

Multimodal Neuroimaging Feature Learning for Multiclass Diagnosis of Alzheimer's Disease

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Abstract—The accurate diagnosis of Alzheimer's disease (AD) is essential for patient care and will be increasingly important as disease modifying agents become available, early in the course of the disease. Although studies have applied machine learning methods for the computer-aided diagnosis of AD, a bottleneck in the diagnostic performance was shown in previous methods, due to the lacking of efficient strategies for representing neuroimaging biomarkers. In this study, we designed a novel diagnostic framework with deep learning architecture to aid the diagnosis of AD. This framework uses a zero-masking strategy for data fusion to extract complementary information from multiple data modalities. Compared to the previous state-of-the-art workflows, our method is capable of fusing multimodal neuroimaging features in one setting and has the potential to require less labeled data. A performance gain was achieved in both binary classification and multiclass classification of AD. The advantages and limitations of the proposed framework are discussed.

Index Terms—Alzheimer's disease (AD), classification, deep Learning, MRI, neuroimaging, positron emission tomography (PET).

I. INTRODUCTION

ALZHEIMER'S disease (AD) is a degenerative brain disorder that is characterized by a progressive dementia that is characterized by the degeneration of specific nerve cells, presence of neuritic plaques, and neurofibrillary tangles [1]. A decline in memory and other cognitive functions are the usual early syndromes. AD will be a global burden over the coming decades, due to the increasing age of societies. It was reported that in 2006, there were 26.6 million AD cases in the world, including about 56% of the cases that are at the early stage. In 2050, the

population of the AD patients is predicted to grow fourfold to 106.8 million [2]. The precise diagnosis of AD was considered as a difficult clinical task with insufficient specificity because the evaluation of the mental status cannot be made when the consciousness is impaired. Another difficulty is caused by the confusion of other non-AD dementia syndromes. Mild Cognitive Impairment (MCI), a prodromal stage of AD, has drawn attention of researchers recently because it is useful for clinical trials. Though MCI does not notably interfere with daily activities, it has been constantly proven that MCI patients are at a high risk of AD progression [3]. To conduct prediction of transition risk of MCI, MCI subjects can be further categorized as MCI converters (cMCI) and MCI nonconverters (ncMCI). It is essential to detect the early stages as well as across the full spectrum of AD progression; therefore, patients are allowed to control the risk factors, for example, isolated systolic hypertension [4], [5], before irreversible brain damage develops. Neuroimaging techniques, such as magnetic resonance imaging (MRI) [6]–[11] and positron emission tomography (PET) [12]–[18], have been widely used in the assessment of AD, along with many other nonimaging biomarkers [6], [19], [20].

Machine learning methods have been proposed to aid the diagnosis of AD. Precomputed medical descriptors were widely used to represent biomedical images. Approximate measurements, such as the volume [21] and the cerebral metabolic rate of glucose (CMRGlc) [22], were normally computed from segmented 3-D brain regions of interest (ROI) and were used for AD classification with support vector machine (SVM) [23], Bayesian method [24], or other methods [25], [26]. However, there are several constraints in such workflows. The methods based on these conventional machine learners often work well in binary classification, such as categorizing AD subjects from normal control (NC) subjects, but it is difficult to extend them to multiclass [27]. As a result, although the diagnosis of AD should be naturally modeled as a multiclass classification problem, it was normally simplified as a set of binary classification tasks [23, 28] that distinguish AD or MCI subjects from NC subjects. Another constraint is the embedding of clinical prior knowledge. A method based on the graph cut algorithm was proposed recently by Liu *et al.* [10]. This workflow adjusted the graph cut algorithm with parameters corresponding to the relationships between different stages of AD. Though such customization tends to yield promising classification results, the workflow can be sensitive to changes in the dataset and can be difficult to extend to a large scale. Another challenge of AD diagnosis is to represent the original biomarkers in an unsupervised approach. Some frameworks reduces the dimensionality of each type of biomarker in a supervised way and

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then fuses the feature modalities to form a new feature space [29]–[31]. Such workflows depend heavily on the quantity of the labeled samples, which are difficult to achieve. Separating the dimensionality reduction and the data fusion may also result in losing complementary information.

We believe that the previous workflows can be optimized by designing a new framework to efficiently represent the multimodal biomarkers and effectively characterize the multiple stages of AD. The conventional feature engineering workflows with shallow structures and affine data transformation often simply result in feature repetition or dimensionality selection. As shown in many recent studies, deep data representation can be more efficient than the shallow architectures in multiclass classification by disentangling complex patterns in the inputs [32]–[36]. Deep learning architectures extract high-level features progressively via several layers of feature representations [37]. The high-level features tend to be more separable in classification problems due to the sequential transformations of the feature space.

Brosch and Tam, using MR, reported that the multilayered learning structure was effective in capturing shape variations of the brain regions that correlate with demographic and disease information, such as the ventricle size [38]. In the framework proposed by Suk *et al.* [39], one setting of stacked autoencoders (SAEs) was trained for each image modality; then, the learnt high-level features were further fused with a multikernel support vector machine (MKSVM). In such workflows, the single-modal high-level features were learnt regardless of the other modalities, which may ignore the synergy between different modalities in the feature learning.

