			Ö
				0.70370			ő
				0.76090			
							0
				0.75750			0
				0.73760			0
1500_3	0.0000	0.00000	0.00000	0.00000	0.00000	0.0000	0
1500_4	0.0000	0.05168	0.05168	0.07030	0.05309	0.2381	0
1500_5	0.3602	0.45160	0.55190	0.53000	0.57920	0.6847	0
1500_6		0.64230					0
1500_7				0.73480		0.7880	Ö
1500_7				0.73460			
							0
1500_9				0.72520			0
				0.72190			0
				0.72960			0
1500_12	0.5676	0.71830	0.77560	0.75140	0.81190	0.8352	0
				0.74330			0
				0.74410			Ö
				0.74410			0

1500\_15 0.5361 0.71160 0.73790 0.74280 0.80420 0.8798

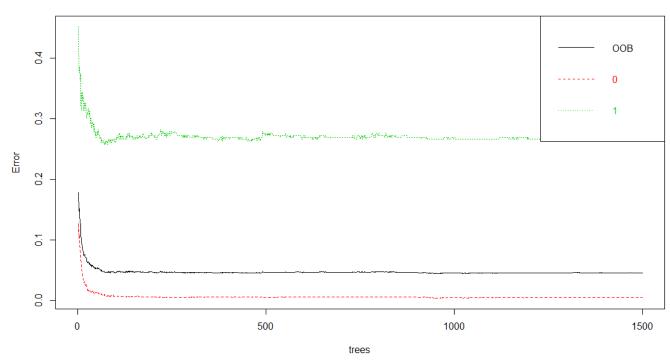
0

From the result we find that the mean accuracy of 94.51%, which is good when ntree is 1500 and with mtry of 12

## 6> Build the model using random forest

```
arf <- randomForest( Attrition ~ .,data = train.new,importance = TRUE,proximity =
   TRUE,ntree =1500, mtry=12, keep.forest = TRUE)
   print(arf)
   call:
    randomForest(formula = Attrition ~ ., data = train.new, importance
   = TRUE,
                 proximity = TRUE, ntree = 1500, mtry = 12, keep.forest
   = TRUE)
                   Type of random forest: classification
                         Number of trees: 1500
   No. of variables tried at each split: 12
           OOB estimate of error rate: 4.57%
   Confusion matrix:
         No Yes class.error
       1730
               9 0.005175388
   No
         85 234 0.266457680
   Yes
7> Plot the model
```

### Error Rates Random Forest hrdata.train



8> Validating the model using deciling and rank order

```
decile <- function(x){</pre>
 deciles <- vector(length=10)
 for (i in seq(0.1,1,.1))
  deciles[i*10] <- quantile(x, i, na.rm=T)
 }
 return (
  ifelse(x<deciles[1], 1,
       ifelse(x<deciles[2], 2,
           ifelse(x<deciles[3], 3,
                ifelse(x<deciles[4], 4,
                    ifelse(x<deciles[5], 5,
                         ifelse(x<deciles[6], 6,
                             ifelse(x<deciles[7], 7,
                                  ifelse(x<deciles[8], 8,
                                       ifelse(x<deciles[9], 9, 10
                                      )))))))))))
train.new$deciles <- decile(train.new$predict.score[,2])</pre>
library(plyr)
x = (count(train.new$Attrition == "No"))$freq + (count(train.new$Attrition == "No"))$freq
x[1]
## Ranking code
train.new$Attrition = factor(
 train.new$Attrition,
 levels = c("Yes", "No"),
 labels = c(1, 0)
train.new$Attrition <-
 as.numeric(as.character(train.new$Attrition))
library(data.table)
```

```
tmp_DT = data.table(train.new)
rank <- tmp_DT[, list(
    cnt = length(Attrition),
    cnt_resp = sum(Attrition),
    cnt_non_resp = sum(Attrition == 1)),
    by=deciles][order(-deciles)]
rank$rrate <- round(rank$cnt_resp * 100 / rank$cnt,2);
rank$cum_resp <- cumsum(rank$cnt_resp)
rank$cum_non_resp <- cumsum(rank$cnt_non_resp)
rank$cum_rel_resp <- round(rank$cum_resp / sum(rank$cnt_resp),2);
rank$cum_rel_non_resp <- round(rank$cum_non_resp / sum(rank$cnt_non_resp),2);
rank$ks <- abs(rank$cum_rel_resp - rank$cum_rel_non_resp);
View(rank)</pre>
```

	deciles ‡	cnt ‡	cnt_resp ‡	cnt_non_resp $^{\diamondsuit}$	rrate ‡	cum_resp ‡	cum_non_resp $^{\diamondsuit}$	cum_rel_resp $^{\diamondsuit}$	cum_rel_non_resp	ks ‡
1	10	207	207	207	100.0	207	207	0.65	0.65	0
2	9	204	112	112	54.9	319	319	1.00	1.00	0
3	8	208	0	0	0.0	319	319	1.00	1.00	0
4	7	221	0	0	0.0	319	319	1.00	1.00	0
5	6	194	0	0	0.0	319	319	1.00	1.00	0
6	5	211	0	0	0.0	319	319	1.00	1.00	0
7	4	210	0	0	0.0	319	319	1.00	1.00	0
8	3	203	0	0	0.0	319	319	1.00	1.00	0
9	2	210	0	0	0.0	319	319	1.00	1.00	0
10	1	190	0	0	0.0	319	319	1.00	1.00	0

From the rank order we find that the first decile rrrate is 100% and has 65% of attrition value. Similarly second decile's rrate is 54.9% and has 100% of attrition value.

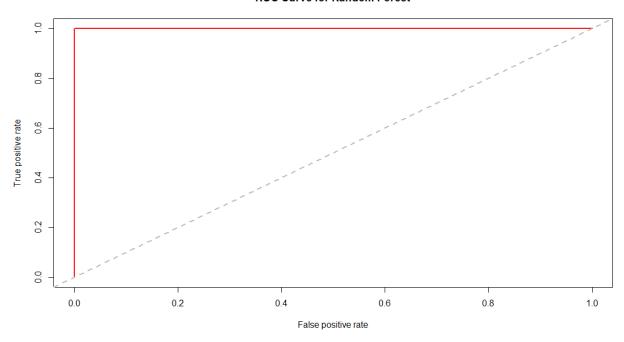
## 3.1 Performance of random forest

```
library(ROCR)
testp4 <- predict(arf,train.new,type = 'prob')[,2]
pred4 <- prediction(testp4,train.new$Attrition)</pre>
```

## 3.1.1 Performance in terms of true and false positive rates

```
perf4 <- performance(pred4,"tpr","fpr")
Plot the curve
plot(perf4,main="ROC Curve for Random Forest",col=2,lwd=2)
abline(a=0,b=1,lwd=2,lty=2,col="gray")</pre>
```

#### **ROC Curve for Random Forest**



# 3.2 Compute area under curve

```
KS <- max(attr(perf4, 'y.values')[[1]]-attr(perf4, 'x.values')[[1]])

auc <- performance(pred4, "auc");

auc <- as.numeric(auc@y.values)

minauc<-min(round(auc, digits = 2))

maxauc<-max(round(auc, digits = 2))

minauct <- paste(c("min(AUC) = "),minauc,sep="")

maxauct <- paste(c("max(AUC) = "),maxauc,sep="")
```

KS value is 1, auc value is 1, minauc, maxauc all values are 1

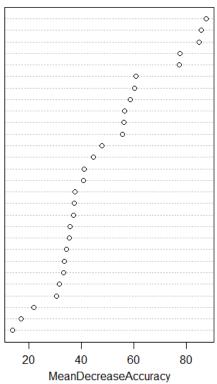
## 3.3 Important variable selection

10> Since the model is validated and the performance was found to be good so we can find out the important variables

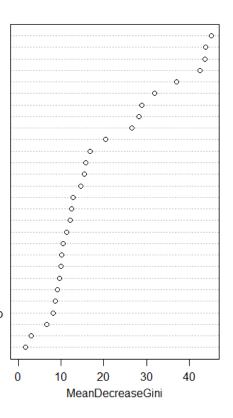
```
print(importance(arf,type = 2))
varImpPlot(arf)
```

arf

DailyRateGroup MonthlyRateGroup Hourly Rate Group DistanceFromHomeGroup AgeGroup PercentSalaryHikeGroup StockOptionLevel YearsAtCompanyGroup TotalWorkingYearsGroup JobRole MonthlyIncomeGroup EducationField NumCompaniesWorkedGroup Joblnvolvement WorkLifeBalance YearsInCurrentRoleGroup YearsWithCurrManagerGroup JobSatisfaction RelationshipSatisfaction Education YearsSinceLastPromotionGroup BusinessTravel EnvironmentSatisfaction TrainingTimesLastYearGroup JobLevel MaritalStatus Department Gender



MonthlyRateGroup DailyRateGroup HourlyRateGroup AgeGroup DistanceFromHomeGroup TotalWorkingYearsGroup YearsAtCompanyGroup PercentSalaryHikeGroup MonthlylncomeGroup JobRole StockOptionLevel EducationField NumCompaniesWorkedGroup YearsWithCurrManagerGroup YearsInCurrentRoleGroup JobSatisfaction EnvironmentSatisfaction 4 6 1 WorkLifeBalance Joblnvolvement TrainingTimesLastYearGroup JobLevel RelationshipSatisfaction BusinessTravel Education YearsSinceLastPromotionGroup MaritalStatus Department Gender



Important variables that contribute to the Attrition as per the data set and random forest are

Number of companies worked, EducationField, MonthlyIncome, JobRole, TotalWorkingYears, YearsAtCompany, StockOptionLevel, PercentSalaryHike,Age, DistanceFromHome, HourlyRate, MonthlyRate, DailyRate.

Least important variables are Marital Status, Department and Gender

## 4. Neural Network

## 4.1 Using nnet package

1> Read the .csv file and create the hrdata data frame

2> We see that there are a total of 2940 observations with 35 variables. There is no NA values in the data. Some variables needs to be converted to factor variables. Lets convert some variables into factor variable.

```
hrdata$Education <- as.factor(hrdata$Education)
hrdata$EnvironmentSatisfaction <-
as.factor(hrdata$EnvironmentSatisfaction)
hrdata$JobInvolvement <- as.factor(hrdata$JobInvolvement)
hrdata$JobSatisfaction <- as.factor(hrdata$JobSatisfaction)
hrdata$PerformanceRating <- as.factor(hrdata$PerformanceRating)
hrdata$RelationshipSatisfaction <-
as.factor(hrdata$RelationshipSatisfaction)
hrdata$WorkLifeBalance <- as.factor(hrdata$WorkLifeBalance)
hrdata$JobLevel <- as.factor(hrdata$JobLevel)
hrdata$StockOptionLevel <- as.factor(hrdata$StockOptionLevel)
```

3> Creating Development and Validation Sample

```
hrdata.sample$split <- runif(nrow(hrdata.sample), 0, 1)
hrdata.sample <- hrdata.sample[order(hrdata.sample$split), ]
```

4> Now, if you view the hrdata.sample dataset again you would notice a new column added at the end.Now, you can split the dataset to training and testing as follows

5> Remove the split columns used for partitioning from both train and test data set

```
hrdata.train <- hrdata.train[, -c(32)]
hrdata.test <- hrdata.test[, -c(32)]
```

6> Convert the numerical values to factor by binning them as follows

```
ApplyQuantile <- function(x) {
    cut(x, breaks = c(quantile(hrdata.train$Age, probs = seq(0, 1, by = 0.10))), include.lowest = TRUE)
}
str(hrdata.train)
hrdata.new.train = hrdata.train
hrdata.train$AgeGroup = sapply(hrdata.train$Age, ApplyQuantile)
str(hrdata.train)
```

- 7> The above code is of Age variable, similarly do it for other numerical variables.
- 8> Fit a Single Hidden Layer Neural Network using Least Squares using nnet package

```
train.nnet <-
nnet(
Attrition ~ .,
train.new,
size = 3,
rang = 0.07,
Hess = FALSE,
decay = 15e-4,
maxit = 250
```

9> Use TEST data for testing the trained model

```
test.nnet <- predict(train.nnet, test.new, type = ("class"))
```

#### 10> MisClassification Confusion Matrix

```
table(test.new$Attrition, test.nnet)
```

```
No Yes
No 573 154
Yes 54 101
```

Misclassification accuracy = 208/882 = 0.2358 = 23.58% and Classification Accuracy is 76.42% 11> One can maximize the Accuracy by changing the "size" while training the neural network. SIZE refers to the number of nodes in the hidden layer.

12> We find 149 as the row number which break ties at random (Maximum position in vector) using following command

```
which.is.max(test.nnet)
```

# 4.2 Using Multinomial log linear models through multinom method

13> Use Multinomial Log Linear models using Neural Networks

```
train.mlln <- multinom(Attrition ~ ., train.new)</pre>
```

14> USe TEST data for testing the trained model

```
test.mlln <- predict(train.mlln, test.new)
```

15> Misclassification or Confusion Matrix

```
table(test.new$Attrition, test.mlln)
```

```
test.mlln
No Yes
No 232 495
Yes 5 150
```

We find that the misclassification error is 500/882 = 56.68 and Classification accuracy is 43.32%

# 4.3 Using neuralnet package

17> Check for all Input Independent Variables to be Integer or Numeric or complex matrix or vector arguments. If they are not any one of these, then tranform them accordingly

```
str(hrdata.train)
str(hrdata.test)
```

18> It can be observed that all are either integer or factor. Now these factors have to be transformed to numeric. One cannot use directly as.numeric() to convert factors to numeric as it has limitations. First, Lets convert factors having character levels to numeric levels.

```
\label{lem:hrdata.transform} \mbox{Attrition} = \mbox{factor}( \mbox{hrdata.transform} \mbox{Attrition}, \mbox{levels} = \mbox{c}("Yes", "No"), \mbox{labels} = \mbox{c}(1, 0) ) \mbox{hrdata.transform} \mbox{BusinessTravel} = \mbox{factor}( \mbox{hrdata.transform} \mbox{BusinessTravel}, \mbox{levels} = \mbox{levels} (\mbox{hrdata.transform} \mbox{BusinessTravel}), \mbox{labels} = \mbox{c}(1, 2, 3) )
```

- 19> The above is just an example, similarly do for other variables. See Appendix section for complete code.
- 20> Now convert these numerical factors into numeric

```
hrdata.transform$Attrition <-
as.numeric(as.character(hrdata.transform$Attrition))
hrdata.transform$BusinessTravel <-
as.numeric(as.character(hrdata.transform$BusinessTravel))
```

- 21> The above is just an example, similarly do for other variables. See Appendix section for complete code.
- 22> Now all the variables are wither intergers or numeric. Now we shall partition the data into train and test data

```
library(caret)
set.seed(1234567)
train2 <-
createDataPartition(hrdata.transform$Attrition, p = 0.7, list = FALSE)
trainnew <- hrdata.transform[train2, ]
testnew <- hrdata.transform[-train2, ]
```

