

Now we have the London mortality dataset, reporting the deaths that occurred in London in summertime (June to August) in 2006 and 2013. The data is a time series across 983 middle layer super output areas (MSOA). For column "dtot", dtot (total deaths) = d074 (deaths 0-74 years old) + d75plus (deaths 75+ years old).

Statistical analysis with small-area CTS design

First, check the completeness of this time series dataset

```
# DEFINE SERIES OF UNIQUE MSOA AND DATES
seqmsoa <- sort(unique(london$MSOA11CD))
seqdate <- sort(unique(london$date)) # 92 days/year * 2 years = 184 days

# COMPLETE TIME SERIES
ts <- expand.grid(county_fips=seqmsoa, date=seqdate) |>
  data.table()
# The original dataset has the same columns with complete time series [PASS]

# ORDER (IMPORTANT FOR KEEPING THE TIME SERIES SEQUENCE BY MSOA)
setkey(london, MSOA11CD , date)
```

Fit the conditional Poisson model

```
# DEFINE SPLINES OF DAY OF THE YEAR
spldoy <- onebasis(london$doy, "ns", df=3)

# DEFINE THE CROSS-BASIS FOR TEMPERATURE FROM THE EXPOSURE HISTORY MATRIX
# NB: USE group TO IDENTIFY LACK OF CONTINUITY IN SERIES BY COUNTY AND YEAR
argvar <- list(fun="ns", knots=quantile(london$tmean, c(50,90)/100, na.rm=T))
arglag <- list(fun="ns", knots=1)
group <- factor(paste(london$MSOA11CD, london$year, sep="-"))
cbtmean <- crossbasis(london$tmean, lag=3, argvar=argvar, arglag=arglag,
  group=group)
# To deal with the discontinuation and lag structure of time series,
# we use group feature to address this issue.
summary(cbtmean)
```

```
## CROSSBASIS FUNCTIONS
## observations: 180872
## groups: 1966
## range: 8.551893 to 27.17635
## lag period: 0 3
## total df: 9
##
## BASIS FOR VAR:
## fun: ns
## knots: 18.27253 22.91653
## intercept: FALSE
## Boundary.knots: 8.551893 27.17635
##
## BASIS FOR LAG:
## fun: ns
```

```
# DEFINE THE STRATA
london[, stratum:=factor(paste(MSOA11CD, year, month, sep=":"))]

# RUN THE MODEL
# NB: EXCLUDE EMPTY STRATA, OTHERWISE BIAS IN gnm WITH quasipoisson
london[, keep:=sum(dtot)>0, by=stratum]
modfull <- gnm(dtot ~ cbtmean + spldoy:factor(year) + factor(dow),
  eliminate=stratum, data=london, family=quasipoisson, subset=keep)
```

```
# PREDICT
temp <- seq(min(london$tmean),max(london$tmean),by=0.1)
cpfull <- crosspred(cbtmean, modfull, cen=16, at=temp)
# find minimum morbidity/mortality temperature
mmt <- temp[which.min(cpfull$allfit)]

cp_mmt <- crosspred(cbtmean, modfull, cen=mmt, at=temp)

# PLOT
col <- "darkgoldenrod3"
plot(cp_mmt, "overall", ylim=c(0.8,1.8), ylab="RR", col=col[1], lwd=1.5,
      xlab=expression(paste("Temperature (*degree, \"C)")),
      ci.arg=list(col=alpha(col[1], 0.2)))
```



```
# expand mortality time series
```

```
# Note: the "datfull" full dataset has duplicated exposure data.
# The distribution of exposure from this dataset may not represent the real distribution
# of the exposure.
```

```
# DEFINE THE CROSS-BASIS FOR TEMPERATURE FROM THE EXPOSURE HISTORY MATRIX
```

```
# Include the temperature column as well as the lag columns.
```

```
## CROSSBASIS FUNCTIONS
## observations: 95101
## range: 8.551893 to 27.17635
## lag period: 0 3
## total df: 9
##
## BASIS FOR VAR:
## fun: ns
## knots: 18.28545 22.99516
## intercept: FALSE
## Boundary.knots: 8.551893 27.17635
##
## BASIS FOR LAG:
## fun: ns
## knots: 1
## intercept: TRUE
## Boundary.knots: 0 3
```

```
# DEFINE THE STRATA
# Space-time-stratified case crossover design
```

