Project Report Employee Absenteeism July 10, 2019

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Introduction

1.1 Problem Statement

XYZ is a courier company. As we appreciate that human capital plays an important role in collection, transportation and delivery. The company is passing through genuine issue of Absenteeism. The company has shared it dataset and requested to have an answer on the following areas:

- 1. What changes company should bring to reduce the number of absenteeism?
- 2. How much losses every month can we project in 2011 if same trend of absenteeism continues?

1.2 Data

There are 21 variables in our data in which 20 are independent variables and 1 (Absenteeism time in hours) is dependent variable. Though our target variable is continuous in nature, we have classified the output set into sub-ranges from a possible 120 to 5 bins. Thus, we have converted this machine learning problem into a classification problem.

Hypothesis generation

These are some of the hypothesis which could affect the absenteeism time:

- 1. Certain medical condition will lead to higher absenteeism.
- 2. Higher transportation expense and 'distance from residence to work' will lead to higher absenteeism.

Absenteeism Time (in hours)	Output Sub-Class	Frequency
More than 7	Class 5	262
Between 3 - 5	Class 2	177
Less than equal 2	Class 1	279

Variables Information:

- **1.** Individual identification (ID)
- 2. Reason for absence (ICD) -

Absences attested by the **International Code of Diseases** (ICD) stratified into 21 categories (I to XXI) as follows:

- I. Certain infectious and parasitic diseases
- II. Neoplasms
- **III.** Diseases of the blood and blood-forming organs and certain disorders involving the immune mechanism
 - IV. Endocrine, nutritional and metabolic diseases
 - V. Mental and behavioral disorders
 - VI. Diseases of the nervous system
 - VII. Diseases of the eye and adnexa
 - **VIII**. Diseases of the ear and mastoid process
 - IX. Diseases of the circulatory system
 - **X**. Diseases of the respiratory system
 - **XI**. Diseases of the digestive system
 - **XII**. Diseases of the skin and subcutaneous tissue
 - **XIII**. Diseases of the musculoskeletal system and connective tissue
 - **XIV**. Diseases of the genitourinary system
 - **XV**. Pregnancy, childbirth and the puerperium
 - **XVI**. Certain conditions originating in the perinatal period
 - XVII. Congenital malformations, deformations and chromosomal abnormalities
- **XVIII**. Symptoms, signs and abnormal clinical and laboratory findings, not elsewhere classified
 - **XIX**. Injury, poisoning and certain other consequences of external causes
 - **XX.** External causes of morbidity and mortality
 - **XXI**. Factors influencing health status and contact with health services

And 7 categories without (CID) patient follow-up (22), medical consultation (23), blood donation (24), laboratory examination (25), unjustified absence (26), physiotherapy (27), dental consultation (28).

- **3.** Month of absence
- **4.** Day of the week (Monday (2), Tuesday (3), Wednesday (4), Thursday (5), Friday (6))

- **5.** Seasons (summer (1), autumn (2), winter (3), spring (4))
- **6.** Transportation expense
- **7.** Distance from Residence to Work (kilometers)
- **8.** Service time

9. Age

10. Work load Average/day

11. Hit target

- **12.** Disciplinary failure (yes=1; no=0)
- **13.** Education (high school (1), graduate (2), postgraduate (3), master and doctor (4))
- **14.** Son (number of children)
- **15.** Social drinker (yes=1; no=0)
- **16.** Social smoker (yes=1; no=0)
- **17.** Pet (number of pet)

18. Weight

19. Height

- **20.** Body mass index
- 21. Absenteeism time in hours (target)

Sample of the dataset:

# Absenteei ID	# Absenteeismlatlwork Reason for absence	# Absenteeismlatlwork Month of absence	# Absenteeism!at!work Day of the week	# Absenteeism!at! Seasons	# Absenteeism!at!work Transportation ex	# Absenteeismlatlwork Distance from Res	# Absenteeismlatlwork Service time	# Absenteek Age
11	26	7	3	1	289	36	13	
36	0	7	3	1	118	13	18	
3	23	7	4	1	179	51	18	
7	7	7	5	1	279	5	14	
11	23	7	5	1	289	36	13	
3	23	7	6	1	179	51	18	
10	22	7	6	1	null	52	3	
20	23	7	6	1	260	50	11	

# Absenteeismlatlwork Work load Averag	# Absenteeism!at!work Hit target	# Absenteeismlatlwork Disciplinary failure	# Absenteeism!at!work Education	# Absenteeis Son	# Absenteeism!at!work Social drinker	# Absenteeism!at!work Social smoker	# Absenteeis Pet	# Absenteeism!at Weight
239,554	97	0	1	2	1	0	1	90
239,554	97	1	1	1	1	0	0	98
239,554	97	0	1	0	1	0	0	89
239,554	97	0	1	2	1	1	0	68
239,554	97	0	1	2	1	0	1	90
239,554	97	0	1	0	1	0	0	89
239,554	97	0	1	1	1	0	4	80
239,554	97	0	1	4	1	0	0	65

168 24 4	# Absenteeismlat Height	# Absenteeismlatlwork Body mass index	# Absenteeism!at!work Absenteeism time
170 31 2 168 24 4 172 30 2 170 31 <i>null</i>	172	30	4
168 24 4 172 30 2 170 31 <i>null</i>	178	31	0
172 30 2 170 31 <i>null</i>	170	31	2
170 31 <i>null</i>	168	24	4
	172	30	2
172 27 8	170	31	null
	172	27	8
168 23 4	168	23	4

