Data Types and Data Structures in R

Anthony Chau

UCI Center for Statistical Consulting

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Learning Objectives

- 1. Identify and give examples of the data types in R
- 2. Know how to represent missing values and special values
- 3. Know how vectorized operations work
- 4. Know how vector recycling works
- 5. Know how vector coercion works
- 6. Compare and contrast each of the data structures
- 7. Know how to assign names for each data structure

Motivation

- Going back to the **storage** problem: how do we store data in a format that R recognizes
- Data types allow us to group related data
- **Data structures** provide an interface to organize, manage, and store our data.
- The data types and data structures define how we interact with data
- Many programming problems occur because of incompatible data types and data structures so mastery of this section is important

Goals moving forward:

- Introduce fundamental data types and data structures
- Build up to the data frame data structure
- Recognize the relationship between the different data structures

Numerical variables

- We can divide data into two big types: numerical and categorical
- Numerical variables contain data of numerical values
- Numerical variables can be further divided into continuous and discrete numerical variables
- Continuous numerical variables take on the full range of numerical values where as discrete numerical variables have jumps in numerical values
- Continuous examples: price, weight, miles ran
- **Discrete** examples: number of people in store, number of cars sold, number of likes

Categorical variables

- Categorical variables contain data of two or more categories
- Categorical variables can be further divided into nominal and ordinal numerical variables
- Ordinal categorical variables have some natural ordering to the categories where as nominal categorical variables have no such ordering (ie: Alabama, Texas, New York)
- Ordinal examples: {elementary, middle, high school}, {low, medium, high}, {strongly disagree, disagree, neutral, agree, strongly agree}
- **Nominal examples**: hair color, transportation method, social media platform

Data Types

Туре	Subtype	Example
Numerical		
	Continuous	weight
	Discrete	number of people in store
Categorical		
	Ordinal	{elementary, middle, high school}
	Nominal	hair color

Data Types in R

Туре	Description	Example
integer	Integers. Suffix an integer with L to create an integer	1L, 2L, 100L
double	Decimals, fractions. Can include integers	1.3, 4/9, 5,
logical	Denote if a condition is true or false. Only two possible values; TRUE, FALSE	TRUE, FALSE, T, F
character	Any kind of text. Wrap the text in "" or ". Choose one and be consistent.	"hello", "welcome home", 'What's your name?'
NULL	Used to represent an empty vector or an absent vector	NULL

Checking object type

Check the type of an object with the typeof() function.

```
typeof(1L)
#> [1] "integer"
typeof(1.5)
#> [1] "double"
typeof("hello")
#> [1] "character"
typeof(TRUE)
#> [1] "logical"
typeof(NULL)
#> [1] "NULL"
```

Special values: NA

- There are two special values to be aware of in R: NA and NaN
- NA indicates a missing value
- NA's "propagates" when doing performing operations with NA
- Many functions have common argument na.rm=TRUE to remove NA before performing operation
- Check if a value is NA with is.na() will be very useful!

Special values: NA

```
# NA propagation
1 + NA
#> [1] NA
NA * 5
#> [1] NA

# NA is removed so x = c(0,1,2,3,4)
# then, the mean is computed
mean(x = c(0,1,2,3,4,NA), na.rm = TRUE)
#> [1] 2

# check if something is NA
is.na(NA)
#> [1] TRUE
```

Special values: NaN

- NaN indicates an invalid math operation (ie: divide by 0, subtract by infinity)
- Check if a value is NaN with is.nan()