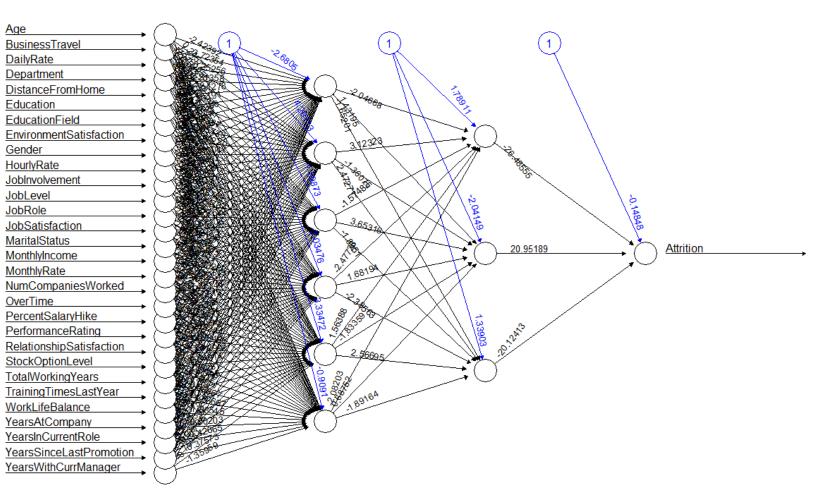
23> In neural network it is adviced to scale the data if the data is not properly distributed or is not normal and we know from the EDA and PCA that the variables has high

standard deviation and also it is not normal. So scale the variables except the Attrition variable.

```
x <- hrdata.transform[,-2]
   nn.devscaled <- scale(x)
   nn.devscaled <- cbind(hrdata.transform[2], nn.devscaled)
   24>
           Now create the scaled training and test sample set
   set.seed(891023)
   train3 <- createDataPartition(nn.devscaled$Attrition, p = 0.7, list = FALSE)
   scaledTraindata <- nn.devscaled[train3, ]</pre>
   scaledTestdata <- nn.devscaled[-train3, ]</pre>
           Now lets run the neuralnet model on Train dataset
   25>
trainnew.nnbp <-
neuralnet(
  Attrition ~ Age + BusinessTravel + DailyRate + Department + DistanceFromHome +
   Education + EducationField + EnvironmentSatisfaction + Gender + HourlyRate +
   JobInvolvement + JobLevel + JobRole + JobSatisfaction + MaritalStatus + \\
   MonthlyIncome + MonthlyRate + NumCompaniesWorked + OverTime + PercentSalaryHike +
   PerformanceRating + RelationshipSatisfaction + StockOptionLevel + TotalWorkingYears +
   TrainingTimesLastYear + WorkLifeBalance + YearsAtCompany + YearsInCurrentRole +
   YearsSinceLastPromotion + YearsWithCurrManager,
  data = scaledTraindata.
  hidden = c(6,3),
  threshold = 0.01,
  err.fct = "sse",
  linear.output = FALSE,
  lifesign = "full",
  lifesign.step = 10,
  stepmax = 1e6
```

### 26> The distribution of the estimated results

- 27> We find the probability distribution is good.
- 28> Smoother the Curve- Better is the model prediction. Plot the trained Neural Network



29> Check your prediction accuracy of training model. Select the columns from the data set that were used to build the model.

```
columnc = c(
 "Age",
 "BusinessTravel",
 "DailyRate",
 "Department",
 "DistanceFromHome",
 "Education",
 "EducationField",
 "EnvironmentSatisfaction",
 "Gender",
 "HourlyRate",
 "JobInvolvement",
 "JobLevel",
 "JobRole",
 "JobSatisfaction",
 "MaritalStatus",
 "MonthlyIncome",
 "MonthlyRate",
 "NumCompaniesWorked",
 "OverTime",
 "PercentSalaryHike",
 "PerformanceRating",
 "RelationshipSatisfaction",
 "StockOptionLevel",
 "TotalWorkingYears",
 "TrainingTimesLastYear",
 "WorkLifeBalance",
 "YearsAtCompany",
 "YearsInCurrentRole",
 "YearsSinceLastPromotion",
 "YearsWithCurrManager"
)
testnew2 <- subset(scaledTestdata, select = columnc)</pre>
```

```
testnew.nnbp <- compute(trainnew.nnbp, testnew2, rep = 1)
30> Create the misclassification confusion matrix
testnew2 <- subset(scaledTestdata, select = columnc)
testnew.nnbp <- compute(trainnew.nnbp, testnew2, rep = 1)
## MisClassification Confusion Matrix
table(testnew$Attrition, testnew.nnbp$net.result)
cbind(testnew$Attrition, testnew.nnbp$net.result)
print(testnew.nnbp)
## Error Computation
misClassTable = data.frame(Attrition = scaledTraindata$Attrition,
              Predict.score = trainnew.nnbp$net.result[[1]])
misClassTable$Predict.class = ifelse(misClassTable$Predict.score > 0.21, 1, 0)
with(misClassTable, table(Attrition, Predict.class))
           Predict.class
 Attrition 0
                      1
           0 1702
                     14
                    274
           1
               68
Misclassification is 82
misclassification error = 82/2058=0.0398=3.98\%
Classification Accuracy=96.02%
library(e1071)
confusionMatrix(misClassTable$Attrition, misClassTable$Predict.class)
Confusion Matrix and Statistics
            Reference
Prediction
              0
          0 1702
                     14
              68 274
          1
                 Accuracy : 0.9601555
                    95% CI: (0.9507817, 0.9681874)
    No Information Rate: 0.8600583
    P-Value [Acc > NIR] : < 0.0000000000000022204
                     Kappa: 0.8465224
 Mcnemar's Test P-Value: 0.00000004831592
              Sensitivity: 0.9615819
              Specificity: 0.9513889
          Pos Pred Value : 0.9918415
          Neg Pred Value : 0.8011696
```

Prevalence : 0.8600583

Data Analysis Report Detection Rate: 0.8270165 Detection Prevalence: 0.8338192 Balanced Accuracy: 0.9564854 'Positive' Class: 0 sum((misClassTable\$Attrition - misClassTable\$Predict.score) ^ 2) / 2 31> The error was calculated to be of value 41.00971486 32> Lets do the rank order with deciling decile <- function(x){ deciles <- vector(length=10)</pre> for (i in seq(0.1,1,.1)) deciles[i\*10] <- quantile(x, i, na.rm=T) return ( ifelse(x<deciles[1], 1, ifelse(x<deciles[2], 2, ifelse(x<deciles[3], 3, ifelse(x<deciles[4], 4, ifelse(x<deciles[5], 5, ifelse(x<deciles[6], 6, ifelse(x<deciles[7], 7, ifelse(x<deciles[8], 8, ifelse(x<deciles[9], 9, 10 )))))))))) ## deciling misClassTable\$deciles <- decile(misClassTable\$Predict.score) ## Ranking code library(data.table) tmp\_DT = data.table(misClassTable) rank <- tmp\_DT[, list(</pre>

cnt = length(Attrition),
cnt\_resp = sum(Attrition),

cnt\_non\_resp = sum(Attrition == 1)) ,

```
by=deciles][order(-deciles)]
rank$rrate <- round (rank$cnt_resp / rank$cnt,2);
rank$cum_resp <- cumsum(rank$cnt_resp)
rank$cum_non_resp <- cumsum(rank$cnt_non_resp)
rank$cum_rel_resp <- round(rank$cum_resp / sum(rank$cnt_resp),2);
rank$cum_rel_non_resp <- round(rank$cum_non_resp / sum(rank$cnt_non_resp),2);
rank$ks <- abs(rank$cum_rel_resp - rank$cum_rel_non_resp)
library(scales)
rank$rrate <- percent(rank$rrate)
rank$cum_rel_resp <- percent(rank$cum_rel_resp)
rank$cum_rel_non_resp <- percent(rank$cum_rel_non_resp)</pre>
```

## View(rank)

	deciles ‡	cnt ‡	cnt_resp <sup>‡</sup>	cnt_non_resp †	rrate ‡	cum_resp †	cum_non_resp †	cum_rel_resp †	cum_rel_
1	10	207	193	193	93%	193	193	56%	56%
2	9	205	81	81	40%	274	274	80%	80%
3	8	206	4	4	2%	278	278	81%	81%
4	7	205	6	6	3%	284	284	83%	83%
5	6	206	6	6	3%	290	290	85%	85%
6	5	206	10	10	5%	300	300	88%	88%
7	4	205	15	15	7%	315	315	92%	92%
8	3	206	9	9	4%	324	324	95%	95%
9	2	207	11	11	5%	335	335	98%	98%
10	1	205	7	7	3%	342	342	100%	100%

33>

36>

First decile has got 93% and is capturing 56% of total attrition value

- 34> Similarly second decile has got 40% and is capturing 80% of total attrition value
- 35> Calculate the MSE value

```
pr.nn1 <- compute(trainnew.nnbp,testnew2)
pr.nn1_ <- pr.nn1$net.result*(max(scaledTestdata$Attrition)-
min(scaledTestdata$Attrition))+min(scaledTestdata$Attrition)
test.r1 <- (scaledTestdata$Attrition)*(max(scaledTestdata$Attrition)-
min(scaledTestdata$Attrition))+min(scaledTestdata$Attrition)
MSE.nn1 <- sum((test.r1 - pr.nn1_)^2)/nrow(scaledTestdata)</pre>
```

The MSE value was found to be 0.0865

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## 4.4 Neural network with another model

Now lets change the model by selecting variables that are important as per random forest and lets see if the model improves or not

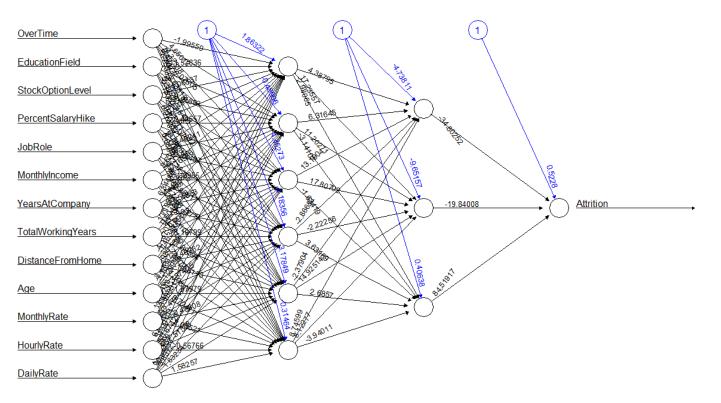
```
neuralnet(
Attrition ~
```

 $Over Time + Education Field + Stock Option Level + Percent Salary Hike + Job Role + Monthly Income + Y \\ ears At Company + Total Working Years + Distance From Home + Age + Monthly Rate + Hourly Rate + Daily Rate,$ 

```
data = scaledTraindata,
hidden = c(6,3),
threshold = 0.01,
err.fct = "sse",
linear.output = FALSE,
lifesign = "full",
lifesign.step = 10,
stepmax = 1e6
```

trainnew.nnbp1 <-

## 38> The model looks as follows



#### 39> Performance evaluation

```
misClassTable1 = data.frame(Attrition = scaledTraindata$Attrition,

Predict.score = trainnew.nnbp1$net.result[[1]])

misClassTable1$Predict.class = ifelse(misClassTable1$Predict.score > 0.21, 1, 0)

with(misClassTable1, table(Attrition, Predict.class))
```

```
Predict.class

Attrition 0 1
0 1687 29
1 102 240
Misclassification is 131
Misclassification error =131/2058=0.0636=6.4%
Classification Accuracy=93.6%(approx)
40> Confusion matrix
confusionMatrix(misClassTable1$Attrition, misClassTable1$Predict.class)
```

#### Confusion Matrix and Statistics

```
Reference
Prediction 0 1
0 1687 29
1 102 240
```

Accuracy: 0.936346

95% CI: (0.9249196, 0.9465089)

No Information Rate: 0.8692906

P-Value [Acc > NIR] : < 0.0000000000000022204

карра: 0.7488472

Mcnemar's Test P-Value: 0.000000003161003

Sensitivity: 0.9429849 Specificity: 0.8921933 Pos Pred Value: 0.9831002 Neg Pred Value: 0.7017544 Prevalence: 0.8692906 Detection Rate: 0.8197279

Detection Prevalence: 0.8338192 Balanced Accuracy: 0.9175891

'Positive' Class: 0

### 41> Error Calculation

sum((misClassTable1\$Attrition - misClassTable1\$Predict.score) ^ 2) / 2

The Error was calculated to be 65.512 % in this model

42> Now lets see the rank order with deciling

#### misClassTable1\$deciles <- decile(misClassTable1\$Predict.score)

```
## Ranking code
tmp DT = data.table(misClassTable1)
rank <- tmp_DT[, list(</pre>
 cnt = length(Attrition),
 cnt_resp = sum(Attrition),
 cnt_non_resp = sum(Attrition == 1)) ,
 by=deciles][order(-deciles)]
rank$rrate <- round (rank$cnt_resp / rank$cnt,2);</pre>
rank$cum_resp <- cumsum(rank$cnt_resp)</pre>
rank$cum_non_resp <- cumsum(rank$cnt_non_resp)</pre>
rank$cum_rel_resp <- round(rank$cum_resp / sum(rank$cnt_resp),2);</pre>
rank$cum_rel_non_resp <- round(rank$cum_non_resp / sum(rank$cnt_non_resp),2);</pre>
rank$ks <- abs(rank$cum rel resp - rank$cum rel non resp)</pre>
library(scales)
rank$rrate <- percent(rank$rrate)</pre>
rank$cum_rel_resp <- percent(rank$cum_rel_resp)</pre>
rank$cum_rel_non_resp <- percent(rank$cum_rel_non_resp)</pre>
View(rank)
```

Rank

	deciles $^{\scriptsize \scriptsize \ddagger}$	cnt ‡	cnt_resp ‡	cnt_non_resp †	rrate ‡	$\text{cum\_resp}\ ^{\diamondsuit}$	$cum\_non\_resp \ ^{\diamondsuit}$	cum_rel_resp $^{\diamondsuit}$	cum_rel_non_resp †	ks ‡
1	10	206	177	177	86%	177	177	52%	52%	0
2	9	207	63	63	30%	240	240	70%	70%	0
3	8	206	12	12	6%	252	252	74%	74%	0
4	7	205	17	17	8%	269	269	79%	79%	0
5	6	206	14	14	7%	283	283	83%	83%	0
6	5	206	14	14	7%	297	297	87%	87%	0
7	4	205	11	11	5%	308	308	90%	90%	0
8	3	206	11	11	5%	319	319	93%	93%	0
9	2	206	9	9	4%	328	328	96%	96%	0
10	1	205	14	14	7%	342	342	100%	100%	0

- 43> First decile has rrrate of 86% and accounts for 52% of Attrition value
- 44> Second decile has rrrate of 30% and accounts for 70% of Attrition value
- 45> MSE value for this model is calculated to be of 0.182

```
column=c(20,8,24,14,21,17,28,25,6,2,18,11,4)
```

pr.nn <- compute(trainnew.nnbp1,scaledTestdata[,column])</pre>

```
pr.nn_<- pr.nn$net.result*(max(scaledTestdata$Attrition)-
min(scaledTestdata$Attrition))+min(scaledTestdata$Attrition)
test.r <- (scaledTestdata$Attrition)*(max(scaledTestdata$Attrition)-
min(scaledTestdata$Attrition))+min(scaledTestdata$Attrition)
```

```
MSE.nn <- sum((test.r - pr.nn_)^2)/nrow(scaledTestdata) \\ MSE.nn
```

46> We then compare the two MSEs

"0.0865254853333442 0.181853376270181"

47> From the above we conclude that the first model is better than the second model.

