Exercise 1: Use MP neurons to build a simple neural network that performs logical operations OR, AND and NOR

```
#AND GATE
x1 = [0,0,1,1]
x2 = [0,1,0,1]
w1 = [1,1,1,1]
w2 = [1,1,1,1]
t = 2
print("x1 x2
               w1 w2 t 0")
for i in range(len(x1)):
 if(x1[i]*w1[i] + x2[i]*w2[i]) >= t:
   print(x1[i],' ',x2[i],' ',w1[i],' ',w2[i],' ',t,' ', 1)
 else:
   print(x1[i],' ',x2[i],' ',w1[i],' ',w2[i],' ',t,' ',0)
→ x1
                  w2 t
         x2
              w1
                           0
              1
                     1
                           2
                                0
    0
          1
               1
                     1
                           2
                                0
    1
          0
               1
                     1
                           2
                                0
                1
                     1
                           2
#OR GATE
x1 = [0,0,1,1]
x2 = [0,1,0,1]
W1 = [1,1,1,1]
w2 = [1,1,1,1]
t = 1
print("x1 x2
               w1
                    w2 t
for i in range(len(x1)):
 if(x1[i]*w1[i] + x2[i]*w2[i]) >= t:
   print(x1[i],' ',x2[i],' ',w1[i],' ',w2[i],' ',t,' ', 1)
 else:
   print(x1[i],' ',x2[i],' ',w1[i],'
                                         ',w2[i],' ',t,'
                                                            ', 0)
→ x1
         x2
             w1
                  w2 t
                           1
                                0
          0
              1
                     1
    0
          1
               1
                     1
                           1
                                 1
    1
          0
                1
                     1
                           1
                                 1
    1
          1
                1
                     1
                                 1
# NOR GATE
x1 = [0, 0, 1, 1]
x2 = [0, 1, 0, 1]
```

```
→ x1
      x2
         w1 w2 t 0
               -1
      0
                   0
                       1
         -1
      1
          -1
              -1
  0
                   0
          -1
              -1
                  0
      1
          -1
               -1
                   0
                       0
  1
```

Exercise 2: Implement an MP neuron for a binary classification problem using a breast cancer dataset.

- Analyze the effects of scaling on MP Neuron's decision-making process and accuracy. Apply different scaling techniques (min-max normalization, standardization) to the breast cancer dataset features. Train the MP Neuron with these scaled features and compare the model's performance with unscaled data.
- Compare the MP Neuron model's performance with a logistic regression model in accuracy.

```
##LOAD DATA

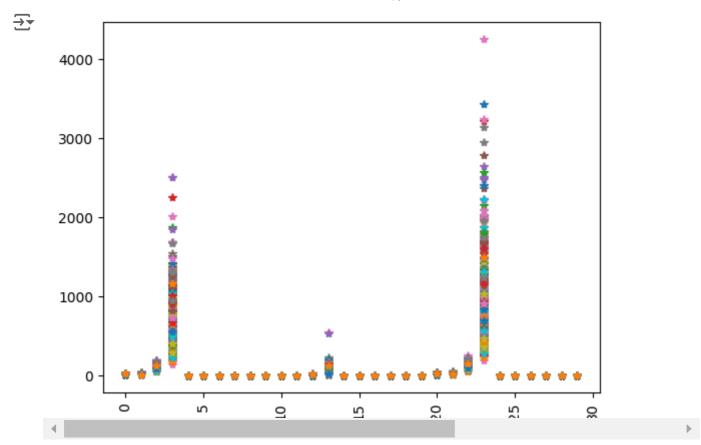
import sklearn.datasets
breast_cancer = sklearn.datasets.load_breast_cancer()
X = breast_cancer.data
Y = breast_cancer.target
print(X.shape,Y.shape)

$\frac{1}{2}$ (569, 30) (569,)
```

```
#Test Train Split
from sklearn.model_selection import train_test_split
X_train,X_test,Y_train,Y_test = train_test_split(X,Y,test_size=0.1,stratify=Y,random_stat
print(Y.mean(),Y_test.mean(),Y_train.mean())
```

