Trees-Random-Forest-Boosting

Decision Tree

We will examine the Carseats data using the tree package in R, as in the lab in the book (Introduction to Statistical Learning with R).

We create a binary response variable High (for high sales) and we include it in the same dataframe.

```
require(ISLR)

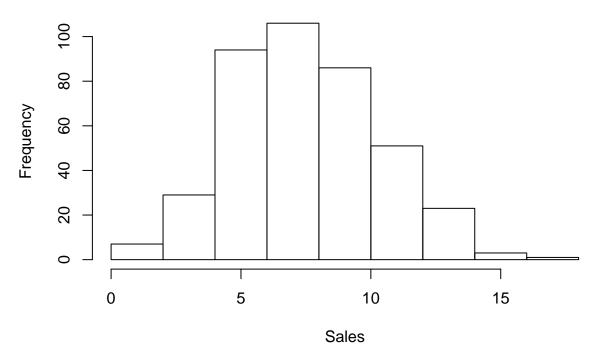
## Loading required package: ISLR

require(tree)

## Loading required package: tree

attach(Carseats)
View(Carseats)
hist(Sales)
```

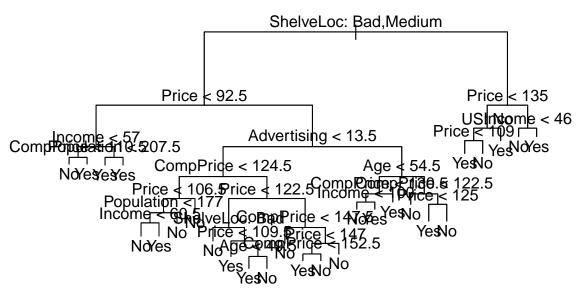
Histogram of Sales



```
High = ifelse(Sales<=8, "No", "Yes")
Carseats = data.frame(Carseats, High)</pre>
```

Now, we fit a tree to these data, and summarize and plot it. Notice we have to *exclude* Sales from the right-hand side of the formula, because the response is derived from it. This fit is the simplest possible, there are two possible outcomes.

```
tree.carseats = tree(High~.-Sales, data=Carseats)
summary(tree.carseats)
##
## Classification tree:
## tree(formula = High ~ . - Sales, data = Carseats)
## Variables actually used in tree construction:
## [1] "ShelveLoc"
                     "Price"
                                   "Income"
                                                  "CompPrice"
                                                                "Population"
## [6] "Advertising" "Age"
                                    "US"
## Number of terminal nodes: 27
## Residual mean deviance: 0.4575 = 170.7 / 373
## Misclassification error rate: 0.09 = 36 / 400
plot(tree.carseats)
text(tree.carseats, pretty=0)
```



For a detailed summary of the tree, print it:

