

1 Хорошие базисы

Хороший базис	Комбинаторика	Полиэдральная комбинаторика	Положительность и потенциалы
Канонический базис Люстига в $U_q(\mathfrak{n}^-)$ [21]	выпуклые порядки на положительных корнях, действие группы кос на $U_q(\mathfrak{g})$, кусочно-линейная комбинаторика [21, 26]	структура кристалла $B(\infty)$ на положительном ортанте \mathbb{Z}^m [21, 10]	дуальный геометрический кристалл на $B \cap B_- w_0 B_-$ дуальная функция декорации Беренштейна-Каждана Ψ_{BK} [17, 10]
Дуальный канонический базис Кашивары в $\mathbb{C}[N]$ [15]	редуцированные разложения $w_0 \in W$, кристаллический граф Кашивары, кусочно-линейная комбинаторика струн	структура кристалла $B(\infty)$ на струнных конусах [3, 4, 5, 14, 15, 23]	геометрический кристалл на $B_- \cap B w_0 B$, Berenstein-Kazhdan potential Φ_{BK} [2, 9, 10]
Тета базис Гросса-Хакинга-Кила-Концевича в $H^0(G/N, \mathcal{O}(G/N))$ [13]	Структура кластерной алгебры на $\mathcal{O}(G/N)$, мутации кластерных зерен [1, 6], максимальные зеленые последовательности, гипотеза Фока-Гончарова [11, 13, 16]	Конус тропических точек, параметризующий тета-базис [6, 13, 10, 22]	структура кластерных \mathcal{A} , \mathcal{X} -многообразий G/N , потенциал Ландау-Гинзбурга W_{GHKK} [13, 10]

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