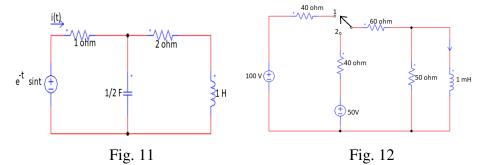
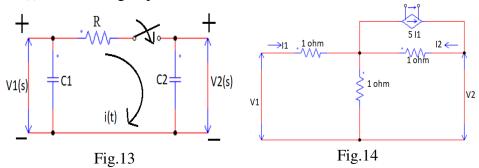
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- Q.5 i. Obtain the transform current I(s) in the circuit shown in Fig.11 below 4 assuming initial conditions to be zero.
 - ii. The switch K is at 1 for long time and is moved from 1 to 2 at t =0.
 6 Determine i_L for t > 0 in Fig.12.



OR iii. In the network shown in Fig.13 below the initial voltage on C_1 is 2 volt 6 and on C_2 is 1 Volt. At t=0, the switch is closed. Determine i(t), v_1 (t) and v_2 (t) for t>0 using Laplace Transformation.



Q.6 Attempt any two:

. Calculate h-parameters for the circuit shown above in Fig.14.

ii. Find the first Cauer form of R-C network for impedance function

$$Z(s) = \frac{(s^2 + 7s + 10)}{s^2 + 4s + 3}$$

iii. Find ABCD parameters in terms of Z and Y parameter?



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Faculty of Engineering

End Sem (Odd) Examination Dec-2018

EE3CO07/EX3CO07 Circuit Analysis and Synthesis

Knowledge is Power Programme: B.Tech. Branch/Specialisation: EE/EX

Duration: 3 Hrs. Maximum Marks: 60

Note: All questions are compulsory. Internal choices, if any, are indicated. Answers of Q.1 (MCQs) should be written in full instead of only a, b, c or d.

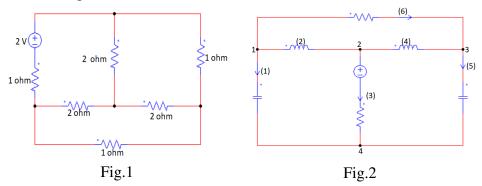
| 1 CQs |) shou | ıld be written i | n full instead o | f only a, b, c or | d. | |
|--------------|--------|---|---------------------|------------------------|---|---|
| Q.1 | i. | resistors in the | e circuit. How | much power do | att there are five equal value es each resistor dissipate | 1 |
| | | (a) 10W | (b) 5W | (c) 2W | (d) 1W | 1 |
| | ii. | When the superposition theorem is applied to any circuit, the dependent | | | | |
| | | voltage source in that circuit is always | | | | |
| | | (a) Active | | | (d) None of these | |
| | iii. | The tie-set schedule gives the relation between | | | | 1 |
| | | (a) Branch current and link currents | | | | |
| | | (b) Branch voltage and link voltage | | | | |
| | | (c) Branch cu | rrent and link v | oltage | | |
| | | (d) None of the | ne above | | | |
| | iv. | The reciprocity theorem is applicable to | | | | |
| | | (a) Linear net | work only | (b) Bilateral r | networks only | |
| | | (c) Linear bila | ateral networks | (d) Neither of | the two | |
| | v. | For a two port network to be reciprocal | | | | |
| | | (a) $Z_{11}=Z_{22}$ | (b) $Y_{21}=Y_{22}$ | (c) $h_{21} = -h_{12}$ | (d) AD-BC=0 | |
| | vi. | For a two po | ort bilateral net | twork, the thre | e transmission parameter are | 1 |
| | | given by $A=6/5$; $B=17/5$; and $C=1/5$. What is the value of D? | | | | |
| | | (a) 1 | (b) 1/5 | (c) 7/5 | (d) 5 | |
| | vii. | The transient | response occur | 'S | | 1 |
| | | (a) Only in re | sistive circuits | (b) Only in I | nductive circuits | |
| | | (c) Only in ca | pacitive circuit | s (d) Both (b) & | & (c) | |
| | viii. | The transient | current in a lo | oss-free LC circ | cuit when excited from an ac | 1 |
| | | source is an _ | | | | |
| | | (a) Undamped | d | (b) Overdamp | ped | |
| | | (c) Underdam | ped | (d) Critically | damped | |
| | | | | | | |