tree.carseats

```
## node), split, n, deviance, yval, (yprob)
##
         * denotes terminal node
##
     1) root 400 541.500 No ( 0.59000 0.41000 )
##
##
       2) ShelveLoc: Bad, Medium 315 390.600 No (0.68889 0.31111)
         4) Price < 92.5 46 56.530 Yes ( 0.30435 0.69565 )
##
##
           8) Income < 57 10 12.220 No ( 0.70000 0.30000 )
##
            16) CompPrice < 110.5 5
                                     0.000 No ( 1.00000 0.00000 ) *
                                    6.730 Yes ( 0.40000 0.60000 ) *
            17) CompPrice > 110.5 5
##
           9) Income > 57 36 35.470 Yes (0.19444 0.80556)
##
            18) Population < 207.5 16 21.170 Yes ( 0.37500 0.62500 ) *
##
##
            19) Population > 207.5 20
                                        7.941 Yes ( 0.05000 0.95000 ) *
##
         5) Price > 92.5 269 299.800 No ( 0.75465 0.24535 )
          10) Advertising < 13.5 224 213.200 No ( 0.81696 0.18304 )
##
            20) CompPrice < 124.5 96 44.890 No ( 0.93750 0.06250 )
##
```

```
##
              40) Price < 106.5 38 33.150 No ( 0.84211 0.15789 )
                80) Population < 177 12 16.300 No ( 0.58333 0.41667 )
##
##
                 160) Income < 60.5 6
                                       0.000 No (1.00000 0.00000) *
##
                 161) Income > 60.5 6
                                        5.407 Yes ( 0.16667 0.83333 ) *
##
                81) Population > 177 26
                                          8.477 No ( 0.96154 0.03846 ) *
                                     0.000 No ( 1.00000 0.00000 ) *
##
              41) Price > 106.5 58
##
            21) CompPrice > 124.5 128 150.200 No ( 0.72656 0.27344 )
              42) Price < 122.5 51 70.680 Yes ( 0.49020 0.50980 )
##
##
                84) ShelveLoc: Bad 11
                                        6.702 No ( 0.90909 0.09091 ) *
##
                85) ShelveLoc: Medium 40 52.930 Yes (0.37500 0.62500)
##
                 170) Price < 109.5 16
                                        7.481 Yes ( 0.06250 0.93750 ) *
                 171) Price > 109.5 24 32.600 No ( 0.58333 0.41667 )
##
##
                   342) Age < 49.5 13 16.050 Yes ( 0.30769 0.69231 ) *
##
                   343) Age > 49.5 11
                                        6.702 No ( 0.90909 0.09091 ) *
              43) Price > 122.5 77 55.540 No ( 0.88312 0.11688 )
##
##
                86) CompPrice < 147.5 58 17.400 No ( 0.96552 0.03448 ) *
                87) CompPrice > 147.5 19 25.010 No ( 0.63158 0.36842 )
##
##
                 174) Price < 147 12 16.300 Yes ( 0.41667 0.58333 )
##
                   348) CompPrice < 152.5 7
                                              5.742 Yes ( 0.14286 0.85714 ) *
##
                   349) CompPrice > 152.5 5
                                              5.004 No ( 0.80000 0.20000 ) *
##
                 175) Price > 147 7
                                      0.000 No ( 1.00000 0.00000 ) *
          11) Advertising > 13.5 45 61.830 Yes ( 0.44444 0.55556 )
##
##
            22) Age < 54.5 25 25.020 Yes ( 0.20000 0.80000 )
##
              44) CompPrice < 130.5 14 18.250 Yes (0.35714 0.64286)
##
                88) Income < 100 9 12.370 No ( 0.55556 0.44444 ) *
##
                89) Income > 100 5
                                    0.000 Yes ( 0.00000 1.00000 ) *
##
              45) CompPrice > 130.5 11
                                         0.000 Yes ( 0.00000 1.00000 ) *
##
            23) Age > 54.5 20 22.490 No ( 0.75000 0.25000 )
                                        0.000 No ( 1.00000 0.00000 ) *
##
              46) CompPrice < 122.5 10
##
              47) CompPrice > 122.5 10 13.860 No ( 0.50000 0.50000 )
##
                94) Price < 125 5
                                    0.000 Yes ( 0.00000 1.00000 ) *
##
                95) Price > 125 5
                                    0.000 No ( 1.00000 0.00000 ) *
##
       3) ShelveLoc: Good 85 90.330 Yes (0.22353 0.77647)
         6) Price < 135 68 49.260 Yes ( 0.11765 0.88235 )
##
##
          12) US: No 17 22.070 Yes (0.35294 0.64706)
##
            24) Price < 109 8  0.000 Yes ( 0.00000 1.00000 ) *
##
            25) Price > 109 9 11.460 No ( 0.66667 0.33333 ) *
##
          13) US: Yes 51 16.880 Yes ( 0.03922 0.96078 ) *
##
         7) Price > 135 17 22.070 No ( 0.64706 0.35294 )
##
                              0.000 No ( 1.00000 0.00000 ) *
          14) Income < 46 6
##
          15) Income > 46 11 15.160 Yes ( 0.45455 0.54545 ) *
```

