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## **SARIMAX**

Auto Regressive AR(q):

$$X_t = \phi_1 \cdot X_{(t-1)} + \phi_2 \cdot X_{(t-2)} + \dots + \phi_q \cdot X_{(t-q)} + Z_t$$

Moving Average MA(p):

$$X_t = \theta_1 \cdot Z_{(t-1)} + \theta_2 \cdot Z_{(t-2)} + \dots + \theta_p \cdot Z_{(t-p)} + Z_t$$

 $\mathbf{ARMA}(p,q)$ :

$$X_{t} = [\theta_{1} \cdot Z_{(t-1)} + \theta_{2} \cdot Z_{(t-2)} + \dots + \theta_{p} \cdot Z_{(t-p)}] + [\phi_{1} \cdot X_{(t-1)} + \phi_{2} \cdot X_{(t-2)} + \dots + \phi_{q} \cdot X_{(t-q)}] + Z_{t}$$

ARIMA(p, d, q):

Its the same of ARMA but defining:

$$y_t^* = X_t - X_{(t-d)}$$

and then apply ARMA to  $y_t^*$ .

## ARIMAX(p, d, q):

Its the same of ARIMA but first we do a regression in function of endogen and exogen variables and apply ARIMA to the residuals of this regression.

**SARIMAX**(p, d, q), (s, P, D, Q):

Its the same of ARIMAX but separating the stationary component.