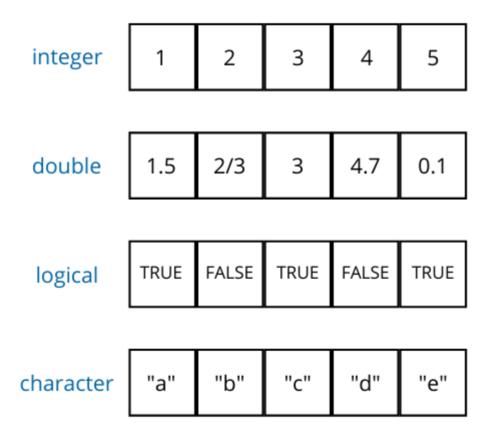
```
# examples where NaN can occur
sqrt(-1)
#> Warning in sqrt(-1): NaNs produced
#> [1] NaN
0/0
#> [1] NaN
Inf - Inf
#> [1] NaN
# Check if something is NaN
is.nan(NaN)
#> [1] TRUE
```

Vectors

vector: a sequence of values where each value must be of the same type

- Vectors are objects
- Vectors are everywhere!
- Vectors are the building blocks of other data structures
- We can create a vector of each data types: integer, double, character, logical

Vector mental model



Factors

- Factors are a special type of vectors that have a fixed and known set of values
- Use factor variables when you know the variable will have a fixed set of values
- Create a factor with factor().
- The levels of a factor are the unique set of values in the factor
- The labels of a factor are labels for the levels in the factor

Creating a factor

```
states ← c("California", "CA", "Cali",
           "Texas", "TX", "Texas",
           "Oregon", "Oregon", "Oregan")
states
#> [1] "California" "CA" "Cali"
                                             "Texas"
                                                          "TX"
                                                                       "Texa
#> [7] "Oregon" "Oregon" "Oregan"
# notice how the levels are unique
# length of levels shoud be same as labels
states factor ←
 factor(states,
        levels = c("California", "CA", "Cali",
                   "Texas", "TX",
                   "Oregon", "Oregan"),
        labels = c("CA", "CA", "CA",
                   "OR". "OR")
states factor
#> [1] CA CA CA TX TX TX OR OR OR
#> Levels: CA TX OR
```

Vector structure

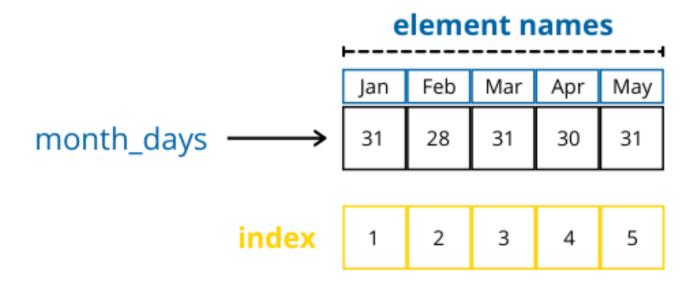
Element names

- Each element of a vector can be assigned a name as well. Call this the element name to distinguish from name
- A typical use case for this is to label a numerical value with informative text

Indices

- The **indices** give the position of an element
- Indices are integers that always start at 1 and increment by 1 to the length of the vector

Detailed Vector mental model



Setting element names

- Set and access element names for a vector with the names() function.
- Note that the element names of a vector is another vector.

Setting element names

 Alternatively, specify a name = value pair when you create the vector

Useful functions for vectors

Many functions expect a vector as an argument.

```
x \leftarrow c(-2, 0, 2, 4)
# compute sum of all elements in a vector
sum(x)
#> [1] 4
# compute mean of all elements in a vector
mean(x)
#> \[ 1 \] 1
# compute standard devation of all elements in a vector
sd(x)
#> [1] 2.581989
# get minimum value in a vector
min(x)
#> [1] -2
# get minimum value in a vector
max(x)
#> [1] 4
# get the length of a vector
length(x)
#> [1] 4
```

Useful functions for vectors ...

- seq() generates a sequence of values
- rep repeats elements in a vector

```
# use the colon to get a sequence of numbers
x \leftarrow c(1:10)
#> [1] 1 2 3 4 5 6 7 8 9 10
# or use seq() for more flexibility
a \leftarrow seq(from = 1, to = 10, by = 1)
#> [1] 1 2 3 4 5 6 7 8 9 10
y alternate \leftarrow rep(x = c(1,2), times = 5)
v alternate
#> [1] 1 2 1 2 1 2 1 2 1 2
y element wise \leftarrow rep(x = c(1,2), each = 5)
y element wise
#> [1] 1 1 1 1 1 2 2 2 2 2
y same length \leftarrow rep(x = c(1,2), length.out = 5)
y same length
#> [1] 1 2 1 2 1
```

Vector Operations

• Arithmetic (+, -, *, /) is done element-wise with vectors.