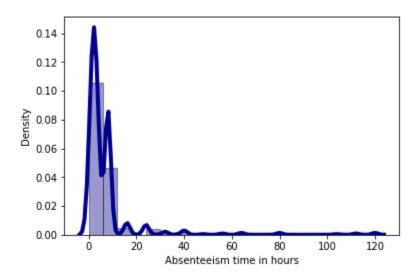
Chapter 2

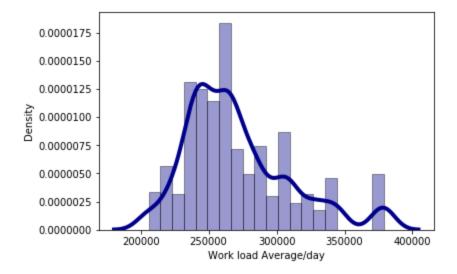
Methodology

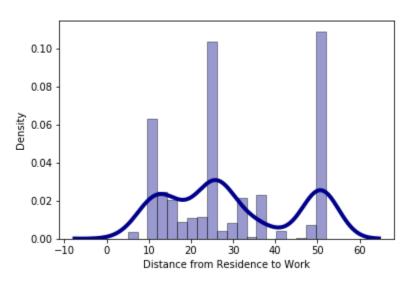
2.1 Pre-Processing

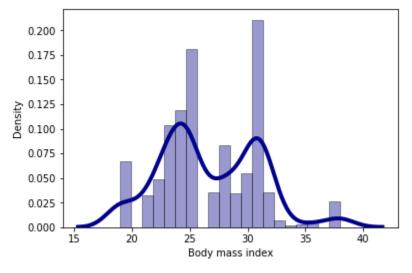
Any predictive modeling requires that we look at the data before we start modeling. However, in data mining terms *looking at data* refers to so much more than just looking. Looking at data refers to exploring the data, cleaning the data as well as visualizing the data through graphs and plots. This is often called as **Exploratory Data Analysis**. To start this process, we will first try and look at all the probability distributions of the variables. We can visualize that in a glance by looking at the probability distributions or probability density functions of the variable.

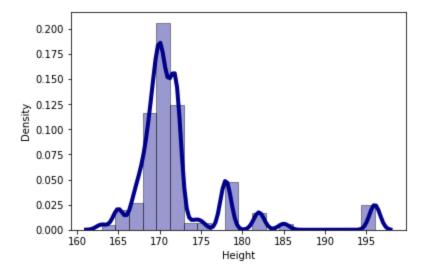
We have plotted the probability density functions of all the independent continuous variables in the data as well as the dependent Absenteeism variable. The blue lines indicate Kernel Density Estimations (KDE) of the variable. We can see all variables have skewed distribution.

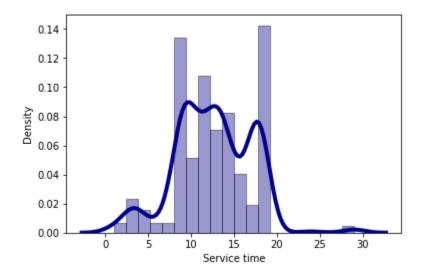


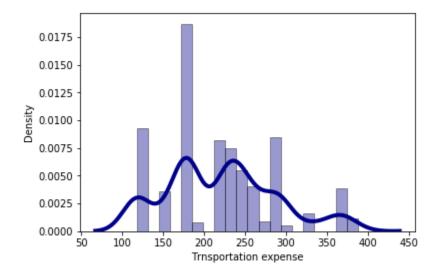


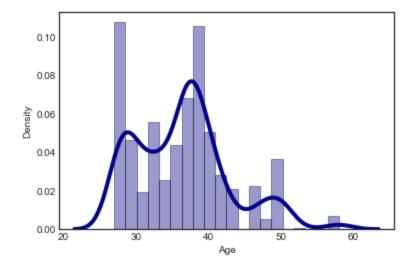


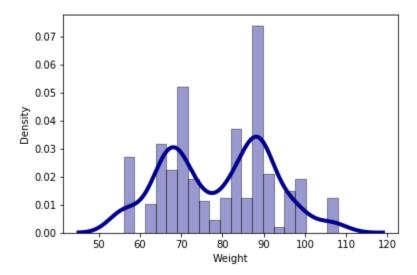






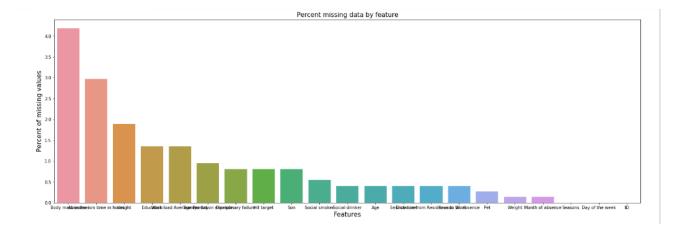






Missing value Analysis:

As the data also contained missing values, missing values were imputed using KNN. Since the variables have skewed distributions, imputation with mean was ignored. We could have gone with median or KNN values. However, the imputed values were closer to KNN values.

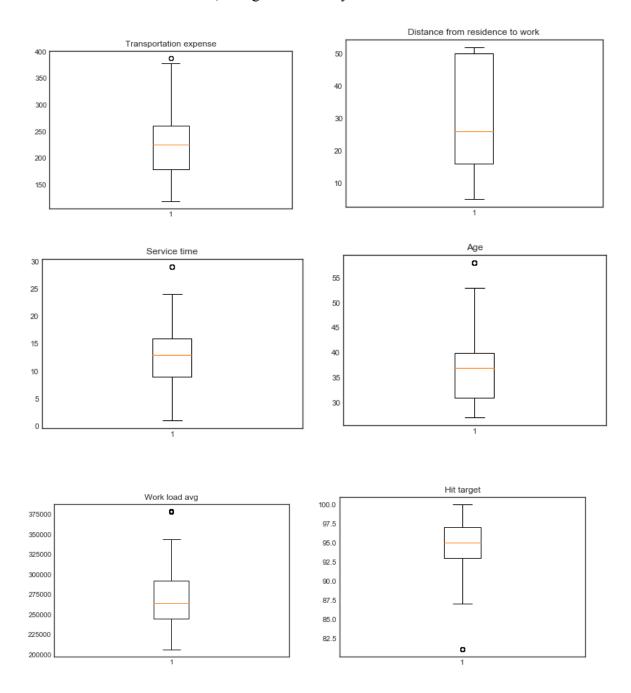


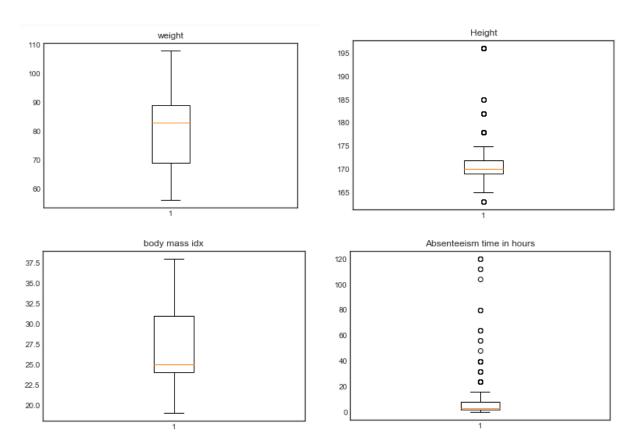
FEATURES	MISSING COUNT	
Body mass index	31	
Absenteeism time in hours	22	
Height	14	
Education	10	
Work load Average Per day	10	
Transportation expense	7	
Disciplinary failure	6	
Hit target	6	
Son	6	
Social smoker	4	
Social drinker	3	
Age	3	
Service time	3	
Distance from Residence to Work	3	
Reason for absence	3	
Pet	2	
Weight	1	
Month of absence	1	
Seasons	0	
Day of the week	0	
ID	0	

2.1.1 Outlier Analysis

As seen above in pdf, most of the variables are skewed. The skew in these distributions can be most likely explained by the presence of outliers and extreme values in the data. One of the other steps of **pre-processing** apart from checking for normality is the presence of outliers. In this case we replaced outliers with NaN and then imputed them with KNN algorithm. We visualize the outliers using *boxplots*.

