

# CS 360 Lab 1

Name:

## Lab 1 tasks (all in Scheme)

### Part 1 (3 points)

Access Lab 1 code you tested in the preparation for Lab 1. Review specification examples provided inside files *concat.scm*, *length.scm*, *numints.scm*, *order.scm*.

(i) Load the file *member-insert.scm*

Run tests of the *member*, *insert* functions.

Provide specifications for the *member* and *insert* functions.

(ii) Load the file *maxmin.scm*

Run tests of the *maxmin* function.

Provide specifications for the *maxmin* function.

(iii) Load the file *msort.scm*

Run tests of the *msort* function.

Provide specifications for the *msort* function.

Show the results to the TA: \_\_\_\_\_ (initials)

You may open another session (keeping your current session active and available for reviewing) and proceed with the further work on Lab 1 if the TA is currently not available.

### Part 2 (3 points)

Implement in Scheme the following functions. Run several tests on each of them.

(i) Non-tail and tail recursive implementation of  $n!$

(ii) Non-tail and tail recursive implementation of  $2^n$

(iii) Apply composition formula (*define (compose g f) (lambda (x) (g (f x)))*) (from section 6 of Intro to Scheme) in order to construct  $2^n$  (for both, non-tail and tail recursive implementations of functions of (i), (ii)).

Show the results to the TA: \_\_\_\_\_ (initials)

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### Part 3 (4 points)

Implement in Scheme the following functions. Run several tests on each of them.

(i) The Matlab language supports a convenient notation for specifying ranges of numbers. The notation **start:step:end** denotes the range of integers start, start+step, start+2\*step,...,start+n\*step, where n is the largest integer such that start+n\*step  $\leq$  end and start+(n+1)\*step > end. Note that the range may be empty if start > end. Write a scheme function (**range (start step end)**), which returns the list of integers equal to **start:step:end**.

Example: (range '(0 2 7)) => (0 2 4 6), (range '(2 2 0)) => ()

(ii) The Maple computer algebra system has a command **seq(f, i = m..n, step)**, which returns the sequence fm,...fn, where fi is the expression f with all occurrences of the symbol i replaced by the numeric value of i in the sequence of integers from m to n. Implement a scheme function (**seq f (start step end)**), and produces a list of values (f(start),f(start+step),...,f(start+n\*step)), where n is the largest integer such that start+n\*step  $\leq$  end and start+(n+1)\*step > end.

Example: (seq (lambda (x) (\* x x)) '(0 2 7)) => (0 4 16 36)

Show the results to the TA: \_\_\_\_\_ (initials)

You may open another session (keeping your current session active and available for reviewing) and proceed with the further work on Lab 1 if the TA is currently not available.

### Part 4 (extra credit, 3 points)

Implement in Scheme a recursive function computing binomial coefficients (slide 13 of Week 1 Part 2 displays the C code).

Show the results to the TA: \_\_\_\_\_ (initials)