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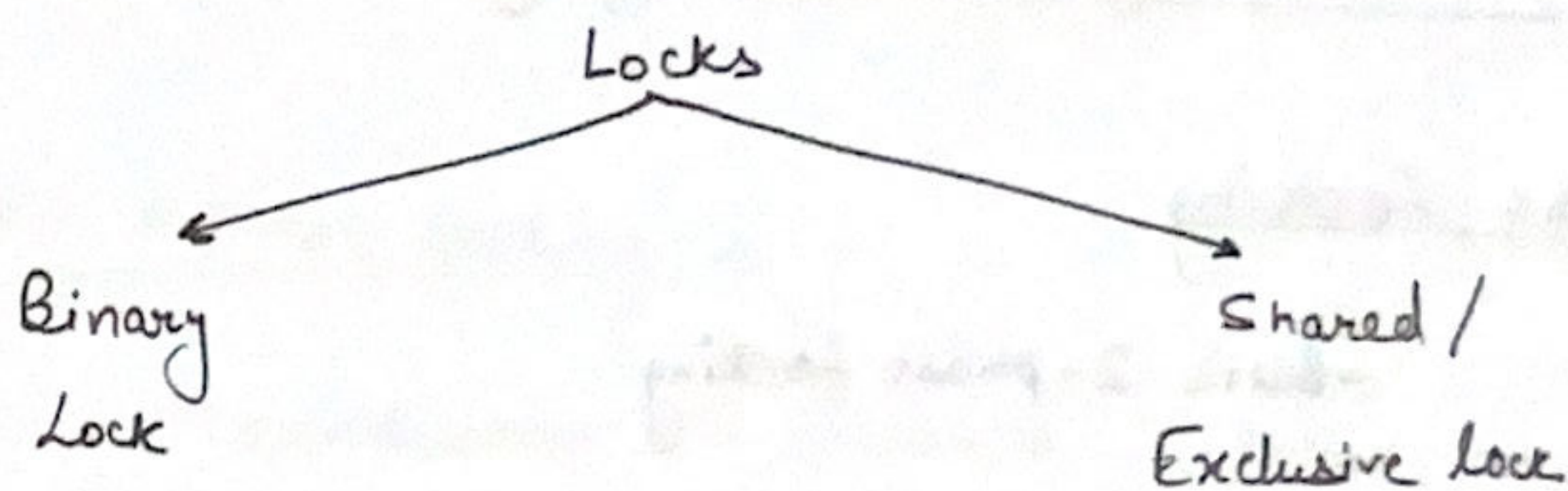
Concurrency Control

→ Protocol / technique of Concurrency Control

- locks
- Use of time stamp
- Multiversion Concurrency Control
- Optimistic Concurrency Control

Locks ⇒

- Locking Mechanism for each element of Database.



→ Binary Lock ⇒

- Two states of each element

lock(x)

unlock(x)

→ Shared / Exclusive lock ⇒

(Read)

[lock gets
Shared b/w
Multiple operations]

{ only one can
access
[Write lock] }

Lock Table

$\langle \text{data-item-name, lock, no. of read, locking-transaction} \rangle$

Conversion of Locks

Upgrading

Shared (x)	→	Exclusive (x)
Read (x)	→	Write (x)

Downgrading

Write (x)	→	Read (x)
Exclusive (x)	→	Shared (x)

Protocol used for Serializing

① 2-Phase Locking

- Basic 2-phase Locking
- Conservative 2-phase locking
- Strict 2-phase locking
- Rigorous 2-phase locking.

Basic 2-phase locking

→ A transaction is set to follow two phase locking protocol if all locking operations (read-~~write~~ lock or write-lock) must proceed the first unlock operation in transaction.

Two phases

• Expanding or growing

- New lock on item can be acquired but none of two lock may be release.

shrinking phase ⇒ locks can be released but no new lock can be acquired.

Conservative 2-Phase Locking

- Require a transaction to lock all the items before the transaction begin. • By pre-declaring read-set & write-set.
- If any of the pre-declared item cannot be ~~log~~ locked the transaction doesn't lock any item and it waits until all the items are available for locks.

Strict 2-phase locking

- Transaction T doesn't release any of its exclusive locks until after it commits or abort. Hence no other transaction can read or write an item that is written by T unless T has committed.
- {Recoverable}

Rigorous 2-phase locking

- Transaction doesn't release its any of the locks (shared/exclusive) until after it commit / abort.