In this study, we propose a novel framework of multiclass AD diagnosis with deep learning architecture embedded which benefits from the synergy between multimodal neuroimaging features. The framework is constructed with an SAE and a softmax logistic regressor. The autoencoders represent the data in an unsupervised way which can be extended to use unlabeled data in practice. The proposed framework is capable of data fusion when multimodal neuroimaging image data are available. Following the concepts of denoising autoencoder [40], we applied the zero-mask strategy on bimodal deep learning tasks to extract the synergy between different image modalities. By randomly hiding one modality of the training set, the hidden layers of the neural network tend to be able to reconstruct the missing modality with corrupted inputs by inferring the correlations between multimodal features. With the softmax regression embedded in the deep learning architecture, our framework is capable of classifying AD patients into four AD stages.

The rest of this paper is organized as follows. We introduce the proposed learning framework and the training strategies in Section II. The experiments and results of this study are presented in Section III. We discuss the proposed framework and conclusions of the paper in Sections IV and V.

II. METHODOLOGY

The pipeline of the proposed framework is illustrated in Fig. 1. In this study, MR and PET data are used as two input

neuroimaging modalities. All collected brain images are first preprocessed and segmented into 83 functional ROI, and a set of descriptors are computed from each ROI. The dataset is divided into a training set and a testing set. We perform Elastic Net [9], [41], [42] only on the training samples to select the discriminative subset of the feature parameters. A multilayered neural network consisting of several autoencoders is then trained using the selected feature subset in the training dataset. Each layer of the network obtains a higher level of abstraction of the previous layer with nonlinear transformation [43]–[45]. The softmax layer is added on the top of the SAEs for classification. The trained network is then evaluated with the labeled testing samples.

A. Data Acquisition and Feature Extraction

The neuroimaging data used in this study were obtained from the Alzheimer's Disease Neuroimaging Initiative (ADNI) database¹ [46]. This database was launched in 2003 by the National Institute on Aging, the National Institute of Biomedical Imaging and Bioengineering, the Food and Drug Administration, private pharmaceutical companies, and nonprofit organizations as a five-year public partnership. The primary purpose of ADNI project was to study the effects of combining multiple biomarkers, such as MRI, PET, and CSF data accompanied with neuropsychological assessments, to predict the progression of MCI and early AD. Around 200 normal instances and 400 MCI instances were followed for three years; 200 AD patients were followed within two years. Determining the sensitive biomarkers to the progression of AD might also aid the clinicians to discover new treatments, as well as other possible biomedical exploration.

We obtained two datasets from ADNI. For the dataset with only MR images, 816 age and sex matched subjects were recruited from the ADNI repository and a T1-weighted MR image was acquired from each subject. We excluded 20 subjects with multiple conversions or reversions as well as 21 MCI subjects whose data were incomplete. We labeled the MCI subjects that converted to AD from 0.5 to 3 years from the first scan as cMCI, otherwise the MCI subjects were labeled as ncMCI. The normal subjects and the AD patients were labeled as NC and AD [10]. All raw MR images were corrected following the ADNI MR image protocol and were nonlinearly registered to the ICBM_152 template [47] using the Image Registration Toolkit [48]. Only 17 images were excluded because of the intolerable distortion. Finally, 758 MR subjects were reserved for the experiments conducted in this study, including 180 AD subjects, 160 cMCI subjects, 214 ncMCI subjects, and 204 normal ageing control subjects.

For the dataset with multimodal data fusion, 331 age and sex matched subjects were selected from the baseline cohort, including 77 NC-, 102 ncMCI-, 67 cMCI-, 85 AD-subjects with both MR and PET data available. Each instance was associated with T1-weighted volumes and FDG-PET images. All the 3-D images were preprocessed with the similar workflow described

¹The database is available at adni.loni.ucla.edu

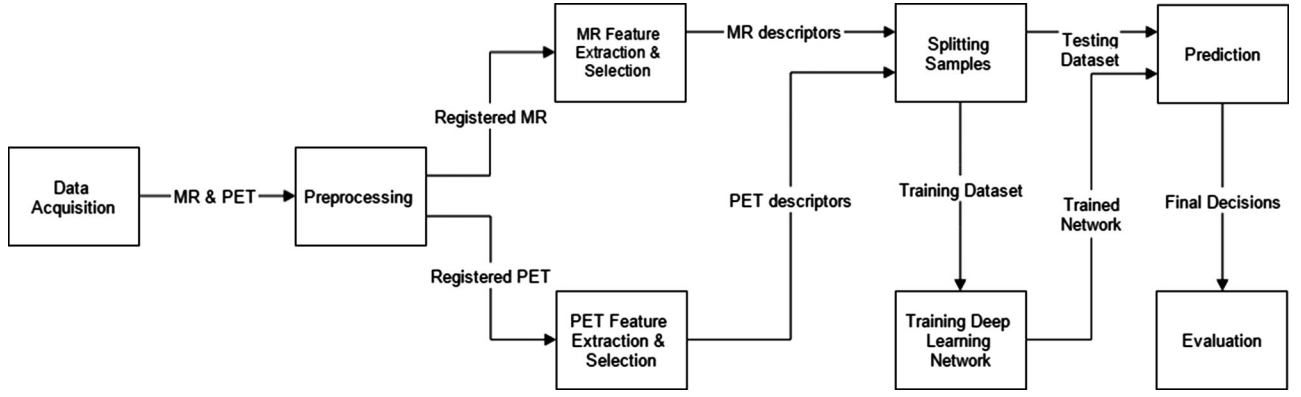


Fig. 1. Proposed diagnostic framework of AD with deep learning architecture embedded.

earlier for MR images. The PET images were aligned to the corresponding MR image using FSL FLIRT [49].

