

[illegible]

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$$\triangleright \mathcal{J} \wedge \Delta b^a \vee \mathcal{J}^b.$$
[illegible]
$$\triangleright \mathcal{J} \wedge \Delta b^a \sigma \mathcal{J}^a.$$

[illegible]

▷ ∫ Δ b<sup>a</sup> σ r<sup>a</sup>

$b\rho_a \cdot \nabla \cdot \mathbf{u} < qcd \cdot \Lambda L \cap \Gamma \Delta^a$ ,  $\Gamma \Delta \cdot \Delta b a \cdot \Gamma \Delta^a \subset \Gamma a \cdot \Delta b \cdot \Gamma \Gamma \cdot \Delta \sigma^b \cap \Delta b^b$ .

$$\triangleright \int \Lambda \Delta b^a \sigma \cdot \Delta^a$$

bΔ<sup>a</sup> CΔJ·∇<ℓ<sub>Δ</sub><sup>a</sup> ℓ<·Δℙ<sub>Δ</sub>σ<Δ<sup>b</sup> ΔΔℓ 9L dCPΔ<sup>a</sup>. bΔ<sup>a</sup> bΔ CΔJ·∇<ℓ<sub>Δ</sub><sup>a</sup> bℙ<sub>Δ</sub> 9d<sup>a</sup> bΔJ<sub>Δ</sub>·b<sup>b</sup>  
 b·bCPΔ<sup>a</sup>σ<sup>b</sup> Γ<sub>Δ</sub> ℓℙΛℓσbU<sup>b</sup> ℙΔJℓ9·Δ<sup>c</sup> ℓ<sup>∞</sup>·b<sup>b</sup> bΔℓ<sub>Δ</sub>Γ·Δ·C dCPΔ Δ<sub>Δ</sub>ℙΔb<sub>Δ</sub><sup>a</sup>.

▷  $\int \Delta b^a \, da^a$

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▷  $\int \Delta b^a \Delta \cdot dC_r$

ΓΓ·∇ Λδ ▷L bPα·∇τ<sup>α</sup> U<9Cdγ ΓΔJρ9Cdγ<sup>c</sup> bΔα<sub>4</sub>Γγ<sup>b</sup> Δαδσ9·Δ<sup>α</sup>.

▷  $\mathcal{J} \wedge \Delta b^a$   $\sigma$ -ഗുരു

$b \Delta a \vee \Gamma^b \triangleright a d \sigma \cdot \Delta^a$   $b \rho a \triangleleft \Delta \wedge C \wedge C \Delta f a d \Gamma a \Gamma \triangleright \Gamma b a \nabla \sigma \Gamma d \triangleleft \triangleright \sigma d \sigma \cdot \Delta \sigma^b$ .  $b \rho a \triangleleft \Delta \wedge$   
 $C \wedge C \Delta f a d \Gamma b \nabla \sigma \Gamma d \triangleright \nabla \sigma \Delta a d \sigma \cdot \Delta^a \triangleright \Gamma \wedge d \sigma b U^b \Gamma a \wedge d \Delta \sigma \nabla \sigma \triangleleft^a$   $b \triangleright \Gamma \Delta f \sigma^{\omega} q b \sigma \triangleleft^b$ .

▷  $\Delta b^a \sigma^s \cdot \eta^l$



$b\rho_a \cdot \nabla\tau^a \triangleright C\zeta^a \cup < qcd\gamma \cdot \Delta^a \cap V\sigma \Gamma \Pi \gamma \cdot \Delta\sigma^b \text{ } \Gamma < < \Gamma \triangleleft \zeta^c \text{ } b_4 \text{ } \Gamma \Delta \zeta^C \text{ } b \triangleleft d \text{ } \cap \Lambda \sigma bU^b \triangleleft \rho^b.$

$$b^a \cdot \nabla^a \triangleright C^a \cup \langle qcd \rangle \cdot \Delta^a \quad r_a b C^b < b^a \quad \triangleleft r^b \quad b \triangleleft \cap \Delta_a \cdot \nabla \triangleright C^p \quad \Gamma_a \triangleleft \Gamma \Delta \mathcal{J} \cap p \cdot \nabla^c \quad b^p \Delta \triangleright r^c \triangleright C^p.$$