## 5. Conclusion

- 1> From section 2.1 it is seen that the data set has 2940 observations and each observation has data for 35 variables.
- 2> From section 2.1.1 the data set has data of 1922 Research and Development department employees, 892 Sales employees and 126 Human Resources employees.
- 3> From section 2.1.2 it is seen that out of 2510 entries 474 has a Attrition value of Yes and 2466 has Attrition value as No.
- 4> From section 2.1.3 it is found that the data consists of 1764 male and 1176 female employees which implies that the data consists of 60% of male employees and 40% of female employees.
- 5> From section 2.1.4 it is seen that the data has 71% of the employees who travel rarely,18.8% of employees travel frequently and only 10.2% of employees don't travel at all.
- 6> From section 2.1.5 it is seen that 41.2% of employees are from Life Sciences subject which counts to 1212,31.6% are from medical background which accounts to 928 count, 318 employees are from marketing education background which accounts to 10.8% of the data set,264 employees have technical degree which accounts to 9% of population,164 employees have other education

field which is 5.6% of data and 1.8% of the population are from Human Resources stream which accounts to only 54 employees.

7> From section 2.1.6 it is seen that the data consists of 22.2% of Sales Executive and 19.9 percent of data are of research scientists. Human Resource accounts for 3.5% of data as per job role. As per job role the contribution of each role in the data set are as follows

Healthcare Representative = 262 (8.9% of data set)

Human Resources = 104 (3.5% of data set )

Laboratory Technician = 518 (17.6% of data set)

Manager = 204 (6.9% of data set )

Manufacturing Director = 290 (9.9% of data set)

Research Director = 160 (5.4% of data set)

Research Scientist = 584 (19.9% of data set)

Sales Executive = 652 (22.2% of data set)

Sales Representative =166 (5.6% of data set)

8> From section 2.1.7 it is seen that 45.8% of the population are married ,32% are single and 22.2% of the dataset are divorced and it is good to see that there is no employee whose age is below 18 years of age. All 2940 employees, whose data were taken are of 18 years and above age.

9> From section 2.1.8 it is inferred that the age variable is not much skewed. From the histogram it is seen that the maximum age is 60 and minimum is 18 years. Median is at 36. 75% of the data has age below 43. 50% of the age lie above 36 and 50% lie between 30 and 36 years. Mean is slightly greater than median means the data might be very slightly positively skewed.

10> From section 2.1.9 it is inferred that the daily rate variable is not much skewed. From the histogram it is seen that the maximum daily rate is 1499 unit and minimum is 102 unit. median is at 802. 75% of the data has daily rate below 1157. 50% of the daily rate lie above 1157 and 50% lie between 465 and 802. Mean is slightly greater than median means the data might be very slightly positively skewed.

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- 11> From section 2.1.10 it is inferred that the distance from home variable is skewed. From the histogram it is seen that the data is positively skewed. maximum distance from home value is 29 unit and minimum is 1unit. median is at 7unit. 75% of the data has distance from home value below 14unit. 50% of the data has distance from home value lie above 9.193unit and 50% of value lie between 2unit and 7unit. Mean is greater than median means the data is positively skewed.
- 12> From section 2.1.11 it is inferred that the hourly rate variable is almost normal. From the histogram it is seen that the maximum hourly rate is 100 unit and minimum is 30 unit. median is at 66. 75% of the data has hourly rate below 84unit. 50% of the hourly rate lie above 65.89unitand 50% lie between 48 and 66.
- 13> From section 2.1.12 it is inferred that the monthly income is skewed and also there are more outliers. From the histogram it is seen that the minimum monthly income is 1009 and maximum is 19999 which is an outlier. As there are outliers so we cannot consider any summary data.
- 14> From section 2.1.13 it is inferred that the monthlyrate variable is almost normal. From the histogram it is seen that the maximum monthly rate is 26999 unit and minimum is 2094 unit. median is at 14236unit. 75% of the data has monthly rate below 20462unit. 50% of the hourly rate lie above 14313unit and 50% of data lie between 8045 and 14236.
- 15> From section 2.1.14 it is inferred that the NoOFCompaniesWorked variable is skewed. From the histogram it is seen that the minimum value is 0 and maximum value is 9. median is at 2. 75% of the data has value below 4. 50% of the value lie above 2.693 and 50% of data lie between 1 and 2.
- 16> From section 2.1.16 it is seen that Sales Representative job role has significantly more attrition relative to other job roles.
- 17> From section 2.1.17 it is seen that Job level 1 has higher attrition rates over other levels and after job level 1 job level 3 has maximum attritions.
- 18> From section 2.1.18 it is seen that Attrition rate is higher in those who does overtime than the employees who does not do overtime.
- 19> From section 2.1.19 it is seen that JobInvolvement = 1 has higher attrition than the other.
- 20> From section 2.1.20 it is seen that Attrition is high in frequent traveller employee.

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- 21> From section 2.1.21 it is concluded that attrition is more in Sales representative role who travel frequently and there is no attrition seen in Non-travelling Sales representative. We see no attrition in non-travelling HR,MD, research director .Contradictory to above results we see Managers are happy who travel a lot i.e the data says there is no attrition in Manager job role who travel frequently. Among all the job roles we see there is very minimal attrition rate in Research Director than in other job roles. After non travelling sales representative the data says the second highest attrition is in Human Resource Job role who travel frequently.
- 22> From section 2.1.22 it is seen that there is high attrition among hourly sales representatives and lab technicians.
- 23> From section 2.1.23 it is seen that Attrition rate is high With low work life balance For Lab Technician roles.But the opposite is seen For Sales representative.
- 24> From section 2.1.24 it is seen that highly correlated variables with more than 60% and above corelation factor are MonthlyIncome - TotalWorkingYears with corelation value of 77.2%, Years At Company-Years With Curr Manager with corelation value of 76.9%, Years At Company-Years In Current Role with corelation value of 75.8%, Years In Current Role-Years With Curr Manager with corelation value of 71.4%, Age-TotalWorkingYears with corelation value of 68.03%, TotalWorkingYears-YearsAtCompany with corelation value of 62.8% and YearsAtCompany-YearsSinceLastPromotion with corelation value of 61.8%
- 25> From section 2.1.25 and Principal Component Analysis it is seen that the first principal component explains 27.42% variance. Second component explains 12.9% variance. Third component explains 8.8% variance. Eleventh component explains 2.35% of variance and so on. It is found that Here we see component 1 seems to be influenced DailyRate,MonthlyIncome, TotalWorkingInYears, YearsInCurrentRole, YearsSinceLastPromotion, YearsWithCurrManager. Component 2 is influenced mainly by Age, YearsInCurrentRole, TrainingTimesLastYear. C3 by MonthlyIncome, PercentSalaryHike, TrainingTimesLastYear.C4 by DistanceFromHome, PercentSalaryHike, MonthlyRate, C5 MonthlyRate, PercentSalaryHike, TrainingTimesLastYear, YearsWithCurrManager
- 26> From section 2.1.26 and Factor Analysis it is seen that the important factors are Age, DailyRate, DistanceFromHome, MonthlyRate, MonthlyIncome, Hourlyrate, NumberOfCompa

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 $nies Worked, Percent Salary Hike, Years At Company, Years In Current Role, Years Since Last Promotio\\ n, Years With Curr Manager$ 

27> From section 3, the Random forest model was built whose OOB error was 4.57%

28> From section 3.1, the performance of Random Forest model is as follows KS value is 1, auc value is 1, minauc, maxauc all values are 1

29> From section 3.2 it is seen that Important variables that contribute to the Attrition as per the data set and random forest are

Number of companies worked, EducationField, MonthlyIncome, JobRole, TotalWorkingYears, YearsAtCompany, StockOptionLevel, PercentSalaryHike,Age, DistanceFromHome, HourlyRate, MonthlyRate, DailyRate.

Least important variables are Marital Status, Department and Gender

30> From section 4.3 the neural network model had the classification accuracy of 96.02% and No information rate of 86% and MSE value was 0.0865

31> From section 4.4 the neural network model had the classification accuracy of 93.63% and no information rate of 86.93% and MSE value was found to be 0.182

31> From section 4.3 and 4.4 it is found that the following model is best as per neural network

Attrition ~ Age + BusinessTravel + DailyRate + Department + DistanceFromHome +Education + EducationField + EnvironmentSatisfaction + Gender + HourlyRate +JobInvolvement + JobLevel + JobRole + JobSatisfaction + MaritalStatus +MonthlyIncome + MonthlyRate + NumCompaniesWorked + OverTime + PercentSalaryHike +PerformanceRating + RelationshipSatisfaction + StockOptionLevel + TotalWorkingYears +TrainingTimesLastYear + WorkLifeBalance + YearsAtCompany + YearsInCurrentRole +YearsSinceLastPromotion + YearsWithCurrManager

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# 6. Appendix

## 6.1 Appendix 1

```
library(ggplot2)
library(scales)
library(dplyr)
library(reshape)
library(PerformanceAnalytics)
library(Hmisc)
library(caTools)
setwd("E:\\PGPBA\\PGPBA-GreatLakes\\Modules\\DataMining\\Assignment\\Assignment2")
hrdata = read.csv("HR_Employee_Attrition_Data.csv",header = TRUE,sep = ",")
dim(hrdata)
str(hrdata)
#'data.frame': 2940 obs. of 35 variables:
                    : int 41 49 37 33 27 32 59 30 38 36 ...
#$Age
# $ Attrition
                    : Factor w/ 2 levels "No", "Yes": 2 1 2 1 1 1 1 1 1 1 ...
#$ BusinessTravel
                        : Factor w/ 3 levels "Non-Travel", "Travel_Frequently", ...: 3 2 3 2 3 2 3 2 3 ...
# $ DailyRate
                      : int 1102 279 1373 1392 591 1005 1324 1358 216 1299 ...
# $ Department
                       : Factor w/ 3 levels "Human Resources",..: 3 2 2 2 2 2 2 2 2 2 ...
# $ DistanceFromHome
                           : int 1823223242327...
# $ Education
                      : int 2 1 2 4 1 2 3 1 3 3 ...
# $ EducationField
                        : Factor w/ 6 levels "Human Resources",..: 2 2 5 2 4 2 4 2 2 4 ...
#$EmployeeCount
                         : int 1111111111...
                          : int 12345678910...
#$EmployeeNumber
# $ EnvironmentSatisfaction: int 2344143443...
# $ Gender
                     : Factor w/ 2 levels "Female", "Male": 1 2 2 1 2 2 1 2 2 2 ...
```

# \$ HourlyRate : int 94 61 92 56 40 79 81 67 44 94 ...

# \$ JobInvolvement : int 3 2 2 3 3 3 4 3 2 3 ...

#\$JobLevel : int 2 2 1 1 1 1 1 1 3 2 ...

#\$ JobRole : Factor w/ 9 levels "Healthcare Representative",..: 8 7 3 7 3 3 3 3 5 1 ...

# \$ JobSatisfaction : int 4 2 3 3 2 4 1 3 3 3 ...

# \$ MaritalStatus : Factor w/ 3 levels "Divorced", "Married",..: 3 2 3 2 2 3 2 1 3 2 ...

# \$ MonthlyIncome : int 5993 5130 2090 2909 3468 3068 2670 2693 9526 5237 ...

#\$ MonthlyRate : int 19479 24907 2396 23159 16632 11864 9964 13335 8787 16577 ...

# \$ NumCompaniesWorked : int 8 1 6 1 9 0 4 1 0 6 ...

#\$ Over18 : Factor w/ 1 level "Y": 1 1 1 1 1 1 1 1 1 1 ...

#\$ OverTime : Factor w/ 2 levels "No", "Yes": 2 1 2 2 1 1 2 1 1 1 ...

# \$ PercentSalaryHike : int 11 23 15 11 12 13 20 22 21 13 ...

# \$ PerformanceRating : int 3 4 3 3 3 3 4 4 4 3 ...

#\$ RelationshipSatisfaction: int 1423431222...

# \$ StandardHours : int 80 80 80 80 80 80 80 80 80 80 ...

# \$ StockOptionLevel : int 0 1 0 0 1 0 3 1 0 2 ...

# \$ TotalWorkingYears : int 8 10 7 8 6 8 12 1 10 17 ...

#\$TrainingTimesLastYear: int 03333232323...

# \$ WorkLifeBalance : int 1 3 3 3 3 2 2 3 3 2 ...

# \$ YearsAtCompany : int 6 10 0 8 2 7 1 1 9 7 ...

# \$ YearsInCurrentRole : int 4 7 0 7 2 7 0 0 7 7 ...

#\$ YearsSinceLastPromotion: int 0103230017...

# \$ YearsWithCurrManager : int 5 7 0 0 2 6 0 0 8 7 ...

# we see that there are a total of 2940 observations with 35 variables. There is no NA values in the data. Some variables needs to be converted to factor variables.

#Lets convert some variables into factor variable.

hrdata = hrdata[,-c(9,10,27)]

hrdata\$Education <- as.factor(hrdata\$Education)</pre>

```
hrdata$EnvironmentSatisfaction <--
```

```
as.factor(hrdata$EnvironmentSatisfaction)
```

hrdata\$JobInvolvement <- as.factor(hrdata\$JobInvolvement)</pre>

hrdata\$JobSatisfaction <- as.factor(hrdata\$JobSatisfaction)</pre>

hrdata\$PerformanceRating <- as.factor(hrdata\$PerformanceRating)

hrdata\$RelationshipSatisfaction <-

```
as.factor(hrdata$RelationshipSatisfaction)
```

hrdata\$WorkLifeBalance <- as.factor(hrdata\$WorkLifeBalance)</pre>

hrdata\$JobLevel <- as.factor(hrdata\$JobLevel)</pre>

hrdata\$StockOptionLevel <- as.factor(hrdata\$StockOptionLevel)</pre>

str(hrdata)

# 'data.frame': 2940 obs. of 35 variables:

# \$ Age : int 41 49 37 33 27 32 59 30 38 36 ...

#\$ Attrition : Factor w/ 2 levels "No", "Yes": 2 1 2 1 1 1 1 1 1 1 ...

#\$ BusinessTravel : Factor w/ 3 levels "Non-Travel", "Travel\_Frequently",..: 3 2 3 2 3 2 3 2 3 ...

# \$ DailyRate : int 1102 279 1373 1392 591 1005 1324 1358 216 1299 ...

# \$ Department : Factor w/ 3 levels "Human Resources",..: 3 2 2 2 2 2 2 2 2 2 ...

# \$ DistanceFromHome : int 1 8 2 3 2 2 3 24 23 27 ...

# \$ Education : Factor w/ 5 levels "1","2","3","4",..: 2 1 2 4 1 2 3 1 3 3 ...

#\$ EducationField : Factor w/ 6 levels "Human Resources"...: 2 2 5 2 4 2 4 2 2 4 ...

