

Outputs:

1. Bisection Method

```
PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals> cd "d:\Pr
jects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab1NonLinearEquat
ion\" ; if ($?) { gcc BisectionMethod.c -o BisectionMethod } ; if ($?) { .\BisectionMe
thod }
9da14e57532c
Enter 2 initial guesses:
0 1
Enter tolerable error:
0.01

Step          x0          x1          x2          f(x2)
1             0.000000    1.000000    0.500000    0.053222
2             0.500000    1.000000    0.750000   -0.856061
3             0.500000    0.750000    0.625000   -0.356691
4             0.500000    0.625000    0.562500   -0.141294
5             0.500000    0.562500    0.531250   -0.041512
6             0.500000    0.531250    0.515625    0.006475

Root is: 0.515625|
```

2. Newton Raphson Method:

```
PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab5OrdinaryDifferen
ishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab1NonLinearEquation\" ; if ($?) {
wtonRaphsonMethod } ; if ($?) { .\NewtonRaphsonMethod }
1-4d93-9f7d-ed019d9a2b00
Enter initial guess:
0
Enter tolerable error:
0.001
Enter maximum iteration:
10

Step          x0          f(x0)          x1          f(x1)
1             0.000000    -2.000000     0.666667     0.000000
2             0.666667     0.214113     0.607493     0.214113
3             0.607493     0.001397     0.607102     0.001397

Root is: 0.607102
PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab1NonLinearEquatio
```

3. Secant Method

```
PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab1NonLinearEquation> cd "d:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab1NonLinearEquation\" ; if ($?) { gcc SecantMethod.c -o SecantMethod } ; if ($?) { .\SecantMethod }
32c
Enter initial guesses:
1 2
Enter tolerable Error:
0.01
Enter maximum iteration:
5

Step          x0          x1          x2          f(x2)
1             1.000000    2.000000    2.200000    1.248001
2             2.000000    2.200000    2.088968    -0.062124
3             2.200000    2.088968    2.094233    -0.003554

Root is: 2.094233|
```

4. Lagrange Interpolation:

```
PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab1NonLinearEquation> cd "d:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab2InterpolationAndApprox\" ; if ($?) { gcc LagrangeInterpolation.c -o LagrangeInterpolation } ; if ($?) { .\LagrangeInterpolation }
ee14624-b33c-4ccf-9f51-9da14e57532cEnter number of data: 5
Enter data:
x[1]=1
y[1]=2
x[2]=3
y[2]=4
x[3]=5
y[3]=6
x[4]=7
y[4]=8
x[5]=9
y[5]=2
Enter interpolation point:9
Interpolated value at 9.000 is 2.000|
```

5. Newton Interpolation using Forward Method

```
PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab2InterpolationAndApprox> cd "d:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab2InterpolationAndApprox\" ; if ($?) { gcc NewtonForwardInterpolation.c -o NewtonForwardInterpolation } ; if ($?) { .\NewtonForwardInterpolation }terpolation } ; ee14624-b33c-4ccf-9f51-9da14e57532c
```

Enter number of data:

5

Enter 2 data:

y[0]=3

x[1]=4

y[1]=5

x[2]=6

y[2]=5

x[3]=4

y[3]=3

x[4]=4

y[4]=2

Forward Difference Table

2.00	3.00	2.00	-2.00	0.00	3.00
4.00	5.00	0.00	-2.00	3.00	
6.00	5.00	-2.00	1.00		
4.00	3.00	-1.00			
4.00	2.00				

6. Newton Interpolation using Backward Method:

```
PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab2InterpolationAndApprox> cd "d:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab2InterpolationAndApprox\" ; if ($?) { gcc NewtonBackwardInterpolation.c -o NewtonBackwardInterpolation } ; if ($?) { .\NewtonBackwardInterpolation }  
Enter number of data:  
5  
Enter data:  
x[0]=1  
y[0]=2  
x[1]=3  
y[1]=5  
x[2]=4  
y[2]=6  
x[3]=1  
y[3]=2  
x[4]=3  
y[4]=4
```

Backward Difference Table

1.00	2.00				
3.00	5.00	3.00			
4.00	6.00	1.00	-2.00		
1.00	2.00	-4.00	-5.00	-3.00	
3.00	4.00	2.00	6.00	11.00	14.00

7. Newton Interpolation using Divided Method:

```
PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab2InterpolationAndApprox> cd "d:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab2InterpolationAndApprox\" ; if ($?) { gcc NewtonDividedInterpolation.c -o NewtonDividedInterpolation } ; if ($?) { .\NewtonDividedInterpolation } ; eee14624-b33c-4ccf-9f51-9da14e57532c
Enter the number of observations:
5

Enter the different values of x:
1
2
3
4
5

The corresponding values of y are:
2
4
6
8
10

Enter the value of 'k' in f(k) you want to evaluate:
9

f(9)=18|
```


