

HEAPS / PRIORITY QUEUES

★ PRIORITY QUEUE

If it is special type of queue in which each element is associated with a priority.

- * Elements are dequeued based on their priority, rather than their insertion order.
- * Elements with the highest or lowest priority dequeued first.
- * In Java, the PriorityQueue class provides an implementation of a priority queue that follows the min-heap property by default, meaning the smallest element is dequeued first.

★ PRIORITY QUEUES IN JCF

- i) `add()` → $O(n \log n)$ Because it will do regarding given priorities.
- ii) `remove()` → $O(n \log n)$
- iii) `peek()` → $O(1)$

```
⇒ public static void main (String args[]) {
    Priority Queue < Integer > pq = new Priority Queue < > ();
    pq.add (3); pq.add (4); // O(logn)
    pq.add (1); pq.add (7);
    while (!pq.isEmpty ()) {
        System.out.println (pq.peek()); // O(1)
        pq.remove (); // O(logn)
    }
}
```

Output:

3

4

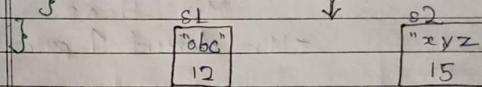
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★ PRIORITY QUEUE FOR OBJECTS

⇒ static class Student implements Comparable < Student > {
 String name;
 int rank;

public Student (String name, int rank)
 this.name = name;
 this.rank = rank;

@Override
public int compareTo (Student s2) {
 return this.rank - s2.rank;
}



↓
s1 ① 12 - 15 = -ve = -3 → obj1 < obj2 (s1 < s2)
s2 ② 15 - 12 = +ve = +3 → obj1 (this) > obj2 (s1 > s2)
s1 ③ 15 - 15 = 0 → equal

```
public static void main (String args []) {
    Priority Queue < Student > pq = new Priority Queue < > ();
    for reversing → Comparator.reversedOrder()
}
```

```

    pq.add (new Student ("A", 4));
    pq.add (new Student ("B", 5));
    pq.add (new Student ("C", 2));
    pq.add (new Student ("D", 12));
    while (!pq.isEmpty ()) {
        System.out.println (pq.peek().name + " -> " + pq.peek().rank);
        pq.remove ();
    }
}
```

Output: C → 2

A → 4

B → 5

D → 12

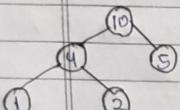
Output: D → 12
(for reverse order) B → 5

A → 4

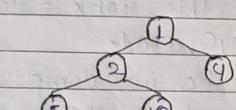
C → 2

★ HEAP

- * Visualize as Binary Tree.
- * Implementation as Array.
- * It is a tree-based data structure that satisfies Heap property.
- * Property dictates that the parent node is either greater than or less than its child nodes depending on whether it's a Max or Min Heap



Max Heap



Min Heap

* Min element ↑ priority.

* Heap Property:

1. Heap is a Binary of most 2 children.

2. Heap is Complete Binary Tree.

→ CBT in which all the levels are completely filled except possibly the last one, which is filled from the left to right.

3. Heap Order Property:

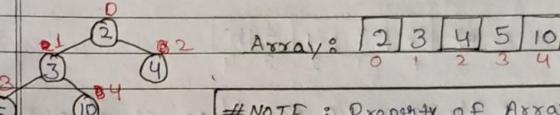
→ Children ≥ Parent (minHeap)

→ Children ≤ Parent (maxHeap)

★ HEAP IS NOT IMPLEMENTED AS A CLASS (Node Class)

We can implement as class but we will not do usually because the insertion is too complex & the time complexity is more, which makes less efficient. → $O(N)$

★ HEAPS AS AN ARRAY / ARRAYLIST - $O(1)$



NOTE : Property of Array for Heaps

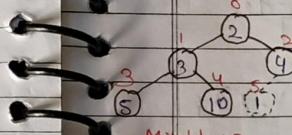
(node) id × = i

left child = 2i+1

right child = 2i+2

* We Use ArrayList because we have to show parent - child relationship of a tree.

