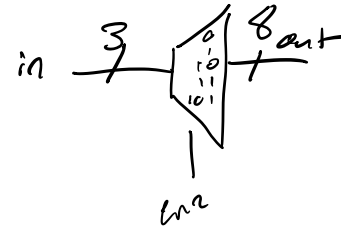


L2b 1: Conway's Game of Life Notes

3 to 8 Decoder

en2	input			output							
	[2]	[1]	[0]	[7]	[6]	[5]	[4]	[3]	[2]	[1]	[0]
0			x								
1	0	0	0						0	1	
2	0	0	1						0	1	0
3	0	1	0						0	1	0
4	1	0	0						0	1	0
5	1	0	1						0	1	0
6	1	1	0						0	1	0
7	1	1	1						0	1	0



$$\text{out}[7] = \text{en2} \cdot \text{in}[2] \cdot \text{in}[1] \cdot \text{in}[0]$$

Conways Game

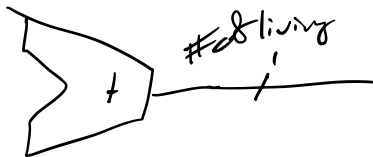
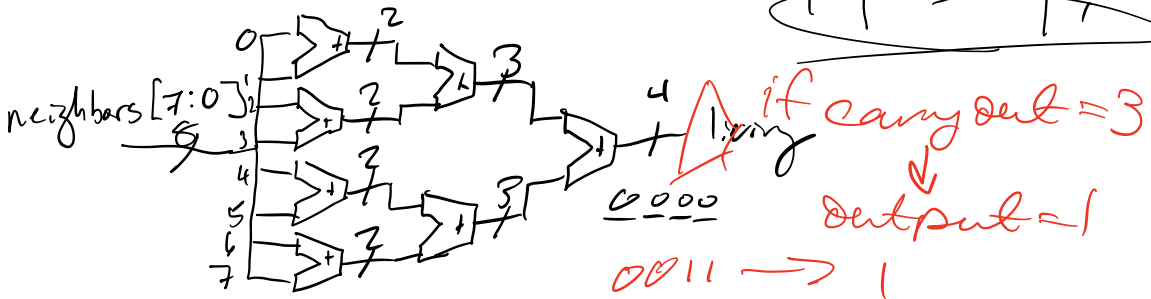
1. Any cell w/ 2-3 living neighbors survives (becomes 1'b1 on posedge CLK)
2. Any dead cell w/ 3 neighbors becomes alive (")
3. All others die/stay dead (1'b0 at pos clk edge)

2	3	4
1	4	5
0	3	6

neighbors [7:0]

↓
Q → living

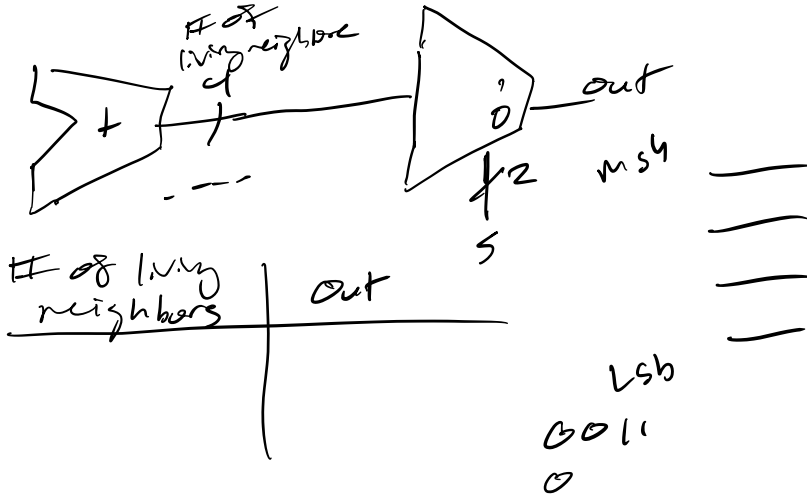
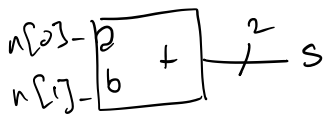
living	neighbors	living
0	3	1
1	2	1
1	3	1



