

Imperative Programming – Statements

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Imperative Languages

Imperative programming languages are characterized by

- assignment
- control flow

1. Statements
2. Data Structures
3. Procedure Activation

1 Statements

1. Structured Programming
2. Syntax
3. Invariants

1.1 Structured Programming

1. Static versus Dynamic Properties
2. Flat Control Structure
3. Structured Programming

1.1.1 Static versus Dynamic Properties

Consider a simple sequence of statements:

```
a := 0;  
b := a + 1;  
print (2 * b);
```

In this case, the dynamic structure of the computation mirrors the static structure of the code.

Static properties of code are any properties that can be determined by a “single pass” examination of the code, without actually executing or simulating the execution of the code.

Dynamic properties of code are properties that can only be determined by executing (or simulating the execution of) the code.

What are some examples of static code properties?

What are some examples of dynamic code properties?

1.1.2 Flat Control Structure

A **basic block** of code is a sequence of consecutive statements such that all of the statements in the sequence are executed once if and only if the first is executed.

- “straight-line” code
- no jumps into the middle
- no jumps out of the middle

- In basic blocks, the static and dynamic structure are essentially identical.
- Clearly, as we introduce conditional and looping statements, the static and dynamic structure must diverge.

– but how much?

Consider the following FORTRAN code:

```

SUBROUTINE BINSEARCH (A, N, X, I)
  DIMENSION A(1)
  LOW = 1
  HIGH = N
1  IF (LOW > HIGH) GOTO 100
  MID = (LOW + HIGH) / 2
  IF (A(MID) - X) 2, 3, 4
2  LOW = MID + 1
  GO TO 1
3  I = MID
  GOTO 200
4  HIGH = MID - 1
  GO TO 1
100 I = -1
200 CONTINUE
  END

```

Early FORTRAN control flow

GO TO unconditional branch to a statement identified by a numeric label

arithmetic IF IF (*exp*) s, t, u

If *exp* is negative, go to s. If it is zero, go to t. If positive, go to u.

FORTRAN control flow (cont.)

logical IF IF (*exp*) *stmt*

If *exp* is true, then do the *stmt*.

DO loop DO s I = j, k, m

Define a loop from here to statement s, with I initialized to j, incremented by m at the end of each loop, and loop execution ending after $\frac{k-j}{m}$ iterations.

“Spaghetti” Code

```

SUBROUTINE BINSEARCH (A, N, X, I)
  DIMENSION A(1)
  LOW = 1
  HIGH = N
1  IF (LOW > HIGH) GOTO 100
  MID = (LOW + HIGH) / 2
  IF (A(MID) - X) 2, 3, 4
2  LOW = MID + 1
  GO TO 1
3  I = MID
  GOTO 200
4  HIGH = MID - 1
  GO TO 1
100 I = -1
200 CONTINUE
  END

```

1.1.3 Structured Programming

Text: A program is **structured** if the flow of control through the program is evident from the syntactic structure of the program text.

More common: A program is **structured** if it is formed from a restricted set of single-entry, single-exit control flow constructs:

- sequencing
- selection
- iteration

Sequencing

Arranging statements into basic blocks:

stmt ::= begin *sl* end

sl ::=
| *stmt* ; *sl*

```

a := 1;
b := a - 1;
print 2*b;

```

Selection

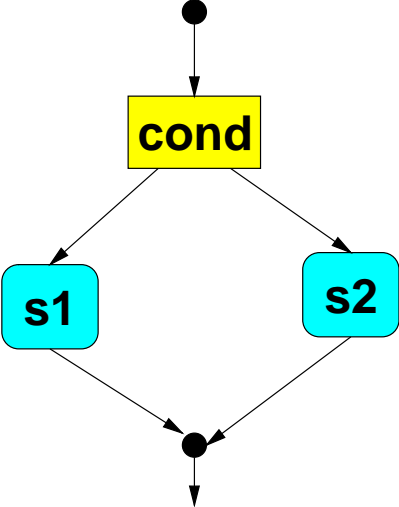
Selection refers to all control-flow statements used to choose one of several alternatives: if, switch/case, etc.

- Structured languages replaced FORTRAN’s flat syntax with the idea of *nesting* statements.