Protocol: Use of Timestamp

Timestamp Ordering \Rightarrow

$$\begin{array}{cccc} \frac{TS(T_1)}{1} & \frac{TS(T_2)}{2} & \frac{TS(T_3)}{3} & \frac{TS(T_4)}{4} \end{array}$$

- whichever timestamp is highest it is newest transaction.
- " " is lowest it is oldest transaction.

$Read_TS(x) \Rightarrow$ latest $Read_{on} x$, returns timestamp

$Write_TS(x) \Rightarrow$ latest write on x by any transaction, will return timestamp.

Basic Timestamp Algorithm \Rightarrow

Transaction (T) issue a write-item(x)
Operation if

1. if $read_TS(x) > TS(T)$ or
if $write_TS(x) > TS(T)$ then
abort & rollback T and reject operation.

2. If condition 1 doesn't occur, then
execute $write_TS(x)$ and set $write_TS(x)$
to $TS(T)$

Transaction T issues a $read_item(x)$

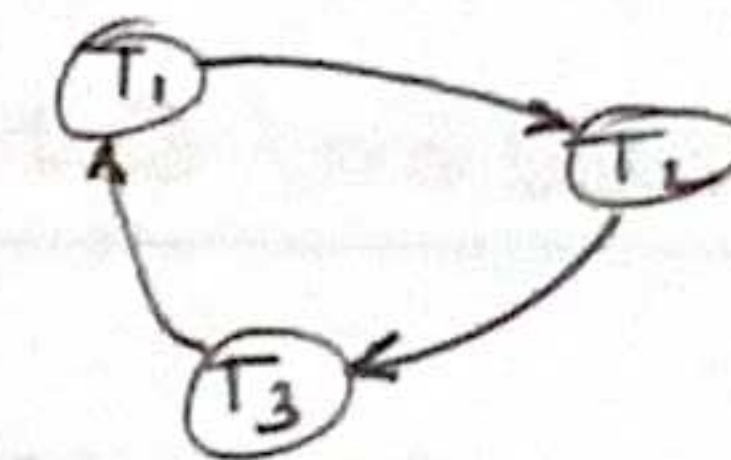
1. if $write_TS(x) > TS(T)$ then abort & rollback T
& reject the operations.

2. if $write_TS(x) \leq TS(T)$ then $read(x)$ and set
 $read_TS(x)$ to larger of $TS(T)$ & $read_TS(T)$.

Strict timestamp \Rightarrow A transaction T that issues a $read_item(x)$
or $write_item(x)$ such that $TS(x) > write(x)$ has its read or
write operation delayed until the ~~transaction~~ ^{transaction} T that write the
value x has committed or aborted.

Deadlock

- circular wait
- Mutual exclusion
- Non-preemptive



Deadlock prevention

- ① \rightarrow use conservative 2-phase locking.
- ② \rightarrow Ordering all data items in database and making sure that a
transaction that needs several items will lock them according
to that order.
- ③ No waiting
- ④ use of time out
- ⑤ Two Schemes of Timestamp
 - wait die
 - wound wait.

wait-die \Rightarrow if $Ts(T_i) < Ts(T_j)$ then T_i is allowed to wait otherwise abort T_i and restart it with same time stamp.

wound wait \Rightarrow if $Ts(T_i) \leq Ts(T_j)$ then abort T_j and restart it with the same timestamp otherwise T_i is allowed to wait.

To Prevent Starvation

Protocol: Validation/Optimistic Concurrency Control

\rightarrow Here we talk about three phases:

- ① Read/Execution phase - write to temp variable
- ② Validation phase \rightarrow validate the action
- ③ Write phase \rightarrow commit otherwise rollback

\rightarrow We use 3 timestamps:

- ① $Start(T_i) \rightarrow$ when T_i started execution
- ② $Validation(T_i) \rightarrow$ when T_i enters validation phase
- ③ $Finish(T_i) \rightarrow$ when T_i finishes write phase.