•• 0.6274165202108963 0.631578947368421 0.626953125

```
import matplotlib.pyplot as plt
plt.plot(X_train.T,'*')
plt.xticks(rotation='vertical')
plt.show()
```



```
##IMPLEMENTING THE MP NEURON

class MPNeuron:
    def __init__(self, threshold=10):
        self.threshold = threshold

def predict(self, X):
    # Binary step function based on threshold
    return np.where(np.sum(X, axis=1) >= self.threshold, 1, 0)
```

```
##APPLYING SCALING TECHNIQUES

from sklearn.preprocessing import MinMaxScaler, StandardScaler

# Min-max normalization
scaler_minmax = MinMaxScaler()
X_train_minmax = scaler_minmax.fit_transform(X_train)
X_test_minmax = scaler_minmax.transform(X_test)

# Standardization
scaler_standard = StandardScaler()
X_train_standard = scaler_standard.fit_transform(X_train)
X_test_standard = scaler_standard.transform(X_test)
```

```
##COMPARING
import numpy as np
from sklearn.metrics import accuracy score
```

```
mp neuron = MPNeuron(threshold=10)
# Unscaled data
y_pred_train_unscaled = mp_neuron.predict(X_train)
y_pred_test_unscaled = mp_neuron.predict(X_test)
# Min-max scaled data
y_pred_train_minmax = mp_neuron.predict(X_train_minmax)
y_pred_test_minmax = mp_neuron.predict(X_test_minmax)
# Standardized data
y_pred_train_standard = mp_neuron.predict(X_train_standard)
y_pred_test_standard = mp_neuron.predict(X_test_standard)
accuracy_train_unscaled = accuracy_score(Y_train, y_pred_train_unscaled)
accuracy_test_unscaled = accuracy_score(Y_test, y_pred_test_unscaled)
accuracy_train_minmax = accuracy_score(Y_train, y_pred_train_minmax)
accuracy_test_minmax = accuracy_score(Y_test, y_pred_test_minmax)
accuracy_train_standard = accuracy_score(Y_train, y_pred_train_standard)
accuracy_test_standard = accuracy_score(Y_test, y_pred_test_standard)
print("MP Neuron Accuracy (Unscaled Data) - Train: ", accuracy_train_unscaled, " Test: ",
print("MP Neuron Accuracy (Min-Max Scaled) - Train: ", accuracy_train_minmax, " Test: ",
print("MP Neuron Accuracy (Standardized) - Train: ", accuracy_train_standard, " Test: ",
→ MP Neuron Accuracy (Unscaled Data) - Train: 0.626953125 Test: 0.631578947368421
    MP Neuron Accuracy (Min-Max Scaled) - Train: 0.216796875 Test: 0.21052631578947367
     MP Neuron Accuracy (Standardized) - Train: 0.134765625 Test: 0.12280701754385964
##LOGISTIC REGRESSION
from sklearn.linear_model import LogisticRegression
```

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```
##LOGISTIC REGRESSION

from sklearn.linear_model import LogisticRegression

# Logistic regression model
logistic_reg = LogisticRegression(max_iter=10000)

# Train and test on unscaled data
logistic_reg.fit(X_train, Y_train)
y_pred_train_lr_unscaled = logistic_reg.predict(X_train)
y_pred_test_lr_unscaled = logistic_reg.predict(X_test)

# Train and test on min-max scaled data
logistic_reg.fit(X_train_minmax, Y_train)
y_pred_train_lr_minmax = logistic_reg.predict(X_train_minmax)
y_pred_test_lr_minmax = logistic_reg.predict(X_test_minmax)