Some alternate forms of if-then-else (Pascal, C, Ada):

```
<stmt> ::= if <exp> then <stmt> else <stmt>
<stmt> ::= if ( <exp> ) <stmt> else <stmt>
<stmt> ::= if <exp> then <stmt-list>
           {elsif <stmt-list>}
           else <stmt-list> endif ;
```

All are single-entry, single-exit:



Implementation of If

```
if <exp> then <stmt1> else <stmt2>
```

	translation of $\langle exp \rangle$;
	if result is false goto L1;
	translation of $\langle stmt_1 \rangle$;
	goto L2;
L1:	translation of $\langle stmt_2 \rangle$;
L2:	...

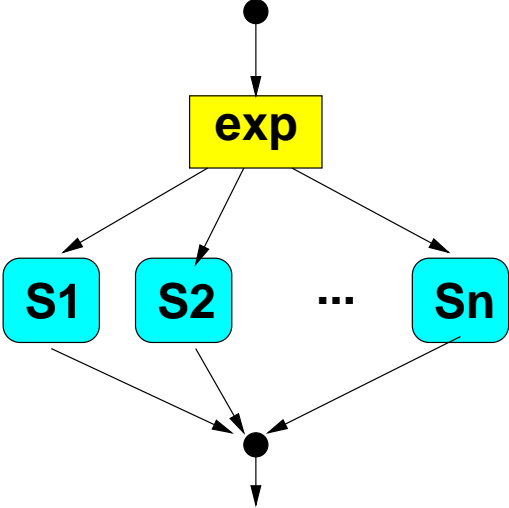
Of course, if there is no else part, we just get

	translation of $\langle exp \rangle$;
	if result is false goto L1;
	translation of $\langle stmt_1 \rangle$;
L1:	...

Many languages also feature a multi-way selection:
Pascal:

```
case <exp> of
  <const1> : <stmt1>;
  <const2> : <stmt2>;
  :
  <constn> : <stmtn>
end
```

All are single-entry, single-exit:



C’s version is slightly different:

```
switch <exp> {
  case <const1> : <stmt1>; break;
  case <const2> : <stmt2>; break;
  :
  case <constn> : <stmtn>;
end
```

Translation of these can be interesting.

- Treat as nested if-then-elses
- Jump table
- Hash table

```

case  $\langle exp \rangle$  of
   $\langle const_1 \rangle$  :  $\langle stmt_1 \rangle$ ;
   $\langle const_2 \rangle$  :  $\langle stmt_2 \rangle$ ;
  :
   $\langle const_n \rangle$  :  $\langle stmt_n \rangle$ 
end

```

can be treated as

```

tmp :=  $\langle exp \rangle$ ;
if tmp =  $\langle const_1 \rangle$  then  $\langle stmt_1 \rangle$ 
else if tmp =  $\langle const_2 \rangle$  then  $\langle stmt_2 \rangle$ 
else
  :
else if tmp =  $\langle const_n \rangle$  then  $\langle stmt_n \rangle$ 

```

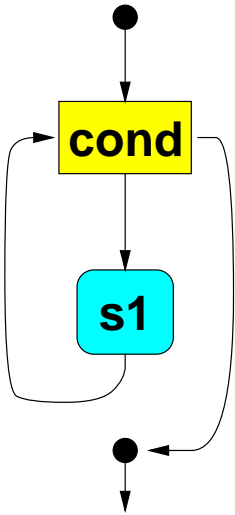
```

while  $\langle exp \rangle$  do  $\langle stmt \rangle$ 
while (  $\langle exp \rangle$  )  $\langle stmt \rangle$ 
while  $\langle exp \rangle$  loop  $\langle stmt-list \rangle$  end loop;

```

(Pascal, C, Ada)

All are single-entry, single-exit:



Additional Loop Forms

```

repeat  $\langle stmt-list \rangle$  until  $\langle exp \rangle$ 
do  $\langle stmt \rangle$  while (  $\langle exp \rangle$  );

```

(Pascal, C)

```

loop ... exit when  $\langle exp \rangle$ ; ... end loop;

```

(Ada)

Definite Loops

FORTRAN had a true definite loop:

```

DO  $\langle label \rangle$  I =  $\langle start \rangle$  ,  $\langle last \rangle$  ,  $\langle increment \rangle$ 

