Data Fitting

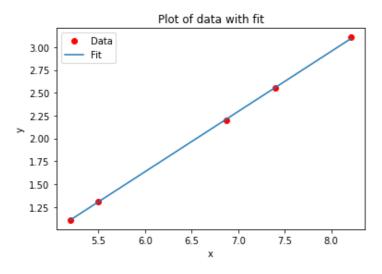
```
In [1]:
'''name: apeksha chavan
BE COMPS
UID: 2017130013
FCI Exp - 4'''
Out[1]:
'name: apeksha chavan\nBE COMPS\nUID: 2017130013\nFCI Exp - 4'
In [ ]:
from pylab import *
from scipy.optimize import curve fit
In [2]:
xdata, ydata=loadtxt('FakeData.txt', unpack=True)
In [3]:
print(xdata)
[8.213 7.402 6.876 5.491 5.196]
In [4]:
print(ydata)
[3.107 2.551 2.2 1.306 1.11 ]
In [5]:
def linearFunc(x,intercept,slope):
 y = intercept + slope * x
 return y
In [6]:
linearFunc(1,2,3)
Out[6]:
5
a fit,cov=curve fit(linearFunc,xdata,ydata)
In [8]:
inter = a_fit[0]
slope = a_fit[1]
print(cov)
[[ 1.06510152e-03 -1.55899107e-04]
[-1.55899107e-04 2.34943498e-05]]
In [9]:
d inter = sqrt(cov[0][0])
d slope = sqrt(cov[1][1])
Tn [101•
```

```
# Create a graph showing the data.
plot(xdata,ydata,'ro',label='Data')
# Compute a best fit y values from the fit intercept and slope.
yfit = inter + slope*xdata
# Create a graph of the fit to the data.
plot(xdata,yfit,label='Fit')
# Display a legend, label the x and y axes and title the graph.
legend()
xlabel('x')
ylabel('y')
```

Out[10]:

Text(0.5, 1.0, 'Plot of data with fit')

title('Plot of data with fit')



In [11]:

```
# Display the best fit values for the slope and intercept. These print
# statments illustrate how to print a mix of strings and variables.
print(f'The slope = {slope}, with uncertainty {d_slope}')
print(f'The intercept = {inter}, with uncertainty {d_inter}')
```

The slope = 0.6587176810599606, with uncertainty 0.004847097046293064The intercept = -2.3161870444414747, with uncertainty 0.03263589309955411

With Error

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In [12]:

def linearFunc(x,intercept,slope):
    y = intercept + slope * x
    return y

In [13]:

xdata,ydata,d_y = loadtxt('FakeData_with_error.txt',unpack=True)

In [14]:
```

```
[8.213 7.402 6.876 5.491 5.196]
```

In [15]:

print(xdata)

```
print(ydata)
```

[3.261 2.52 2.239 1.299 1.175]

```
In [16]:
print(d y)
[0.0971 0.0559 0.0708 0.0683 0.0893]
In [17]:
a fit,cov=curve fit(linearFunc,xdata,ydata,sigma=d y)
In [18]:
inter = a fit[0]
slope = a fit[1]
d inter = sqrt(cov[0][0])
d slope = sqrt(cov[1][1])
In [19]:
# Create a graph showing the data.
errorbar(xdata, ydata, yerr=d y, fmt='r.', label='Data')
# Compute a best fit line from the fit intercept and slope.
yfit = inter + slope*xdata
# Create a graph of the fit to the data. We just use the ordinary plot
# command for this.
plot(xdata, yfit, label='Fit')
# Display a legend, label the x and y axes and title the graph.
legend()
xlabel('x')
ylabel('y')
Out[19]:
Text(0, 0.5, 'y')
         Fit
         Data
  3.0
  2.5
  2.0
  1.5
  1.0
                                  7.5
          5.5
                6.0
                      6.5
                            7.0
                                        8.0
In [20]:
print(f'The slope = {slope}, with uncertainty {d slope}')
print(f'The intercept = {inter}, with uncertainty {d inter}')
The slope = 0.6656028702881751, with uncertainty 0.03549213604200107
The intercept = -2.3430681719234285, with uncertainty 0.239532487804196
In [21]:
chisqr = sum((ydata-linearFunc(xdata,inter,slope))**2/d y**2)
dof = len(ydata) - 2
chisqr red = chisqr/dof
print(f'Reduced chi^2 = {chisqr red}')
```

Reduced $chi^2 = 1.2633310164063059$

Conclusion

I performed data fitting for the given data in a linear function of form y=mx+c

In the second part we performed the data fitting for a data with given error and performed the chi square test to check the fitting, reduced chi^2 value was near 1 so it indicates that the data has been fitted accurately.