Value : Anuvind MP

Roll no : AM.EN.U4AIE22010

 Create two vectors using NumPy and check how many values are equal in the two vectors.

```
Example V1 = [1 6 7 9] V2 = [1 0 6 9]
```

Here, the output should be 2.

(Use np. sum(V1==V2)

```
import numpy as np
import pandas as pd

V1 = np.array([1, 6, 7, 9])
V2 = np.array([1, 0, 6, 9])

np.sum(V1 == V2)
```

- - Create a matrix M with 10 rows and 3 columns and populate with random values.

Example:

2. Matrix creation using NumPy

```
[[60 97 34]
[66 37
65]
.....
[64 64
44]]
```

- b. Print size of M. (M.shape)
- c. Print only the number of rows of M(M.shape[0])
- d. Print only the number of columns of M
- e. Write a simple loop to modify the third column as follows: If the sum of the first two columns is divisible by 4, Y should be 1 else, 0.

```
#a
M = np.random.randint(100, size = (10,3))
print(M)
→ [[18 62 4]
      [31 55 95]
      [ 7 85 13]
      [40 78 73]
      [92 25 92]
      [82 22 89]
      [32 72 23]
      [ 7 27 69]
      [29 99 57]
      [51 26 56]]
#b
print("Size of the matrix :", M.shape)
print("Number of rows :", M.shape[0])
print("Number of columns :", M.shape[1])
\rightarrow Size of the matrix : (10, 3)
     Number of rows: 10
     Number of columns : 3
#e
for i in range(M.shape[0]):
 if (M[i][0] + M[i][1]) % 4 == 0:
   M[i][2] = 1
 else:
   M[i][2] = 0
print(M)
→ [[18 62 1]
      [31 55 0]
      7 85
              1]
      [40 78 0]
      [92 25 0]
      [82 22 1]
      [32 72 1]
      [ 7 27 0]
      [29 99
              1]
      [51 26 0]]
```

 Create pandas dataframe 'df' from the created matrix M and name the columns as X1, X2, and Y. (Refer Lab1)

```
df = pd.DataFrame(data=M, columns=["X1", "X2", "Y"])
df
```

```
\overline{2}
       X1 X2 Y
                   0 18 62 1
     1 31
           55 0
     2
           85 1
        7
     3 40 78 0
     4 92 25 0
     5 82 22 1
     6 32 72 1
```

7 27 0

8 29 99 1

9 51 26 0

Next steps:

Generate code with df



View recommended plots

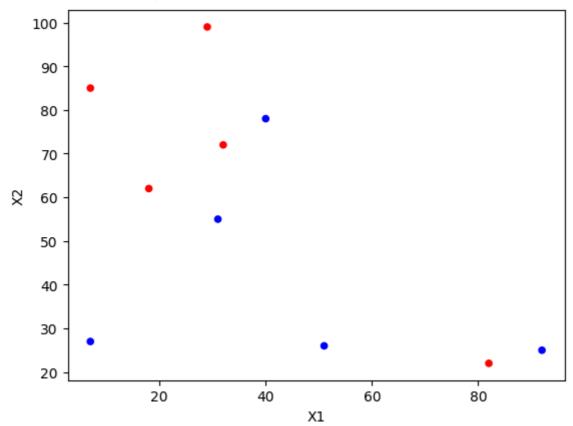
4. Plot X1 and X2 using scatter plot. Color (X1, X2) red if the corresponding Y is 1 else, blue.

```
col = df.Y.map(\{0:'b', 1:'r'\})
                                  #df is the dataframe you created for Q.3
df.plot.scatter(x='X1', y='X2', c=col)
plt.show()
```

4. Plot X1 and X2 using scatter plot. Color (X1, X2) red if the corresponding Y is 1 else, blue.

```
color = df.Y.map({0:'b', 1:'r'})
df.plot.scatter('X1', 'X2', c=color)
```

```
<Axes: xlabel='X1', ylabel='X2'>
```



5. a. For two columns X1, X2, find squared error: $(x1 - x2)^2$ (Use np.square)