```

Number of iterations could be computed at loop entry, because

1. all 3 expressions were evaluated at entry
2. programs were forbidden to change the loop variable within a loop

Later languages adapted the DO loop, but relaxed the rules, making it indefinite.

```

FOR I :=  $\langle start \rangle$  TO  $\langle last \rangle$  BY  $\langle increment \rangle$ 

```

```

for I in  $\langle start \rangle$  ..  $\langle last \rangle$ 

```

(Pascal, Ada)

C's is particularly flexible:

```

for (  $\langle stmt_1 \rangle$  ;  $\langle exp \rangle$  ;  $\langle stmt_2 \rangle$  )  $\langle stmt_3 \rangle$ 

```

translates as

```

 $\langle stmt_1 \rangle$ 
while ( !  $\langle exp \rangle$  )
{
   $\langle stmt_3 \rangle$ 
   $\langle stmt_2 \rangle$ 
}

```

```

procedure BinSearch (
  var A: array [1..1000] of real;
  N: integer; X: real; var I: integer);
var { Pascal version }
  Mid, Low, High: integer;
begin
  Low := 1; High := N;
  Mid := (Low + High) / 2;
  while (Low <= High)
    and (A[Mid] <> X) do begin
    if A[Mid] < X then
      Low := Mid + 1
    else
      High := Mid - 1;
    Mid := (Low + High) / 2
  end;
  if (Low <= High)
    I := Mid
  else
    I := -1;
end;

```

```

void binSearch (double *A, int N,
                double X, int* I)
{
    /* C version */
    int mid, low, high;
    low = 0; high = N-1;
    mid = (low + high) / 2;
    while ((low <= high)
        && (a[mid] <> X)) {
        if (a[mid] < X)
            low = mid + 1;
        else
            high = mid - 1;
        mid = (low + high) / 2;
    }
    I = (low <= high)? mid : -1;
}

```

```

procedure BinSearch (
    A: in array[<>] of Real;
    N: in Integer; X: in Real;
    I: out Integer) is
begin // Ada version
    Mid, Low, High: integer;

    Low := 1; High := N;
    while (Low <= High) loop
        Mid := (Low + High) / 2;
    exit when A[Mid] = X;
    if A[Mid] < X then
        Low := Mid + 1
    else
        High := Mid - 1;
    end if;
    end loop;
    if (Low <= High)
        I := Mid
    else
        I := -1;
    end if;
end BinSearch;

```

To see the significance of the structured programming philosophy, compare the flows of control between these structured versions and the older FORTRAN version.

“Spaghetti” Code

```

SUBROUTINE BINSEARCH (A, N, X, I)
  DIMENSION A(1)
  LOW = 1
  HIGH = N
1  IF (LOW > HIGH) GOTO 100
  MID = (LOW + HIGH) / 2
  IF (A(MID) - X) 2, 3, 4
2  LOW = MID + 1
  GO TO 1
3  I = MID
  GOTO 200
4  HIGH = MID - 1
  GO TO 1
100 I = -1
200 CONTINUE
END

```

“Structured” Code

```

begin
    Low := 1; High := N;
    Mid := (Low + High) / 2;
    while (Low <= High) and (A[Mid] <> X) do begin
        if A[Mid] < X then
            Low := Mid + 1
        else
            High := Mid - 1;
        Mid := (Low + High) / 2;
    end;
    if (Low <= High)
        I := Mid
    else
        I := -1;
    end;

```

1.2 Syntax

Special problems arise determining where some statements end.

- Statement Lists
 - If-then-else syntax
 - Bracketing
-

1.2.1 Statement Lists

Pascal:

$$\begin{aligned} \langle stmt \rangle &::= \text{BEGIN } \langle sl \rangle \text{ END} \\ &\quad | \quad \langle if-stmt \rangle \mid \dots \\ \langle if-stmt \rangle &::= \text{IF } \langle exp \rangle \text{ THEN } \langle stmt \rangle \\ &\quad \quad [\text{ELSE } \langle stmt \rangle] \\ \langle sl \rangle &::= \langle stmt \rangle \\ &\quad | \quad \langle stmt \rangle ; \langle sl \rangle \end{aligned}$$

This allows

```
procedure p;
begin
  if a > b then
    a := b;
  writeln (a)
end;
```

But a common programming error would be

```
procedure p;
begin
  if a > b then
    a := b;
  writeln (a);
end;
```

Arguably, it even looks better this way!