* INSERT IN HEAP



→ Insert 1
S1: Arr - [2, 3, 4, 5, 10, 1];
0 1 2 3 4 5

S2: Added at index last index.

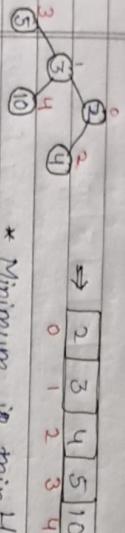
S3: Fix Heap because tree is a minheap
∴ child → parent
(x) → (x-1/2) Universally true

S4: fix heap: parent = $x-1 = 5-1 = 2$
while (child val < parent val)
→ if (child value < parent value)
swap (child, parent)

→ Again compare parent - child,
→ fix heap: parent = $x-1 = 2-1 = 0$

? if (child < parent) then swap (child, parent)
S5: Finally, [1, 3, 2, 5, 10, 4];
0 1 2 3 4 5 → Arr = [1, 3, 2, 5, 10, 4];
0 1 2 3 4 5

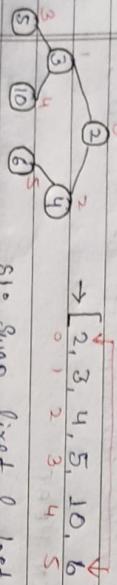
★ GET MIN IN HEAP



* Minimum in minHeap is always at index 0, so peek().

* peek() → arr.get(0);

★ DELETE IN HEAP



SL: Swap first & last node.

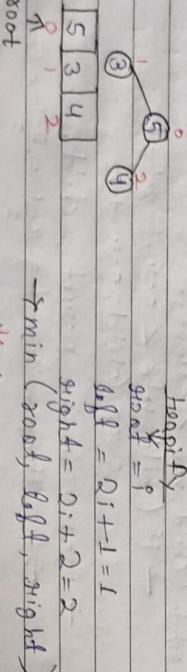
SO: Remove last index

→ arr.remove(arr.size() - 1);
→ [6, 3, 4, 5, 10, 2]

SL: Now, we have to fix my Heap

Heapify

★ Heapify (log n)



diff = 2 * i + 1 = 1

right = 2 * i + 2 = 2

min = min(left, right)

swap

• Swap min with root.

S4: Call heapify (root);

⇒ static class Heap {

ArrayList <Integer> arr = new ArrayList<>();

public static void add (int data) { // O(log n)}

// Add at last index

arr.add (data);

int x = arr.size() - 1; // x is child index

int par = (x - 1) / 2; // parent index

while (arr.get(x) < arr.get(par)) {

// swapping

int temp = arr.get(x);

arr.set (x, arr.get (par));

arr.set (par, temp);

x = par;

par = (x - 1) / 2;

}

}

public int peek() { // minimum element

return arr.get (0); // minimum element

}

private void heapify (int i) {

int left = 2 * i + 1;

int right = 2 * i + 2;

int minIdx = i;

if (left < arr.size() && arr.get(minIdx) > arr.get(left)) {

minIdx = left;

if (right < arr.size() && arr.get(minIdx) > arr.get(right)) {

minIdx = right;

if (minIdx != i) {

int temp = arr.get(i);

arr.set (i, arr.get(minIdx)); // swapping

arr.set (minIdx, temp);

}

```
public int remove() {
```

```
    int data = arr[0];
```

```
    swap first & last
```

```
    temp = arr[0];
```

```
    arr[0] = arr[arr.size() - 1];
```

```
    arr.size() - 1, temp;
```

```
// s2 - delete last
```

```
arr.remove(arr.size() - 1);
```

```
if(s3 == fix) Heap = Heapify
```

```
Heapify(0);
```

```
return data;
```

```
}
```

return data;

HEAD SORT → O(n log n)

* If we have to sort in Ascending → make maxHeap.
* If we have to sort in Descending → make minHeap.