8. Trapezoidal Rule:

```
PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab2InterpolationAndApprox> cd "d:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab3NumericalDifferentiationAndIntegration\" ; if ($?) { gcc TrapezoidalRule.c -o TrapezoidalRule } ; if ($?) { .\TrapezoidalRule }
14624-b33c-4ccf-9f51-9da14e57532cEnter lower limit of integration: 3
Enter upper limit of integration: 1
Enter number of sub intervals: 5

Required value of integration is: -0.470|
```


9. Simpson's 1/3 Rule:

```
PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab3NumericalDiff
Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab3NumericalDifferenti
gcc Simpsons_1by3_Rule.c -o Simpsons_1by3_Rule } ; if ($?) { .\Simpsons_1by3_Rule }
Enter lower limit of integration: 2
Enter upper limit of integration: 1
Enter number of sub intervals: 4

Required value of integration is: -0.322|
```

10. Simpson's 3/8 Rule:

```
Required value of integration is: -0.0622
PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab3NumericalDifferentiationAndIntegration\
-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab3NumericalDifferentiationAndIntegration\" ; if ($?) {
by8_Rule } ; if ($?) { .\Simpsons_3by8_Rule }
Enter lower limit of integration: 2
Enter upper limit of integration: 0
Enter number of sub intervals: 5

Required value of integration is: -1.062|
```

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11. Gauss Elimination Method

```
● PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals> cd "d:\Pr
BIT203 NM\Notes\Practicals\Lab4LinearEquation\" ; if ($?) { gcc GaussElimination.c -o G
mination }
ed019d9a2b00Enter number of unknowns:2
a[1][1]=1
a[1][2]=2
a[1][3]=3
a[2][1]=4
a[2][2]=6
a[2][3]=5

Solution:
x[1]=-4.000
x[2]=3.500
```

12. Gauss Jordan Method

```
PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab4LinearEqua
n\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab4LinearEquation\" ; if ($?) { gcc GaussJo
\GaussJordan }
```

Enter coefficients of Augmented Matrix:

a[1][1]=1

a[1][2]=2

a[2][1]=4

a[2][2]=5

a[2][3]=6

Solution:

x[1]=-1.000

x[2]=2.000

```
PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab4LinearEqua
```

13. Matrix Inversing Using Gauss Jordan Method:

```
PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab4LinearEquation\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab4LinearEquation\" ; if ($?) { gcc MatrixInversionGaussJordan } ; if ($?) { .\MatrixInversionGaussJordan }
Enter number of unknowns:2
a[1][1]=1
a[1][2]=2
a[1][3]=3
a[2][1]=4
a[2][2]=6
a[2][3]=5

Solution:
x[1]=-4.000
x[2]=3.500
```

14. Matrix Factorization using Do Little LU Decomposition:

```
PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab4LinearEquation
n\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab4LinearEquation\" ; if ($?) { gcc MatrixFacto
-o MatrixFactorizationDoLittleLUdecomposition } ; if ($?) { .\MatrixFactorizationDoLittleLUDe
Enter the order of square matrix: 2

Enter matrix element:
Enter A[0][0] element: 1
Enter A[0][1] element: 2
Enter A[1][0] element: 3
Enter A[1][1] element: 4

Enter the constant terms:
B[0]1
B[1]2
[L]:
    1.000    0.000
    3.000    1.000

[U]:
    1.000    2.000
    0.000    4.000

[Y]:
    1.000   -1.000

[X]:
    1.500   -0.250
```

15. Matrix Factorization using Cholesky's Method

```
1.300 -0.250
● PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab4LinearEquation
n\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab4LinearEquation\" ; if ($?) { gcc CholeskysMe
($?) { .\CholeskysMethod }
5.00000 0.00000 0.00000
3.00000 3.00000 0.00000
-1.00000 1.00000 3.00000

4.24264 0.00000 0.00000 0.00000
5.18545 6.56591 0.00000 0.00000
12.72792 3.04604 1.64974 0.00000
9.89949 1.62455 1.84971 1.39262
○ PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab4LinearEquation
```

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16. Jacob Iterative Method:

```
PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab4LinearEquation\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab4LinearEquation\" ; if ($?) { gcc JacobIterativeMethod.c ; if ($?) { ./JacobIterativeMethod }  
1-4d93-9f7d-ed019d9a2b00Enter tolerable error:  
0.001
```

Count	x	y	z
1	0.8500	-0.9000	1.2500
2	1.0200	-0.9650	1.0300
3	1.0013	-1.0015	1.0033
4	1.0004	-1.0000	0.9997