'Distance from work to home', 'weight' and 'Body mass index' have no outliers.



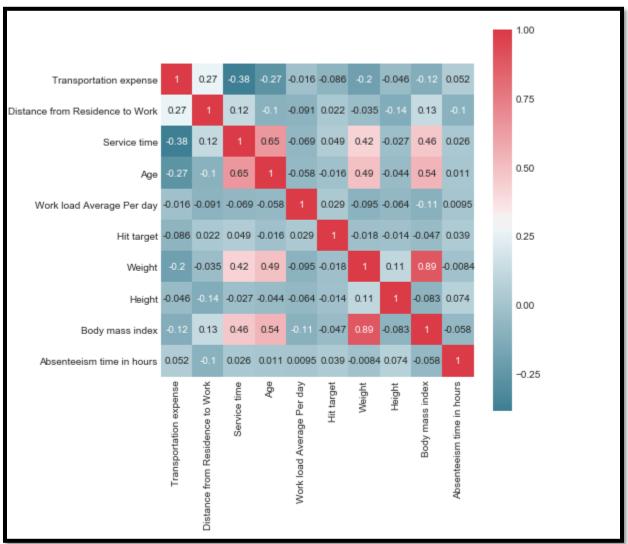


2.1.2 Feature Selection

Before performing any type of modeling, we need to assess the importance of each predictor variable in our analysis. There is a possibility that many variables in our analysis are not important at all to the problem of class prediction. There are several methods of doing that.

A very simple way of looking at correlations in the data is shown below through the correlation matrix:

Clearly, Only Weight and Body Mass Index have high correlation (>0.8). So, we can drop Body Mass Index from the feature selection.



We have used ANOVA test to select categorical variables for model development.

Dep. Variab	le: abse	nteeism_time					0.000
Model:			OLS	Adj. R <mark>-</mark> squ	ared:		-0.001
Method:		Leas	st Squares	F-statisti	c:		0.3142
Date:		Sun, 04	4 Aug 2019	Prob (F-st	atistic):		0.575
Time:			12:12:51	Log-Likeli	hood:		-2885.6
No. Observat	tions:		718	AIC:			5775.
Df Residuals	з:		716	BIC:			5784.
Df Model:			1				
Covariance ?	Type:		nonrobust				
		std err			-	-	
Intercept		0.962					
		0.046					
Omnibus:		819.9	952 Durbi:	n-Watson:		2.004	
Prob (Omnibus	в):	0.0	000 Jarque	e-Bera (JB):		46833.523	
Skew:		5.6	684 Prob(JB):		0.00	
Kurtosis:		40.8	398 Cond.	No.		40.4	

OLS Regression Results

Dep. Variable: Model: Method: Date: Time: No. Observations: Df Residuals: Df Model:	absenteeism Su	Least Sq	OLS uares 2019	Adj. R- F-stati	squared: stic: '-statistic):		0.042 0.041 31.48 2.88e-08 -2870.4 5745. 5754.
Covariance Type:		nonr	obust	=======	=========		
					P> t	-	-
Intercept reason_for_absence	13.4577	1.25	6	10.718	0.000	10.993	15.923
Omnibus: Prob(Omnibus): Skew: Kurtosis:				e-Bera (J JB):		1.97 43157.15 0.0 53.	52 00

Dep. Variable:	absenteei	sm time in	hours	R-sa	uared:		0.001
Model:			OLS	-	R-squared:		-0.001
Method:		Least So	uares	F-st	atistic:		0.4754
Date:	:	Sun, 04 Aug	2019	Prob	(F-statistic)	:	0.491
Time:		12:	12:51	Log-	Likelihood:		-2885.6
No. Observations:			718	AIC:			5775.
Df Residuals:			716	BIC:			5784.
Df Model:			1				
Covariance Type:		nonr	obust				
					P> t	[0.025	0.975]
Intercept		1.047				4.290	8.400
month_of_absence							
Omnibus:		819.081	Durbin-	-Wats	======== on:	2.00	= 6
Prob(Omnibus):		0.000	Jarque-	Bera	(JB):	46727.96	2
Skew:		5.673	Prob(J	3):		0.0	0
Kurtosis:		40.858	Cond. 1	No.		15.	1
							=

OLS Regression Results

Dep. Variable:	absenteei	sm_time_in_	hours	R-sqi	uared:		0.014
Model:			OLS	Adj.	R-squared:		0.012
Method:		Least So	quares	F-sta	atistic:		9.959
Date:		Sun, 04 Aug	2019	Prob	(F-statist	ic):	0.00167
Time:		12:	12:51	Log-I	Likelihood:		-2880.8
No. Observations:			718	AIC:			5766.
Df Residuals:			716	BIC:			5775.
Df Model:			1				
Covariance Type:		noni	cobust				
						[0.025	-
						8.443	
day_of_the_week	-1.1120	0.352	-3.1	.56	0.002	-1.804	-0.420
Omnibus:		815.225	Durbin	 n-Watso	on:		.004
Prob(Omnibus):		0.000	Jarque	e-Bera	(JB):	46084	.492
Skew:		5.630	Prob(лв):			0.00
Kurtosis:		40.599	Cond.	No.			12.8
							====

