# CHRIST (Deemed to be University)

# Department of Computer Science

# 5MCA-A - Neural Networks and Deep Learning (MCA572)

### Regular Lab Questions - Lab 6

Time-Series Prediction with RNN

#### Anupam Kumar 2347104

05 November 2024

### Objective:

In this exercise, you will learn to implement a basic RNN model using Python and TensorFlow/Keras to predict future stock prices based on historical data.

Dataset: Download the dataset: Stock Price Dataset - AAPL (Apple Inc.).
 https://www.kaggle.com/datasets/tarunpaparaju/apple-aapl-historical-stock-data

This dataset contains daily stock prices (open, high, low, close, volume) for Apple Inc. from 2005 to 2017.

```
from sklearn.preprocessing import MinMaxScaler
from sklearn.model_selection import train_test_split
from sklearn.linear_model import LinearRegression
from sklearn.metrics import mean_squared_error, r2_score
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
```

### Step 1: Data Preprocessing

• Load the dataset and focus on the 'Close' price column, as this will be your target variable for prediction.

#### 1.1 Load the Dataset

```
import pandas as pd

# Load the dataset
data =
pd.read_csv('/content/drive/MyDrive/Trimester5/NNDL/HistoricalQuotes.c
```

```
sv')
# Display the first few rows to understand its structure
# Display the structure of the data
print("Data Info:")
print(data.info())
print("\nFirst few rows of data:")
print(data.head())
Data Info:
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 2518 entries, 0 to 2517
Data columns (total 6 columns):
#
     Column
                  Non-Null Count
                                  Dtype
     -----
 0
     Date
                  2518 non-null
                                  object
     Close/Last 2518 non-null
 1
                                  object
 2
                                  int64
      Volume
                  2518 non-null
 3
      0pen
                  2518 non-null
                                  object
4
                  2518 non-null
      High
                                  object
 5
      Low
                  2518 non-null
                                  object
dtypes: int64(1), object(5)
memory usage: 118.2+ KB
None
First few rows of data:
         Date Close/Last
                              Volume
                                           0pen
                                                     High
                                                                Low
  02/28/2020
                  $273.36
                          106721200
                                        $257.26
                                                  $278.41
                                                            $256.37
1 02/27/2020
                  $273.52
                            80151380
                                         $281.1
                                                     $286
                                                            $272.96
2 02/26/2020
                  $292.65
                            49678430
                                        $286.53
                                                  $297.88
                                                             $286.5
3 02/25/2020
                  $288.08
                            57668360
                                        $300.95
                                                  $302.53
                                                            $286.13
4 02/24/2020
                  $298.18
                            55548830
                                        $297.26
                                                  $304.18
                                                            $289.23
```

Explanation: We start by loading the historical stock price data for Apple Inc. from 2005 to 2017. Observing the first few rows helps confirm that the data is loaded correctly and gives insight into the available columns.

#### 1.2 Check for Missing Values and Handle Them if Necessary

```
# Clean the 'Close' column by removing any non-numeric characters
data[' Close/Last'] = data[' Close/Last'].replace('[\$,]', '',
regex=True).astype(float)

# Select the 'Close' price column
close_prices = data[' Close/Last'].values.reshape(-1, 1)

# Check for missing values
missing_values = data.isnull().sum()
print("\nMissing values in each column:")
print(missing_values)
```

```
# Drop or impute missing values if present
data.dropna(inplace=True)
print("\nData after handling missing values:")
print(data.info())
Missing values in each column:
Date
 Close/Last
               0
Volume
               0
               0
0pen
               0
High
               0
 Low
dtype: int64
Data after handling missing values:
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 2518 entries, 0 to 2517
Data columns (total 6 columns):
#
     Column
                  Non-Null Count
                                  Dtype
0
                 2518 non-null
                                  object
     Date
1
     Close/Last 2518 non-null
                                  float64
 2
     Volume
                 2518 non-null
                                  int64
 3
     0pen
                 2518 non-null
                                  object
4
     High
                 2518 non-null
                                  object
5
                 2518 non-null
                                  object
     Low
dtypes: float64(1), int64(1), object(4)
memory usage: 118.2+ KB
None
```

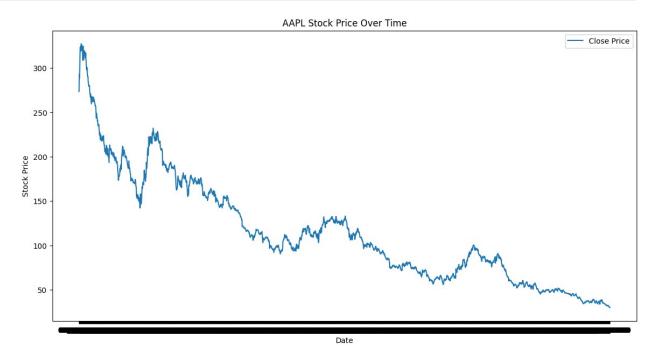
Explanation: This step checks for missing values and removes rows with nulls if any are found. Dropping missing values is straightforward; however, for large datasets, you might consider imputation techniques instead.