Example: Matrix M will have [1369 841 0]

b. Find the sum of the squared error. (Use

np.sum)

np.square(df['X1'] - df['X2'])

```
1936
       576
1
2
     6084
3
     1444
4
     4489
5
     3600
6
     1600
7
       400
8
     4900
9
       625
dtype: int64
```

np.sum(np.square(df['X1'] - df['X2']))

→ 25654

Find Euclidean distance between the first two rows of matrix M.
 Compare the result with the inbuilt function <u>numpy.linalg.norm(a-b)</u>, where a is the first row and b is the second row.

```
row1 = M[0]
row2 = M[1]
row1, row2

→ (array([18, 62, 1]), array([31, 55, 0]))

def EuclideanDist(a, b):
    return np.sqrt(np.sum(np.square(b-a)))
EuclideanDist(row1, row2)

→ 14.798648586948742

np.linalg.norm(row1-row2)

→ 14.798648586948742
```

Create a vector V with three random values. Find the Euclidean distance between each row of M with V. Store the distance in a vector and print.

```
V = np.random.randint(0, 100, 3)
disp(V)

The proof of the proof
```

8. Create a matrix A with 10 rows and 2 columns. Add a new column to a matrix. (Use np.column stack). Add a new row to a matrix(Use np.vstack)

```
A=np.array([[1,2,3],[2,3,4]]) print(A)
C=np.array([6,7])
A=np.column_stack((A,C))
print(A)

R=np.array([1,1,1,1])
A=np.vstack((A,R))
print(A)
```

```
A = np.random.randint(0, 100, (10, 2))
disp(A)
```

```
93 20

76 26

79 37

63 36

41 53

74 56

85 21

74 90

13 46

32 93
```

```
A = np.column_stack((A, np.random.randint(0, 100, (10, 1))))
disp(A)
```

```
93 20 31

76 26 11

79 37 57

63 36 0

41 53 55

74 56 9

85 21 36

74 90 83

13 46 24

32 93 65
```

```
A = np.vstack((A, np.random.randint(0, 100, 3)))
disp(A)
```

```
20
        31
76 26
       11
    37
       57
79
63
   36
       0
41 53 55
74 - 56
       9
85 21 36
74 90 83
13 46 24
32
    93
       65
14
    52
       51
```

9. Create a matrix M1 with two columns X1' and X2' and populate with random values. Find the Euclidean distance between each row of M1 with each row of M. Store the distance in a matrix Dist with 3 columns. The first column is the row id of M, the second column is the row id of M1, and the third column is the distance value. Compare the result with the following code

```
M1 = np.random.randint(0, 100, (10, 2))
disp(M1)
      79
          95
      60 21
         7
      55
      27 91
      45 47
      80 72
      52
          0
      62
           0
     74
          46
```

```
Dist = []
for i in range(10):
    for j in range(10):
       Dist.append([i, j, EuclideanDist(M[:, 0:2][i], M1[j])])
Dist = np.array(Dist)
disp(Dist)
```