					8.149
coef	etd err	+	P>I+I	 [0_025	0.9751
	nonrobust				
	1			J	
					773. 783.
			inood:		773.
Sun, (.145
				_	.130
_					.002
absenteeism_tin		_			.003
01	S Regression	Results			
				=======	=
		-	JB):		
81			_		
:========		0.97			==
coef std er	r t 	P> t	[0.02	5 0.97	5]
	nonropusi	; =======			==
		-			
					578
					577
	12:12:5	l Log-Li	kelihood:		-2885
	-		F-statistic)	:	0.9
d: Least Squares F-statistic:					
p. Variable: absenteeism_time_in_hours R-squared: del: OLS Adj. R-squared:					
	Sun, coef std er: 196 1.258 165 0.458	Least Squares Sun, 04 Aug 2019 12:12:53 716 716 716 716 716 717 717 717 717 718 718 716 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	Least Squares F-stat Sun, 04 Aug 2019 Prob (12:12:51 Log-Li 718 AIC: 716 BIC: 1 nonrobust 20ef std err t P> t 2196 1.258 5.579 0.00 2165 0.455 -0.036 0.97 819.279 Durbin-Watson 0.000 Jarque-Bera (5.676 Prob(JB): 40.849 Cond. No. OLS Regression Results absenteeism_time_in_hours R-squared: OLS Adj. R-squ Least Squares F-statist; Sun, 04 Aug 2019 Prob (F-st 12:12:51 Log-Likel; 718 AIC: 716 BIC: 1 nonrobust coef std err t	Least Squares F-statistic: Sun, 04 Aug 2019 Prob (F-statistic) 12:12:51 Log-Likelihood: 718 AIC: 716 BIC: 1	Least Squares F-statistic: Sun, 04 Aug 2019 Prob (F-statistic): 12:12:51 Log-Likelihood: 718 AIC: 716 BIC: 1 nonrobust Deef std err t P> t [0.025 0.975] D196 1.258 5.579 0.000 4.549 9.49 D196 1.258 5.579 0.000 4.549 9.49 D196 0.455 -0.036 0.971 -0.911 0.80 819.279 Durbin-Watson: 2.00 0.000 Jarque-Bera (JB): 46711.80 5.676 Prob(JB): 0.0 40.849 Cond. No. 7.6 OLS Regression Results absenteeism_time_in_hours R-squared: 0 Least Squares F-statistic: 2 Sun, 04 Aug 2019 Prob (F-statistic): 0 12:12:51 Log-Likelihood: -28 716 BIC: 5 717 DOUBLE TO SET TO SE

826.663 Durbin-Watson:

5.750 Prob(JB):

41.718 Cond. No.

0.000 Jarque-Bera (JB):

Omnibus:

Kurtosis:

Skew:

Prob(Omnibus):

2.000

4.79

48804.961

0.00

Dep. Variable: Model: Method: Date: Time: No. Observations: Df Residuals: Df Model: Covariance Type:		Least Sun, 04	OLS: Squares Aug 2019 12:12:51 718 716 1 nonrobust	Adj. R-squa F-statistic Prob (F-station Log-Likelia AIC: BIC:	c: atistic):		0.002 0.001 1.557 0.213 -2885.0 5774. 5783.
	coef	std err		P> t	[0.025	_	
_	1778 9255	1.085	7.535 -1.248	0.000 0.213	6.047 -2.382	10.309 0.531	
Omnibus: Prob(Omnibus): Skew: Kurtosis:		0.00 5.65	8 Durbin	n-Watson: e-Bera (JB): JB):		2.006 46198.340 0.00 4.41	
			Regressio	n Results			
Dep. Variable: Model: Method: Date: Time: No. Observations: Df Residuals: Df Model: Covariance Type:	abseni	teeism_time Leas Sun, 04	in_hours OLS t Squares Aug 2019 12:12:51 718 716 1 nonrobust	R-squared: Adj. R-squ F-statisti Prob (F-st Log-Likeli AIC: BIC:	ared: c: atistic): hood:		0.015 0.014 10.84
	coef	std err	t	P> t	[0.025	0.975]	
	5116	0.459	3.292	0.001	4.110 0.610	6.788 2.413	
Omnibus: Prob(Omnibus): Skew: Kurtosis:		814.83 0.00 5.63	26 Durbi	e-Bera (JB): JB):		2.026 45887.211 0.00 2.56	

Dep. Variable: Model: Method: Date: Time: No. Observations: Df Residuals: Df Model: Covariance Type:	absente	Sun, 04 Au 12	OLS quares	Adj. F-sta Prob	wared: R-squared atistic: (F-stati:	stic):	0.004 0.003 2.982 0.0846 -2884.3 5773. 5782.
	coef	std err		t	P> t	[0.025	0.975]
Intercept <mark>social_drinke</mark> r	5.9914 1.7501	0.761 1.014	7.87		0.000 0.085	4.498 -0.240	7.485 3.740
Omnibus: Prob(Omnibus): Skew: Kurtosis:		5.697 41.202	Durbin Jarque Prob(J Cond. ======	-Bera B): No.	(JB):	475	2.010 543.786 0.00 2.80
Dep. Variable: Model: Method: Date: Time: No. Observations: Df Residuals: Df Model: Covariance Type:	absentee	Sun, 04 Aug 12	OLS quares g 2019	Adj. F-sta Prob		stic):	0.002 0.000 1.335 0.248 -2885.1 5774. 5783.
=======================================	coef	std err	t		P> t	[0.025	0.975]
Intercept social_smoker	6.8171 2.2613	0.522 1.958	13.067 1.155		0.000 0.248	5.793 -1.582	7.841 6.104
Omnibus: Prob(Omnibus): Skew: Kurtosis:		817.551 0.000 5.658 40.658	Durbin Jarque Prob(J Cond.	-Bera B):		462	2.015 256.841 0.00 3.91

Dep. Variab Model: Method: Date: Time: No. Observa			OLS st Squares 4 Aug 2019	Adj. R-squ F-statisti Prob (F-st Log-Likeli	c: atistic):		0.001 -0.001 0.5925 0.442 -2885.5
Df Residual Df Model: Covariance	3:			AIC: BIC:			5784.
	coef	std err	t	P> t	[0.025	0.975]	
_		0.578 0.384					
Omnibus: Prob(Omnibu Skew: Kurtosis:	s):	0.0 5.6	089 Durbi: 000 Jarqu 673 Prob(865 Cond.	e-Bera (JB): JB):		2.004 46745.682 0.00 1.99	

For P-value < 0.05, we reject the null hypothesis.

Variables selected for model development:

```
Data columns (total 12 columns):
                                   718 non-null float64
reason for absence
                                   718 non-null float64
seasons
                                   718 non-null float64
transportation_expense
                                   718 non-null float64
distance_from_residence_to_work
                                   718 non-null float64
service time
                                   718 non-null float64
age
work_load_average_per_day
                                   718 non-null float64
                                   718 non-null float64
hit_target
son
                                   718 non-null float64
weight
                                   718 non-null float64
height
                                   718 non-null float64
                                  718 non-null float64
absenteeism_time_in_hours
```

Feature Scaling

Feature scaling is a method used to normalize the range of independent variables or features of data. In data processing, it is also known as data normalization and is generally performed during the data preprocessing step.