→ arr = 1, 2, 4, 5, 3 ⇒ 5, 3, 4, 2, 1

```
int remove() {
```

```
    int data = arr[0];
```

```
    swap first & last
```

```
    temp = arr[0];
```

```
    arr[0] = arr[arr.size() - 1];
```

```
    arr.size() - 1, temp;
```

```
// s2 - delete last
```

```
arr.remove(arr.size() - 1);
```

```
if(s3 == fix) Heap = Heapify
```

```
Heapify(0);
```

```
return data;
```

```
}
```

return data;

```

→ public static void heapify (int arr[], int i, int size) {
    int left = 2 * i + 1;
    int right = 2 * i + 2;
    int maxIdx = i;
    if (left < size && arr[left] > arr[maxIdx]) {
        maxIdx = left;
    }
    if (right < size && arr[right] > arr[maxIdx]) {
        maxIdx = right;
    }
    if (maxIdx != i) {
        // swap
        int temp = arr[i];
        arr[i] = arr[maxIdx];
        arr[maxIdx] = temp;
        heapify (arr, maxIdx, size);
    }
}

public static void heapSort (int arr[])
// S1: Build maxHeap
{
    int n = arr.length;
    for (int i = n / 2; i >= 0; i--)
        heapify (arr, i, n);
    // S2: Push largest element at end
    for (int i = n - 1; i >= 0; i--)
        // Swap (Largest element - first with last)
        int temp = arr[0];
        arr[0] = arr[i];
        arr[i] = temp;
        heapify (arr, 0, i);
}

```

```

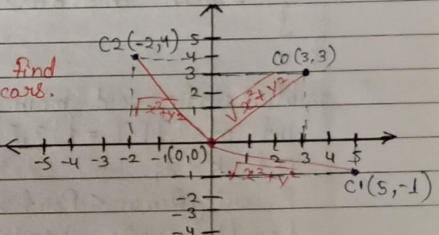
public static void main (String args[]) {
    int arr [] = {1, 2, 4, 5, 3};
    heapSort (arr);
    // print
    for (int i = 0; i < arr.length; i++) {
        System.out.print (arr[i] + " ");
    }
    System.out.println ();
}

```

★ NEARBY CARS - We are given N points in a 2D plane which are locations of N cars. If we are at the origin, print the nearest K cars.

$\rightarrow C_0(3, 3)$ $\star K=2$
 $\rightarrow C_1(5, -1)$ \downarrow we have to find
 $\rightarrow C_2(-2, 4)$ 2 nearest cars.

\Rightarrow Ans: C_0 & C_2

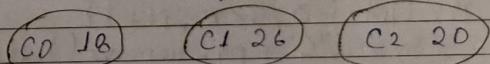


* For C_0 , $\sqrt{3^2 + 3^2} = \sqrt{18}$ First Nearest

* For C_1 , $\sqrt{5^2 + (-1)^2} = \sqrt{26}$

* For C_2 , $\sqrt{(-2)^2 + 4^2} = \sqrt{20}$ Second Nearest

* We will use Priority Queue, \Rightarrow Dist² ↓ priority ↑



$[C_0-18/C_2-20/C_1-26]$
PQ

```

→ static class Point implements Comparable<Point> {
    int x;
    int y;
    int distSq;
    int idx;
    public Point (int x, int y, int distSq, int idx) {
        this.x = x;
        this.y = y;
        this.distSq = distSq;
        this.idx = idx;
    }
}

```

@Override

```

public int compareTo (Point p2) {
    return this.distSq - p2.distSq;
}

```

```

public static void main (String args []) {
    int pts [][] = {{3,3}, {5,-1}, {-2,4}};
    int k = 2;
    PriorityQueue<Point> pq = new PriorityQueue<x>();
    for (int i=0; i<pts.length; i++) {
        int distSq = pts[i][0] * pts[i][0] + pts[i][1] * pts[i][1];
        pq.add (new Point (pts[i][0], pts[i][1], distSq, i));
    }
}

