



# Faculty of Engineering

## End Semester Examination May 2025

### EE3CO27 Signals & Systems

<b>Programme</b>	: B.Tech.	<b>Branch/Specialisation</b>	: EE
<b>Duration</b>	: 3 hours	<b>Maximum Marks</b>	: 60

**Note:** All questions are compulsory. Internal choices, if any, are indicated. Assume suitable data if necessary. Notations and symbols have their usual meaning.

Section 1 (Answer all question(s))		Marks	CO	BL
<b>Q1.</b> A signal is an energy signal if-		1	1	1
<input type="radio"/> $E = 0, P = 0$ <input type="radio"/> $E = \infty, P = \text{finite}$	<input checked="" type="radio"/> $E = \text{Finite}, P = 0$ <input type="radio"/> $E = \text{Finite}, P = \infty$			
<b>Q2.</b> Which of the following is an aperiodic signal?		1	1	2
<input type="radio"/> $x(t) = \sin(2\pi t)$ <input checked="" type="radio"/> $x(t) = e^{at}$	<input type="radio"/> $x(t) = \cos(2\pi t)$ <input type="radio"/> $x(t) = \sin(3t)$			
<b>Q3.</b> The Fourier series represents a periodic signal as a sum of:		1	2	1
<input type="radio"/> Exponential signals only <input checked="" type="radio"/> Exponential and trigonometric functions	<input type="radio"/> Trigonometric functions only <input type="radio"/> Sine and cosine functions only			
<b>Q4.</b> The region of convergence (ROC) of the Laplace transform for a stable system lies:		1	2	2
<input checked="" type="radio"/> To the left of the rightmost pole <input type="radio"/> Between the poles	<input type="radio"/> To the right of the leftmost pole <input type="radio"/> Everywhere in the s-plane			
<b>Q5.</b> A system is said to be linear if it satisfies:		1	1	1
<input type="radio"/> Additivity only <input checked="" type="radio"/> Both additivity and homogeneity	<input type="radio"/> Homogeneity only <input type="radio"/> Time invariance			
<b>Q6.</b> A time-invariant system is one in which the output:		1	2	2
<input type="radio"/> Depends on the time at which input is applied <input type="radio"/> Changes with time	<input checked="" type="radio"/> Is independent of when the input is applied <input type="radio"/> Depends only on the past inputs			
<b>Q7.</b> A discrete-time system is said to be causal if:		1	1	1
<input type="radio"/> Output depends only on future inputs <input type="radio"/> Output depends on both past and future inputs	<input checked="" type="radio"/> Output depends only on past and present inputs <input type="radio"/> Output depends only on present inputs			
<b>Q8.</b> The convolution sum is:		1	2	2
<input checked="" type="radio"/> Commutative and associative <input type="radio"/> Only associative	<input type="radio"/> Only commutative <input type="radio"/> Neither commutative nor associative			
<b>Q9.</b> The Z-transform of the unit impulse sequence $\delta[n]$ is:		1	1	1
<input checked="" type="radio"/> 1 <input type="radio"/> $z^{-1}$	<input type="radio"/> $z$ <input type="radio"/> 0			
<b>Q10.</b> The Region of Convergence (ROC) for a stable system in Z-transform lies:		1	2	2
<input checked="" type="radio"/> Inside the unit circle <input type="radio"/> On the unit circle	<input type="radio"/> Outside the unit circle <input type="radio"/> Over the entire z-plane			

**Section 2 (Answer all question(s))****Marks CO BL****Q11.** Explain the concept of a unit step function with the help of diagram.**2 1 2**

Rubric	Marks
Explanation without waveform	1
Waveform	1

**Q12.** What is the difference between a periodic and an aperiodic signal?**3 1 2**

Rubric	Marks
Difference 1	1
Difference 2	1
Difference 3	1

**Q13. (a)** Explain the classification of signals into energy and power signals, with examples of each type.**5 1 2**

Rubric	Marks
Classification with explanation.	3
Example.	2

**(OR)****(b)** Explain the following signal operations with examples:

- (i) Time shifting
- (ii) Time scaling
- (iii) Time reversal

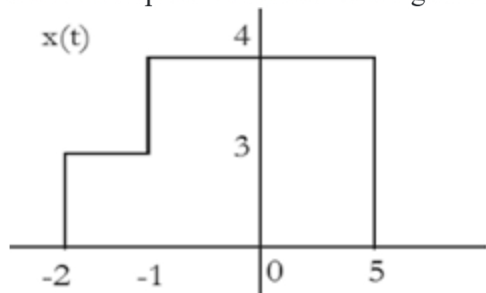
Rubric	Marks
Signal operations	3
Examples	2

