$$E\left(W, V/2\right)$$

$$= -\xi \left(r^{\dagger} \log y^{\dagger} + \left(1 - r^{\dagger}\right) \log \left(1 - y^{\dagger}\right)\right)$$

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$$\frac{\partial y}{\partial v} = (1 - \frac{1}{4} + \frac{1}{4})^{2} + \frac{1}{4} +$$

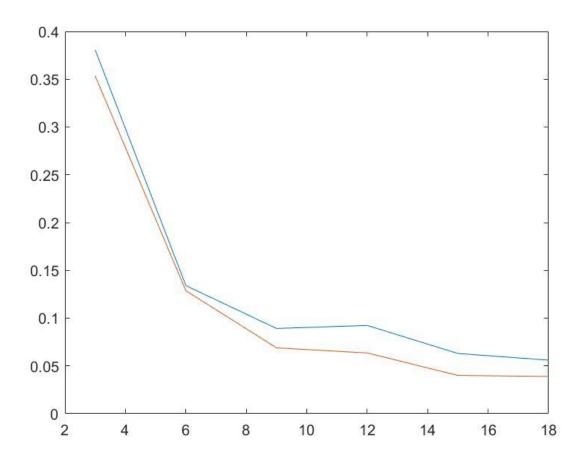
From equation = 2Wh+-\frac{x}{y+(1-y+)}x(1-y) · Vh max (0, w, TxT)
+ 0.01 min (w, TxT, 0) 2 Wh = & rt-yt (1+yt) Vh. max (0, w, x, x) 4 0.01 min (wn x7,0) max (0, wh xyt + 0.01 min (why) - 2 W. ().

Red:training error

Blue :validation error

Y:error rate

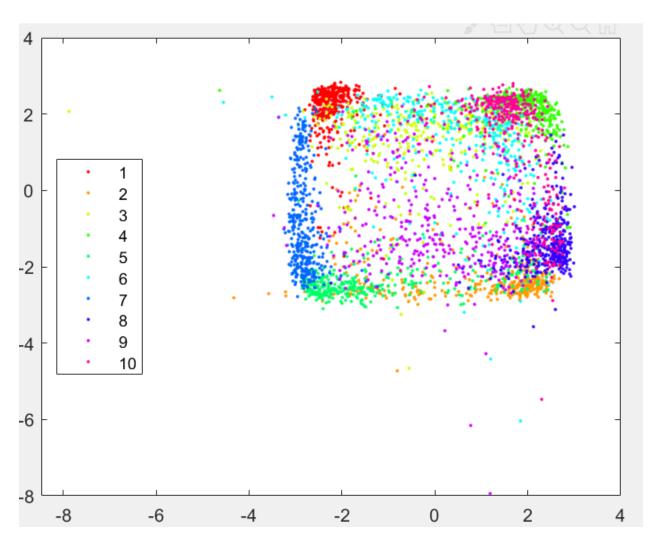
X:num of hidden Unit



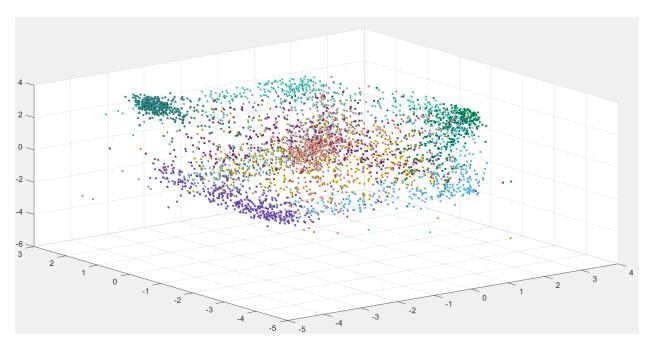
No of Hidden unit	3	6	9	12	15	18
Test data	0.3954	0.1361	0.0800	0.0806	0.0576	0.0507
Error Rate						
Train error	0.35344	0.12867	0.068873	0.063534	0.040043	0.038975
rate						
validation	0.38067	0.13401	0.089162	0.092365	0.063001	0.05606
error rate						

I should use 18 hidden layer since I am getting 0.3417 train error rate, 0.539 validation error rate and 0.0539 test error rate.

2d plot of hidden matrix after Applying PCA and Log



3d plot of hidden layers



Since gscatter for 3d is missing I have printed the name of the cluster on the node itself.

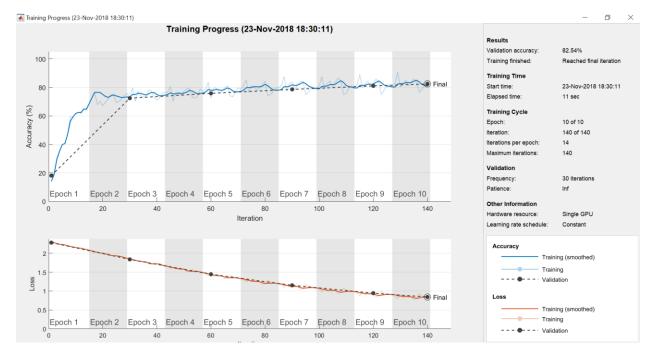
Log method:since some of the values were negative I have converted them to positive then taken the log and then multiplied -1 with it.

In the 3d plot we can visualize each cluster separately but in the 2d plot the clusters were overlapping.

Because of the use of relu function the value will be either zero or its original value and since in the given data most of the points are positive so its coming as its proper value. And some of them are visible -ve since log of its value is -ve.

3 c

accuracy = 0.8308



3c ii

accuracy =

0.8997