$\lceil 0.0 \rceil$	0.0	38.6005181312376
0.0	1.0	69.3541635375988
0.0	2.0	58.6941223633168
0.0	3.0	66.2872536767062
0.0	4.0	30.364452901378
0.0	5.0	30.886890422961
0.0	6.0	62.8012738724303
0.0	7.0	70.7106781186548
0.0	8.0	76.0263112349928
0.0	9.0	58.2408791142441
1.0	0.0	38.4187454245971
1.0	1.0	62.4819974072532
1.0	2.0	44.6878059430087
1.0	3.0	53.665631459995
1.0	4.0	36.2215405525497
$\begin{vmatrix} 1.0 \\ 1.0 \end{vmatrix}$	5.0	16.1245154965971
1.0	6.0	51.8652099195598
$\begin{vmatrix} 1.0 \\ 1.0 \end{vmatrix}$	7.0	58.8727441181401
$ _{1.0}^{1.0}$	8.0	63.1347764706584
$\begin{vmatrix} 1.0 \\ 1.0 \end{vmatrix}$	9.0	43.9317652729776
$ _{2.0}^{1.0}$	0.0	60.0
$\begin{vmatrix} 2.0 \\ 2.0 \end{vmatrix}$	1.0	72.691127381545
$\begin{vmatrix} 2.0 \\ 2.0 \end{vmatrix}$	$\frac{1.0}{2.0}$	83.0963296421689
$\begin{vmatrix} 2.0 \\ 2.0 \end{vmatrix}$	$\frac{2.0}{3.0}$	91.5860251348425
$\begin{vmatrix} 2.0 \\ 2.0 \end{vmatrix}$	$\frac{3.0}{4.0}$	20.8806130178211
$\begin{vmatrix} 2.0 \\ 2.0 \end{vmatrix}$	5.0	53.7401153701776
$\begin{vmatrix} 2.0 \\ 2.0 \end{vmatrix}$	6.0	74.1484996476665
$\begin{vmatrix} 2.0 \\ 2.0 \end{vmatrix}$	7.0	96.1769203083567
$\begin{vmatrix} 2.0 \\ 2.0 \end{vmatrix}$	8.0	101.242283656583
$\begin{vmatrix} 2.0 \\ 2.0 \end{vmatrix}$		
$\begin{vmatrix} 2.0 \\ 3.0 \end{vmatrix}$	9.0	77.5241897732572
	0.0	62.4339651151519 42.5440947723653
$\begin{vmatrix} 3.0 \\ 2.0 \end{vmatrix}$	1.0	
$\begin{vmatrix} 3.0 \\ 2.0 \end{vmatrix}$	$\frac{2.0}{2.0}$	60.4069532421558
$\begin{vmatrix} 3.0 \\ 2.0 \end{vmatrix}$	3.0	72.5672102261069
$\begin{vmatrix} 3.0 \\ 2.0 \end{vmatrix}$	4.0	18.3847763108502
$\begin{vmatrix} 3.0 \\ 2.0 \end{vmatrix}$	5.0	31.4006369362152
$\begin{vmatrix} 3.0 \\ 2.0 \end{vmatrix}$	6.0	40.4474968323134
$\begin{vmatrix} 3.0 \\ 2.0 \end{vmatrix}$	7.0	78.9176786277954
$\begin{vmatrix} 3.0 \\ 2.0 \end{vmatrix}$	8.0	81.0431983574192
3.0	9.0	46.690470119715
4.0	0.0	85.0
$\begin{vmatrix} 4.0 \\ 4.0 \end{vmatrix}$	1.0	71.1969100453102
$\begin{vmatrix} 4.0 \\ 4.0 \end{vmatrix}$	$\frac{2.0}{2.0}$	32.2490309931942
$\begin{vmatrix} 4.0 \\ 4.0 \end{vmatrix}$	3.0	41.146081222882
$\begin{vmatrix} 4.0 \\ 4.0 \end{vmatrix}$	4.0	92.633687176966
$\begin{vmatrix} 4.0 \\ 4.0 \end{vmatrix}$	5.0	51.8941229813165
$\begin{vmatrix} 4.0 \\ 4.0 \end{vmatrix}$	6.0	48.5077313425396
$\begin{vmatrix} 4.0 \\ 4.0 \end{vmatrix}$	7.0	47.169905660283
$\begin{vmatrix} 4.0 \\ 4.0 \end{vmatrix}$	8.0	39.0512483795333
$\begin{vmatrix} 4.0 \\ 5.0 \end{vmatrix}$	9.0	27.6586333718787
5.0	0.0	75.0599760191808