Also known as min-max scaling or min-max normalization, is the simplest method and consists in rescaling the range of features to scale the range in [0, 1] or [-1, 1]. Selecting the target range depends on the nature of the data. The general formula for a min-max of [0, 1] is given as:

$$x' = \frac{x - \min(x)}{\max(x) - \min(x)}$$

where is an original value, is the normalized value.

2.2 Modeling

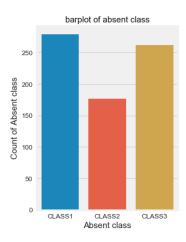
2.2.1 Model Selection

The dependent variable can fall in either of the four categories:

- 1. Nominal
- 2. Ordinal
- 3. Interval
- 4. Ratio

If the dependent variable is Nominal the only predictive analysis that we can perform is **Classification**, and if the dependent variable is Interval or Ratio the normal method is to do a **Regression** analysis, or **classification after binning**.

As our target variable (Absenteeism time in hours (target)) is Numerical, but we have classified it into sub-ranges. We will use classification.



Evaluation Metrics for classification problems

accuracy_score: Accuracy classification score.

roc_curve: Compute Receiver operating characteristic (ROC)

Log-Loss: Logarithmic loss

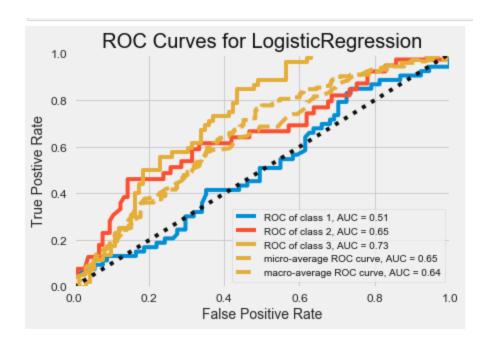
It measures the performance of a classification model where the prediction input is a probability value between 0 and 1. The goal of our machine learning models is to minimize this value. A perfect model would have a log loss of 0.

We always start your model building from the simplest to more complex.

Logistic Regression:

- Logistic regression is an estimation of Logit function. Logit function is simply a log of odds in favor of the event.
- This function creates a s-shaped curve with the probability estimate, which is very similar to the required step wise function

```
Logistic Regression Model Train log loss: 0.958
Logistic Regression Model Test log loss: 1.044
accuracy score : 0.424
confusion matrix:
[[28 7 18]
 [26 7 6]
 [25 1 26]]
classification report:>
            precision recall f1-score support
                0.35
                        0.53
                                  0.42
     CLASS1
                                               53
                0.47 0.18
0.52 0.50
                                    0.26
                                               39
     CLASS2
     CLASS3
                                    0.51
                                               52
                0.42
                          0.42
                                    0.42
                                              144
  micro avq
  macro avq
                 0.45
                          0.40
                                    0.40
                                              144
weighted avg
                0.44
                          0.42
                                    0.41
                                              144
```



Result: log_loss is very high, and AUC is low. Also accuracy of the model is very low.Let's explore another model.

Naïve Bayes:

Naïve Bayes is simple yet powerful classification algorithm. It is suitable for both binary and multiclass problems.

The fundamental Naive Bayes assumption is that each feature makes an:

- independent
- equal weight/importance

contribution to the outcome.

Bayes' Theorem finds the probability of an event occurring given the probability of another event that has already occurred. Bayes' theorem is stated mathematically as the following equation:

$$P(A|B) = \frac{P(B|A)P(A)}{P(B)}$$

where A and B are events and P(B) is not 0.

- Basically, we are trying to find probability of event A, given the event B is true. Event B is also termed as evidence.
- P(A) is the priori of A (the prior probability, i.e. Probability of event before evidence is seen). The evidence is an attribute value of an unknown instance (here, it is event B).

• P(A|B) is a posteriori probability of B, i.e. probability of event after evidence is seen.

```
NB Model Train log loss: 0.963
NB Model Test log loss: 1.097
accuracy score: 0.444
```

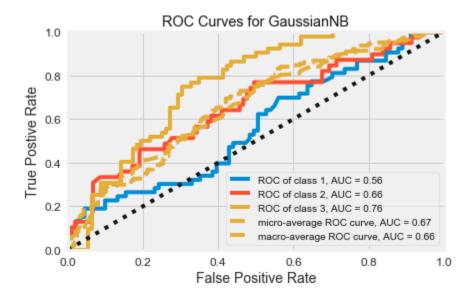
confusion_matrix:

[[26 16 11] [19 16 4]

[25 5 22]]

classification_report:>

	precision	recall	f1-score	support
CLASS1	0.37	0.49	0.42	53
CLASS2	0.43	0.41	0.42	39
CLASS3	0.59	0.42	0.49	52
micro avg	0.44	0.44	0.44	144
macro avg	0.47	0.44	0.45	144
weighted avg	0.47	0.44	0.45	144



Result: Again, the Logloss is very high, and AUC is low. Also, accuracy of the model is very low.

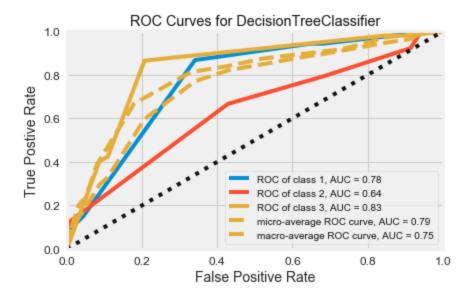
Decision Tree:

Decision trees are constructed via an algorithmic approach that identifies ways to split a data set based on different conditions. It is one of the most widely used and practical methods for supervised learning.

Decision Trees are a non-parametric supervised learning method used for both classification and regression tasks. Information gain is used to decide which feature to split on at each step in building the tree.

Tree models where the target variable can take a discrete set of values are called **classification trees**.

```
DT Model Train log loss: 0.777
DT Model Test log loss: 1.087
accuracy score : 0.653
confusion matrix:
[[46 0 7]
 [24 3 12]
 [7 0 45]]
classification report:>
             precision recall f1-score support
     CLASS1 0.60 0.87 0.71
CLASS2 1.00 0.08 0.14
CLASS3 0.70 0.87 0.78
                                                 53
                                                 39
                                                 52
  micro avg 0.65
macro avg 0.77
                          0.65
                                    0.65
                                               144
                          0.60
                                     0.54
                                                144
weighted avg 0.74 0.65
                                    0.58
                                                144
```



Result: Accuracy score and AUC is higher as compared to naïve bayes but still prediction capability is poor.

