02477 Bayesian Machine Learning - Exam information

Document is subject to minor changes until the last lecture on the 10th of May 2021.

Exam topics

- Exercise 1
 - 1. Bayesian inference, estimators and posterior summaries
 - 2. Conjugacy
 - 3. The beta-binomial model
- Exercise 2
 - 1. Bayesian linear regression
 - 2. Model selection using the marginal likelihood
- Exercise 3
 - 1. Generative and discriminative classication
 - 2. Logistic regression
 - 3. Laplace approximations
- Exercise 4
 - 1. Covariance functions and the squared exponential kernel
 - 2. Gaussian processes
- Exercise 5
 - 1. Multi-class classification
 - 2. Generalization
 - 3. Decision theory
- Exercise 6
 - 1. Markov Chain Monte Carlo Methods
 - 2. Metropolis-Hasting algorithm
- Exercise 7
 - 1. MCMC and Convergence diagnostics
 - 2. Gibbs sampling
 - 3. Change point detection
- Exercise 8
 - 1. Variational inference (KL divergence and ELBO)
 - 2. Bayesian formulation of the Gaussian mixture model
- Exercise 9
 - 1. Exercise 9 cannot be drawn as an exam topic, but is still part of the curriculum
- Exercise 10
 - 1. Black-box variational inference
 - 2. Stochastic optimization
- Exercise 11
 - 1. The Erdös-Rényi model
 - 2. The infinite relational model
- Addition week11:
 The stochastic block model to emphasize and explain the IR model.

- Exercise 12
 - 1. T.B.A

Generelized linear model

Addition week4:

Models

- The beta-binomial model
- Linear regression models
- Logistic regression
- Generalized linear models
- Gaussian process models
- Generative models for classification
- Multi-class soft-max classification
- Change point model for time series
- Gaussian mixture model
- Latent Dirichlet Allocation
- Robust regression with student's likelihood
- The Erdös-Rényi model
- The infinite relational model

Inference methodology and related concepts

- Prior, likelihood, posterior, marginal likelihood
- Prior predictive distribution and posterior predictive distribution
- Maximum likelihood
- Maximum a posteriori inference
- Exact Bayesian inference & conjugacy
- Sampling and Markov Chain Monte Carlo
- Metropolis-Hastings algorithm

Mean-field: Independent factorization of variables

• Gibbs sampling

Free form: No specific functional form • Variational inference (Free-form, fixed-form, mean-field) assumptions. Derived from joint distribution and often demands local conjugacy

• Black-box variational inference

Fixed form: Specific functional form assumptions

• Decision theory

Suggestions for exam preparation

If you can explain the following bullets for each of the models, then you are already in a very good position

- Motivation for the model what type of data can we model
- Prior distribution
- Likelihood
- Any hyperparameters?
- How did we compute the posterior distribution? (e.g. exact inference, Metroposlis-Hastings, Gibbs, variational inference)
- How did we compute the predictive distribution?