PM		
5.0	1.0	73.0616178304313
5.0	2.0	22.0227155455452
5.0	3.0	30.886890422961
5.0	4.0	88.2383136738231
5.0	5.0	44.6542271235322
5.0	6.0	50.0399840127872
5.0	7.0	37.2021504754766
5.0	8.0	29.732137494637
5.0	9.0	25.298221281347
6.0	0.0	53.2353266168247
6.0	1.0	52.3259018078045
6.0	2.0	58.1807528311554
6.0	3.0	68.9492567037528
6.0	4.0	19.6468827043885
6.0	5.0	28.1780056072107
6.0	6.0	48.0
6.0	7.0	74.7261667690776
$ _{6.0}$	8.0	78.0
6.0	9.0	49.3963561409139
7.0	0.0	2.0
$ _{7.0}$	1.0	99.0353472251196
7.0	2.0	53.3385414123783
7.0	3.0	52.0
7.0	4.0	67.0522184569608
7.0	5.0	42.9418211071678
7.0	6.0	85.7554662980734
7.0	7.0	52.4785670536077
7.0	8.0	61.2698947281616
7.0	9.0	69.6419413859206
8.0	0.0	77.2010362624751
8.0	1.0	50.1597448159378
8.0	2.0	83.9344982709732
8.0	3.0	95.603347221737
8.0	4.0	8.24621125123532
8.0	5.0	54.4058820349418
8.0	6.0	57.706152185014
8.0	7.0	101.636607578175
8.0	8.0	104.355162785557
8.0	9.0	69.5269731830748
9.0	0.0	44.0113621693308
9.0	1.0	74.4647567645259
9.0	$\frac{1.0}{2.0}$	10.295630140987
9.0	3.0	19.4164878389476
9.0	4.0	69.28924880528
9.0	5.0	21.8403296678416
9.0	6.0	54.3783044972901
9.0 9.0	7.0	26.0192236625154
$9.0 \\ 9.0$	8.0	28.2311884269862
1		
[9.0]	9.0	30.4795013082563

from sklearn.metrics.pairwise import euclidean_distances
dist10x10 = euclidean_distances(M[:, 0:2], M1)
disp(dist10x10)

$\overline{\Rightarrow}$	[38.6005181312376	69.3541635375988	58.6941223633168	66.2872536767062	30.364
	38.4187454245971	62.4819974072532	44.6878059430087	53.665631459995	36.221
	60.0	72.691127381545	83.0963296421689	91.5860251348425	20.880
	62.4339651151519	42.5440947723653	60.4069532421558	72.5672102261069	18.384
	85.0	71.1969100453102	32.2490309931942	41.146081222882	92.633
	75.0599760191808	73.0616178304313	22.0227155455452	30.886890422961	88.238
	53.2353266168247	52.3259018078045	58.1807528311554	68.9492567037528	19.646
	2.0	99.0353472251196	53.3385414123783	52.0	67.052
	77.2010362624751	50.1597448159378	83.9344982709732	95.603347221737	8.2462
	44.0113621693308	74.4647567645259	10.295630140987	19.4164878389476	69.28

 $print(f"{np.sum(dist10x10.reshape((100, 1)) == Dist[:, 2])}\% of the Distances are the same the same that the sam$

→ 102% of the Distances are the same

Sort the Dist matrix based on the last column.
 Use(print(a[a[:,n].argsort()])) where a is the matrix and n is the column based on which you need to sort.

disp(Dist[Dist[:,2].argsort()])