Random Forest:

Random forest, like its name implies, consists of a large number of individual decision trees that operate as an **ensemble**. It is called random forest as we are building n no. of trees randomly. In other words, to build the decision trees it selects randomly n no of variables and n no of observations to build each decision tree.

Base RF Model Train log loss: 0.230
Base RF Model Test log loss: 1.137

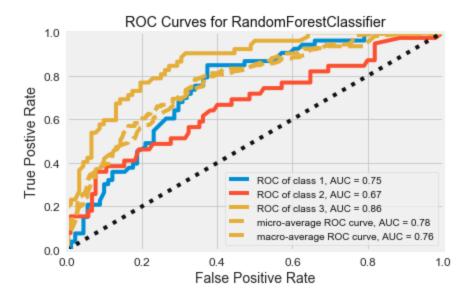
accuracy score : 0.653

confusion_matrix:

[[46 0 7] [24 3 12] [7 0 45]]

classification_report:>

	precision	recall	f1-score	support
CLASS1	0.60	0.87	0.71	53
CLASS2	1.00	0.08	0.14	39
CLASS3	0.70	0.87	0.78	52
micro avg	0.65	0.65	0.65	144
macro avg	0.77	0.60	0.54	144
weighted avg	0.74	0.65	0.58	144



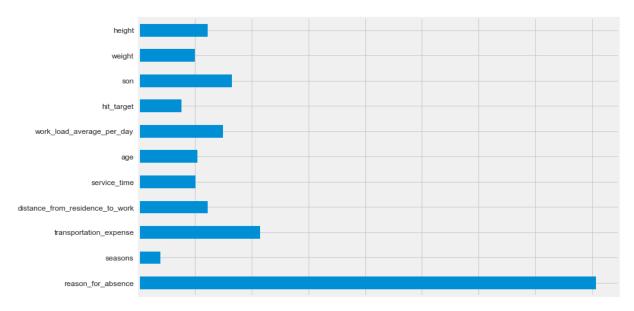


Fig showing feature importance using Random Forest.

Result: Overfitting issue seen here. Lets fine tune the hyperparameter to see if there is any improvement.

Hyperparameter Tuning using GridSearchCV

Hyperparameter tuning using GridSearchCV is performed to get a set of optimal hyperparameters.

```
{'max_depth': [1, 2, 3, 4, 5, None],
 'max_features': ['auto', 'sqrt'],
 'n estimators': [50,
                   100,
                   150,
                   200,
                   250,
                   300,
                   350,
                   400,
                   450,
                   500,
                   550,
                   600,
                   650,
                   700,
                   750,
                   800,
                   850,
                   900,
                   950,
                   1000]}
Fitting 3 folds for each of 240 candidates, totalling 720 fits
```

```
Fitting 3 folds for each of 240 candidates, totalling 720 fits
```

```
[Parallel(n_jobs=-1)]: Using backend LokyBackend with 4 concurrent workers.

[Parallel(n_jobs=-1)]: Done 33 tasks | elapsed: 48.3s

[Parallel(n_jobs=-1)]: Done 154 tasks | elapsed: 1.3min

[Parallel(n_jobs=-1)]: Done 357 tasks | elapsed: 2.1min

[Parallel(n_jobs=-1)]: Done 640 tasks | elapsed: 3.3min

[Parallel(n_jobs=-1)]: Done 720 out of 720 | elapsed: 3.7min finished
```

{'max_depth': 4, 'max_features': 'auto', 'n_estimators': 700}

Post Hyperparameter tuning, we get the error metric as below:

```
Tuned RF Model Train log loss: 0.765
Tuned RF Model Test log loss: 0.876
```

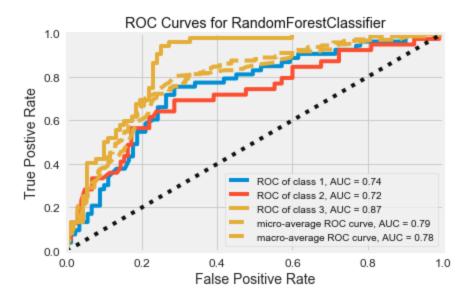
accuracy score : 0.632

confusion_matrix:

[[40 0 13] [25 5 9] [5 1 46]]

classification report:>

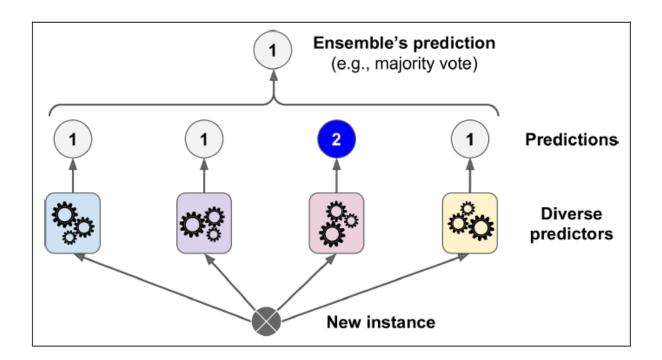
	precision	recall	f1-score	support
CLASS1	0.57	0.75	0.65	53
CLASS2	0.83	0.13	0.22	39
CLASS3	0.68	0.88	0.77	52
micro avg	0.63	0.63	0.63	144
macro avg	0.69	0.59	0.55	144
weighted avg	0.68	0.63	0.58	144



Result: Logloss on the test data is reduced, hence overfitting is reduced.

Ensemble method:

This is in simple terms **wisdom of the crowd**. if we aggregate the predictions of a group of predictors (such as classifiers or regressors), we will often get better predictions than with the best individual predictor. A group of predictors is called an ensemble; thus, this technique is called Ensemble Learning, and an Ensemble Learning algorithm is called an Ensemble method.



accuracy score : 0.632

Ensemble Model Train log loss: 0.802 Ensemble Model Test log loss: 0.879

LogisticRegression 1.0440080500532052

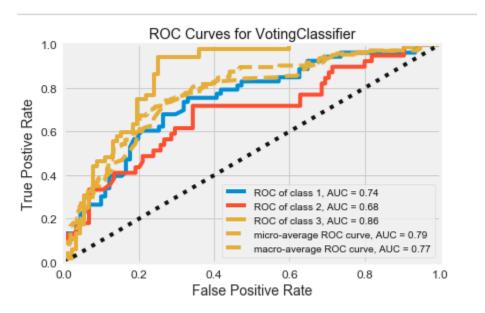
GaussianNB 1.0970635131571305

DecisionTreeClassifier 1.0869404554440663

RandomForestClassifier 0.8760909472198275

SVC 0.8068554349482863

VotingClassifier 0.8788054391939669



Result: Log loss, Accuracy score and AUC is similar to Random Forest.