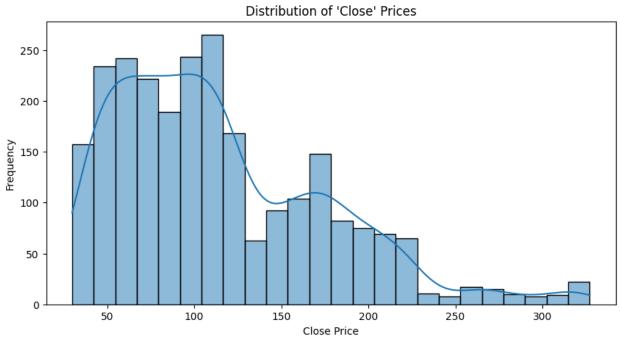
### 1.3 Exploratory Data Analysis (EDA)

```
import matplotlib.pyplot as plt
import seaborn as sns

# Plot the closing price over time
plt.figure(figsize=(14, 7))
plt.plot(data['Date'], data[' Close/Last'], label='Close Price')
plt.xlabel('Date')
plt.ylabel('Stock Price')
plt.title('AAPL Stock Price Over Time')
plt.legend()
plt.show()
```

```
# Distribution of closing prices
plt.figure(figsize=(10, 5))
sns.histplot(data[' Close/Last'], kde=True)
plt.title("Distribution of 'Close' Prices")
plt.xlabel('Close Price')
plt.ylabel('Frequency')
plt.show()
```





Explanation: The first plot shows the closing price over time, which helps identify trends or patterns. The histogram reveals the distribution of the 'Close' prices, giving insight into the data's spread.

### Step 2: Create Training Sequences

- Normalize the data (e.g., using Min-Max scaling to keep values between 0 and 1).
- Split the dataset into a training set (80%) and a testing set (20%).

```
# Normalize the data
scaler = MinMaxScaler(feature_range=(0, 1))
scaled_close_prices = scaler.fit_transform(close_prices)

# Split data into training and testing sets
train_size = int(len(scaled_close_prices) * 0.8)
train_data = scaled_close_prices[:train_size]
test_data = scaled_close_prices[train_size:]

print(f"Training data size: {len(train_data)}")
print(f"Testing data size: {len(test_data)}")
Training data size: 2014
Testing data size: 504
```

### 2.1 Define Sequence Length and Create Training Sequences

- Convert the 'Close' prices into a series of sequences for training.
- Define a sequence length (e.g., 60 days), where each sequence will be used to predict the stock price for the next day.

```
def create_sequences(data, seq_length=60):
    X, y = [], []
    for i in range(len(data) - seq_length):
        X.append(data[i:i + seq_length])
        y.append(data[i + seq_length])
        return np.array(X), np.array(y)

# Define sequence length
sequence_length = 60

# Create sequences for training and testing
X_train, y_train = create_sequences(train_data, sequence_length)
X_test, y_test = create_sequences(test_data, sequence_length)
print(f"Shape of training data X: {X_train.shape}, y:
{y_train.shape}")

Shape of training data X: (1954, 60, 1), y: (1954, 1)
```

Explanation: We create sequences of 60 days from the training and testing data, where each sequence is used to predict the stock price for the next day. The function returns numpy arrays of the sequences (X) and the target values (y).

### Step 3: Build the RNN Model

#### 3.1 Define the RNN Model Architecture

o Define an RNN model with the following architecture:

- An RNN layer with 50 units
- A Dense layer with 1 unit (for regression output)

o Use the mean squared error (MSE) loss function and the Adam optimizer.

```
from tensorflow.keras.models import Sequential
from tensorflow.keras.layers import SimpleRNN, Dense
# Define RNN model
model = Sequential()
model.add(SimpleRNN(50, activation='relu',
input shape=(X train.shape[1], 1)))
model.add(Dense(1))
# Compile model
model.compile(optimizer='adam', loss='mean squared error')
model.summary()
Model: "sequential"
                              Output Shape
Layer (type)
                                                         Param #
                              (None, 50)
 simple rnn (SimpleRNN)
                                                         2600
dense (Dense)
                                                        51
                              (None, 1)
Total params: 2651 (10.36 KB)
Trainable params: 2651 (10.36 KB)
Non-trainable params: 0 (0.00 Byte)
```

Explanation: We define an RNN model with 50 units in the SimpleRNN layer and a Dense layer with 1 unit for output. We use the Adam optimizer and mean squared error as the loss function to train for a regression task.