▷ $\mathcal{J}\wedge\Delta b^a$   $\Gamma C\mathcal{J}\sigma\Delta^a$

$b p_a \cdot \nabla \varphi^a \triangleright C \zeta^a U \langle q C d \gamma \cdot \Delta^a P^\omega \Lambda^a U \cdot V \Delta \nabla \sigma \triangleright \Gamma L \Gamma \langle \Delta \cdot \nabla^C \langle \sigma \varsigma \wedge d b \triangleright \Gamma P b \sigma \cdot \Delta \cdot \Delta^C \langle \sigma \mathcal{J} \sigma \sigma \cdot \Delta^b$   
 $b \Delta \mathcal{J} a d \gamma^C, b \Pi \cdot \Delta^C q L \triangleright U \cdot V \zeta C \Gamma \cdot \Delta \sigma^b \triangleright \Gamma \Pi \langle d a b \sigma \cdot \Delta^C \cdot \nabla \Pi \Delta C^\omega \langle b^a \langle P^b \Delta \mathcal{J} \langle \Delta \cdot \Delta C^b \wedge \zeta^a \Delta d$   
 $\Gamma \Delta \mathcal{D} \cdot \Delta \langle C^b \Gamma a \Gamma \triangleright \Gamma a \nabla C^b.$

▷▷∇ U<9CdʹΔ<sup>α</sup> LPω bΔ<sup>α</sup> CΔʹ bα.◁<ʹbUʹω<sup>α</sup> ρ<sup>ω</sup>Λ<sup>α</sup> U∇ Δʹα.bʹω<sup>α</sup> b▷ʹ Lʹ<Δ∇<sup>c</sup> U.b<sup>b</sup> ∇P  
LLʹbCʹ<sup>c</sup> ∇P Λdσ<sup>9c</sup> bΔα.Uσ<sup>b</sup> Δαd9Δ<sup>α</sup> ΔL ʹʹ∇bʹ<sup>b</sup> ◁ρ<sup>b</sup> LLΔ.ΔʹΔ∩Δσ<sup>b</sup>.

▷ $\mathcal{S} \wedge \Delta b^a \vdash C \uparrow \mathcal{S} a a^a$

bP<sub>a</sub>·∇<sup>-a</sup>▷C<sup>5</sup><sup>a</sup>U<9Cd<sup>7</sup>·Δ<sup>a</sup>∩▷∩◁<sup>5</sup><<sup>a</sup>▷C<sup>b</sup>∩<sup>7</sup>·Δ<sup>a</sup>bΔ<sup>f</sup><sub>a</sub>d<sup>7</sup><sub>c</sub>.

$$b\Delta^a \triangleleft \Delta^b \subset \Delta^c \cap \Delta^d \subset \Delta^e \supset \Delta^f \supset \Delta^g \supset \Delta^h \supset \Delta^i \supset \Delta^j \supset \Delta^k \supset \Delta^l \supset \Delta^m \supset \Delta^n \supset \Delta^o \supset \Delta^p \supset \Delta^q \supset \Delta^r \supset \Delta^s \supset \Delta^t \supset \Delta^u \supset \Delta^v \supset \Delta^w \supset \Delta^x \supset \Delta^y \supset \Delta^z \supset \Delta^a.$$

▷ $\mathcal{S} \wedge \Delta b^a \vdash C \mathbin{\mathcal{I}} \mathcal{S} \sigma d \cdot C \mathbin{\mathcal{I}}$

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$\Delta_a \triangleleft \Lambda_d \cap \Lambda_e \nabla b \Delta_{\text{top}} C_7 \triangleleft^C b \Delta f \sigma f \triangleleft^C C \Delta f r q \cdot \Delta^b r p r \cdot \Delta n q \triangleleft^C.$

$\cap \nabla \Gamma^q \cdot \Delta \alpha^a \cdot b \triangleright C b \cdot \sigma' \cdot \alpha \cdot \nabla^b \Delta \sigma' \cdot C \cdot \Delta \alpha \cdot b \cdot \omega^a \triangleright L b \Delta \sigma' \nabla \sigma \cdot \nabla^b \nabla \sigma \cdot \nabla^b \Gamma^p b \alpha \cdot \nabla C \cdot b \rho < \sigma^b b \nabla$   
 $\Gamma \nabla \nabla \cdot b \Gamma \sigma b U \rho^a.$