Solution: $x = 1.000$, $y = -1.000$ and $z = 1.000$

17. Gauss Seidal Iterative Method:

```
PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab4LinearEquation
n\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab4LinearEquation\" ; if ($?) { gcc GaussSeidal
\GaussSeidal }
Enter tolerable error:
0.001

Count    x        y        z
1        0.8500   -1.0275  1.0109
2        1.0025   -0.9998  0.9998
3        1.0000   -1.0000  1.0000

Solution: x=1.000, y=-1.000 and z = 1.000
|
```

18. Power Method:

```
PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab4LinearEquation\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab4LinearEquation\" ; if ($?) { gcc PowerMethod }
Enter Order of Matrix:1
Enter Tolerable Error:2
Enter coefficient of Matrix:
a[1][1]=3
Enter Initial Guess Vector:
x[1]=4

STEP-1:
Eigen Value = 12.000000
Eigen Vector:
1.000000

STEP-2:
Eigen Value = 3.000000
Eigen Vector:
1.000000

STEP-3:
Eigen Value = 3.000000
Eigen Vector:
1.000000 |
```

19. Taylor Series:

```
PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab4LinearEquati
● n\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab5OrdinaryDifferentialEquation\" ; if ($?) {
    } ; if ($?) { .\TaylorSeries }

Enter the value of x in the series: 2

Enter the number of terms in the series: 3

The sum of the taylor series is: 5.00

○ PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab5OrdinaryDif
```

20. Picard's Method:

```
PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab50OrdinaryDi-
● ishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab50OrdinaryDifferentialEquati
  -o PicardsMethod } ; if ($?) { .\PicardsMethod }

X
0.0000 0.4000 0.8000 1.2000 1.6000 2.0000 2.4000 2.8000

Y(1)
1.0000 1.4800 2.1200 2.9200 3.8800 5.0000 6.2800 7.7200

Y(2)
1.0000 1.5045 2.3419 3.7552 6.0645 9.6667 15.0352 22.7205

Y(3)
1.0000 1.5053 2.3692 3.9833 7.1131 13.1333 24.3249 44.2335
○ PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab50OrdinaryDi-
```

21. Euler's Method:

```
PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab5OrdinaryDifferentialEquation> .\EulersMethod.ps1
ishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab5OrdinaryDifferentialEquation\" ; if ($?) { .\EulersMethod }
d-ed019d9a2b00Enter Initial Condition
x0 = 1
y0 = 2
Enter calculation point xn = 3
Enter number of steps: 4

x0      y0      slope  yn
-----
1.0000  2.0000  3.0000  3.5000
1.5000  3.5000  5.0000  6.0000
2.0000  6.0000  8.0000  10.0000
2.5000  10.0000 12.5000 16.2500

Value of y at x = 3.00 is 16.250
```

22. Heun's Method

```
PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab5OrdinaryDifferentialEquation\" ;
o ishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab5OrdinaryDifferentialEquation\" ;
  HeunsMethod } ; if ($?) { .\HeunsMethod }
d019d9a2b00Program for Solution of Ordinary Differential Equation
Heun's Method
Enter value for x and y
1 2
Enter value for h and last of x
1 2
y = 8.500000    x = 2.000000
|
```


23. Range Kutta's Method

```
PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab5OrdinaryDifferentialEquations\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab5OrdinaryDifferentialEquations> .c -o RangeKuttaMethod } ; if ($?) { .\RangeKuttaMethod }  
Enter Initial Condition  
x0 = 1  
y0 = 2  
Enter calculation point xn = 0.4  
Enter number of steps: 4  
  
x0      y0      yn  
1.0000  2.0000  1.9049  
0.8500  1.9049  1.7996  
0.7000  1.7996  1.6837  
0.5500  1.6837  1.5575  
  
Value of y at x = 0.40 is 1.557
```

24. Boundary Value Problem

```
Enter x0,y0,xn,yn,h:1 2 3 4 5
Enter the trial M1:1
6.000000      164.291672
B1 is 164.291672
Enter the value of M2:2
6.000000      190.125000
B2 is 190.125000
M2=2.000000    M1=1.000000
Exact value of M =-5.204840
6.000000      -1.#IND00
PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab5OrdinaryDifferentialEquation> |
```

25. Shooting Method:

Enter x0,y0,xn,yn,h:1 2 3 4 5

Enter the trial M1:1

6.000000 164.291672

B1 is 164.291672

Enter the value of M2:2

6.000000 190.125000

B2 is 190.125000

M2=2.000000 M1=1.000000

Exact value of M =-5.204840

6.000000 -1.#IND00

○ PS D:\Projects\Bishnu\BIT-Patan\BIT-3rd-Semester\BIT203 NM\Notes\Practicals\Lab5OrdinaryDifferent