## Step 4: Train the Model

#### 4.1 Train the Model with Validation

o Train the model on the training set for 50 epochs with a batch size of 32.

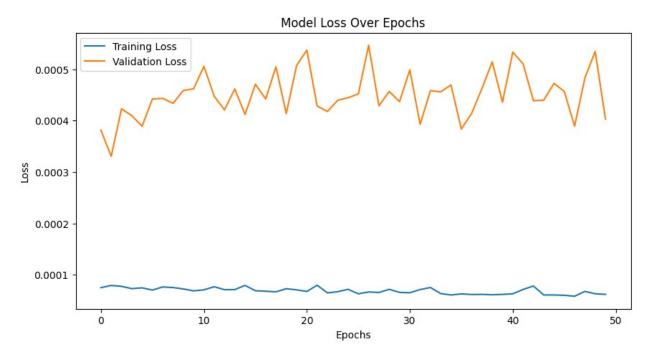
o Use validation data to check for overfitting.

```
# Train the model with 50 epochs and a batch size of 32
history = model.fit(X train, y train, epochs=50, batch size=32,
validation data=(X test, y test), verbose=1)
# Visualize training and validation loss
plt.figure(figsize=(10, 5))
plt.plot(history.history['loss'], label='Training Loss')
plt.plot(history.history['val loss'], label='Validation Loss')
plt.title('Model Loss Over Epochs')
plt.xlabel('Epochs')
plt.ylabel('Loss')
plt.legend()
plt.show()
Epoch 1/50
05 - val loss: 3.8140e-04
Epoch 2/50
62/62 [============= ] - 1s 10ms/step - loss: 7.9061e-
05 - val loss: 3.3046e-04
Epoch 3/50
05 - val loss: 4.2318e-04
Epoch 4/50
05 - val loss: 4.0970e-04
Epoch 5/50
62/62 [============== ] - 1s 10ms/step - loss: 7.4317e-
05 - val loss: 3.8928e-04
Epoch 6/50
05 - val_loss: 4.4224e-04
Epoch 7/50
05 - val loss: 4.4345e-04
Epoch 8/50
05 - val loss: 4.3381e-04
Epoch 9/50
62/62 [============= ] - 1s 11ms/step - loss: 7.2154e-
05 - val loss: 4.5866e-04
Epoch 10/50
62/62 [=============] - 1s 11ms/step - loss: 6.8499e-
05 - val loss: 4.6206e-04
Epoch 11/50
62/62 [============== ] - 1s 11ms/step - loss: 7.0395e-
05 - val loss: 5.0582e-04
Epoch 12/50
05 - val loss: 4.4767e-04
```

```
Epoch 13/50
05 - val loss: 4.2093e-04
Epoch 14/50
62/62 [============= ] - 1s 8ms/step - loss: 7.0925e-
05 - val loss: 4.6177e-04
Epoch 15/50
62/62 [============] - 1s 9ms/step - loss: 7.9098e-
05 - val loss: 4.1216e-04
Epoch 16/50
05 - val loss: 4.7104e-04
Epoch 17/50
05 - val loss: 4.4242e-04
Epoch 18/50
05 - val loss: 5.0491e-04
Epoch 19/50
05 - val loss: 4.1387e-04
Epoch 20/50
62/62 [============== ] - 1s 10ms/step - loss: 7.0384e-
05 - val loss: 5.0724e-04
Epoch 21/50
05 - val loss: 5.3736e-04
Epoch 22/50
05 - val loss: 4.2854e-04
Epoch 23/50
05 - val_loss: 4.1785e-04
Epoch 24/50
05 - val loss: 4.3970e-04
Epoch 25/50
62/62 [============= ] - 1s 10ms/step - loss: 7.1422e-
05 - val loss: 4.4464e-04
Epoch 26/50
62/62 [============== ] - 1s 10ms/step - loss: 6.2710e-
05 - val loss: 4.5210e-04
Epoch 27/50
62/62 [============== ] - 1s 10ms/step - loss: 6.6298e-
05 - val loss: 5.4684e-04
Epoch 28/50
05 - val_loss: 4.2894e-04
Epoch 29/50
```

```
05 - val loss: 4.5693e-04
Epoch 30/50
62/62 [============= ] - 1s 10ms/step - loss: 6.5516e-
05 - val loss: 4.3716e-04
Epoch 31/50
05 - val loss: 4.9903e-04
Epoch 32/50
62/62 [============= ] - 1s 10ms/step - loss: 7.1033e-
05 - val_loss: 3.9275e-04
Epoch 33/50
05 - val loss: 4.5858e-04
Epoch 34/50
05 - val loss: 4.5611e-04
Epoch 35/50
62/62 [============== ] - 1s 10ms/step - loss: 6.0382e-
05 - val loss: 4.6955e-04
Epoch 36/50
62/62 [============== ] - 1s 9ms/step - loss: 6.2537e-
05 - val loss: 3.8382e-04
Epoch 37/50
62/62 [============== ] - 1s 10ms/step - loss: 6.1282e-
05 - val loss: 4.1412e-04
Epoch 38/50
62/62 [============== ] - 1s 10ms/step - loss: 6.1585e-
05 - val loss: 4.6255e-04
Epoch 39/50
05 - val loss: 5.1455e-04
Epoch 40/50
62/62 [============== ] - 1s 10ms/step - loss: 6.1541e-
05 - val loss: 4.3594e-04
Epoch 41/50
05 - val loss: 5.3354e-04
Epoch 42/50
62/62 [============== ] - 1s 10ms/step - loss: 7.1198e-
05 - val loss: 5.1076e-04
Epoch 43/50
62/62 [============== ] - 1s 10ms/step - loss: 7.7893e-
05 - val loss: 4.3902e-04
Epoch 44/50
05 - val loss: 4.3986e-04
Epoch 45/50
```

```
05 - val loss: 4.7271e-04
Epoch 46/50
62/62 [=======
            05 - val loss: 4.5692e-04
Epoch 47/50
62/62 [============= ] - 1s 9ms/step - loss: 5.7956e-
05 - val loss: 3.8924e-04
Epoch 48/50
05 - val loss: 4.8321e-04
Epoch 49/50
62/62 [======
                  ========] - 1s 10ms/step - loss: 6.2796e-
05 - val loss: 5.3495e-04
Epoch 50/50
62/62 [======
                  ========] - 1s 11ms/step - loss: 6.1682e-
05 - val loss: 4.0293e-04
```



