

# How does Peer Pressure affect social trends online?

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Modeling Complex Systems

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- A cellular automata will allow us to create a (simple) model of transmission for this phenomena without getting too overly complex in representation
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- We want to use a neighborhood scheme in our CA that allows to us simultaneously examine the direct neighbors and the neighbors of those neighbors; this allows us to properly model the generation skipping tendencies of complex contagions.
- To that end, we will be using a Von Neumann neighborhood with a Manhattan distance of 2.

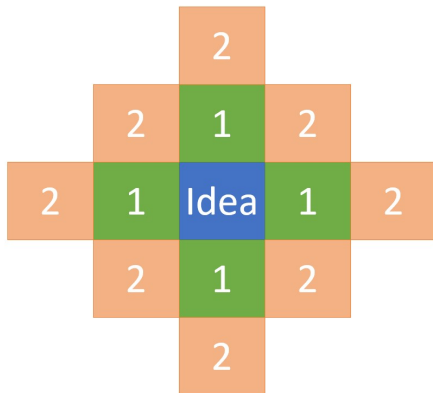
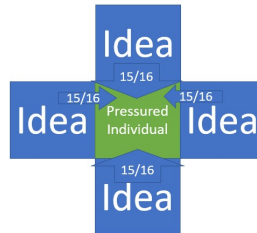
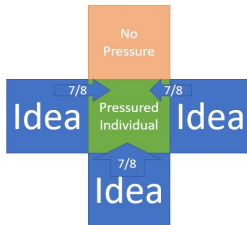
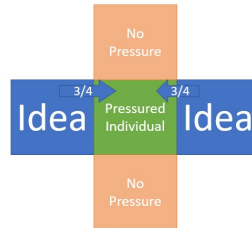
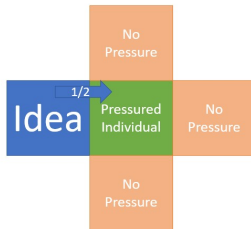


Figure: A Von Neumann neighborhood with Manhattan distance  $r=2$

- For the sake of understanding in this presentation, all neighbors within  $r=1$  will be pressured at a rate of  $\frac{1}{2}$ , and those at  $r=2$  will be pressured at a rate of  $\frac{1}{4}$ .
- The other piece of a complex contagion we want to model will be the social reinforcement nature of that pressure. If an empty cell is direct neighbors with 1 "idea" cell, it is being pressured by that cell at a rate of  $\frac{1}{2}$ ; with 2 idea direct neighbors, each is now individually pressuring the empty cell at a rate of  $\frac{3}{4}$ ; at 3, a rate of  $\frac{7}{8}$ ; and at 4 idea neighbors, a rate of  $\frac{15}{16}$ .
- This rate increase among neighbors shows that the pressure increases as others around have the same idea, but not linearly.

# Compounding Pressure Rate Examples



- We will be attempting to implement 3 different types of initial pressure scenarios:
  - single starting idea cell
  - multiple starting idea cells
  - two competitive starting idea cells.
- Questions?