# \$ EmployeeCount : int 1 1 1 1 1 1 1 1 1 ...

# \$ EmployeeNumber : int 1 2 3 4 5 6 7 8 9 10 ...

# \$ EnvironmentSatisfaction : Factor w/ 4 levels "1", "2", "3", "4": 2 3 4 4 1 4 3 4 4 3 ...

# \$ Gender : Factor w/ 2 levels "Female", "Male": 1 2 2 1 2 2 1 2 2 2 ...

# \$ HourlyRate : int 94 61 92 56 40 79 81 67 44 94 ...

#\$ JobInvolvement : Factor w/ 4 levels "1","2","3","4": 3 2 2 3 3 3 4 3 2 3 ...

#\$ JobLevel : Factor w/ 5 levels "1","2","3","4",..: 2 2 1 1 1 1 1 1 3 2 ...

#\$ JobRole : Factor w/9 levels "Healthcare Representative"...: 8 7 3 7 3 3 3 3 5 1 ...

#\$ JobSatisfaction : Factor w/ 4 levels "1", "2", "3", "4": 4 2 3 3 2 4 1 3 3 3 ...

# \$ MaritalStatus : Factor w/ 3 levels "Divorced", "Married",...: 3 2 3 2 2 3 2 1 3 2 ...

#\$ MonthlyIncome : int 5993 5130 2090 2909 3468 3068 2670 2693 9526 5237 ...

#\$ MonthlyRate : int 19479 24907 2396 23159 16632 11864 9964 13335 8787 16577 ...

# \$ NumCompaniesWorked : int 8 1 6 1 9 0 4 1 0 6 ...

#\$ Over18 : Factor w/ 1 level "Y": 1 1 1 1 1 1 1 1 1 1 ...

#\$ OverTime : Factor w/ 2 levels "No", "Yes": 2 1 2 2 1 1 2 1 1 1 ...

# \$ PercentSalaryHike : int 11 23 15 11 12 13 20 22 21 13 ...

# \$ PerformanceRating : Factor w/ 2 levels "3","4": 1 2 1 1 1 1 2 2 2 1 ...

# \$ RelationshipSatisfaction: Factor w/ 4 levels "1","2","3","4": 1 4 2 3 4 3 1 2 2 2 ...

# \$ StandardHours : int 80 80 80 80 80 80 80 80 80 80 ...

#\$ StockOptionLevel : Factor w/ 4 levels "0","1","2","3": 1 2 1 1 2 1 4 2 1 3 ...

# \$ TotalWorkingYears : int 8 10 7 8 6 8 12 1 10 17 ...

#\$TrainingTimesLastYear: int 03333232323...

# \$ WorkLifeBalance : Factor w/ 4 levels "1", "2", "3", "4": 1 3 3 3 3 2 2 3 3 2 ...

# \$ YearsAtCompany : int 6 10 0 8 2 7 1 1 9 7 ...

# \$ YearsInCurrentRole : int 4707270077 ...

#\$ YearsSinceLastPromotion: int 0103230017...

# \$ YearsWithCurrManager : int 5 7 0 0 2 6 0 0 8 7 ...

sapply(hrdata, is.numeric)

# Age Attrition BusinessTravel DailyRate

# TRUE FALSE FALSE TRUE

# Department DistanceFromHome Education EducationField

# FALSE TRUE FALSE FALSE

# EmployeeCount EmployeeNumber EnvironmentSatisfaction Gender

# TRUE TRUE FALSE FALSE

# HourlyRate JobInvolvement JobLevel JobRole

# TRUE FALSE FALSE FALSE

# JobSatisfaction MaritalStatus MonthlyIncome MonthlyRate

# FALSE **FALSE** TRUE **TRUE** # NumCompaniesWorked Over18 PercentSalaryHike OverTime #TRUE **FALSE FALSE TRUE** # PerformanceRating RelationshipSatisfaction StandardHours StockOptionLevel **FALSE FALSE** # FALSE TRUE # TotalWorkingYears TrainingTimesLastYear WorkLifeBalance YearsAtCompany **TRUE** # TRUE **FALSE TRUE** # YearsInCurrentRole YearsSinceLastPromotion YearsWithCurrManager # TRUE **TRUE TRUE** summary(hrdata) counts <- table(hrdata\$Department) bp = barplot(counts, main="Employee distribution by department", xlab="Number of Employees") ## Add text at top of bars text(x = bp, y = counts, label = counts, pos = 1, cex = 0.8, col = "red")## Add x-axis labels countsAttrition <- table(hrdata\$Attrition)</pre> bpAttr = barplot(countsAttrition, main="Attrition Count", xlab="Count") ## Add text at top of bars text(x = bpAttr, y = countsAttrition, label = countsAttrition, pos = 1, cex = 0.8, col = "red")countsbygender <- table(hrdata\$Gender)</pre> bpSex = barplot(countsbygender, main="Gender Count", xlab="Count") ## Add text at top of bars text(x = bpSex, y = countsbygender, label = countsbygender, pos = 1, cex = 0.8, col = "red")library(plotrix)

```
slices <- table(hrdata$Gender)</pre>
 lbls <- names(slices)
 pct <- prop.table(slices)*100
 lbls <- paste(lbls, pct) # add percents to labels
 lbls <- paste(lbls,"%",sep="") # ad % to labels
 pie3D(slices, labels = lbls, explode = 0.1, main="gender ratio")
 countsbyBusinessTravle <- table(hrdata$BusinessTravel)</pre>
 bpBt = barplot(countsbyBusinessTravle, main="Count by Business Travel", xlab="Count")
 ## Add text at top of bars
 text(x = bpBt, y = countsbyBusinessTravle, label = countsbyBusinessTravle, pos = 1, cex = 0.8, col = 0.8
"red")
 lbls <- names(countsbyBusinessTravle)
 pct <- round(prop.table(countsbyBusinessTravle)*100,1)</pre>
 lbls <- paste(lbls, pct) # add percents to labels
 lbls <- paste(lbls,"%",sep="") # ad % to labels
 pie3D(countsbyBusinessTravle,labels = lbls,explode = 0.1, main="Distribution by Business travel")
 countsbyEF <- table(hrdata$EducationField)</pre>
 bpBt = barplot(countsbyEF, main="Count by Education field", xlab="Count",las=2,cex.names =
0.5, beside = TRUE)
 ## Add text at top of bars
 text(x = bpBt, y = countsbyEF, label = countsbyEF, pos = 1, cex = 0.5, col = "red")
 lbls <- names(countsbyEF)
 pct <- round(prop.table(countsbyEF)*100,1)</pre>
 lbls <- paste(lbls, pct) # add percents to labels
 lbls <- paste(lbls,"%",sep="") # ad % to labels
 oldpar=par()
 par(cex=0.3)
```

```
pie3D(countsbyEF,labels = lbls,explode = 0.1, main="Distribution by Education field")
 dev.off()
 par(oldpar)
 summary(hrdata$EducationField)
countsbyjobrole <- table(hrdata$JobRole)
 bpJr = barplot(countsbyjobrole, main="Count by Job Role", xlab="Count",las=2,cex.names = 0.5,beside
= TRUE)
## Add text at top of bars
 text(x = bpJr, y = countsbyjobrole, label = countsbyjobrole, pos = 1, cex = 0.5, col = "red")
lbls <- names(countsbyjobrole)
 pct <- round(prop.table(countsbyjobrole)*100,1)</pre>
lbls <- paste(lbls, pct) # add percents to labels
lbls <- paste(lbls,"%",sep="") # ad % to labels
oldpar=par()
 par(cex=0.3)
 pie3D(countsbyjobrole,labels = lbls,explode = 0.1, main="Distribution by Job Role")
 dev.off()
 par(oldpar)
 summary(hrdata$JobRole)
distrByMaritalStat <- table(hrdata$MaritalStatus)
lbls <- names(distrByMaritalStat)</pre>
 pct <- round(prop.table(distrByMaritalStat)*100,1)</pre>
lbls <- paste(lbls, pct) # add percents to labels
lbls <- paste(lbls,"%",sep="") # ad % to labels
 oldpar=par()
 par(cex=0.3)
```

```
pie3D(distrByMaritalStat,labels = lbls,explode = 0.1, main="Distribution by Marital Status")
dev.off()
par(oldpar)
```

# Age Attrition BusinessTravel DailyRate Department DistanceFromHome

# Min. :18.00 No :2466 Non-Travel : 300 Min. : 102.0 Human Resources : 126 Min. : 1.000

# 1st Qu.:30.00 Yes: 474 Travel\_Frequently: 554 1st Qu.: 465.0 Research & Development:1922 1st Qu.: 2.000

# Median : 36.00 Travel\_Rarely : 2086 Median : 802.0 Sales : 892 Median : 7.000

# Mean : 36.92 Mean : 802.5 Mean : 9.193

# 3rd Qu.:43.00 3rd Qu.:1157.0 3rd Qu.:14.000

# Max. :60.00 Max. :1499.0 Max. :29.000

#

# 1: 340 Human Resources: 54 Min. :1 Min. : 1.0 1:568 Female:1176

# 2: 564 Life Sciences :1212 1st Ou.: 1 1st Ou.: 735.8 2:574 Male :1764

# 3:1144 Marketing : 318 Median :1 Median :1470.5 3:906

# 4: 796 Medical : 928 Mean :1 Mean :1470.5 4:892

# 5: 96 Other : 164 3rd Qu.:1 3rd Qu.:2205.2

# Technical Degree: 264 Max. :1 Max. :2940.0

#

# HourlyRate JobInvolvement JobLevel JobRole JobSatisfaction MaritalStatus

# Min. : 30.00 1: 166 1:1086 Sales Executive :652 1:578 Divorced: 654

# 1st Qu.: 48.00 2: 750 2:1068 Research Scientist :584 2:560 Married :1346

# Median: 66.00 3:1736 3: 436 Laboratory Technician :518 3:884 Single: 940

# Mean : 65.89 4: 288 4: 212 Manufacturing Director :290 4:918

# 3rd Qu.: 84.00 5: 138 Healthcare Representative: 262

# Max. :100.00 Manager :204

# (Other) :430

# MonthlyIncome MonthlyRate NumCompaniesWorked Over18 OverTime PercentSalaryHike PerformanceRating

# Min.: 1009 Min.: 2094 Min.: 0.000 Y:2940 No: 2108 Min.: 11.00 3:2488

# 1st Qu.: 2911 1st Qu.: 8045 1st Qu.:1.000 Yes: 832 1st Qu.:12.00 4: 452

# Median : 4919 Median :14236 Median :2.000 Median :14.00

# Mean : 6503 Mean :14313 Mean :2.693 Mean :15.21

# 3rd Qu.: 8380 3rd Qu.:20462 3rd Qu.:4.000 3rd Qu.:18.00

# Max. :19999 Max. :26999 Max. :9.000 Max. :25.00

#

# RelationshipSatisfaction StandardHours StockOptionLevel TotalWorkingYears TrainingTimesLastYear WorkLifeBalance

# 1:552 Min. :80 0:1262 Min. : 0.00 Min. :0.000 1: 160

# 2:606 1st Qu.:80 1:1192 1st Qu.: 6.00 1st Qu.:2.000 2: 688

# 3:918 Median :80 2: 316 Median :10.00 Median :3.000 3:1786

# 4:864 Mean :80 3: 170 Mean :11.28 Mean :2.799 4: 306

# 3rd Qu.:80 3rd Qu.:15.00 3rd Qu.:3.000

# Max. :80 Max. :40.00 Max. :6.000

#

# YearsAtCompany YearsInCurrentRole YearsSinceLastPromotion YearsWithCurrManager

# Min. : 0.000 Min. : 0.000 Min. : 0.000 Min. : 0.000

# 1st Qu.: 3.000 1st Qu.: 2.000 1st Qu.: 0.000 1st Qu.: 2.000

# Median : 5.000 Median : 3.000 Median : 1.000 Median : 3.000

# Mean : 7.008 Mean : 4.229 Mean : 2.188 Mean : 4.123

# 3rd Qu.: 9.000 3rd Qu.: 7.000 3rd Qu.: 3.000 3rd Qu.: 7.000

# Max. :40.000 Max. :18.000 Max. :15.000 Max. :17.000

age = hrdata[,1]

boxplot(age,main = "box plot of age")

hist(age,main = "histogram of the age")

dailyrate = hrdata[,4]

```
boxplot(age,main = "box plot of daily rate")
hist(age,main = "histogram of the daily rate")
distanceFromHome = hrdata[,6]
boxplot(distanceFromHome,main = "box plot of distance from home")
hist(distanceFromHome,main = "histogram of the distance from home")
hourlyrate = hrdata[,13]
boxplot(hourlyrate,main = "box plot of hourly rate")
hist(hourlyrate,main = "histogram of hourly rate")
monthlyincome = hrdata[,19]
boxplot(monthlyincome,main = "box plot of monthly income")
hist(monthlyincome,main = "histogram of monthly income")
monthlyrate = hrdata[,20]
boxplot(monthlyrate,main = "box plot of monthly rate")
hist(monthlyrate,main = "histogram of monthly rate")
numberOfCompaniesWorked = hrdata[,21]
boxplot(numberOfCompaniesWorked,main = "box plot of no.of companies worked")
hist(numberOfCompaniesWorked,main = "histogram of no.of companies worked")
#Hypothesis
#Ho= Job role doesnot affect the Attrition or Attrition is independent of jobrole or there is no strong
corelation between jobrole and Attrition
#Ha= There is a strong corelation between Attrition and JobRole or Attrion and job role are not
independent or job role affect the attrition rate
library("MASS")
tbl.jrattr=table(hrdata$JobRole,hrdata$Attrition)
```

```
chisq.test(tbl.jrattr)
# Pearson's Chi-squared test
# data: tbl.jrattr
\# X-squared = 172.38, df = 8, p-value < 2.2e-16
#Since p<0.05 so we reject null and accept alternate hypothesis. We conclude that there is strong
corelation between Attrition and job role
#Attrition rate across job roles
ggplot(hrdata, aes(x = JobRole, fill = Attrition)) + stat\_count(width = 0.5) +
 xlab("Job Role") + ylab("Count") + labs(fill = "Attrition")
ggplot(hrdata, aes(x = JobRole)) + geom_bar(aes(fill = Attrition), position = 'fill') +
 scale y continuous(labels = percent format())
#Ho= Job level doesnot affect the Attrition or Attrition is independent of job level or there is no strong
corelation between joblevel and Attrition
#Ha= There is a strong corelation between Attrition and JobLevel or Attrion and job level are not
independent or job level affect the attrition rate
tbl.jlattr=table(hrdata$Attrition,hrdata$JobLevel)
chisq.test(tbl.jlattr)
# Pearson's Chi-squared test
#
# data: tbl.ilattr
\# X-squared = 145.06, df = 4, p-value < 2.2e-16
#Attrition rate across job labels
ggplot(hrdata, aes(x = JobLevel)) + geom_bar(aes(fill = Attrition), position = 'fill') +
 scale_y_continuous(labels = percent_format())
```