For each registered 3-D image, 83 brain regions were mapped in the template space using multatlas propagation with enhanced registration approach [50]. The gray matter volumes were extracted from MR images, same as in [9] and [10]. For PET images, we extracted the regional average CMRGlc feature same as in [22] and [51]. We then normalized features to be between 0 and 1 to support the sigmoidal decoders by shifting the negative values and rescaling.

B. Learning Framework

1) *Pretraining SAEs*: We applied SAEs [45], [52], [53] to learn the high-level features in an unsupervised way as shown in Fig. 2. Each autoencoder framework encodes an input vector x into a hidden representation y with an affine mapping followed by nonlinear sigmoidal distortion

$$y = \sigma(Wx + b) \quad (1)$$

where σ is set as a sigmoid function $\sigma(x) = \frac{1}{1+e^{-x}}$, W is a weight matrix, and b is a vector of bias terms. y is the encodings that represent the original input x . The ideal case is that we can maximally reconstruct x with only knowing y . The decoder reconstructs the input vector from the hidden representation by

$$x^* = \tau(W'y + b') \quad (2)$$

where τ is another sigmoidal filter and W' is the decoding weights. The number of the hidden neurons determines the dimensionality of the encodings at each layer. By controlling the number of hidden units, we can either perform dimensionality reduction or learn overcomplete features. The decoding results in a reconstruction of input vector x with high probability of $P(x^*|x)$. Therefore, the reconstruction loss can be minimized by optimizing the log likelihood

$$L(x, x^*) \propto -\log P(x^*|x). \quad (3)$$

Since the features extracted from MR images were real valued and were normalized to a domain $x \in [0, 1]$, we used the mean squared error to measure the reconstruction loss $L(x, x^*)$. To prevent the autoencoder from learning merely an identity function, the objective function is regularized by adding a weight

decay, e.g.,

$$L(W, b, x, x^*) = \min_{W, b} L(x, x^*) + \lambda \|W\|_2^2 \quad (4)$$

where $\|W\|_2^2$ is the weight decay that controls overfitting.

Though the objective function is not convex, the gradients of the objective function in (4) can be exactly computed by error back-propagation algorithm. In this study, we applied the nonlinear conjugate gradient algorithm to optimize (4) [52].

Following the greedy layer-wise training strategy, rather than training all the hidden layers of the unsupervised network altogether, we train one autoencoder with a single hidden layer at a time [43]. When an autoencoder is trained with the features obtained from the previously trained hidden layers, the hidden layer of the current autoencoder is then stacked on the trained network. After training all the autoencoders, the final high-level features are obtained by feedforwarding the activation signals through the stacked sigmoidal filters. When unlabeled subjects are available, the unsupervised feature learning can be performed with a mixture of the labeled and the unlabeled samples.

2) *Multimodal Data Fusion*: When more than one image modality are used for model training, modality fusion methods are required to discover the synergy between different modalities. Shared representation can be obtained by jointly training the autoencoders with the concatenated MR and PET inputs. The first shared hidden layer is used to model the correlations between different data modalities. However, the simple feature concatenation strategy often results in hidden neurons that are only activated by one single modality, because the correlations of MR and PET are highly nonlinear. Inspired by Ngiam *et al.* [54], we applied the pretraining method with a proportion of corrupted inputs which had only one modality presented, following the denoising concepts of training deep architecture. One of the modalities is randomly hidden by replacing these inputs with 0; the rest of the training samples are presented with both modalities. The hidden layer of the first autoencoder is trained to reconstruct all of the original inputs from the inputs that are mixed with hidden modalities. The original inputs and the corrupted inputs are propagated to the higher layers of the neural network independently to obtain both the clean representation