To avoid this problem, Pascal later added

$$\langle stmt \rangle ::=$$

The empty string is an acceptable statement!

So now this is legal:

```
procedure p;
begin
  if a > b then
    a := b;
  writeln (a);
end;
```

How many statements in the outer statement list?

This is also legal Pascal:

```
procedure p;
begin
```

```
  if a > b then
    a := b;
  writeln (a);
end;
```

Adding the empty statement encourages another error, however.

```
begin
  if x >= 0 then
    write ('A');
  else
    write ('B');
end;
```

This leads to a syntax error, because the ';' puts two statements between the then and the else.

Pascal used ';' as a *separator*.

Most languages avoid Pascal's error-proneness by using ';' as a *terminator*, e.g., C:

$$\begin{aligned} \langle stmt \rangle &::= \{ \langle sl \rangle \} \\ &\quad | \quad \langle if-stmt \rangle \\ &\quad | \quad \langle exp \rangle ; \\ \langle if-stmt \rangle &::= \text{if } (\langle exp \rangle) \langle stmt \rangle \\ &\quad \quad [\text{else } \langle stmt \rangle] \\ \langle sl \rangle &::= \langle stmt \rangle \\ &\quad | \quad \langle stmt \rangle \langle sl \rangle \end{aligned}$$

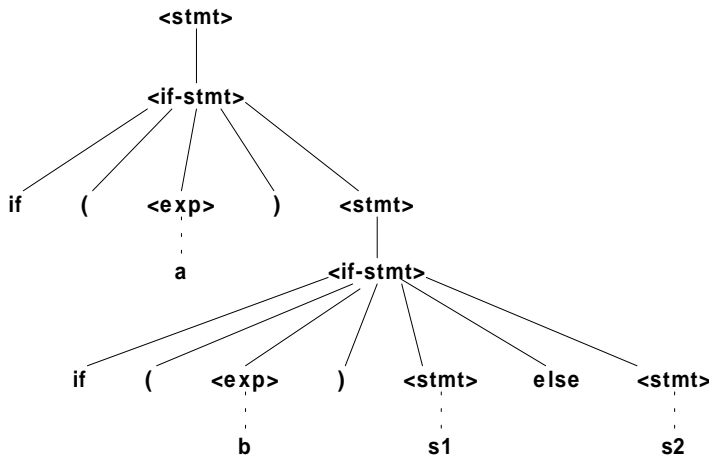
1.2.2 If-then-else syntax

The simplest way to capture the structure of C (and Pascal) if statements is:

$$\begin{aligned} \langle stmt \rangle &::= \langle if-stmt \rangle \mid \dots \\ \langle if-stmt \rangle &::= \text{if } (\langle exp \rangle) \langle stmt \rangle \\ &\quad | \quad \text{if } (\langle exp \rangle) \langle stmt \rangle \\ &\quad \quad \text{else } \langle stmt \rangle \end{aligned}$$

But how can we parse

```
if (a) if (b) s1 else s2
```

**If terminators**

More modern languages resolve this problem by terminating the `if` with a reserved word.

```

<stmt> ::= <if-stmt> | ...
<if-stmt> ::= if <exp> then s1 end if ;
           | if <exp> then s1 else <sl>
           | end if ;

```

1.2.3 Bracketing

The `if...end if` is an example of bracketing.

Bracketing helps define the nested structure of languages.

Pascal and C use a single bracketing construct (`BEGIN...END` and `{...}`).

Mismatched Brackets

What happens if a programmer leaves out a closing bracket?

```

{ /* C version */
  int mid, low, high;
  low = 0; high = N-1;
  mid = (low + high) / 2;
  while ((low <= high)
    && (a[mid] <> X) {
    if (a[mid] < X)
      low = mid + 1;
    else
      high = mid - 1;
    mid = (low + high) / 2;
  /* missing } */
  I = (low <= high)? mid : -1;
}

```

```

void nextFunction()
{

```

This simple grammar:

```

<stmt> ::= <if-stmt> | ...
<if-stmt> ::= if ( <exp> ) stmt
           | if ( <exp> ) else <stmt>

```

turns out to be ambiguous.