#Ho= Overtime doesnot affect the Attrition or Attrition is independent of Overtime or there is no strong corelation between Overtime and Attrition

#Ha= There is a strong corelation between Attrition and Overtime or Attrion and Overtime are not independent or Overtime affect the attrition rate

```
tbl.otattr=table(hrdata$OverTime,hrdata$Attrition)
chisq.test(tbl.otattr)
# Pearson's Chi-squared test with Yates' continuity correction
#
# data: tbl.otattr
\# X-squared = 176.61, df = 1, p-value < 2.2e-16
#p value is less than 0.05 and hence we reject the null and accept the alt. hypothesis
#Attrition rate by overtime value
ggplot(hrdata, aes(x = OverTime)) + geom_bar(aes(fill = Attrition), position = 'fill') +
 scale_y_continuous(labels = percent_format())
#Ho= Job involvement doesnot affect the Attrition or Attrition is independent of JobInvolvement or there
is no strong corelation between JobInvolvement and Attrition
#Ha= There is a strong corelation between Attrition and JobInvolvement or Attrion and JobInvolvement
are not independent or JobInvolvement affect the attrition rate
tbl.jinattr=table(hrdata$Attrition,hrdata$JobInvolvement)
tbl.jinattr
chisq.test(tbl.jinattr)
#p value is less than 0.05 and hence we reject the null and accept the alt. hypothesis
#Attrition rate by JobInvolvement
ggplot(hrdata, aes(x = JobInvolvement)) + geom_bar(aes(fill = Attrition), position = 'fill') +
 scale_y_continuous(labels = percent_format())
```

```
#Ho= Business Travel doesnot affect the Attrition or Attrition is independent of Business Travel or there is no strong corelation between Business Travel and Attrition

#Ha= There is a strong corelation between Attrition and Business Travel or Attrion and Business Travel are not independent or Business Travel affect the attrition rate

tbl.btnattr=table(hrdata$Attrition,hrdata$BusinessTravel)

print(chisq.test(tbl.btnattr))
```

#p value is less than 0.05 and hence we reject the null and accept the alt. hypothesis

```
#Attrition rate by BusinessTravel
ggplot(hrdata, aes(x = BusinessTravel)) + geom_bar(aes(fill = Attrition), position = 'fill') +
scale_y_continuous(labels = percent_format())
```

##Attrition rate by Business Travel and Jobrole

```
library(reshape)
```

```
hrdata.m = melt(hrdata)
```

```
ggplot(hrdata.m, aes(x = BusinessTravel)) + geom_bar(aes(fill = Attrition),position = 'fill') + scale_y_continuous(labels = percent_format()) + facet_wrap( ~ JobRole)
```

##Attrition rate by overtime and Jobrole

```
ggplot(hrdata.m, aes(x = OverTime)) + geom_bar(aes(fill = Attrition),position = 'fill') +
scale_y_continuous(labels = percent_format()) + facet_wrap( ~ JobRole)
```

##Attrition rate by Worklife balance and Jobrole

```
ggplot(hrdata.m, aes(x = WorkLifeBalance)) + geom_bar(aes(fill = Attrition),position = 'fill') + scale_y_continuous(labels = percent_format()) + facet_wrap( ~ JobRole)
```

# Code: standard deviation to determine if we need to scale sapply(hrdata, sd)

# Age	Attrition E	BusinessTravel	DailyRate	
# 9.1338192	0.3678004	0.6653417	403.4404468	
# Department	DistanceFromHo	ome Education	n Education	Field
# 0.5277025	8.1054851	1.0239907	1.3311426	
# EmployeeCount	EmployeeN	Number EnvironmentS	Satisfaction	Gender
# 0.0000000	848.8492210	1.0928962	0.4899813	
# HourlyRate	JobInvolvement	JobLevel	JobRole	
# 20.3259687	0.7114401	1.1067516	2.4614024	
# JobSatisfaction	MaritalStati	us MonthlyInco	me Monthlyl	Rate
# 1.1026585	0.7299965	4707.1557696	7116.575021	13
# NumCompanies	Worked Ove	er18 OverTin	ne PercentSal	aryHike
# 2.4975840	0.0000000	0.4505298	3.6593150	
# PerformanceRati	ing RelationshipSa	atisfaction Standar	rdHours Stoc	kOptionLevel
# 0.3607621	1.0810249	0.0000000	0.8519317	
# TotalWorkingYears TrainingTimesLastYear WorkLifeBalance YearsAtCompany				
# 7.7794579	1.2890513	0.7063556	6.1254828	
# YearsInCurrentRole YearsSinceLastPromotion YearsWithCurrManager				
# 3.6225206	3.2218820	3.5675290		

#We see significant difference in SD in our variables so lets scale the data

backup = hrdata

numeric.columns = backup[,unlist(lapply(backup,is.numeric))]

scaled.numeric.columns = scale(numeric.columns)

backup[,unlist(lapply(backup,is.numeric))] = scaled.numeric.columns

hrdatascaled = backup

hrdatascaled.clean = hrdatascaled[,-c(9,27)]

 $hr data scaled. clean. numeric only = hr data scaled. clean \cite{thmoso}, unlist \cite{thmoso} (lapply \cite{thmoso}, lapply \cite{thmoso}, lapply \cite{thmoso}) \cite{thmoso} )$ 

# Code: get the most highly correlated variables

```
hrdataHighCorr <- function(df)</pre>
{
 # find the correlations
 cor.matrix <- cor(df)
 # set the correlations on the diagonal or lower triangle to zero,
 # so they will not be reported as the highest ones:
 diag(cor.matrix) <- 0
 cor.matrix[lower.tri(cor.matrix)] <- 0
 # flatten the matrix into a dataframe for easy sorting
 fm <- as.data.frame(as.table(cor.matrix))
 # assign human-friendly names
 names(fm) <- c("First. Variable", "Second. Variable", "Correlation")
 # sort and print the top n correlations
 df = fm[order(abs(fm$Correlation),decreasing = T),]
 res = subset(df, ((df$Correlation >= 0.5 &
             df$Correlation <= 1) |
             (df$Correlation >= -1 & df$Correlation <= -0.5)
 ))
 res
hrdataHighCorr(numeric.columns)
#
          First.Variable
                            Second. Variable Correlation
# 194
           MonthlyIncome
                               TotalWorkingYears 0.7728932
# 286
           YearsAtCompany YearsWithCurrManager 0.7692124
# 252
                               YearsInCurrentRole 0.7587537
           YearsAtCompany
# 287
         YearsInCurrentRole YearsWithCurrManager 0.7143648
# 188
                          TotalWorkingYears 0.6803805
                 Age
# 233
         TotalWorkingYears
                                  YearsAtCompany 0.6281332
# 269
           YearsAtCompany YearsSinceLastPromotion 0.6184089
# 270
         YearsInCurrentRole YearsSinceLastPromotion 0.5480562
```

```
# 228
            MonthlyIncome
                                   YearsAtCompany 0.5142848
# 288 YearsSinceLastPromotion YearsWithCurrManager 0.5102236
\#mydata = numeric.columns[,c(1,7,12,14,15,16,17)]
library(PerformanceAnalytics)
correlationf <-
 function (R, histogram = TRUE, method = c("pearson", "kendall",
                           "spearman"), ...)
  x = checkData(R, method = "matrix")
  if (missing(method))
    method = method[1]
  panel.cor <-
    function(x, y, digits = 2, prefix = "", use = "pairwise.complete.obs",
         method, cex.cor, ...) {
     usr <- par("usr")
     on.exit(par(usr))
     par(usr = c(0, 1, 0, 1))
     r < -cor(x, y, use = use, method = method)
     txt < -format(c(r, 0.123456789), digits = digits)[1]
     txt <- paste(prefix, txt, sep = "")
     if (missing(cex.cor))
      cex <- 0.8 / strwidth(txt)
     test <- cor.test(x, y, method = method)
     Signif <- symnum(
      test$p.value, corr = FALSE, na = FALSE,
      cutpoints = c(0, 0.001, 0.01, 0.05, 0.1, 1), symbols = c("***", 0.05, 0.1, 1)
                                          "**", "*", ".", " ")
     )
     text(0.5, 0.5, txt, cex = cex * (abs(r) + 1) / 1.3)
```

```
text(0.8, 0.8, Signif, cex = cex, col = 2)
   }
  f <- function(t) {
   dnorm(t, mean = mean(x), sd = sd.xts(x))
  }
  hist.panel = function(x, ...) {
   par(new = TRUE)
   hist(
    x, col = "light gray", probability = TRUE, axes = FALSE,
    main = "", breaks = "FD"
   )
   lines(density(x, na.rm = TRUE), col = "red", lwd = 1)
   rug(x)
  }
  if (histogram)
   pairs(
    x, gap = 0, lower.panel = panel.smooth, upper.panel = panel.cor,
    diag.panel = hist.panel, method = method, ...
   )
  else
   pairs(
    x, gap = 0, lower.panel = panel.smooth, upper.panel = panel.cor,
    method = method, ...
   )
correlationf(numeric.columns, histogram = TRUE, pch = '+',cex.cor.scale = 100)
#PCA
backup.hrdata = hrdata
```

## Data Analysis Report

```
hrdatanumericonly = backup.hrdata[,unlist(lapply(backup.hrdata,is.numeric))]
hrdatanumericonly = hrdatanumericonly[,-c(4,11)]
hrdata.pca <- prcomp(hrdatanumericonly,scale. = T)
print(hrdata.pca)
summary(hrdata.pca)
biplot(hrdata.pca)
std_dev <- hrdata.pca$sdev
pr_var <- std_dev ^ 2
#Eigen Values
pr_var
# [1] 4.0168448 1.6502343 1.0689120 1.0599450 1.0240371 1.0013568 0.9772699 0.9449862 0.9168311
0.7223793 0.5306896
# [12] 0.4698434 0.2832211 0.1933840 0.1400655
#We aim to find the components which explain the maximum variance. This is because, we want to retain
as much information as possible using these components. So, higher is the explained variance, higher will
be the information contained in those components.
```

#To compute the proportion of variance explained by each component, we simply divide the variance by sum of total variance. This results in:

```
prop_varex <- pr_var / sum(pr_var)</pre>
```

prop\_varex

#[1] 0.26778965 0.11001562 0.07126080 0.07066300 0.06826914 0.06675712 0.06515133 0.06299908 0.06112207 0.04815862

# [11] 0.03537931 0.03132289 0.01888140 0.01289226 0.00933770

#This shows that first principal component explains 26.8% variance. Second component explains 11% variance. Third component explains 7.12% variance. Eleventh component explains 3.5% of variance and so on. So, how do we decide how many components should we select for modeling stage?

## Data Analysis Report

#The answer to this question is provided by a scree plot. A scree plot is used to access components or factors which explains the most of variability in the data. It represents values in descending order. plot(prop\_varex, xlab = "Principal Component", ylab = "Proportion of Variance Explained",type = "b") minor.tick(nx = 1, tick.ratio = 1)minor.tick(ny = 1, tick.ratio = 1)#From the plot it is seen that ~4 components 98% of variance is explained plot(hrdata.pca) #From the plot it is confirmed that ~4 components 98% of variance is explained hrdata.pca\$rotation[,1:5] #Here we see component 1 seems to be influenced TotalWorkingYears and YearsAtTheCompany. Component 2 is influenced mainly by Age and NumberOfCompaniesWorked. C3 by DistanceFromHome,PercentSalaryHike and TrainingTimesLastYear. #C4 by DailyRate and MonthlyRate, C5 by hourly rate and salary hike. #C6 by SalaryHike and TrainingTime, C7 by monthly rate, C8 by Daily rate and Hourly rate, C9 by Distance from Home, C10 by Number Of Companies Worked #C11 by YearsSinceLastPromotion and C12 by Age,MonthlyIncome, YearsWithCurrentManager #Lets do some factor analysis fit.3 <factanal(hrdatascaled.clean.numericonly,factors = 3,rotation = "varimax") fit.3 fit.4 <factanal(hrdatascaled.clean.numericonly,factors = 4,rotation = "varimax") fit.4 fit.5 <factanal(hrdatascaled.clean.numericonly,factors = 5,rotation = "varimax") fit.5

```
fit.6 <-
```

```
factanal(hrdatascaled.clean.numericonly,factors = 6,rotation = "varimax")
```

fit.6

```
fit.7 <- factanal(hrdatascaled.clean.numericonly,factors = 7,rotation = "varimax")
```

```
# We can "clean up" the factor pattern in several ways. One way is to hide small
```

# loadings, to reduce the visual clutter in the factor pattern. Another is to reduce the

# number of decimal places from 3 to 2. A third way is to sort the loadings to make the

# simple structure more obvious. The following command does all three.

```
print(fit.6, digits = 2, cutoff = .2, sort = TRUE)
```

```
#RandomForest
```

set.seed(123)

str(hrdata)

hrdata.sample = hrdata

# Creating Development and Validation Sample

hrdata.sample\$split <- runif(nrow(hrdata.sample), 0, 1);</pre>

hrdata.sample <- hrdata.sample[order(hrdata.sample\$split),]</pre>

#Now, if you view the hrdata.sample dataset again you would notice a new column added at the end

#Now, you can split the dataset to training and testing as follows

hrdata.train <- hrdata.sample[which(hrdata.sample\$split <= 0.7),]

hrdata.test <- hrdata.sample[which(hrdata.sample\$split > 0.7),]

c(nrow(hrdata.train), nrow(hrdata.test))

