

[4]

- OR iii. For the given system $G(s)H(s) = \frac{5}{s(2+s)}$, design a lead compensator such that the closed loop system will satisfy the following specifications: **6**
- (a) $k_v=20$ per sec
 - (b) Phase margin is at least 50
 - (c) Gain margin is at least 10 dB

- Q.6 Attempt any two: **4**
- i. Define Controllability and Observability. **4**
 - ii. A system is characterized by the equation **6**

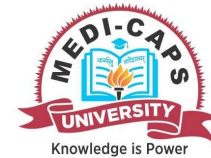
$$\frac{Y(s)}{U(s)} = \frac{20(4s+2)}{s^3 + 5s^2 + 8s + 2}$$

Find the state and output equations of the system and express them in vector matrix form. Also draw the state diagram.

- OR iii. Define the ZIR and ZSR solution of state equation and explain the properties of state transition matrix. **6**

Total No. of Questions: 6

Total No. of Printed Pages: 4



Enrollment No.....

Faculty of Engineering

End Sem (Odd) Examination Dec-2022

EC3CO09 Control Systems

Programme: B.Tech.

Branch/Specialisation: EC

Duration: 3 Hrs.

Maximum Marks: 60

Note: All questions are compulsory. Internal choices, if any, are indicated. Answers of Q.1 (MCQs) should be written in full instead of only a, b, c or d.

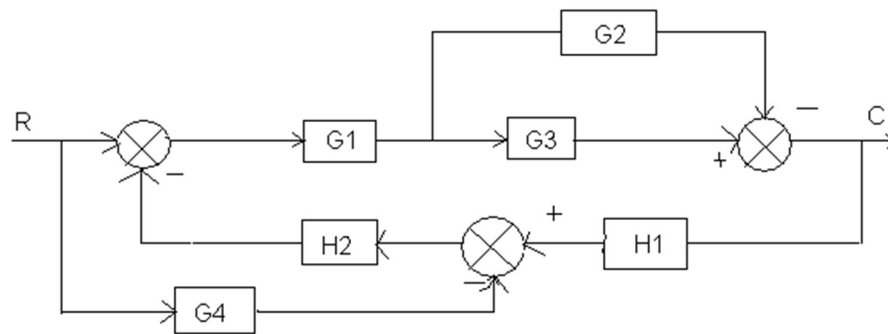
- Q.1 i. With feedback ____ increases. **1**
- (a) System stability (b) System gain
 - (c) System accuracy (d) All of these
- ii. A mass M initially at rest acted upon by a force F(t) is described by- **1**
- (a) $M \frac{d^2v}{dt^2} = F$ (b) $M \frac{d^2x}{dt^2} = F$
 - (c) $M \frac{dx}{dt} = F$ (d) $Mv = F$
- iii. The transfer function of a control system is given as- **1**
- $$\frac{C(s)}{R(s)} = \frac{K}{s^2 + 4s + K}$$
- For this system to be critically damped, the value of gain K should be-
- (a) 1 (b) 2 (c) 3 (d) 4
- iv. A unity feedback control system has forward path transfer function as- **1**
- $$G(s) = \frac{s^2}{s+1},$$
- the type and order of system is, respectively-
- (a) 0, 2 (b) 0, 1 (c) 1, 2 (d) None of these
- v. Which of the following is not in frequency domain? **1**
- (a) Nyquist criterion (b) Bode plot
 - (c) Root locus plot (d) All of these

P.T.O.

[2]