Γ7.0	0.0	2.0
8.0	4.0	8.24621125123532
$\begin{vmatrix} 0.0 \\ 9.0 \end{vmatrix}$	2.0	10.295630140987
1.0	5.0	16.1245154965971
3.0	4.0	18.3847763108502
$ _{9.0}^{0.0}$	3.0	19.4164878389476
$\begin{vmatrix} 6.0 \end{vmatrix}$	4.0	19.6468827043885
$\begin{vmatrix} 0.0 \\ 2.0 \end{vmatrix}$	4.0	20.8806130178211
$\frac{1}{9.0}$	5.0	21.8403296678416
$\begin{vmatrix} 5.0 \\ 5.0 \end{vmatrix}$	2.0	22.0227155455452
$\begin{vmatrix} 5.0 \\ 5.0 \end{vmatrix}$	9.0	25.298221281347
9.0	7.0	26.0192236625154
$ _{4.0}^{3.0}$	9.0	27.6586333718787
$\begin{vmatrix} 1.0 \\ 6.0 \end{vmatrix}$	5.0	28.1780056072107
$ _{9.0}^{0.0}$	8.0	28.2311884269862
$ _{5.0}^{5.0}$	8.0	29.732137494637
$\begin{vmatrix} 0.0 \\ 0.0 \end{vmatrix}$	4.0	30.364452901378
$ _{9.0}^{0.0}$	9.0	30.4795013082563
$\begin{vmatrix} 0.0 \\ 0.0 \end{vmatrix}$	5.0	30.886890422961
$\begin{vmatrix} 0.0 \\ 5.0 \end{vmatrix}$	3.0	30.886890422961
$\begin{vmatrix} 3.0 \end{vmatrix}$	5.0	31.4006369362152
$\begin{vmatrix} 3.0 \\ 4.0 \end{vmatrix}$	2.0	32.2490309931942
$\begin{vmatrix} 1.0 \\ 1.0 \end{vmatrix}$	4.0	36.2215405525497
$ _{5.0}^{1.0}$	7.0	37.2021504754766
1.0	0.0	38.4187454245971
$\begin{vmatrix} 1.0 \\ 0.0 \end{vmatrix}$	0.0	38.6005181312376
$ _{4.0}^{0.0}$	8.0	39.0512483795333
$\begin{vmatrix} 1.0 \\ 3.0 \end{vmatrix}$	6.0	40.4474968323134
$ _{4.0}$	3.0	41.146081222882
3.0	1.0	42.5440947723653
7.0	5.0	42.9418211071678
1.0	9.0	43.9317652729776
9.0	0.0	44.0113621693308
$\begin{vmatrix} 5.0 \\ 5.0 \end{vmatrix}$	5.0	44.6542271235322
1.0	2.0	44.6878059430087
3.0	9.0	46.690470119715
4.0	7.0	47.169905660283
6.0	6.0	48.0
$ _{4.0}$	6.0	48.5077313425396
6.0	9.0	49.3963561409139
$ _{5.0}$	6.0	50.0399840127872
8.0	1.0	50.1597448159378
1.0	6.0	51.8652099195598
4.0	5.0	51.8941229813165
7.0	3.0	52.0
6.0	1.0	52.3259018078045
7.0	7.0	52.4785670536077
6.0	0.0	53.2353266168247
7.0	2.0	53.3385414123783
1.0	3.0	53.665631459995
$ _{2.0}$	5.0	53.7401153701776
1		- 1 0 - 0 0 0 1 1 0 - 0 0 0 1

PM		
9.0	6.0	54.3783044972901
8.0	5.0	54.4058820349418
8.0	6.0	57.706152185014
6.0	2.0	58.1807528311554
0.0	9.0	58.2408791142441
0.0	2.0	58.6941223633168
1.0	7.0	58.8727441181401
2.0	0.0	60.0
3.0	2.0	60.4069532421558
7.0	8.0	61.2698947281616
3.0	0.0	62.4339651151519
1.0	1.0	62.4819974072532
0.0	6.0	62.8012738724303
1.0	8.0	63.1347764706584
0.0	3.0	66.2872536767062
7.0	4.0	67.0522184569608
6.0	3.0	68.9492567037528
9.0	4.0	69.28924880528
0.0	1.0	69.3541635375988
8.0	9.0	69.5269731830748
7.0	9.0	69.6419413859206
0.0	7.0	70.7106781186548
4.0	1.0	71.1969100453102
3.0	3.0	72.5672102261069
2.0	1.0	72.691127381545
5.0	1.0	73.0616178304313
2.0	6.0	74.1484996476665
9.0	1.0	74.4647567645259
6.0	7.0	74.7261667690776
5.0	0.0	75.0599760191808
0.0	8.0	76.0263112349928
8.0	0.0	77.2010362624751
2.0	9.0	77.5241897732572
6.0	8.0	78.0
3.0	7.0	78.9176786277954
3.0	8.0	81.0431983574192
2.0	2.0	83.0963296421689
8.0	2.0	83.9344982709732
4.0	0.0	85.0
7.0	6.0	85.7554662980734
5.0	4.0	88.2383136738231
$\begin{vmatrix} 2.0 \\ 4.0 \end{vmatrix}$	3.0	91.5860251348425
4.0	4.0	92.633687176966
8.0	$\frac{3.0}{7.0}$	95.603347221737
$\begin{vmatrix} 2.0 \\ 7.0 \end{vmatrix}$	7.0	96.1769203083567
7.0	1.0	99.0353472251196
$\begin{vmatrix} 2.0 \\ 0.0 \end{vmatrix}$	8.0	101.242283656583
8.0	7.0	101.636607578175
[8.0	8.0	104.355162785557