```

//nearest K cars

```

for (int i=0; i<k; i++) {
    System.out.println ("C" + pq.remove ().idx);
}

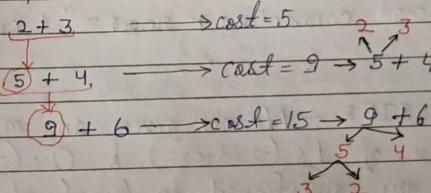
```

★ CONNECT N ROPES - Given are N ropes of different lengths, the task is to connect these ropes into one rope with minimum cost, such that the cost to connect two ropes is equal to the sum of their lengths.
 $\rightarrow \text{ropes} = \{4, 3, 2, 6\}$ $\Rightarrow \text{Ans: } 29$

Ex → connect 2 & 3 $\rightarrow \text{cost} = 5$
connect 5 & 4 $\rightarrow \text{cost} = 9$ $\rightarrow \text{Total cost} = 29$.
connect 9 & 6 $\rightarrow \text{cost} = 15$

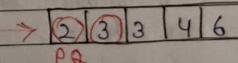
* App roach

$\rightarrow \text{ropes} = \{4, 3, 2, 6\}$

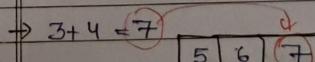
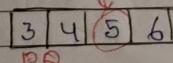


\therefore minimum length \rightarrow ropes add.

Ex → ropes = {2, 3, 3, 4, 6}



* Now, we will take first & second minimum from PQ,
 $2+3=5$



$$7 + 11 = 17$$

$$\therefore 2 + 3 + 4 + 5 + 6 = 17$$

```
→ public static void main (String args[]) {
    int ropes [] = {2, 3, 3, 4, 6};
```

```
Priority Queue < Integer > pq = new Priority Queue();
for (int i=0; i<ropes.length; i++) {
    pq.add (ropes[i]);
}
```

```
int cost = 0;
while (pq.size() > 1) {
    int min = pq.remove();
    int min2 = pq.remove();
    cost += min + min2;
    pq.add (min + min2);
}
```

```
System.out.println ("Total cost connecting n ropes = " + cost);
```

★ WEAKEST SOLDIER — We are given an $m \times n$ binary matrix of 1's (soldiers) & 0's (civilians). The soldiers are positioned in front of the civilians. That is, all the 1's will appear to the left of all the 0's in each row.

* A row i is weaker than a row j if one of the following is true:

→ number of soldiers in a row is less than the number of soldiers in row j .

→ Both rows have the same number of soldiers & $i < j$.

∴ Find the K weakest rows.

Ex → $m=4, n=4, k=2$

1 0 0 0

1 1 1 1

1 0 0 0

1 0 0 1

$\therefore A_{1,2} = \text{row } 0 \text{ & row } 2$

* Approach

$m=4, n=4, k=2$

1 0 0 0 $\rightarrow i=0$

1 1 1 1 $\rightarrow i=1$

1 0 0 0 $\rightarrow i=2$

1 0 0 0 $\rightarrow i=3$

* min (weakest) {
 soldiers $\downarrow \rightarrow$ weak
 soldiers = equal $\Rightarrow i < j$ }

Now, Row number [soldiers_count, index]

$\rightarrow R_0[1, 0]$	$\rightarrow R_0[4, 1]$	$\rightarrow R_0[1, 2]$	$\rightarrow R_0[1, 3]$	PQ	In ascending order
-------------------------	-------------------------	-------------------------	-------------------------	----	--------------------

⇒ static class Row implements Comparable<Row>

```
int soldiers; int idx;
public Row (int soldiers, int idx)
```

```
this.soldiers = soldiers;
```

```
this.idx = idx;
```