# Train and test on standardized data
```

```
logistic_reg.fit(X_train_standard, Y_train)
y_pred_train_lr_standard = logistic_reg.predict(X_train_standard)
y_pred_test_lr_standard = logistic_reg.predict(X_test_standard)

# Calculate accuracies for logistic regression
accuracy_train_lr_unscaled = accuracy_score(Y_train, y_pred_train_lr_unscaled)
accuracy_test_lr_unscaled = accuracy_score(Y_test, y_pred_test_lr_unscaled)
accuracy_train_lr_minmax = accuracy_score(Y_train, y_pred_train_lr_minmax)
accuracy_test_lr_minmax = accuracy_score(Y_train, y_pred_test_lr_minmax)
accuracy_train_lr_standard = accuracy_score(Y_train, y_pred_test_lr_minmax)
accuracy_test_lr_standard = accuracy_score(Y_test, y_pred_test_lr_standard)
print("\nLogistic Regression Accuracy (Unscaled Data) - Train: ", accuracy_train_lr_unscaprint("Logistic Regression Accuracy (Standardized) - Train: ", accuracy_train_lr_minmaxprint("Logistic Regression Accuracy (Standardized) - Train: ", accuracy_train_lr_standard

Logistic Regression Accuracy (Unscaled Data) - Train: ", accuracy_train_lr_standard
```

Logistic Regression Accuracy (Min-Max Scaled) - Train: 0.97265625 Test: 0.96491228 Logistic Regression Accuracy (Standardized) - Train: 0.990234375 Test: 0.982456140

Exercise 3: Implement Perceptron for Breast Cancer Classification

- a. Load and Explore the Dataset
- b. Split the Data into Training and Testing Sets
- c. Standardize the Features: Standardize the features (i.e., transform them to have a mean of 0 and a variance of 1) to ensure faster convergence of the Perceptron algorithm.
- d. Train the Perceptron Model
- e. Make Predictions
- f. Evaluate the Model

```
import sklearn.datasets
import numpy as np
from sklearn.metrics import accuracy_score
```

Loading dataset

```
breast_cancer = sklearn.datasets.load_breast_cancer()

X = breast_cancer.data
Y = breast_cancer.target
```

```
print(X)
print(Y)
```

```
→ [[1.799e+01 1.038e+01 1.228e+02 ... 2.654e-01 4.601e-01 1.189e-01]
 [2.057e+01 1.777e+01 1.329e+02 ... 1.860e-01 2.750e-01 8.902e-02]
 [1.969e+01 2.125e+01 1.300e+02 ... 2.430e-01 3.613e-01 8.758e-02]
 [1.660e+01 2.808e+01 1.083e+02 ... 1.418e-01 2.218e-01 7.820e-02]
 [2.060e+01 2.933e+01 1.401e+02 ... 2.650e-01 4.087e-01 1.240e-01]
 [7.760e+00 2.454e+01 4.792e+01 ... 0.000e+00 2.871e-01 7.039e-02]]
 1 1 1 1 1 1 1 0 0 0 0 0 0 1
```

```
data = pd.DataFrame(breast_cancer.data, columns=breast_cancer.feature_names)
```