11. Get the initial k rows from the sorted matrix

12. Find the number of 1s and 0s in the k rows above. Print 1 if the number of 1s is more else, print 0.

```
sortedDistk = Dist[Dist[:,2].argsort()][0:k, :]
one = np.sum(sortedDistk[:, 0] == 1)
zero = np.sum(sortedDistk[:, 0] == 0)
result = 1 if one > zero else 0
print(result)
```

→ 1

→ PART B

PART B: KNN implementation

- Load diabetes dataset as done in Lab 1.
- Peek at a few rows as done in Lab 1
- Split the dataset into 80% training and 20% testing using numpy slicing.
- Use the inbuilt function to do splitting and interpret results

from sklearn.model_selection import train_test_split arr=data.values X=arr[:,0:8] Y=arr[:,8] X_train, X_test, y_train, y_test = train_test_split(X, Y, test_size=0.20) print(X_test)

e. Do normalisation of training as well as testing dataset using StandardScaler as done in Lab 1. Is it required to execute the following code for X_test, too?

scaler=StandardScaler().fit(X_train)

f. Invoke inbuilt kNN function.

from sklearn.neighbors import KNeighborsClassifier classifier = KNeighborsClassifier(n_neighbors=5) classifier.fit(X_train, y_train) y_pred = classifier.predict(X_test)

Interpret the output obtained.

g. Evaluate kNN

from sklearn.metrics import classification_report, confusion_matrix print(confusion_matrix(y_test, y_pred)) print(classification_report(y_test, y_pred))

Explain the output obtained.

- Find the total number of correct predictions.
- Repeat f, g, h for different values of k in kNN. And plot the graph.

df = pd.read_csv("/content/diabetes_dataset.csv")

b

df.head()

→		Pregnancies	Glucose	BloodPressure	SkinThickness
	0	6	148	72	35
	1	1	85	66	29
	2	8	183	64	0
	3	1	89	66	23
	4	0	137	40	35
	,				,

Next steps: Generate code with df View recommended plots

С

```
X = df.drop("Outcome", axis=1)
X
```

→		Pregnancies	Glucose	BloodPressure	SkinThickne:
	0	6	148	72	(
	1	1	85	66	2
	2	8	183	64	
	3	1	89	66	1
	4	0	137	40	:
	763	10	101	76	4
	764	2	122	70	1
	765	5	121	72	4
	766	1	126	60	
	767	1	93	70	:

768 rows × 8 columns

Next steps:

```
Generate code with X
```

View recommended plots

```
y = df["Outcome"]
y
```

```
\overline{\Rightarrow}
                   1
       1
                   0
                   1
       3
                   0
                   1
       763
                   0
       764
                   0
       765
                   0
       766
                   1
       767
```

Name: Outcome, Length: 768, dtype: int64

d

```
from sklearn.model_selection import train_test_split
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.20)
print(X_test)
```

```
\overline{\Rightarrow}
          Pregnancies Glucose BloodPressure SkinThickness Insulin
                                                                                BMI
     558
                    11
                             103
                                               68
                                                                40
                                                                           0 46.2
                     1
                              91
                                               54
                                                                25
                                                                         100 25.2
     650
     765
                     5
                             121
                                                                              26.2
                                               72
                                                                23
                                                                         112
     675
                     6
                             195
                                               70
                                                                 0
                                                                           0 30.9
                     2
                                                0
                                                                 0
                                                                                0.0
     60
                              84
                                                                           0
     . .
                                                                               . . .
                             . . .
                                              . . .
                                                               . . .
                                                                         . . .
                   . . .
     376
                     0
                              98
                                               82
                                                                15
                                                                          84 25.2
     317
                     3
                             182
                                               74
                                                                 0
                                                                           0 30.5
                                                                           0 25.0
     62
                     5
                             44
                                               62
                                                                 0
     660
                    10
                             162
                                               84
                                                                 0
                                                                           0 27.7
     15
                     7
                             100
                                                0
                                                                 0
                                                                           0 30.0
```

	DiabetesPedigreeFunction	Age
558	0.126	42
650	0.234	23
765	0.245	30
675	0.328	31
60	0.304	21
	•••	
376	0.299	22
317	0.345	29
62	0.587	36
660	0.182	54
15	0.484	32