Code Example

```
x \leftarrow c(1, 2, 3)

y \leftarrow c(1, 4, 9)

x + y

\# > [1]  2  6  12

y - x

\# > [1]  0  2  6

x * y

\# > [1]  1  8  27

y / x

\# > [1]  1  2  3
```

 When vectors are the same length (have the same number of elements), arithmetic is intuitive.

Vectorized operations

- Element-wise operations are also called vectorized operations
- The idea is that I don't need to explicitly specify an operation on each element of a vector - the operation is applied to each element
- Vectorized operations simplify our code

Example - Square root

```
x ← c(1, 4, 9, 16, 25)
x
#> [1] 1 4 9 16 25
sqrt(x)
#> [1] 1 2 3 4 5
```

Vectorized operations

 Vectorized operations will save us a lot of time and effort when our operations become complex

Without vectorized operations

```
x \( \sigma \cdot \text{c(1, 4, 9, 16, 25)} \)
n \( \sigma \text{length(x)} \)
result \( \sigma \text{rep(NA_integer_, n)} \)
for (i in seq_len(n)) {
   result[i] \( \sigma \text{x[i]} \gamma (1/2) \)
}
result
#> [1] 1 2 3 4 5
```

Vector Recycling

- It turns out that you can perform vector operations on vectors of unequal length
- R deals with unequal length by "recycling" the shorter vector to the length of the longer vector

Code Example

```
# note: x is a vector - a length one vector!
x ← 5
y ← c(1, 2, 3)

# behind the scenes, R recycles the value 5 until the
# vector x looks like this: c(5, 5, 5)
# then, it is the usual element-wise operation
x * y
#> [1] 5 10 15
x + y
#> [1] 6 7 8
```

Vector Recycling

- In theory, vector recycling can work when you have any pairs of varying vector lengths.
- But, the behavior is hard to predict and keep track of.
- I suggest to stick with the case where one vector is length 1 and the other vector is some arbitrary length

Code Example

```
x \leftarrow c(1, 2)

y \leftarrow c(2, 4, 6, 8, 10)

# x becomes: c(1, 2, 1, 2, 1)

# so x + y = c(1, 2, 1, 2, 1) + c(2, 4, 6, 8, 10)

x + y

#> Warning in x + y: longer object length is not a multiple of shorter object

#> [1] 3 6 7 10 11
```

 Notice the warning - it's encouraging us to try to keep the longer vector a multiple of the shorter vector

Type Coercion

- Recall that all elements in a vector must be of the same type
- If we try to circumvent this property, R converts all elements to the same type through **coercion**.

```
# integer and double
x \leftarrow c(1L, 2.3)
#> [1] 1.0 2.3
typeof(x)
#> [1] "double"
# character and double
y \leftarrow c("1", 1)
#> [1] "1" "1"
typeof(y)
#> [1] "character"
# double and logical
z \leftarrow c(1, TRUE)
#> [1] 1 1
typeof(z)
#> [1] "double"
```

Type Coercion Rule

 One rule summarizes what happens when combining different types

Type Coercion rule: character \rightarrow double \rightarrow integer \rightarrow logical

 Types downstream on the chain are converted to the highest type on the chain

Type Coercion Rule

 Notice that the most general type (character) takes precedence - the character type can sensibly represent data of the double, integer, or logical class

```
# character
"uci"
# double as character
"1.5"
# integer as character
"1"
# logical as character
"TRUE"
```

Caution for Type Coercion

• Be mindful of type coercion - it may happen silently without your awareness

Common situations where type coercion can occur

- You use data from multiple sources certain variables may be stored differently
- Some functions may need to convert to a specific type to perform some task

Why use a vector?