```
data['class'] = breast_cancer.target
```

```
data.head()
```



	mean radius	mean texture	mean perimeter	mean area	mean smoothness	mean compactness	mean concavity	mean concave points	sy
0	17.99	10.38	122.80	1001.0	0.11840	0.27760	0.3001	0.14710	
1	20.57	17.77	132.90	1326.0	0.08474	0.07864	0.0869	0.07017	
2	19.69	21.25	130.00	1203.0	0.10960	0.15990	0.1974	0.12790	
3	11.42	20.38	77.58	386.1	0.14250	0.28390	0.2414	0.10520	
4	20.29	14.34	135.10	1297.0	0.10030	0.13280	0.1980	0.10430	
_	0.4								

5 rows × 31 columns

 \triangleleft

data.describe()



	mean radius	mean texture	mean perimeter	mean area	mean smoothness	mean compactness	conca
count	569.000000	569.000000	569.000000	569.000000	569.000000	569.000000	569.00
mean	14.127292	19.289649	91.969033	654.889104	0.096360	0.104341	0.08
std	3.524049	4.301036	24.298981	351.914129	0.014064	0.052813	0.07
min	6.981000	9.710000	43.790000	143.500000	0.052630	0.019380	0.00
25%	11.700000	16.170000	75.170000	420.300000	0.086370	0.064920	0.02
50%	13.370000	18.840000	86.240000	551.100000	0.095870	0.092630	0.06
75%	15.780000	21.800000	104.100000	782.700000	0.105300	0.130400	0.13
max	28.110000	39.280000	188.500000	2501.000000	0.163400	0.345400	0.42

8 rows × 31 columns

print(data['class'].value_counts())

→ class

357
 212

Name: count, dtype: int64

print(breast_cancer.target_names)

→ ['malignant' 'benign']

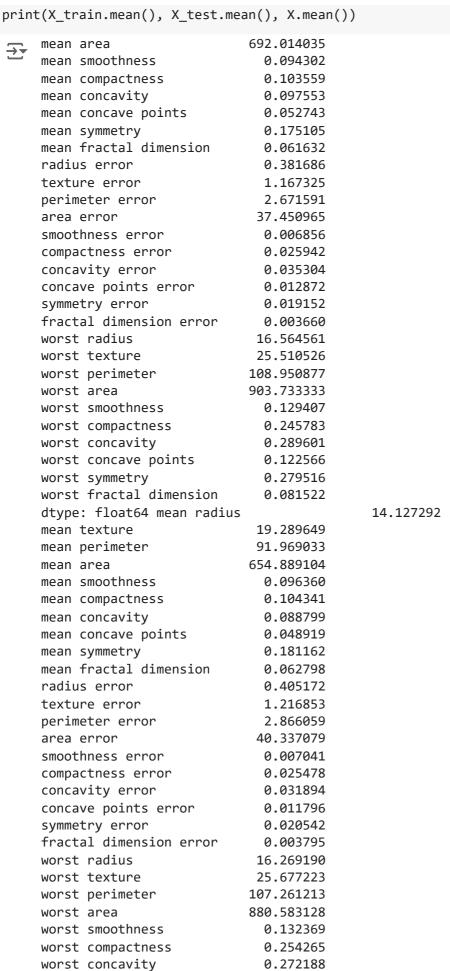
data.groupby('class').mean()



	mean radius	mean texture	mean perimeter	mean area	mean smoothness	mean compactness	mear concavity
class							
0	17.462830	21.604906	115.365377	978.376415	0.102898	0.145188	0.160775
1	12.146524	17.914762	78.075406	462.790196	0.092478	0.080085	0.046058
2 rows × 30 columns							
4							•

Train test split