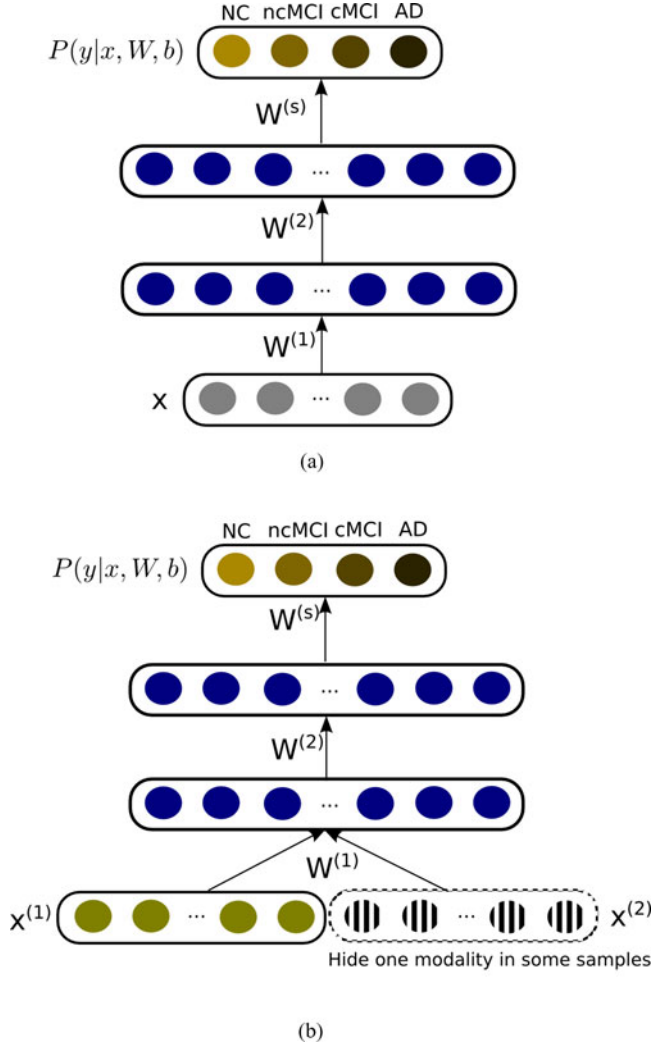


Fig. 2. Illustration of the single-modal and multimodal architectures of the proposed framework. (a) Single-modal inputs. (b) Multimodal data fusion with corrupted inputs.

and the noisy representation using the same neural network. Each higher layer is then trained progressively to reconstruct the clean high-level representation from the propagated noisy representation. Thus, some of the hidden neurons are expected to infer the correlations between different neuroimaging modalities.

3) *Fine-Tuning for AD Classification:* For the AD diagnosis, we modeled the task as a four-class classification problem containing four predefined labels: NC, cMCI, ncMCI, and AD. Although the features learnt by the unsupervised network can also be transferred to a conventional classifier, such as SVM, softmax logistic regression enables us to jointly optimize the entire network via fine-tuning.

The features extracted by the unsupervised network are fed to an output layer with softmax regression [55]. The softmax layer uses a different activation function, which might have nonlinearity different from the one applied in previous layers.

The softmax filter is defined as

$$P(Y = i|x) = \frac{e^{W_i^{(s)}a + b_i^{(s)}}}{\sum_i e^{W_i^{(s)}a + b_i^{(s)}}} \quad (5)$$

where Y is the possible stages of AD progression, a is the feature representation obtained from the last hidden layer of the pretrained network, and $W_i^{(s)}$ and $b_i^{(s)}$ are the weight and bias for the i th possible decision. For example, $P(Y = \text{'cMCI'} | x^{(l)})$ is the probability that the patient is diagnosed as a MCI converter. The label with the highest probability is selected as the final diagnosis. Optimizing softmax layer is similar to the unsupervised network. The objective function of fine-tuning the network with softmax layer is defined as

$$L(W, b, X, Y) = \min_{W, b} J(X, Y) + \lambda^{(s)} \|W^{(s)}\|_2^2 \quad (6)$$

where W and b are the weights and bias of the entire network, including the pretrained SAE and the softmax regression layer, $J(X, Y)$ is the logistic regression cost between the diagnosis generated with on the input features X and the prelabeled results Y , and $\lambda^{(s)}$ is the relative weight of the weight decay on softmax layer, which can be tuned to control the overfitting problem. To fine-tune the pretrained structure, the softmax layer is then connected to the last hidden layer of the unsupervised network. We then propagate the activation signals through the entire neural network and optimize all the parameters according to the classification loss as a supervised neural network [43], [56] as shown in Fig. 2(a). When more than one modality are used in training the supervised network, a small proportion of the single-modal inputs are dropped out in a similar way described in Section II-B2. The hidden neurons are trained to make diagnosis even when one modality is absent. This strategy is supposed to make some of the hidden neurons at the first hidden layer easy to be activated by the incoming weights from both modalities [54].

C. Feature Examination

Hidden neurons at the first layer of our network are trained to catch different patterns of input subjects. In deep learning tasks with general images, the hidden neurons can be visualized as

$$x'_{ij} = \frac{W_{ij}^{(l)}}{\|W\|_2} \quad (7)$$

where x'_{ij} is the input pattern that maximally activates the i th hidden neuron.