- Consistency: data is all of the same type; allowable operations are defined accordingly
- For example, how is arithmetic defined for vectors with a mix of character and numeric values?
- Enforcing homogeneous type will make our code more predictable and manageable

Checkpoint Question 1 - Vectors

Consider the following R code. Which of the following is **not** a vector (if any)?

```
x \leftarrow 10

y \leftarrow c(10, 20, 30)

y \leftarrow y - x

names(y) \leftarrow c("zero", "ten", "twenty")
```

A. x

B. y

C. names(y)

D. x, y, names(y) are all vectors

Checkpoint Question 2 - Vectors

Consider the following R code. What is z?

D. c(1, 2, 300)

```
x \leftarrow 100
y \leftarrow c(1, 2, 3)
z \leftarrow x * y

A. c(1, 2, 3)
B. c(100, 2, 3)

C. c(100, 200, 300)
```

Checkpoint Question 3 - Vectors

Consider the following R code. What type is x?

```
x \leftarrow c(1, "1", TRUE)
typeof(x)
```

- A. integer
- B. double
- C. character
- D. logical

Checkpoint Question 4 - Vectors

Consider the following R code. What is y?

```
subtract_five \( \tau \) function(v){
  v - 5
}

x \( \tau \) c(5, 10, 15)
y \( \tau \) subtract_five(x)
y
```

```
A. v - 5

B. c(0, 5, 10)

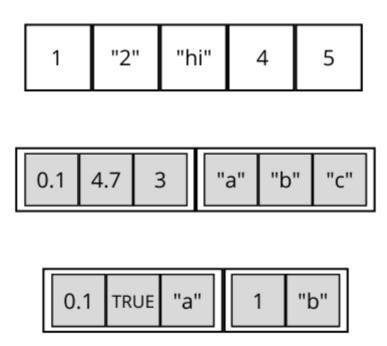
C. c(0, 10, 15)

D. c(5, 10, 15)
```

Lists

- list: a sequence of values where each value can have different types
- Lists are objects
- Lists are the most flexible data structure
- Think of lists as generalizations of vectors
 - Vectors hold homogeneous data
 - Lists hold heterogeneous data
- Since lists are more general and heterogeneous, it is harder to classify them like with vectors

List mental model



Lists in R

- Create lists with the list() function. Separate values with a comma
- Check that an object is a list with is.list()
- Just like with vectors, we can name each element of a list with names()

```
my_list ← list(1L, "hello", TRUE, 1.5)
my list
#> [[1]]
#> [1] 1
#> [[2]]
#> [1] "hello"
#>
#> [[31]
#> [1] TRUE
#>
#> [[4]]
#> [1] 1.5
# names(mv list) is still a vector
names(my_list) ← c("integer", "character", "logical", "double")
names(my list)
#> [1] "integer" "character" "logical" "double"
```

Why use a list?

• The raw data you receive is "hierarchical"

```
name: Anthony
academic_year: "2018-2019"
term: "fall"
courses: [
      course name: "English 1"
      units: 4
      grade: "B"
      course name: "Economics 1"
      units: 4
      grade: "C"
      course_name: "Statistics 1"
      units: 4
      grade: "B+"
```

Why use a list?

 Apply common operations to data from different time periods

```
# read in data
lab_Jan2020 ← read.csv(file = "lab_results_Jan-2020.csv")
lab_Feb2020 ← read.csv(file = "lab_results_Feb-2020.csv")
lab_Mar2020 ← read.csv(file = "lab_results_Mar-2020.csv")
lab_data_all ← list(lab_Jan2020, lab_Feb2020, lab_Mar2020)
clean_data(lab_data_all)
plot_data(lab_data_all)
build_model(lab_data_all)
```

Checkpoint Question 1 - Lists

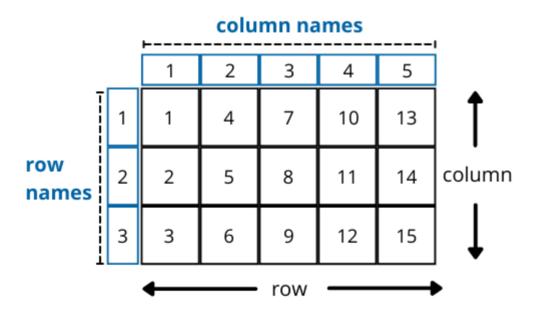
What are some reasons you would you use a list over a vector?