#remove the split columns used for partitioning from both train and test data set

```
hrdata.train <- hrdata.train[,-c(33)]
hrdata.test <- hrdata.test[,-c(33)]
str(hrdata.train)
str(hrdata.test)
ApplyQuantile <- function(x) {
 cut(x,breaks = c(quantile(hrdata.train\$Age,probs = seq(0,1,by = 0.10))),include.lowest = TRUE)
}
str(hrdata.train)
hrdata.new.train = hrdata.train
hrdata.train$AgeGroup = sapply(hrdata.train$Age,ApplyQuantile)
str(hrdata.train)
ApplyQuantile <- function(x) {
 cut(x,breaks = c(quantile(
  hrdata.train$DailyRate,probs = seq(0,1,by = 0.10)
 )),include.lowest = TRUE)
}
hrdata.train$DailyRateGroup = sapply(hrdata.train$DailyRate,ApplyQuantile)
str(hrdata.train)
ApplyQuantile <- function(x) {
 cut(x,breaks = c(unique(
  quantile(
   hrdata.train$DistanceFromHome,probs = seq(0,1,by = 0.10),na.rm = TRUE
  )
 )),include.lowest = TRUE)
hrdata.train$DistanceFromHomeGroup = sapply(hrdata.train$DistanceFromHome,ApplyQuantile)
str(hrdata.train)
```

```
ApplyQuantile <- function(x) {
 cut(x,breaks = c(unique(
  quantile(
   hrdata.train$HourlyRate,probs = seq(0,1,by = 0.10),na.rm = TRUE
  )
 )),include.lowest = TRUE)
}
hrdata.train$HourlyRateGroup = sapply(hrdata.train$HourlyRate,ApplyQuantile)
str(hrdata.train)
ApplyQuantile <- function(x) {
 cut(x,breaks = c(unique(
  quantile(
   hrdata.train$MonthlyIncome,probs = seq(0,1,by = 0.10),na.rm = TRUE
  )
 )),include.lowest = TRUE)
hrdata.train$MonthlyIncomeGroup = sapply(hrdata.train$MonthlyIncome,ApplyQuantile)
str(hrdata.train)
ApplyQuantile <- function(x) {
 cut(x,breaks = c(unique(
  quantile(
   hrdata.train$MonthlyRate,probs = seq(0,1,by = 0.10),na.rm = TRUE
  )
 )),include.lowest = TRUE)
hrdata.train$MonthlyRateGroup = sapply(hrdata.train$MonthlyRate,ApplyQuantile)
str(hrdata.train)
```

```
ApplyQuantile <- function(x) {
 cut(x,breaks = c(unique(
  quantile(
   hrdata.train$NumCompaniesWorked,probs = seq(0,1,by=0.10),na.rm = TRUE
  )
 )),include.lowest = TRUE)
}
hrdata.train$NumCompaniesWorkedGroup =
sapply(hrdata.train$NumCompaniesWorked,ApplyQuantile)
str(hrdata.train)
ApplyQuantile <- function(x) {
 cut(x,breaks = c(unique(
  quantile(
   hrdata.train$PercentSalaryHike,probs = seq(0,1,by=0.10),na.rm = TRUE
  )
 )),include.lowest = TRUE)
}
hrdata.train$PercentSalaryHikeGroup = sapply(hrdata.train$PercentSalaryHike,ApplyQuantile)
str(hrdata.train)
ApplyQuantile <- function(x) {
 cut(x,breaks = c(unique(
  quantile(
   hrdata.train\$TotalWorkingYears,probs = seq(0,1,by = 0.10),na.rm = TRUE
  )
 )),include.lowest = TRUE)
}
hrdata.train$TotalWorkingYearsGroup = sapply(hrdata.train$TotalWorkingYears,ApplyQuantile)
```

```
str(hrdata.train)
ApplyQuantile <- function(x) {
 cut(x,breaks = c(unique(
  quantile(
   hrdata.train\$TrainingTimesLastYear,probs = seq(0,1,by = 0.10),na.rm = TRUE
  )
 )),include.lowest = TRUE)
}
hrdata.train\$TrainingTimesLastYearGroup = sapply(hrdata.train\$TrainingTimesLastYear,ApplyQuantile)
str(hrdata.train)
ApplyQuantile <- function(x) {
 cut(x,breaks = c(unique(
  quantile(
   hrdata.train$YearsAtCompany,probs = seq(0,1,by=0.10),na.rm = TRUE
  )
 )),include.lowest = TRUE)
hrdata.train$YearsAtCompanyGroup = sapply(hrdata.train$YearsAtCompany,ApplyQuantile)
str(hrdata.train)
ApplyQuantile <- function(x) {
 cut(x,breaks = c(unique(
  quantile(
   hrdata.train$YearsInCurrentRole,probs = seq(0,1,by=0.10),na.rm = TRUE
  )
 )),include.lowest = TRUE)
hrdata.train$YearsInCurrentRoleGroup = sapply(hrdata.train$YearsInCurrentRole,ApplyQuantile)
```

```
str(hrdata.train)
ApplyQuantile <- function(x) {
 cut(x,breaks = c(unique(
  quantile(
   hrdata.train$YearsSinceLastPromotion,probs = seq(0,1,by=0.10),na.rm = TRUE
  )
 )),include.lowest = TRUE)
}
hrdata.train$YearsSinceLastPromotionGroup =
sapply(hrdata.train$YearsSinceLastPromotion,ApplyQuantile)
str(hrdata.train)
ApplyQuantile <- function(x) {
 cut(x,breaks = c(unique(
  quantile(
   hrdata.train$YearsWithCurrManager,probs = seq(0,1,by=0.10),na.rm = TRUE
  )
 )),include.lowest = TRUE)
hrdata.train$YearsWithCurrManagerGroup =
sapply(hrdata.train$YearsWithCurrManager,ApplyQuantile)
str(hrdata.train)
ApplyQuantile <- function(x) {
 cut(x,breaks = c(unique(
  quantile(
   hrdata.train$YearsWithCurrManager,probs = seq(0,1,by=0.10),na.rm = TRUE
  )
 )),include.lowest = TRUE)
```

```
hrdata.train$YearsWithCurrManagerGroup =
sapply(hrdata.train$YearsWithCurrManager,ApplyQuantile)
str(hrdata.train)
backup.hrdata.train = hrdata.train
hrdata.train.allfactorvar = backup.hrdata.train[,unlist(lapply(backup.hrdata.train,is.factor))]
backup.hrdata.train.allfactorvar = hrdata.train.allfactorvar
str(hrdata.train.allfactorvar)
backup.hrdata.train = hrdata.train
ApplyQuantile <- function(x) {
 cut(x,breaks = c(quantile(hrdata.test\$Age,probs = seq(0,1,by = 0.10))),include.lowest = TRUE)
}
str(hrdata.test)
hrdata.new.test = hrdata.test
hrdata.test$AgeGroup = sapply(hrdata.test$Age,ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
 cut(x,breaks = c(quantile(
  hrdata.test$DailyRate,probs = seq(0,1,by = 0.10)
 )),include.lowest = TRUE)
hrdata.test$DailyRateGroup = sapply(hrdata.test$DailyRate,ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
 cut(x,breaks = c(unique(
  quantile(
   hrdata.test$DistanceFromHome,probs = seq(0,1,by = 0.10),na.rm = TRUE
```

```
)
)),include.lowest = TRUE)
hrdata.test$DistanceFromHomeGroup = sapply(hrdata.test$DistanceFromHome,ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
cut(x,breaks = c(unique(
  quantile(
   hrdata.test$HourlyRate,probs = seq(0,1,by = 0.10),na.rm = TRUE
  )
)),include.lowest = TRUE)
}
hrdata.test$HourlyRateGroup = sapply(hrdata.test$HourlyRate,ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
cut(x,breaks = c(unique(
  quantile(
   hrdata.test$MonthlyIncome,probs = seq(0,1,by = 0.10),na.rm = TRUE
  )
)),include.lowest = TRUE)
}
hrdata.test$MonthlyIncomeGroup = sapply(hrdata.test$MonthlyIncome,ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
cut(x,breaks = c(unique(
  quantile(
   hrdata.test$MonthlyRate,probs = seq(0,1,by = 0.10),na.rm = TRUE
```

```
)
)),include.lowest = TRUE)
hrdata.test$MonthlyRateGroup = sapply(hrdata.test$MonthlyRate,ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
cut(x,breaks = c(unique(
  quantile(
   hrdata.test$NumCompaniesWorked,probs = seq(0,1,by = 0.10),na.rm = TRUE
  )
)),include.lowest = TRUE)
}
hrdata.test$NumCompaniesWorkedGroup = sapply(hrdata.test$NumCompaniesWorked,ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
cut(x,breaks = c(unique(
  quantile(
   hrdata.test$PercentSalaryHike,probs = seq(0,1,by = 0.10),na.rm = TRUE
  )
)),include.lowest = TRUE)
}
hrdata.test$PercentSalaryHikeGroup = sapply(hrdata.test$PercentSalaryHike,ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
cut(x,breaks = c(unique(
  quantile(
   hrdata.test$TotalWorkingYears,probs = seq(0,1,by = 0.10),na.rm = TRUE
```

```
)
)),include.lowest = TRUE)
hrdata.test$TotalWorkingYearsGroup = sapply(hrdata.test$TotalWorkingYears,ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
 cut(x,breaks = c(unique(
  quantile(
   hrdata.testTrainingTimesLastYear,probs = seq(0,1,by = 0.10),na.rm = TRUE
  )
)),include.lowest = TRUE)
}
hrdata.test$TrainingTimesLastYearGroup = sapply(hrdata.test$TrainingTimesLastYear,ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
cut(x,breaks = c(unique(
  quantile(
   hrdata.test$YearsAtCompany,probs = seq(0,1,by=0.10),na.rm = TRUE
  )
)),include.lowest = TRUE)
}
hrdata.test$YearsAtCompanyGroup = sapply(hrdata.test$YearsAtCompany,ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
cut(x,breaks = c(unique(
  quantile(
   hrdata.test$YearsInCurrentRole,probs = seq(0,1,by = 0.10),na.rm = TRUE
```

```
)
 )),include.lowest = TRUE)
hrdata.test$YearsInCurrentRoleGroup = sapply(hrdata.test$YearsInCurrentRole,ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
 cut(x,breaks = c(unique(
  quantile(
   hrdata.test$YearsSinceLastPromotion,probs = seq(0,1,by = 0.10),na.rm = TRUE
  )
 )),include.lowest = TRUE)
hrdata.test$YearsSinceLastPromotionGroup =
sapply(hrdata.test$YearsSinceLastPromotion,ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
 cut(x,breaks = c(unique(
  quantile(
   hrdata.test$YearsWithCurrManager,probs = seq(0,1,by = 0.10),na.rm = TRUE
 )),include.lowest = TRUE)
hrdata.test$YearsWithCurrManagerGroup = sapply(hrdata.test$YearsWithCurrManager,ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
 cut(x,breaks = c(unique(
  quantile(
```

```
Data Analysis Report
   hrdata.test$YearsWithCurrManager,probs = seq(0,1,by = 0.10),na.rm = TRUE
  )
 )),include.lowest = TRUE)
hrdata.test$YearsWithCurrManagerGroup = sapply(hrdata.test$YearsWithCurrManager,ApplyQuantile)
str(hrdata.test)
backup.hrdata.test = hrdata.test
hrdata.test.allfactorvar = backup.hrdata.test[,unlist(lapply(backup.hrdata.test,is.factor))]
backup.hrdata.test.allfactorvar = hrdata.test.allfactorvar
str(hrdata.test.allfactorvar)
str(hrdata.train.allfactorvar)
#making the levels of some factors equal for test and train data
hrdata.test.allfactorvar$DistanceFromHomeGroup <-
as.character(hrdata.test.allfactorvar$DistanceFromHomeGroup)
hrdata.test.allfactorvar$YearsAtCompanyGroup =
as.character(hrdata.test.allfactorvar$YearsAtCompanyGroup)
hrdata.test.allfactorvar$isTest <- rep(1,nrow(hrdata.test.allfactorvar))
hrdata.train.allfactorvar$isTest <- rep(0,nrow(hrdata.train.allfactorvar))
fullSet <- rbind(hrdata.test.allfactorvar,hrdata.train.allfactorvar)
fullSet$DistanceFromHomeGroup <- as.factor(fullSet$DistanceFromHomeGroup)
fullSet$YearsAtCompanyGroup <- as.factor(fullSet$YearsAtCompanyGroup)</pre>
test.new <- fullSet[fullSet$isTest==1,]
test.new = test.new[,-33]
str(test.new)
train.new <- fullSet[fullSet$isTest==0,]
train.new = train.new[,-33]
```

```
library(randomForest)
library(randomForestSRC)
set.seed(2016)
# Manual Search
library(caret)
library(e1071)
train.new=train.new[,-13]
train.new=na.omit(train.new)
library(functional)
train.new[apply(train.new, 1, Compose(is.finite, all)),]
control <- trainControl(method="repeatedcv", number=10, repeats=3)</pre>
#tunegrid=expand.grid(.mtry=c(1:15), .ntree=c(500,1000, 1500, 2000, 2500))
seed=2016
#Lest find the best ntree and mtry .Caution: this algorithms takes 48 hours to populate the values for the
Hr attrition csv file
new.modellist <- list()</pre>
for (ntree in c(500,1000, 1500,2000,2500)) {
 set.seed(seed)
 print(ntree)
 for(mtryt in c(3:15)){
  tunegrid=expand.grid(.mtry=mtryt)
  key <-toString(paste(toString(ntree),toString(mtryt),sep = "_"))</pre>
  print(key)
  print(tunegrid)
  fit <- train(train.new$Attrition~., data=train.new, method="rf", metric="Accuracy", tuneGrid=tunegrid,
trControl=control, ntree=ntree)
  print("new fit added")
  new.modellist[[key]] <- fit</pre>
```

```
}
save.image(file="hr_rf.RData")
# compare results
results <- resamples( new.modellist)
summary(results)
#From the result we find that the mean accuracy of 94.51%, which is good when ntree is 1500 and with
mtry of 12
arf <- randomForest( Attrition ~ .,data = train.new,importance = TRUE,proximity = TRUE,ntree = 1500,
mtry=12, keep.forest = TRUE)
print(arf)
plot(arf,main = "")
legend(
 "topright", c("OOB", "0", "1"), text.col = 1:6, lty = 1:3, col = 1:3
)
title(main = "Error Rates Random Forest hrdata.train")
arf$err.rate
#pred= predict(arf,test.new)
#table(pred,test.new$Attrition)
# pred No Yes
# No 1739 0
# Yes 0 319
#Misclassification rate is 0/2058 which is awesome
#validating the model
## Scoring syntax
```

```
Data Analysis Report
train.new$predict.class <- predict(arf, train.new, type="class")
train.new$predict.score <- predict(arf, train.new, type="prob")
head(train.new)
## deciling
```

```
decile <- function(x){</pre>
 deciles <- vector(length=10)</pre>
 for (i in seq(0.1,1,.1))
  deciles[i*10] <- quantile(x, i, na.rm=T)
 }
 return (
  ifelse(x<deciles[1], 1,
       ifelse(x<deciles[2], 2,
            ifelse(x<deciles[3], 3,
                ifelse(x<deciles[4], 4,
                     ifelse(x<deciles[5], 5,
                          ifelse(x<deciles[6], 6,
                               ifelse(x<deciles[7], 7,
                                   ifelse(x<deciles[8], 8,
                                        ifelse(x<deciles[9], 9, 10
                                        )))))))))))
}
```

train.new\$deciles <- decile(train.new\$predict.score[,2])</pre>

 $\label{eq:count} $x = (count(train.new\$Attrition == "No"))\$freq + (count(train.new\$Attrition == "No"))\$freq \\ x[1]$ 