Unlike pixels, the patterns in biomarkers are brain ROI measurements that may be nontrivial to be visualized. We examined the representation quality by mapping the input patterns produced by (7) back to a masked 3-D MR image, with 83 segmented ROIs. Each input x'_{ij} corresponds to the brain ROI where it was extracted. By splitting the pattern x into m features (volumes, CMLGLc, etc.), we compute the variance $D_j^{(m)}$ of all of the same ROI, measuring how the ROIs activate different hidden neurons. When $D_j^{(m)}$ is low, the biomarkers from region j are more effective for AD diagnosis than the other regions. The overall feature stability S_j of the j th ROI can be computed

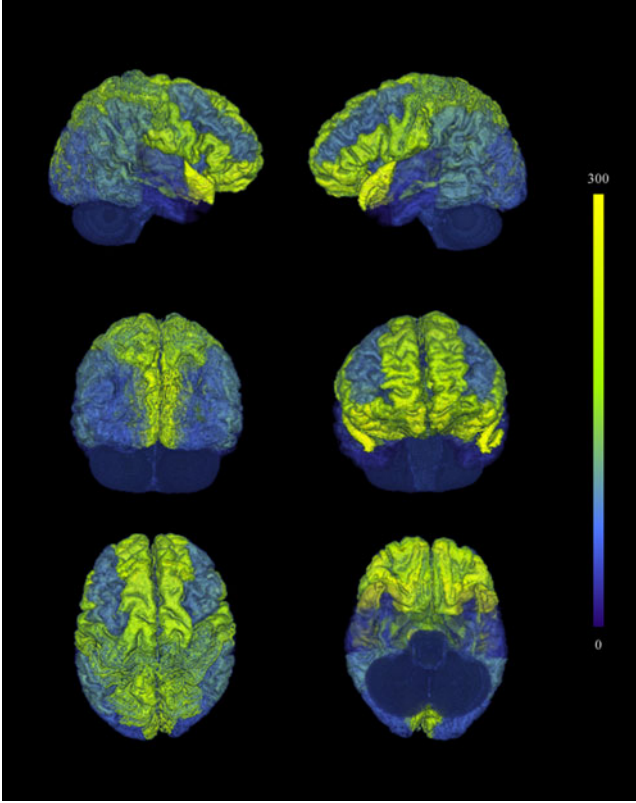


Fig. 3. Image was generated using 3-D Slicer (V4.3) [57]. The stability map denotes that the darker ROIs tend to be more affected by AD, hence more sensitive to the AD progression than the brighter regions. The features extracted from the darker areas are also considered as more stable predictors for our deep learning model and tend to be beneficial to all of the hidden neurons in the neural network.

as

$$S_j = \sum_m \frac{\sum_j D_j^{(m)}}{D_j^{(m)}}. \quad (8)$$

S can be convolved with a Gaussian filter to enlarge the distinctions between different ROIs. The brain ROIs with relatively high stability score are considered as more effective to the AD progression. These mappings on the MR image can be examined with the clinical prior knowledge to monitor the performance of the feature learning network in the context of AD diagnosis.

III. EXPERIMENTS AND RESULTS

A. Visualization of High-Level Biomarkers

With the feature examination method described in Section II-C, we calculated the stability score of each brain ROI and mapped the stability score to a masked 3-D MR image (83 ROIs) of an NC subject as shown in Fig. 3. The distinctions between various ROIs were clearly visualized. The darker regions tend to be more sensitive to the progression of AD and MCI than the lighter ROIs, since features extracted from these ROIs tend to benefit all the hidden neurons equally. The light regions are

not denoted to be totally trivial, but carrying less predictive information.

B. Performance Evaluation

We compared the proposed framework with the widely applied methods using the single-kernel SVM and the MKSVM [23], [28]. To evaluate the proposed data fusion method, we compared the zero-mask method to the architecture proposed in [39] that trains two SAEs independently and then fuses the high-level features with MKSVM after each SAE is fine-tuned. All of the experiments were evaluated with the same features extracted from MR images and PET images as described in Section II-A.

The proposed framework was implemented on MATLAB 2013a. The SVM-based experiments were performed using LIBSVM [58]. The MKSVM was implemented by using pre-computed kernels and fusing the multiple kernels with relative weights.

The evaluation was conducted by using tenfold cross-validation. In experiments including multiple modalities, we compared the performance with only single-modal data, MR or PET, and the data fusion methods with both modalities. To avoid the “lucky trials,” we randomly sampled the training and testing instances from each class to ensure they have similar distributions as the original dataset. The entire network was trained and fine-tuned with the 90% of data and then tested with the rest of samples in each validation trial. The hyperparameters of all compared methods were chosen in each validation trial using the approx search in log-domain to obtain the best performed model [59]. Two hidden layers were used in all neural-network-based experiments because adding additional hidden layers did not show further improvements on AD classification. It is reasonable to assume that two nonlinear transformations could be ideal to represent the neuroimaging features for AD classification. The number of neurons at hidden layers were chosen between 30 and 200 according to the classification performance in each fold. In each neural network, hidden layers shared the same number of hidden neurons [60]. The MKSVM was trained with the training samples. Following the workflow in [23], the relative weights of each kernel in MKSVM were chosen through a coarse-grid search with a step size of 0.1. In the experiments that used MKSVM for fusing two SAE networks, each SAE was first pretrained and fine-tuned with the training data, and then, the high-level features obtained from each network were fused with MKSVM with the procedure stated before.

1) *Experiments on MR (758 Subjects)*: We first evaluated the proposed framework with 758 3-D MR images. Since only one modality is presented, no modality fusion strategy was used in both SVM and the proposed method.