```
from sklearn.model_selection import train_test_split
X = data.drop('class', axis=1)
Y = data['class']
type(X)
\rightarrow
       pandas.core.frame.DataFrame
       def __init__(data=None, index: Axes | None=None, columns: Axes | None=None,
       dtype: Dtype | None=None, copy: bool | None=None) -> None
      Two-dimensional, size-mutable, potentially heterogeneous tabular data.
      Data structure also contains labeled axes (rows and columns).
      Arithmetic operations align on both row and column labels. Can be
      thought of as a dict-like container for Series objects. The primary
X_train, X_test, Y_train, Y_test = train_test_split(X, Y)
print(Y.shape, Y_train.shape, Y_test.shape)
→ (569,) (426,) (143,)
X_train, X_test, Y_train, Y_test = train_test_split(X, Y, test_size=0.1)
print(Y.mean(), Y_train.mean(), Y_test.mean())
→ 0.6274165202108963 0.630859375 0.5964912280701754
X_train, X_test, Y_train, Y_test = train_test_split(X, Y, test_size=0.1, stratify = Y)
```



0.114606

0.290076

0.083946

worst concave points

worst fractal dimension

worst symmetry

dtype: float64

X_train, X_test, Y_train, Y_test = train_test_split(X, Y, test_size=0.1, stratify = Y, ra

print(X_train.mean(), X_test.mean(), X.mean())

$\overline{\Rightarrow}$	mean radius	14.058656		
	mean texture	19.309668		
	mean perimeter	91.530488		
	mean area	648.097266		
	mean smoothness	0.096568		
	mean compactness	0.105144		
	mean concavity	0.089342		
	mean concave points	0.048892		
	mean symmetry	0.181961		
	mean fractal dimension	0.062979		
	radius error	0.403659		
	texture error	1.206856		
	perimeter error	2.861173		
	area error	39.935506		
	smoothness error	0.007067		
	compactness error	0.025681		
	concavity error	0.032328		
	concave points error	0.011963		
	symmetry error	0.020584		
	fractal dimension error	0.003815		
	worst radius	16.194275		
	worst texture	25.644902		
	worst perimeter	106.757715		
	worst area	871.647852		
	worst smoothness	0.132592		
	worst compactness	0.257415		
	worst concavity	0.275623		
	worst concave points	0.115454		
	worst symmetry	0.291562		
	worst fractal dimension	0.084402		
	dtype: float64 mean radius		14.743807	
	mean texture	19.109825		
	mean perimeter	95.908246		
	mean area	715.896491		
	mean smoothness	0.094496		
	mean compactness	0.097130		
	mean concavity	0.083923		
	mean concave points	0.049159		
	mean symmetry	0.173981		
	mean fractal dimension	0.061169		
	radius error	0.418767		
	texture error	1.306656		
	perimeter error	2.909946		
	area error	43.944193		
	smoothness error	0.006809		
	compactness error	0.023659		
	concavity error	0.027989		
	concave points error	0.010293		
	symmetry error	0.020169		
	fractal dimension error	0.003618		
	worst radius	16.942105		
	worst texture	25.967544		
	worst perimeter	111.783860		
	worst area	960.843860		

worst	smoothness	0.130357
worst	compactness	0.225973
worst	concavity	0.241340
worst	concave points	0.106994

import matplotlib.pyplot as plt

Perceptron Class

Defines a Perceptron model with methods for initialization, prediction, and fitting the model to the data.

Initializes the weights (w) and bias (b) of the Perceptron to None

Computes the dot product of the weights and the input vector. If the result is greater than or equal to the bias, it returns 1 (positive class); otherwise, it returns 0 (negative class).

Applies the model to each input in the dataset X to generate predictions for an entire batch.

Trains the Perceptron model using the input features X and labels Y over a specified number of epochs with a learning rate Ir. Adjusts the weights and bias based on prediction errors, striving to increase the model's accuracy over iterations.

```
X_train = X_train.values
X_test = X_test.values
```

```
y=1, 	ext{if } \sum_i w_i x_i >= b
```

y = 0, otherwise

```
print (Y_train)

→ 430 0

48 1

105 0

467 1
```

547 1 ... 201 0 183 1 285 1 49 1

Name: class, Length: 512, dtype: int64

```
class Perceptron:

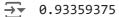
def __init__ (self):
    self.w = None
    self.b = None
```

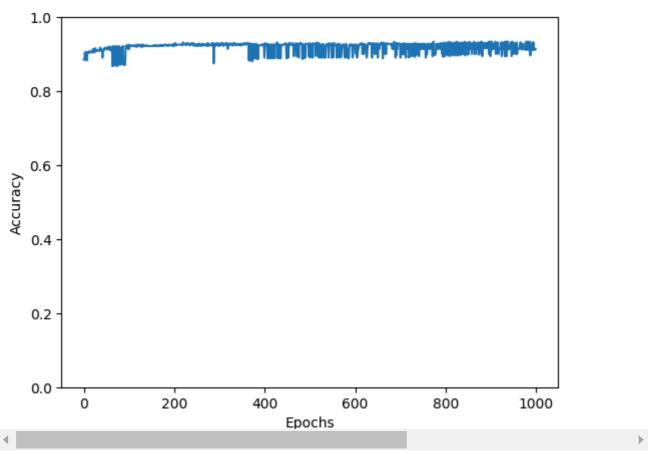
```
def model(self, x):
 return 1 if (np.dot(self.w, x) >= self.b) else 0
def predict(self, X):
 Y = []
 for x in X:
   result = self.model(x)
   Y.append(result)
 return np.array(Y)
def fit(self, X, Y, epochs = 1, lr = 1):
 self.w = np.ones(X.shape[1])
 self.b = 0
 accuracy = {}
 max_accuracy = 0
 for i in range(epochs):
   for x, y in zip(X, Y):
     y_pred = self.model(x)
     if y == 1 and y_pred == 0:
       self.w = self.w + lr * x
       self.b = self.b - lr * 1
     elif y == 0 and y_pred == 1:
       self.w = self.w - lr * x
       self.b = self.b + lr * 1
    accuracy[i] = accuracy_score(self.predict(X), Y)
   if (accuracy[i] > max_accuracy):
     max_accuracy = accuracy[i]
     chkptw = self.w
     chkptb = self.b
 self.w = chkptw
 self.b = chkptb
 print(max_accuracy)
 plt.plot(np.array(list(accuracy.values())).astype(float))
 plt.ylim([0, 1])
 plt.xlabel('Epochs')
 plt.ylabel('Accuracy')
 plt.show()
```

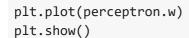
```
perceptron.fit(X_train, Y_train, 1000, 0.0001)
```

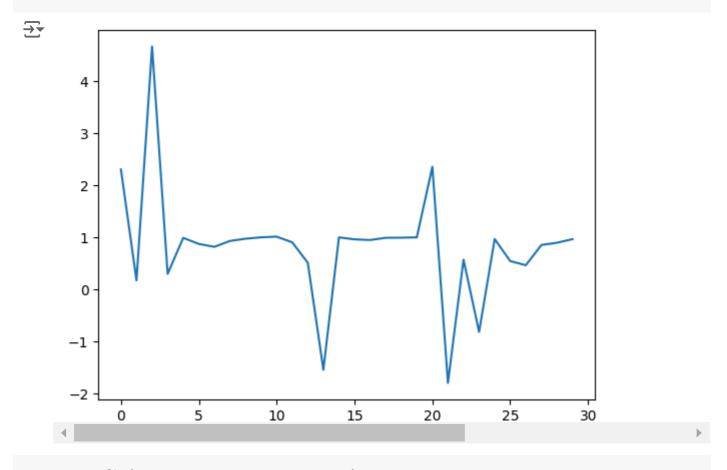
perceptron = Perceptron()

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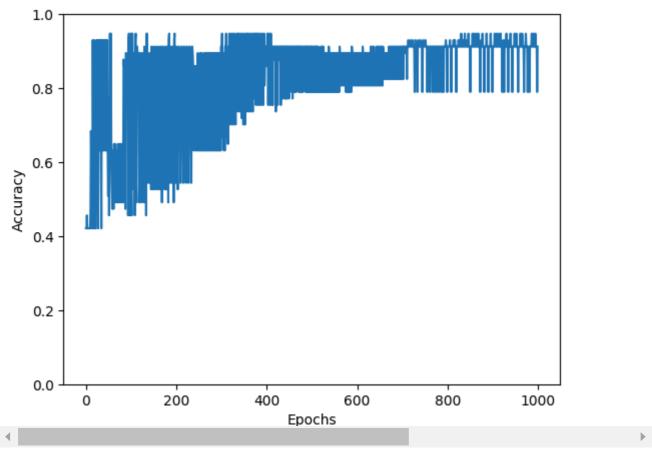






perceptron.fit(X_test, Y_test, 1000, 0.0001)

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Predicts the test set using the trained model and calculates the accuracy of these predictions compared to the true labels, providing a quantitative measure of model performance.

