



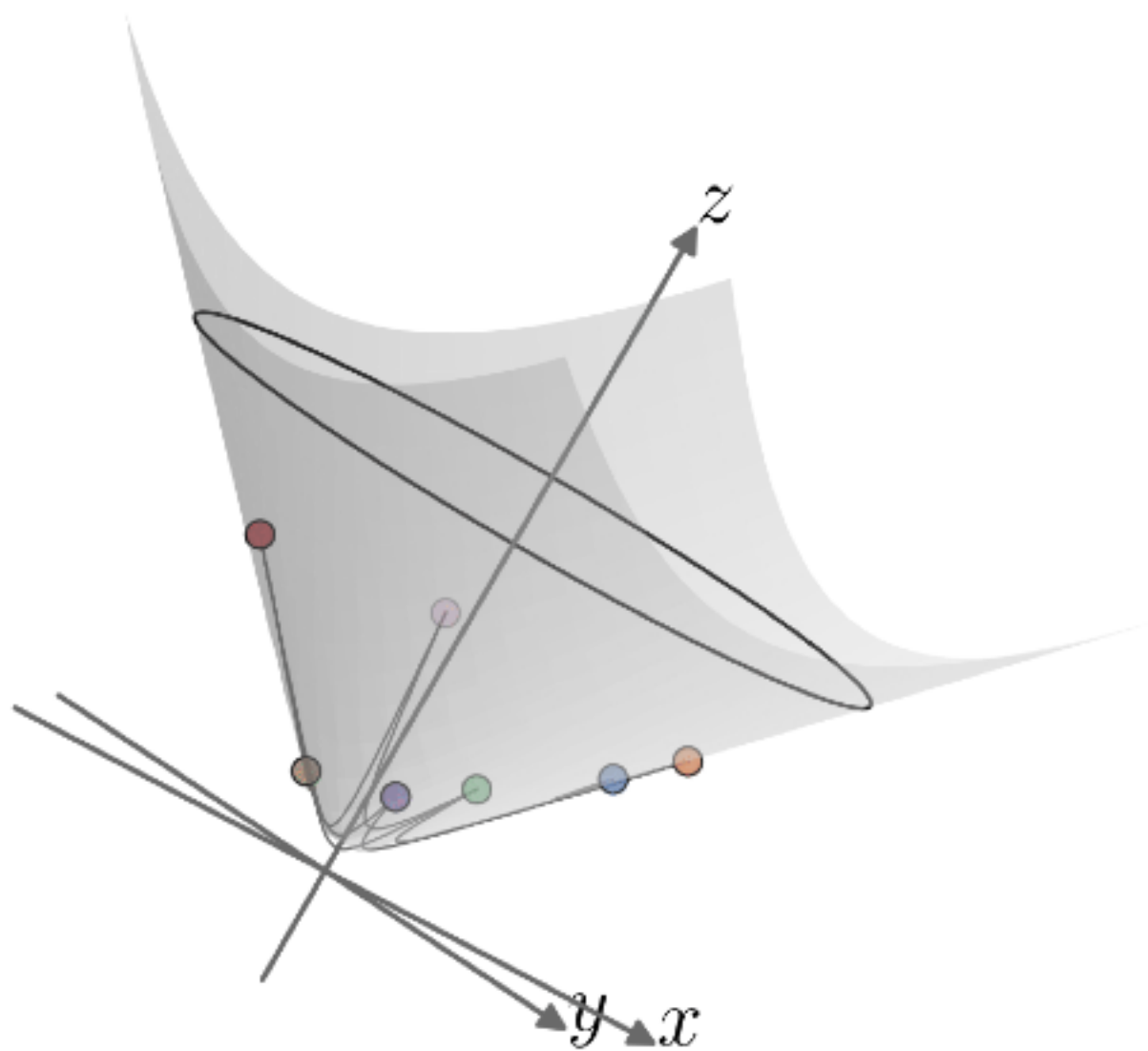
Outline

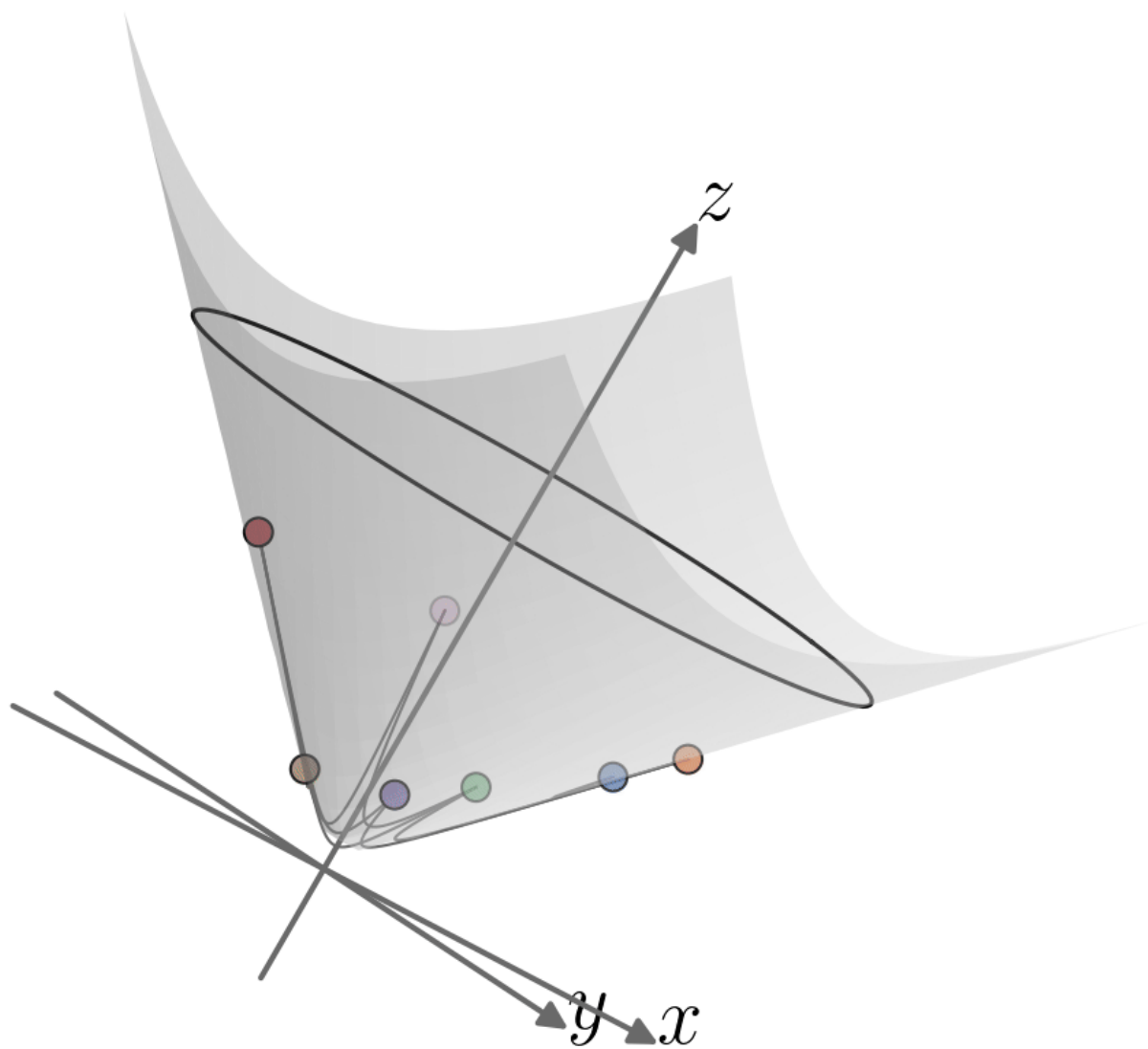
1. Are simple models enough to study complex systems/networks?