[154 rows x 8 columns]

е

from sklearn.preprocessing import StandardScaler
scaler=StandardScaler().fit(X_train)

```
X_train =scaler.transform(X_train)
X train
```

```
array([[-0.51311531, 0.42552711, 0.07360599, ..., -0.38696797, 0.19651613, -0.84904579],

[-0.51311531, -0.62389236, -0.56744474, ..., -0.98020648, 0.40967178, -0.84904579],

[-1.10699429, -0.94189826, -0.0332358, ..., 1.00146258, -0.2801236, -0.678347],

...,

[1.26852163, 0.10752121, 0.39413135, ..., -0.41221216, 0.62578793, 1.62608671],

[-1.10699429, -0.87829708, -0.46060295, ..., 0.42084617, -0.62946203, -0.678347],

[-0.8100548, 0.83893478, 1.35570744, ..., 2.1879396, -0.34821499, -0.5076482]])
```

```
X_test = scaler.transform(X_test)
X_test
```

```
array([[ 2.1593401 , -0.56029118, -0.0332358 , ..., 1.79665462, -1.03504987, 0.77259275],

[-0.8100548 , -0.94189826, -0.78112831, ..., -0.85398552, -0.71531639, -0.84904579],

[ 0.37770316, 0.01211944, 0.18044777, ..., -0.72776456, -0.68275095, -0.25160001],

...,

[ 0.37770316, -2.43652598, -0.35376116, ..., -0.87922971, 0.32973841, 0.26049637],

[ 1.86240061, 1.31594363, 0.8214985 , ..., -0.53843312, -0.86926214, 1.79678551],

[ 0.97158214, -0.65569295, -3.66585658, ..., -0.24812491, 0.02480741, -0.08090122]])
```

f

```
from sklearn.neighbors import KNeighborsClassifier
classifier = KNeighborsClassifier(n_neighbors=5)
classifier.fit(X_train, y_train)
y_pred = classifier.predict(X_test)
y_pred
```

g

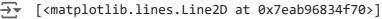
```
from sklearn.metrics import classification_report, confusion_matrix
confus = confusion_matrix(y_test, y_pred)
print(confus)
print(classification_report(y_test, y_pred))
```

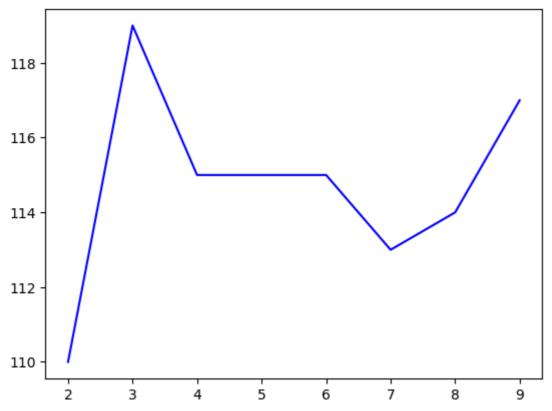
```
[[84 18]
 [21 31]]
               precision
                            recall f1-score
                                                 support
                    0.80
                               0.82
                                         0.81
                                                     102
           0
           1
                    0.63
                               0.60
                                         0.61
                                                      52
                                         0.75
                                                     154
    accuracy
                    0.72
                               0.71
                                         0.71
                                                     154
   macro avg
weighted avg
                    0.74
                               0.75
                                         0.74
                                                     154
```

h

```
confus[0][0] + confus[1][1]
    115
i
points = []
for i in range(2, 10):
 classifier = KNeighborsClassifier(n_neighbors=i)
 classifier.fit(X_train, y_train)
 y_pred = classifier.predict(X_test)
 confus = confusion_matrix(y_test, y_pred)
  points.append([i, confus[0][0] + confus[1][1]])
disp(np.array(points))
         110
        119
      4 115
      5 115
      6 115
        113
         114
         117
import matplotlib.pyplot as plt
%matplotlib inline
```

plt.plot(np.array(points)[:, 0], np.array(points)[:, 1], 'b-')





Double-click (or enter) to edit

Double-click (or enter) to edit