```
Y_pred_test = perceptron.predict(X_test)
print(accuracy_score(Y_pred_test, Y_test))
```

0.9473684210526315

Exercise 4: Implement Perceptron algorithm on the binary Iris dataset and explore its performance by adjusting learning rates and analyzing the weight changes during training

- a. Understand the Iris Dataset and write a summary of features
- b. Train/ Test Split
- c. Implement the Perceptron Algorithm
- d. Plot Train/Test Accuracy: Once the model is trained, evaluate the accuracy on both the training and testing datasets. Plot the accuracy for the training and testing data to visualize the model's performance over multiple epochs.
- e. Experimenting with Learning Rates
- f. Run the Perceptron algorithm with different learning rates.
- Observe how changing the learning rate impacts the model's ability to converge and its overall accuracy.

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• Interpret the results: Does a higher learning rate lead to faster convergence or instability? Does a lower learning rate affect the speed or quality of the model's learning?

- g. Visualizing the Weight Changes
- During training, the Perceptron's weights are updated in each epoch. To understand how the weights evolve:
- o Create a weight matrix that stores the weight values for each epoch.
- o After each epoch, append the current weights to the matrix.
- o Plot the weights as they change across epochs. This will help visualize how the model adjusts its weights based on the data.
- o Write the Interpretation: After plotting the weight changes, explain how the model's weights stabilize as it learns from the data. Do weights converge?

```
from sklearn.datasets import load_iris
import numpy as np
import pandas as pd
from sklearn.model_selection import train_test_split
import matplotlib.pyplot as plt
# Load Iris dataset
iris = load_iris()
X = iris.data
Y = iris.target
# Select only the first two classes for binary classification (Setosa and Versicolor)
binary indices = np.where(Y < 2)
X = X[binary indices]
Y = Y[binary_indices]
# Convert labels to 0 and 1
Y = np.where(Y == 0, 0, 1)
print("Shape of X:", X.shape)
print("Shape of Y:", Y.shape)
→ Shape of X: (100, 4)
     Shape of Y: (100,)
# Train-test split
X_train, X_test, Y_train, Y_test = train_test_split(X, Y, test_size=0.2, random_state=42)
class Perceptron:
    def __init__(self, learning_rate=0.01, epochs=100):
        self.learning_rate = learning_rate
        self.epochs = epochs
```

```
self.w = None
    self.b = None
    self.accuracies = []
def model(self, x):
    return 1 if (np.dot(self.w, x) >= self.b) else 0
def fit(self, X, Y):
   self.w = np.zeros(X.shape[1])
    self.b = 0
   for epoch in range(self.epochs):
        for i in range(X.shape[0]):
            y_pred = self.model(X[i])
            if Y[i] == 1 and y_pred == 0:
                self.w += self.learning_rate * X[i]
                self.b -= self.learning rate
            elif Y[i] == 0 and y_pred == 1:
                self.w -= self.learning_rate * X[i]
                self.b += self.learning_rate
        # Calculate accuracy for visualization
        accuracy = self.accuracy(X, Y)
        self.accuracies.append(accuracy)
def predict(self, X):
    return [self.model(x) for x in X]
def accuracy(self, X, Y):
   Y_pred = self.predict(X)
    return np.mean(Y_pred == Y)
```

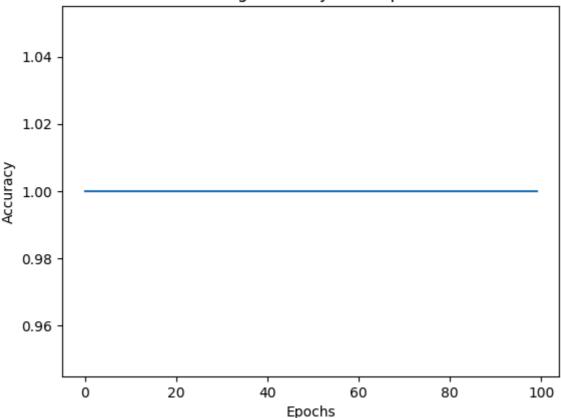
```
# Train the Perceptron
perceptron = Perceptron(learning_rate=0.01, epochs=100)
perceptron.fit(X_train, Y_train)