- A. Lists can hold heterogeneous data
- B. You want to process a group of related data
- C. Your data is naturally hierarchical
- D. All of the above

Matrices

- matrix: a 2-dimensional rectangular table of values where every value must be the same type
- Matrices are objects
- Matrices hold homogeneous data
- Commonly, you use matrices with numbers
- Every row and column in a matrix is a vector
- Since we are in 2D, we use **rows** and **columns** to index a matrix

Matrix mental model



Matrices in R

- Create a matrix with the matrix() function
- For a matrix, we need to provide some data to fill the matrix
- Check that an object is a matrix with is.matrix()

Let's create a 3 \times 5 matrix and populate with values from 1 to 15.

```
# recall the colon shortcut to create a sequence of numbers x \leftarrow c(1:15)

x \leftarrow c(1:15)

# > [1] 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15

# with the vector x, create a matrix with 3 rows and 5 columns + column \leftarrow column \leftarrow
```

Specify how values are filled in matrices

- Note how the values are filled with matrix()
- Add byrow=TRUE as an argument to matrix() to fill the values by row. The
 default is to fill by column

```
x ← c(1:15)
# note how I don't need to specify byrow=FALSE
m_by_column ← matrix(data = x, nrow = 3, ncol = 5)
m_by_row ← matrix(data = x, nrow = 3, ncol = 5, byrow = TRUE)

# values filled by column
m_by_column
#> [,1] [,2] [,3] [,4] [,5]
#> [1,] 1 4 7 10 13
#> [2,] 2 5 8 11 14
#> [3,] 3 6 9 12 15
# values filled by row
m_by_row
#> [,1] [,2] [,3] [,4] [,5]
#> [1,] 1 2 3 4 5
#> [2,] 6 7 8 9 10
#> [3,] 11 12 13 14 15
```

Fill by row vs fill by column

byrow = TRUE

1	2	3	4	5
6	7	8	9	10
11	12	13	14	15

fill matrix by row

byrow = FALSE

1	4	7	10	13
2	5	8	11	14
3	6	9	12	15

fill matrix by column

Matrix row names and column names

- Set and view the row names with rownames()
- Set and view the column names with colnames()
- View both row names and column names with dimnames()
- Alternatively, set dimension names when creating the matrix

Matrix row names and column names

```
m \leftarrow matrix(data = c(1:15), nrow = 3, ncol = 5, byrow = TRUE)
rownames(m) \leftarrow c("r1", "r2", "r3")
rownames(m)
#> [1] "r1" "r2" "r3"
colnames(m) \leftarrow c("c1", "c2", "c3", "c4", "c5")
colnames(m)
#> [1] "c1" "c2" "c3" "c4" "c5"
dimnames(m)
#> [[1]]
#> [1] "r1" "r2" "r3"
#>
#> [[2]]
#> [1] "c1" "c2" "c3" "c4" "c5"
#> c1 c2 c3 c4 c5
#> r1 1 2 3 4 5
#> r2 6 7 8 9 10
#> r3 11 12 13 14 15
```

Matrix dimensions

- Get number of rows with nrow()
- Get number of columns with ncol()
- Get dimension of matrix with dim()

```
m ← matrix(data = c(1:15), nrow = 3, ncol = 5, byrow = TRUE)
m
#> [,1] [,2] [,3] [,4] [,5]
#> [1,] 1 2 3 4 5
#> [2,] 6 7 8 9 10
#> [3,] 11 12 13 14 15

nrow(m)
#> [1] 3

ncol(m)
#> [1] 5

dim(m)
#> [1] 3 5
```