Although the grammar can be rewritten to remove the ambiguity

- it's not easy
- the resulting productions are unintuitive
- the ambiguity of the grammar may well reflect a weakness in the language design

Ada adopted distinct bracketing schemes for each construct.

```

procedure BinSearch ( \ldots ) is
begin // Ada version
  Mid, Low, High: integer;

  Low := 1; High := N;
  while (Low <= High) loop
    Mid := (Low + High) / 2;

```

```

exit when A[Mid] = X;
  if A[Mid] < X then
    Low := Mid + 1
  else
    High := Mid - 1;
  end if;
end loop;
if (Low <= High)
  I := Mid
else
  I := -1;
end if;
end BinSearch;

```

This allows most bracketing errors to be caught at the end of the next bracket.

1.3 Invariants

An **invariant** is a property that holds every time execution reaches a designated location in the code.

Invariants are useful in

- proving algorithms correct
 - designing them correctly in the first place
 - documenting the details of their operation
-

1.3.1 Who cares?

How do you know when your code is ready to release?

- when you're done testing it
-

Who cares? (cont.)

How do you know when you're done testing it?

- when you're bored with testing
- when you can't think of any more good tests
- when you've exhausted your budget for testing
- when it's the day before the Marketing dept. announced the product would be released
- when you've satisfied a scientifically chosen testing criterion
- when the code is bug-free

Testing is a sampling process, and no matter how well done, will not guarantee the code to be bug-free.

So what do you do?

- Use good testing practices, and hope for the best
 - Employ statistical models of software reliability to predict when the code is "good enough"
 - Prove the code correct
 - Try to avoid bugs in the first place.
-

Editorial opinion:

Proving programs correct is most useful only where other techniques can't be applied (e.g., security)

But understanding how a program *could* be proven correct is an aid to designing it correctly.

1.3.2 Pre- and Postconditions

A **precondition** is an invariant attached just before the start of a construct. It describes the conditions under which that construct is supposed to work correctly.

A **postcondition** is an invariant attached just after a construct. It describes what that construct was supposed to accomplish.

You may have seen these ideas applied to documenting subroutines:

```

void binSearch (double *A, int N,
                double X, int * I)
/*
 * pre: A contains N elements,
 *       sorted into ascending order
 * post: if X is in A[0..N-1],
 *       then A[I]=X
 *       if X is not in A[0..N-1],
 *       then I<0
 */
{...

```

These illustrate some of the cardinal rules of invariants:

- every invariant is a boolean condition
 - every invariant should be checkable
-

I personally would recommend

- Try to express every invariant in a form from which it would be easy to write code to check it.
- Invariants should describe dynamic behavior, not repeat obvious static information.

```

void binSearch (double *A, int N,
                double X, int * I)
/*
 * pre: for all  $0 < j < N$ ,  $A[j] > A[j-1]$ 
 * post: if there exists  $j$ ,  $0 \leq j < N$ ,
 *        such that  $A[j] == X$ ,
 *        then  $A[I] == X$ 
 *        else  $I < 0$ 
 */
{ ...

```

Statement-Level Invariants

If we write invariants between statements, then one invariant may serve as

- the pre-condition for the following statement and
- the postcondition for the following one

```

mid = (low + high) / 2;
while ((low <= high) && (a[mid] <> X)) {
  /* { (low <= high) && (a[mid] <> X)
     && (mid == (low + high) / 2 } */
  if (a[mid] < X)

```

Proof Rules for Partial Correctness

A program is **(totally) correct** if, given any input that satisfies the program's precondition, the program eventually halts with output that satisfies the program's postcondition.

A program is **partially correct** if, given any input that satisfies the program's precondition and for which the program eventually halts, the output satisfies the program's postcondition.

Notation

We will write general patterns of rules for statements as

$$\{ \langle \text{precond} \rangle \} \langle \text{stmt} \rangle \{ \langle \text{postcond} \rangle \}$$

We often use P , Q , and R to denote invariants, S for statements. We use a vertical bar to “givens” from “conclusions”.