XGBoost

XGBoost (Extreme Gradient Boosting) belongs to a family of boosting algorithms and uses the gradient boosting (GBM) framework at its core.

But what makes XGBoost so popular?

Speed and performance: Originally written in C++, it is comparatively faster than other ensemble classifiers.

Core algorithm is parallelizable: Because the core XGBoost algorithm is parallelizable it can harness the power of multi-core computers. It is also parallelizable onto GPU's and across networks of computers making it feasible to train on very large datasets as well.

Consistently outperforms other algorithm methods: It has shown better performance on a variety of machine learning benchmark datasets.

```
XGBoost Model Train log loss: 0.529
XGBoost Model Test log loss: 0.803
```

accuracy score : 0.653

confusion matrix:

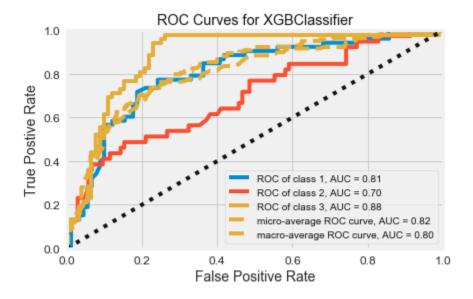
[[37 8 8]

[15 15 9]

[6 4 42]]

classification_report:>

	precision	recall	f1-score	support
CLASS1	0.64	0.70	0.67	53
CLASS2	0.56	0.38	0.45	39
CLASS3	0.71	0.81	0.76	52
micro avg	0.65	0.65	0.65	144
macro avg	0.64	0.63	0.63	144
weighted avg	0.64	0.65	0.64	144



Result: Logloss is lowest for XGBoost. Also AUC is high, accuracy is good.

Chapter 3

Conclusion

3.1 Model Evaluation

Now that we have a few models for predicting the target variable, we need to decide which one to choose. There are several criteria that exist for evaluating and comparing models. We can compare the models using any of the following criteria:

- 1. Predictive Performance
- 2. Interpretability
- 3. Computational Efficiency

In our case, *Interpretability* and *Computation Efficiency*, do not hold much significance. Therefore, we will use *Predictive performance* as the criteria to compare and evaluate models.

Predictive performance can be measured by comparing Predictions of the models with real values of the target variables, and calculating some average error measure.

Most commonly used metrics for multi-classes are F1 score, Average Accuracy, Log-loss.

We have used log loss for our model.

3.1.1 Log-Loss

Logarithmic loss measures the performance of a classification model where the prediction input is a probability value between 0 and 1. The goal of our machine learning models is to minimize this value. A perfect model would have a log loss of 0. Log loss increases as the predicted probability diverges from the actual label.

The logarithm used is the natural logarithm (base-e).

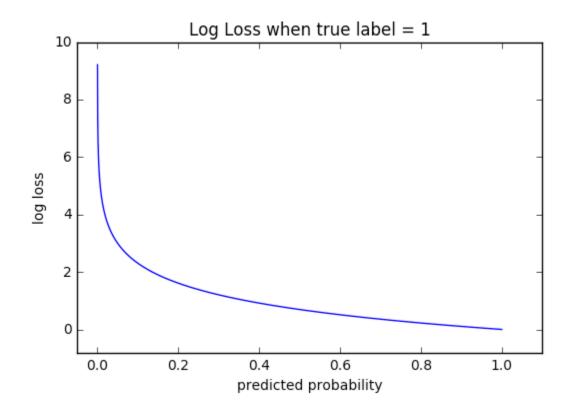
Log-loss for multi-class is defined as:

$$logloss = -\frac{1}{N} \sum_{i=1}^{N} \sum_{j=1}^{M} y_{ij} \log(p_{ij})$$
 Where,
$$N \quad \text{No of Rows in Test set}$$

$$M \quad \text{No of Fault Delivery Classes}$$

$$Y_{ij} \quad 1 \text{ if observation belongs to Class } j; \text{ else 0}$$

$$P_{ij} \quad Predicted Probability \text{ that observation belong to Class } j$$



3.2 Model Selection

Logistic Regression	log loss	accuracy_score	ROCAUC
train	0.958		
test	1.044	0.424	0.65
Naïve Bayes	log loss	accuracy_score	AUC
train	0.963		
test	1.097	0.444	0.66

Decision Tree	log loss	accuracy_score	AUC
train	0.777		
test	1.087	0.653	0.75

Random Forest	log loss	accuracy_score	AUC
train	0.23		
test	1.137	0.653	0.76

Hypertuned Random			
Forest	log loss	accuracy_score	AUC
train	0.765		
test	0.876	0.632	0.78

Ensemble	log loss	accuracy_score	AUC
train	0.802		
test	0.879	0.632	0.77

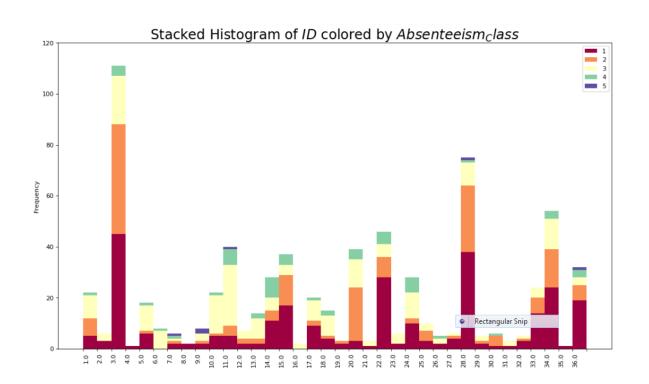
XGBoost	log loss	accuracy_score	AUC
train	0.529		
test	0.803	0.653	0.8

Conclusion: Logloss for test dataset is lowest for XGBoost. It means it is better at predicting on unseen data. Also AUC is higher comparatively other models and accuracy is also good.