The performance of binary classification (NC versus AD and NC versus MCI) is displayed in Table I. The first two columns are precisions on individual classes, and the following three columns are the overall performance including accuracy, sensitivity, and specificity. The proposed method (SAE) outperformed SVM in classifying AD subjects from the NC subjects

TABLE I
PERFORMANCE (%) OF BINARY AD CLASSIFICATION WITH MR-ONLY SAMPLES

NC versus AD					
Methods	NC	AD	ACC	SEN	SPE
SVM	82.95 ± 8.57	80.16 ± 6.46	81.04 ± 6.28	82.83 ± 6.02	78.89 ± 14.66
SAE	82.23 ± 6.54	84.31 ± 7.36	82.59 ± 5.33	86.83 ± 6.83	77.78 ± 10.83
NC versus MCI					
Methods	NC	MCI	ACC	SEN	SPE
SVM	62.39 ± 4.87	74.81 ± 4.34	71.27 ± 3.26	47.02 ± 12.37	84.50 ± 4.25
SAE	67.44 ± 13.14	75.80 ± 3.58	71.98 ± 5.48	49.52 ± 13.68	84.31 ± 13.15

by leading the overall accuracy (82.59%) and overall sensitivity (86.83%). The overall specificities between these two methods were very closed (78.89% and 77.78%). The proposed method outperformed SVM in all overall performance measurements of classifying NC from MCI. The proposed method achieved 5% higher precision on classifying the NC subjects.

The performance of multiclass classification is displayed in Table II. The first four columns are the precisions of the individual classes and the following three are the overall performance. The proposed method performed better precisions than SVM in three classes (52.40% on NC, 38.71% on cMCI, and 46.89% on AD). The proposed method leads in the overall accuracy (46.30%) and overall specificity (77.78%). SVM achieved higher sensitivity (75.00%). In summary, our proposed method outperformed the state-of-the-art SVM-based methods in most of the performance measurements in both binary and multiclass AD classification problems when only MR data are presented.

2) *Experiments on MR and PET (331 Subjects)*: There are totally 331 subjects with both MR and PET data available. We first evaluated the performance of SVM and the proposed SAE based method with only MR images (SVM-MR, SAE-MR) or PET images (SVM-PET, SAE-PET). The performance of fusing modalities with multikernel SVM is shown as MKSVM. For deep learning methods, we compared the proposed zero-masking training strategy (SAE-ZEROMASK) to the simple feature concatenation (SAE-CONCAT).

The binary classification performance is displayed in Table III. It can be observed that the experiments with both modalities (MKSVM, SAE-CONCAT, and SAE-ZEROMASK) yielded better performance than those with only single modality in both binary classification tasks. SAE-CONCAT outperformed MKSVM slightly in the overall accuracy (90.15% – 90.11% and 77.65% – 76.88%). It can be observed that when the proposed SAE-ZEROMASK method is used, the performance is enhanced in all measurements comparing to SAE-CONCAT. MKSVM performed slightly higher specificity in classifying NC and AD comparing to ZERO-MASK. Though SVM-MR achieved slightly higher precision (83.92%) on MCI, it is reasonable to assume this performance may be due to an unbalanced decision making (only 67% on NC). Among all the methods, SAE-ZEROMASK achieved the most balanced performance in the classification between NC and MCI (81.95% on NC and 83.88% on AD), which is relatively difficult when MCI occupies a big proportion of the dataset (169 out of 246). The proposed

data fusion method SAE-ZEROMASK with only one neural network achieved comparable performance with 2SAE-MKSVM, which fuses two high-level feature matrices from two independently trained networks. The accuracy of 2SAE-MKSVM was not obviously higher than that of simple feature concatenation (77.90% to 77.65%), because it was observed in the experiments the MKSVM added for feature fusion only preserved the higher accuracy achieved by a single-modal network in some of the validation trials.

The performance of the multiclass classification is shown in Table IV. The proposed framework with the corrupted inputs (SAE-ZEROMASK) leads the overall accuracy and specificity (53.79% and 86.98%). Deep learning-based methods (SAE-CONCAT and SAE-ZEROMASK) lead the precision on NC, cMCI, and AD. The precision of cMCI was constrained by the quantity of cMCI instances (67 out of 331) and was effected by its sibling class ncMCI with 102 instances. For ncMCI, the precision achieved by SAE-ZEROMASK and MKSVM were very closed. Compared to the simple feature concatenation (SAE-CONCAT), SAE-ZEROMASK increased the overall accuracy by about 5%. SAE-ZEROMASK also outperformed the other data fusion option 2SAE-MKSVM in the overall accuracy and specificity. SVM-based methods tend to have better sensitivity.