For example, we might write

$$\frac{x > 0}{\{y > 0\} y = x + y; \{y > 0\}}$$

Composition (Stmt Lists)

$$\frac{\{P\} S_1 \{Q\}, \{Q\} S_2 \{R\}}{\{P\} S_1; S_2 \{R\}}$$

In other words,

- if
 - when P is a precondition for statement S_1 , Q is a postcondition, and
 - when Q is a precondition for statement S_2 , R is a postcondition,
 - then when P is a precondition for the statement sequence $S_1; S_2$, R is a postcondition.
-

Selection (Conditionals)

$$\frac{\{P \wedge E\} S_1 \{Q\}, \{P \wedge \neg E\} S_2 \{Q\}}{\{P\} \text{ if } E \text{ then } S_1 \text{ else } S_2 \{Q\}}$$

While Loops

$$\frac{\{P \wedge E\} S \{P\}}{\{P\} \text{ while } E \text{ do } S \{P \wedge \neg E\}}$$

P is a **loop invariant**, an invariant condition that is true upon entry to the loop, at the start of each iteration, and upon exit.

Finding a loop invariant is considered the key to understanding what a loop actually does.

Designing With Invariants

So what does all this buy us? let's look at the binary search code:

```

procedure BinSearch (
  var A: array [1..1000] of real;
  N: integer; X: real; var I: integer);
var {Pascal version}
  Mid, Low, High: integer;
begin
  Low := 1; High := N;

```

```

Mid := (Low + High) / 2;
while (Low <= High)
  and (A[Mid] <> X) do begin
    if A[Mid] < X then
      Low := Mid + 1
    else
      High := Mid - 1;
    Mid := (Low + High) / 2
  end;
if (Low <= High)
  I := Mid
else
  I := -1;
end;

```

Are you absolutely sure that Low and High will never get “stuck” at the same values on two successive iterations? Not even when

- Low = High
 - Low + 1 = High
 - Low + 2 = High
 - each of the above, and Low is even? odd?
 - each of the above, and High is even? odd?
-

```

procedure BinSearch (
  var A: array[1..1000] of real;
  N: integer; X: real; var I: integer);
var {Pascal version}
  Mid, Low, High: integer;
begin
  Low := 1; High := N;
  /* {X is not in A, or
    (A[j] == X for some Low<=j<=High)} */
  Mid := (Low + High) / 2;
  while (Low <= High)
    and (A[Mid] <> X) do begin
    if A[Mid] < X then
      Low := Mid + 1
    else
      High := Mid - 1;
    Mid := (Low + High) / 2
  end;
  if (Low <= High)
    I := Mid
  else
    I := -1;
end;

```

```

procedure BinSearch (
  var A: array[1..1000] of real;
  N: integer; X: real; var I: integer);
var {Pascal version}
  Mid, Low, High: integer;
begin
  Low := 1; High := N;
  /* {X is not in A, or
    (A[j] == X for some Low<=j<=High)} */
  Mid := (Low + High) / 2;
  /* {(X is not in A, or
    (A[j] == X for some Low<=j<=High))
    and (Mid = (Low + High / 2))} */
  while (Low <= High)
    and (A[Mid] <> X) do begin
    if A[Mid] < X then
      Low := Mid + 1
    else
      High := Mid - 1;
    Mid := (Low + High) / 2
  end;
  if (Low <= High)
    I := Mid
  else
    I := -1;
end;

```

The condition

```

/* {(X is not in A, or
  (A[j] == X for some Low<=j<=High))
  and (Mid = (Low + High / 2))} */

```

is our loop invariant.