## Ranking code

train.new\$Attrition = factor(

```
train.new$Attrition,
 levels = c("Yes", "No"),
 labels = c(1, 0)
)
train.new$Attrition <-
 as.numeric(as.character(train.new$Attrition))
library(data.table)
tmp_DT = data.table(train.new)
rank <- tmp_DT[, list(</pre>
 cnt = length(Attrition),
 cnt_resp = sum(Attrition),
 cnt non resp = sum(Attrition == 1)),
 by=deciles][order(-deciles)]
rank$rrate <- round(rank$cnt_resp * 100 / rank$cnt,2);</pre>
rank$cum_resp <- cumsum(rank$cnt_resp)</pre>
rank$cum_non_resp <- cumsum(rank$cnt_non_resp)</pre>
rank$cum_rel_resp <- round(rank$cum_resp / sum(rank$cnt_resp),2);</pre>
rank$cum_rel_non_resp <- round(rank$cum_non_resp / sum(rank$cnt_non_resp),2);</pre>
rank$ks <- abs(rank$cum_rel_resp - rank$cum_rel_non_resp);</pre>
View(rank)
#RandomForest performance
library(ROCR)
testp4 <- predict(arf,train.new,type = 'prob')[,2]
```

```
pred4 <- prediction(testp4,train.new$Attrition)</pre>
#performance in terms of true and false positive rates
perf4 <- performance(pred4,"tpr","fpr")</pre>
#plot the curve
plot(perf4,main="ROC Curve for Random Forest",col=2,lwd=2)
abline(a=0,b=1,lwd=2,lty=2,col="gray")
#compute area under curve
KS <- max(attr(perf4, 'y.values')[[1]]-attr(perf4, 'x.values')[[1]])
auc <- performance(pred4,"auc");</pre>
auc <- as.numeric(auc@y.values)</pre>
minauc < -min(round(auc, digits = 2))
maxauc < -max(round(auc, digits = 2))
minauct <- paste(c("min(AUC) = "),minauc,sep="")
maxauct <- paste(c("max(AUC) = "), maxauc, sep="")
#important factors
#plot variable importance
# The variable importance plot lists variables in terms of importance using the decrease in
# accuracy metric, of loss of predictive power if the variable is dropped, vs. the importance
# in terms of Gini index, a measure of separation of classes.
print(importance(arf,type = 2))
varImpPlot(arf)
save.image(file="hr_rf.RData")
6.2 Appendix 2
library(ggplot2)
library(scales)
```

```
library(dplyr)
library(reshape)
library(PerformanceAnalytics)
library(Hmisc)
library(caTools)
setwd("E:\PGPBA\\PGPBA-GreatLakes\\Modules\\DataMining\\Assignment\\Assignment2")
hrdata = read.csv("HR_Employee_Attrition_Data.csv",
           header = TRUE,
           sep = ",")
hrdata = hrdata[, -c(9, 10, 22, 27)]
hrdata.transform = hrdata
str(hrdata)
# we see that there are a total of 2940 observations with 35 variables. There is no NA values in
the data. Some variables needs to be converted to factor variables.
#Lets convert some variables into factor variable.
hrdata$Education <- as.factor(hrdata$Education)</pre>
hrdata$EnvironmentSatisfaction <-
 as.factor(hrdata$EnvironmentSatisfaction)
hrdata$JobInvolvement <- as.factor(hrdata$JobInvolvement)
hrdata$JobSatisfaction <- as.factor(hrdata$JobSatisfaction)
hrdata$PerformanceRating <- as.factor(hrdata$PerformanceRating)
hrdata$RelationshipSatisfaction <-
 as.factor(hrdata$RelationshipSatisfaction)
hrdata$WorkLifeBalance <- as.factor(hrdata$WorkLifeBalance)</pre>
hrdata$JobLevel <- as.factor(hrdata$JobLevel)</pre>
hrdata$StockOptionLevel <- as.factor(hrdata$StockOptionLevel)
str(hrdata)
```

```
#Neural net
set.seed(123)
hrdata.sample = hrdata
# Creating Development and Validation Sample
hrdata.sample$split <- runif(nrow(hrdata.sample), 0, 1)
hrdata.sample <- hrdata.sample[order(hrdata.sample$split), ]
#Now, if you view the hrdata.sample dataset again you would notice a new column added at the
end
#Now, you can split the dataset to training and testing as follows
hrdata.train <- hrdata.sample[which(hrdata.sample$split <= 0.7), ]
hrdata.test <- hrdata.sample[which(hrdata.sample$split > 0.7), ]
c(nrow(hrdata.train), nrow(hrdata.test))
#remove the split columns used for partitioning from both train and test data set
hrdata.train <- hrdata.train[, -c(32)]
hrdata.test <- hrdata.test[, -c(32)]
str(hrdata.train)
str(hrdata.test)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(quantile(hrdata.train\$Age, probs = seq(0, 1, by = 0.10))), include.lowest =
TRUE)
}
str(hrdata.train)
hrdata.new.train = hrdata.train
hrdata.train$AgeGroup = sapply(hrdata.train$Age, ApplyQuantile)
str(hrdata.train)
```

```
ApplyQuantile <- function(x) {
 cut(x, breaks = c(quantile(
  hrdata.trainDailyRate, probs = seq(0, 1, by = 0.10)
 )), include.lowest = TRUE)
}
hrdata.train$DailyRateGroup = sapply(hrdata.train$DailyRate, ApplyQuantile)
str(hrdata.train)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(unique(
  quantile(
   hrdata.train$DistanceFromHome,
   probs = seq(0, 1, by = 0.10),
   na.rm = TRUE
  )
 )), include.lowest = TRUE)
hrdata.train$DistanceFromHomeGroup = sapply(hrdata.train$DistanceFromHome,
ApplyQuantile)
str(hrdata.train)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(unique(
  quantile(
   hrdata.train$HourlyRate,
   probs = seq(0, 1, by = 0.10),
   na.rm = TRUE
  )
 )), include.lowest = TRUE)
```

```
}
hrdata.train$HourlyRateGroup = sapply(hrdata.train$HourlyRate, ApplyQuantile)
str(hrdata.train)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(unique(
  quantile(
   hrdata.train$MonthlyIncome,
   probs = seq(0, 1, by = 0.10),
   na.rm = TRUE
  )
 )), include.lowest = TRUE)
}
hrdata.train$MonthlyIncomeGroup = sapply(hrdata.train$MonthlyIncome, ApplyQuantile)
str(hrdata.train)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(unique(
  quantile(
   hrdata.train$MonthlyRate,
   probs = seq(0, 1, by = 0.10),
   na.rm = TRUE
  )
 )), include.lowest = TRUE)
}
hrdata.train$MonthlyRateGroup = sapply(hrdata.train$MonthlyRate, ApplyQuantile)
str(hrdata.train)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(unique(
```

```
quantile(
   hrdata.train$NumCompaniesWorked,
   probs = seq(0, 1, by = 0.10),
   na.rm = TRUE
 )), include.lowest = TRUE)
}
hrdata.train$NumCompaniesWorkedGroup = sapply(hrdata.train$NumCompaniesWorked,
ApplyQuantile)
str(hrdata.train)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(unique(
  quantile(
   hrdata.train$PercentSalaryHike,
   probs = seq(0, 1, by = 0.10),
   na.rm = TRUE
  )
 )), include.lowest = TRUE)
}
hrdata.train$PercentSalaryHikeGroup = sapply(hrdata.train$PercentSalaryHike, ApplyQuantile)
str(hrdata.train)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(unique(
  quantile(
   hrdata.train$TotalWorkingYears,
   probs = seq(0, 1, by = 0.10),
   na.rm = TRUE
  )
```

```
)), include.lowest = TRUE)
}
hrdata.train$TotalWorkingYearsGroup = sapply(hrdata.train$TotalWorkingYears, ApplyQuantile)
str(hrdata.train)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(unique(
  quantile(
   hrdata.train$TrainingTimesLastYear,
   probs = seq(0, 1, by = 0.10),
   na.rm = TRUE
  )
 )), include.lowest = TRUE)
}
hrdata.train$TrainingTimesLastYearGroup = sapply(hrdata.train$TrainingTimesLastYear,
ApplyQuantile)
str(hrdata.train)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(unique(
  quantile(
   hrdata.train$YearsAtCompany,
   probs = seq(0, 1, by = 0.10),
   na.rm = TRUE
  )
 )), include.lowest = TRUE)
}
hrdata.train$YearsAtCompanyGroup = sapply(hrdata.train$YearsAtCompany, ApplyQuantile)
str(hrdata.train)
```

```
ApplyQuantile <- function(x) {
 cut(x, breaks = c(unique(
  quantile(
   hrdata.train$YearsInCurrentRole,
   probs = seq(0, 1, by = 0.10),
   na.rm = TRUE
  )
 )), include.lowest = TRUE)
}
hrdata.train$YearsInCurrentRoleGroup = sapply(hrdata.train$YearsInCurrentRole,
ApplyQuantile)
str(hrdata.train)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(unique(
  quantile(
   hrdata.train$YearsSinceLastPromotion,
   probs = seq(0, 1, by = 0.10),
   na.rm = TRUE
  )
 )), include.lowest = TRUE)
hrdata.train$YearsSinceLastPromotionGroup = sapply(hrdata.train$YearsSinceLastPromotion,
ApplyQuantile)
str(hrdata.train)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(unique(
  quantile(
   hrdata.train$YearsWithCurrManager,
   probs = seq(0, 1, by = 0.10),
```

```
na.rm = TRUE
  )
 )), include.lowest = TRUE)
hrdata.train$YearsWithCurrManagerGroup = sapply(hrdata.train$YearsWithCurrManager,
ApplyQuantile)
str(hrdata.train)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(unique(
  quantile(
   hrdata.train$YearsWithCurrManager,
   probs = seq(0, 1, by = 0.10),
   na.rm = TRUE
  )
 )), include.lowest = TRUE)
}
hrdata.train$YearsWithCurrManagerGroup = sapply(hrdata.train$YearsWithCurrManager,
ApplyQuantile)
str(hrdata.train)
backup.hrdata.train = hrdata.train
hrdata.train.allfactorvar = backup.hrdata.train[, unlist(lapply(backup.hrdata.train, is.factor))]
backup.hrdata.train.allfactorvar = hrdata.train.allfactorvar
str(hrdata.train.allfactorvar)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(quantile(hrdata.test$Age, probs = seq(0, 1, by = 0.10))), include.lowest =
TRUE)
}
str(hrdata.test)
```

```
hrdata.new.test = hrdata.test
hrdata.test$AgeGroup = sapply(hrdata.test$Age, ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(quantile(
  hrdata.testDailyRate, probs = seq(0, 1, by = 0.10)
 )), include.lowest = TRUE)
}
hrdata.test$DailyRateGroup = sapply(hrdata.test$DailyRate, ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(unique(
  quantile(
   hrdata.test$DistanceFromHome,
   probs = seq(0, 1, by = 0.10),
   na.rm = TRUE
  )
 )), include.lowest = TRUE)
}
hrdata.test$DistanceFromHomeGroup = sapply(hrdata.test$DistanceFromHome,
ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(unique(
  quantile(
   hrdata.test$HourlyRate,
   probs = seq(0, 1, by = 0.10),
```

```
na.rm = TRUE
  )
 )), include.lowest = TRUE)
hrdata.test$HourlyRateGroup = sapply(hrdata.test$HourlyRate, ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(unique(
  quantile(
   hrdata.test$MonthlyIncome,
   probs = seq(0, 1, by = 0.10),
   na.rm = TRUE
  )
 )), include.lowest = TRUE)
}
hrdata.test$MonthlyIncomeGroup = sapply(hrdata.test$MonthlyIncome, ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(unique(
  quantile(
   hrdata.test$MonthlyRate,
   probs = seq(0, 1, by = 0.10),
   na.rm = TRUE
  )
 )), include.lowest = TRUE)
hrdata.test$MonthlyRateGroup = sapply(hrdata.test$MonthlyRate, ApplyQuantile)
str(hrdata.test)
```

```
ApplyQuantile <- function(x) {
 cut(x, breaks = c(unique(
  quantile(
   hrdata.test$NumCompaniesWorked,
   probs = seq(0, 1, by = 0.10),
   na.rm = TRUE
  )
 )), include.lowest = TRUE)
}
hrdata.test$NumCompaniesWorkedGroup = sapply(hrdata.test$NumCompaniesWorked,
ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(unique(
  quantile(
   hrdata.test$PercentSalaryHike,
   probs = seq(0, 1, by = 0.10),
   na.rm = TRUE
  )
 )), include.lowest = TRUE)
hrdata.test$PercentSalaryHikeGroup = sapply(hrdata.test$PercentSalaryHike, ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(unique(
  quantile(
   hrdata.test$TotalWorkingYears,
```

```
probs = seq(0, 1, by = 0.10),
   na.rm = TRUE
  )
 )), include.lowest = TRUE)
hrdata.test$TotalWorkingYearsGroup = sapply(hrdata.test$TotalWorkingYears, ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(unique(
  quantile(
   hrdata.test$TrainingTimesLastYear,
   probs = seq(0, 1, by = 0.10),
   na.rm = TRUE
  )
 )), include.lowest = TRUE)
hrdata.test$TrainingTimesLastYearGroup = sapply(hrdata.test$TrainingTimesLastYear,
ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(unique(
  quantile(
   hrdata.test$YearsAtCompany,
   probs = seq(0, 1, by = 0.10),
   na.rm = TRUE
  )
 )), include.lowest = TRUE)
}
```

```
hrdata.test$YearsAtCompanyGroup = sapply(hrdata.test$YearsAtCompany, ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(unique(
  quantile(
   hrdata.test$YearsInCurrentRole,
   probs = seq(0, 1, by = 0.10),
   na.rm = TRUE
  )
 )), include.lowest = TRUE)
}
hrdata.test$YearsInCurrentRoleGroup = sapply(hrdata.test$YearsInCurrentRole, ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(unique(
  quantile(
   hrdata.test$YearsSinceLastPromotion,
   probs = seq(0, 1, by = 0.10),
   na.rm = TRUE
  )
 )), include.lowest = TRUE)
hrdata.test$YearsSinceLastPromotionGroup = sapply(hrdata.test$YearsSinceLastPromotion,
ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(unique(
```

```
quantile(
   hrdata.test$YearsWithCurrManager,
   probs = seq(0, 1, by = 0.10),
   na.rm = TRUE
 )), include.lowest = TRUE)
}
hrdata.test$YearsWithCurrManagerGroup = sapply(hrdata.test$YearsWithCurrManager,
ApplyQuantile)
str(hrdata.test)
ApplyQuantile <- function(x) {
 cut(x, breaks = c(unique(
  quantile(
   hrdata.test$YearsWithCurrManager,
   probs = seq(0, 1, by = 0.10),
   na.rm = TRUE
  )
 )), include.lowest = TRUE)
}
hrdata.test$YearsWithCurrManagerGroup = sapply(hrdata.test$YearsWithCurrManager,
ApplyQuantile)
str(hrdata.test)
backup.hrdata.test = hrdata.test
hrdata.test.allfactorvar = backup.hrdata.test[, unlist(lapply(backup.hrdata.test, is.factor))]
backup.hrdata.test.allfactorvar = hrdata.test.allfactorvar
str(hrdata.test.allfactorvar)
str(hrdata.train.allfactorvar)
```

```
#making the levels of some factors equal for test and train data
hrdata.test.allfactorvar$TotalWorkingYearsGroup <-
 as.character(hrdata.test.allfactorvar$TotalWorkingYearsGroup)
hrdata.test.allfactorvar$isTest <-
 rep(1, nrow(hrdata.test.allfactorvar))
hrdata.train.allfactorvar$isTest <-
 rep(0, nrow(hrdata.train.allfactorvar))
fullSet <- rbind(hrdata.test.allfactorvar, hrdata.train.allfactorvar)
fullSet$TotalWorkingYearsGroup <-
 as.factor(fullSet$TotalWorkingYearsGroup)
test.new <- fullSet[fullSet$isTest == 1, ]
test.new = test.new[, -32]
str(test.new)
train.new <- fullSet[fullSet$isTest == 0, ]
train.new = train.new[, -32]
str(train.new)
library(nnet)
## 1. Fit a Single Hidden Layer Neural Network using Least Squares
train.nnet <-
 nnet(
  Attrition ~ .,
  train.new,
  size = 3,
  rang = 0.07,
  Hess = FALSE,
  decay = 15e-4,
```

```
maxit = 250
 )
## Use TEST data for testing the trained model
test.nnet <- predict(train.nnet, test.new, type = ("class"))
## MisClassification Confusion Matrix
table(test.new$Attrition, test.nnet)
## One can maximize the Accuracy by changing the "size" while training the neural network.
SIZE refers to the number of nodes in the hidden layer.
which.is.max(test.nnet) ## To Find which row break ties at random (Maximum position in
vector)
##2. Use Multinomial Log Linear models using Neural Networks
train.mlln <- multinom(Attrition ~ ., train.new)
##USe TEST data for testing the trained model
test.mlln <- predict(train.mlln, test.new)
##Misclassification or Confusion Matrix
table(test.new$Attrition, test.mlln)
##3. Training Neural Network Using neuralnet
library(neuralnet)
## Check for all Input Independent Variables to be Integer or Numeric or complex matrix or
vector arguments. If they are not any one of these, then tranform them accordingly
str(hrdata.train)
str(hrdata.test)
## It can be observed that all are either integer or factor. Now these factors have to be
transformed to numeric.
## One cannot use directly as.numeric() to convert factors to numeric as it has limitations.
## First, Lets convert factors having character levels to numeric levels
```

```
hrdata.transform$Attrition = factor(
 hrdata.transform$Attrition,
 levels = c("Yes", "No"),
 labels = c(1, 0)
hrdata.transform$BusinessTravel = factor(
 hrdata.transform$BusinessTravel,
 levels = levels(hrdata.transform$BusinessTravel),
 labels = c(1, 2, 3)
hrdata.transform$Department = factor(
 hrdata.transform$Department,
 levels = levels(hrdata.transform$Department),
 labels = c(1, 2, 3)
)
hrdata.transform$EducationField = factor(
 hrdata.transform$EducationField,
 levels = levels(hrdata.transform$EducationField),
 labels = c(1, 2, 3, 4, 5, 6)
)
hrdata.transform$Gender = factor(
 hrdata.transform$Gender,
 levels = levels(hrdata.transform$Gender),
 labels = c(1, 2)
)
hrdata.transform$JobRole = factor(
 hrdata.transform$JobRole,
 levels = levels(hrdata.transform$JobRole),
 labels = c(1, 2, 3, 4, 5, 6, 7, 8, 9)
```

```
hrdata.transform$MaritalStatus = factor(
 hrdata.transform$MaritalStatus,
 levels = levels(hrdata.transform$MaritalStatus),
 labels = c(1, 2, 3)
hrdata.transform$OverTime = factor(
 hrdata.transform$OverTime,
 levels = levels(hrdata.transform$OverTime),
 labels = c(1, 2)
)
## Now convert these numerical factors into numeric
hrdata.transform$Attrition <-
 as.numeric(as.character(hrdata.transform$Attrition))
hrdata.transform$BusinessTravel <-
 as.numeric(as.character(hrdata.transform$BusinessTravel))
hrdata.transform$Department <-
 as.numeric(as.character(hrdata.transform$Department))
hrdata.transform$EducationField <-
 as.numeric(as.character(hrdata.transform$EducationField))
hrdata.transform$Gender <-
 as.numeric(as.character(hrdata.transform$Gender))
hrdata.transform$JobRole <-
 as.numeric(as.character(hrdata.transform$JobRole))
hrdata.transform$MaritalStatus <-
 as.numeric(as.character(hrdata.transform$MaritalStatus))
hrdata.transform$OverTime <-
 as.numeric(as.character(hrdata.transform$OverTime))
hrdata.transform$PerformanceRating <-
 as.numeric(as.character(hrdata.transform$PerformanceRating))
```

```
hrdata.transform$RelationshipSatisfaction <-
 as.numeric(as.character(hrdata.transform$RelationshipSatisfaction))
hrdata.transform$StockOptionLevel <-
 as.numeric(as.character(hrdata.transform$StockOptionLevel))
hrdata.transform$WorkLifeBalance <-
 as.numeric(as.character(hrdata.transform$WorkLifeBalance))
hrdata.transform$Education <-
 as.numeric(as.character(hrdata.transform$Education))
hrdata.transform$WorkLifeBalance <-
 as.numeric(as.character(hrdata.transform$WorkLifeBalance))
hrdata.transform$EnvironmentSatisfaction <-
 as.numeric(as.character(hrdata.transform$EnvironmentSatisfaction))
hrdata.transform$JobInvolvement <-
 as.numeric(as.character(hrdata.transform$JobInvolvement))
hrdata.transform$JobLevel <-
 as.numeric(as.character(hrdata.transform$JobLevel))
hrdata.transform$JobSatisfaction <-
 as.numeric(as.character(hrdata.transform$JobSatisfaction))
str(hrdata.transform)
## Now all the variables are wither intergers or numeric
## Now we shall partition the data into train and test data
library(caret)
set.seed(1234567)
train2 <-
 createDataPartition(hrdata.transform$Attrition, p = 0.7, list = FALSE)
trainnew <- hrdata.transform[train2, ]
testnew <- hrdata.transform[-train2, ]
str(trainnew)
```

```
str(testnew)
str(hrdata)
#scale the data
x <- hrdata.transform[,-2]
nn.devscaled <- scale(x)
nn.devscaled <- cbind(hrdata.transform[2], nn.devscaled)
set.seed(891023)
train3 <- createDataPartition(nn.devscaled$Attrition, p = 0.7, list = FALSE)
scaledTraindata <- nn.devscaled[train3, ]
scaledTestdata <- nn.devscaled[-train3, ]
## Now lets run the neuralnet model on Train dataset
trainnew.nnbp <-
 neuralnet(
  Attrition ~ Age + BusinessTravel + DailyRate + Department + DistanceFromHome +
   Education + EducationField + EnvironmentSatisfaction + Gender + HourlyRate +
   JobInvolvement + JobLevel + JobRole + JobSatisfaction + MaritalStatus +
   MonthlyIncome + MonthlyRate + NumCompaniesWorked + OverTime + PercentSalaryHike
   PerformanceRating + RelationshipSatisfaction + StockOptionLevel + TotalWorkingYears +
   TrainingTimesLastYear + WorkLifeBalance + YearsAtCompany + YearsInCurrentRole +
   YearsSinceLastPromotion + YearsWithCurrManager,
  data = scaledTraindata,
  hidden = c(6.3).
  threshold = 0.01,
  err.fct = "sse",
```