2. “Simple” ways to encode structural complexity

(a) latent metric space

(b) stub types





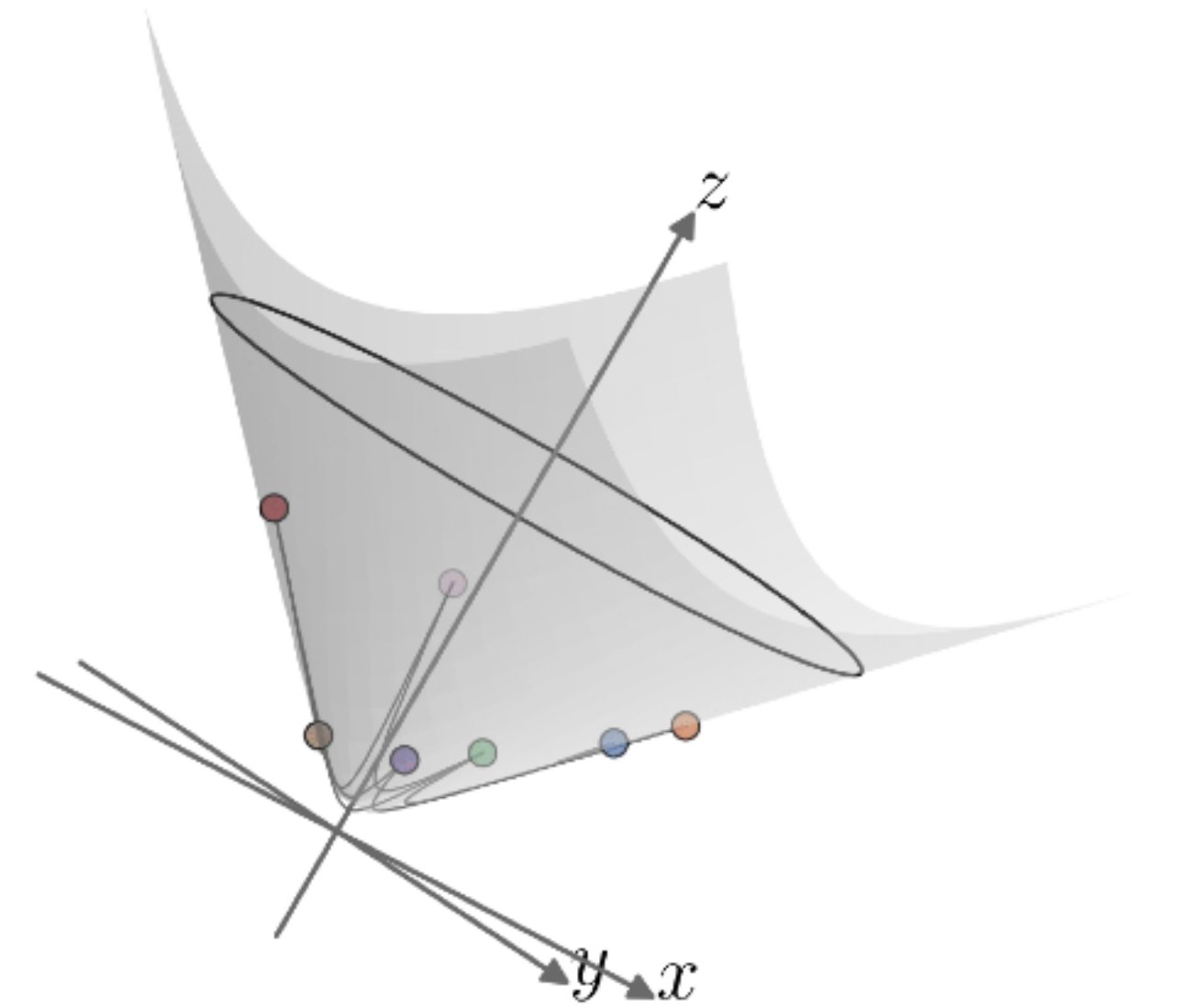
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Maximally random graph ensembles

The **probability**, $P(\mathbb{A})$, for a $N \times N$ adjacency matrix $\mathbb{A} = \{a_{ij}\} \in [0, 1]^{\binom{N}{2}}$ that maximizes the **entropy** subjected to the L **constraints** ($l = 1, 2, \dots, L$)

$$S(\{\mathbb{A}\}) = - \sum_{\mathbb{A}} P(\mathbb{A}) \ln P(\mathbb{A}) \quad \bar{F}_l = \sum_{\mathbb{A}} F_l(\mathbb{A}) P(\mathbb{A})$$

is (α_l being the l -th Lagrange multiplier)

$$P(\mathbb{A}) \propto \exp \left(- \sum_{l=1}^L \alpha_l F_l(\mathbb{A}) \right) .$$