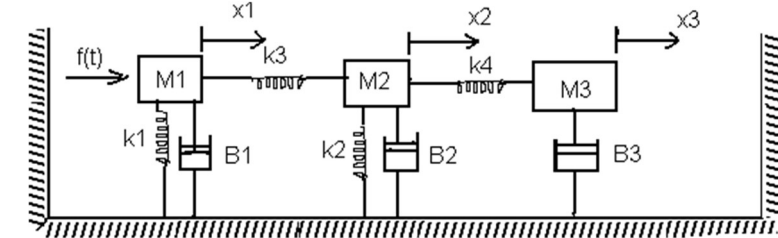
- vi. If the input is removed from the system, then output must be reduced to zero. This type of stability is called- **1**
 (a) Conditional stability (b) Asymptotic stability
 (c) Absolute stability (d) Relative stability
- vii. The transfer function of a phase-lag compensator is given by- **1**
 (a) $\frac{1+s\beta T}{1+sT}, \beta < 1$ (b) $\frac{1+s\beta T}{1+sT}, \beta > 1$
 (c) $\frac{1+sT}{1+s\beta T}, \beta < 1$ (d) $\frac{1+sT}{1+s\beta T}, \beta > 1$
- viii. Bandwidth is increased when the compensator used is- **1**
 (a) Lag (b) Lead (c) Lag-Lead (d) None of these
- ix. The characteristic equation of the system matrix, **1**
 $A = \begin{bmatrix} 0 & 1 \\ -3 & -5 \end{bmatrix}$ is given by-
 (a) $s^2 + 5s + 3 = 0$ (b) $s^2 - 3s - 5 = 0$
 (c) $s^2 + 3s + 5 = 0$ (d) $s^2 + s + 2 = 0$
- x. In the given the matrix, **1**
 $A = \begin{bmatrix} 0 & 1 & 0 \\ 0 & 0 & 1 \\ -6 & -11 & -6 \end{bmatrix}$, the eigen values of A are-
 (a) -1, -2, -3 (b) -1, 2, -3
 (c) 0, 0, -6 (d) -6, -11, -6

- Q.2 i. Define Mason's Gain formula with an example. **4**
 ii. Derive the Transfer function of the system shown in fig. using block diagram reduction techniques. **6**



[3]

- OR iii. Draw F-I analogy of the following mechanical system: **6**



- Q.3 i. Define asymptotic, absolute and conditional stability. **3**
 ii. A unity feedback system has- **7**

$$G(s) = \frac{K(s+a)}{(s+b)^2}$$

It is to be designed to meet following specifications:

Steady state error for a unit step = 0.1,

Damping ratio = 0.5,

Natural frequency of oscillations = $\sqrt{10}$. Find 'K', 'a' and 'b'.

- OR iii. Draw the root locus of the given open loop unity feedback transfer function: **7**

$$G(s) = \frac{Ks^2}{s^2 + 6s + 100}$$

- Q.4 i. Define Constant – M (Magnitude) circle. **3**
 ii. Draw the Bode plot for the open loop system given below: **7**

$$G(s)H(s) = \frac{1}{s(10 + s)(1 + 0.5s)}$$

Also find the Gain Margin.

- OR iii. Draw the Nyquist plot of the given open loop transfer function and find out the total No. of poles of closed loop system in RHP. **7**

$$G(s)H(s) = \frac{4s + 1}{s^2(1 + s)(1 + 2s)}$$

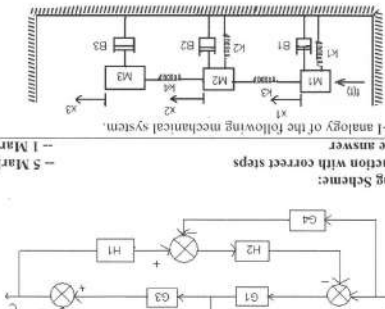
- Q.5 i. Define phase-lead compensator. **4**
 ii. Define PI and PD controllers and compare with their advantages. **6**

P.T.O.

Marking Scheme
EC3C009/E13C009 Control Systems

Q.1	i.	With feedback increases.	1
	ii.	A mass M initially at rest acted upon by a force $F(t)$ is described by $M \frac{d^2x}{dt^2} = F$	1
	iii.	The transfer function of a control system is given as $\frac{K(s)}{s^2 + 4s + 2}$. For this system to be critically damped, the value of gain K should be	1
	iv.	A unity feedback control system has forward path transfer function as $G(s) = \frac{s+1}{s^2}$, the type and order of system is, respectively	1
	v.	Which of the following is not in frequency domain? Answer: (C) Root locus plot	1
	vi.	If the input is removed from the system then output must be reduced to zero. This type of stability is called Answer: (B) Asymptotic stability.	1
	vii.	The transfer function of a phase-lag compensator is given by Answer: (D) $\frac{1+sT}{1+sT}, \beta > 1$	1
	viii.	Bandwidth is increased when the compensator used is Answer: (B) Lead	1
	ix.	The characteristic equation of the system matrix $A = \begin{bmatrix} 0 & 1 \\ -3 & -5 \end{bmatrix}$, is given by Answer: (A) $s^2 + 5s + 3 = 0$.	1
	x.	Given the matrix $A = \begin{bmatrix} 0 & 1 \\ -6 & -11 \end{bmatrix}$, the eigen values of A are Answer: (A) $-1, -2, -3$	1
Q.2	i.	Define Mason's Gain formula with an example. Marking Scheme: 1) Define formula with each terms -- 2 Marks	4