@Override

```
public int compareTo (Row x2) {
```

```
if (this.soldiers == x2.soldiers)
```

```
return this.idx - x2.idx;
```

```
else
```

```
return this.soldiers - x2.soldiers;
```

```

public static void main (String args [ ]) {
    int army [ ] [ ] = { { 1, 0, 0, 0 },  

                         { 1, 1, 1, 1 },  

                         { 1, 0, 0, 0 },  

                         { 1, 0, 0, 0 } };
    int k = ?;
    Priority Queue < Row > pq = new Priority Queue < () >;
    for (int i = 0; i < army.length; i++) {
        int count = 0;
        for (int j = 0; j < army [ i ].length; j++) {
            count += army [ i ] [ j ] == 1 ? 1 : 0;
        }
        pq.add (new Row (count, i));
    }
    for (int i = 0; i < k; i++) {
        System.out.print (pq.remove ().idx);
    }
}

```

★ SLIDING WINDOW MAXIMUM

— Maximum of all subarrays of size k & we have an array arr[$] of size N & an integer k . Find the maximum for each & every contiguous subarray of size K .$

* We have done this problem using Degree $\rightarrow O(n)$

* Now, we will do using Priority Queue

$\rightarrow O(n \log k)$

$\Rightarrow 1, 2, 3, 4, 5, 6, 7, 8, 9, 10$, $K=3$

 Return max
 in pairs of 3 windows

$$A_{18} = 3, 4, 5, 6, 7, 8, 9, 10$$

* Approach

n = 8

$$1, 3, -1, -3, 5, 3, 6, 7; k=3$$

$$\Rightarrow \text{res} [] = [\underline{3} \quad \underline{} \quad \underline{} \quad \underline{} \quad \underline{} \quad \underline{}] \quad (n-k+1)$$

S1: add k nums to PA (1st window)

$\frac{dP}{dQ}$ at max K.
max Mea P.

82. (i) ~~Pr-peak()~~ \rightarrow ^{window}_{read} [0]

(ii) while ($\text{pq}.\text{peek}() \leq \text{idx} \leq (\text{idx} - k)$)
 $\text{pq}.\text{remove}()$

S3: pq.add (curr)
window [] = pq.peek

* For all these we will step by step
 pair of K inside the pq &
 remove step by step.

* At last in `res[]`, answer will be stored :-

$$\Rightarrow \text{ges}[] : \begin{array}{|c|c|c|c|c|c|c|} \hline & 3 & 3 & 5 & 5 & 6 & 7 \\ \hline 0 & 1 & 2 & 3 & 4 & 5 & (n-k+1) \\ \hline \end{array}$$

```

⇒ static class Pair implements Comparable<Pair> {
    int val;
    int idx;
    public Pair (int val, int idx) {
        this.val = val;
        this.idx = idx;
    }
}

@Override
public int compareTo (Pair p2) {
    // for ascending
    /* return this.val - p2.val; */
    // for descending
    return p2.val - this.val;
}
}

```

```

public static void main (String args[]) {
    int arr[] = {1, 3, -1, -3, 5, 3, 6, 7};
    int k = 3; // window size
    int res[] = new int [arr.length - k + 1]; // n - k + 1
    Priority Queue <Pair> pq = new Priority Queue <>();
    // 1st window
    for (int i = 0; i < k; i++)
        pq.add (new Pair (arr[i], i));
    res[0] = pq.peek().val;
    for (int i = k; i < arr.length; i++)
        while (pq.size() > 0 && pq.peek().idx <= (i - k))
            pq.remove();
        pq.add (new Pair (arr[i], i));
        res[i - k + 1] = pq.peek().val;
    // print result
    for (int i = 0; i < res.length; i++)
        System.out.print (res[i] + " ");
}
System.out.println ();
}

```

Ques. K'th Largest Element in a stream - We have an infinite stream of integers, find the K'th largest element at any point of time.