**Section 3 (Answer all question(s))****Marks CO BL****Q14.** Write the expression of trigonometric Fourier series and explain each coefficient.**3 2 2**

Rubric	Marks
Trigonometric expression.	1
Explanation of coefficients.	2

**Q15. (a)** Find the Laplace transform of the given waveform.

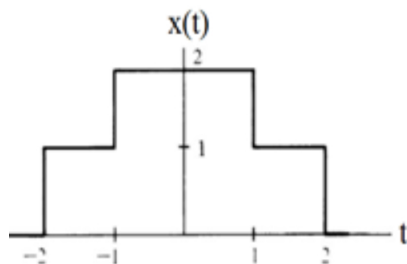
7 2 3



Rubric	Marks
Mathematical expression for this waveform.	3
Laplace transformation.	4

(OR)

**(b)** Find the Fourier transform of the given waveform.



Rubric	Marks
Mathematical expression for this waveform.	3
Fourier transformation.	4

#### Section 4 (Answer all question(s))

Marks CO BL

**Q16.** Define linear time invariant (LTI) system with a suitable example.

4 2 2

Rubric	Marks
Define linear time invariant (LTI) system.	2
Example.	2

**Q17. (a)** Discuss the concept of stability in continuous-time systems. Explain the different types of stability and describe how the system's behavior can be analyzed for stability.

6 3 4

Rubric	Marks
Concept of stability	2
Types of stability	2
Analyzation of system's behavior for stability	2

(OR)

- (b)** Distinguish between-
- (i) Causal and non-causal system
  - (ii) Time variant and Invariant system

Rubric	Marks
Distinguish between causal and non-causal system	3
Distinguish between time variant and invariant system	3

### Section 5 (Answer all question(s))

Marks CO BL

- Q18.** Write the definition of a discrete-time system. List and briefly explain two important properties of discrete-time systems. 4 2 2

Rubric	Marks
Definition	1
Explanation of two important properties	3

- Q19. (a)** Two Discrete Time signals are given as follows

6 4 3

$$x[n] = 2\delta[n+1] - \delta[n] + \delta[n-1] + 3\delta[n-2]$$

$$h[n] = 3\delta[n-1] - 4\delta[n-2] + 2\delta[n-3]$$

Find the convolution sequences

$$y[n] = x[n] * h[n].$$

Rubric	Marks
Write down non-zero values of $x[n]$ and $h[n]$ .	2
Application of convolution sum	3
Final result	1

(OR)

- (b)** Consider a Discrete Time LTI system described by the following differential equation with initial condition and input.

$$y(n) - 3/2 y(n-1) + 1/2 y(n-2) = x(n)$$

Initial conditions,

$$y(-n) = 1, y(-2) = 0$$

Input  $x[n] = 2n u[n]$ .

Find the output  $y(n)$  of the system.

Rubric	Marks
Solution of homogeneous equation	2
Solve the particular solution	3
Final Solution	1

### Section 6 (Answer any 2 question(s))

Marks CO BL

- Q20.** Write a short note on Region of Convergence (ROC) in Z-Transform using an example. 5 2 2

Rubric	Marks
Defining ROC	2
Properties	2
Example	1

- Q21.** List and explain the key properties of the Z-Transform, such as linearity, time-shifting, scaling in the Z-domain, and convolution. 5 3 3

Rubric	Marks
Explanation of linearity	2
Explanation of time-shifting	1.5
Explanation of scaling	1.5

Q22. Explain the different methods for finding the inverse Z-transform:

5    3    3

- Partial fraction expansion
- Power series expansion
- Residue method

Rubric	Marks
Partial fraction expansion	2
Power series expansion	1.5
Residue method	1.5

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