IV. DISCUSSION

A. Model Designing and Training

Studies have shown that learning architecture with multilayered nonlinear representations of the original data would yield meaningful features for classification [56], [61]–[63]. For accurate diagnosis in AD subjects, we investigated the use of multilayered representations of neuroimaging biomarkers on AD classification. Our results showed that the multilayered structure can be used to distinguish MR and PET subjects along the spectrum of AD progression with higher accuracy than conventional shallow architectures. The performance of classification primarily benefited from the depth (a notion derived from complexity theory) of the learning architecture, which can be illustrated as a sequence of non-linear transformations of the feature space. During fine-tuning, the neuroimaging feature space is distorted and folded to minimize the classification loss on the training data. Thus, after several layers of transformations, the inseparable samples would become separable in the learnt high-level feature space. Compared to traditional methods, the proposed

TABLE II
PERFORMANCE (%) OF MULTICLASS AD CLASSIFICATION WITH MR-ONLY SAMPLES

Methods	NC	ncMCI	cMCI	AD	ACC	SEN	SPE
SVM	46.96 ± 3.95	42.95 ± 10.80	37.88 ± 10.18	44.62 ± 8.04	44.45 ± 3.07	75.00 ± 9.04	68.59 ± 5.13
SAE	52.40 ± 8.43	41.25 ± 7.16	38.71 ± 23.18	46.89 ± 4.40	46.30 ± 4.24	66.14 ± 10.57	77.78 ± 4.48

TABLE III
PERFORMANCE (%) OF THE BINARY AD CLASSIFICATION WITH MR AND PET

NC versus AD					
Methods	NC	AD	ACC	SEN	SPE
SVM-MR	87.83 ± 11.81	84.06 ± 10.42	84.67 ± 8.45	80.54 ± 11.59	88.33 ± 12.19
SVM-PET	84.58 ± 7.02	87.57 ± 10.12	84.60 ± 4.05	84.11 ± 12.86	84.58 ± 9.07
MKSVM	89.68 ± 5.67	91.50 ± 9.37	90.11 ± 5.57	89.64 ± 11.43	90.56 ± 4.76
SAE-MR	88.28 ± 11.68	88.74 ± 10.82	87.79 ± 9.12	87.32 ± 11.19	88.47 ± 12.19
SAE-PET	83.27 ± 12.44	85.91 ± 10.73	83.53 ± 9.80	82.86 ± 15.59	83.75 ± 12.41
SAE-CONCAT	88.67 ± 12.84	92.56 ± 8.35	90.15 ± 9.54	92.14 ± 9.08	88.19 ± 12.72
2SAE-MKSVM	91.35 ± 8.15	92.42 ± 8.81	91.40 ± 6.82	90.89 ± 10.40	91.67 ± 7.40
SAE-ZEROMASK	90.38 ± 7.36	92.89 ± 6.17	91.40 ± 5.56	92.32 ± 6.29	90.42 ± 6.93
NC versus MCI					
Methods	NC	MCI	ACC	SEN	SPE
SVM-MR	67.52 ± 14.15	83.92 ± 7.56	77.70 ± 5.27	62.50 ± 20.11	84.60 ± 6.60
SVM-PET	62.66 ± 22.67	77.17 ± 4.78	72.35 ± 8.67	45.54 ± 10.23	84.60 ± 10.94
MKSVM	70.85 ± 17.69	80.16 ± 3.40	76.88 ± 5.83	52.14 ± 8.56	88.16 ± 8.73
SAE-MR	65.56 ± 24.61	76.86 ± 5.59	74.02 ± 7.58	40.36 ± 15.63	89.26 ± 7.61
SAE-PET	50.69 ± 22.53	77.12 ± 7.51	70.00 ± 9.33	46.96 ± 19.12	80.44 ± 8.42
SAE-CONCAT	73.56 ± 16.55	80.00 ± 4.94	77.65 ± 5.18	49.46 ± 14.35	90.51 ± 7.09
2SAE-MKSVM	90.42 ± 11.46	73.85 ± 10.01	77.90 ± 5.18	61.43 ± 18.99	92.92 ± 7.64
SAE-ZEROMASK	81.95 ± 14.99	83.88 ± 4.99	82.10 ± 4.91	60.00 ± 13.93	92.32 ± 8.74

TABLE IV
PERFORMANCE (%) OF MULTICLASS AD CLASSIFICATION WITH MR AND PET

Methods	NC	ncMCI	cMCI	AD	ACC	SEN	SPE
SVM-MR	49.74 ± 8.79	44.58 ± 14.91	46.45 ± 31.63	53.74 ± 10.20	47.74 ± 1.82	66.43 ± 14.46	78.78 ± 8.13
SVM-PET	30.30 ± 20.15	36.90 ± 11.63	45.79 ± 27.08	50.30 ± 7.00	42.60 ± 2.90	35.36 ± 23.00	79.95 ± 8.33
MKSVM	47.71 ± 12.73	52.76 ± 19.33	38.17 ± 31.94	53.81 ± 6.81	48.65 ± 4.29	61.07 ± 18.95	79.86 ± 6.43
SAE-MR	47.80 ± 17.97	40.39 ± 9.46	45.08 ± 24.95	56.33 ± 14.03	45.61 ± 8.31	48.04 ± 14.97	82.69 ± 7.88
SAE-PET	41.79 ± 11.76	35.17 ± 10.10	41.06 ± 10.06	54.25 ± 11.79	42.91 ± 6.63	43.04 ± 17.45	82.26 ± 5.36
SAE-CONCAT	49.21 ± 14.74	43.54 ± 9.43	49.62 ± 9.66	56.35 ± 14.21	48.96 ± 5.32	46.61 ± 22.04	84.63 ± 8.51
2SAE-MKSVM	53.86 ± 11.47	52.08 ± 18.65	53.17 ± 26.63	55.58 ± 13.06	51.39 ± 5.64	66.25 ± 18.34	82.66 ± 6.16
SAE-ZEROMASK	59.07 ± 19.74	52.21 ± 11.84	40.17 ± 14.42	64.07 ± 15.24	53.79 ± 4.76	52.14 ± 11.81	86.98 ± 9.62

framework is more powerful in extracting the complex correlations between neuroimaging ROI-based biomarkers as well as different feature modalities. Another motivation of using multilayered structure for AD diagnosis is to reuse the high-level features for semisupervised learning [64]. Besides the supervised data fusion or dimensionality reduction [29], the proposed workflow can be easily extended to use unlabeled neuroimaging data.