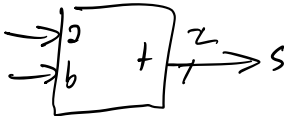
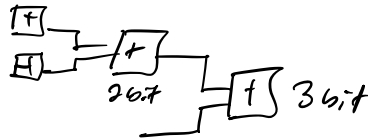
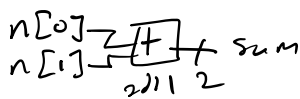
States transition table

Current State	Inputs neighbors#	Next State
living		
L0	≤ 2	L0
L0	3	L1
L0	≥ 4	L0
L1	≤ 1	L0
L1	2-3	L1
L1	≥ 4	L0
X	≥ 4	L0
X	≤ 1	L0
X	3	L1
L1	2	L1
L0	2	L0

States: Living
L0: DEAD 0
L1: Living 1



Adder



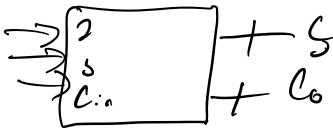
b2	s(a)	s(b)
00	0	00
01	1	01
10	1	10
11	2	11

→ 2 bit carry out put

always comb begin
 $s[0] = (a_0 \oplus b_0) \oplus (a_0 \& b_0)$
 $s[1] = a_1 \oplus b_1$
 $s[2] = a_2 \oplus b_2$

car

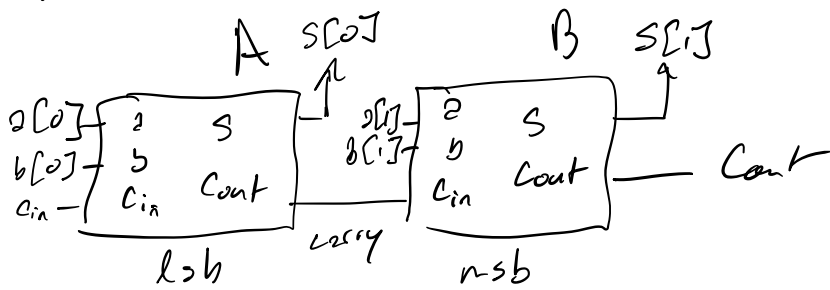
$Cin(A \oplus B)$
 $Cin(A \times OR B)$



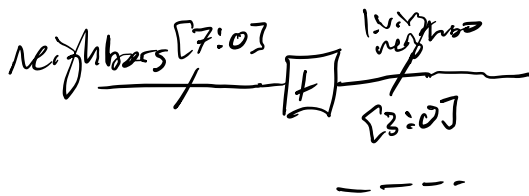
Cin	A	B	Co	S
0	0	0	0	0
0	0	1	0	1
0	1	0	0	1
0	1	1	1	0
1	0	0	0	1
1	0	1	1	0
1	1	0	1	0
1	1	1	1	1

$S = \overline{Cin} \overline{A} \overline{B} + \overline{Cin} A \overline{B} + \overline{Cin} \overline{A} B + \overline{Cin} A B$
 $Cin(A \times OR B)$
 $Cin(A \oplus B)$





* Only use logic if you are creating 2 gsk



Current State	Inputs neighbors#	Next State
living		
L0	≤ 2	L0
L0	3	L1
L0	≥ 4	L0
L1	≤ 1	L0
L1	2-3	L1
L1	≥ 4	L0
X	≥ 4	L0
X	≤ 1	L0
X	3	L1
L1	2	L1
L0	2	L0