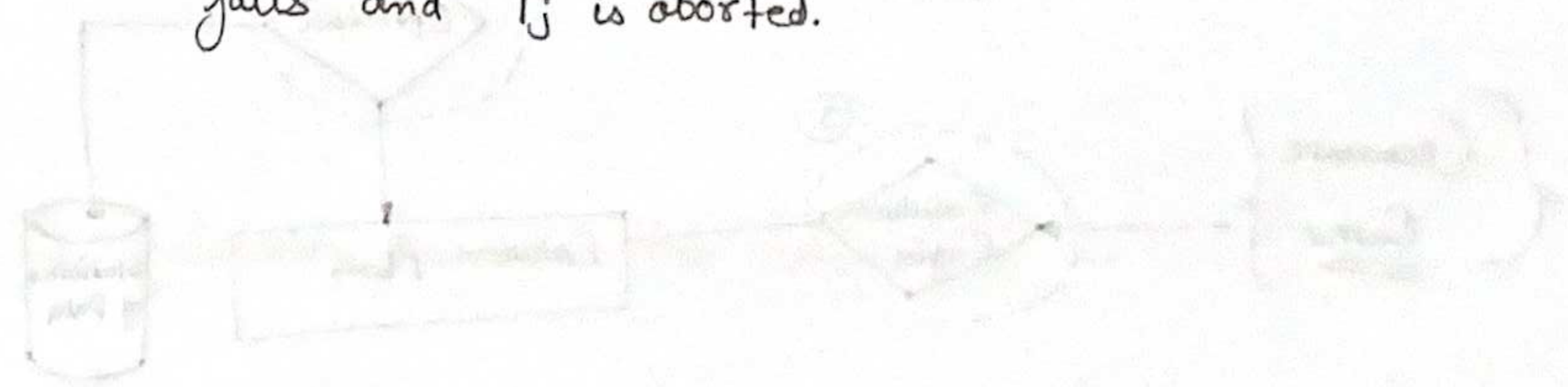
Validation Phase - Algorithm (T_j)

if for all T_i with $Ts(T_i) < Ts(T_j)$ either of following condition holds:

$\rightarrow finish(T_i) < Start(T_j)$

$\rightarrow start(T_j) < finish(T_i) < validation(T_j)$ and the

Set of data items written by T_i does not intersect with the set of data items read by T_j . Then the validation succeeds and T_j can be committed otherwise validation fails and T_j is aborted.