- ix. In the first Foster form, the presence of last element inductor L_{∞} indicates. 1
 - (a) Pole at $\omega = 0$
- (b) Pole at $\omega = \infty$
- (c) Zero at $\omega=0$
- (d) Zero at $\omega = \infty$

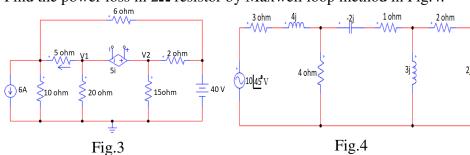
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- x. The final value theorem is used to find the
 - (a) Steady state value of the system output
 - (b) Initial value of the system output
 - (c) Transient behaviour of the system output
 - (d) None of these
- Q.2 i. Write the tie set matrix and determine the KVL equation and also calculate the loop currents for the network shown in Fig.1 below.
 - ii. Draw the graph for the network shown in Fig.2 below and determine the number of possible trees.

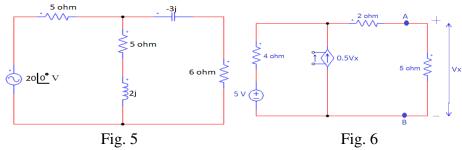


- iii. Find the current passing through 6Ω resistors in Fig.3.
- OR iv. Find the power loss in 2Ω resistor by Maxwell loop method in Fig.4.

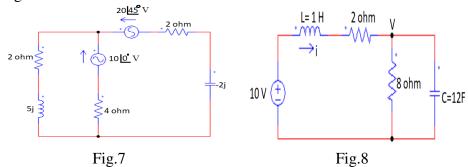


- Q.3 i. State and prove Norton's theorem?
 - ii. If we change the load 5+2j connected across terminals AB by 1+j Ω then find the change in current drawn from the supply by compensation theorem in Fig.5?

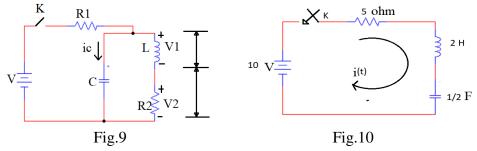
iii. Find the thevenin's equivalent circuit and then find the power loss in 50hm resistor for the circuit shown in Fig.6 below



OR iv Find the voltage drop across the capacitor by superposition theorem in Fig. 7?



- Q.4 i. In the circuit find $i(\infty)$ and $v(\infty)$ i.e., the steady state values of the network shown in Fig.8 above.
 - ii. In the network Fig.9 below switch K is closed at t=0. Determine i_c , i_L , $\frac{dv_c}{dt}$, $\frac{dv_2}{dt}$ at t=0⁺.
- OR iii. Find the expression for current i(t) for t > 0 if switch is closed at t=0 in Fig.10.



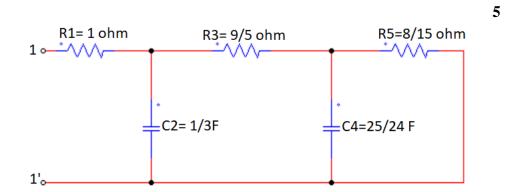
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Marking Scheme EE3CO07/EX3CO07 Circuit Analysis and Synthesis

| Q.1 | i. | The total power in a series circuit is 10 watt there are five equal value resistors in the circuit. How much power does each resistor dissipate (c) 2W | | | | |
|-----|------|--|--------------|---|--|--|
| | ii. | | | | | |
| | iii. | The tie-set schedule gives the relation between | | | | |
| | | (a) Branch current and link currents | | | | |
| | iv. | The reciprocity theorem is applicable to | | | | |
| | | (c) Linear & bilateral networks | | | | |
| | v. | v. For a two port network to be reciprocal | | | | |
| | | (c) $h_{21} = -h_{12}$ | | | | |
| | vi. | For a two port bilateral network, the three transmission parameter are given by A= $6/5$; B= $17/5$; and C= $1/5$. What is the value of D? | | | | |
| | •• | (c) 7/5 | | 1 | | |
| | VII. | 1 | | | | |
| | ::: | (d) Both (b) & (c) The transient extreme in a less free LC singuit when excite | d from on oo | 1 | | |
| | VIII | The transient current in a loss-free LC circuit when excited from an ac source is an sine wave | | | | |
| | | (a) Undamped | | | | |
| | iv | • | | | | |
| | 14. | L_{∞} | 1 | | | |
| | v | (b) pole at ω=∞The final value theorem is used to find the | | 1 | | |
| | х. | (a) Steady state value of the system output | | T | | |
| | | (a) Steady state value of the system output | | | | |
| Q.2 | i. | Tie Set Matrix & KVL Equation | 2 marks | 3 | | |
| | 1. | Loop Currents | 1 mark | | | |
| | ii. | Draw the graph | 1 mark | 3 | | |
| | | Determine the number of possible trees. | 2 marks | | | |
| | iii. | For Equations | 3 marks | 4 | | |
| | | Current Passing through 6 ohm resistor= 5 Amp | 1 mark | | | |
| OR | iv. | For Equations | 3 marks | 4 | | |
| | | power lost in 2Ω resistor= 0.9934 | 1 mark | | | |
| | | 1 | | | | |