States: Living
 L0: DEAD 0
 L1: Living 1

2: 0010
 3: 0011

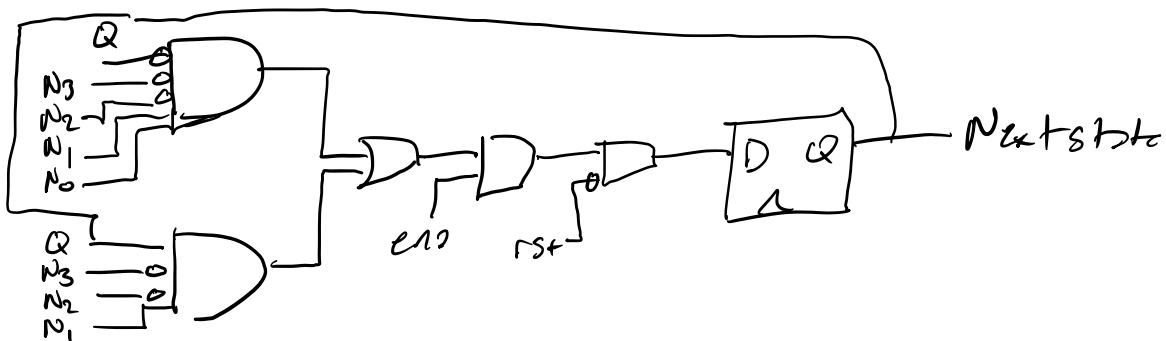
2 living \rightarrow 12

(L0)

(L1)

Next State Logic

rst	Q12	Living	neighbors	Next state	
0	1	0	0000	0	$D_0 = \overline{\text{Living}} \overline{N_3} \overline{N_2} N_1 N_0 \text{ ENA}$ $+ \text{Living} \overline{N_3} \overline{N_2} N_1 \text{ ENA}$ Living 2 Q
			0001	0	
			0010	0	
			0011	1	
			01xx	0	
			1xxx	0	$D_0 = \overline{Q} \overline{N_3} \overline{N_2} N_1 N_0$ $+ Q \overline{N_3} \overline{N_2} N_1$
0	1	1	0000	0	ENA (Living)
			0001	0	
			001x	1	
			01xx	0	
			1xxx	0	
0	0	0	x	0	
1	x	x	x	0	



$$V_F = 2.0 \text{ V @ } 20 \text{ mA}$$

$$R \geq \frac{V}{I} = \frac{1.3 \text{ V}}{20 \text{ mA}} = 65 \, \Omega \text{ Min}$$

$$65 \times 10 = 650 \, \Omega$$

$$1 \text{ K } \Omega$$

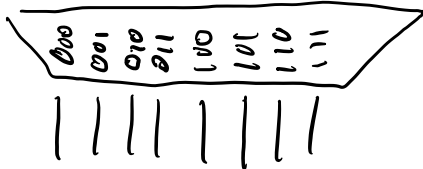
$$V_T = V_F + V_R$$

$$V_R = 3.3 \text{ V} - 2.0 \text{ V} = 1.3 \text{ V}$$

border cells - 0 [49:52] = 0

[51:49] = 11 = 7₆

[48:0] = 0



0-0

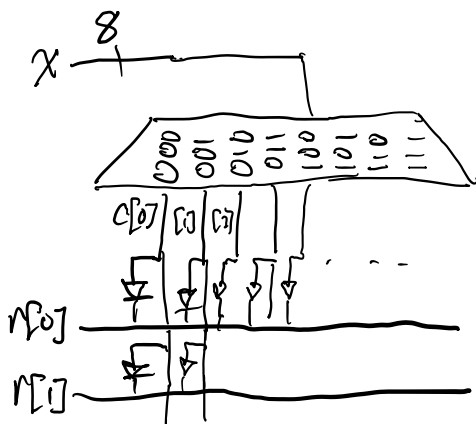
Power col high based
on X-decoded
01000000
→ power on col[i]

$c \log_2(5)$

$x[2:0]$

Cells [24:0] represent
the live status of
each cell.