For shorthand, call it Inv.

```

procedure BinSearch (
  var A: array[1..1000] of real;
  N: integer; X: real; var I: integer);
var {Pascal version}
  Mid, Low, High: integer;
begin
  Low := 1; High := N;
  /* {X is not in A, or
    (A[j] == X for some Low<=j<=High)} */
  Mid := (Low + High) / 2;
  /* {Inv} */
  while (Low <= High)
    and (A[Mid] <> X) do begin
    /* {Inv and (Low <= High)
      and A[Mid] <> X} */
    if A[Mid] < X then

```

```

    Low := Mid + 1
  else
    High := Mid - 1;
    Mid := (Low + High) / 2
  end;
  /* { Inv and (Low > High
        or A[Mid] = X) } */
  if (Low <= High)
    I := Mid
  else
    I := -1;
end;

```

The post-loop invariant makes it clear that, if we exit the loop, the program will return the correct value in I:

```

/* { (X is not in A, or
    (A[j] == X for some Low<=j<=High))
    and (Mid = (Low + High) / 2)
    and (Low > High
        or A[Mid] = X) } */

```

simplifies to

```

/* { (X is not in A and Low > High)
    or
    (Low <= High and A[Mid] = X) } */

```

Looking at the middle of the loop, we have

```

while (Low <= High)
  and (A[Mid] <> X) do begin
    /* { Inv and (Low <= High)
        and A[Mid] <> X } */
    if A[Mid] < X then
      Low := Mid + 1
    else
      High := Mid - 1;
      Mid := (Low + High) / 2
  end;

```

Since $Low \leq High$, we know that $Low+High \geq 2*Low$, so $Mid \geq Low$. Similarly, we can argue that $Mid \leq High$.

Let d denote the distance between High and Low at the beginning of the loop.

```

while (Low <= High)
  and (A[Mid] <> X) do begin
    /* { Inv and (Low <= High)
        and A[Mid] <> X
        and d = High-Low } */
    if A[Mid] < X then
      Low := Mid + 1

```

```

  else
    High := Mid - 1;
    Mid := (Low + High) / 2
  end;

```

Now because $Low \leq Mid$, we have $Low < Mid + 1$. So we can argue that

```

while (Low <= High)
  and (A[Mid] <> X) do begin
    /* { Inv and (Low <= High)
        and A[Mid] <> X
        and d = High-Low } */
    if A[Mid] < X then
      Low := Mid + 1
      /* { d > High-Low } */
    else
      High := Mid - 1;
      Mid := (Low + High) / 2
    end;

```

because we know that Low just increased.

We can make a similar argument for High:

```

while (Low <= High)
  and (A[Mid] <> X) do begin
    /* { Inv and (Low <= High)
        and A[Mid] <> X
        and d = High-Low } */
    if A[Mid] < X then
      Low := Mid + 1
      /* { d > High-Low } */
    else
      High := Mid - 1;
      /* { d > High-Low } */
      Mid := (Low + High) / 2
    end;

```

and then the rule for conditionals lets us say:

```

while (Low <= High)
  and (A[Mid] <> X) do begin
    /* { Inv and (Low <= High)
        and A[Mid] <> X
        and d = High-Low } */
    if A[Mid] < X then
      Low := Mid + 1
      /* { d > High-Low } */
    else
      High := Mid - 1;
      /* { d > High-Low } */
    /* { d > High-Low } */

```

```
Mid := (Low + High) / 2
end;
```

So at the end of each loop iteration, we are guaranteed that the distance between `Low` and `High` has actually been reduced.

This means that our loop will exit eventually.

In other languages, assertions are formed using conventional `if`'s. It's not as easy to make them go away, however, when compiling the “production” version.

OK, who are you trying to kid?

No, I don't do that in detail when I design algorithms.

But I do think in those terms:

- What is the loop invariant?
 - What critical quantities do I need to track to tell if things are working properly?
 - Should those quantities be increasing, decreasing, or staying the same?
-

Invariants and Debugging

Programmers use invariants during testing and debugging by turning them into **assertions**, programming language code that checks an invariant and issues an error message if the check fails.

The `assert(e)` macro in C and C++ converts to

```
if (!e)
    error("assertion violated in line ...")
```

unless the compiler flag `NDEBUG` is set.

If that flag is set, the assertion is converted into a comment.

```
void binSearch (double *A, int N,
               double X, int * I)
{
    /* C version */
    int mid, low, high, d;
    low = 0; high = N-1;
    mid = (low + high) / 2;
    while ((low <= high) && (a[mid] <> X)) {
        assert((d = high-low) >= 0);
        if (a[mid] < X)
            low = mid + 1;
        else
            high = mid - 1;
        assert(d > high-low);
        mid = (low + high) / 2;
    }
    I = (low <= high)? mid : -1;
}
```