	ii.	Derive the Transfer function of the system shown in fig. using block diagram reduction techniques.	6
	iii.	Draw F-I analogy of the following mechanical system. Marking Scheme: 1) Reduction with correct steps -- 5 Marks 2) Write answer -- 1 Mark	6
	OR	iii.	6
	iii.	Draw the Root Locus of the given open loop unity feedback transfer function: Marking Scheme: 1) Formula of each given terms -- 2 Marks 2) Steps for finding values -- 3 Marks 3) Value of 'K', 'a' and 'b' -- 2 Marks	7
	ii.	A unity feedback system has $G(s) = \frac{(s+b)^2}{K(s+a)}$ It is to be designed to meet following specifications: steady state error for a unit step = 0.1, Damping ratio = 0.5, Natural frequency of oscillations = $\sqrt{10}$. Find 'K', 'a' and 'b'. Marking Scheme: Definition of each. -- 1 Mark	7
	i.	Define asymptotic, absolute and conditional stability.	3
	OR	i.	3
	iii.	1) Getting equations from equivalent diagram 2) F-I conversion and electrical diagram Marking Scheme: -- 3 Marks	6



		$G(s) = \frac{Ks^2}{s^2 + 6s + 100}$ <p>Marking Scheme: 1) Pole- Zero plot -- 1 Mark 2) Angle of asymptotes and departure -- 4 Marks 3) Root locus plot -- 2 Marks</p>	
Q.4	i.	Define Constant – M (Magnitude) circle.	3
		<p>Marking Scheme: 1) Definition -- 2 Marks 2) Diagram -- 1 Marks</p>	
	ii.	Draw the Bode plot for the open loop system given below: $G(s)H(s) = \frac{1}{s(10 + s)(1 + 0.5s)}$ Also find the Gain Margin.	7
		<p>Marking Scheme: 1) Derivation for both magnitude and phase -- 2 Marks 2) Correct plot on the graph paper -- 3 Marks 3) Correct Gain Margin -- 2 Marks</p>	
OR	iii.	Draw the Nyquist plot of the given open loop transfer function and find out the total No. of poles of closed loop system in RHP. $G(s)H(s) = \frac{4s + 1}{s^2(1 + s)(1 + 2s)}$	7
		<p>Marking Scheme: 1) Derivations for each section -- 4 Marks 2) Nyquist Plot -- 2 Marks 3) Formula for RHP poles and answer -- 1 Mark</p>	
Q.5	i.	Define phase-lead compensator.	4
		<p>Marking Scheme: 1) Definition and derivation -- 3 Marks 2) Diagram -- 1 Mark</p>	
	ii.	Define PI and PD controllers and compare with their advantages.	6
		<p>Marking Scheme: 1) Definition of PI and PD controllers with diagram -- 4 Marks 2) Comparison -- 2 Marks</p>	

OR	iii.	For the given system $G(s)H(s) = \frac{5}{s(2+s)}$, design a lead compensator such that the closed loop system will satisfy the following specifications: 1) $k_v=20$ per sec, 2) Phase margin is at least 50 and 3) Gain margin is at least 10 dB	6
		<p>Marking Scheme: 1) Correct formulas and steps -- 4 Marks 2) Correct answer -- 2 Marks</p>	
Q.6		Attempt any two:	
	i.	Define Controllability and Observability.	4
		<p>Marking Scheme: 1) Correct definitions of each -- 4 Marks</p>	
	ii.	A system is characterized by the equation $\frac{Y(s)}{U(s)} = \frac{20(4s + 2)}{s^3 + 5s^2 + 8s + 2}$ Find the state and output equations of the system and express them in vector matrix form. Also draw the state diagram.	6
		<p>Marking Scheme: 1) Derivation for state and output equation -- 4 Marks 2) State diagram -- 2 Marks</p>	
	iii.	Define the ZIR and ZSR solution of state equation and also explain the properties of state transition matrix.	6
		<p>Marking Scheme: 1) Define and derive ZIR -- 2 Marks 2) Define and derive ZSR -- 2 Marks 3) Properties of state transition matrix -- 2 Marks</p>	