Useful functions for matrices

Function	Description		
t()	Transpose a matrix		
rowMeans()	Compute the mean for each row		
rowSums()	Compute the sum for each row		
colMeans()	Compute the mean for each column		
colSums()	Compute the sum for each column		
rbind()	Combine objects by row		
cbind()	Combine objects by column		

rbind() and cbind()

- Add more rows and columns to matrix with rbind()
 and cbind()
- Check that the number of rows (columns) are the same for your objects to prevent unexpected behavior

```
m ← matrix(data = c(1:15), nrow = 3, ncol = 5, byrow = TRUE)

# recall vector recycling
rbind(m, c(4))
#> [,1] [,2] [,3] [,4] [,5]
#> [1,] 1 2 3 4 5
#> [2,] 6 7 8 9 10
#> [3,] 11 12 13 14 15
#> [4,] 4 4 4 4 4

cbind(m, c(6))
#> [,1] [,2] [,3] [,4] [,5] [,6]
#> [1,] 1 2 3 4 5 6
#> [2,] 6 7 8 9 10 6
#> [3,] 11 12 13 14 15 6
```

Checkpoint Question 1 - Matrices

What is dim(m)?

```
m \leftarrow matrix(c(1:8), nrow = 4, ncol = 2, byrow = TRUE)
dim(m)
```

A. 4 rows by 2 columns

B. 2 rows by 4 columns

Checkpoint Question 2 - Matrices

Which row is the value 6 in?

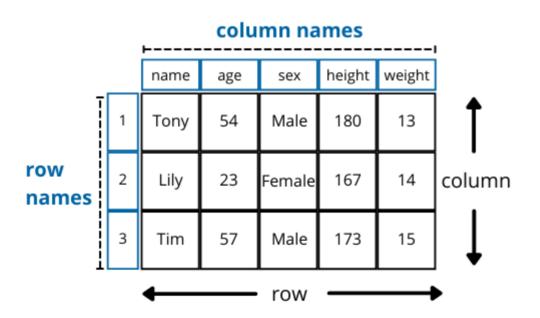
```
m ← matrix(c(1:8), nrow = 4, ncol = 2, byrow = TRUE)
m
```

- A. 1st row
- B. 2nd row
- C. 3rd row
- D. 4th row

Data Frames

- data frame: a 2-dimensional rectangular table of values where every value in a column must be the same type
- Data frames are objects
- Data frame columns hold homogeneous data
- The entire data frame holds heterogeneous data
- It turns out that a data frame is a list of vectors
- Data frame format is familiar a typical csv/Excel file in the wild

Data frame mental model



Data frames in R

- Create a data frame with the data.frame() function
- Specify each column as column name = vector of values
- Check that an object is a data frame with is.data.frame()

Useful functions for data frames

Data frames share many functions with matrices

```
mascots ← data.frame(name = c("Peter Anteater", "Josephine Bruin",
                                 "King Triton", "Tommy Trojan"),
                      age = c(56, 101, 60, 140),
                      residence = c("Irvine", "Los Angeles",
                                     "San Diego", "Los Angeles"))
nrow(mascots)
#> [1] 4
rownames(mascots)
#> [1] "1" "2" "3" "4"
ncol(mascots)
#> [1] 3
colnames(mascots)
                               "residence"
#> [1] "name"
                   "age"
dim(mascots)
#> [1] 4 3
```

Data frame and other data structures

Notice how the data frame has properties from other data structures

- 1. Data frame columns are vectors
- 2. The data frame is a list (of vectors)
- 3. Data frame is a 2-dimensional rectangular structure like a matrix

Important to know the simpler data structures since the data frame is a mix and match of all of them.

Checkpoint Question 1 - Data Frames

What is the relationship between data frames, lists, and vectors?

- A. All vectors are data frames
- B. A data frame is a vector of lists
- C. A data frame is a list of vectors
- D. All lists are data frames