Explanation: The model is trained on the training set for 50 epochs with a batch size of 32. Validation data (the test set) is used to monitor for potential overfitting.

# Step 5: Make Predictions

#### 5.1 Predict and Transform Back

Predict the stock prices on the test set and transform the results back to the original scale if normalization was applied.

```
# Make predictions on test data
predictions = model.predict(X_test)
```

```
# Inverse transform predictions and actual values
predicted prices = scaler.inverse transform(predictions)
actual prices = scaler.inverse transform(y test.reshape(-1, 1))
print("First few predicted prices:", predicted prices[:5])
print("First few actual prices:", actual_prices[:5])
14/14 [========] - 0s 3ms/step
First few predicted prices: [[55.63547]
 [54.929443]
 [55.012524]
 [54.208687]
 [54.24526 ]]
First few actual prices: [[53.3143]
 [53.7314]
 [51.9386]
 [52.4271]
 [53.7871]]
```

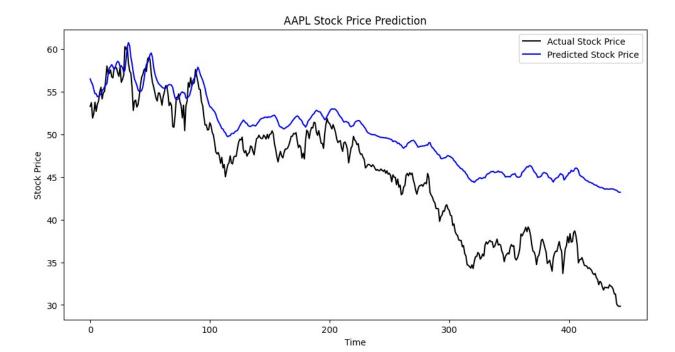
Explanation: We use the trained model to predict stock prices on the test set. After obtaining the predictions, we inverse-transform them to bring the prices back to their original scale, making them interpretable.

5.2 Plot Predicted vs. Actual Prices

Plot the predicted vs. actual stock prices to visualize the model's performance.

```
import matplotlib.pyplot as plt

# Plot the actual and predicted prices
plt.figure(figsize=(12, 6))
plt.plot(actual_prices, color='black', label='Actual Stock Price')
plt.plot(predicted_prices, color='blue', label='Predicted Stock
Price')
plt.title('AAPL Stock Price Prediction')
plt.xlabel('Time')
plt.ylabel('Stock Price')
plt.legend()
plt.show()
```



Explanation: This plot visualizes the model's predictions against the actual stock prices. Observing this comparison helps us assess the model's effectiveness in tracking trends and price movements.