| Q.3 | i. | Statement 1 r | nark | 2 |
|-----|------|---|---------|----------|
| | | Proof 1 r | nark | |
| | ii. | Change in Current, $I = 1.444 \angle 21.52^{\circ}$ 1.5 | 5 marks | 3 |
| | | Compensation Voltage, Vc= 2.043∠23047° 1.5 | marks | |
| OR | iii. | Thevenins Equivalent 3 r | narks | 5 |
| | | (Vth= 5V, Isc= 0.55 Amp, Rth= 9Ω) | | |
| | | Power Loss in 5 ohm resistor= 637mW 2 r | narks | |
| OR | iv | Current Passing through the capacitor, | | 5 |
| | | $I_C = 1.4092.674j \text{ Amp}$ 2.5 | marks | |
| | | Voltage across capacitor, | | |
| | | Vc = 5.348 + 2.818j Volt 2.5 | 5 marks | |
| Q.4 | i. | $i(\infty) = 1 \text{ Amp}$ | nark | 2 |
| | | $v(\infty) = 8 \text{ Volt} $ | nark | |
| | ii. | Ic $(0+)=V/R1$ 2 r | narks | 8 |
| | | $I_L(0+)=0$ 2 r | narks | |
| | | $dv_c/dt (0+)=I_C/C $ 2 r | narks | |
| | | $dv^2/dt^2 (0+) = 0$ 2 r | narks | |
| OR | iii. | At $t > 0$ i(t) = $k1e^{-0.5t} + k2e^{-2t}$ | narks | 8 |
| | | At $t = 0$, $i(t) = 3.33e^{-0.5t} - 3.33e^{-2t}$ | narks | |
| | | | | |
| Q.5 | i. | $Z(s) = \frac{(s^2 + 4s + 6)}{s^2 + 2s + 2}$ | narks | 4 |
| | | 5 1 L5 1 L | | |
| | | $I(s) = \frac{1}{s^2 + 4s + 6}$ 2 r | narks | |
| | ii. | $i(t) = 0.5 - 0.5e^{-\left(\frac{105}{3}\right)t} + e^{-\left(\frac{105}{3}\right)t} $ | narks | 6 |
| | | $I(t) = 0.5 - 0.5e^{-(3)} + e^{-(3)}$ | naiks | |
| OR | iii. | $i(t) = \frac{1}{R} e^{-\left(\frac{C_1 + C_2}{C_{12R}}\right)t}$ 2 r | narks | 6 |
| | | Tt. | naiks | |
| | | $v_1(t) = 2 \frac{c}{c_1} [1 - e^{-\frac{t}{RC}}]$ 2 r | narks | |
| | | $V_2(t) = 1 \frac{c_1}{c_1 + c_2} e^{-\left(\frac{c_1}{c_1 + c_2}\right)t} + \frac{c_1}{(c_1 + c_2)}$ | narks | |
| | | $C1+C2 \qquad \qquad (C1+C2)$ | | |
| 0.6 | | Attornat any two | | |
| Q.6 | į | Attempt any two: ABCD Parameters in terms of Z 2.5 | Cmarks | 5 |
| | i. | | marks | 5 |
| | | ABCD Parameters in terms of Y 2.5 | marks | |

ii.



iii. $h_{11}=1\Omega$

 $h_{12} = 1/2$

 $h_{21} = 3$

h₂₂=1/2 mho

1.25 marks **5**

1.25 marks

1.25 marks

1.25 marks