▷ $\mathcal{L} \Delta b^{\circ}$   $\Gamma C \rho \sigma \eta \rho$



$$\Gamma \supset \Gamma \cup \{b \wedge c, \nabla x (b \wedge c) \wedge d, \nabla x (b \wedge c) \wedge d\}.$$

▷ ∫ ∧ Δ b<sup>a</sup> σ<sup>ω</sup> C ⊆ ∫ σ ∫<sup>a</sup>

በዋላው ጥያቄ መሰረት የሚገኝ የጥያቄው ዋና ዋና ክፍሎች ሲሆኑ፡  
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 9. የጥያቄው ዋና ዋና ክፍሎች፡  
 10. የጥያቄው ዋና ዋና ክፍሎች፡

▷ $\mathcal{S} \wedge \Delta b^a \sigma^s \mathcal{C} \mathcal{Q} \mathcal{S} \sigma \mathcal{I}^a$

$b\rho_a \cdot \nabla \tau^a \triangleright C\gamma^a U < qC d\gamma \cdot \Delta^a$   $\Gamma\rho \triangleleft \rho <^a$ ,  $\Delta^a \Delta d \Gamma \triangleright \tau CL\gamma^c \triangleleft C a \rho^c$ ,  $b_4 q\Gamma a^b \Gamma \triangleleft \gamma \cdot bL\sigma\sigma^b$   
 $\Gamma b a \cdot \nabla C \cdot b^b b \triangleleft \Delta J a \cdot b^b b C a \rho a \sigma \triangleleft^b \Gamma a$   $b_4 \Gamma \triangleright \Gamma b a \cdot \nabla \sigma \Gamma^c b \triangleright \Gamma \gamma \rho^a \triangleleft \rho \cdot \Delta a^a$ .

$$b\rho_a \cdot \nabla \sigma^a \triangleright C\gamma^a \cup \langle qCd\rho \cdot \Delta^a \cdot \nabla \cdot \nabla \sigma \cdot b\gamma^b \cap \langle \Delta L \cdot \Delta b\sigma \cdot \Delta^c \triangleright \Pi\gamma \cdot \Delta^a \cdot b\Delta f \cdot \Delta \rho^c \cdot b\gamma \cap \triangleright \Gamma L \sigma \sigma L b$$

$$\sigma \cdot \Delta \rho^b.$$

$\rho_{ba} \nabla \tau^a \triangleright C \gamma^a U < q C d \gamma \cdot \Delta^a b \triangleleft \omega \rho^c \cdot b \gamma^b \Gamma C \cdot b \rho \Gamma \cdot C b \Delta \gamma \triangleleft \rho \Gamma \Pi \omega \sigma \cdot \triangleleft \triangleleft \sigma^a \nabla C \gamma \omega \sigma \cdot \triangleleft^b \triangleright \Gamma q \cdot \Delta^a$   
 $\Gamma \omega \triangleright \Pi V \Gamma q \cdot \Delta \sigma^b \rho \Gamma \Delta \tau C \cdot b^a q \cdot \Delta \omega \cdot \triangleleft \nabla \wedge L \Pi \gamma \cdot \triangleleft^c \Gamma \omega \rho^\omega \wedge^a \nabla C \Delta \gamma \omega \cdot b^b < b^a \Gamma \triangleright \Gamma \omega C L \cdot \Delta \cdot C b \triangleright \Gamma$   
 $b \omega \cdot \nabla \sigma \Gamma \Pi \omega \sigma \cdot \triangleleft^b.$

$b p_a \cdot \nabla \tau^a \triangleright C \gamma^a U < q c d \gamma \cdot \Delta^a \cap P C \cdot P <^a \Gamma_a \cap \triangleright_a \triangleright <^a b \Delta f \text{ LL} \cdot \Delta \sigma_a \sigma \cdot \triangleleft^b \triangleleft \sigma P \cdot \Delta \sigma^b \cap \triangleright \Gamma$   
 $b_a \cdot \nabla C \cdot b \sigma \sigma P^a \text{ bC} \cap C P^a \Gamma_a \text{ b} \Delta f \Gamma \cdot \tau \cap q^c q d_a^a.$

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