Input: stream [] = {10, 20, 11, 70, 50, 40, 100, 5, ...}, k=3
Output: 10, 11, 20, 40, 50, 50, ...

```

⇒ static Priority Queue <Integer> min;
static int k;
static List <Integer> getAllKthNumber (int arr[]) {
    List <Integer> list = new ArrayList <>();
    for (int val : arr) {
        if (min.size() < k) { // Time Complexity - O(logk)
            min.add (val); // Space Complexity - O(1)
        } else {
            if (val > min.peek()) {
                min.poll();
                min.add (val);
            }
        }
    }
    if (min.size() >= k)
        list.add (min.peek());
    else
        list.add (-1);
    return list;
}

```

```

public static void main (String[] args) {
    min = new Priority Queue <>();
    k = 4;
    int arr[] = {1, 2, 3, 4, 5, 6};
    List <Integer> res = getAllKthNumber (arr);
    for (int x : res)
        System.out.print (x + " ");
}

```

Ques 2. Minimum time required to fill given N slots -
 We have an integer N which denotes the numbers of slots, & an array arr[] consisting of K integers in the range [1, N] representing. Each element of the array are in the range [1, N] which represents the indices of the filled slots. At each unit of time, the index with filled slot fills the adjacent empty slots. The task is to find the minimum time taken to fill all the N slots.

Ex \rightarrow N = 6 (meaning there are 6 slots)
 $\text{arr}[] = [2, 5]$ (slots 2 & 5 are initially filled)

* At time 0:

\rightarrow Initial filled slots : [2, 5]
 $\rightarrow [\underline{\underline{1}}, \underline{\underline{2}}, \underline{\underline{3}}, \underline{\underline{4}}, \underline{\underline{5}}, \underline{\underline{6}}]$ (where $\underline{\underline{1}}$ means filled & $\underline{\underline{-}}$ means empty)

* At time 1 :

\rightarrow Slot 1 gets filled becoz it's next to slot 2.
 \rightarrow Slot 3 gets filled becoz it's next to slot 2.
 $\rightarrow [\underline{\underline{1}}, \underline{\underline{1}}, \underline{\underline{1}}, \underline{\underline{4}}, \underline{\underline{5}}, \underline{\underline{6}}]$

* At time 2 :

\rightarrow Slot 4 gets filled becoz it's next to slot 5.
 \rightarrow Slot 6 gets filled becoz it's next to slot 5.
 $\rightarrow [\underline{\underline{1}}, \underline{\underline{1}}, \underline{\underline{1}}, \underline{\underline{1}}, \underline{\underline{1}}, \underline{\underline{1}}]$

\therefore So, after 2 units of time, all slots filled.

\Rightarrow Output : 2.

```

  public static void minTime (int arr[], int N, int K) {
    Queue < Integer > q = new LinkedList < > ();
    boolean vis[] = new boolean [N+1];
    int time = 0;
    for (int i=0; i<K; i++) {
      q.add (arr[i]);
      vis [arr[i]] = true;
    }
    while (q.size () > 0) {
      for (int i=0; i<q.size (); i++) {
        int curr = q.poll ();
        if (curr-1 >= 1 && !vis [curr-1]) {
          vis [curr-1] = true;
          q.add (curr-1);
        }
        if (curr+1 <= N && !vis [curr+1]) {
          vis [curr+1] = true;
          q.add (curr+1);
        }
        time++;
      }
      System.out.println ("Time = " + time);
    }
  }
}
  
```

```

public static void main (String args[]) {
  int N=6;
  int arr[] = {2, 5};
  int K = arr.length; // Time Complexity - O(N)
  minTime (arr, N, K); // Space Complexity - O(N)
}
  
```

QUE 3: Path with minimum Effort - We have a 2D grid, each cell of which contains an integer cost which represents a cost to traverse through that cell, we need to find a path from the top-left cell to the bottom-right cell by which the total cost incurred is minimum.