### Step 6: Evaluation

#### 6.1 Calculate MAE and RMSE

```
from sklearn.metrics import mean_absolute_error, mean_squared_error,
r2_score

# Calculate evaluation metrics
mae = mean_absolute_error(actual_prices, predicted_prices)
rmse = np.sqrt(mean_squared_error(actual_prices, predicted_prices))
r2 = r2_score(actual_prices, predicted_prices)

print(f"Mean Absolute Error (MAE): {mae}")
print(f"Root Mean Squared Error (RMSE): {rmse}")
print(f"R-Squared (R2): {r2}")

Mean Absolute Error (MAE): 5.053577695114548
Root Mean Squared Error (RMSE): 5.96905913033957
R-Squared (R2): 0.395684798713971
```

Explanation: We calculate the Mean Absolute Error (MAE) and Root Mean Squared Error (RMSE) to quantitatively assess model performance. Lower values indicate better model accuracy.

##REPORT

In this analysis, we implemented a basic Recurrent Neural Network (RNN) model to predict Apple Inc.'s (AAPL) stock prices based on historical data. The RNN was structured with a single layer and 50 units, followed by a Dense layer for output. Using daily closing prices from the dataset, we normalized the data and split it into training (80%) and testing (20%) sets. Each input sequence consisted of 60 days of historical prices, and the model was tasked with predicting the next day's closing price.

### Results and Observations

The performance of the RNN model was evaluated using three metrics: Mean Absolute Error (MAE), Root Mean Squared Error (RMSE), and R-squared  $(R^2)$ . The results were as follows:

- Mean Absolute Error (MAE): 5.05
- Root Mean Squared Error (RMSE): 5.97
- R-squared (R<sup>2</sup>): 0.396

The MAE and RMSE indicate that the average absolute error in the model's predictions was around \$5.05, while the RMSE of 5.97 points to a somewhat higher error for larger deviations. The R-squared score of 0.396 suggests that the model could capture only 39.6% of the variance in the stock price data, indicating that while it captures some trends, there is considerable room for improvement.

### Interpretation of the Predicted vs. Actual Price Graph

In the graph, we see that the RNN model captures the general downward trend of the stock prices but fails to accurately follow many of the fluctuations. For instance, the model's predicted prices are smoother and do not reflect the volatility present in the actual data. This is a common limitation of basic RNNs, which are often less effective at handling complex, non-linear patterns over longer time dependencies. The predicted prices tend to lag behind the actual prices and exhibit a bias towards the mean, which further supports that the model might be underfitting.

# Limitations and Potential Improvements

- 1. Lack of Complexity in the Model: The RNN model used here was relatively simple, with only one RNN layer and no additional layers for feature extraction. A more complex architecture, such as a Long Short-Term Memory (LSTM) or a Gated Recurrent Unit (GRU), might capture the time dependencies more effectively. These advanced RNN variants can remember information over longer sequences, making them better suited for volatile time-series data like stock prices.
- 2. **Insufficient Handling of Volatility:** Stock prices are highly volatile, and a basic RNN model without techniques to specifically capture sudden price jumps or drops may fail to predict such events accurately. Using technical indicators or more sophisticated preprocessing techniques could help the model better capture the inherent volatility.
- 3. **Need for Hyperparameter Tuning:** The model was trained with default parameters (e.g., batch size, learning rate), which may not be optimal. Systematic hyperparameter tuning could yield better performance. Additionally, adding

- Dropout layers can help mitigate overfitting, while batch normalization could further stabilize the training process.
- 4. **Single Feature Limitation:** Focusing only on the 'Close' price means the model ignores other potentially informative features, such as trading volume, opening price, or high and low prices. Including these could provide the model with more context and improve its performance.

#### Conclusion

The RNN model provides a basic approach to predicting stock prices, capturing general trends but lacking in capturing short-term volatility and complex price patterns. Although the model did not perform exceptionally well (as shown by the MAE, RMSE, and R-squared scores), this serves as a foundational step. Future improvements could involve using LSTM layers, incorporating more features, and optimizing hyperparameters, which could help create a model that is better suited for stock price prediction.

Overall, the results highlight the limitations of a simple RNN for financial forecasting and the need for more sophisticated methods to accurately capture the dynamics of stock price movements.