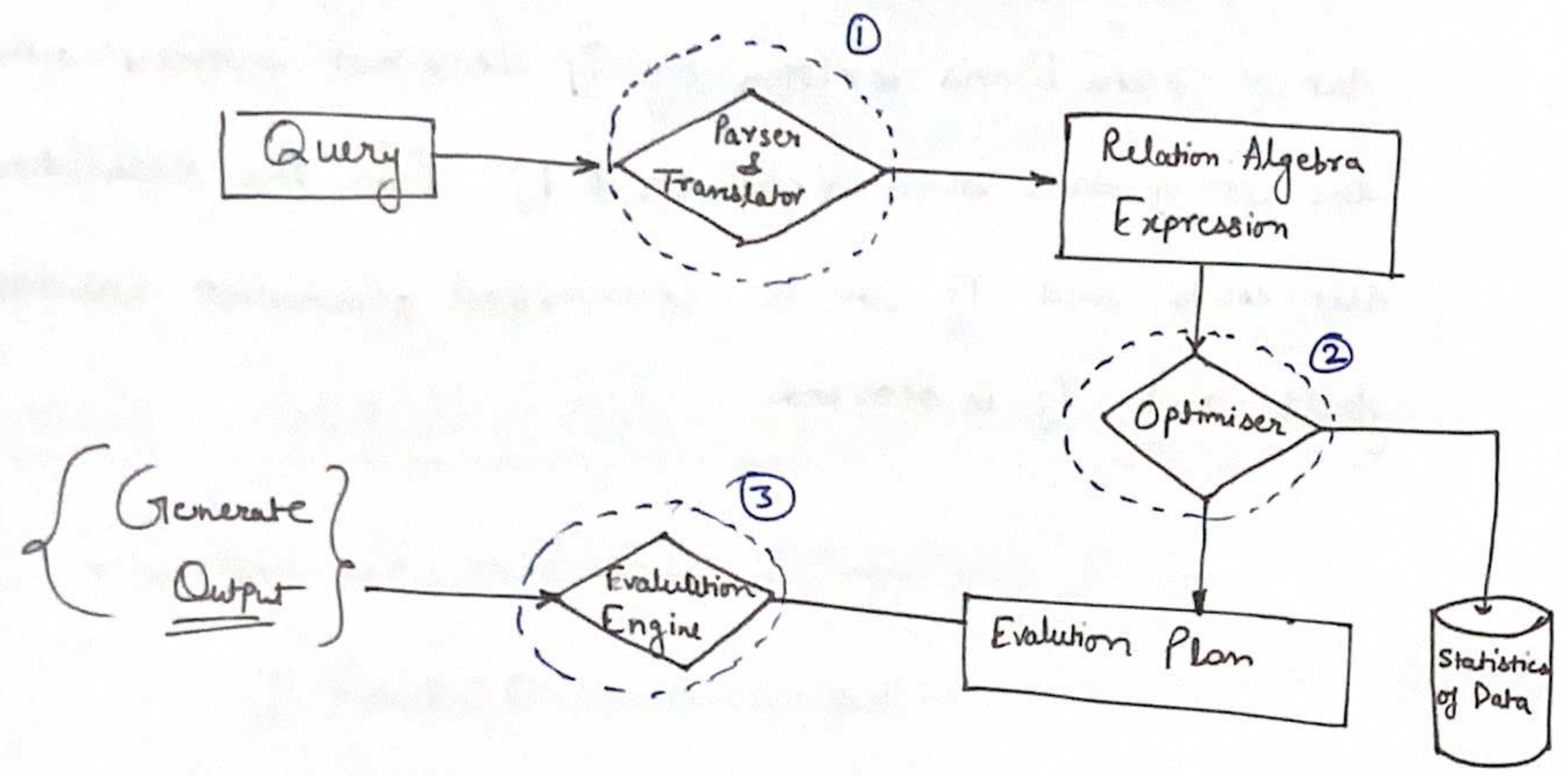


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Query Processing

Three main things include: →

- ① Parsing & Translation
- ② Optimization
- ③ Evaluation.



Parsing & translation → Converts query into small query primitives & then convert it into an equivalent relational algebra expression.

→ To tell system "How" as SQL is a non-procedural language

Optimizer → will see all alternative options of the query & will choose query which take least resources.

Equivalence Rules of Alternate Queries

① Conjunctive Selection Operations →

$$\left\{ \sigma_{\phi_1 \wedge \phi_2}(E) = \sigma_{\phi_1}(\sigma_{\phi_2}(E)) \right\}$$

eg

$$\sigma_{\text{gender}='m' \wedge \text{salary} > 50000}(Emp) = \sigma_{\text{gender}='m'}(\sigma_{\text{salary} > 50000}(Emp))$$

OR

$$\sigma_{\text{salary} > 50000}(\sigma_{\text{gender}='m'}(Emp))$$

② Selection Operations are Commutative →

$$\left\{ \sigma_{\phi_1}(\sigma_{\phi_2}(E)) = \sigma_{\phi_2}(\sigma_{\phi_1}(E)) \right\}$$

eg

$$\sigma_{\text{gender}='m'}(\sigma_{\text{salary} > 50000}(Emp)) = \sigma_{\text{salary} > 50000}(\sigma_{\text{gender}='m'}(Emp))$$

③ Only the final operations in a sequence of projection operations are needed: →

$$\pi_{L_3}(\pi_{L_2}(\pi_{L_1}(E))) = \pi_{L_3}(E)$$

$$\downarrow$$

$$\{L_3 \subseteq L_2 \subseteq L_1\}$$

eg $\Rightarrow \pi_{eid} (\pi_{eid,ename}(Emp)) = \pi_{eid}(Emp)$

④ Selections can be combined with Cartesian Product & theta Join \rightarrow

4.1 $\left\{ \sigma_{\phi} (E_1 \times E_2) = (E_1 \bowtie_{\phi} E_2) \right\}$

eg \Rightarrow

Emp		
eid	ename	dno
1	A	101
2	B	102
3	C	103
4	D	104
5	E	102

Dpt	
did	dname
101	D1
102	D2
103	D3
104	D4

$\sigma_{emp.dno = dpt.did} (Emp \times Dpt) = (Emp) \bowtie_{\substack{emp.dno = dpt.did \\ \text{Join based on these values}}} (Dpt)$

4.2 $\left\{ \sigma_{\phi_1} (E_1 \bowtie_{\phi_2} E_2) = (E_1) \bowtie_{\phi_1 \wedge \phi_2} (E_2) \right\}$