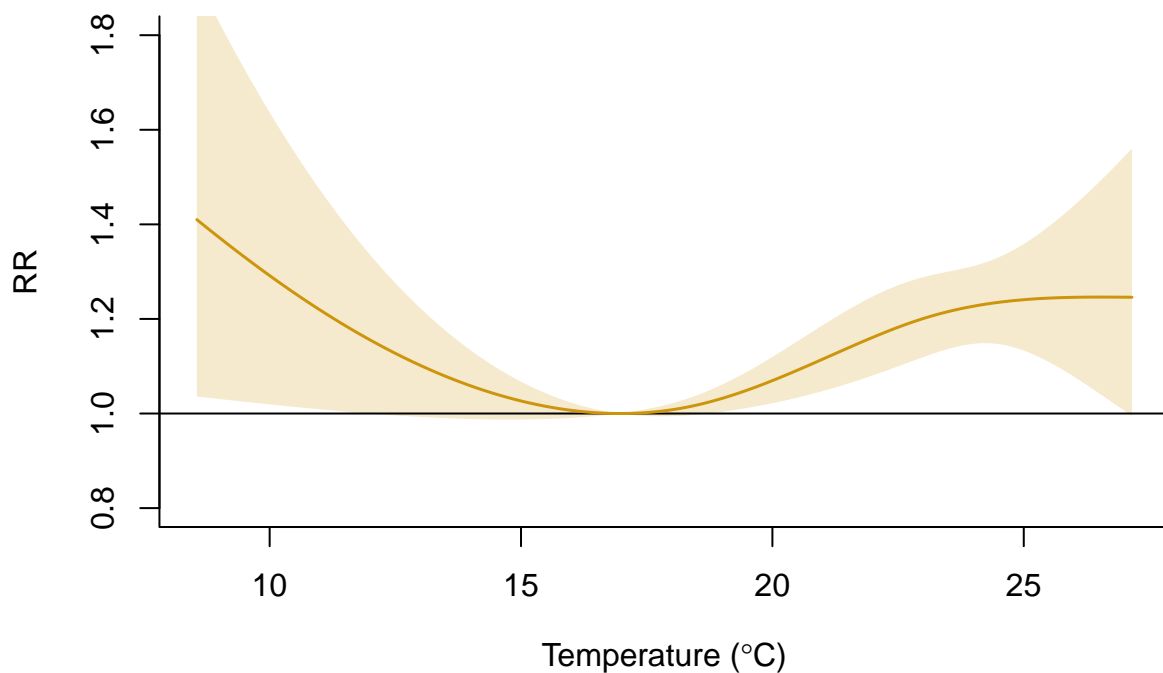
```
# fit the conditional logistic model
```

Make predictions and plots

```
# PREDICT
temp <- seq(min(london$tmean),max(london$tmean),by=0.1)
cpfull <- crosspred(cbtmean, mod_cc, cen=16, at=temp)
# find minimum morbidity/mortality temperature
mmt <- temp[which.min(cpfull$allfit)]

cp_mmt <- crosspred(cbtmean, mod_cc, cen=mmt, at=temp)

# PLOT
col <- "darkgoldenrod3"
plot(cp_mmt, "overall", ylim=c(0.8,1.8), ylab="RR", col=col[1], lwd=1.5,
      xlab=expression(paste("Temperature (*degree,"C)")),
      ci.arg=list(col=alpha(col[1], 0.2)))
```



Conclusion

Although we didn't choose a time-stratified CTS design, the exposure-response curves from small-area CTS and space-time-stratified case crossover design look very close. Both can be used in climate and health studies based on the discretion of the authors.

CTS has some advantages over case crossover design:

1. flexible structure to adjust for temporal and seasonal variation.

2. flexible lag configurations to examine the lag structure, no need to set the lag structure manually.

Case crossover design doesn't require a complete time series, while CTS does and excludes empty strata when running the model

Reference

1. Gasparrini A. A tutorial on the case time series design for small-area analysis. BMC Med Res Methodol. 2022;22(1):129. doi:10.1186/s12874-022-01612-x
2. Wu Y, Li S, Guo Y. Space-Time-Stratified Case-Crossover Design in Environmental Epidemiology Study. Health Data Science. 2021. doi:10.34133/2021/9870798