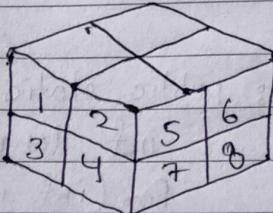


## ★ 2D - ARRAYS

- \* 2-Dimensional Arrays.
  - \* Data are stored in 2 directions.
  - \* It is in form of Rows & columns.  


The diagram illustrates a 2D array as a rectangular grid. The vertical axis is labeled with an upward-pointing arrow and the letter '↑'. The horizontal axis is labeled with a rightward-pointing arrow and the letter '→'.

*	<table border="1"><tr><td>1</td><td>2</td><td>3</td></tr></table>	1	2	3	<table border="1"><tr><td>1</td><td>2</td><td>3</td></tr></table>	1	2	3
1	2	3						
1	2	3						
	1-D	<table border="1"><tr><td>5</td><td>6</td><td>7</td></tr></table>	5	6	7			
5	6	7						
	1014V	112-D						



n-1

- ## \* Representation

0				$\rightarrow \text{Total cells: } n \times m$	Rows = 4
1					Columns = 3
2	2, 1			$\downarrow \text{rows} \times \text{columns}$	
3				2, 1	
				2 x 1	
				4 x 3	

- ## \* Creation of 2D Arrays

$\Rightarrow \text{datatype name}[\cdot][\cdot] = \text{new datatype}[\text{row}][\text{cols}]$

```

psvm {
    int matrix [][] = new int [3] [3];
    int n = matrix.length, m = matrix [0].length;
    // 3 - row size                                // 3 column size
}

```

```
Scanner sc = new Scanner (System.in);  
for (int i=0; i<n; i++) {
```

```
for (int j = 0; j < m; j++) {  
    matrix[i][j] = scan.nextInt();
```

2

```

for (int i=0; i<n; i++) {
    for (int j=0; j<m; j++) {
        System.out.print (matrix [i][j] + " ");
    }
    System.out.println ();
}

```

### \* Searching in 2D

```

public static boolean search (int matrix [][] , int key) {
    for (int i=0; i<matrix.length; i++) {
        for (int j=0; j<matrix [0].length; j++) {
            if (matrix [i] [j] == key) {
                System.out.print ("Found at index : (" +
                    i + ", " + j + ")");
                return true;
            }
        }
    }
    System.out.println ("Key not found.");
    return false;
}

```

// for clarity of output.

### \* 2D Arrays in Memory

There are two way of storing 2D - Arrays :

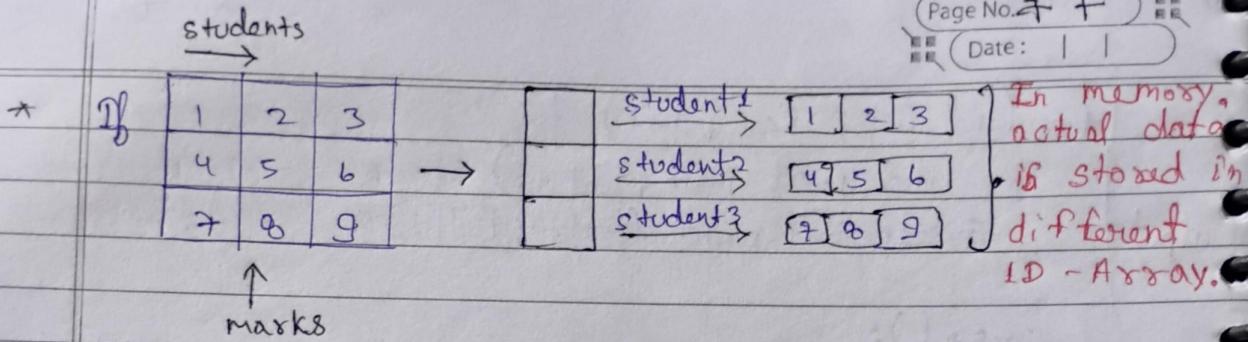
1. Row Major

0	1	2	3	4	5	6	7	8
---	---	---	---	---	---	---	---	---

2. Column Major

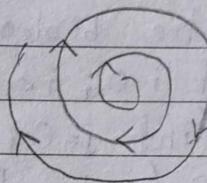
0	3	6
1	4	7
2	5	8

# In JAVA, the both ways are not used.



## \* Spiral Matrix

1	2	3	4	5
16	17	18	19	6
15	24	25	20	7
14	23	22	21	8
13	12	11	10	9



Spiral

Output: 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15  
 16 17 18 19 20 21 22 23 24 25

### Approach

	1st	2nd	3rd	
startRow	0	1	2	startRow ++
end Row	4 ( $n-1$ )	3	2	endRow --
startColumn	0	1	2	start Column ++
endColumn	4 ( $n-1$ )	3	2	end Column --