We combined different data modalities with the proposed zero-mask fusion strategy by propagating noisy signals with one modality randomly hidden. The autoencoders were trained to reconstruct the original incoming signals with the corrupted incoming signals. We also tried to avoid training separate neural networks on different data modalities, because this may ignore the complementary information during feature learning. The training subjects with one hidden modality tend to force

some neurons to be sensitive to MR and PET inputs, which makes the zero-mask fusion network different as it has two independent feature learning networks. It was noticeable that 2SAE+MKSVM also achieved an overall classification accuracy of 91.4% and a higher specificity of 91.67% in the binary classification of NC and AD. It may indicate that when relatively larger margins exist between different feature clusters, the binary decision boundaries might be similar between both feature fusion methods. Observing the experimental results with non-convertible and convertible MCI subjects involved, we assume that the proposed zero-mask method may have more advantages when subtler differences and more outliers are included in a noisy training set.

Instead of using raw image patches for the medical feature learning, we applied the feature engineering pipeline to extract the initial ROI measurements of MR and PET images as inputs.

The differences between 3-D medical images of AD-related patients tend to be subtle and the variance tends to be large. From this perspective, the hidden neurons of the network decision system can also be interpreted as automatically encoded inferences of diagnostic rules [65]. Our experiments showed that when using ROI precomputed features, the unsupervised network achieved the best performance with two hidden layers in pretraining. This means that relatively shallower architectures are practically required when using the approximately measured imaging features, compared with the learning tasks which use raw images as inputs [38]. The networks with the same number of neurons in all hidden layers often performed better in our experiments. We found that both overcompleted manifolds or low-dimensional manifolds yielded effective features for AD classification. The number of hidden neurons was chosen according to different training sets.

The feature selection, using Elastic Net, enhanced the performance of all examined methods. It helped control the overfitting caused by the noisy and redundant feature parameters. Notably, the majority of the selected feature parameters were consistently chosen by Elastic Net. The validation trials, with fewer chosen feature parameters, tended to have higher generalization errors, which might be due to the biased outliers that were included in the training set.

Although the extracted features can be used by some other conventional classifiers, such as SVM, we connected an output layer with softmax regression to the unsupervised network. With a different nonlinearity from the one used in other layers, softmax regression corresponded to multinomial log-output variables. As a result, it is capable of classifying samples among several AD stages; it also simplified the fine-tuning phase of training because the softmax layer can be jointly optimized with the hidden layers. We also investigated the framework designs of transferring the fine-tuned features to popular classifiers other than the embedded softmax regressor. It was interesting to see that, taking as input the same high-level features learnt by our deep learning network, all of the investigated classifiers tended to make highly consistent decisions.

B. Limitations and Future Work

Considering the limited quantity of the available neuroimaging data, we assume that the synergy between different biomarkers can be further extracted with more training samples which may have smaller variance. The proposed data fusion strategy follows the denoising fashion of training autoencoders, which theoretically increased the difficulty of feature learning, but controlled the overfitting. Although the predicted probability distribution of the four-class AD classification may be of more practical use in a decision-making system, the performance that we achieved with the available dataset should be improved before multiclass classification frameworks are applied to clinical use. All the methods that we compared our methodology to tended to overfit but had high accuracy on the training set and low accuracy on the testing set. Since the multimodal learning architectures with neural networks (2SAE-MKSVM and SAE-ZEROMASK) are parametric models, we assume that they may

have the potential to achieve better diagnostic accuracy on multiclass AD diagnosis when larger datasets are available. This will allow better extraction of subject-independent features with lower variance.

V. CONCLUSION

We propose a novel framework for the diagnosis of AD with deep learning embedded. The framework can distinguish four stages of AD progression with less clinical prior knowledge required. Since the unsupervised feature representation is embedded in this workflow, it has potential to be extended to more unlabeled data for feature engineering in practice. In the unsupervised pretraining stage, we used SAEs to obtain high-level features. When more than one neuroimaging modality was used, we applied a zero-masking strategy to extract the synergy between different modalities following a denoising fashion. After the unsupervised feature engineering, a softmax regression was used. We used a novel method of visualising high-level brain biomarkers to analyze the high-level features that were extracted.

The proposed framework was evaluated with AD classification between stage two and four. Based on MR and PET ADNI data repository, our framework outperformed the state-of-the-art SVM-based method and other deep learning frameworks. We argue, therefore, that the proposed method can be a powerful means to represent multimodal neuroimaging biomarkers.

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