linear.output = FALSE,

```
lifesign = "full",
  lifesign.step = 10,
  stepmax = 1e6
summary(trainnew.nnbp)
## The distribution of the estimated results
quantile(trainnew.nnbp$net.result[[1]], c(0,1,5,10,25,50,75,90,95,99,100)/100)
##(Smoother the Curve- Better is the model prediction)
## Plot the trained Neural Network
plot(trainnew.nnbp, rep = "best")
## To check your prediction accuracy of training model
columnc = c(
 "Age",
 "BusinessTravel",
 "DailyRate",
 "Department",
 "DistanceFromHome",
 "Education",
 "EducationField",
 "EnvironmentSatisfaction",
 "Gender",
 "HourlyRate",
 "JobInvolvement",
 "JobLevel",
 "JobRole",
 "JobSatisfaction",
 "MaritalStatus",
```

```
"MonthlyIncome",
 "MonthlyRate",
 "NumCompaniesWorked",
 "OverTime",
 "PercentSalaryHike",
 "PerformanceRating",
 "RelationshipSatisfaction",
 "StockOptionLevel",
 "TotalWorkingYears",
 "TrainingTimesLastYear",
 "WorkLifeBalance",
 "YearsAtCompany",
 "YearsInCurrentRole",
 "YearsSinceLastPromotion",
 "YearsWithCurrManager"
)
testnew2 <- subset(scaledTestdata, select = columnc)
testnew.nnbp <- compute(trainnew.nnbp, testnew2, rep = 1)
## MisClassification Confusion Matrix
table(testnew$Attrition, testnew.nnbp$net.result)
cbind(testnew$Attrition, testnew.nnbp$net.result)
print(testnew.nnbp)
## Error Computation
misClassTable = data.frame(Attrition = scaledTraindata$Attrition,
                Predict.score = trainnew.nnbp$net.result[[1]])
misClassTable$Predict.class = ifelse(misClassTable$Predict.score > 0.21, 1, 0)
with(misClassTable, table(Attrition, Predict.class))
```

```
library(e1071)
confusionMatrix(misClassTable$Attrition, misClassTable$Predict.class)
sum((misClassTable$Attrition - misClassTable$Predict.score) ^ 2) / 2
decile <- function(x){
 deciles <- vector(length=10)
 for (i in seq(0.1,1,.1))
  deciles[i*10] <- quantile(x, i, na.rm=T)
 }
 return (
  ifelse(x<deciles[1], 1,
       ifelse(x<deciles[2], 2,
           ifelse(x<deciles[3], 3,
                ifelse(x<deciles[4], 4,
                     ifelse(x<deciles[5], 5,
                         ifelse(x<deciles[6], 6,
                              ifelse(x<deciles[7], 7,
                                  ifelse(x<deciles[8], 8,
                                       ifelse(x<deciles[9], 9, 10
                                       )))))))))))
}
## deciling
misClassTable$deciles <- decile(misClassTable$Predict.score)
## Ranking code
library(data.table)
tmp_DT = data.table(misClassTable)
```

```
rank <- tmp_DT[, list(
 cnt = length(Attrition),
 cnt_resp = sum(Attrition),
 cnt non resp = sum(Attrition == 1)),
 by=deciles][order(-deciles)]
rank$rrate <- round (rank$cnt resp / rank$cnt,2);
rank$cum_resp <- cumsum(rank$cnt_resp)</pre>
rank$cum_non_resp <- cumsum(rank$cnt_non_resp)</pre>
rank$cum_rel_resp <- round(rank$cum_resp / sum(rank$cnt_resp),2);
rank$cum_rel_non_resp <- round(rank$cum_non_resp / sum(rank$cnt_non_resp),2);
rank$ks <- abs(rank$cum_rel_resp - rank$cum_rel_non_resp)
library(scales)
rank$rrate <- percent(rank$rrate)</pre>
rank$cum rel resp <- percent(rank$cum rel resp)
rank$cum rel non resp <- percent(rank$cum rel non resp)
View(rank)
rank
#First decile has got 92% and is capturing 55% of total attrition value
#similarry second decile has got 40% and is capturing 79% of total attrition value
pr.nn1 <- compute(trainnew.nnbp,testnew2)</pre>
pr.nn1 <- pr.nn1$net.result*(max(scaledTestdata$Attrition)-
min(scaledTestdata$Attrition))+min(scaledTestdata$Attrition)
test.r1 <- (scaledTestdata$Attrition)*(max(scaledTestdata$Attrition)-
min(scaledTestdata$Attrition))+min(scaledTestdata$Attrition)
MSE.nn1 <- sum((test.r1 - pr.nn1_)^2)/nrow(scaledTestdata)
MSE.nn1
```

#Now lets change the model by selecting variables that are important as per random forest and lets see if the model improves or not

```
trainnew.nnbp1 <-
 neuralnet(
  Attrition ~
OverTime+EducationField+StockOptionLevel+PercentSalaryHike+JobRole+MonthlyIncome+Ye
arsAtCompany+TotalWorkingYears+DistanceFromHome+Age+MonthlyRate+HourlyRate+Daily
Rate.
  data = scaledTraindata,
  hidden = c(6,3),
  threshold = 0.01,
  err.fct = "sse",
  linear.output = FALSE,
  lifesign = "full",
  lifesign.step = 10,
  stepmax = 1e6
 )
summary(trainnew.nnbp1)
plot(trainnew.nnbp1, rep = "best")
#Performance evaluation
misClassTable1 = data.frame(Attrition = scaledTraindata$Attrition,
                Predict.score = trainnew.nnbp1$net.result[[1]])
misClassTable1$Predict.class = ifelse(misClassTable1$Predict.score > 0.21, 1, 0)
with(misClassTable1, table(Attrition, Predict.class))
confusionMatrix(misClassTable1$Attrition, misClassTable1$Predict.class)
```

```
#Error calculation
```

sum((misClassTable1\$Attrition - misClassTable1\$Predict.score) ^ 2) / 2

```
#decile
## deciling
misClassTable1$deciles <- decile(misClassTable1$Predict.score)
## Ranking code
tmp_DT = data.table(misClassTable1)
rank <- tmp_DT[, list(
 cnt = length(Attrition),
 cnt_resp = sum(Attrition),
 cnt_non_resp = sum(Attrition == 1)),
 by=deciles][order(-deciles)]
rank$rrate <- round (rank$cnt_resp / rank$cnt,2);
rank$cum_resp <- cumsum(rank$cnt_resp)</pre>
rank$cum_non_resp <- cumsum(rank$cnt_non_resp)</pre>
rank$cum rel resp <- round(rank$cum resp / sum(rank$cnt resp),2);
rank$cum_rel_non_resp <- round(rank$cum_non_resp / sum(rank$cnt_non_resp),2);</pre>
rank$ks <- abs(rank$cum_rel_resp - rank$cum_rel_non_resp)
library(scales)
rank$rrate <- percent(rank$rrate)</pre>
rank$cum_rel_resp <- percent(rank$cum_rel_resp)
rank$cum_rel_non_resp <- percent(rank$cum_rel_non_resp)</pre>
View(rank)
rank
#First decile has rrrate of 80% and accounts for 48% of Attrition value
```

## Data Analysis Report

#Second decile has rrrate of 42% and accounts for 73% of Attrition value

#OverTime+EducationField+StockOptionLevel+PercentSalaryHike+JobRole+MonthlyIncome+Y earsAtCompany+TotalWorkingYears+DistanceFromHome+Age+MonthlyRate+HourlyRate+Dail yRate,

column=c(20,8,24,14,21,17,28,25,6,2,18,11,4)

pr.nn <- compute(trainnew.nnbp1,scaledTestdata[,column])</pre>

pr.nn\_ <- pr.nn\$net.result\*(max(scaledTestdata\$Attrition)min(scaledTestdata\$Attrition))+min(scaledTestdata\$Attrition)</pre>

test.r <- (scaledTestdata\$Attrition)\*(max(scaledTestdata\$Attrition)-min(scaledTestdata\$Attrition))+min(scaledTestdata\$Attrition)

MSE.nn <- sum((test.r - pr.nn\_)^2)/nrow(scaledTestdata)

MSE.nn

#we then compare the two MSEs

print(paste(MSE.nn1,MSE.nn))

save.image(file="hr\_neuralnet.RData")