5. Theta Join operations are ~~com~~Commutative \rightarrow

$$\left\{ E_1 \bowtie_{\phi} E_2 = E_2 \bowtie_{\phi} E_1 \right\}$$

6. Natural Join Operations are $\left\{ (A+B)+C = A+(B+C) \right\}$ Associative. \rightarrow

6.1 $\left\{ (E_1 \bowtie E_2) \bowtie E_3 = E_1 \bowtie (E_2 \bowtie E_3) \right\}$

6.2 Theta Join are Associative in following Manner. \rightarrow

$$(E_1 \bowtie_{\phi_1} E_2) \bowtie_{\phi_2 \wedge \phi_3} (E_3) = (E_1) \bowtie_{\phi_1 \wedge \phi_3} (E_2 \bowtie_{\phi_2} E_3)$$

7. (a) 7.1

$$\left\{ \sigma_{\phi_1} (E_1 \bowtie_{\phi} E_2) = (\sigma_{\phi_1} (E_1)) \bowtie_{\phi} E_2 \right\}$$

7.2

$$\left\{ \sigma_{\phi_1 \wedge \phi_2} (E_1 \bowtie_{\phi} E_2) = (\sigma_{\phi_1} (E_1)) \bowtie_{\phi} (\sigma_{\phi_2} (E_2)) \right\}$$

Eg →

Emp

eid	ename	Salary	dno
1	A	55000	101
2	B	60000	102
3	C	45000	103
4	D	48000	101
5	E	49000	102
6	F	52000	103
7	G	40000	101

Dept

dno	dname
101	CS
102	IT
103	EC

$$\phi = \text{dno} = \text{did}$$

$$\phi_1 = \text{Salary} > 50000$$

$$\sigma_{\phi_1} (E_1 \bowtie_{\phi} E_2)$$

$$(E_1 \bowtie_{\phi} E_2)$$

eid	ename	Salary	dname
1	A	55K	CS
2	B	60K	IT
3	C	45K	EC
4	D	48K	CS
5	E	49K	IT
6	F	52K	EC
7	G	40K	CS

eid	ename	Salary	dname
1	A	55K	CS
2	B	60K	IT
6	F	52K	EC

$$(\sigma_{\phi_1} (E_1)) \bowtie_{\phi} E_2 \rightarrow \sigma_{\phi_1} (E_1)$$

eid	ename	Salary	dname
1	A	55K	CS
2	B	60K	IT
6	F	52K	EC

eid	ename	Salary	dno
1	A	55K	101
2	B	60K	102
6	F	52K	103

8. Set Operations Union & Intersection are commutative →

$$\underline{8.1} \left\{ E_1 \cup E_2 = E_2 \cup E_1 \right\}$$

$$\underline{8.2} \left\{ E_1 \cap E_2 = E_2 \cap E_1 \right\}$$

Set difference is not commutative :-

$$\left\{ E_1 - E_2 \neq E_2 - E_1 \right\}$$

9. Set union & Intersection are Associative →

$$\rightarrow \left\{ E_1 \cup (E_2 \cup E_3) = (E_1 \cup E_2) \cup E_3 \right\}$$

$$\rightarrow \left\{ E_1 \cap (E_2 \cap E_3) = (E_1 \cap E_2) \cap E_3 \right\}$$

10 Distributability among set operations: \rightarrow

$$\begin{cases} \sigma_p(E_1 - E_2) = \sigma_p(E_1) - \sigma_p(E_2) \\ \sigma_p(E_1 \cup E_2) = \sigma_p(E_1) \cup \sigma_p(E_2) \\ \sigma_p(E_1 \cap E_2) = \sigma_p(E_1) \cap \sigma_p(E_2) \end{cases}$$

$$10.2 \quad \left\{ \sigma_p(E_1 - E_2) = \sigma_p(E_1) - E_2 \right\}$$

Projection on union is distributed \rightarrow

$$11. \quad \left\{ \pi_L(E_1 \cup E_2) = (\pi_L(E_1)) \cup (\pi_L(E_2)) \right\}$$

$$12. \quad \left\{ \pi_{L_1 \cup L_2}(E_1 \bowtie_\phi E_2) = (\pi_{L_1}(E_1)) \bowtie_\phi (\pi_{L_2}(E_2)) \right\}$$

Projection on with union of attributes is distributed over \rightarrow relations.