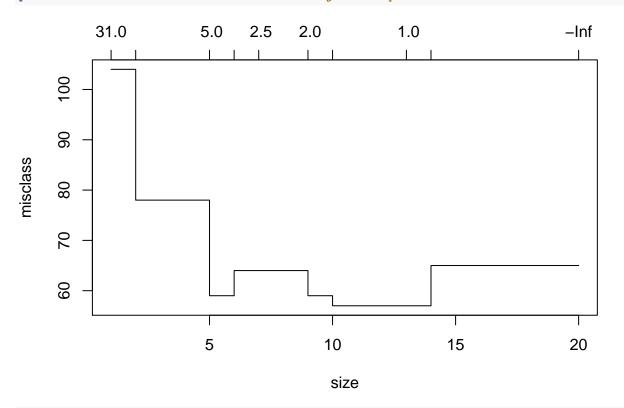
Let's create training and test sets (250, 150) of the 400 observations. Grow the tree on the training set and evaluate the tree on the test set.

```
set.seed(1011)
train = sample(1:nrow(Carseats), 250)
tree.carseats = tree(High~.-Sales, Carseats, subset = train)
plot(tree.carseats); text(tree.carseats, pretty = 0)
```

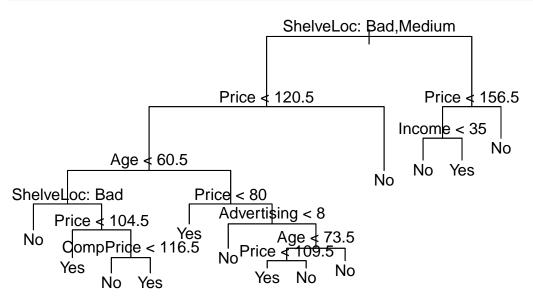
```
ShelveLoc: Bad, Medium
                                Price ₹ 120.5
                                                              Price ₹ 156.5
                                                          Income < 35
                                                               US: NoNo
                  Age ₹ 60.5
                                             Advertising <
                                         CompPrige < '147.5
      ShelveLloc: Bad
                             Price < 80
                              Advertising < 8 No No No
Advertising 44i5e
           Age ₹ 73.5
                Advertising < 10.5 Price < 109 5
                                    Yes No No
            YesYes No
                      No Yes
tree.pred = predict(tree.carseats, Carseats[-train,], type="class")
with(Carseats[-train,], table(tree.pred, High))
##
           High
## tree.pred No Yes
        No 72 27
##
##
        Yes 18 33
cat("Error rate:", (72+33)/150)
## Error rate: 0.7
This tree was grown to full depth, amd might be too variable. We now use CV to prune it.
cv.carseats = cv.tree(tree.carseats, FUN=prune.misclass)
cv.carseats
## $size
```

```
[1] 20 14 13 10 9 7 6 5
##
##
## $dev
##
   [1]
        65 65 57 57 59
                            64 64 59
                                      78 104
##
## $k
##
            -Inf 0.000000 1.000000 1.333333 2.000000 2.500000 4.000000
##
   [8]
        5.000000 9.000000 31.000000
##
## $method
## [1] "misclass"
##
## attr(,"class")
## [1] "prune"
                      "tree.sequence"
```

plot(cv.carseats) # 13 nodes seem to be enough to keep



```
prune.carseats = prune.misclass(tree.carseats, best=13)
plot(prune.carseats); text(prune.carseats, pretty = 0)
```



Now, let's evaluate this pruned tree on the test data:

```
tree.pred = predict(prune.carseats, Carseats[-train,], type="class")
with(Carseats[-train,], table(tree.pred, High))
```

High

```
## tree.pred No Yes
## No 72 28
## Yes 18 32
```

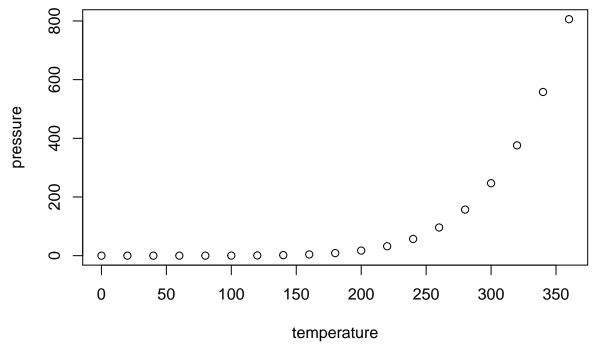
```
cat("Confusion table", (72+32)/150)
```

Confusion table 0.6933333

Did not get much from pruning, except for a shallower tree, which is easier to interpret.

Including Plots

You can also embed plots, for example:



Note that the echo = FALSE parameter was added to the code chunk to prevent printing of the R code that generated the plot.