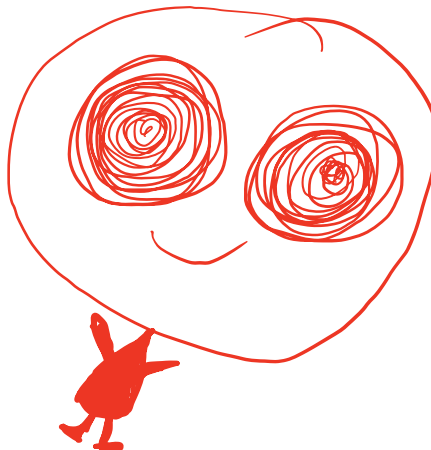
When x has 1, want
led on → col = 1 row = 0



Inputs = cols & cells
Out = rows

	c[0]	c[1]	c[2]
r[0]	0 00	1 01	2 10
r[1]	3 10	4 11	5 12
r[2]	6 20	7 21	8 22

2	6	7	8
1	3	4	5
0	0	1	2
	0	1	2



Inputs cols			cells									Outputs rows				
0	1	2	0	1	2	3	4	5	6	7	8	0	1	2	→ ~ rows after	
0 0 1			x	x	0	x	x	0	x	x	1	0	0	1		
			x	x	0	x	x	1	x	x	0	0	1	0		
			x	x	0	x	x	1	x	x	1	0	1	1		
			x	x	1	x	x	0	x	x	0	1	0	0		
			x	x	1	x	x	0	x	x	1	1	0	1		
			x	x	1	x	x	1	x	x	0	1	1	0		
			x	x	1	x	x	1	x	x	1	1	1	1		
0 1 0			x	0	x	0	x	1	x			0	0	1		
			0									0	1	0		
			0									0	1	1		
			0									1	0	0		
			0									1	0	1		
			0									1	1	0		
			0									1	1	1		
1 0 0			0	x	0	x	0	x				0	0	1		
			0									0	1	0		
			0									0	1	1		
			0									1	0	0		
			0									1	0	1		
			0									1	1	0		
			0									1	1	1		

$$r[0] = \sim((c[2] \& cell[2]) | (c[1] \& cell[1]) | (c[0] \& cell[0]))$$

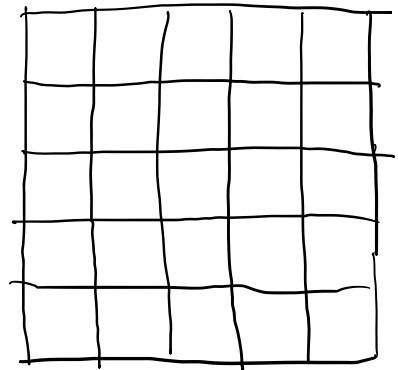
$$r[1] = \sim((c[2] \& cell[5]) | (c[1] \& cell[4]) | (c[0] \& cell[3]))$$

$$r[2] = \sim((c[2] \& cell[8]) | (c[1] \& cell[7]) | (c[0] \& cell[6]))$$

x | cells | rows | cols
%2 | 0x%4 | %b | %b

(0,0) on

100 | 000 | 000
000 | 000 | 000
000 | 000 | 000



3x3

i = 0

j = 0

for x=0 x<3 x++

x=0

cells=0

cell [0] = 1

cells= 1 0 0

0 0 0

0 0 0

col=1 & row=0

print 1

& col=row, 0

x-decode [0] = 1 rest 0

rows [0] = 0 rest 1

col [0] = 1 rest 0

L0 = B[0] XOR B[1]

L1 = B[0] & B[1]

B[0]	B[1]	L[0]	L[1]
0	0	0	0
0	1	1	0
1	0	1	0
1	1	0	1

7	56	57	58	59	60	61	62	63
6	48							
5	40							
4	32							
3	24							
2	16							
1	8							
0	0	1	2	3	4	5	6	7
	0	1	2	3	4	5	6	7