Attributes for Estimation of Cost \leftarrow Resources

n_r = The no. of tuples

b_r = no. of blocks containing tuple of relation r

l_r = The size of a tuple of relation r in bytes

fr = the blocking factor of relation r that fits into one block.

$V(A, r)$ = no. of distinct values appears in relation r for attribute A .

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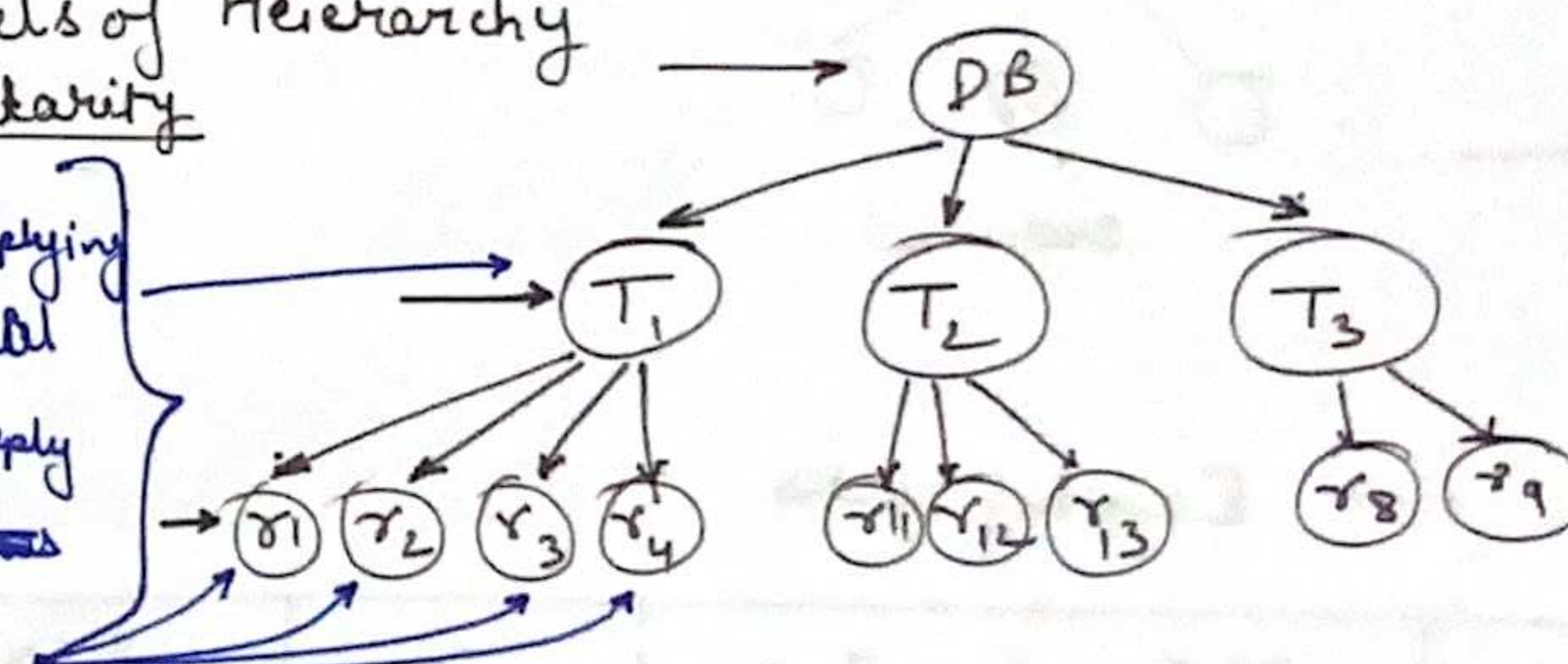
Multiple Granularity {Concurrency Control}

Size of data items allowed to lock.

We lock on levels of Hierarchy

\rightarrow Multiple Granularity

eg Rather than applying locks on individual Rows we can apply it directly on Tables



Two types

\rightarrow Coarse Granularity \rightarrow higher level
like db or table

\rightarrow Fine Granularity \rightarrow Lower level
like rows or attributes.