# Plot accuracy over epochs
plt.plot(perceptron.accuracies)
plt.title("Training Accuracy Over Epochs")
plt.xlabel("Epochs")
plt.ylabel("Accuracy")
plt.show()

# Test set accuracy
test_accuracy = perceptron.accuracy(X_test, Y_test)
print("Test Set Accuracy:", test_accuracy)
```

 $\overline{2}$

Training Accuracy Over Epochs



Test Set Accuracy: 1.0

```
learning_rates = [0.001, 0.01, 0.1]
for lr in learning_rates:
    perceptron = Perceptron(learning_rate=lr, epochs=100)
    perceptron.fit(X_train, Y_train)
    print(f"Learning Rate: {lr}, Final Training Accuracy: {perceptron.accuracies[-1]}")
```

Learning Rate: 0.001, Final Training Accuracy: 1.0 Learning Rate: 0.01, Final Training Accuracy: 1.0 Learning Rate: 0.1, Final Training Accuracy: 1.0

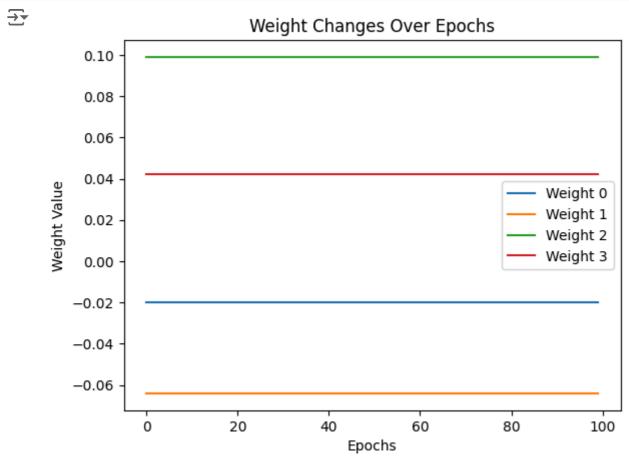
```
class PerceptronWithWeightTracking(Perceptron):
    def __init__(self, learning_rate=0.01, epochs=100):
        super().__init__(learning_rate, epochs)
        self.weight_history = []

def fit(self, X, Y):
    self.w = np.zeros(X.shape[1])
    self.b = 0
    for epoch in range(self.epochs):
        for i in range(X.shape[0]):
            y_pred = self.model(X[i])
        if Y[i] == 1 and y_pred == 0:
            self.w += self.learning_rate * X[i]
            self.b -= self.learning_rate
        elif Y[i] == 0 and y_pred == 1:
            self.w -= self.learning_rate * X[i]
```

```
self.b += self.learning_rate
    # Store weights after each epoch
    self.weight_history.append(self.w.copy())

# Track and plot weight changes
perceptron_wt = PerceptronWithWeightTracking(learning_rate=0.01, epochs=100)
perceptron_wt.fit(X_train, Y_train)

# Plot weight changes
weights = np.array(perceptron_wt.weight_history)
for i in range(weights.shape[1]):
    plt.plot(weights[:, i], label=f"Weight {i}")
plt.title("Weight Changes Over Epochs")
plt.xlabel("Epochs")
plt.ylabel("Weight Value")
plt.legend()
plt.show()
```



```
Start coding or generate with AI.

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```