



Lecture 31

Code Generation

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- For a leaf operand x , if base is b generate the instruction LD R_b, x

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 - ▶ Generate the instruction OP $R_{b+k-1}, R_{b+k-2}, R_{b+k-1}$

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