Locks in Case of Granularity

✓ → shared

✓ → Exclusive

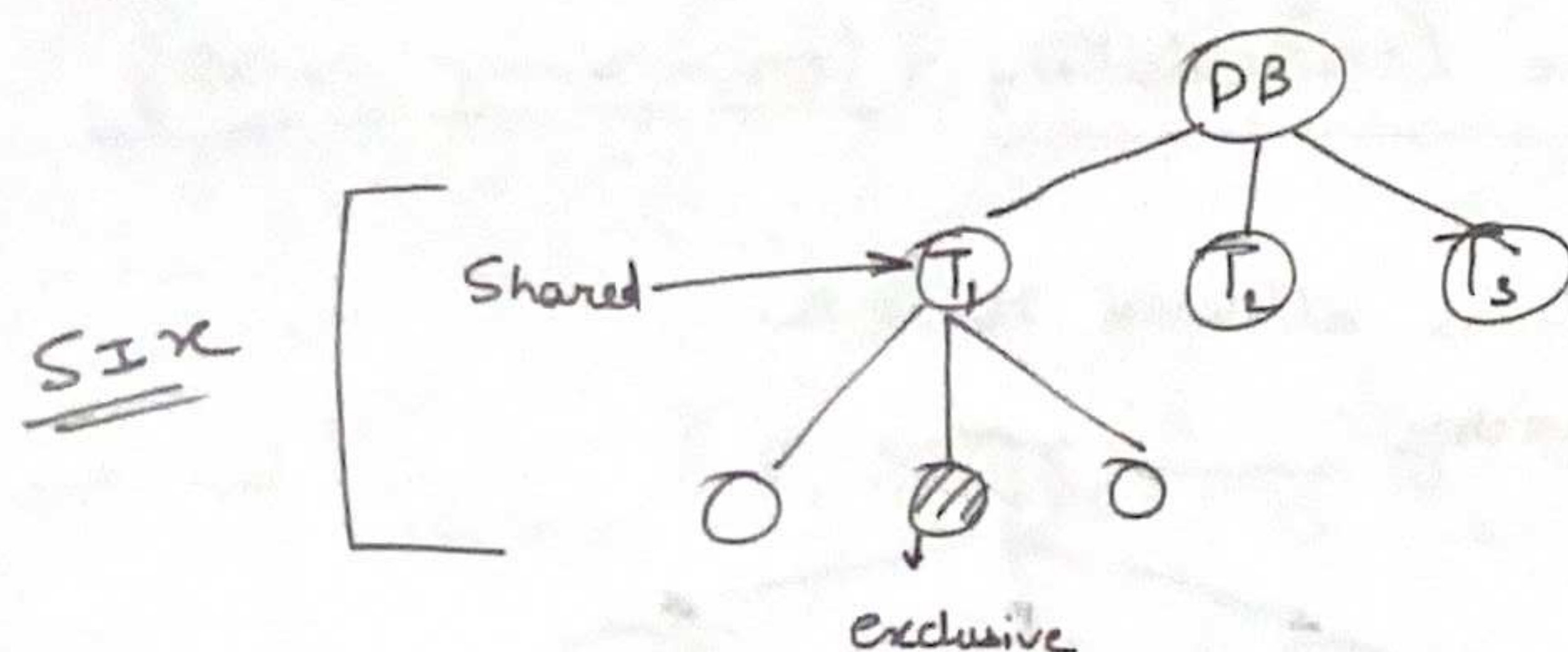
→ Intension Shared (IS)

→ Intension Exclusive (IX)

→ Shared Intension Exclusive (SIX)

③ IS Lock →

If we are apply IS node on any node then it will be shared among its ~~low~~ descendants as well.



→ Existing Locks

Requested Lock	IS	IX	S	SIX	X
IS	✓	✓	✓	✓	✗
IX	✓	✗	✗	✗	✗
S	✓	✗	✓	✗	✗
SIX	✓	✗	✗	✗	✗
X	✗	✗	✗	✗	✗

↑ Compatibility Matrix

Estimation of Cost {Not Imp}

$$b_r = \left\lceil \frac{n_r}{f_r} \right\rceil$$

→ Selection of size estimation →

$$\sigma_{A=a}(r)$$

$$\text{Total no. of tuples} = \frac{n_r}{V(A, r)}$$

$$\sigma_{A \leq v}(R) \quad \min(A, r) \quad \max(A, r)$$

$$A \leq v \text{ as } 0 \text{ if } v < \min(A, r)$$

$$n_r \text{ if } v \geq \max(A, r)$$