22AIE214 – INTRODUCTION TO ROBOTICS

LABSHEET 5

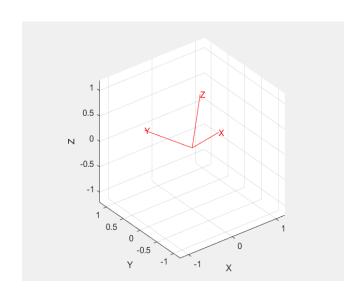
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1)Explore the function in Matlab eul2r

R = eul2r(0.1,0.2,0.3)

CODE: R = eul2r(0.1,0.2,0.3) trplot(R, 'color', 'r'); view(3);



2)Explore the function in Matlab tr2eul tr2eul(R)

```
CODE:

R= eul2r(0.1,0.2,0.3)
tr2eul(R)
```

```
>> Lab5_Q2

R =

0.9021  -0.3836   0.1977
0.3875   0.9216   0.0198
-0.1898   0.0587   0.9801

ans =

0.1000   0.2000   0.3000
```

3) Check the orthogonality of R

CODE:

R = eul2r(0.1,0.2,0.3)
inverse = inv(R)
transpose = R'

```
inverse =
   0.9021
             0.3875
                      -0.1898
  -0.3836
             0.9216
                       0.0587
   0.1977
             0.0198
                       0.9801
transpose =
   0.9021
             0.3875
                      -0.1898
  -0.3836
             0.9216
                       0.0587
   0.1977
             0.0198
                       0.9801
```

Orthogonal matrices follow property : $A^{-1} = A^{T}$

Here $R^{-1} = R^{T}$, therefore matrix R is orthogonal

4)Find R = eul2r(0.1, -0.2, 0.3)

Find tr2eul(R)

Write your observation.

CODE:

R = eul2r(0.1,-0.2,0.3) EulAngles = tr2eul(R)

Observation:
Euler angles can be converted from quaternions using functions like $eul2r(phi, theta, psi)$ and $tr2eul(R)$. Since quaternions are based on periodic functions such as sine and cosine, their values fall within the range $[0, 2\pi]$. If the input values exceed this range, converting to quaternions and then back to Euler angles might not give you the original angles, because quaternions will always convert to values within 0 to 2π .