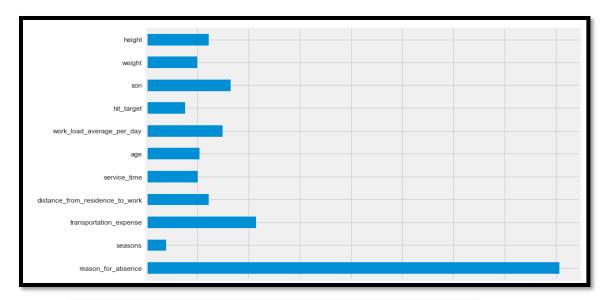
1. What changes company should bring to reduce the number of absenteeism?

ANSWER: Employers can take below actions on some of these reasons to improve the productivity of their employees.

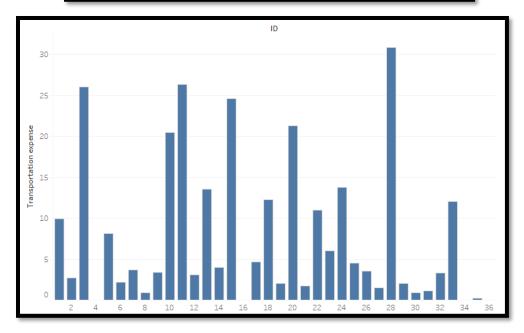
a) Based on the stacked histogram of emp ID by absenteesism class, we see IDs 7,9,11,28,36 have been absent for prolonged duration. We will now anlyse further for these ID to find the reason for their absence.



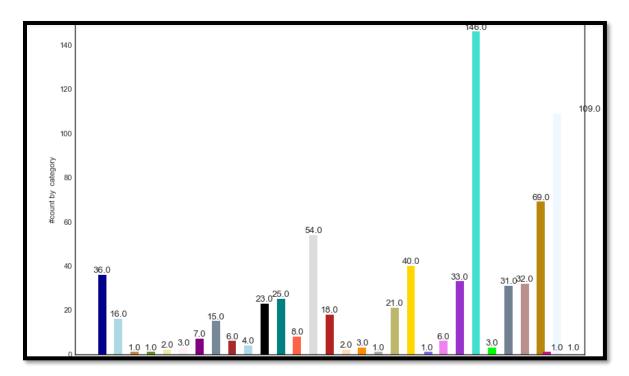
b) **Transportation expense**: This is second largest factor affecting absenteeism. and can be reduced either by granting a travel allowance to employees residing far from their workplace or twice a week "work from home" option. We see IDs 3,10,11,15,20,28 have high transportation expense.



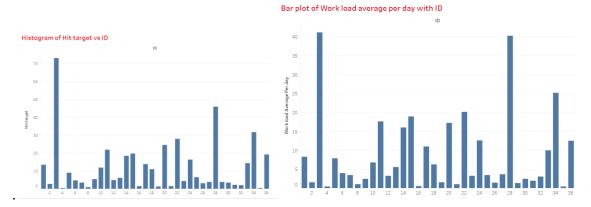
Absenteeism Time (in hours)	Output Sub-Class	Frequency
More than 7	Class 5	262
Between 3 - 5	Class 2	177
Less than equal 2	Class 1	279



c) **Reason for absence (ICD)**: This is the single largest factor affecting absenteeism. We see Medical consultation (ICD=23) & dental consultation (ICD=28) are most frequent. Hence, Monthly medical and dental checkups can be planned in the office itself.



d) Work load as well as Hit target is comparatively higher for ID 3 and 28. This may be due to their prolonged absence. Hence, these employees need to be monitored for their absence

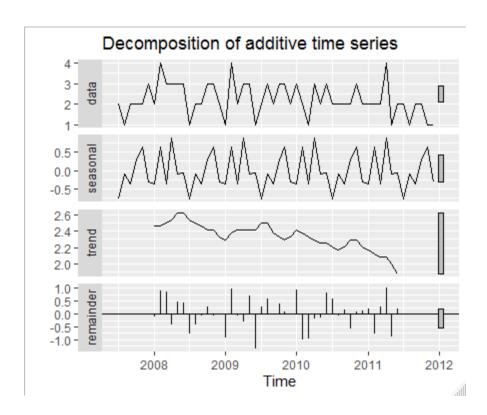


2. How much losses every month can we project in 2011 if same trend of absenteeism continues?

Note: I have used time series forecast for this question and is not related to the model chosen. I need to work on time-series problems.

ANSWER: The database was created with records of absenteeism at work from July 2007 to July 2010.

We can observe that the trend is on decline for 2011. Max absenteeism is in the month of April (32 hours).



The seasonal variation looks constant; it doesn't change when the time series value increases. Therefore, we have used the additive model.

Time series = Seasonal + Trend + Random

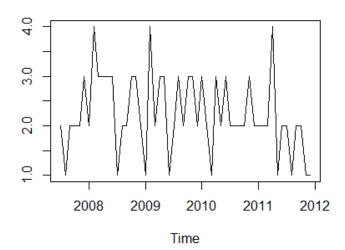
Absenteeism (in hours) prediction for year 2011

	Jan	Feb	Mar	Apr	May	Jun	Jul	Aug	sep	0ct	Nov	Dec
2007							4	ō	2	4	2	8
2008	4	40	8	8	8	8	1	4	2	8	8	2
2009	1	40	4	8	7	1	4	8	2	8	8	4
2010	8	2	1	8	4	8	4	2	4	4	8	2
2011	3	3	4	32	0	2	2	0	3	3	0	1

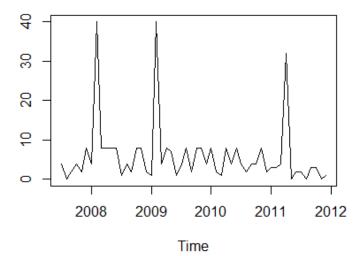
Absenteeism class prediction for year 2011

	Jan	Feb	Mar	Apr	May	Jun	Jul	Aug	Sep	0ct	Nov	Dec
2007							2	ī	2	2	2	3
2008	2	4	3	3	3	3	1	2	2	3	3	2
2009	1	4	2	3	3	1	2	3	2	3	3	2
2010	3	2	1	3	2	3	2	2	2	2	3	2
2011	2	2	2	4	1	2	2	1	2	2	1	1

Plot of Absenteeism class vs year



Plot of Absenteeism (time in hours) vs year



References:

https://archive.ics.uci.edu/ml/datasets/Absenteeism+at+work

https://scikit-learn.org/stable/modules/generated/sklearn.metrics.log_loss.html

https://stackoverflow.com/questions/736514/r-random-forests-variable-importance

https://www.rdocumentation.org/packages/MLmetrics/versions/1.1.1/topics/MultiLogLoss

https://en.wikipedia.org/wiki/Multiclass_classification