Ex:	<table border="1"> <tr> <td>1</td><td>3</td><td>1</td></tr> <tr> <td>2</td><td>1</td><td>5</td></tr> <tr> <td>4</td><td>2</td><td>1</td></tr> </table>	1	3	1	2	1	5	4	2	1	Start of top-left corner
1	3	1									
2	1	5									
4	2	1									
		End at bottom-right corner									

∴ In this grid, the path that gives you the minimum cost could be:

$$\Rightarrow 1 + 2 + 1 + 2 + 1 = 7$$

⇒ // a utility class to represent the coordinates of each cell.

```
static class Cell {
    int x, y, cost;
    Cell (int x, int y, int cost) {
        this.x = x;
        this.y = y;
        this.cost = cost;
    }
}
```

```
public static int minEffortPath (int grid[][]) {
    int rows = grid.length;
    int cols = grid[0].length;
    // Directions for moving up, down, left, right
    int [] rowDir = {-1, 0, 0, 0};
    int [] colDir = {0, 0, -1, 1};
    Stack<Cell> stack = new Stack<>();
}
```

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```
stack.push (new Cell (0, 0, grid[0][0]));
// array to track minimum cost to reach each cell
int [][] minCost = new int [rows][cols];
for (int i=0; i<rows; i++) {
    for (int j=0; j<cols; j++) {
        minCost [i] [j] = Integer.MAX_VALUE;
    }
}
```

```
minCost [0] [0] = grid [0] [0];
while (!stack.isEmpty ()) {
    Cell current = stack.pop ();
    // Traverse all possible directions
    for (int i=0; i<4; i++) {
        int newX = current.x + rowDir [i];
        int newY = current.y + colDir [i];
        // check for valid bounds
        if (newX >= 0 && newX < rows && newY >= 0 && newY < cols) {
            int newCost = current.cost + grid[newX][newY];
            // if a better cost found, update min cost & push to stack
            if (newCost < minCost [newX] [newY]) {
                minCost [newX] [newY] = newCost;
                stack.push (new Cell (newX, newY, newCost));
            }
        }
    }
}
```

```
// return min cost to reach bottom-right cell
return minCost [rows-1] [cols-1];
```

// Time Complexity - O (rows * columns)
// Space Complexity - O (rows * columns)

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```

public static void main (String [] args) {
    int [][] grid = {{1, 3, 1},
                    {1, 5, 1},
                    {4, 2, 1}};
    int result = minEffortPath (grid);
    System.out.println ("The minimum cost to reach the bottom-right cell is: " + result);
}

```

QUE 4. Minimum Operations to Halve Array Sum

- We have an array `arr[]`, the task is to find out the minimum number of operations to make the sum of array elements lesser or equal to half of its initial value. In one such operation, it is allowed to half the value of any array element.

Example: Let's take an array : $\rightarrow \text{arr}[] = [10, 20, 17]$

$$\text{S1: Initial Sum: } 10 + 20 + 7 = 37$$

$$\text{Half of Sum: } 37 / 2 = 18$$

S2: Operations:

1 - halve the largest element (20):

new arr[10, 10, 7]

$$\text{new sum} \rightarrow 10 + 10 + 7 = 27$$

2 - halve the largest element (10):

new arr[7] → [5, 10, 7]

$$\text{new sum} \rightarrow 5 + 10 + 7 = 22$$

3 - halve the largest element (10):

new arr[7] → [5, 5, 7]

$$\text{new sum} \rightarrow 5 + 5 + 7 = 17$$

So, the minimum no. of operations is 3.

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```

⇒ static int minops (ArrayList < Integer > nums) {
    int sum = 0;

```

```

    for (int i=0; i<nums.size(); i++) {
        sum += nums.get(i);
    }

```

```

PriorityQueue < Integer > pq = new PriorityQueue < Integer >;
for (int i=0; i<nums.size(); i++) {
    pq.add (nums.get(i));
}

```

```
double temp = sum;
```

```
int cnt = 0;
```

```
while (temp > sum / 2) {
```

```
    int x = -pq.peek();

```

```
    pq.remove();

```

```
    temp -= Math.ceil (x * 1.0 / 2);

```

```
    pq.add (x / 2);

```

```
    cnt++;
}

```

// Time Complexity - $O(n \log n)$
// Space Complexity - $O(n)$

```

    return cnt;
}
public static void main (String args[]) {
    ArrayList < Integer > nums = new ArrayList < Integer > (
        List.of (4, 6, 3, 9, 10, 2));
    int count = minops (nums);
    System.out.println (count);
}

```