



# Lecture 15

## Semantics Analysis

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# Take aways from the last class

- Dependency Graph

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- S-attributed grammar

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- Abstract Syntax Tree and its construction

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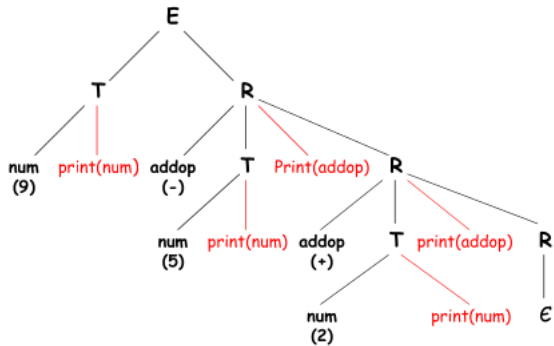
- A CFG where semantic actions occur within the RHS of production
- A translation scheme to map infix to postfix

$$E \rightarrow TR$$

$$R \rightarrow \text{addop } T \quad \{ \text{print}(\text{addop}) \} \quad R | \epsilon$$

$$T \rightarrow \text{num} \quad \text{print}(\text{num})$$

# Parse tree for 9-5+2



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  - ▶  $S \rightarrow \_ A \_ B \_$
  - ▶ An inherited attribute for a symbol on rhs of a production must be computed in an action before that symbol
  - ▶  $S \rightarrow A_i A B_i B S_s$

## Example: Translation scheme for EQN

$S \rightarrow B$

$B \rightarrow B_1 B_2$

$B \rightarrow B_1 \text{ sub } B_2$

$B \rightarrow \text{text}$

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	$B_2.pts = B.pts$
$B \rightarrow B_1 \text{ sub } B_2$	$B_1.pts = B.pts$
	$B_2.pts = \text{shrink}(B.pts)$
$B \rightarrow \text{text}$	



## Example: Translation scheme for EQN

$S \rightarrow B$	$B.pts = 10$ $S.ht = B.ht$
$B \rightarrow B_1 B_2$	$B_1.pts = B.pts$ $B_2.pts = B.pts$ $B.ht = \max(B_1.ht, B_2.ht)$
$B \rightarrow B_1 \text{ sub } B_2$	$B_1.pts = B.pts$ $B_2.pts = \text{shrink}(B.pts)$ $B.ht = \text{disp}(B_1.ht, B_2.ht)$
$B \rightarrow \text{text}$	$B.ht = \text{text}.h * B.pts$

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$A \rightarrow X \quad A.a = f(X.x)$



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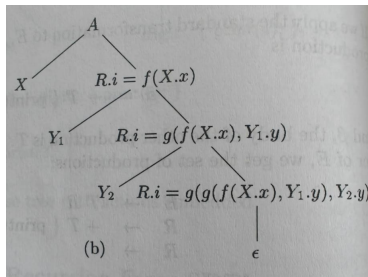
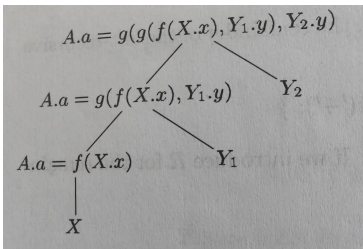
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# Eliminating Left Recursion

$$A \rightarrow X \quad \{R.i = f(X.x)\} R \{A.a = R.s\}$$

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$$\begin{aligned} A &\rightarrow X \quad \{R.i = f(X.x)\} R \{A.a = R.s\} \\ R &\rightarrow Y \{R_1 = g(R.i, Y.y)\} R_1 \{R.s = R_1.s\} \end{aligned}$$

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