⇒ while loop ( ) {

- 1) top
- 2) right
- 3) bottom
- 4) left

}

## \* Spiral Matrix - Code

```

public static void printSpiral (int matrix [][]){  

    int startRow = 0;  

    int startCol = 0;  

    int endRow = matrix.length - 1;  

    int endCol = matrix[0].length - 1;  

    while (startRow <= endRow && startCol <= endCol) {  

        //TOP  

        for (int j = startCol; j <= endCol; j++) {  

            System.out.print (matrix [startRow] [j] + " ");  

        }  

        //RIGHT  

        for (int i = startRow + 1; i <= endRow; i++) {  

            System.out.print (matrix [i] [endCol] + " ");  

        }  

        //BOTTOM  

        if (startRow == endRow) {  

            for (int j = endCol - 1; j >= startCol; j--) {  

                System.out.print (matrix [endRow] [j] + " ");  

            }  

            break;  

        }  

        //LEFT  

        if (startCol == endCol) {  

            for (int i = endRow - 1; i >= startRow; i--) {  

                System.out.print (matrix [i] [startCol] + " ");  

            }  

            break;  

        }  

        //UPDATE  

        startCol++;  

        startRow++;  

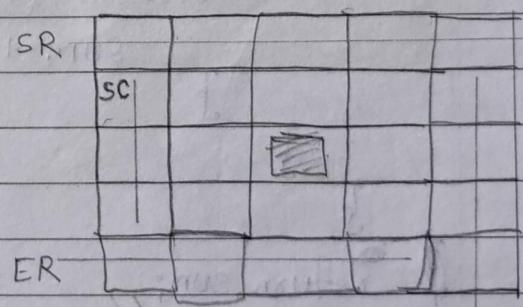
        endCol--;  

        endRow--;  

    }  

    System.out.println();
}

```



## \* Diagonal Sum

$n=m \rightarrow n \times n$

1	2	3	4
5	6	7	8
9	10	11	12
13	14	15	16

SD

34

PJ

34

12

+

12

but 4 is overlapping  
so we will  $\downarrow$   
 $(12+12)-4$

Diagonal Sum : 68

Diagonal Sum: 20

PJ: Primary Diagonal ( $i=j$  always i.e., row = col.)

SD: Secondary Diagonal ( $i+j = n-1$ )

→ Diagonal sum Code  $O(n^2)$

public static ~~int~~ diagonal\_sum (int matrix[][][]) {

int sum = 0;

for (int i=0; i<matrix.length; i++) {

    for (int j=0; j<matrix[0].length; j++) {

        if (i == j) {

            sum += matrix[i][j];

}

        else if (i+j == matrix.length - 1) {

            sum += matrix[i][j];

}

}

    return sum;

// The time complexity is not so efficient so we use another method to solve.

- \* for primary diagonal,  $\rightarrow i = j$  then Sum.
- \* For secondary diagonal,  $\rightarrow i + j = n - 1$   
 $\rightarrow j = n - 1 - i$  then Sum.

$\Rightarrow$  Diagonal Sum Code  $O(n)$

```
public static int diagonal_sum (int matrix [][]){  
    int sum = 0;  
    for (int i=0; i<matrix.length; i++) {  
        sum += matrix [i] [i];  
        if (i != matrix.length - 1 - i) {  
            sum += matrix [i] [matrix.length - i - 1];  
        }  
    }  
    return sum;  
}
```

## \* Search in Sorted Matrix

10 < 20 < 30 < 40	
15 < 25 < 35 < 45	
27 < 29 < 37 < 48	
32 < 33 < 39 < 50	

C<sub>1</sub>: (n-1, 0)

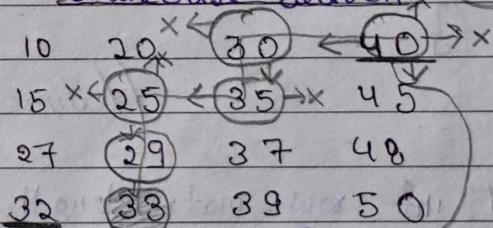
Key < cell value

TOP

Key > cell value

RIGHT

Staircase Search x Key=33



C<sub>2</sub>: (0, m-1)

Key < cell value

LEFT

Key > cell value

BOTTOM

\* Search in Sorted Matrix Code

C: 2. public static void boolean staircase\_search (int matrix [][] , int key) {

    int row = 0, col = matrix [0].length - 1;

    while (row < matrix.length && col >= 0) {

        if (matrix [row] [col] == key) {

            System.out.println ("Found key at (" + row + ", " + col + ")");

            return true;

}

        else if (key < matrix [row] [col]) {

            col --;

}

        else {

            row ++;

}

    System.out.println ("Key not Found !!!");

    return false;

}

// Time Complexity,  $O(m+n)$ .

C: 1. int row = matrix.length - 1, col = 0;

    while (row >= 0 && col < matrix.length) {

        // same

        else if (key < matrix [row] [col]) {

            row --;

}

        else {

            col ++;

}

    // same

## QUESTIONS

Ques 1. Point the number 7's that are in the 2d Array.

Ex: int arr [][] = {{4, 7, 8}, {8, 9, 7}};

Output = 2.

```
public static void count_num (int matrix [][] , int num) {
    int row = matrix.length, col = matrix [0].length;
    int count = 0;
    for (int i=0; i<row; i++) {
        for (int j=0; j<col; j++) {
            if (matrix [i] [j] == num) {
                count++;
            }
        }
    }
    System.out.println ("No. of times " + num + " appears in
                        2D Array is : " + count);
}
```

Ques 2. Point out the sum of the numbers in the given specific row. of the array.

```
print public static void sum_of_row (int matrix [][] , int
                                    row_no) {
    int sum = 0;
    for (int i=0; i<matrix [row_no].length; i++) {
        sum += matrix [row_no] [i];
    }
}
```

System.out.print ("sum of " + row\_no + " row  
is " + sum);

}

### Ques 3. Program of Transpose of a Matrix.

```

public static void print_matrix (int matrix[][]) {
    for (int i=0; i<matrix.length; i++) {
        for (int j=0; j<matrix.length; j++) {
            System.out.print (matrix[i][j] + " ");
        }
        System.out.println ();
    }
}

public static void transpose (int matrix[][]) {
    int rows = matrix.length;
    int cols = matrix[0].length;
    int transpose_matrix [][] = new int [rows][cols];
    for (int i=0; i<rows; i++) {
        for (int j=0; j<cols; j++) {
            transpose_matrix [i][j] = matrix[i][j];
        }
    }
    System.out.println ("Transpose Matrix is : ");
    print_matrix (transpose_matrix);
}

```